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PARIS-SACLAY

# A global picture of the Epoch of Reionisation

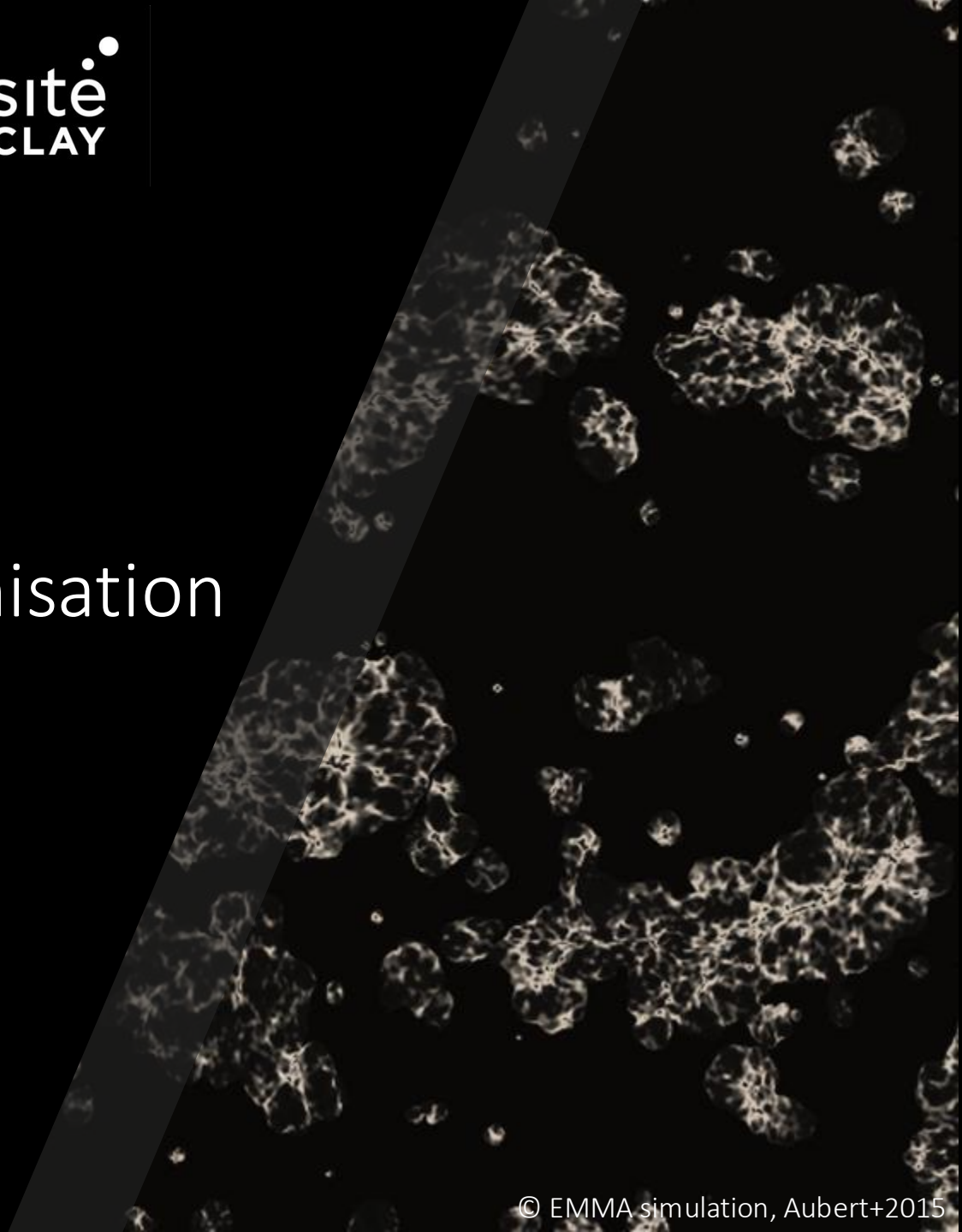
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Adélie Gorce

▶ AstroParticle Symposium

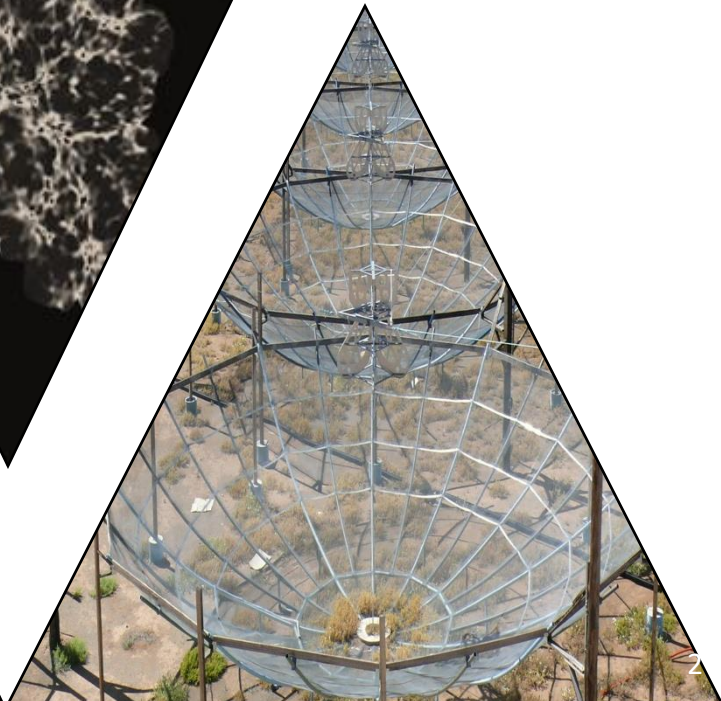
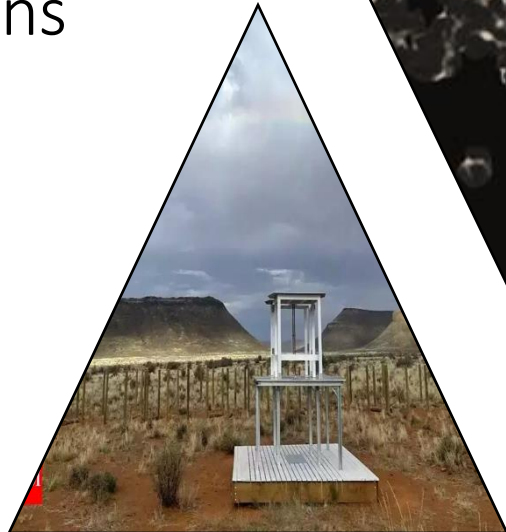
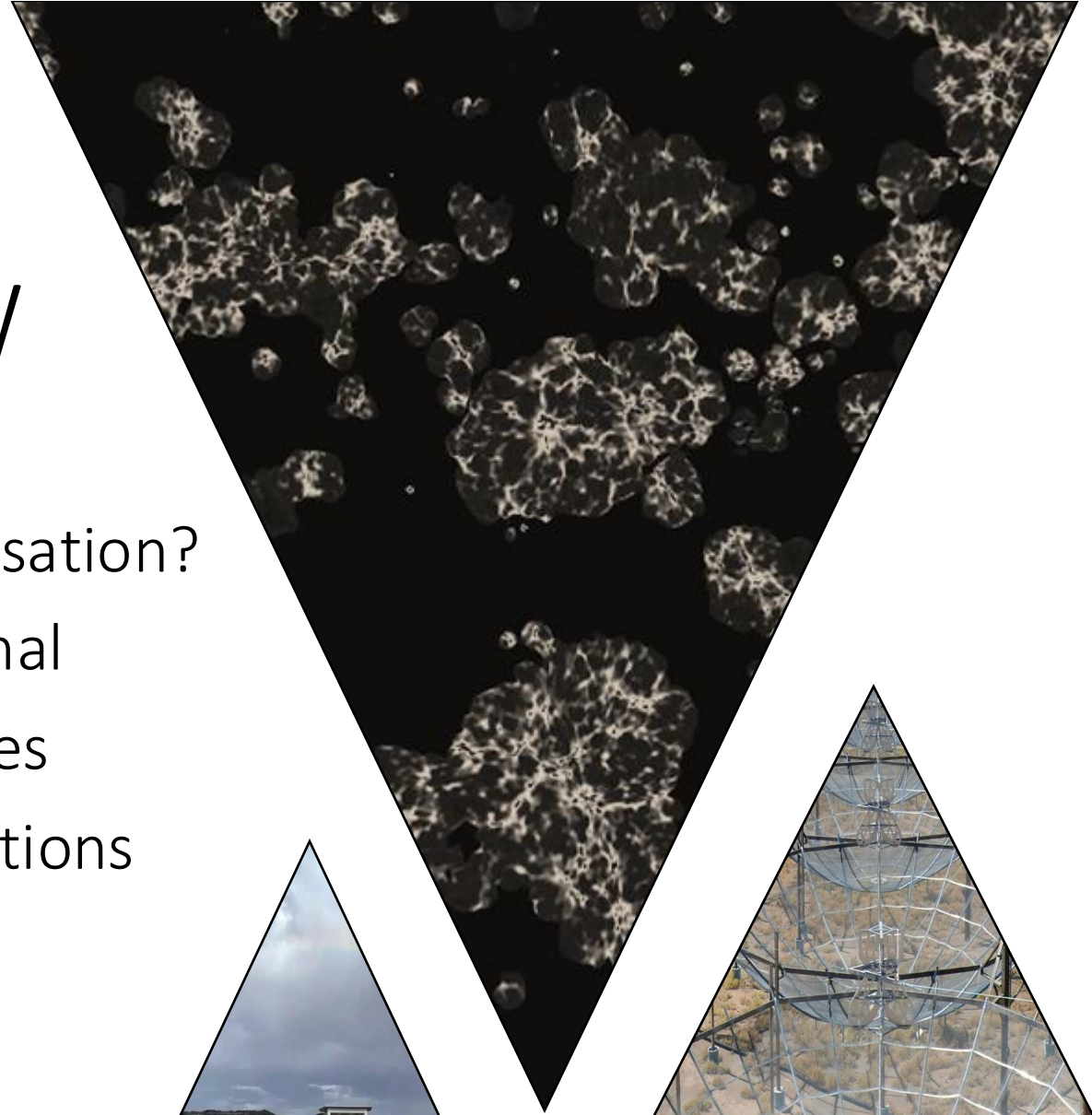
18/11/2024

© EMMA simulation, Aubert+2015

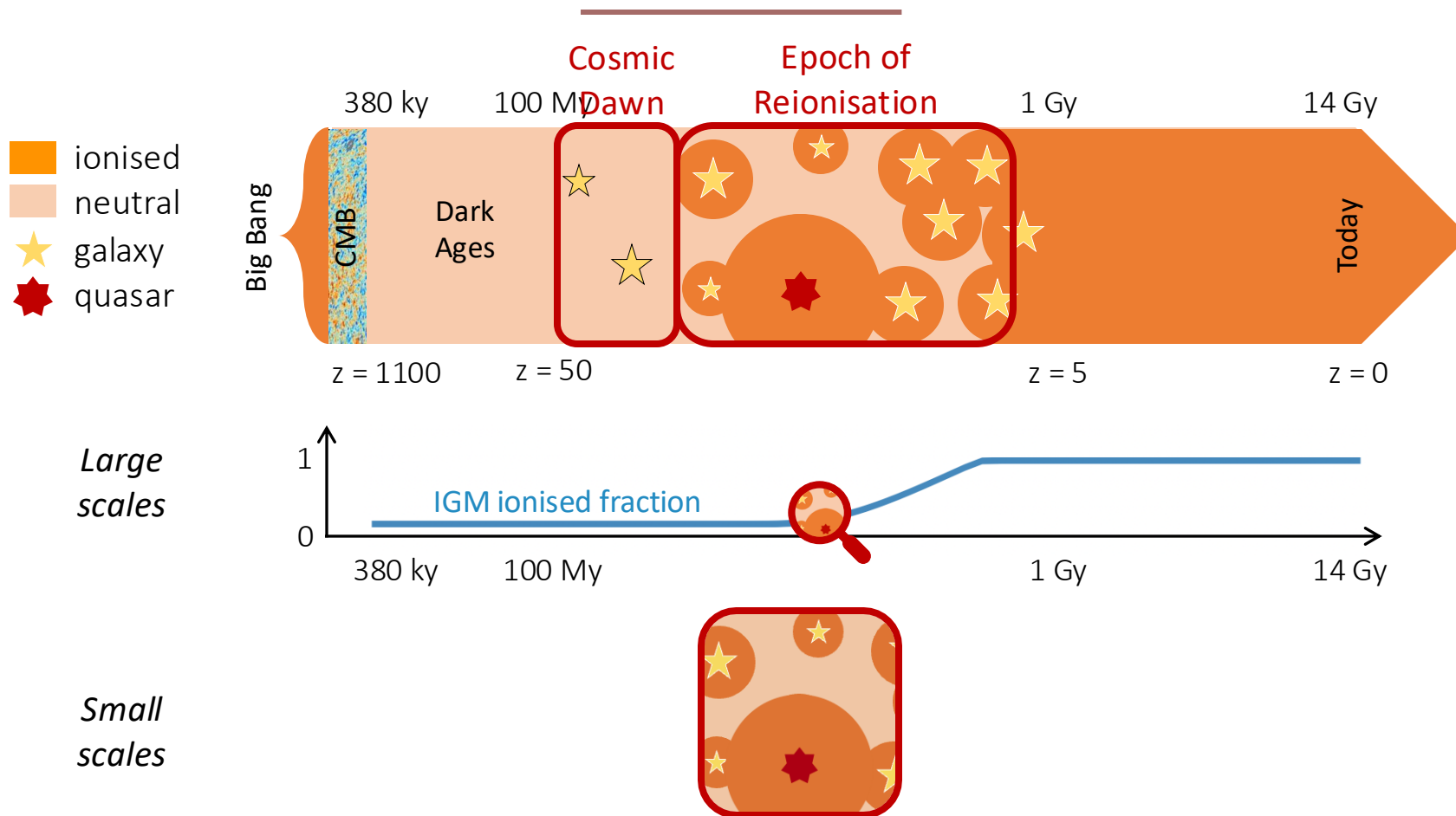


# OVERVIEW

- I. Introduction:  
What is reionisation?
- II. The 21cm signal
- III. CMB signatures
- IV. Data combinations

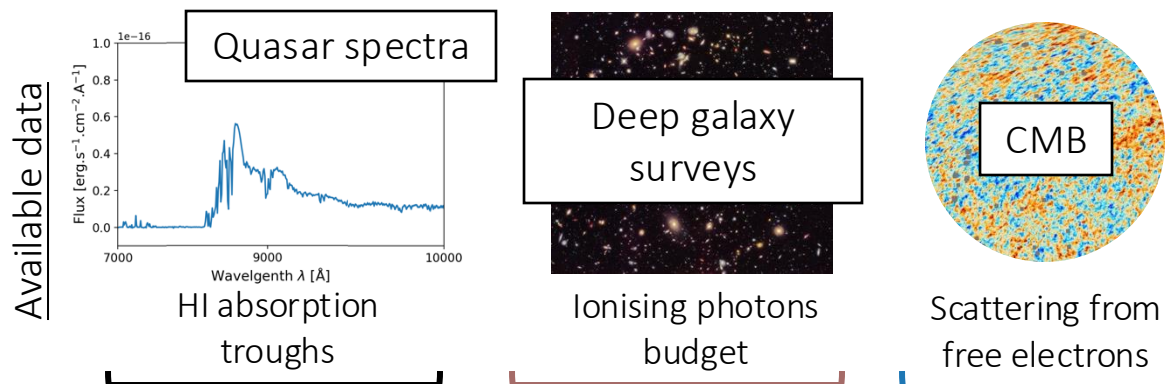


# Reionisation & Cosmic Dawn

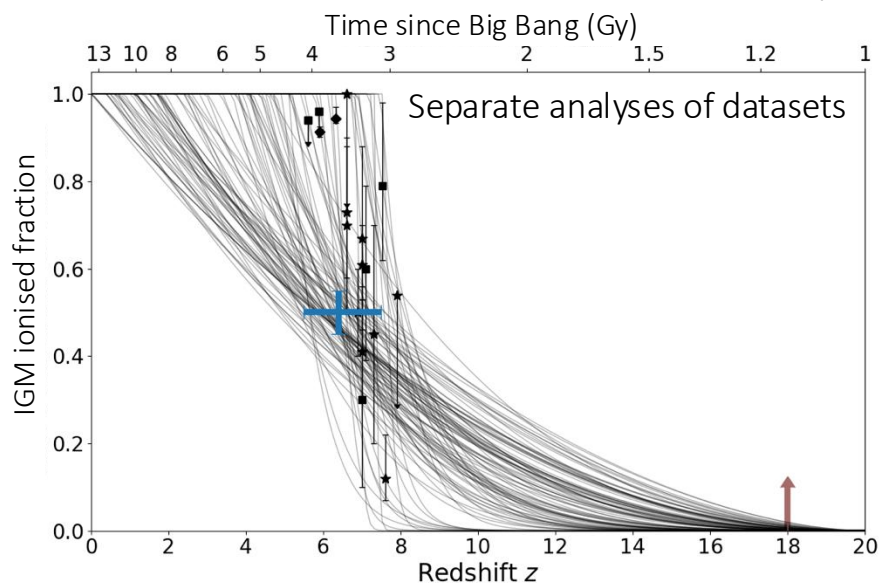


The chronology & topology of reionisation can shed light on the nature of the first stars, the formation of galaxies, the density of the IGM...

# Understanding reionisation



## Current constraints on reionisation history

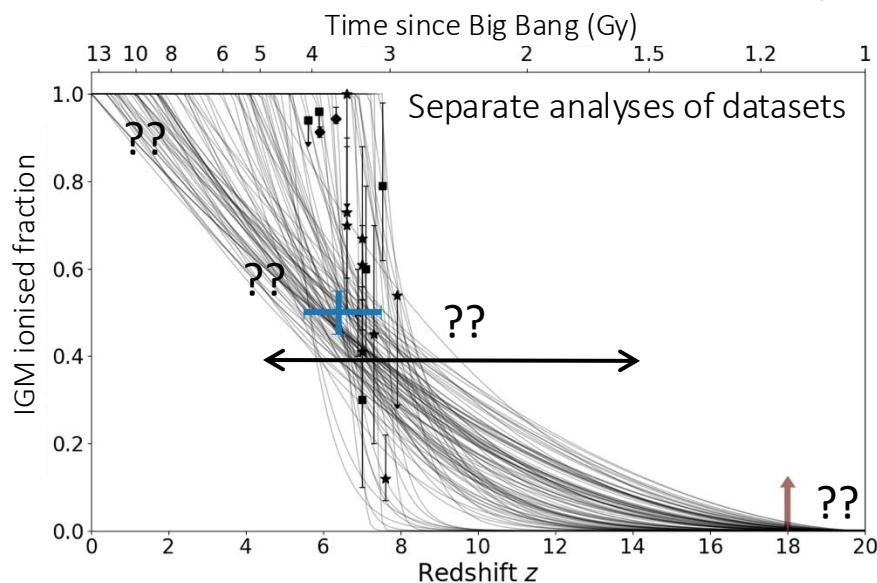


# Understanding reionisation

So what do (we think) we know so far?

- Starts slowly around redshift 15-20?
- Reaches 50% ionisation around  $z = 7$ ?
- Ends  $z < 6$ ?
- Lasts for 0.5-1Gy?

Current constraints on reionisation history



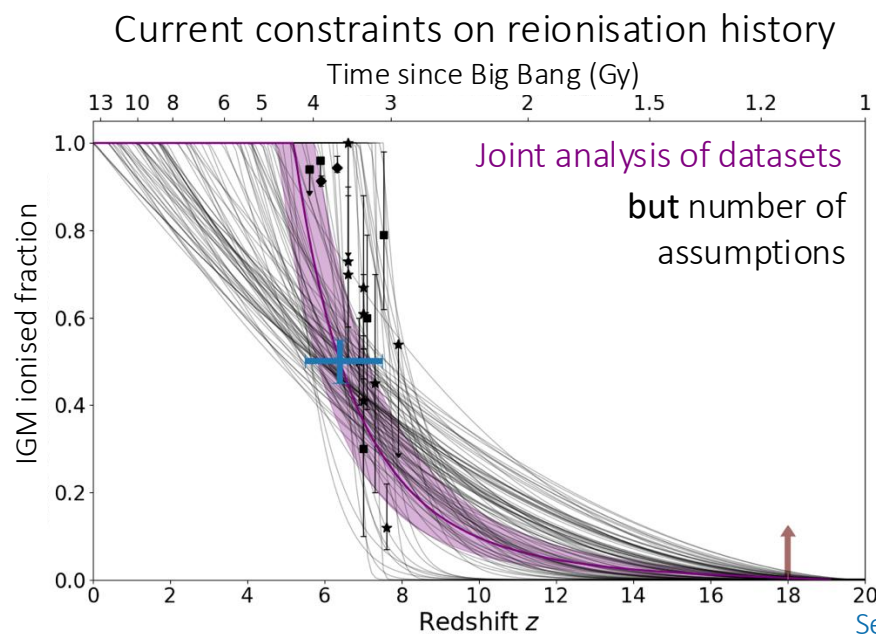
# Understanding reionisation

So what do (we think) we know so far?

Not that much...

How can we do better?

1. By combining data sets





# Understanding reionisation

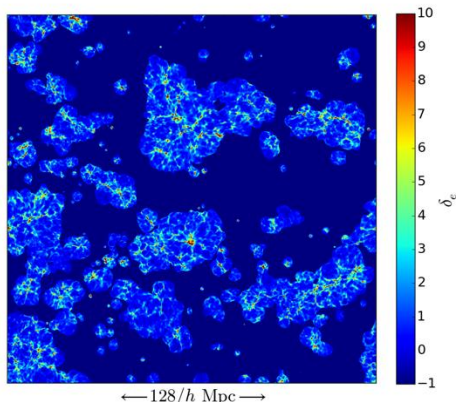
So what do (we think) we know so far?

Not that much...

How can we do better?

1. By combining data sets
2. By working on our theoretical understanding of reionisation

With simulations...



21CMFAST, BEoRN, LICORICE,  
EMMA, CODA, C2-ray ...

Or analytical models...

See, e.g., Furlanetto+2004,  
Gorce+2020, Schneider+2020,  
Mirocha+2022, Muñoz 2023,  
Georgiev+2024...

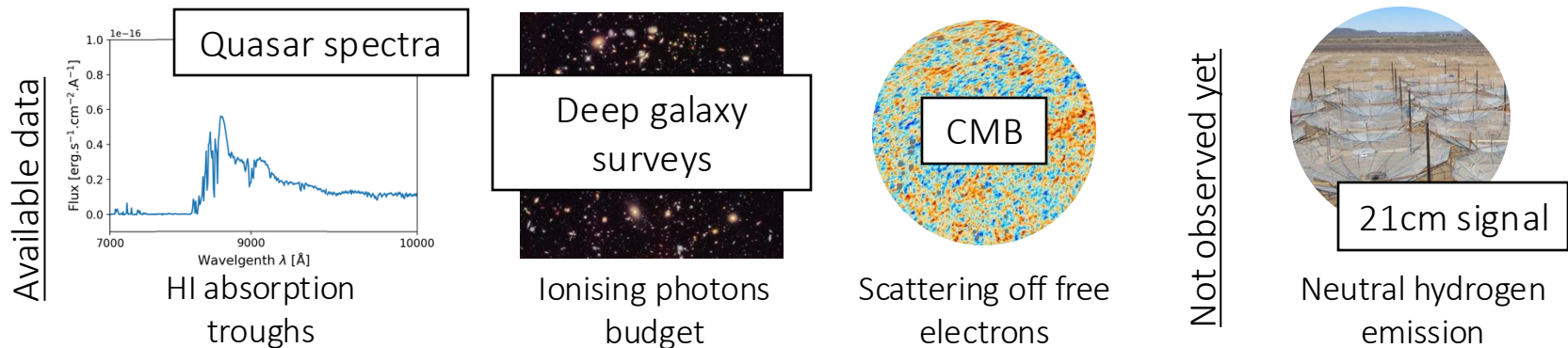
# Understanding reionisation

So what do we know so far?

Not that much...

How can we do better?

1. By combining data sets
2. By working on our theoretical understanding of reionisation
3. By finding direct observables

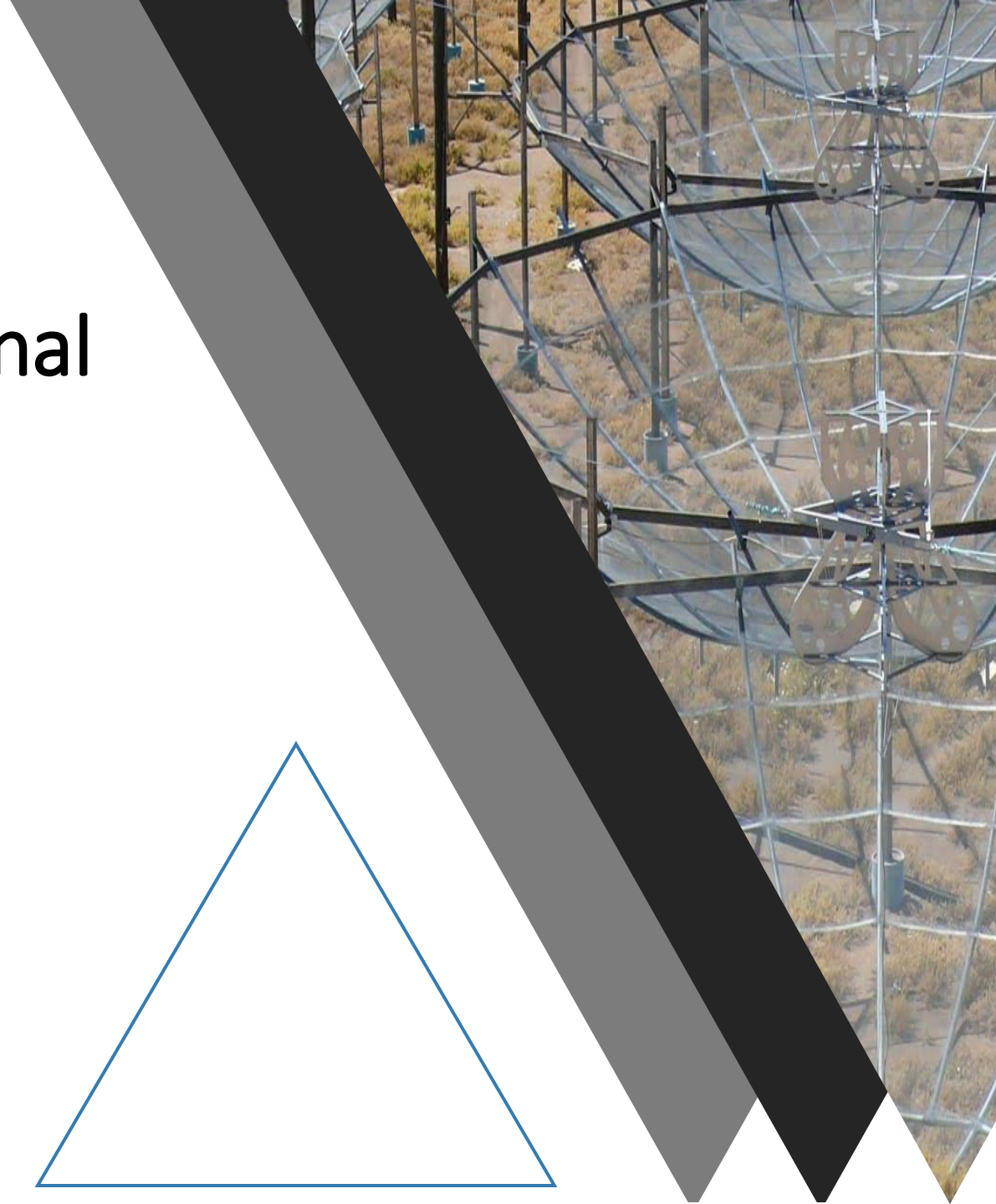
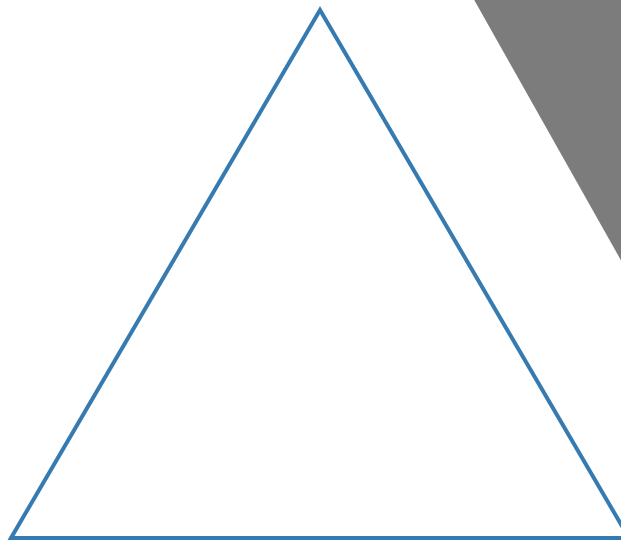




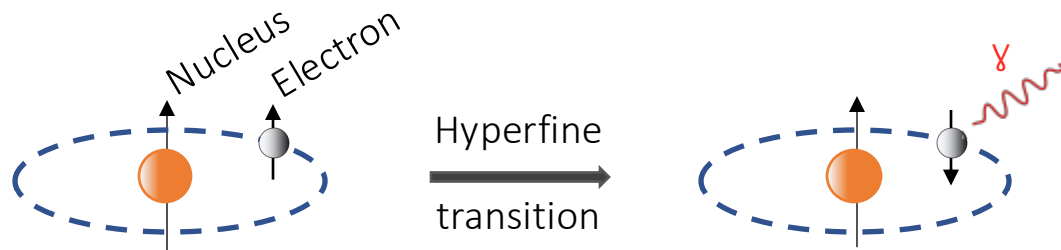


# The 21cm signal

*Following reionisation  
redshift by redshift*

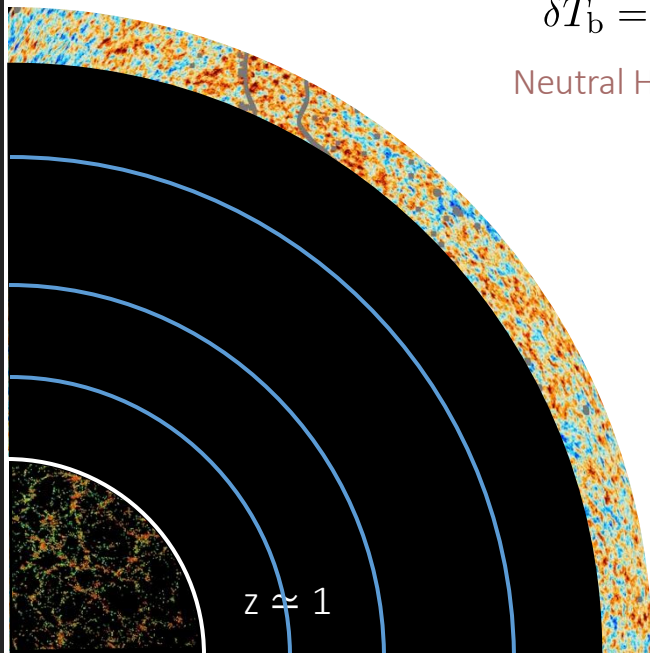


# The 21cm signal



$\lambda = 21 \text{ cm}$   
Redshifted to radio frequencies

$$\delta T_b = T_0(z) \underbrace{(x_{\text{H}})}_{\text{Neutral H fraction}} \underbrace{(1 + \delta_b)}_{\text{Baryon density}} \left[ 1 - \frac{T_{\text{CMB}}}{T_S} \right]$$



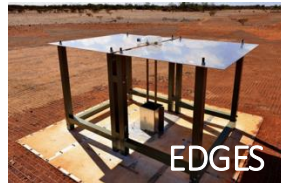
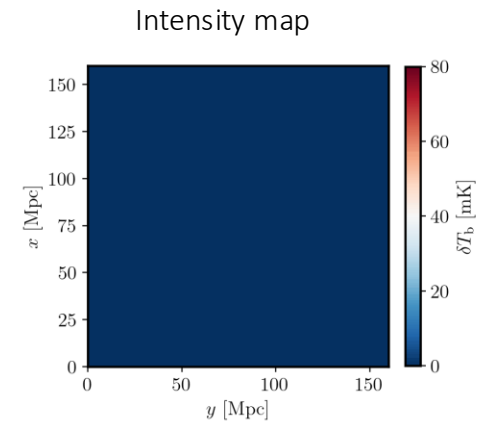
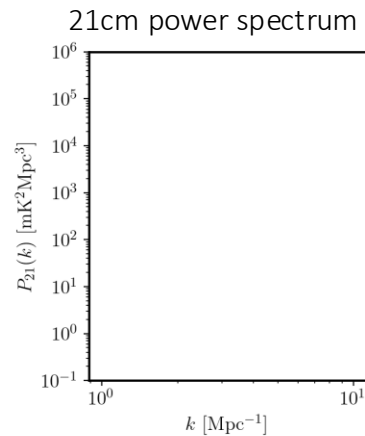
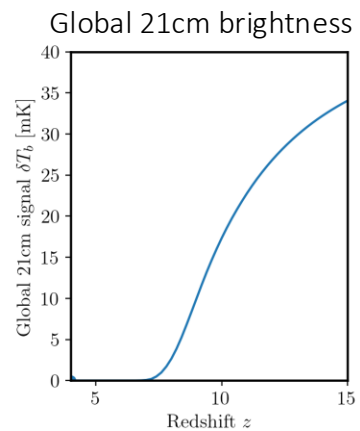
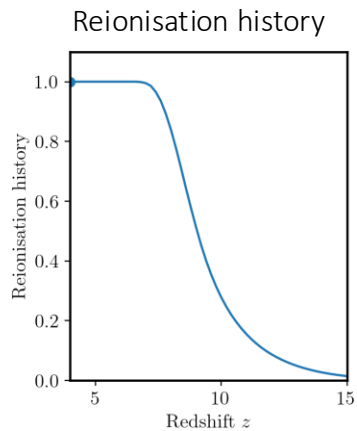
With the 21cm signal, we can map the Universe at any redshift and follow the growth of ionisation bubbles.

Picture adapted from C. Chiang

# The 21cm signal

The 21cm signal contains information about

- the global history of reionisation

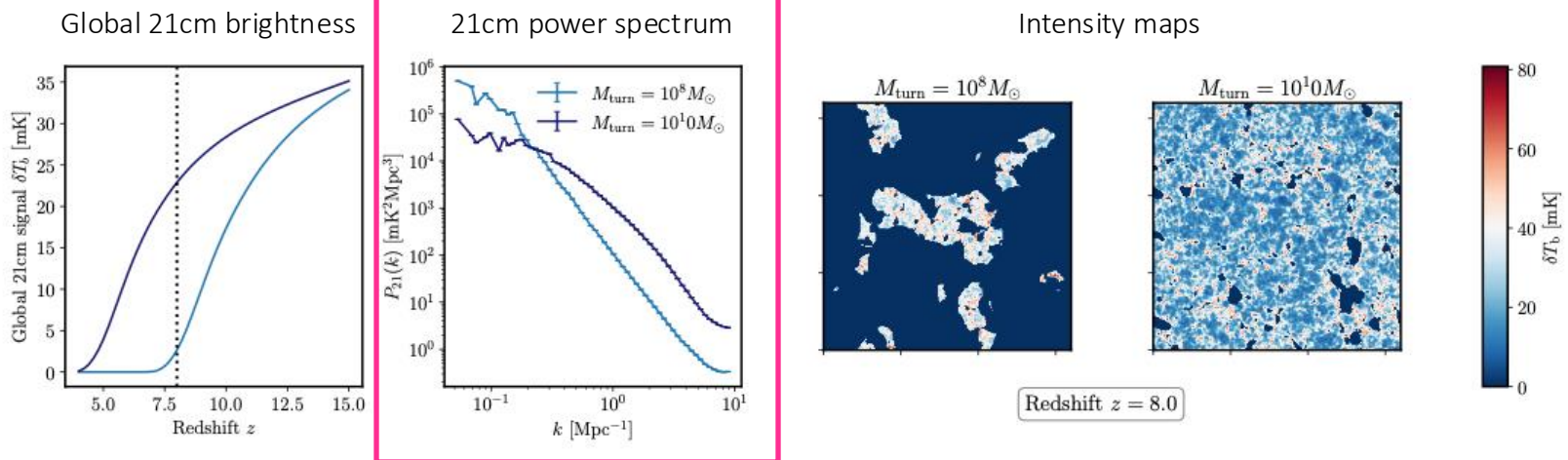


# The 21cm signal

The 21cm signal contains information about

- the global history of reionisation
- the properties of the early Universe and galaxies

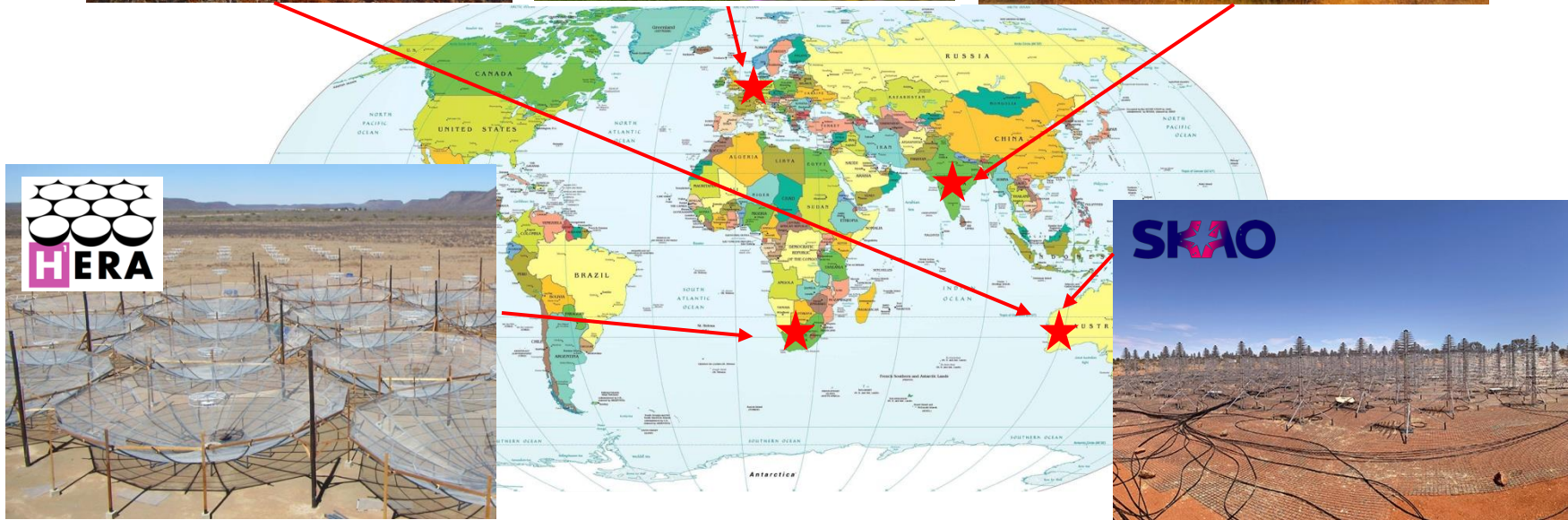
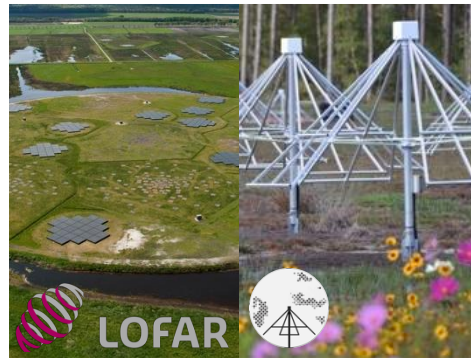
For different minimal halo mass required for the hosted galaxy to produce ionising photons:





# Radio interferometers around the world

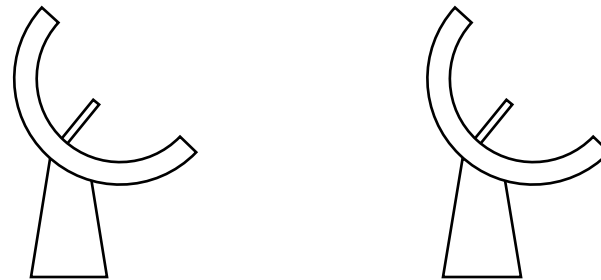
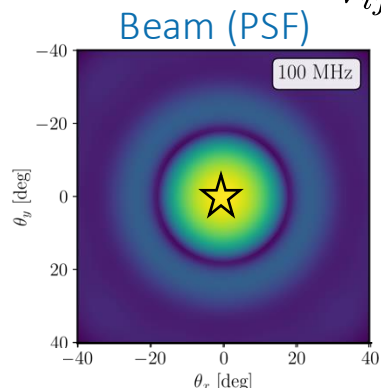
A world-wide effort...



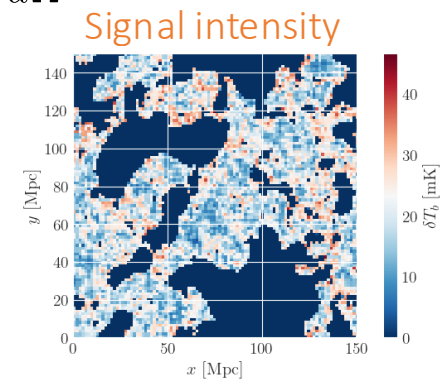
# Interferometry 101

Interferometers measure *visibilities* i.e. Fourier modes on the sky

$$V_{ij}(\nu) = \int B_{ij}(\hat{\mathbf{r}}, \nu) I(\hat{\mathbf{r}}, \nu) \exp \left[ -2\pi i \frac{\nu}{c} \mathbf{b}_{ij} \cdot \hat{\mathbf{r}} \right] d\Omega$$



Baseline length  $b_{ij}$   
is the Fourier dual of the sky angle  
( $k_{\perp}$ )



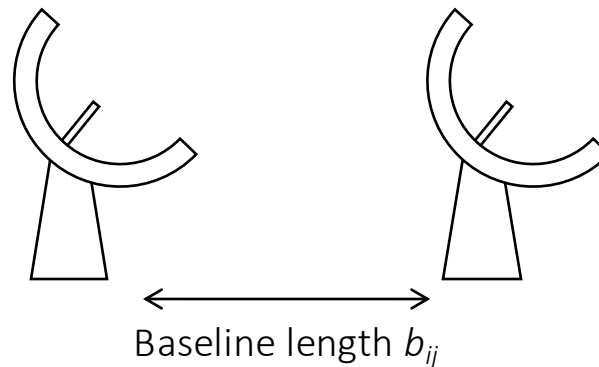
An estimator of the power spectrum is built directly from the visibilities:  $\hat{P}(\mathbf{k}) \propto \left\langle \left| \tilde{V}_{ij}(\nu) \right|^2 \right\rangle$



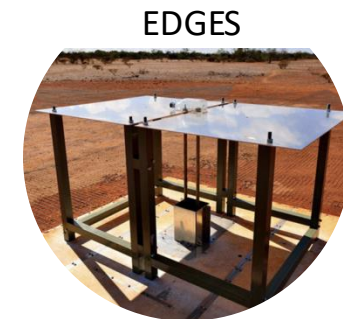
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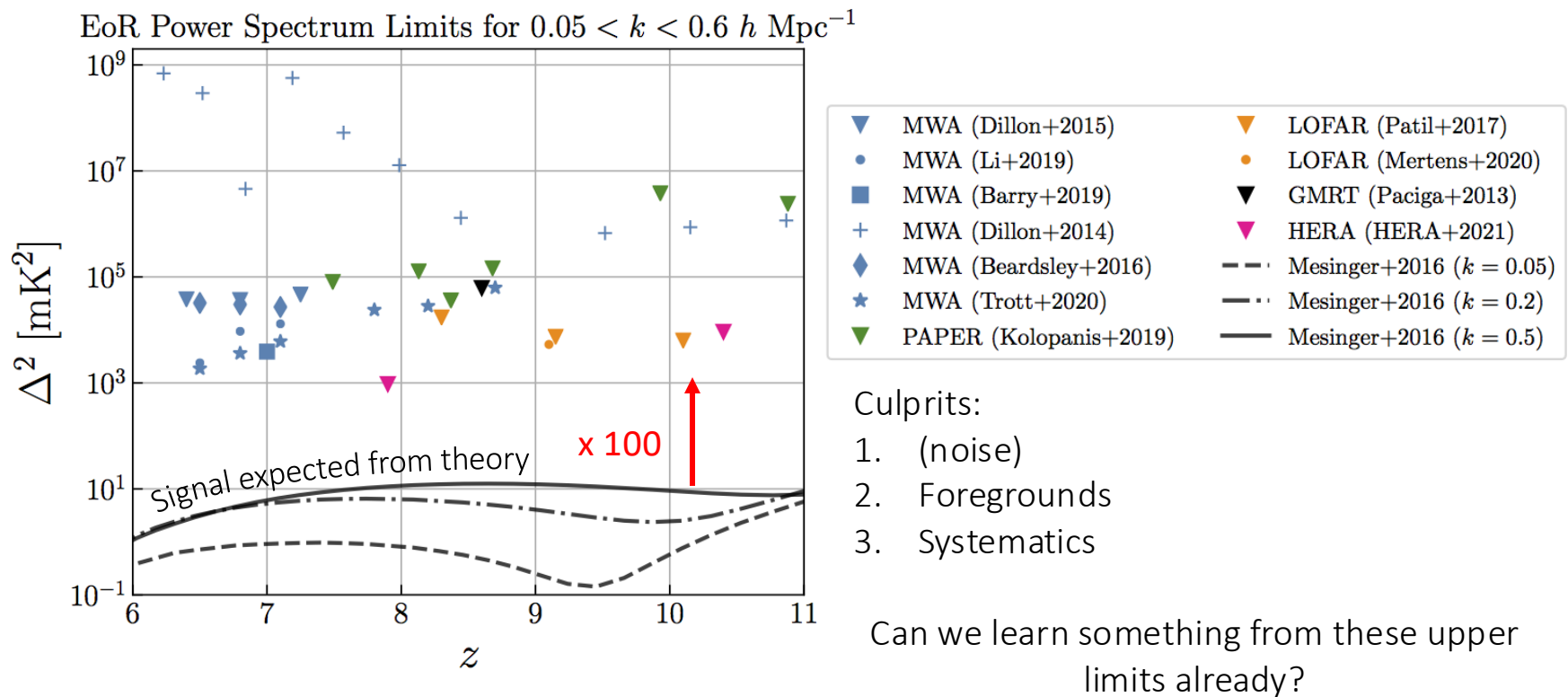


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- Dense arrays measure large-scale fluctuations (e.g. EDGES' "table")
- Wide arrays measure small-scale fluctuations (e.g. HERA)

# Upper limits on the high- $z$ power spectrum

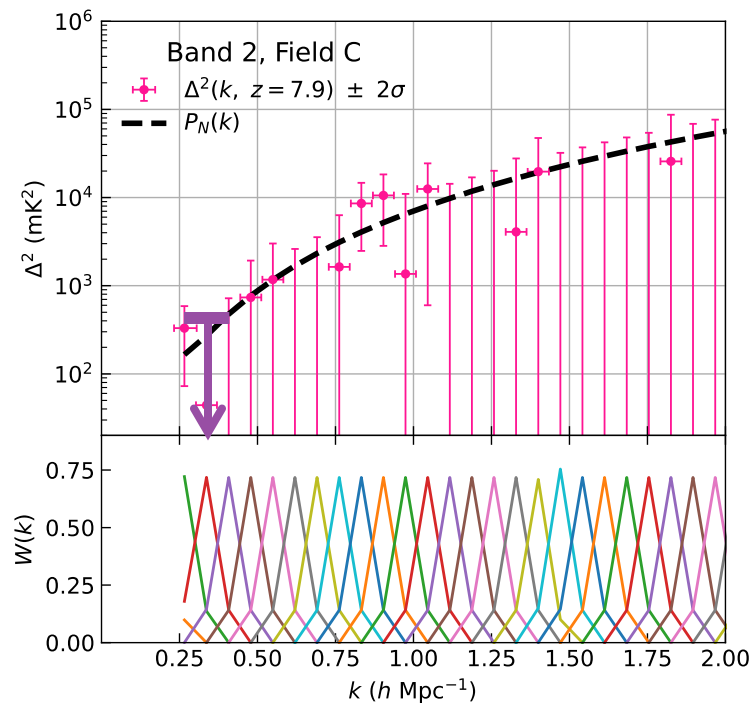
... which has only led to upper limits so far.



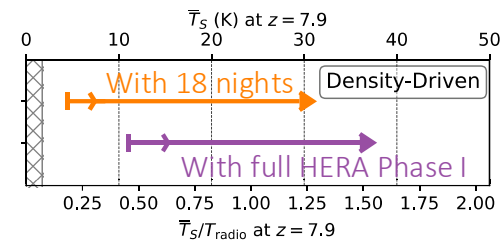
Barry+2022

# Upper limits on the high-z power spectrum

- Lowest upper limits on the 21cm power spectrum from HERA
- Measurements at  $z = 7.9$  and  $z = 10.4$
- Results consistent with noise



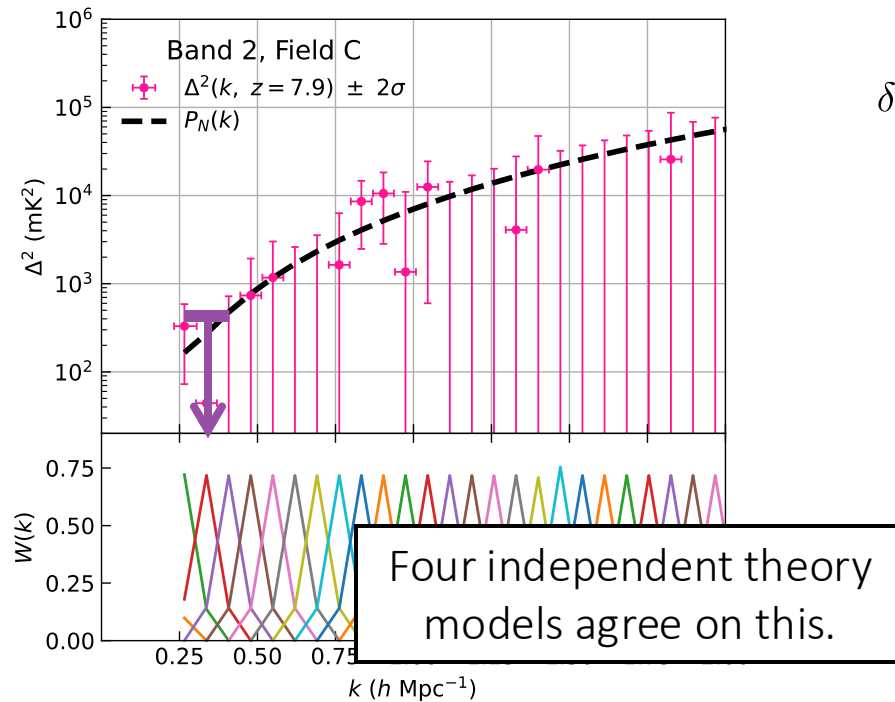
$$\delta T_b = T_0(z) x_{\text{HI}} (1 + \delta_b) \left[ 1 - \frac{T_{\text{CMB}}}{T_s} \right]$$



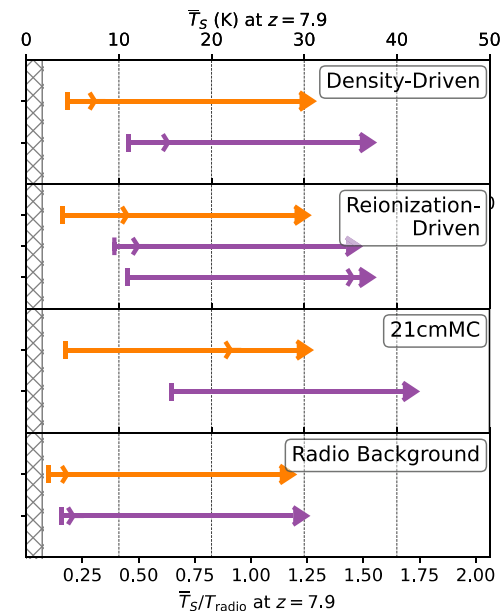
The IGM was heated by  $z = 10.4$ , likely by high-mass X-ray binaries

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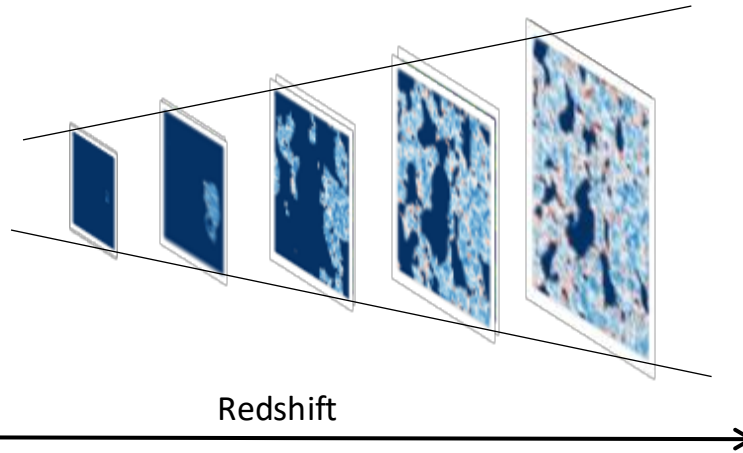


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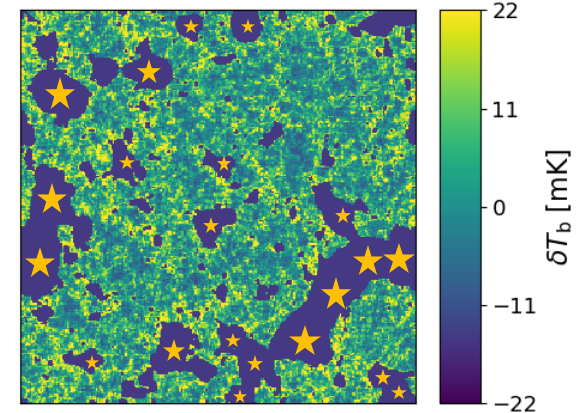
# 21cm intensity mapping

SKAO

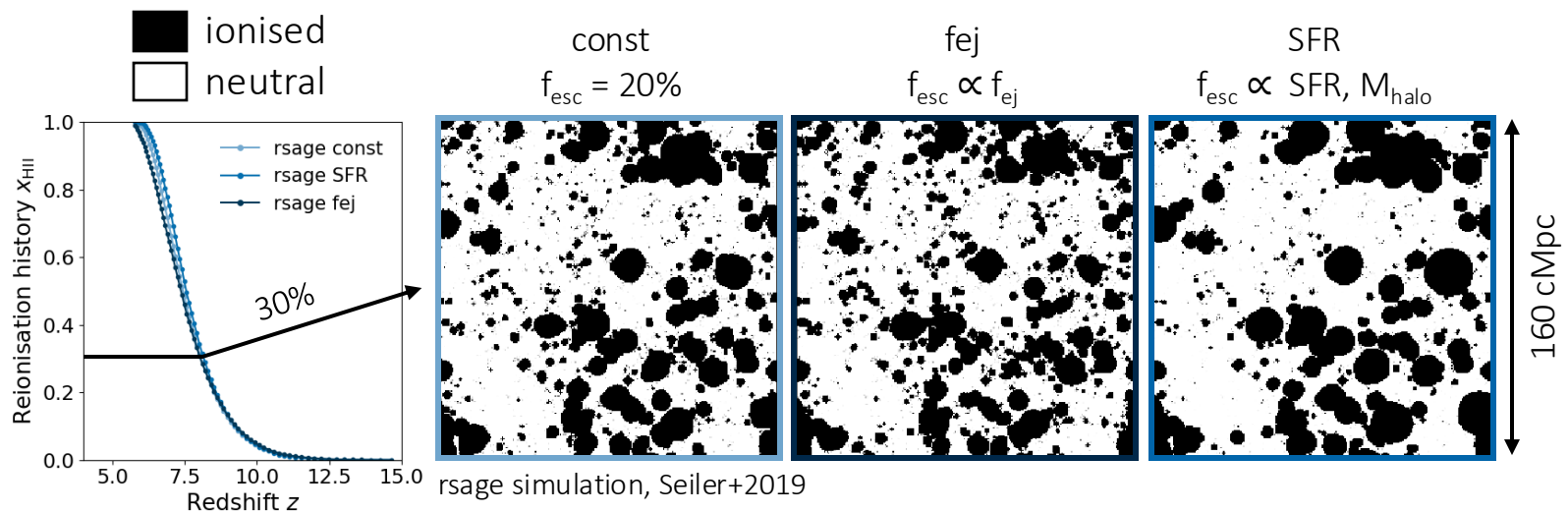


# Why intensity mapping?

- SKA will measure maps of the brightness temperature of the 21cm in the IGM
- These maps give access to information about galaxies washed out in large-scale observations:



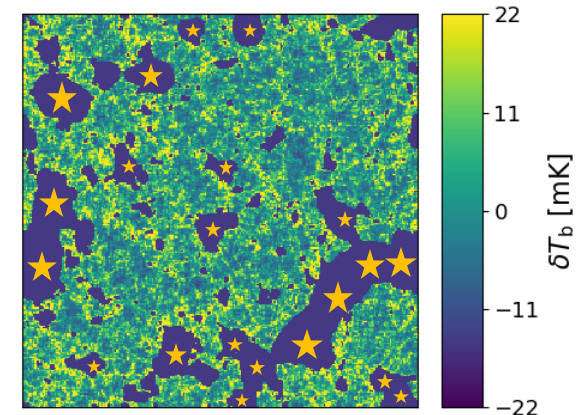
21cm intensity map  
(21CMFAST simulation)



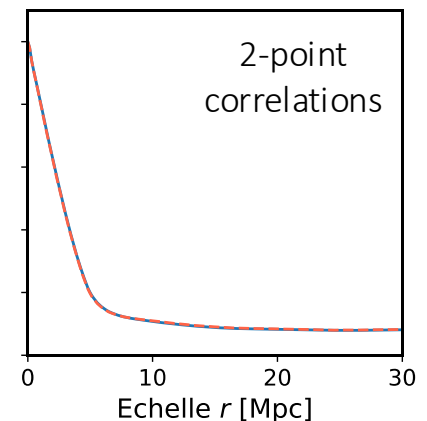
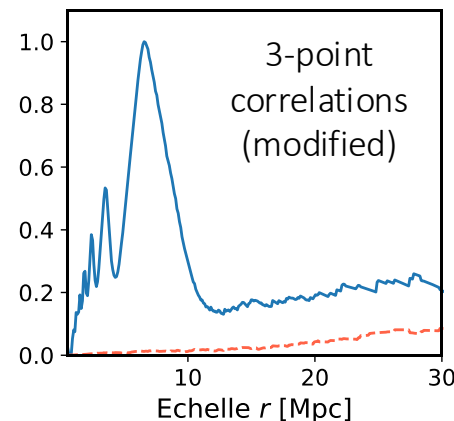
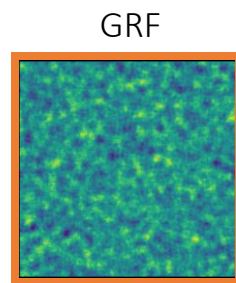
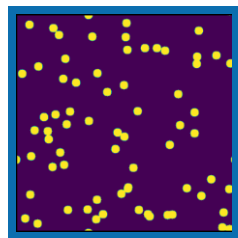


# Why intensity mapping?

- SKA will measure maps of the brightness temperature of the 21cm in the IGM
- These maps give access to information about galaxies washed out in large-scale observations
- Effort in developing efficient tools to analyse these datasets to
  - Constrain reionisation and galaxy properties
  - Tackle huge data volumes
  - Complement PS analyses (ex: non-Gaussianity)

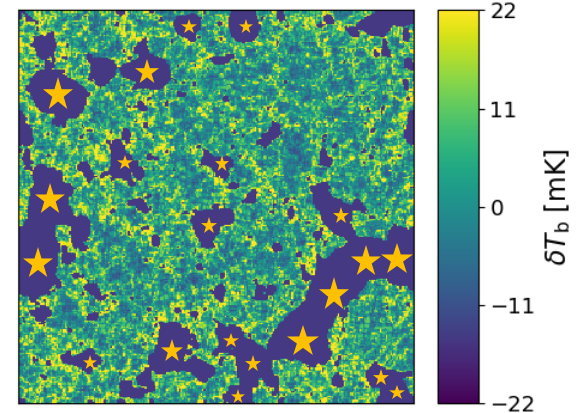



21cm intensity map  
(21CMFAST simulation)

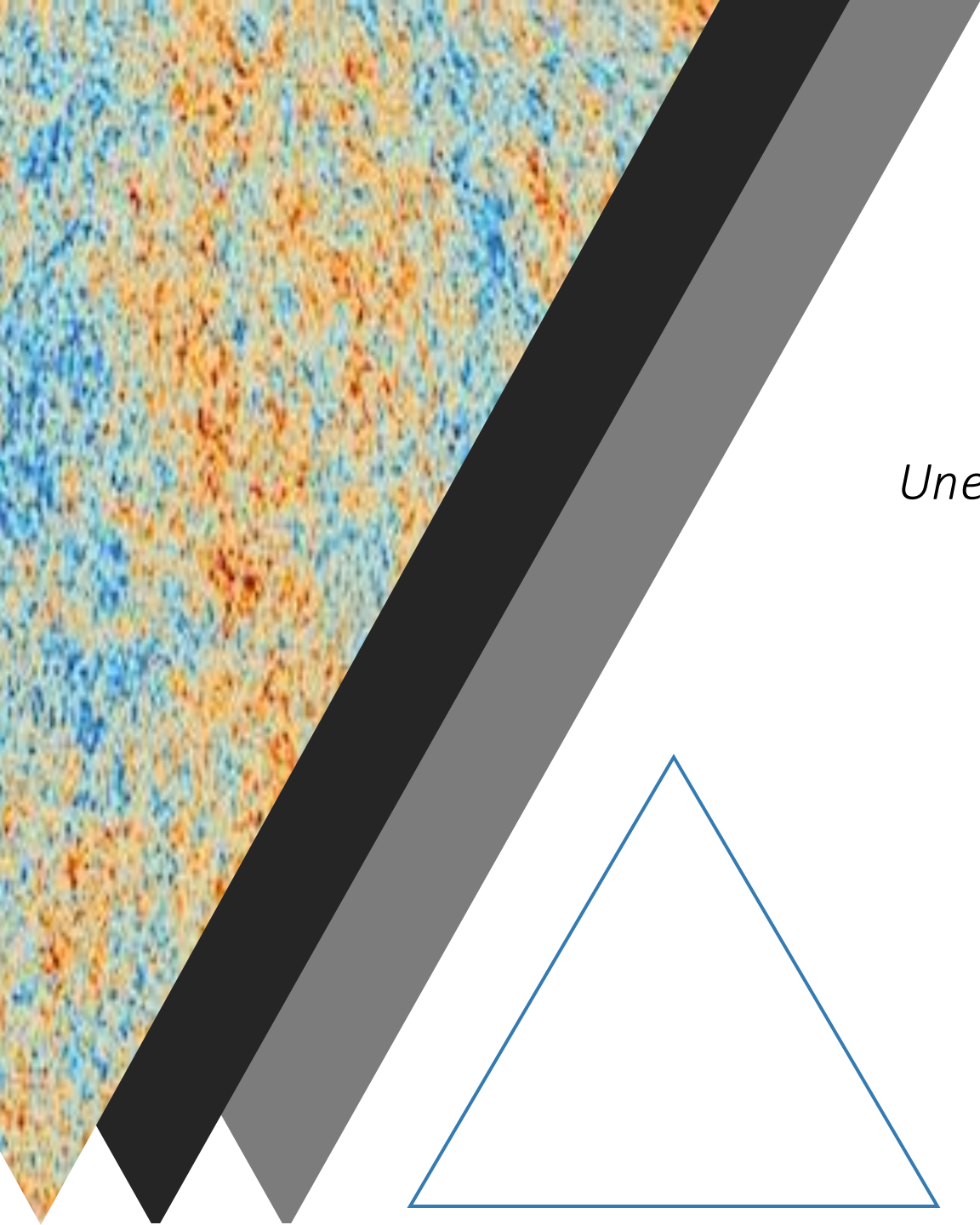


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- Effort in developing efficient tools to analyse these datasets to
  - Constrain reionisation and galaxy properties
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  - Complement PS analyses
- Solutions (*non-exhaustive list*):
  - ★ Minkowski functionals & topology (Yoshiura+2016; Elbers & v.d. Weygaert 2017; Chen+2018; Giri+2020; Th  lie+2022)
  - ★ Higher order statistics & bispectrum (e.g., Watkinson+2019; Gorce & Pritchard 2019, Majumdar+2020, Hutter+2020)
  - ★ AI techniques (e.g., Chardin+2019, Bianco+2021, Neusch+2022)
  - ★ Scattering transforms (Greig+2022, Hothi+2023, Prelogovi  +2024)
  - ★ One-point statistics (Mellema+2006; Gorce+2020; Kittiwisit+2018, 2022)

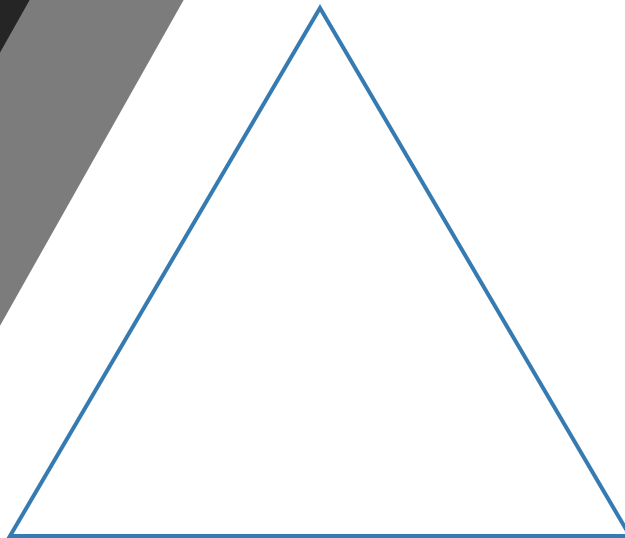
21cm intensity map  
(21CMFAST simulation)



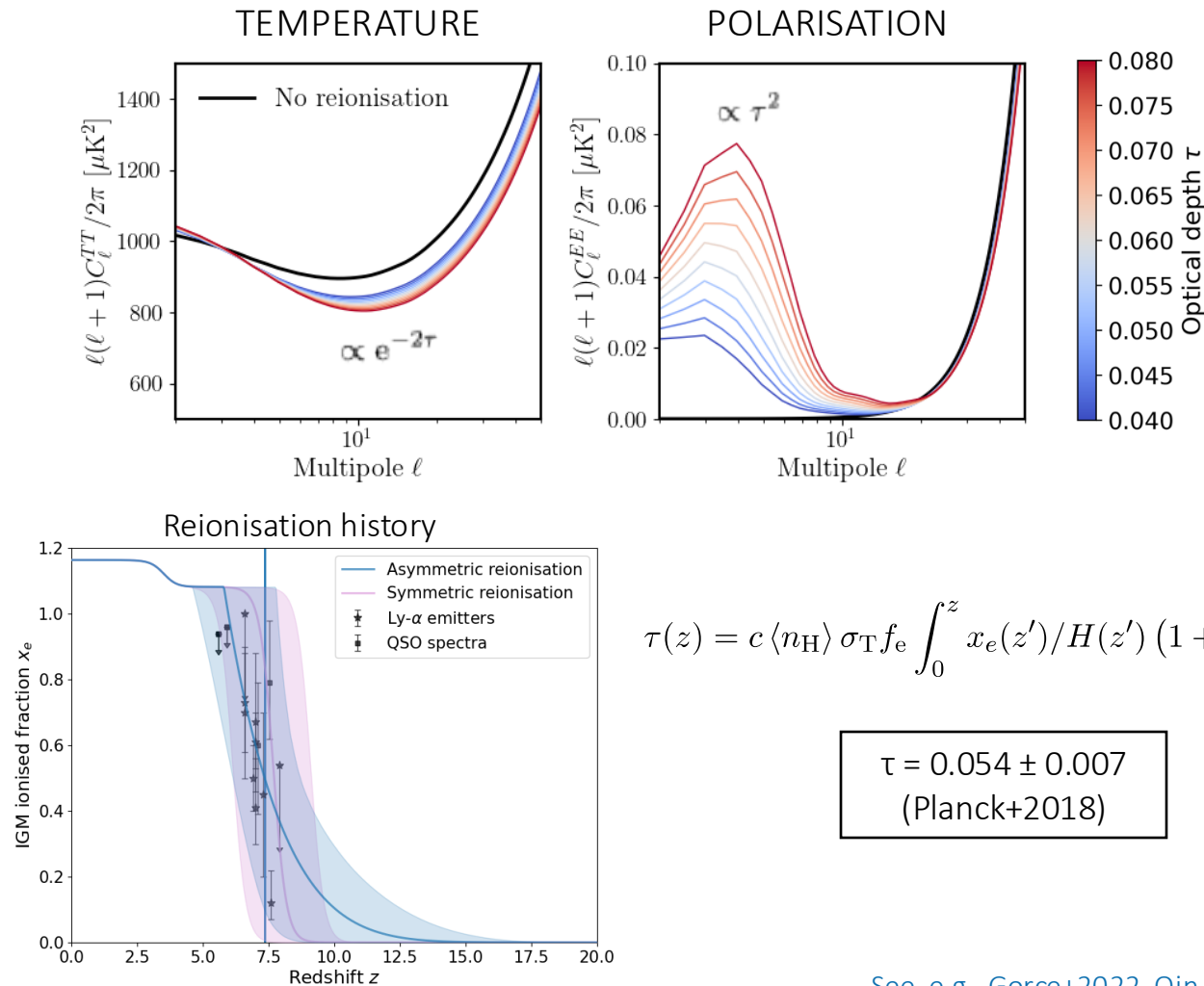
# The CMB



*Unearthing the imprints of  
reionisation*



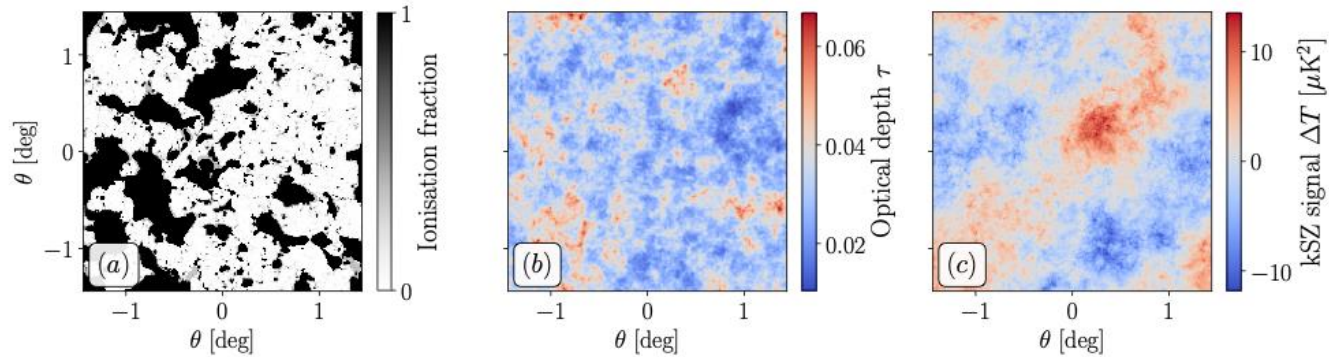
## CMB scattering during reionisation



See, e.g., Gorce+2022, Qin+2020, Ilic+ in prep

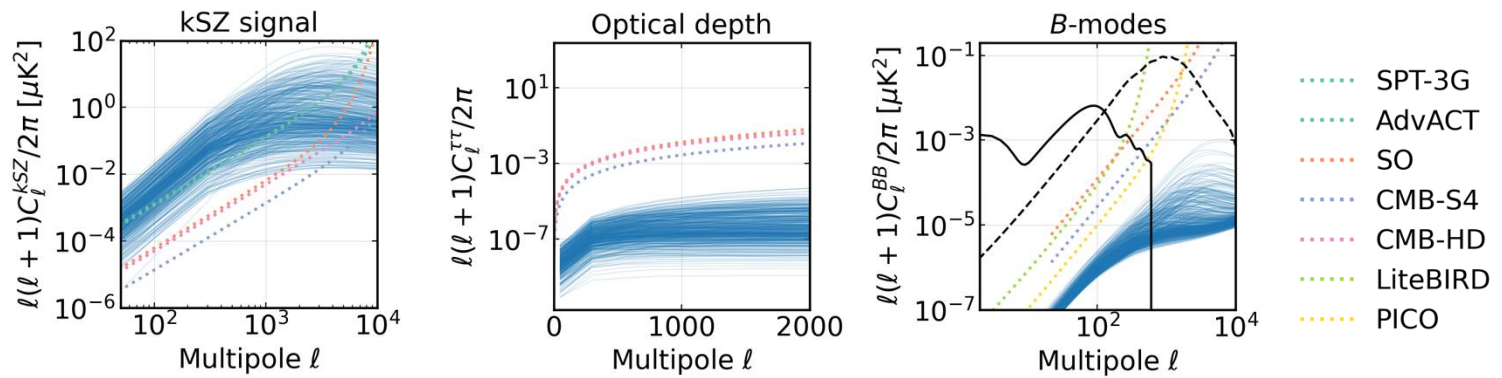
# CMB scattering during reionisation

Reionisation is a patchy process...



TEMPERATURE

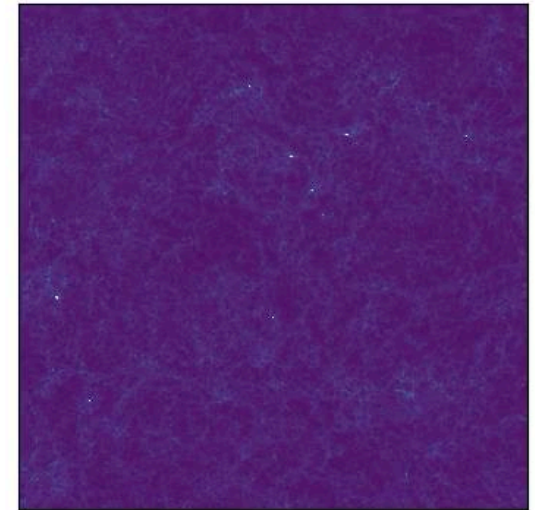
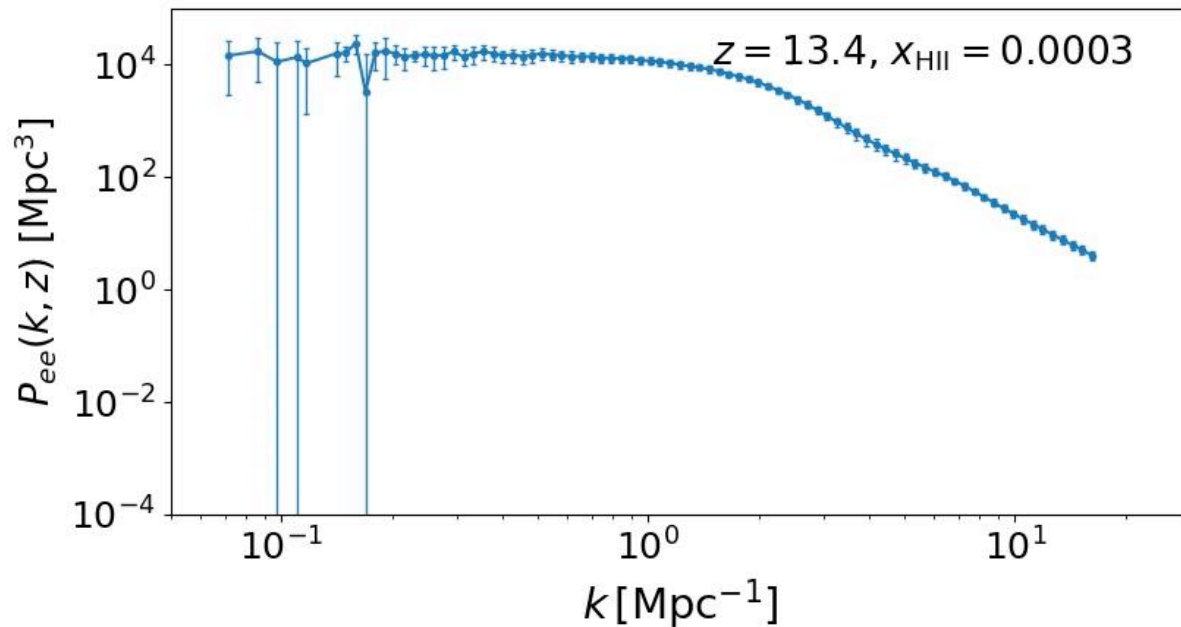
POLARISATION



+ y-distortions...

see, e.g., [Aghanim+1996](#), [Dvorkin & Smith 2009](#), [Roy+2018, 2020](#), [Gorce+2020](#)

# The power spectrum of free electrons $P_{ee}(k, z)$



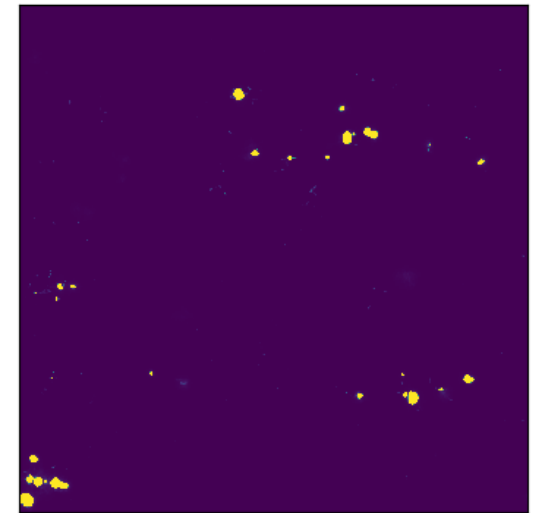
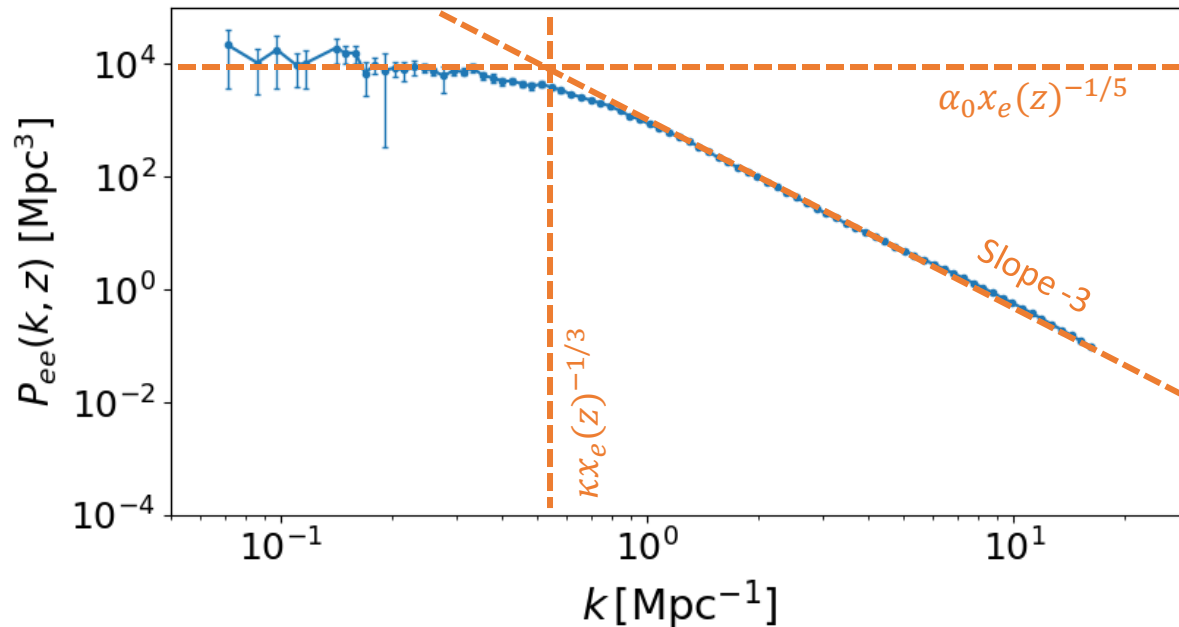
EMMA simulation, Aubert+2008, Gillet+2015



# The power spectrum of free electrons $P_{ee}(k, z)$

Early times: power-law 
$$P_{ee}(k, z) = \frac{\alpha_0 x_e(z)^{-1/5}}{1 + [k/\kappa]^3 x_e(z)}$$

$z = 10.1, x_{\text{HII}} = 0.0117$



- $\alpha_0$ : constant amplitude on large scales  $\leftrightarrow$  variance of the field
- $\kappa$ : drop-off frequency  $\leftrightarrow$  minimal size of ionised regions

Gorce+2020

# The power spectrum of free electrons

Depends on cosmology and a few reionisation parameters ( $z_{\text{re}}, z_{\text{end}}, \alpha_0, \kappa$ )...

$$P_{\text{ee}}(k, z) = \underbrace{\frac{f_{\text{H}}^{-1} x_{\text{e}}(z)^{\kappa}}{1 + [k/\kappa]^3 x_{\text{e}}(z)} x_{\text{e}}(z)^{-1/5}}_{\substack{\text{High-redshift} \\ \text{(power-law)} \\ \text{Gorce+2020}}} + \underbrace{x_{\text{e}}(z) b_{\text{oe}}(k, z)^2 P_{\text{oo}}(k, z)}_{\substack{\text{Low-redshift} \\ \text{(biased matter PS)} \\ \text{Shaw+2012}}}$$

## ONGOING

*But...* model parameters have no clear physical meaning:

- Recalibrate parameterisation on LoReLi simulations: 10 000 simulations of reionisation varying astrophysics, e.g., minimum halo mass to form stars, X-ray luminosity, ionising escape fraction... (Meriot & Semelin 2023)
- Include a physical dependence, e.g., with symbolic regression



# The power spectrum of free electrons

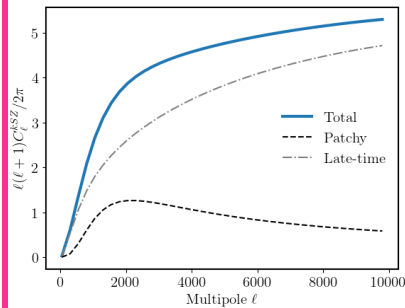
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$$P_{\text{ee}}(k, z) = \frac{f_{\text{H}} - x_{\text{e}}(z)}{1 + [k/\kappa]^3 x_{\text{e}}(z)} + x_{\text{e}}(z) b_{\text{oe}}(k, z)^2 P_{\text{dd}}(k, z)$$



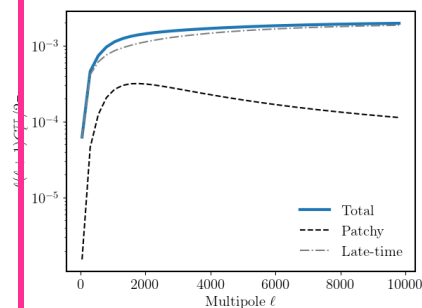
Patchy kSZ spectrum

Gorce+2022



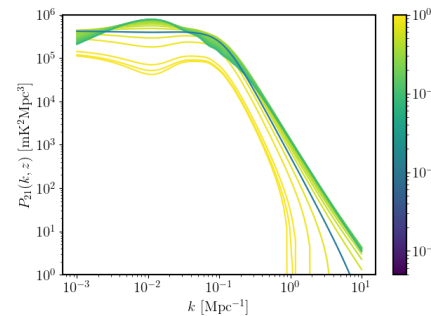
$\tau$  spectrum

Molinier & Gorce, in prep



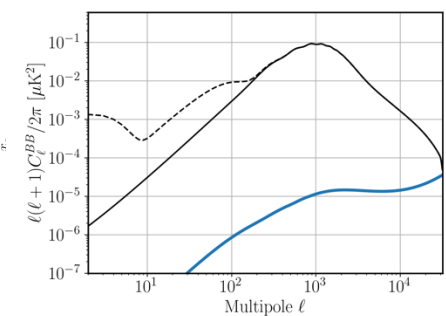
21cm power spectrum

Georgiev, Gorce & Mellema 2024



EoR-induced B-modes

Gorce+, in prep

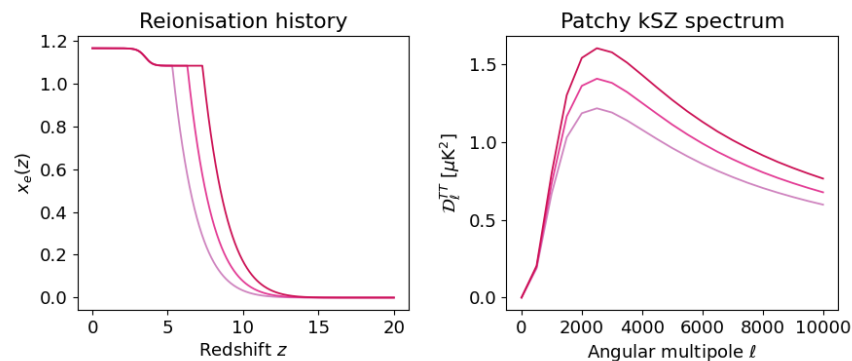


One model that allows joint and cross-analyses between datasets...

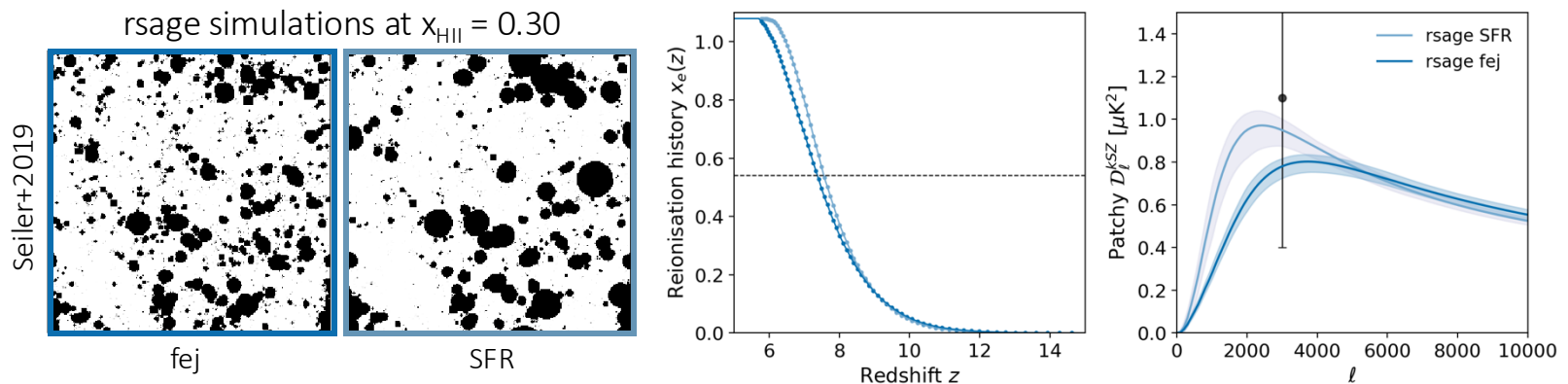
# The kinetic Sunyaev Zel'dovich effect

There is information about reionisation in the kSZ spectrum...

## 1. About global reionisation history



## 2. About reionisation morphology (and effectively galaxy properties)



Gorce+2020, and e.g. McQuinn+2005; Iliev+2007; Battaglia+2013; Park+2013...

# Current high- $l$ analyses: the kSZ as a nuisance

There is information about reionisation in the kSZ spectrum...

... but it is not used in current analyses, resulting in imprecise constraints.

1. Measure kSZ by fitting the amplitude of a template

Use of templates although amplitude *and* shape depend on reionisation

2. And propagate to reionisation with scalings:  $A^{\text{patchy}} \propto z_{\text{re}} * \Delta z^{0.51}$  (Battaglia+2013)

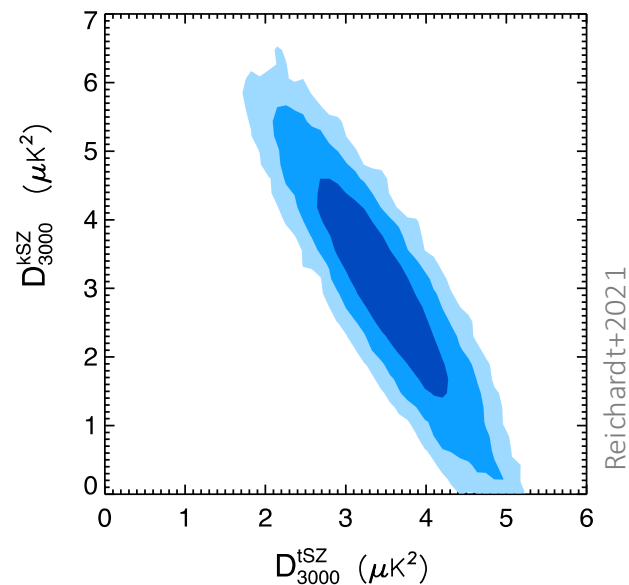
Scaling relations are largely dependent on the simulations used

Most recent constraints: SPT (Reichardt+2021)

$$D_{3000}^p = 1.1 + 1.0/-0.7 \mu\text{K}^2$$

$$\Delta z = 1.1 + 1.6/-0.7$$

Amplitude parameters are correlated:



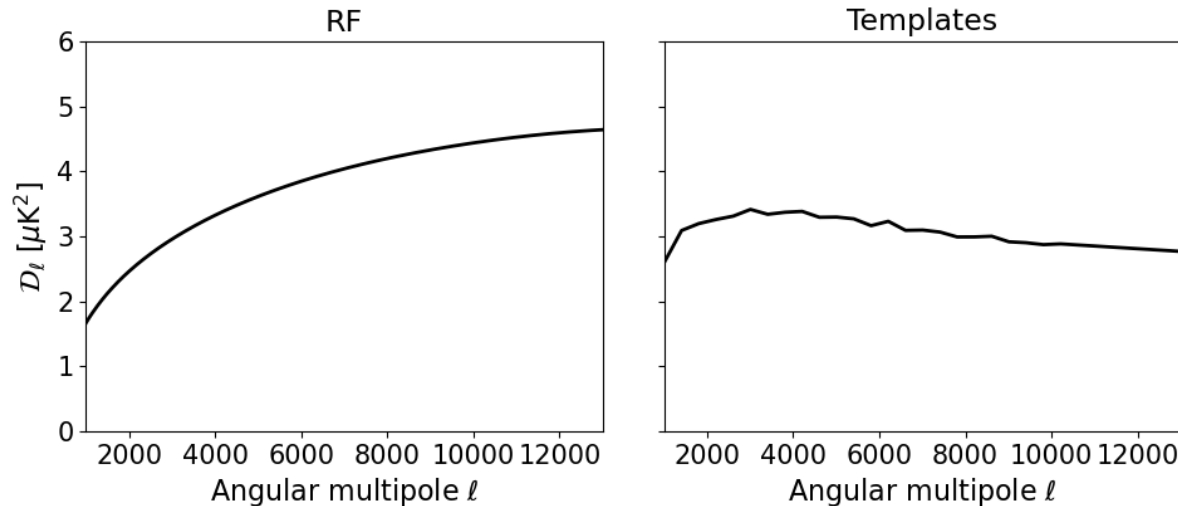
# Current high- $l$ analyses: the kSZ as a nuisance

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Proposed solution:

Replace templates by analytic derivations of the SZ spectra to retrieve the cosmological information enclosed in the foregrounds



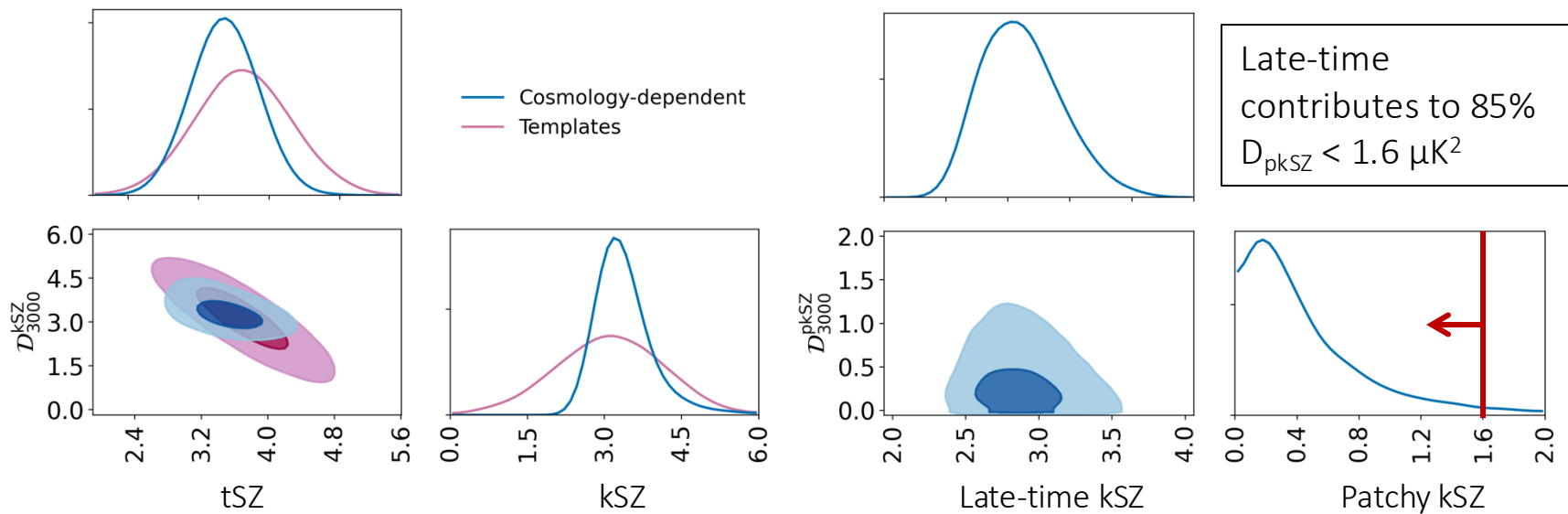
+ joint analysis with large-scale data



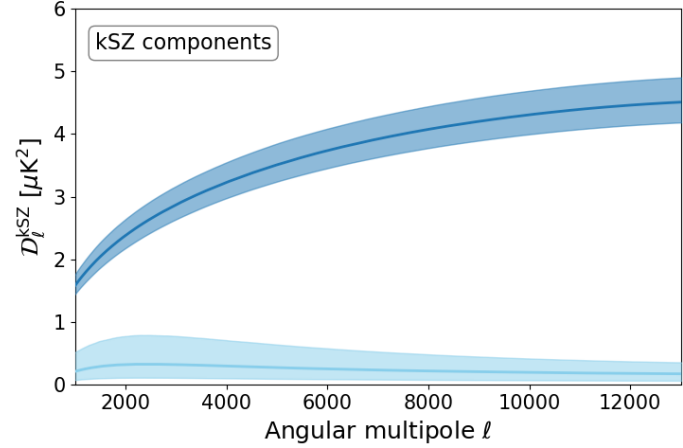
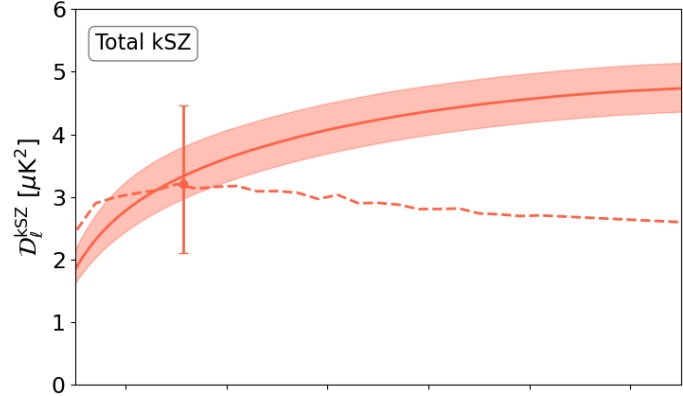
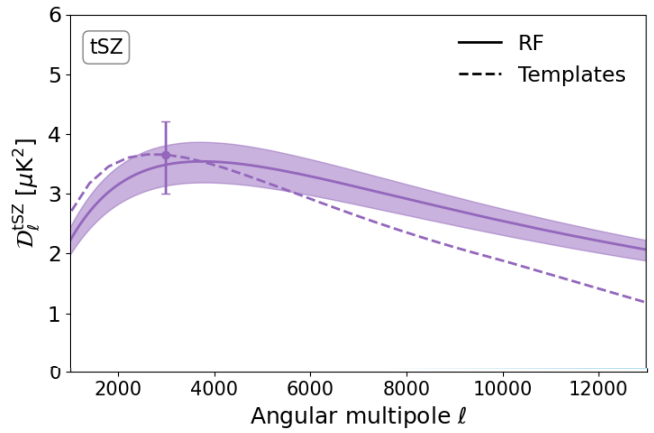
# Results on SPT data: Free cosmology

Free cosmological parameters compared to initial analysis (Reichardt+2021)

- Planck 2018 Gaussian priors on  $\Omega_b h^2$ ,  $\Omega_c h^2$ ,  $\theta_{MC}$ ,  $n_s$
- Flat priors on other parameters ( $A_s$ , reion)



# Results on SPT data: Free cosmology

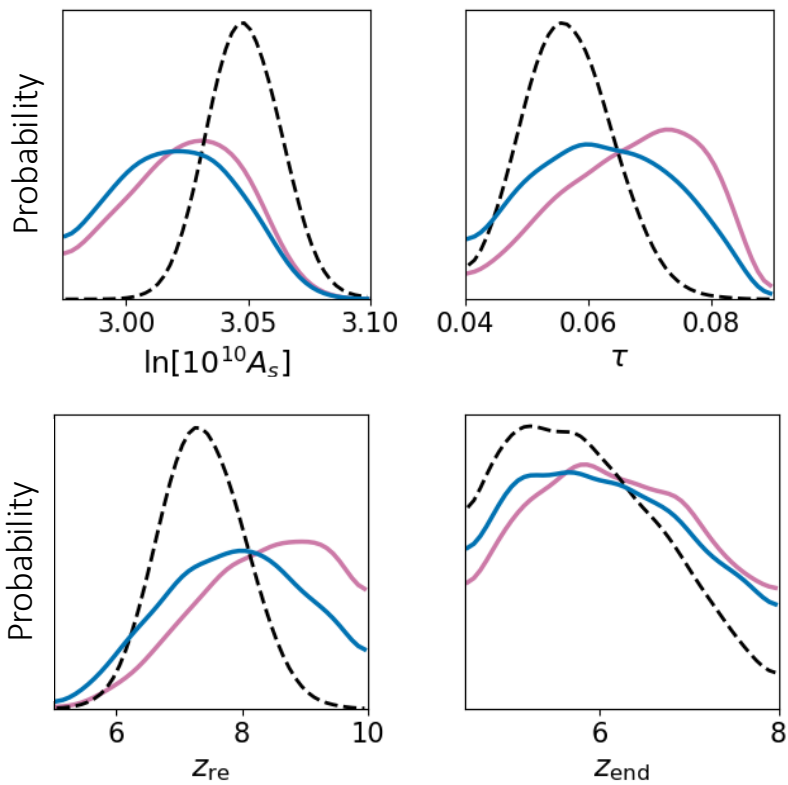


Can see the shape of the spectra favoured by the data

# Results on SPT data: Free cosmology

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SPT data favour a different cosmology than Planck, including **earlier reionisation**:

$$\tau = 0.062 \pm 0.012 (1\sigma)$$

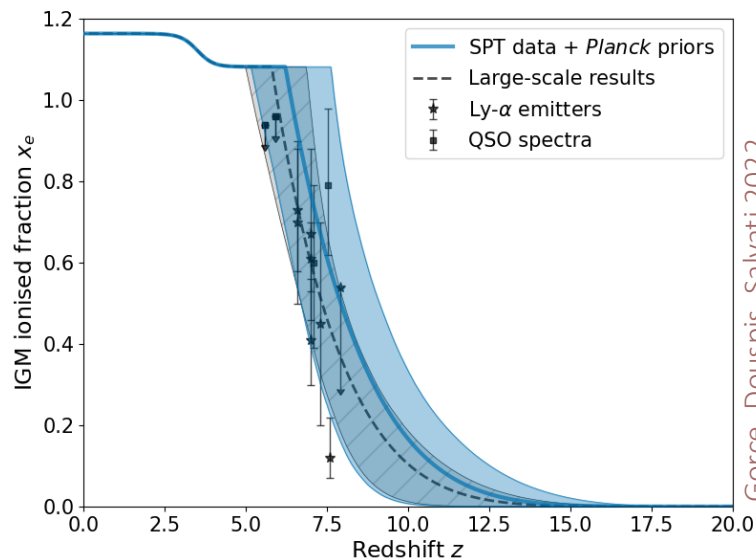
$$z_{re} = 7.9 \pm 1.1 (1\sigma)$$

- Cosmology-dependent
- Templates
- - - Planck (large-scale) only

# Results on SPT data: Free cosmology

Free cosmological parameters compared to initial analysis (Reichardt+2021)

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Next steps (ongoing):

- Use large simulation datasets to improve Pee model (LoReLi, Meriot & Semelin 2023)
- Improve modelling of other foregrounds (CIB)
- Consistent analysis with large-scale data →



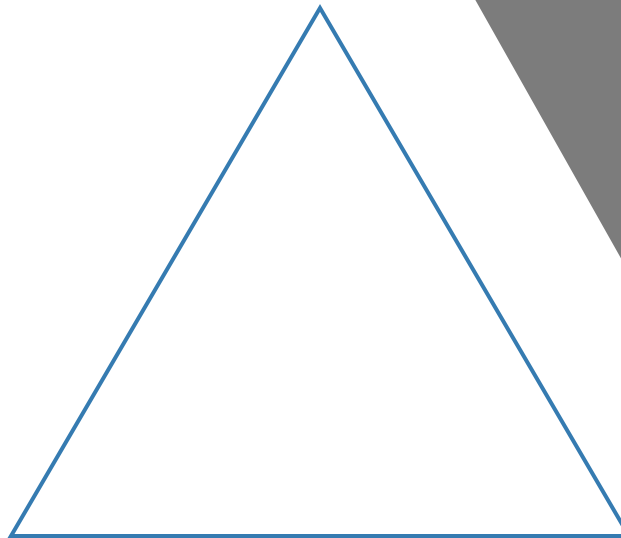
**anr** <sup>©</sup>  
agence nationale  
de la recherche

tSZ & kSZ emulators are available at <https://szdb.osups.universite-paris-saclay.fr>

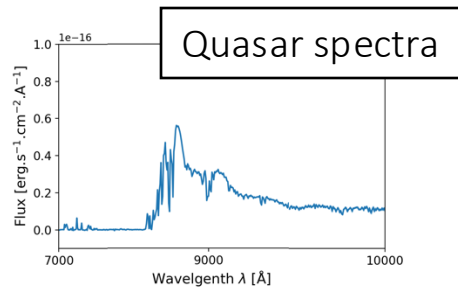


# Combining data sets

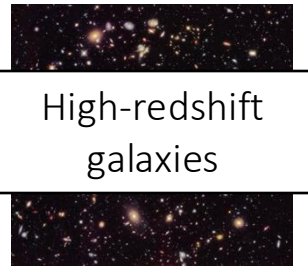
Minimising systematics and  
uncertainties with independent  
measurements



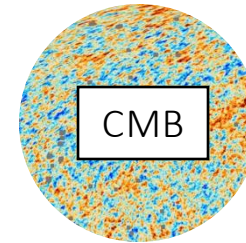
# Combining observables



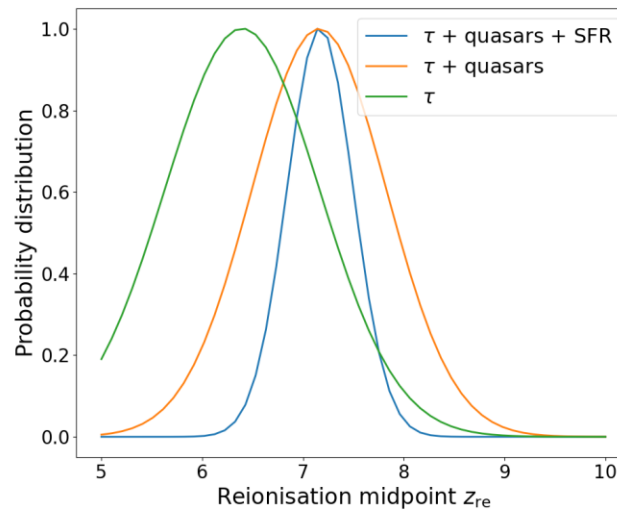
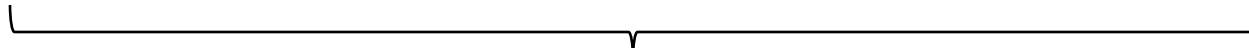
HI absorption troughs



Ionising photon budget



CMB photons scatter off free electrons

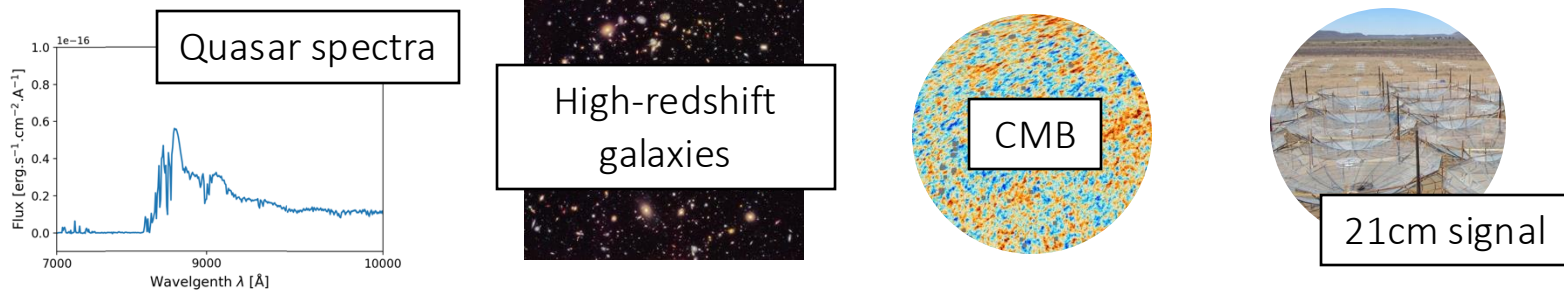


Combining observables reduces uncertainties and removes biases

See, e.g., Gorce+2018



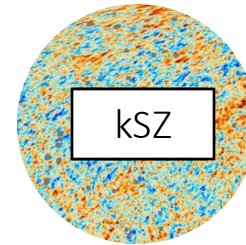
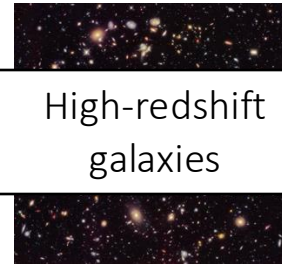
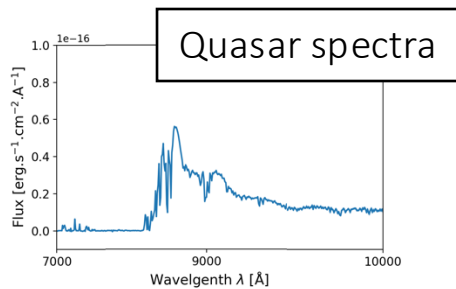
# Combining observables



To combine observables in a consistent way, we need a common *theoretical model*

- ★ Simulations  
e.g., Su+2011; Greig+2017; La Plante + 2021, 2023; Hutter+2023
- ★ Analytical model  
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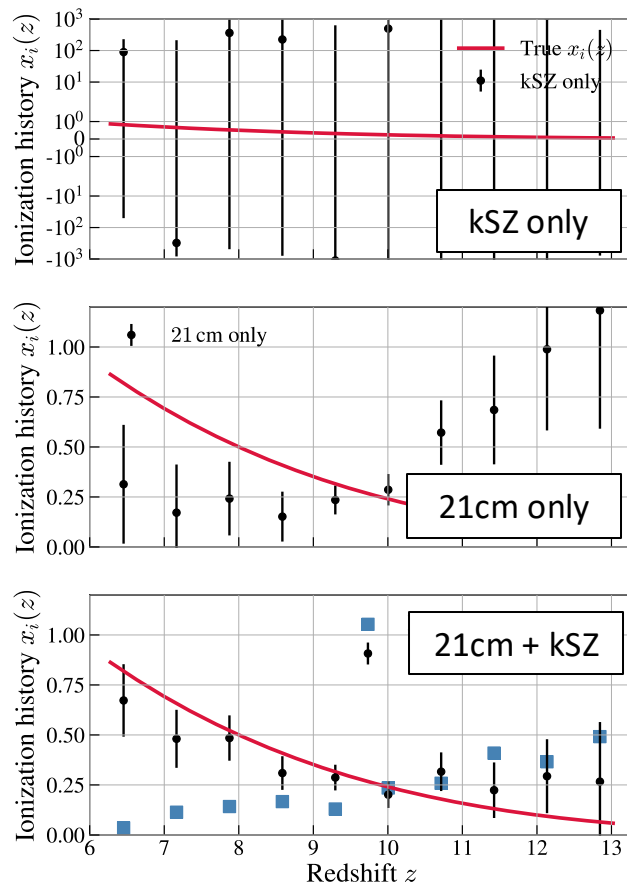
1. kSZ x global 21cm signal  
Bégin, Liu, & Gorce 2022

# Complementarity kSZ / global 21cm



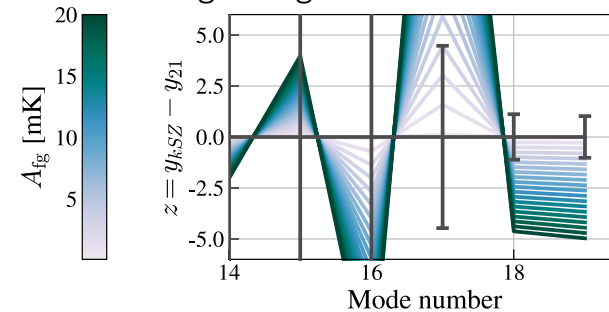
The complementarity can be leveraged to

## 1. Better constrain the reionisation history

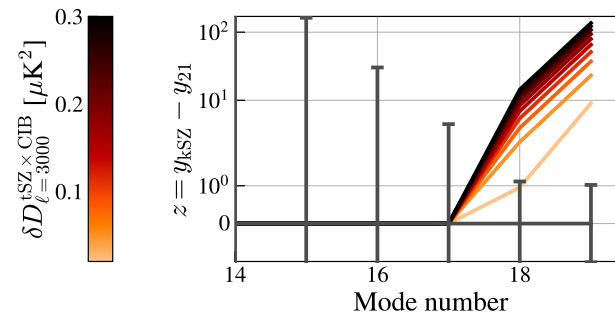


## 2. Identify and remove systematics

- Foreground residuals 4x smaller than cosmological signal detected at  $10\sigma$

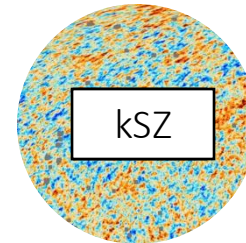
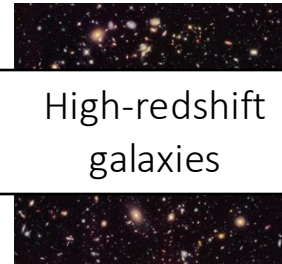
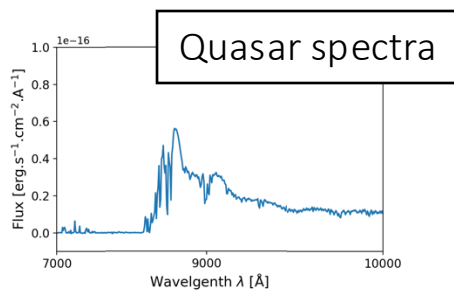


- $0.05 \mu\text{K}^2$  tSZxClB residual picked up at  $100\sigma$



Bégin, Liu & Gorce 2022

# Combining observables



21cm power spectrum

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1. kSZ x global 21cm signal: Measure the reionisation history and identify systematics

[Bégin, Liu, & Gorce 2022](#)

2. kSZ x 21cm PS

[Georgiev, Gorce, & Mellema 2024](#)

# Joint analysis of kSZ and 21cm power spectrum

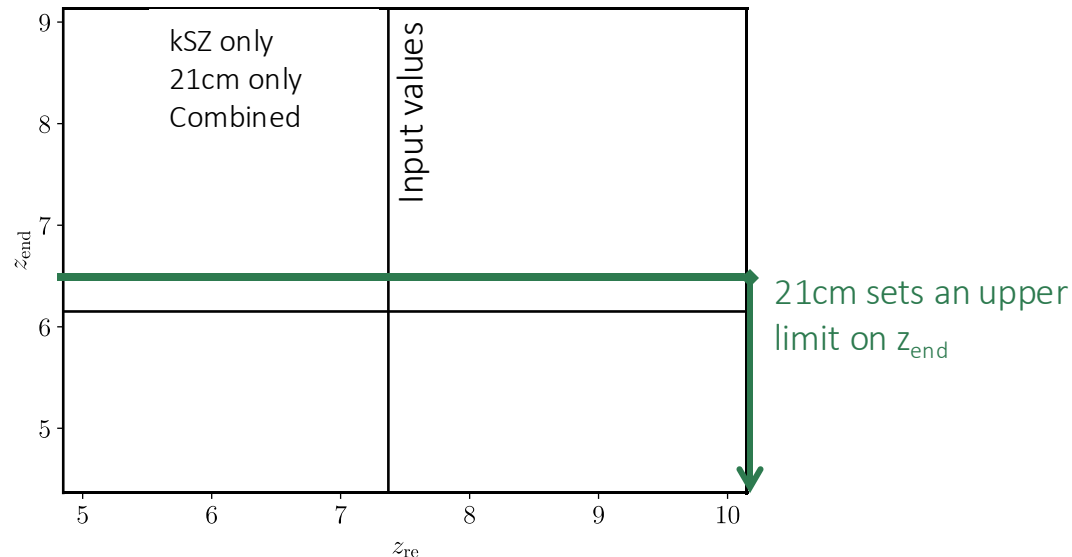


- Relate the 21cm signal and the kSZ through their base ingredient: the electron power spectrum

kSZ  $C_\ell^{\text{kSZ}} \propto \int \frac{dz}{H(z)} \bar{n}_e(z)^2 k^3 v_{\text{rms}}^2(z) e^{-\tau(z)} d_c(z) \times P_{ee}(k, z)$

21cm PS  $\frac{P_{21}(k, z)}{T_0(z)^2} = x_e(z)^2 P_{ee}(k, z) + [1 - 2x_e(z)] P_{bb}(k, z)$

- Use analytical model of  $P_{ee}$  to generate both observables in a forecast  
→ constrain reionisation end- and midpoint



# Joint analysis of kSZ and 21cm power spectrum



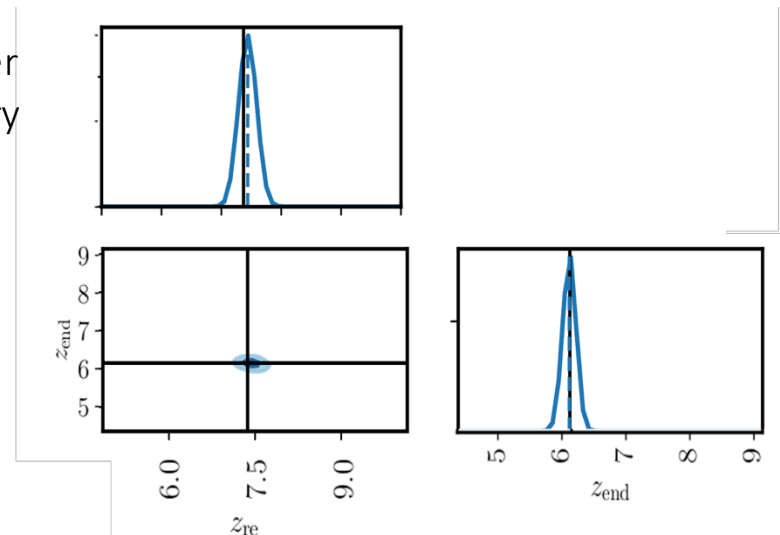
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- Use analytical model of  $P_{ee}$  to generate both observables in a forecast  $\rightarrow$  constrain reionisation end- and midpoint
- With only three data points, one can recover the reionisation mid- and endpoint with very good accuracy

21cm: 1000hrs of observation with SKA, 2 data points at  $k = 0.5 \text{ hMpc}^{-1}$  &  $z = 6.5, 7.8$ .  
 pkSZ: 1 data point at  $l=3000$  with 10% error bar.



# Joint analysis of kSZ and 21cm power spectrum

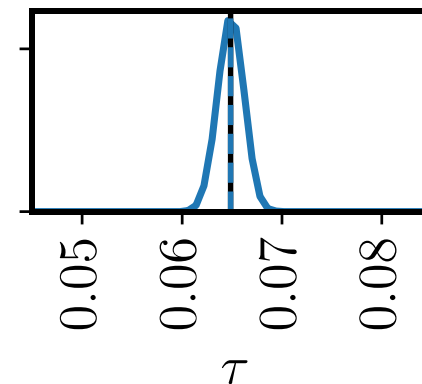
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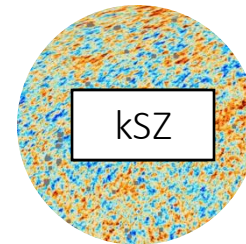
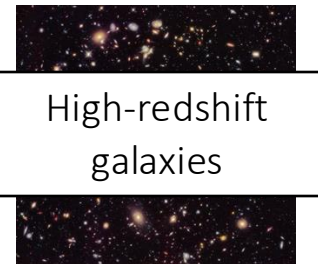
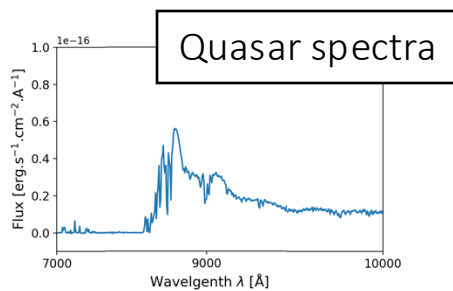
- Use analytical model of  $P_{ee}$  to generate both observables in a forecast  
→ constrain reionisation end- and midpoint
- With only three data points, one can recover the reionisation mid- and endpoint with very good accuracy
- And break the  $\tau/A_s$  or  $\tau/\text{sum}_\nu$  degeneracy!



$$\tau = 0.065 \pm 0.001$$



# Combining observables



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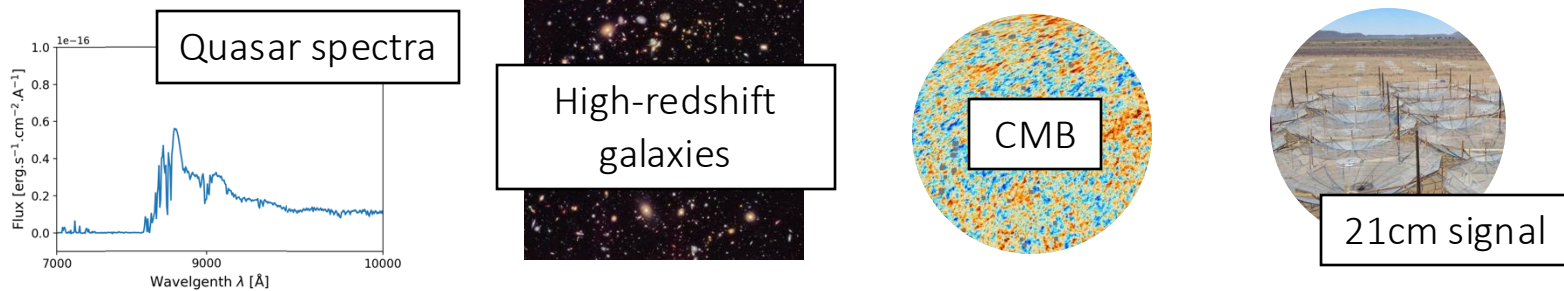
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[Georgiev, Gorce, & Mellema 2024](#)
3. kSZ x galaxies: SPT data favour late & rapid reionisation histories  
[Nikolic, Mesinger, Qin, & Gorce 2023](#)
4. 21cm power spectrum x galaxies: HERA x Roman, need spectroscopic redshifts  
[La Plante, Mirocha, Gorce+ 2023](#)

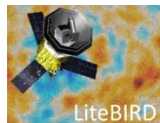
# Conclusions

To understand reionisation, data cross-correlations are necessary to overcome systematics and uncertainties.

Things to look forward to:

## CMB

- Cosmic-variance limited  $\tau$
- Small-scale CMB data: kSZ,  $\tau$  fluctuations



## 21cm

- Global signal & power spectrum
- Intensity mapping?



## GALAXIES & QUASARS

- Statistical samples of quasar spectra
- Faint end of luminosity functions



The future of EoR study is bright!!

Thank you!