

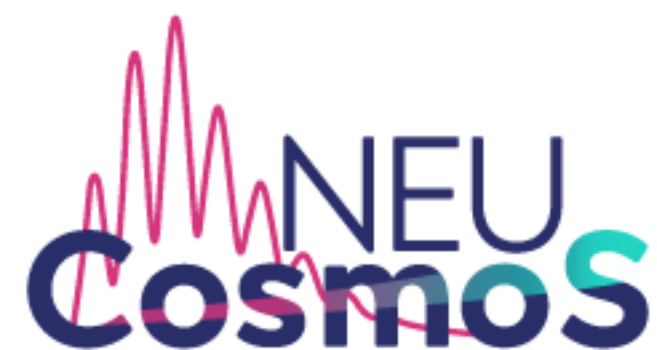
# COSMOLOGICAL PARAMETERS CONSTRAINTS FROM CMB DATA ANALYSIS WITH THE SOUTH POLE TELESCOPE

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MANY THANKS TO : L. BALKENHOL, E. CAMPHUIS, F. GUIDI, A. R. KHALIFE

GDR CoPHY - 23/05/2024



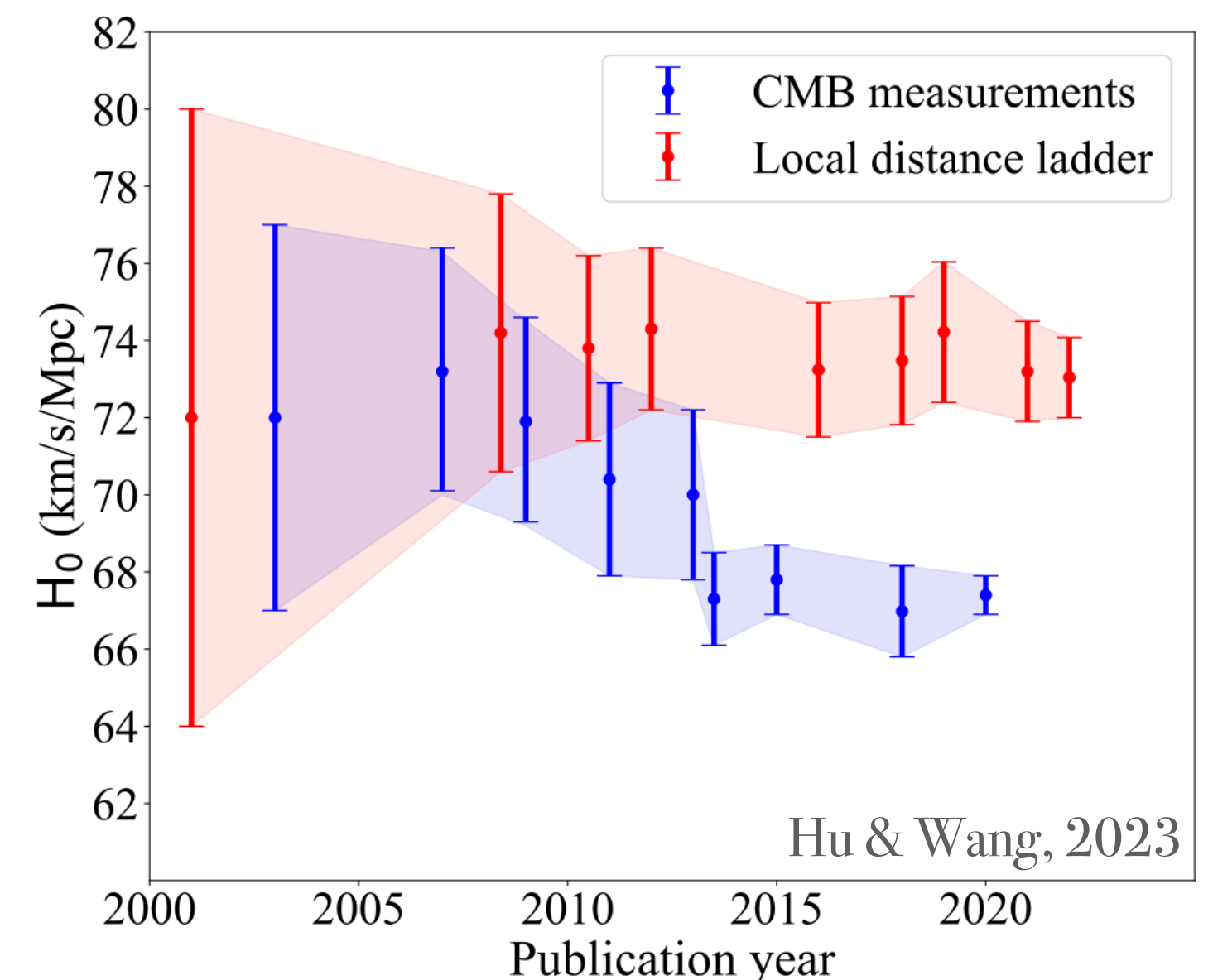
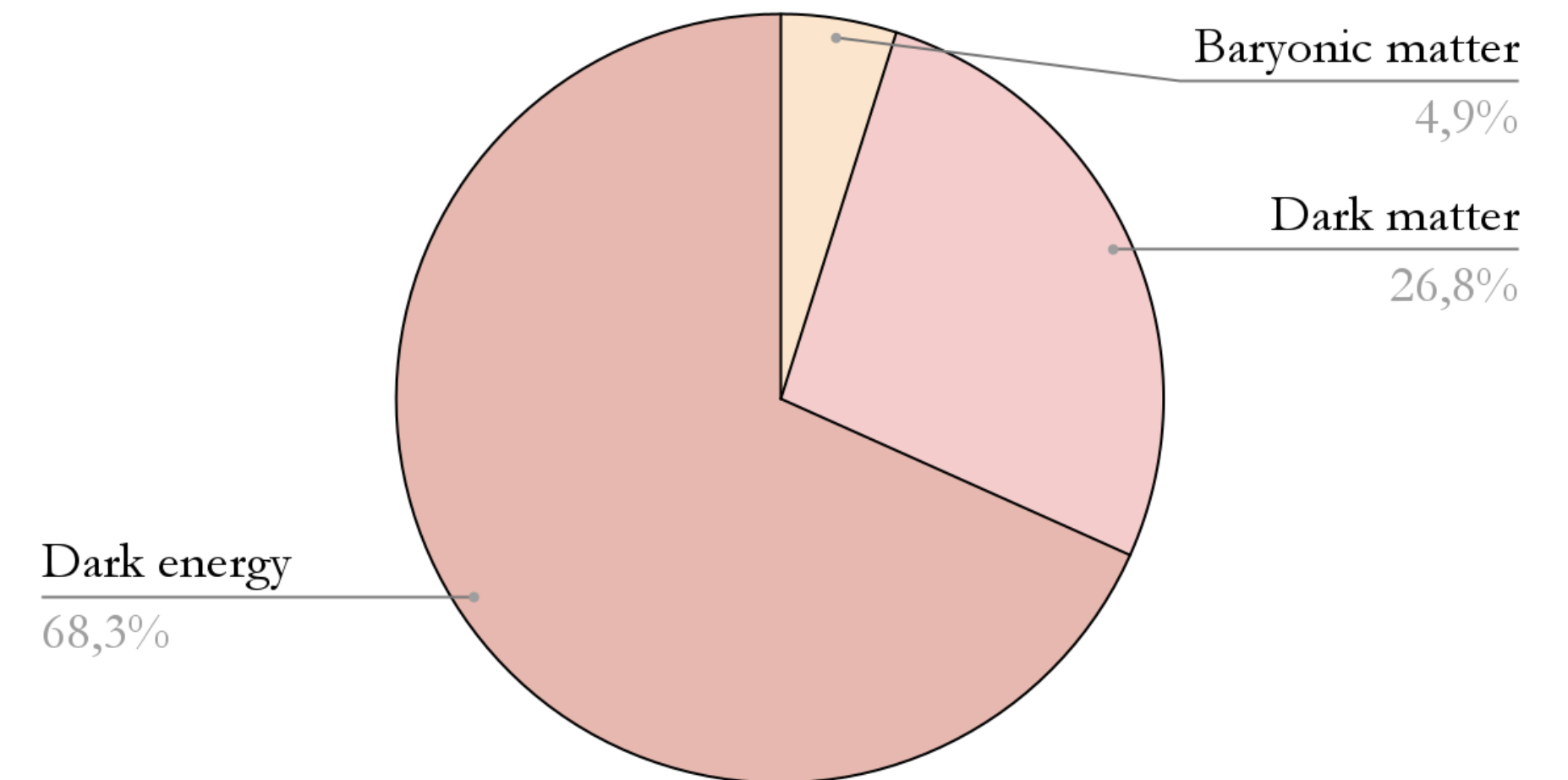
# Cosmological context

- Cosmic Microwave Background (CMB) : one of the most powerful probes of the early universe
- Inference of cosmological parameters from the CMB
- Planck final data release confirmed the  $\Lambda$ CDM model to be the best to describe the universe

## Why do we need other telescopes and experiments ?

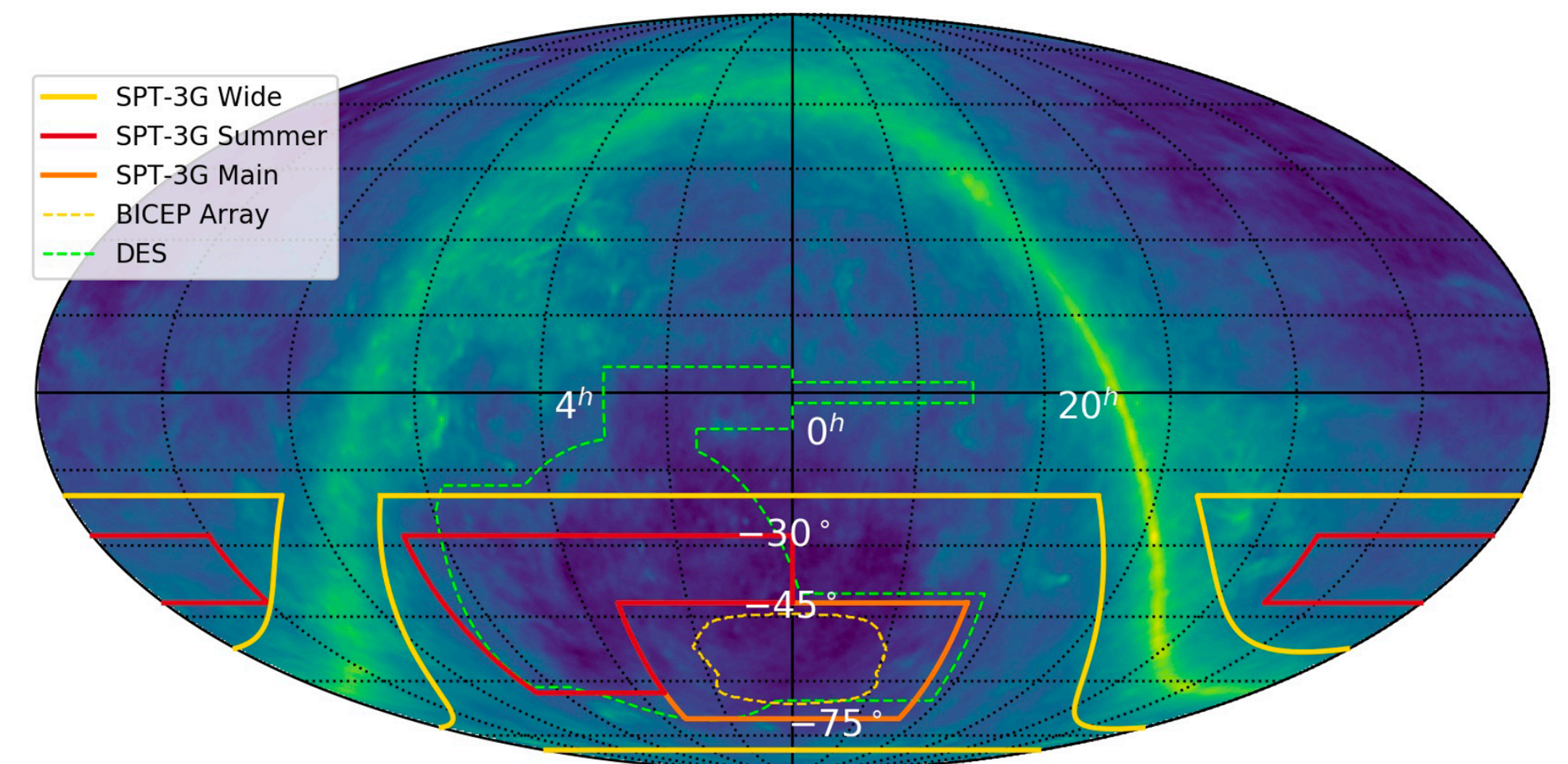
- ▶ Add complementary data to Planck's from polarization, from small scales temperature, and from lensing.
- ▶ Understand tensions such as the Hubble tension
- ▶ Test the  $\Lambda$ CDM model and search for possible physics beyond  $\Lambda$ CDM.

Universe composition -  $\Lambda$ CDM model



# The South Pole Telescope

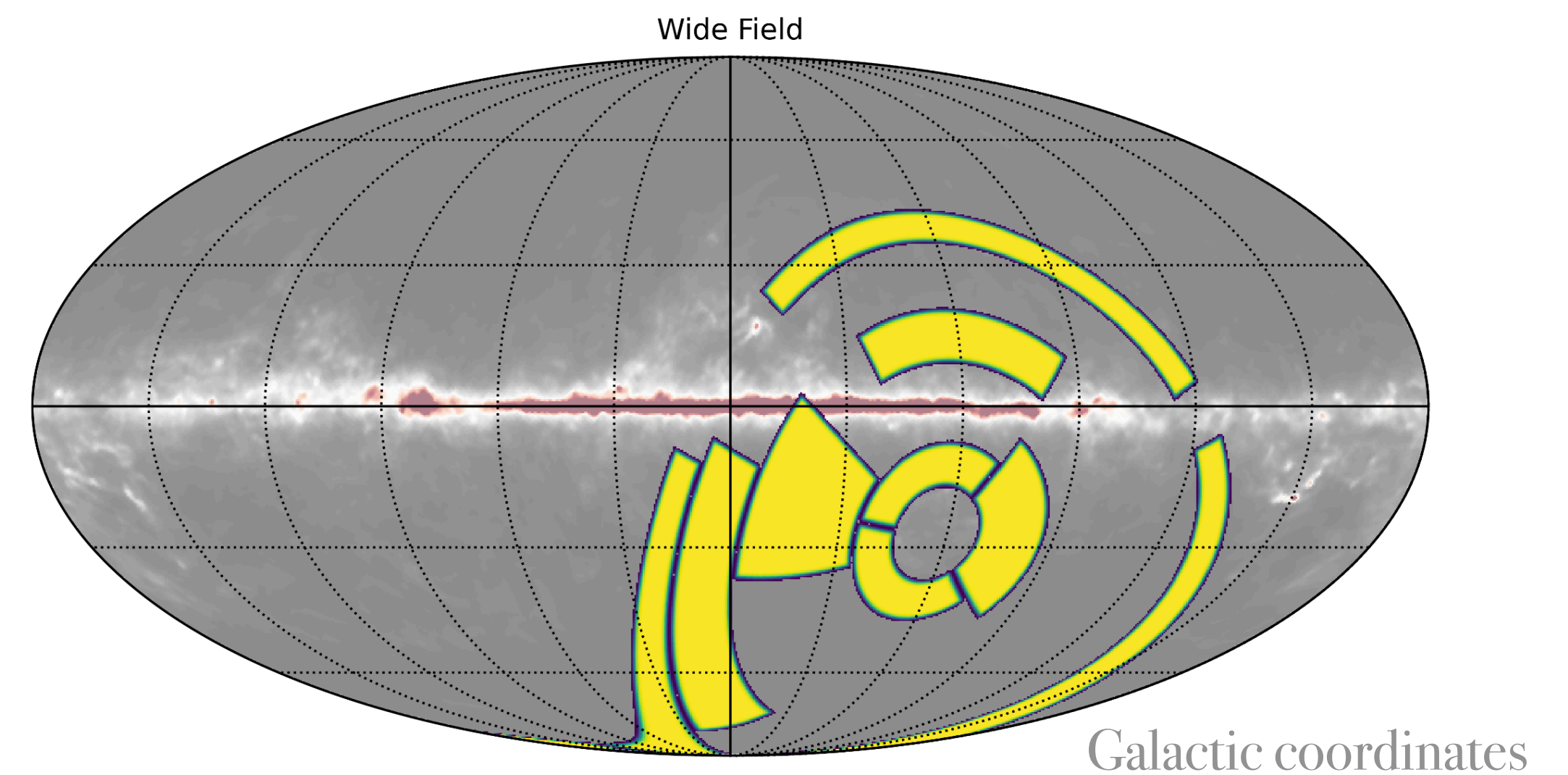
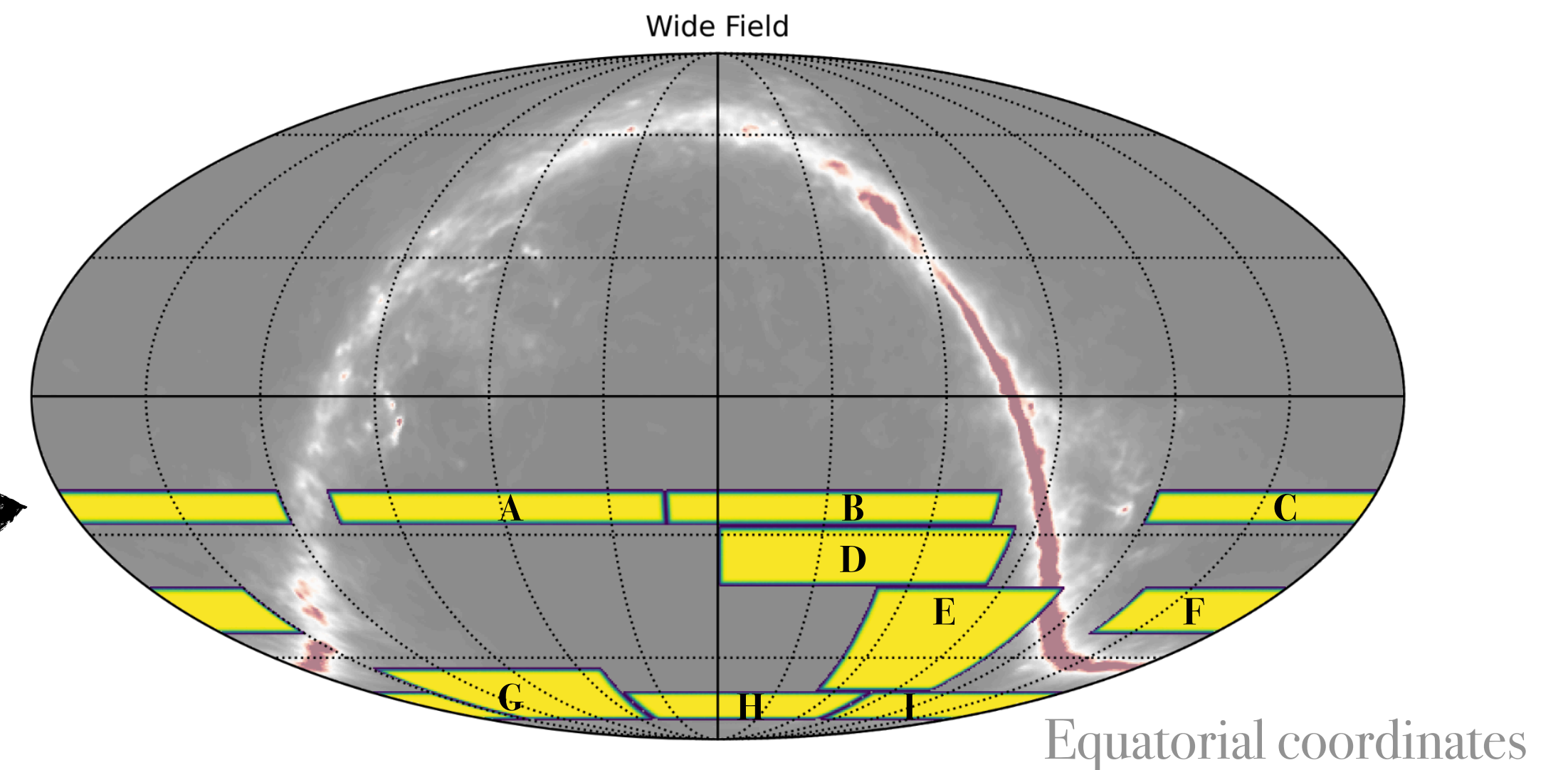
- 10-meter primary mirror telescope located at the South Pole
- Third generation camera **SPT-3G** since 2018
- 3 frequency bands : 90GHz, 150GHz and 220GHz
- 3 fields of observation with SPT-3G :
  - **Winter** field (main) : 1500 deg<sup>2</sup>, 6 years of observations during austral winter
  - **Summer** field : 2600 deg<sup>2</sup>, 4 years of observations during austral summer
  - **Wide** field : 6000 deg<sup>2</sup>, 1 year of observations in 2024
- All fields combined :  
**SPT-3G Ext-10k, 25% of the sky**



# The South Pole Telescope

## SPT-3G Wide

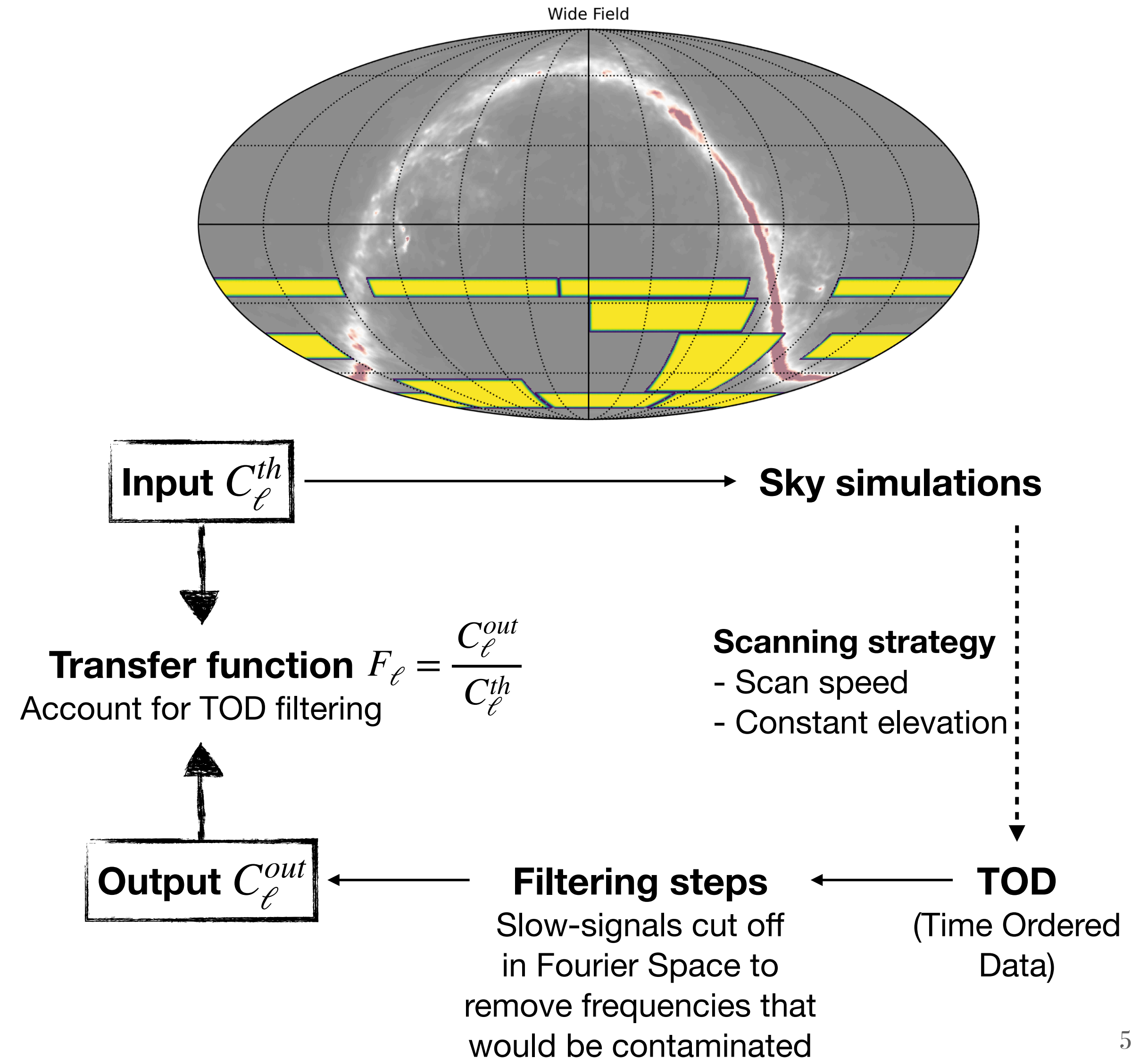
- 14% of the sky
- Divided in 9 subfields (A, B, C, ...)
- Declination from  $-20^\circ$  to  $-80^\circ$
- Target noise levels :  $13/11.5/42 \mu\text{K-arcmin}$  at  $90/150/220 \text{ GHz}$   
(Planck noise :  $78/33/47 \mu\text{K-arcmin}$  at  $100/143/217 \text{ GHz}$ )
- ☑ Production of the binary masks
- ☑ Apodization of the masks to reduce correlations between modes



# The Wide Field scanning strategy

- The scan goes back and forth from left to right at a constant elevation → induced correlated noise in the scan direction (mostly atmospheric noise)
- Atmosphere varies slowly → high pass filtering to remove low frequencies in Fourier space → **transfer function is a result of filtering**
- We might have different TOD filtering for the different subfields → **different transfer functions**

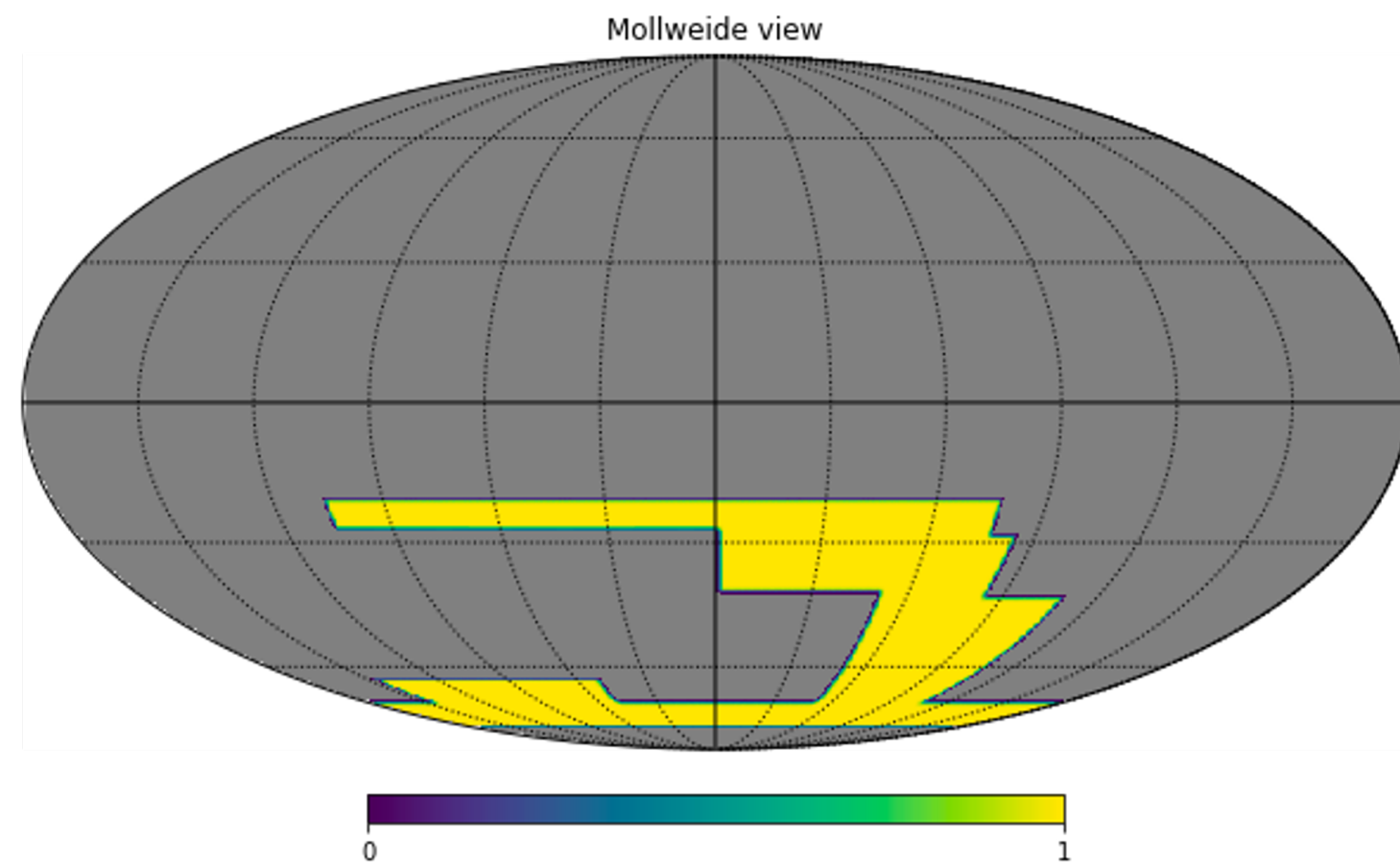
Conclusion : analysing the fields individually allows to take into account the specificity of each subfields



Do we lose constraining power on cosmological parameters by analysing the fields independently of each other ?

# We consider 3 different cases for the S field analysis

## 1. Best case scenario



$S_{v2}$

$$f_{sky} = 0.0951$$

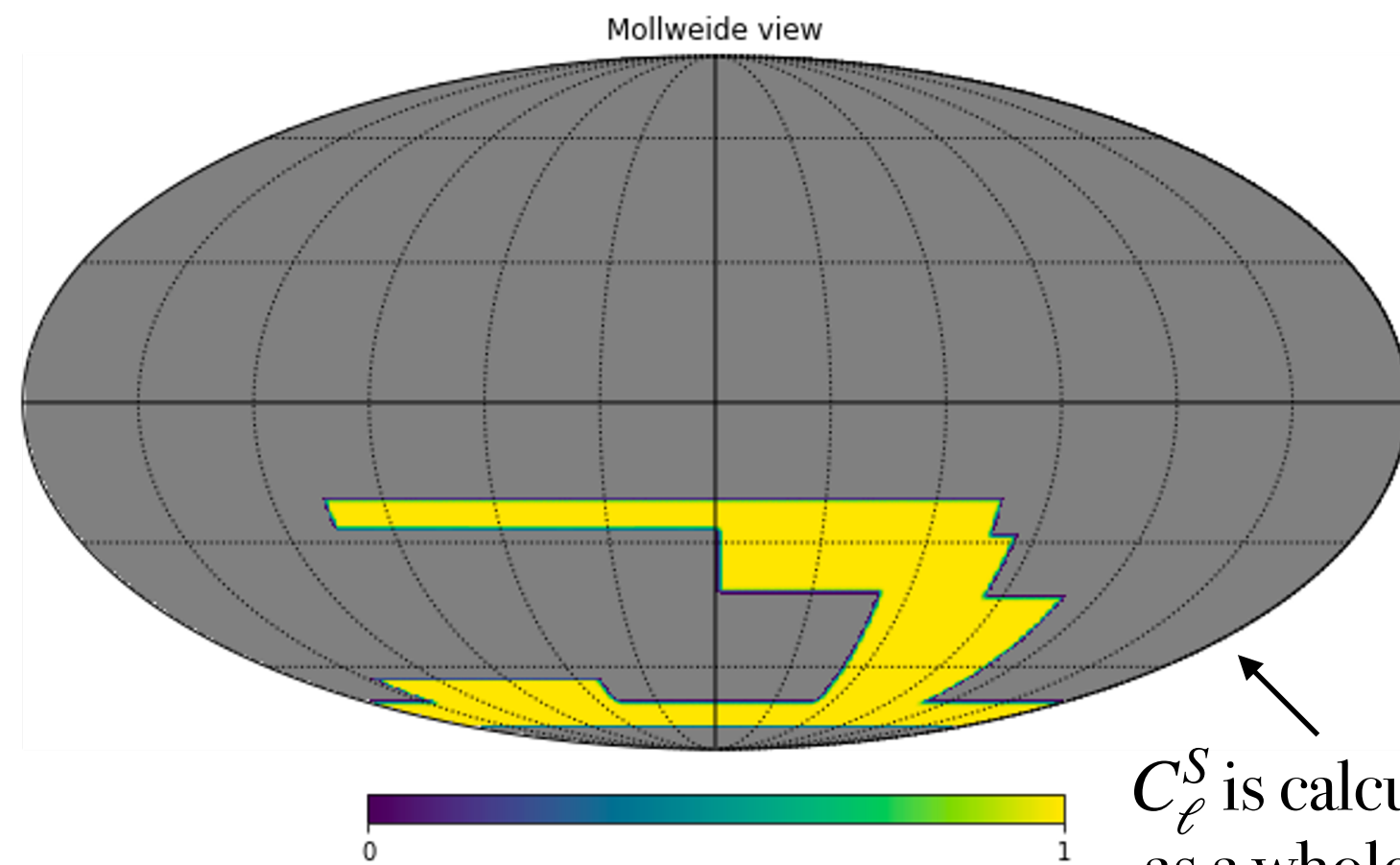
**1 mask used in the analysis**

Apodization of the binary S mask

→ What we would do if we could analyse all  
the field jointly

# We consider 3 different cases for the S field analysis

## 1. Best case scenario



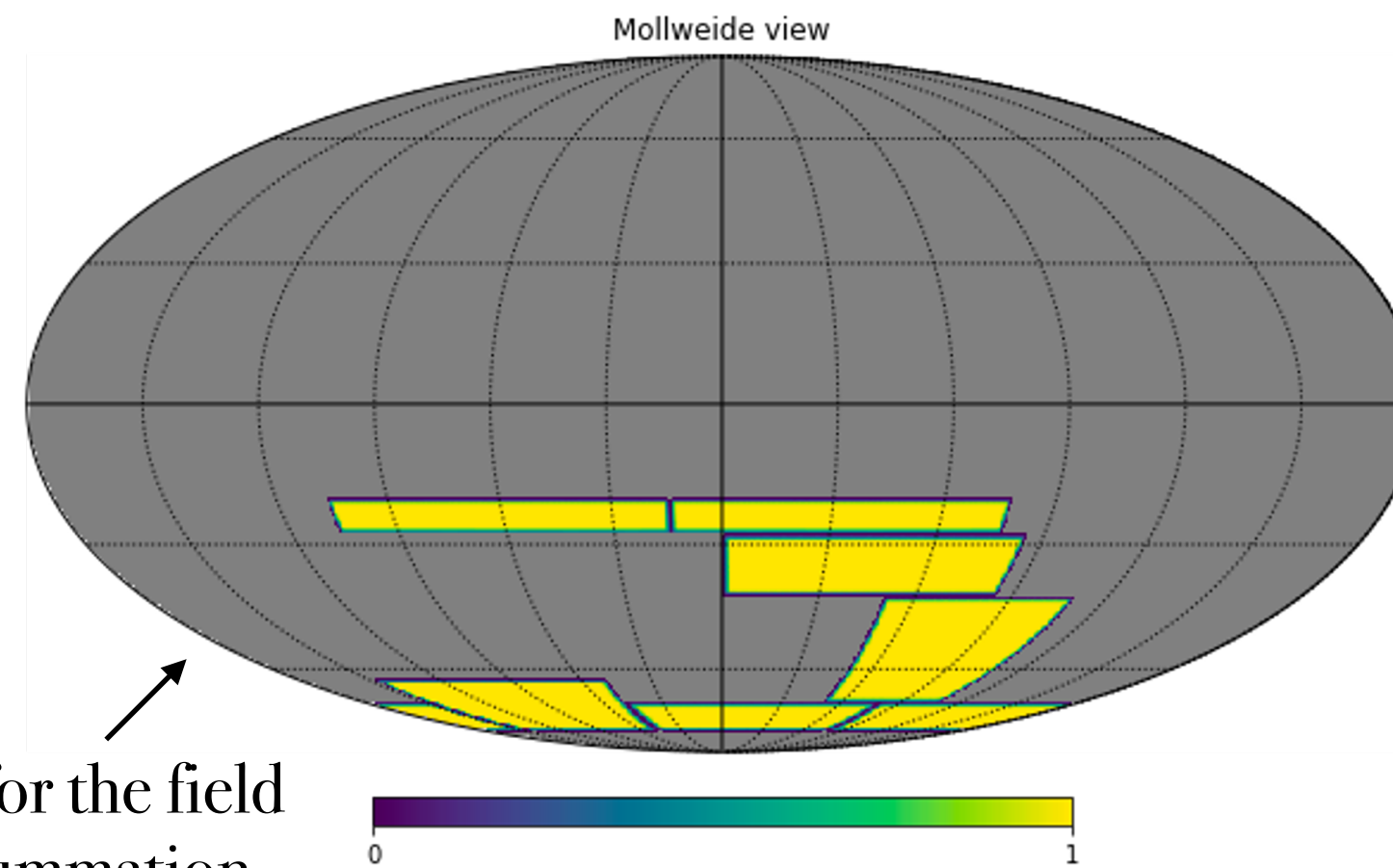
**S\_v2**

$$f_{sky} = 0.0951$$

**1 mask used in the analysis**

Apodization of the binary S mask

## 2. Intermediate case



**S**

$$f_{sky} = 0.0906$$

**1 mask used in the analysis**

Sum of the individual apodized masks

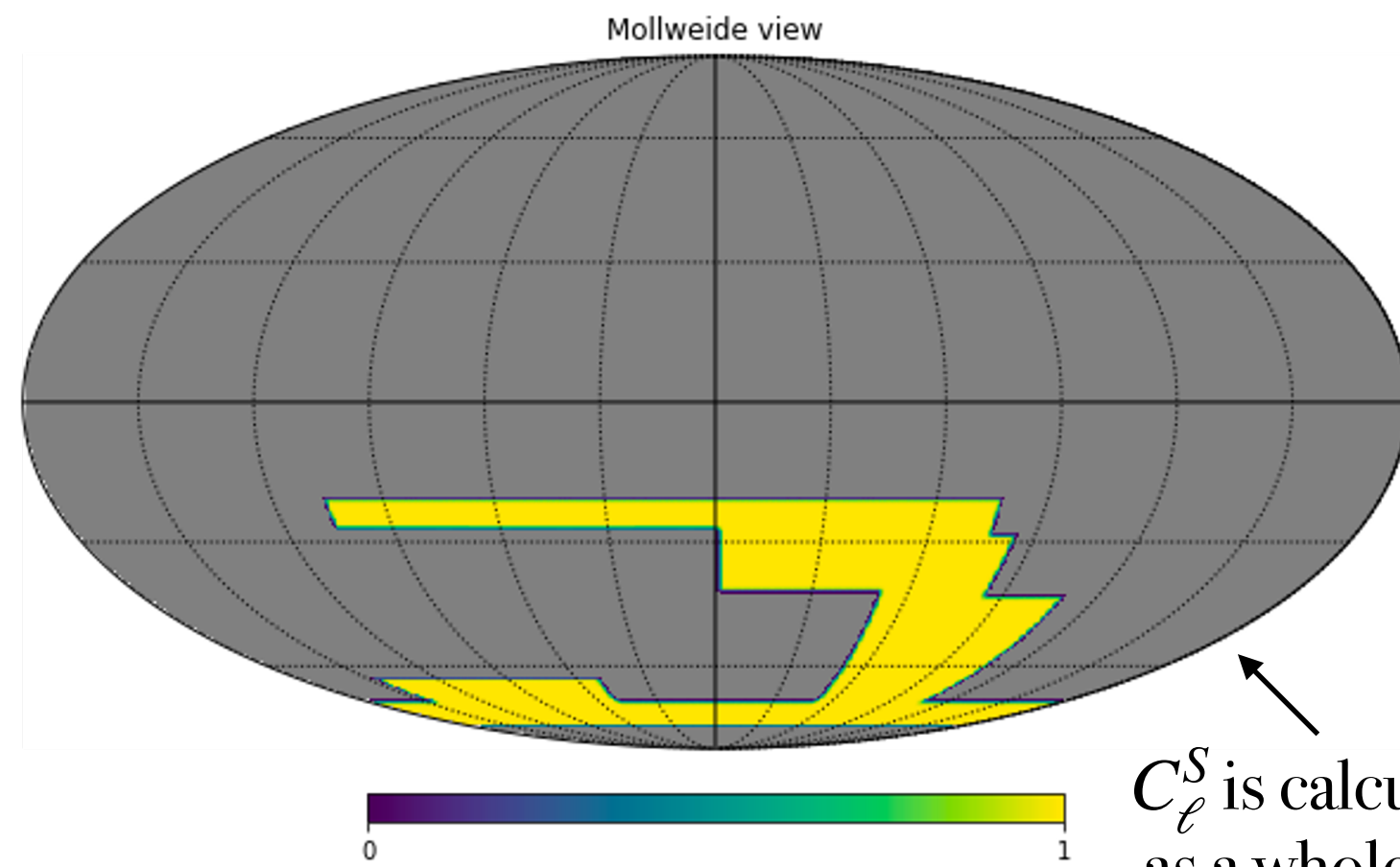
**Allows to understand the impact of losing a 5% fsky in the analysis**

→ What we would do if we could analyse all the field jointly



# We consider 3 different cases for the S field analysis

## 1. Best case scenario



$C_\ell^S$  is calculated for the field as a whole. No summation.

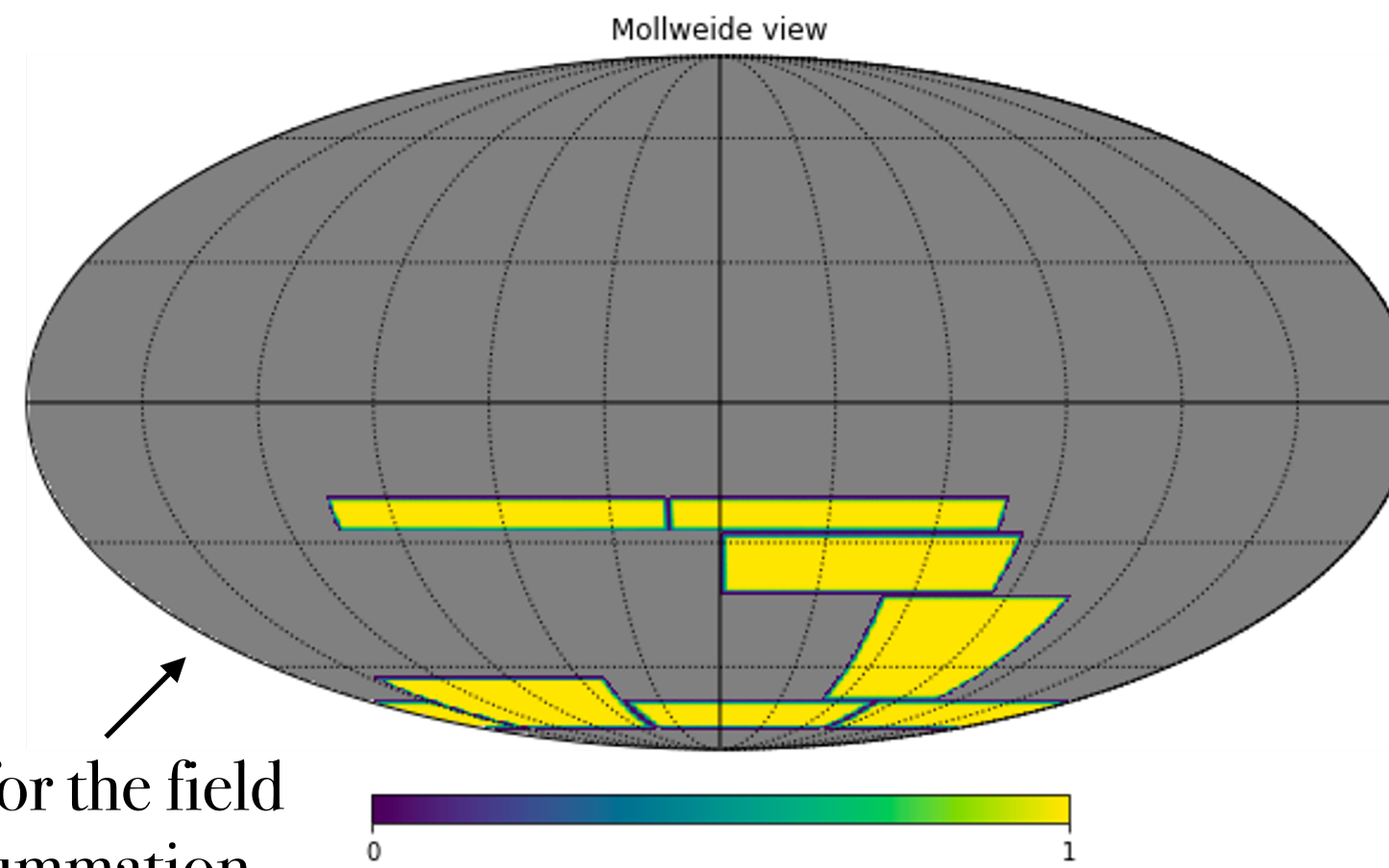
**S\_v2**

$$f_{sky} = 0.0951$$

**1 mask used in the analysis**  
Apodization of the binary S mask

→ What we would do if we could analyse all the field jointly

## 2. Intermediate case

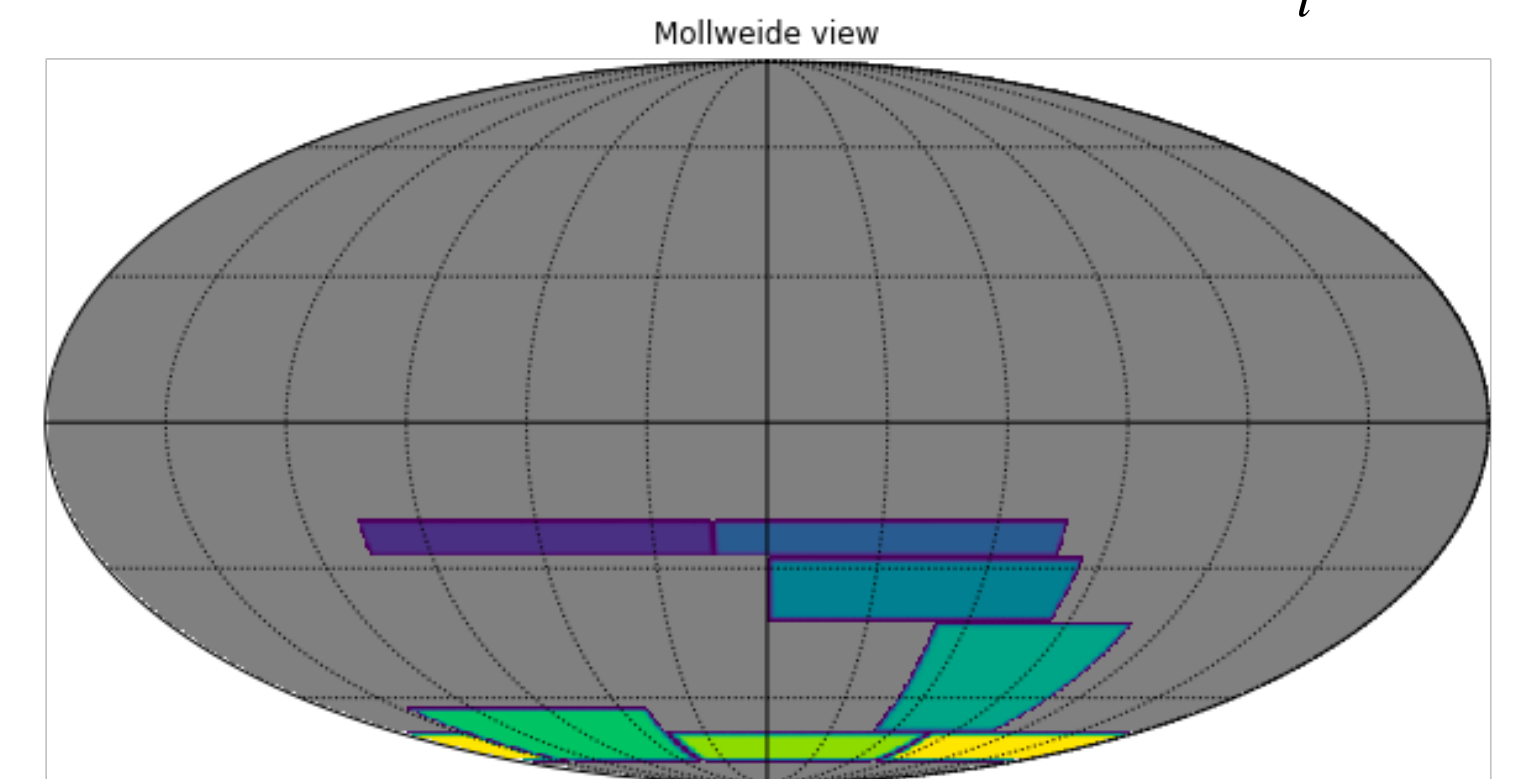


**S**

$$f_{sky} = 0.0906$$

**1 mask used in the analysis**  
Sum of the individual apodized masks  
**Allows to understand the impact of losing a 5% fsky in the analysis**

## 3. Coaddition $C_\ell^{S,coadd} = \sum_i w_i C_\ell^i$



$$Cov(C_\ell^{S,coadd}, C_\ell^{S,coadd}) = \sum_{i \in \{A, B, D, E, G, H, I\}} w_i^2 Cov(C_\ell^i, C_\ell^i)$$

**S\_coadd**

$$f_{sky} = 0.0906$$

**7 masks used in the analysis**  
Coaddition of the individual power spectra obtained by analysing the subfields independently of each other  
**Allows to understand the impact of a coadded analysis**

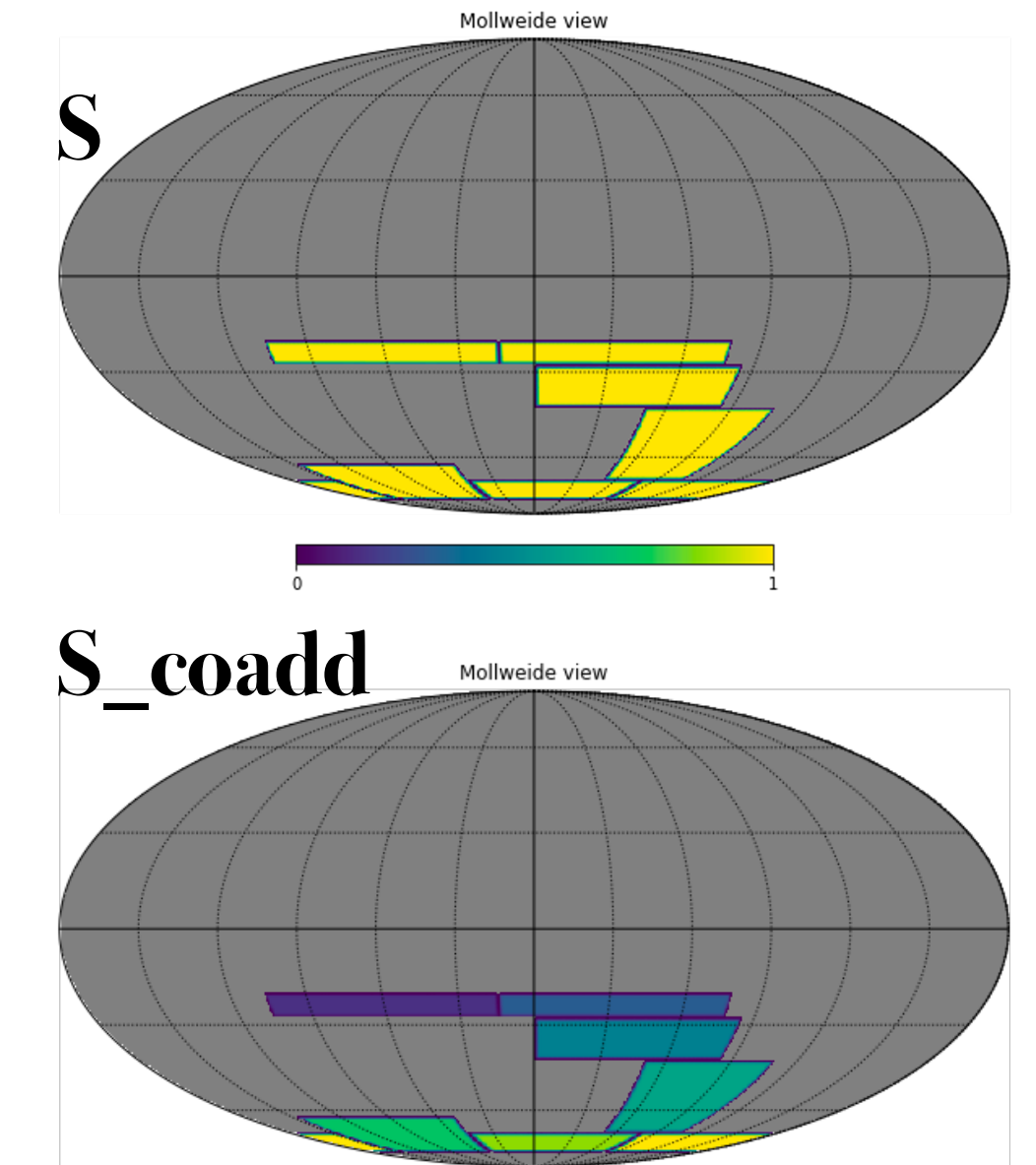
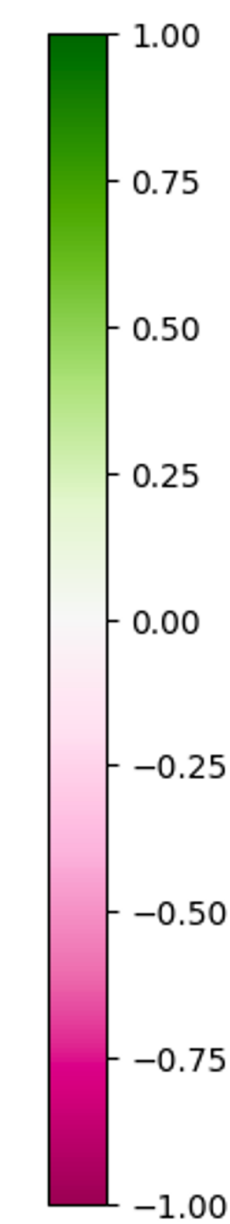
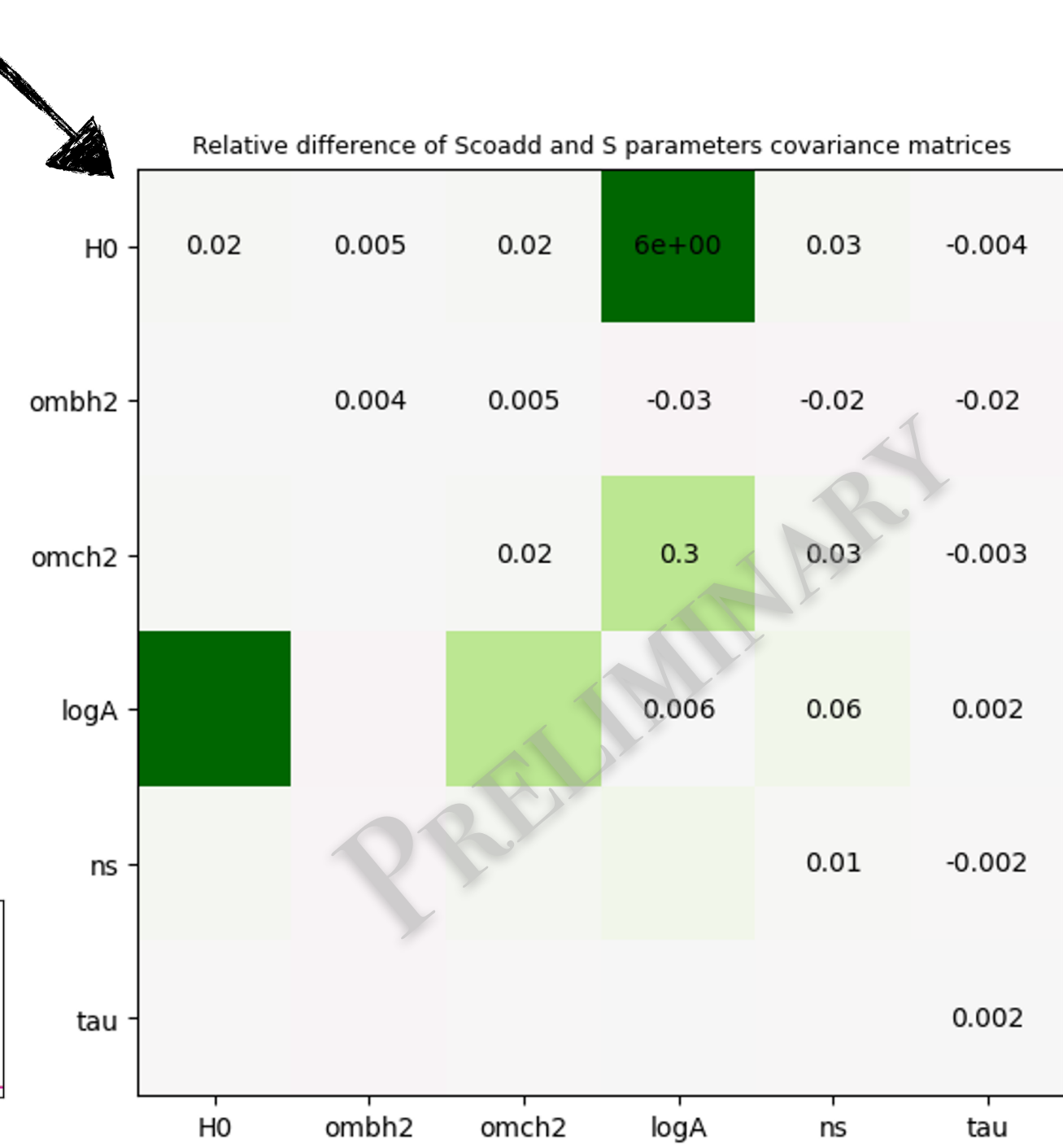
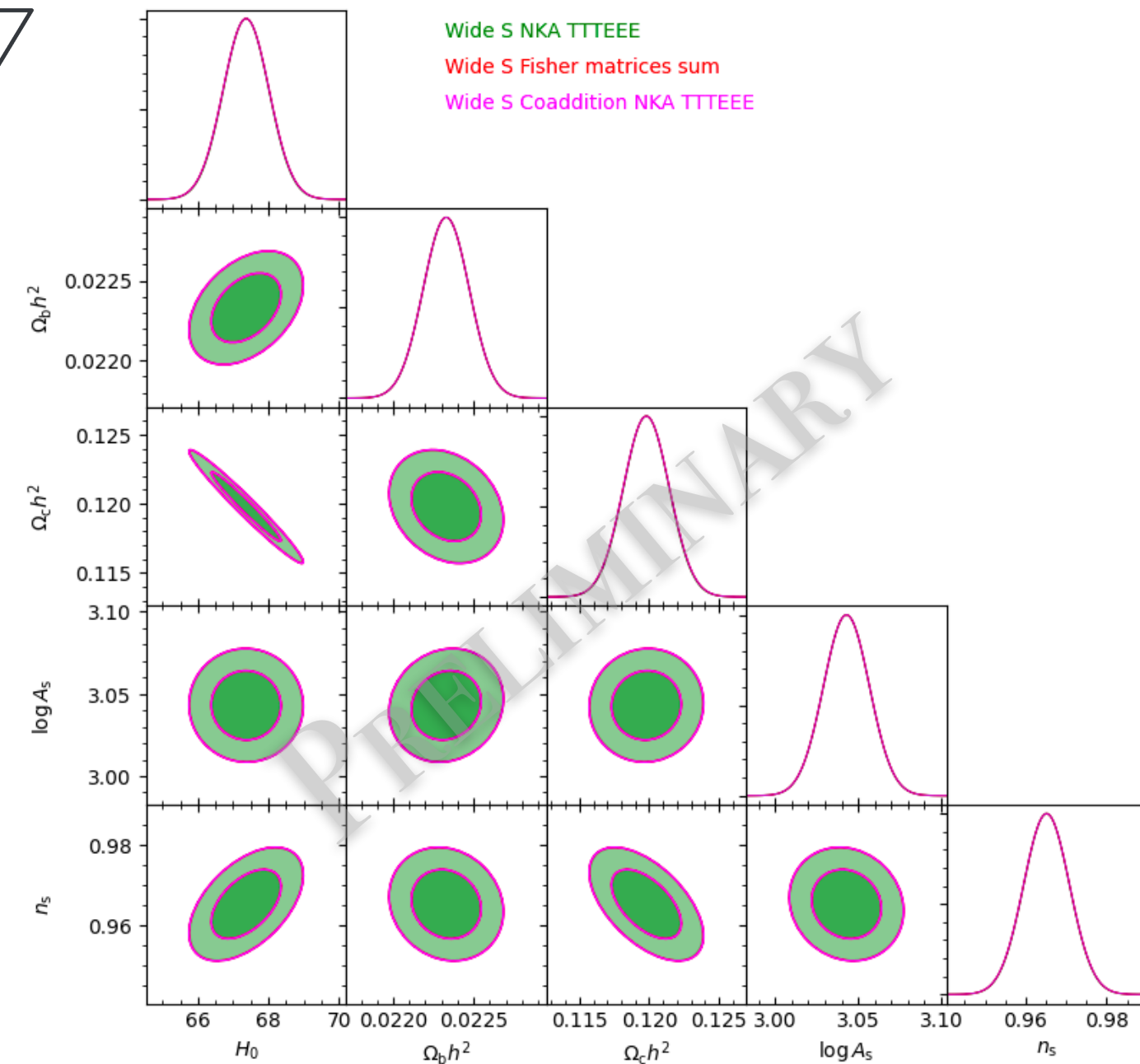
→ What we will probably do

# Fisher forecasting and parameters covariance matrix

- By comparing  $S_{\text{coadd}}$  with  $S$ , we observe less than a 2% relative difference in the cosmological parameters variance between the 2 analysis.



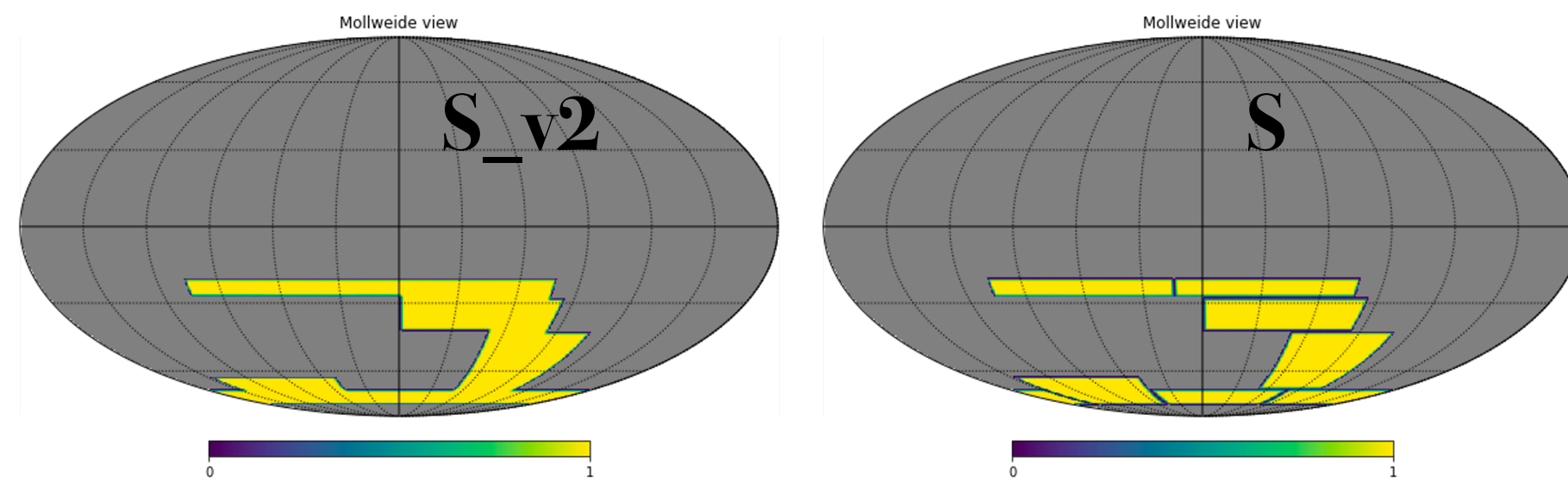
Balkenhol et al., 2024



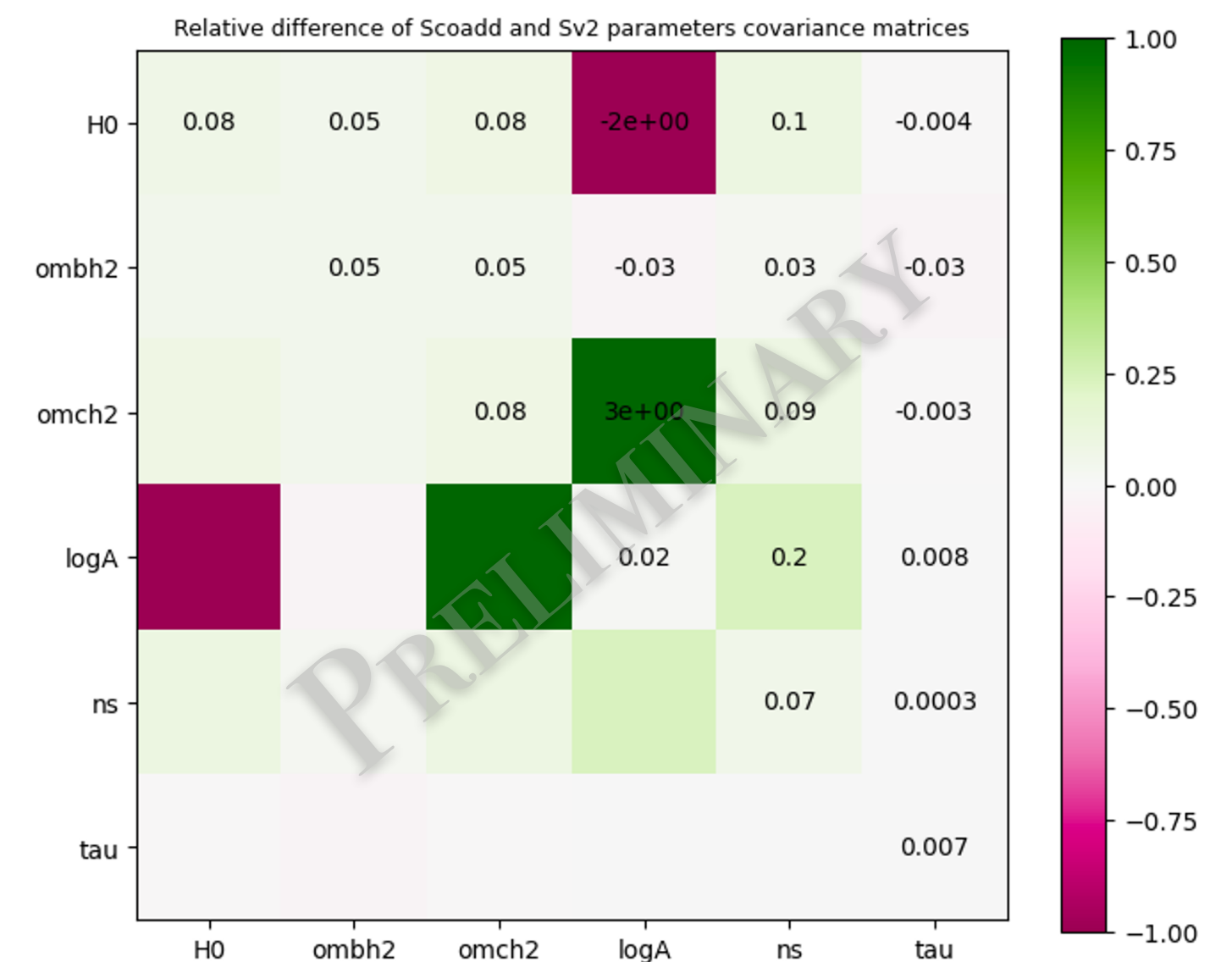
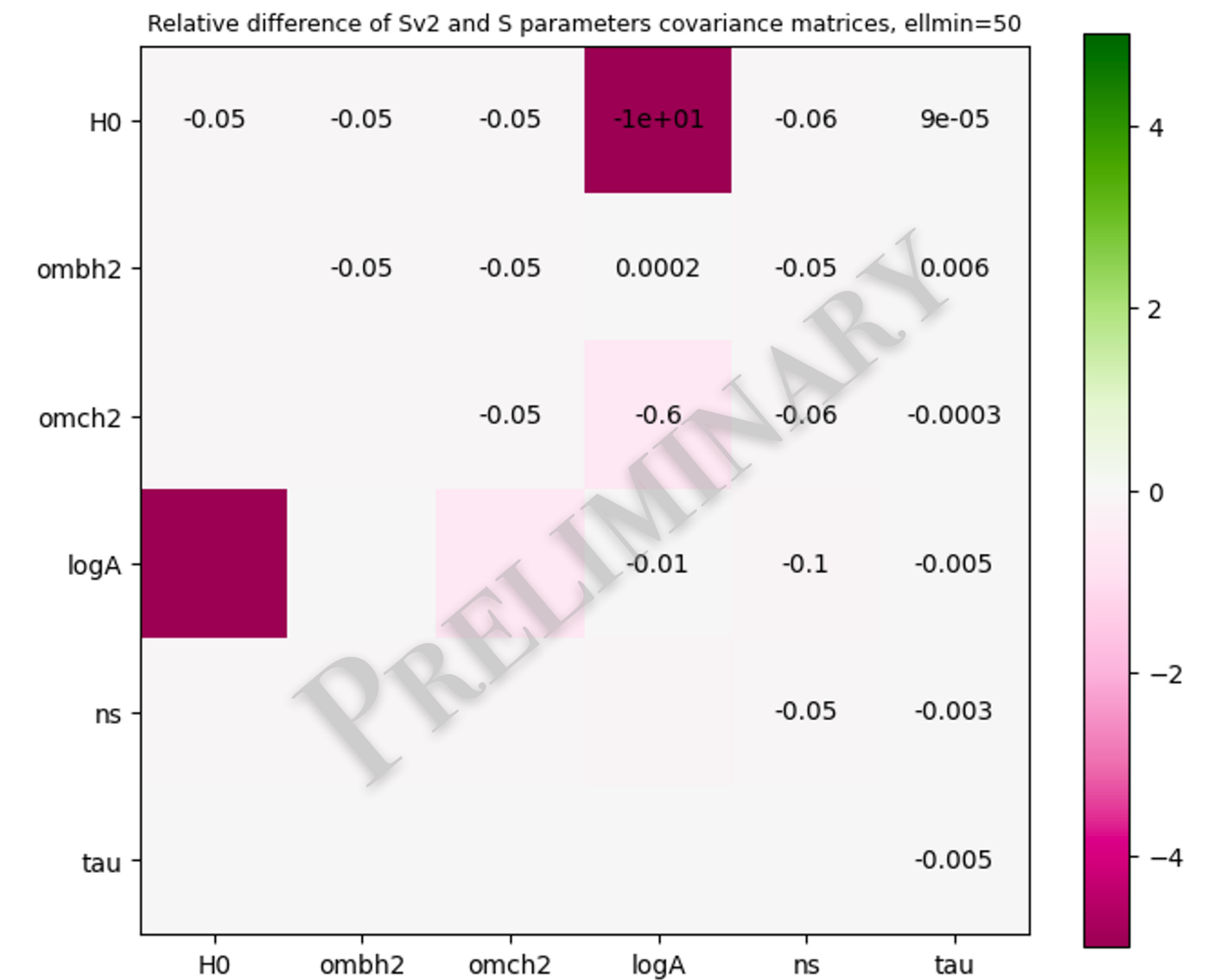
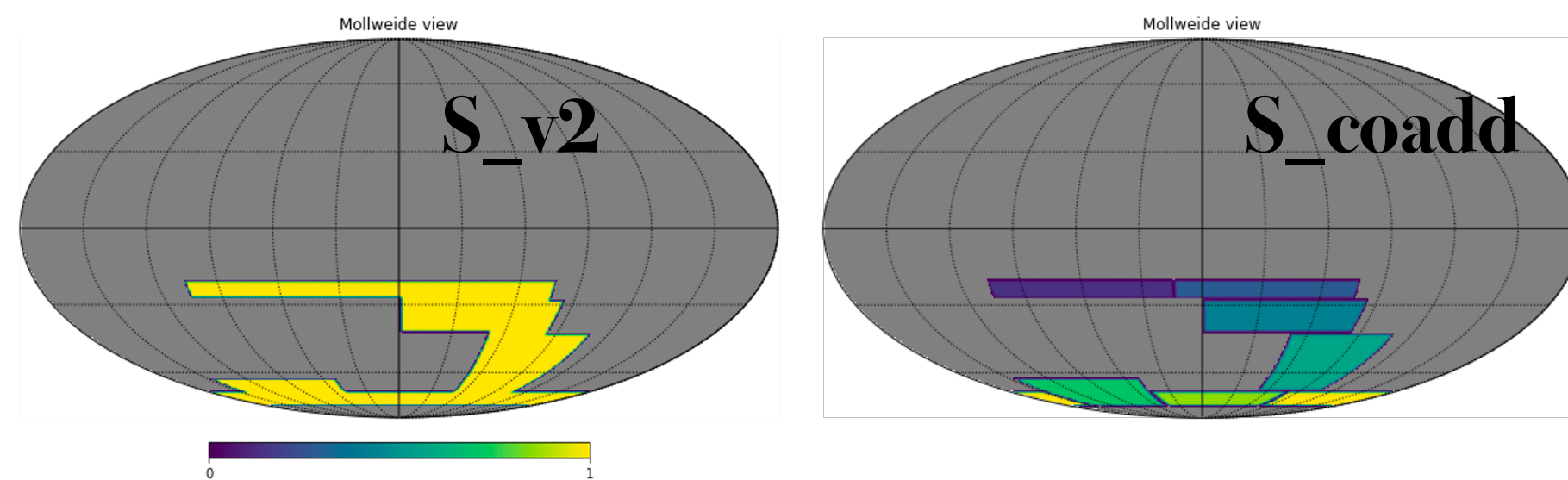
**For a same total fsky, the subdivision of the fields in the analysis leads to a 1% increase of error bars.**

# Fisher forecasting and parameters covariance matrix

- Comparison between  $S_{v2}$  and  $S$   
A 5% increase in the fsky value leads to a 2% decrease of error bars.



- Comparison between  $S_{coadd}$  and  $S_{v2}$   
In comparison with the best case scenario, the subdivision of the fields in the analysis leads to less than a 8% increase of parameters variance.

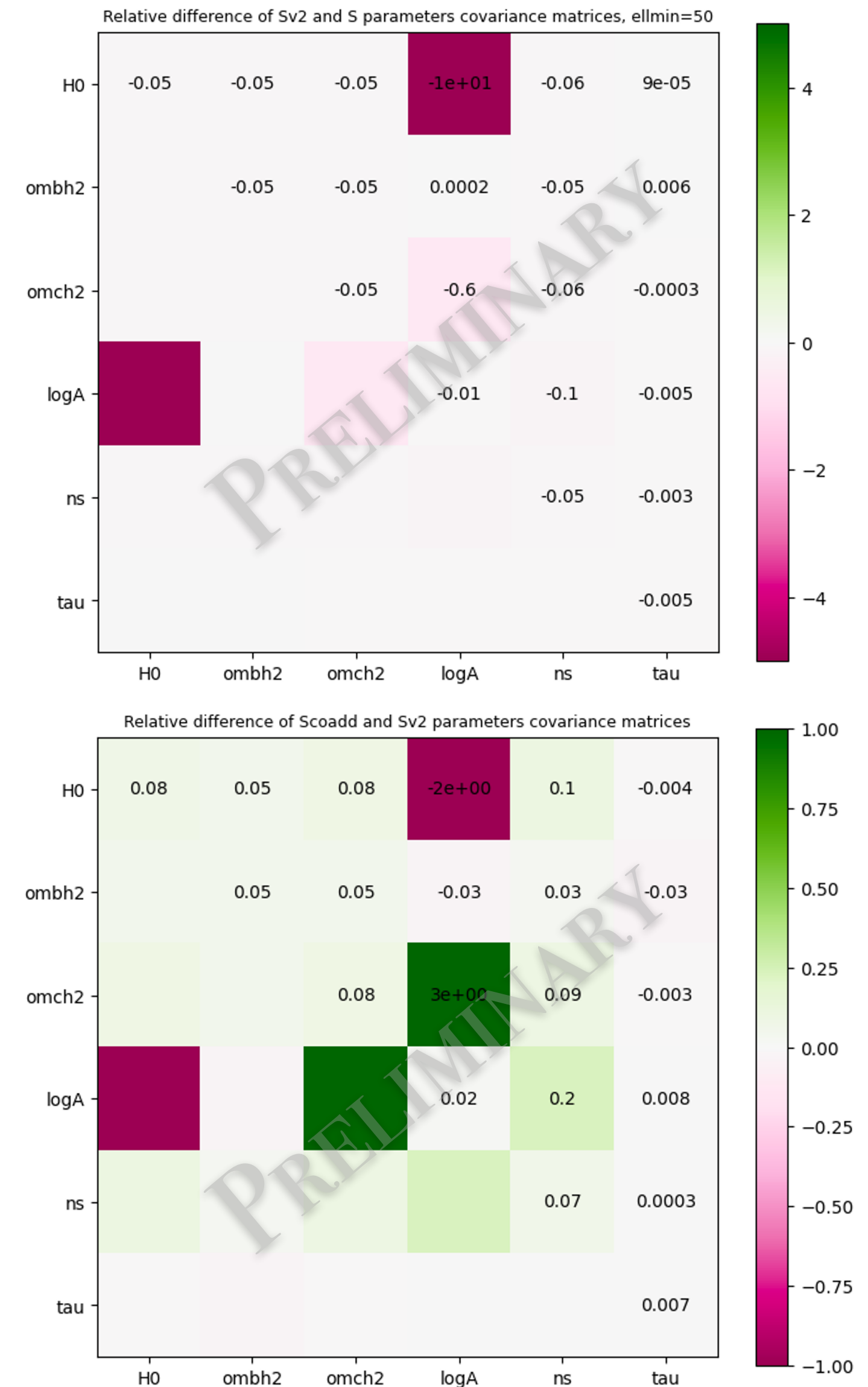


# Fisher forecasting and parameters covariance matrix

- Comparison between  $S_{v2}$  and  $S$   
A 5% increase in the fsky value leads to a 2% decrease of error bars.

- Comparison between  $S_{coadd}$  and  $S_{v2}$   
In comparison with the best case scenario, the subdivision of the fields in the analysis leads to less than a 8% increase of parameters variance.

➔ **Subdivision of the fields in the analysis leads to a 4% increase of error bars.**

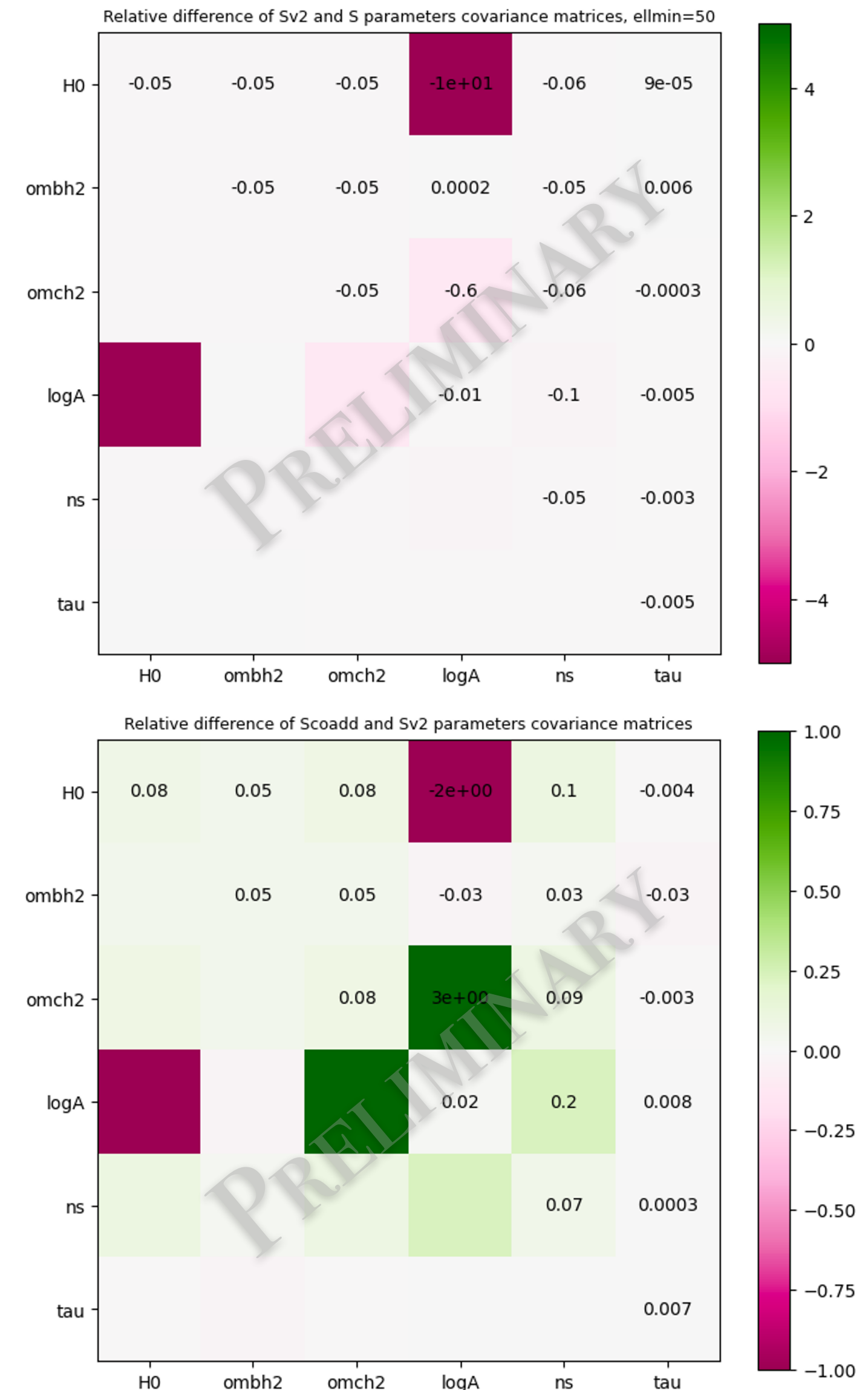


# Fisher forecasting and parameters covariance matrix

- Comparison between  $S_{v2}$  and  $S$   
A 5% increase in the fsky value leads to a 2% decrease of error bars.

- Comparison between  $S_{coadd}$  and  $S_{v2}$   
In comparison with the best case scenario, the subdivision of the fields in the analysis leads to less than a 8% increase of parameters variance.

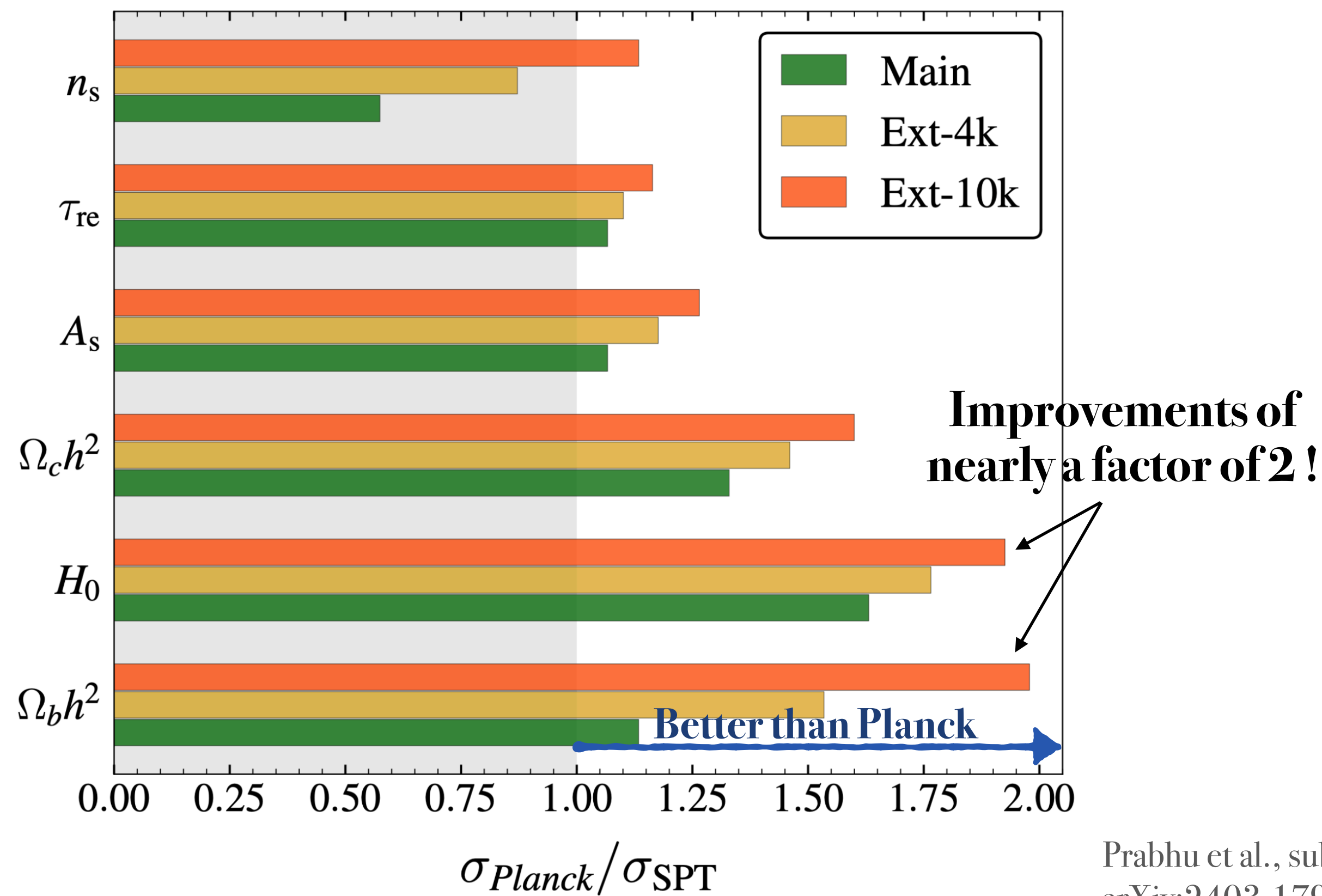
➔ Subdivision of the fields in the analysis leads to a 4% increase of error bars. **NEGLIGIBLE!**



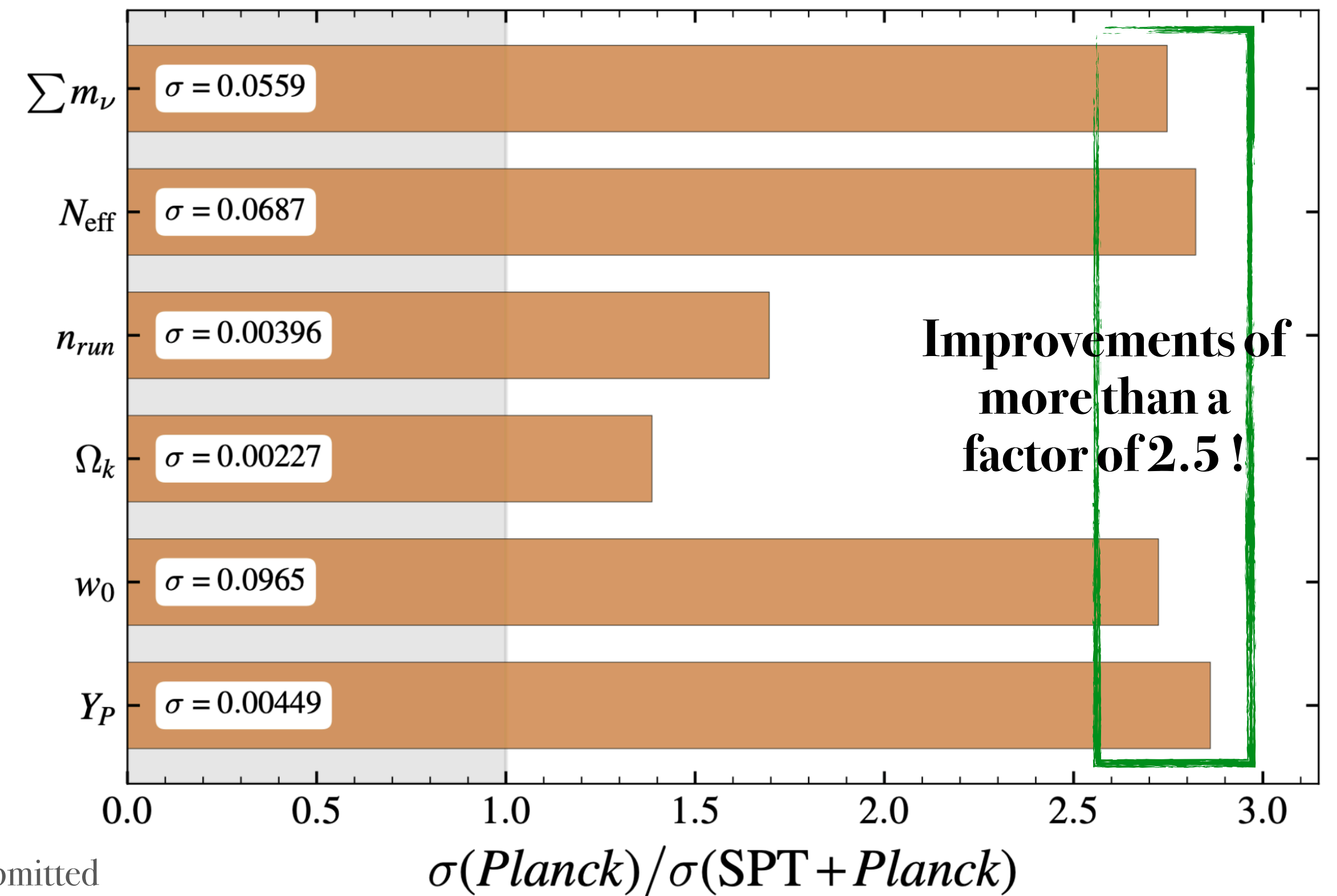
# Expected improvements on cosmological parameters

## Forecasts from SPT-3G Ext-10k survey

### ○ Constraints on $\Lambda$ CDM parameters



### ○ Constraints on single-parameter extensions to $\Lambda$ CDM



# Expected improvements on cosmological parameters

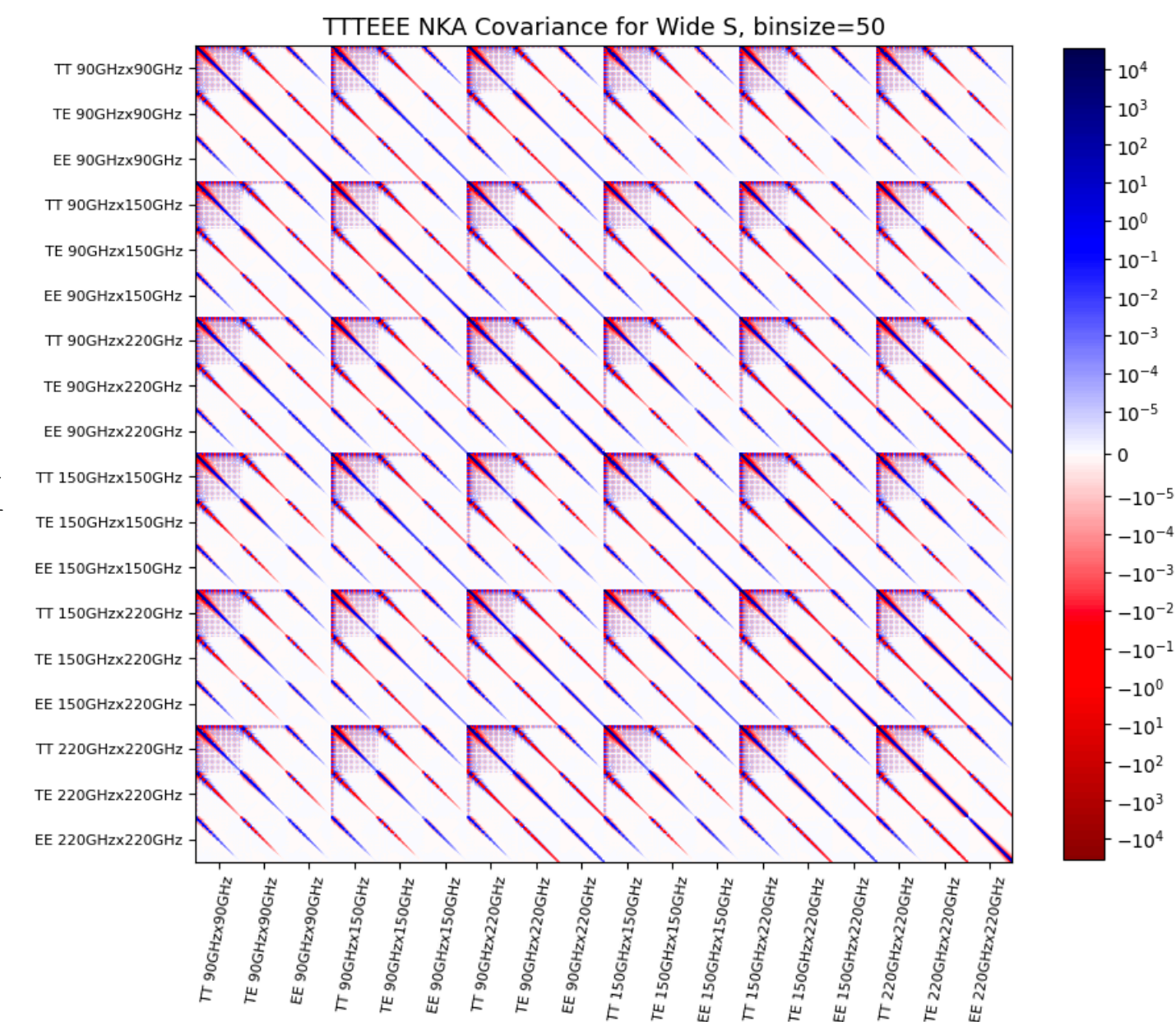
What will be my contribution ?

- ▶ Lead the different steps of the Wide field analysis to achieve these improvements.
- ▶ Build the Wide field likelihood using the expertise of the Winter and the Summer analysis.

$$\ln L(\theta) = -\frac{1}{2} \left( \hat{C} - C(\theta) \right)^T \Sigma^{-1} \left( \hat{C} - C(\theta) \right)$$

- Calibration
  - Transfer function
  - Point sources
  - Foregrounds

Covariance matrix



# Conclusion

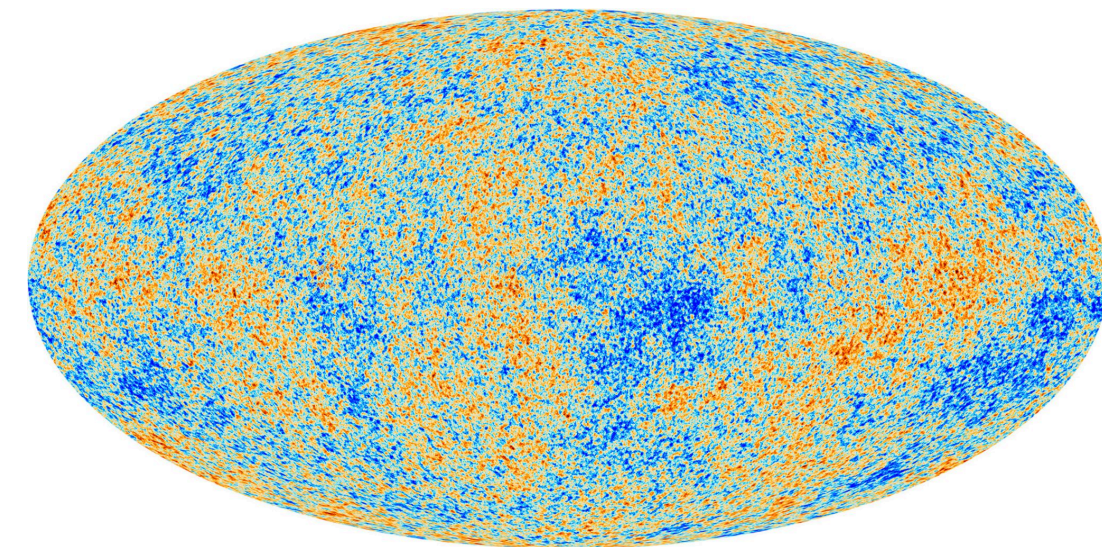
- SPT-3G Wide is a new field of observation covering 14% of the sky.
- We do not lose constraining power by analysing the subfields independently of each other
- SPT-3G Ext-10k forecasts show tighter constraints on all  $\Lambda$ CDM parameters than the ones from Planck.
- Constraints on  $H_0$  should be improved by almost a factor of 2 !



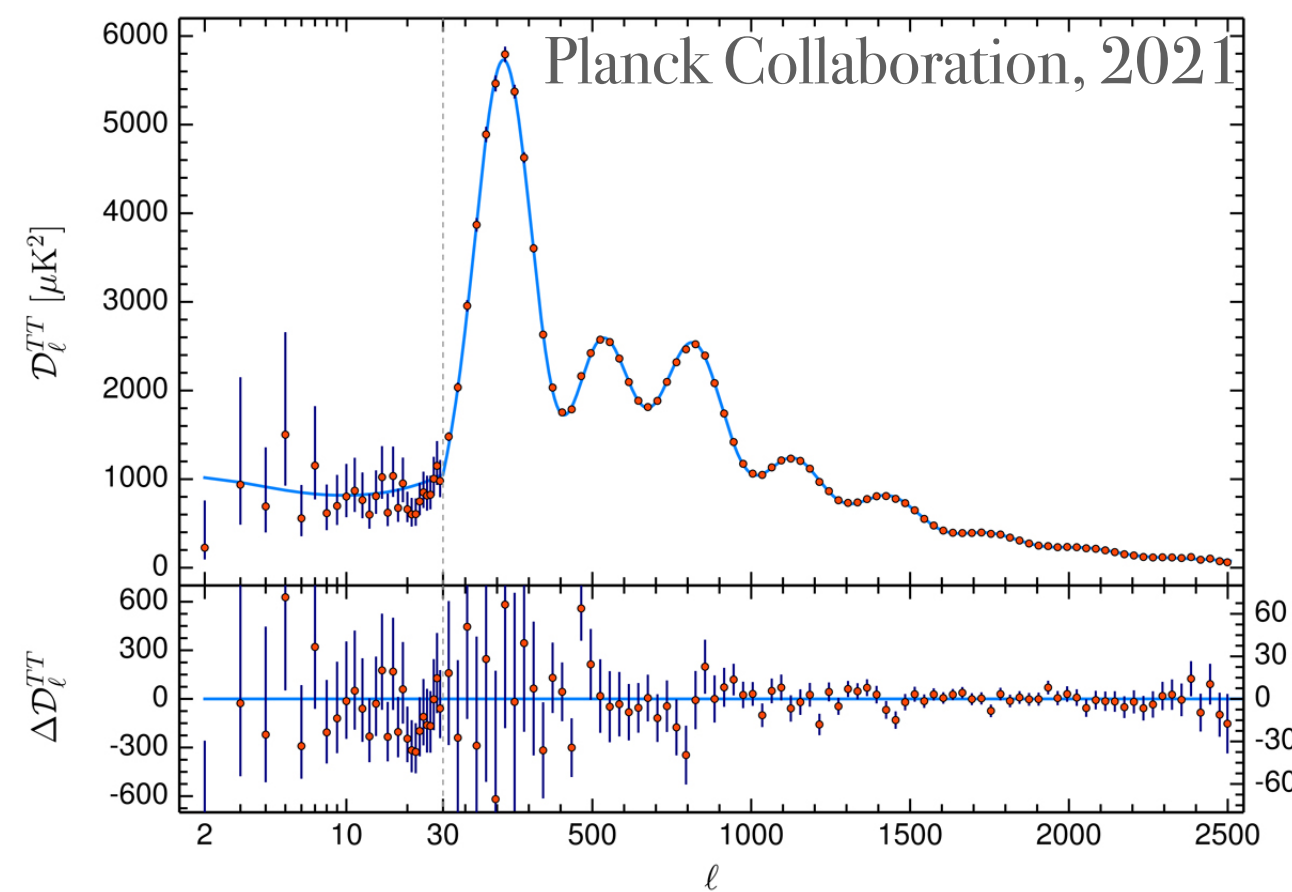
**Back-up slides**

# Impact of a masked sky on the power spectrum analysis

○ On the full sky



Credit: ESA and Planck Collaboration



$$\Theta(\hat{n}) = \sum_{\ell m} a_{\ell m} Y_{\ell m}(\hat{n})$$

$$a_{\ell m} = \int d\hat{n} \Theta(\hat{n}) Y_{\ell m}^*(\hat{n})$$

$$\hat{C}_\ell = \frac{1}{2\ell + 1} \sum_{m=-\ell}^{\ell} a_{\ell m} a_{\ell m}^*$$

Cosmological parameters

$$\ln L(\theta) = -\frac{1}{2} \left( \hat{C} - C(\theta) \right)^T \Sigma^{-1} \left( \hat{C} - C(\theta) \right)$$

○ When using a mask W

$$\Theta(\hat{n}) \longrightarrow \Theta(\hat{n})W(\hat{n})$$

$$a_{\ell m} \longrightarrow \tilde{a}_{\ell m} = \int d\hat{n} \Theta(\hat{n}) W(\hat{n}) Y_{\ell m}^*(\hat{n})$$

$$\hat{C}_\ell \longrightarrow \tilde{C}_\ell$$

What we want to know!

$$\text{and } \langle \tilde{C}_\ell \rangle = \sum_{\ell'} M_{\ell\ell'} C_{\ell'}^{th} \text{ Hivon et al., 2002}$$

Problem : The inversion of the matrix M is impossible.  
Solution : The Polspice program goes to real space and introduces a function  $f(\Delta\theta)$  which avoids ringing in the multipole space.

$$f(\Delta\theta) = \frac{1}{2} \left( 1 + \cos \left( \frac{\pi \Delta\theta}{\sigma} \right) \right) \quad \Delta\theta : \text{angular separation in the sky}$$

↑  
apodizesigma

☑ Determination of the value of apodizesigma which allows to recover the less biased CMB power spectra in each field.

