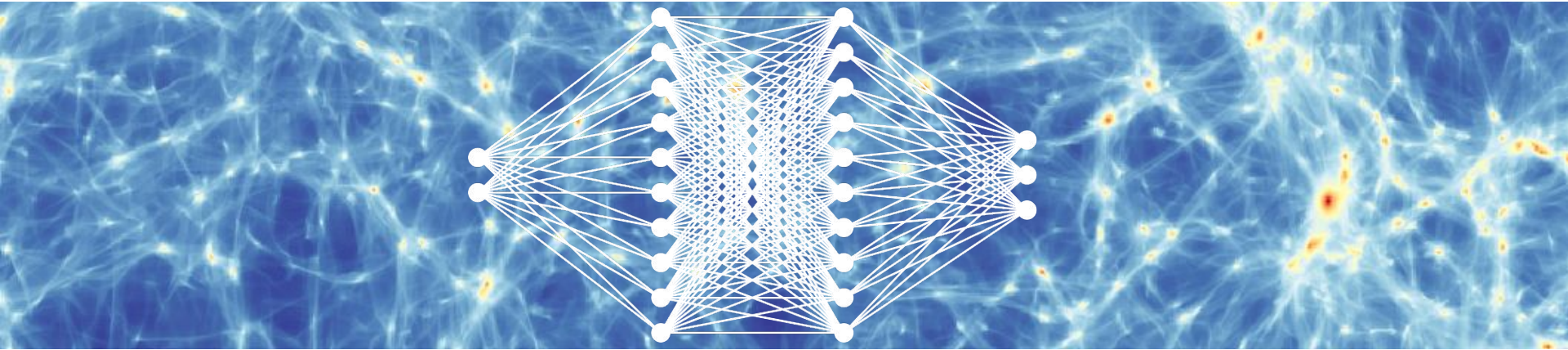


# The hybrid Lagrangian bias model: small-scale galaxy clustering and galaxy-galaxy lensing with the baccoemu emulators



Matteo Zennaro

University of Oxford

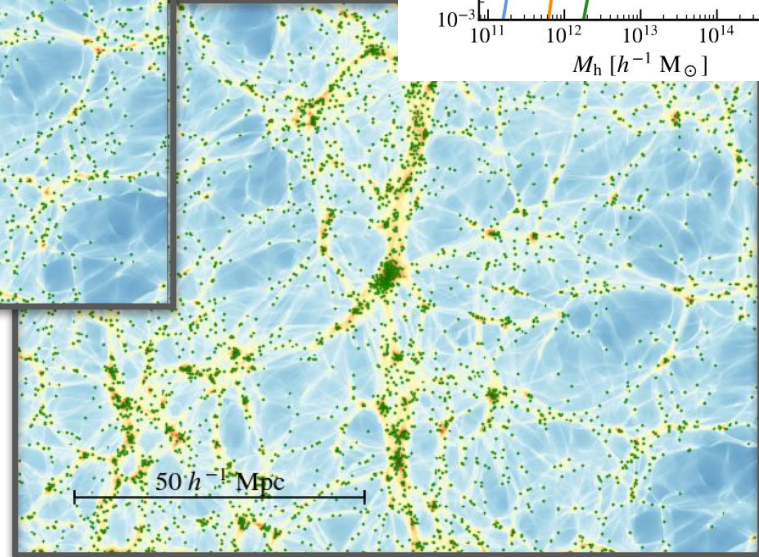
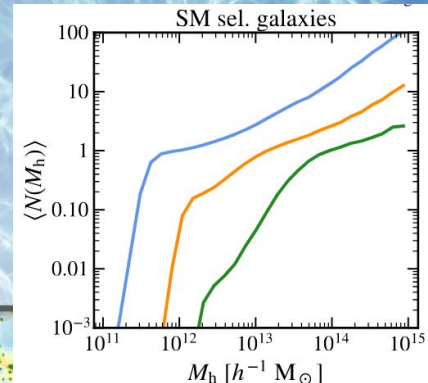
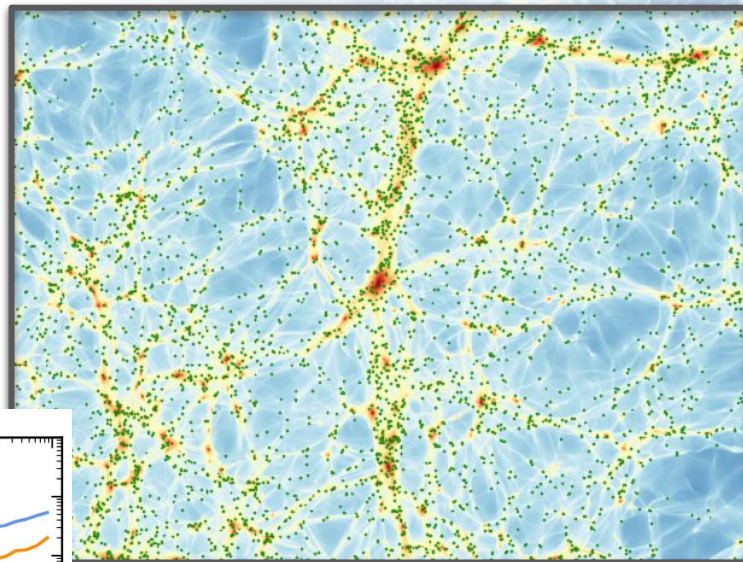
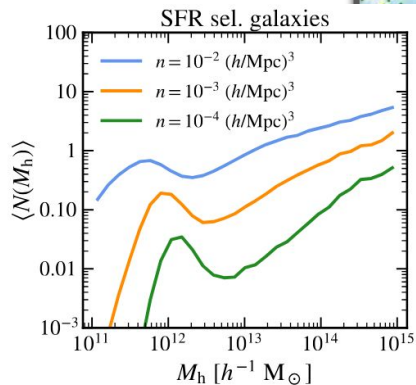
Paris, Nov 21st 2024



# Lagrangian Bias Expansion Model

Change galaxy  
formation / selection:

very different galaxy  
samples





# Lagrangian Bias Expansion Model

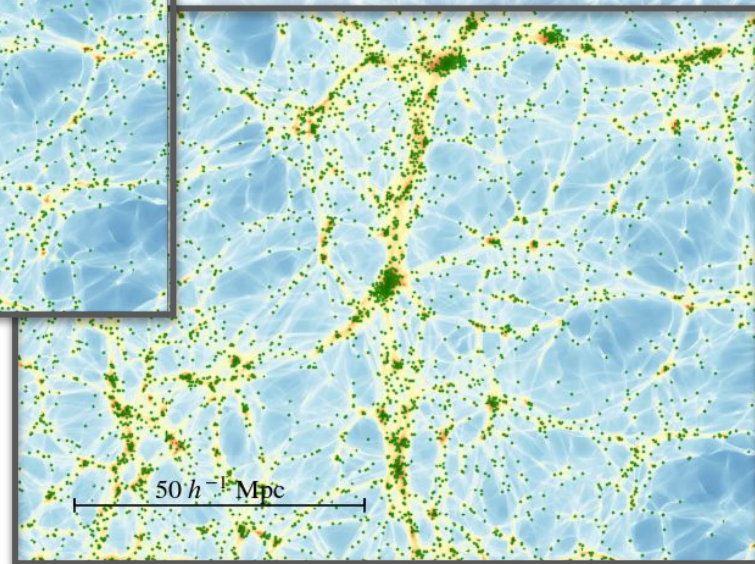
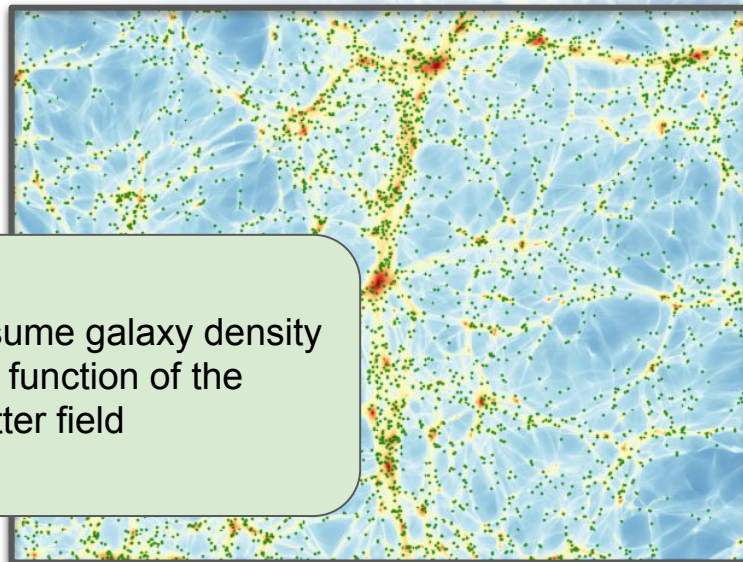
Change galaxy formation / selection:

very different galaxy samples

Assume galaxy density is a function of the matter field

At 2nd order the ONLY terms that don't break symmetries are

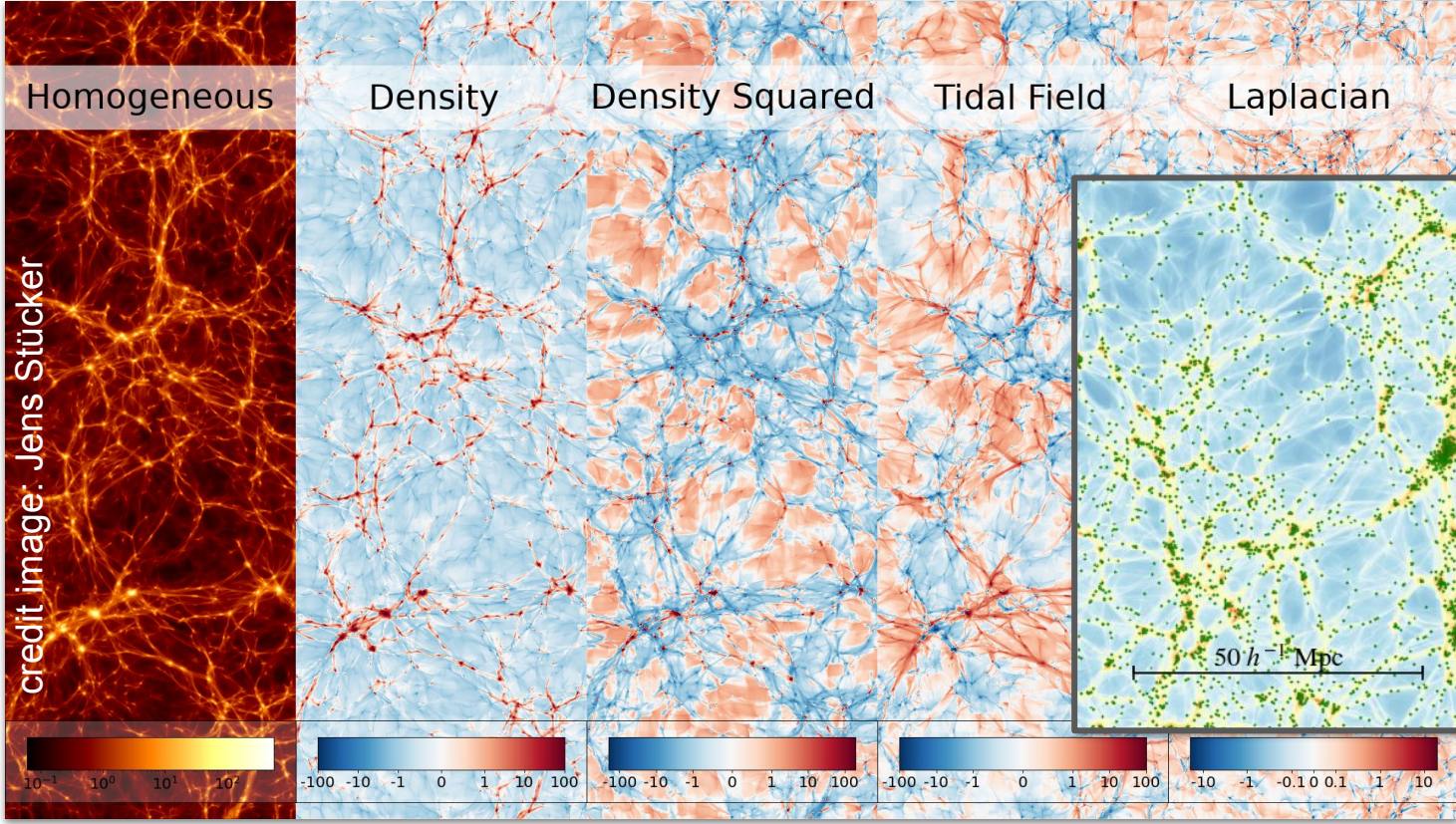
$$\delta_g(\mathbf{q}) = F(\delta, \delta^2, s^2, \nabla^2 \delta)$$





# Lagrangian Bias Expansion Model

$$1 + b_1^L \delta(\mathbf{q}) + b_2^L \delta^2(\mathbf{q}) + b_{s^2}^L s^2(\mathbf{q}) + b_{\nabla^2 \delta}^L \nabla^2 \delta(\mathbf{q})$$



# The BACCO hybrid lagrangian bias model

$$\delta_g(\mathbf{x}) = \int d^3 \mathbf{q} [1 + b_1^L \delta(\mathbf{q}) + b_2^L \delta^2(\mathbf{q}) + b_{s^2}^L s^2(\mathbf{q}) + b_{\nabla^2 \delta}^L \nabla^2 \delta(\mathbf{q})] \delta_D(\mathbf{x} - \mathbf{q} - \Psi)$$

$$P_{gg}(k) = \sum_{i,j} b_i b_j P_{ij}(k) + \frac{A_{sn}}{\bar{n}}$$

5 free parameters  $b_1^L, b_2^L, b_{s^2}^L, b_{\nabla^2 \delta}^L, A_{sn}$



# The BACCO hybrid lagrangian bias model

$$\delta_g(\mathbf{x}) = \int d^3 \mathbf{q} [1 + b_1^L \delta(\mathbf{q}) + b_2^L \delta^2(\mathbf{q}) + b_{s^2}^L s^2(\mathbf{q}) + b_{\nabla^2 \delta}^L \nabla^2 \delta(\mathbf{q})] \delta_D(\mathbf{x} - \mathbf{q} - \Psi)$$

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# The BACCO **hybrid** lagrangian bias model

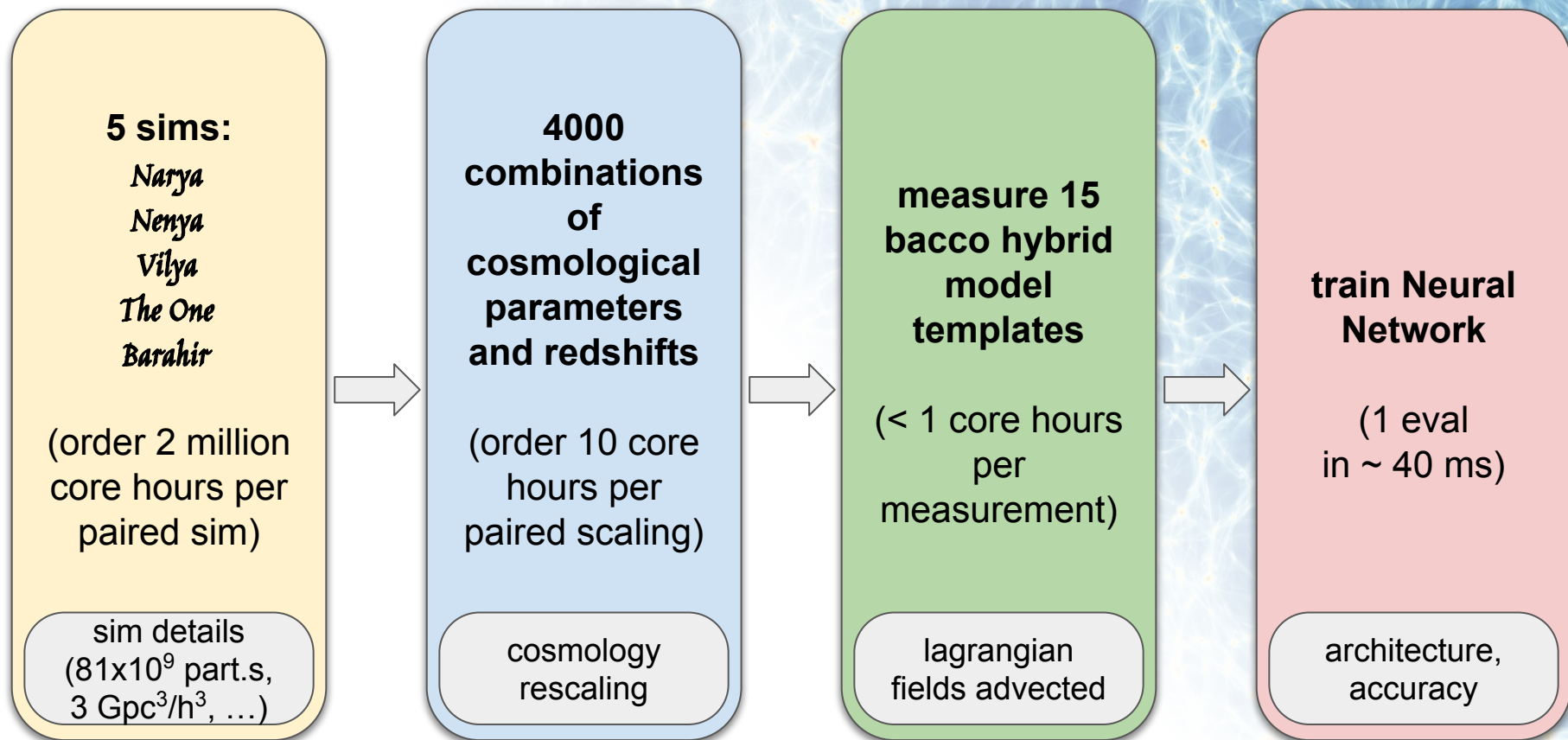
$$\delta_g(\mathbf{x}) = \int d^3 \mathbf{q} [1 + b_1^L \delta(\mathbf{q}) + b_2^L \delta^2(\mathbf{q}) + b_{s^2}^L s^2(\mathbf{q}) + b_{\nabla^2 \delta}^L \nabla^2 \delta(\mathbf{q})] \delta_D(\mathbf{x} - \mathbf{q} - \Psi)$$

from simulations - fully nonlinear

$$P_{gg}(k) = \sum_{i,j} b_i b_j P_{ij}(k) + \frac{A_{sn}}{\bar{n}}$$

5 free parameters  $b_1^L, b_2^L, b_{s^2}^L, b_{\nabla^2 \delta}^L, A_{sn}$

# We rely on emulators

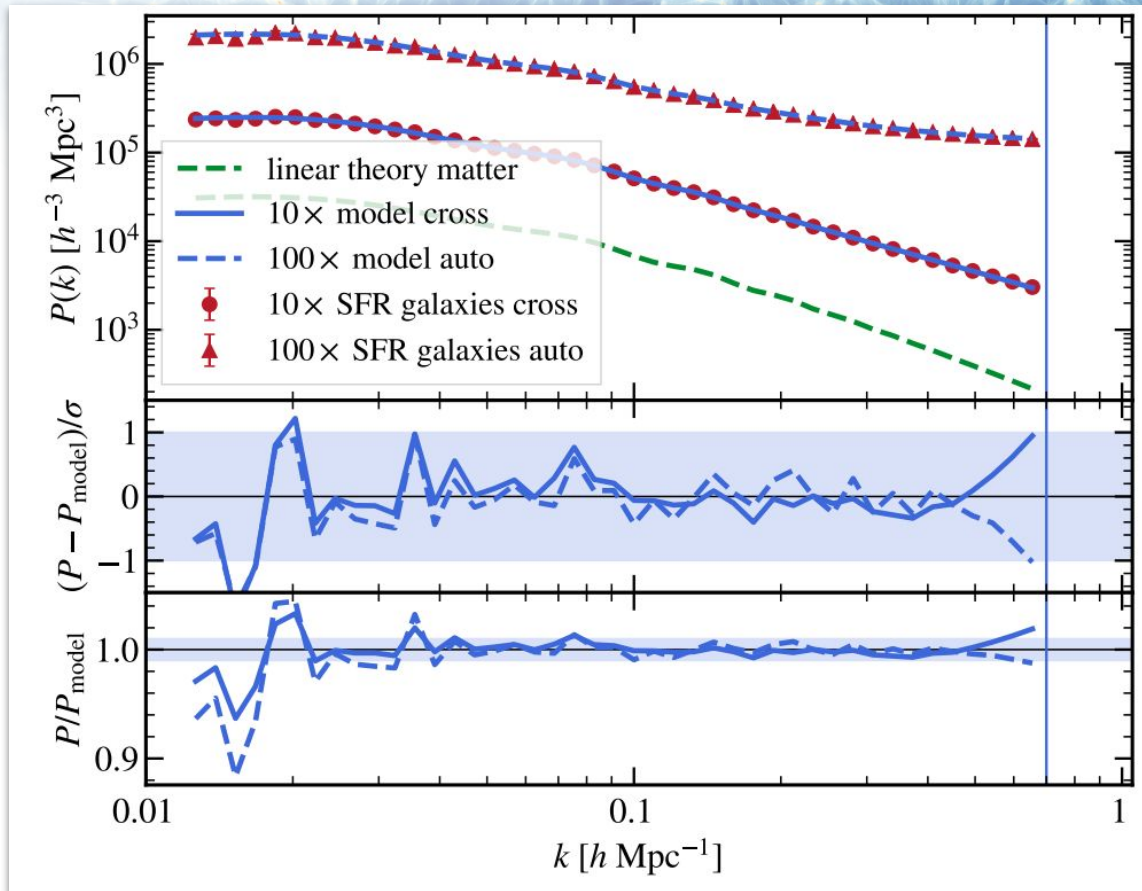




# Performance

8000 samples between haloes and SHAME galaxies with different cosmologies, redshifts, number densities, SHAME properties

Fits always accurate up to  $k = 0.7 \text{ h/Mpc}$



# Performance

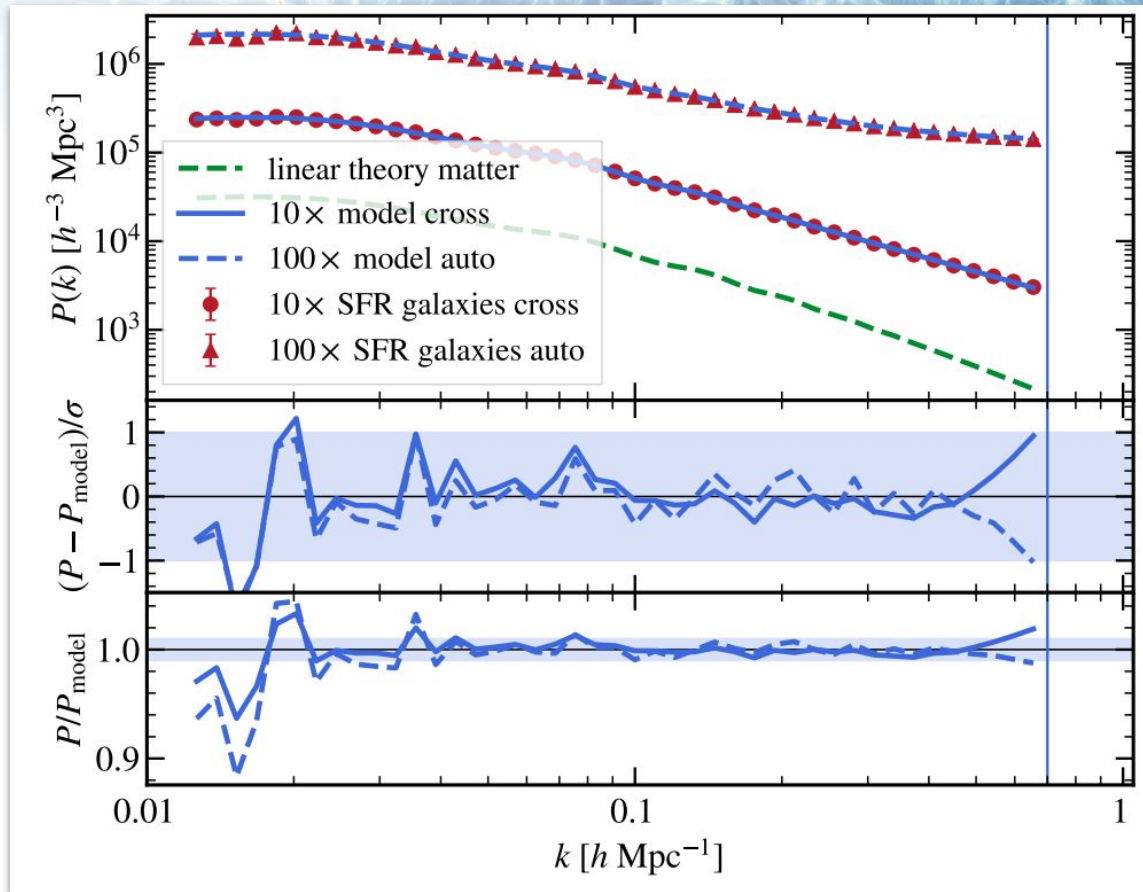
8000 samples between haloes and SHAME galaxies with different cosmologies, redshifts, number densities, SHAME properties

Fits always accurate up to  $k = 0.7 \text{ h/Mpc}$



**Marcos  
Pellejero-Ibáñez**

model in **redshift  
space** (emulator  
available)





# Galaxy bias priors

8000 samples between haloes and SHAME galaxies with different cosmologies, redshifts, number densities, SHAME properties

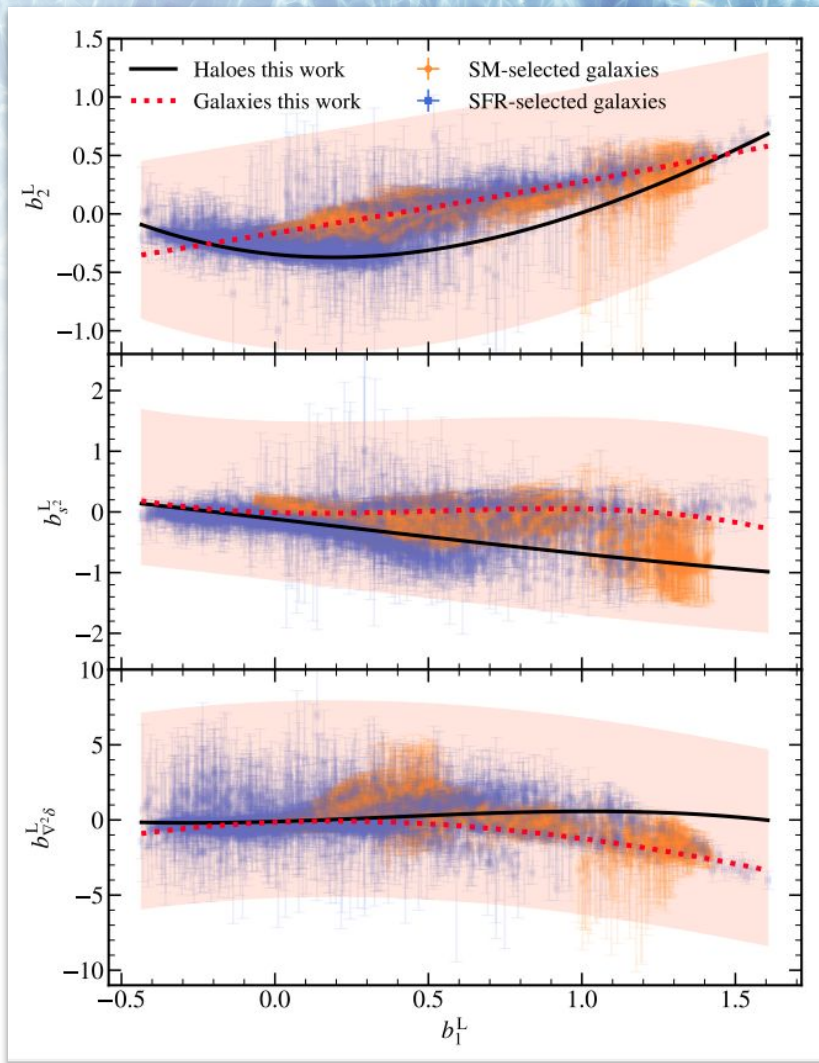
Fits always accurate up to  $k = 0.7 \text{ h/Mpc}$

Coevolution relations for these bias parameters:

$$b_2(b_1) \quad b_{s^2}(b_1)$$

$$b_{\nabla^2 \delta}(b_1) \quad \text{!}$$

MZ et al (2022), conf. from data Pellejero-Ibáñez et al (2024)

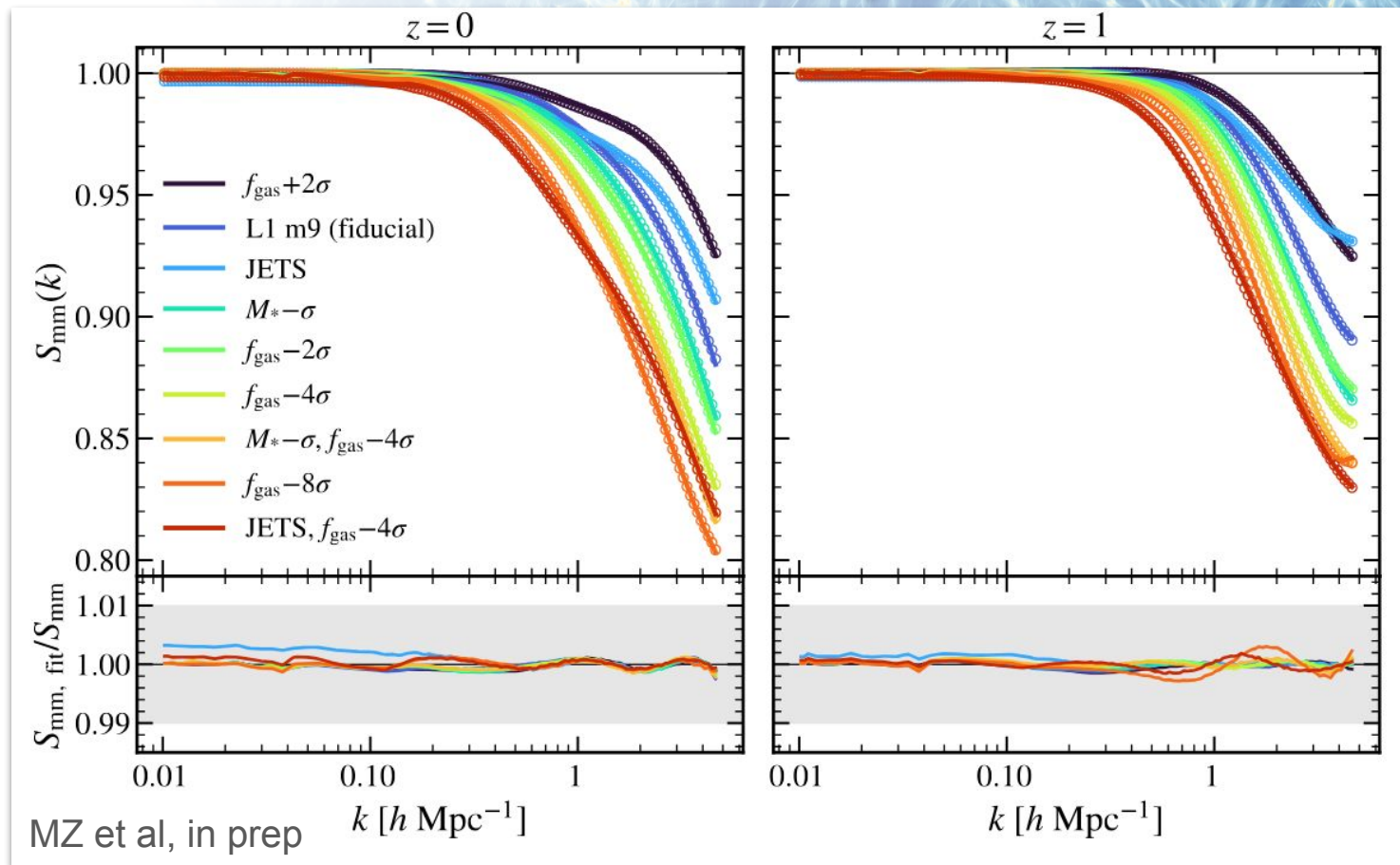


# The effect of baryons - matter: $S_{\text{mm}} = P_{\text{mm,hydro}} / P_{\text{mm,dmo}}$

9 baryon models from **FLAMINGO** simulations

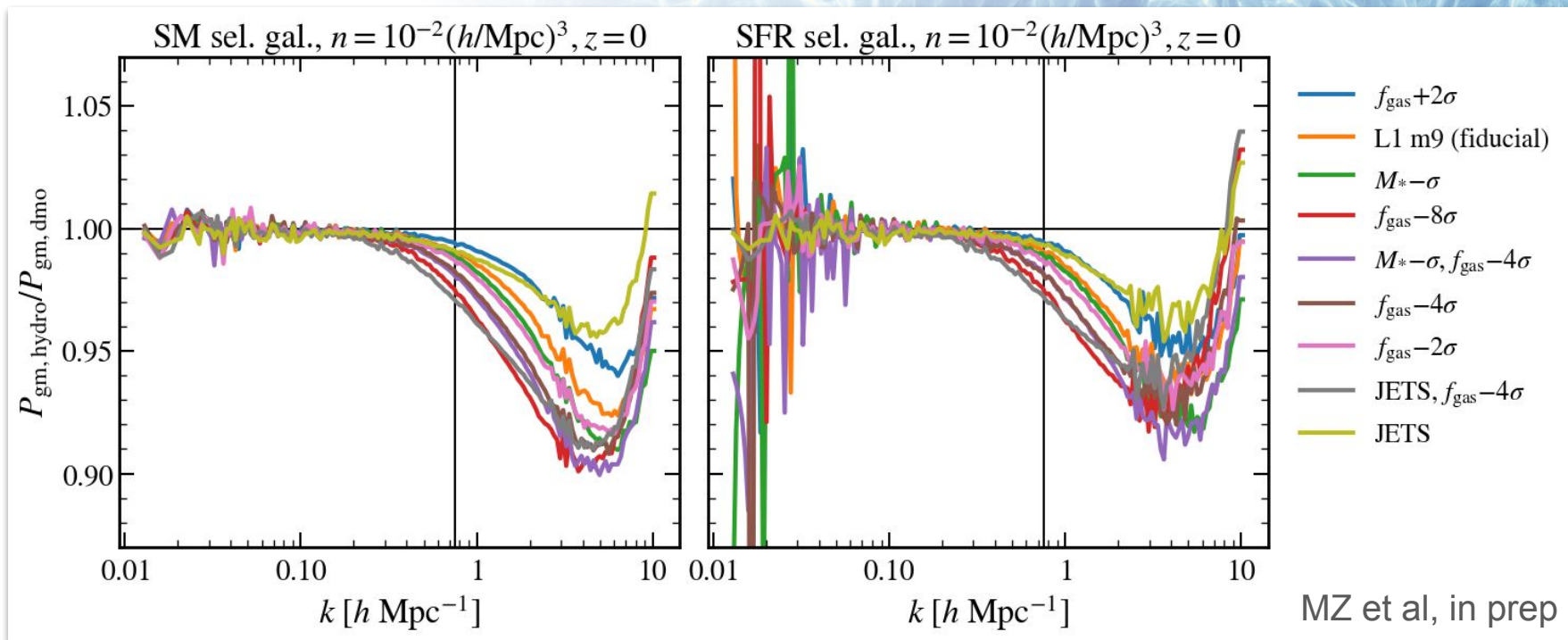
Fits with **baccoemu** (matter + BCM)  
Angulo et al (2020)  
Aricò et al (2021)

Giovanni's baryonification (yesterday)





# The effect of baryons - gm cross spectrum



$$S_{\text{gm}} = P_{\text{gm,hydro}} / P_{\text{gm,dmo}}$$

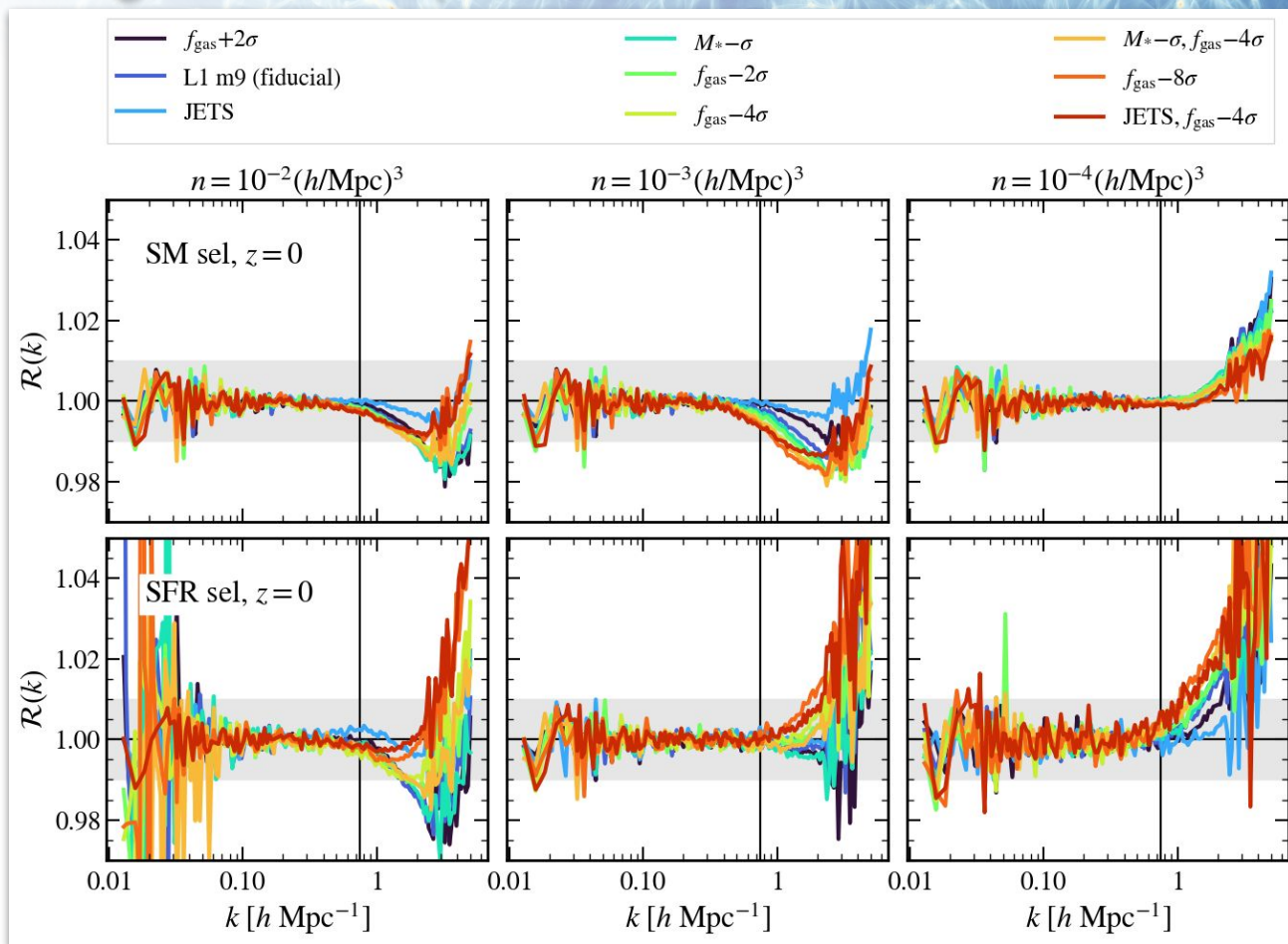
$$S_{\text{gm}}^? \sim \sqrt{S_{\text{mm}}}$$

# The effect of baryons - gm cross spectrum

$$R = S_{\text{gm}} / \sqrt{S_{\text{mm}}}$$

Hybrid model valid up to  $k \sim 1 \text{ h/Mpc}$

1% accuracy on these scales





# The effect of baryons

## Ignore baryons in $P_{gm}$ :

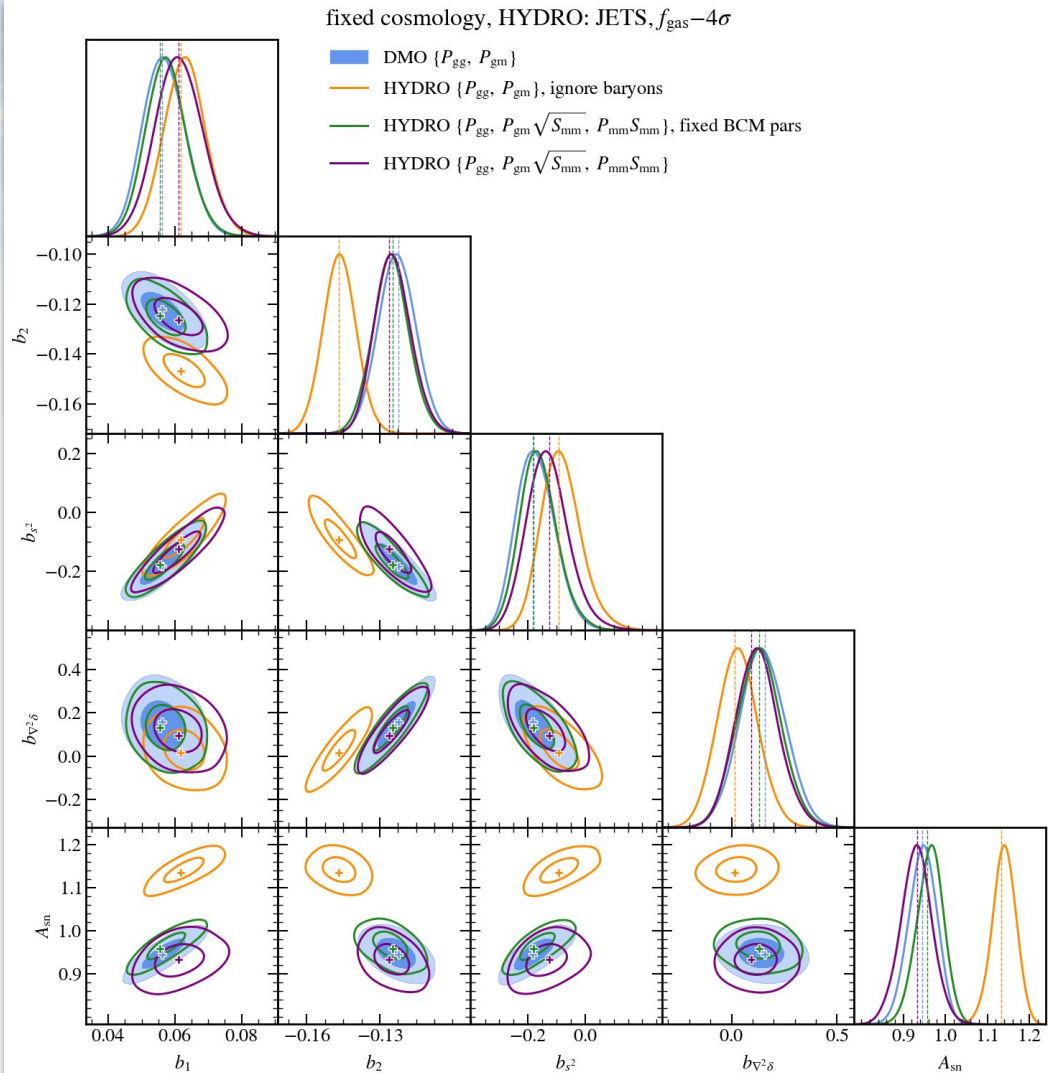
- still good fits
- bias parameters different from fiducial ones

## Include baryons (fixed to best fits):

- recover fiducial bias params

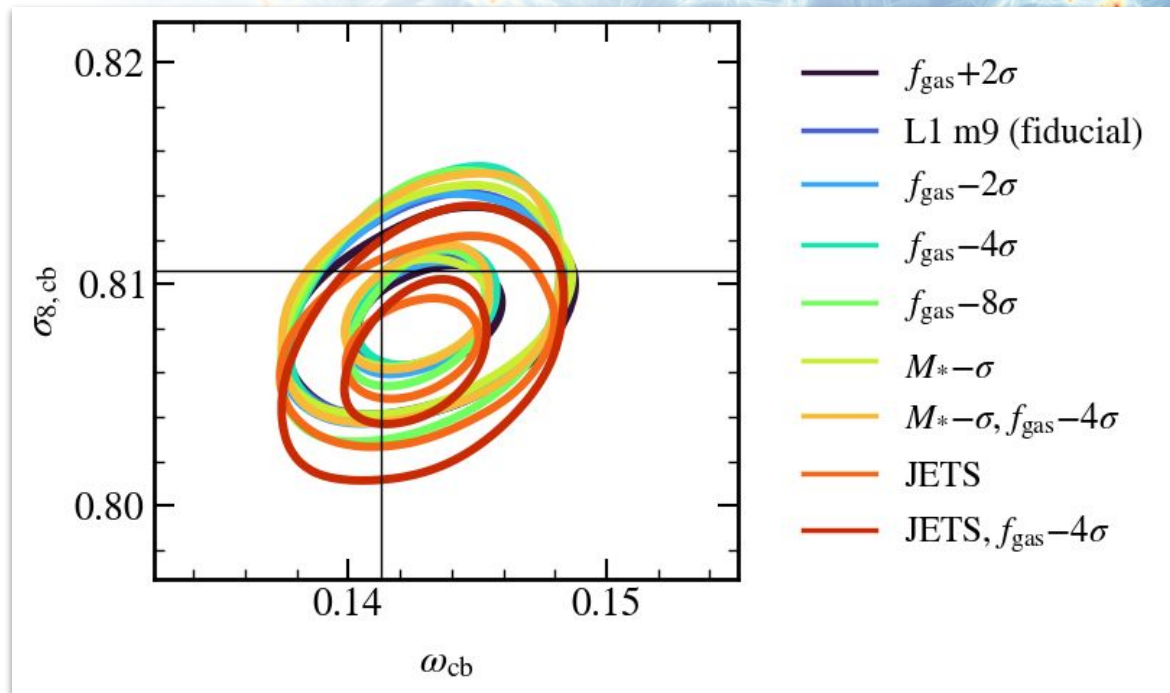
## Include baryons (free):

- recover fiducial bias params
- larger contours (more free params)



# The effect of baryons - free cosmology

For all baryon models, including baryons in the  $P_{\text{gm}}$  model, **unbiased** cosmological parameters



# Conclusions

Hybrid Lagrangian bias model:

- percent-level accuracy for galaxy clustering up to  $k=0.7$  h/Mpc
- fast emulator to predict  $P_{gg}$  and  $P_{gm}$  for LCDM + neutrinos +  $w_0 w_a$
- priors on galaxy bias parameters
- very promising for 3x2points analysis

Effect of baryons on  $P_{gm}$ :

- can be captured by galaxy bias, but inconsistently
- matter power spectrum suppression is a good approximation (1% accurate) on interesting scales ( $k < 1$  h/Mpc)
- unbiased cosmological parameters





# baccoemu: a full suite of emulators

Nonlinear **matter** power spectrum

**Baryon** Correction Model (BCM)

**Nonlinear templates for hybrid Lagrangian bias expansion in real space**

Nonlinear templates for hybrid Lagrangian **bias** expansion in **redshift space**

**Galaxy clustering** from SHAMe models

**Linear** matter power spectrum (tot matter)

**Linear** matter power spectrum (cdm+b)

Linear matter power spectrum with **smear**ed **BAO** (cdm+b) in real and redshift space

Linear matter power spectrum **dewiggled** (cdm+b)

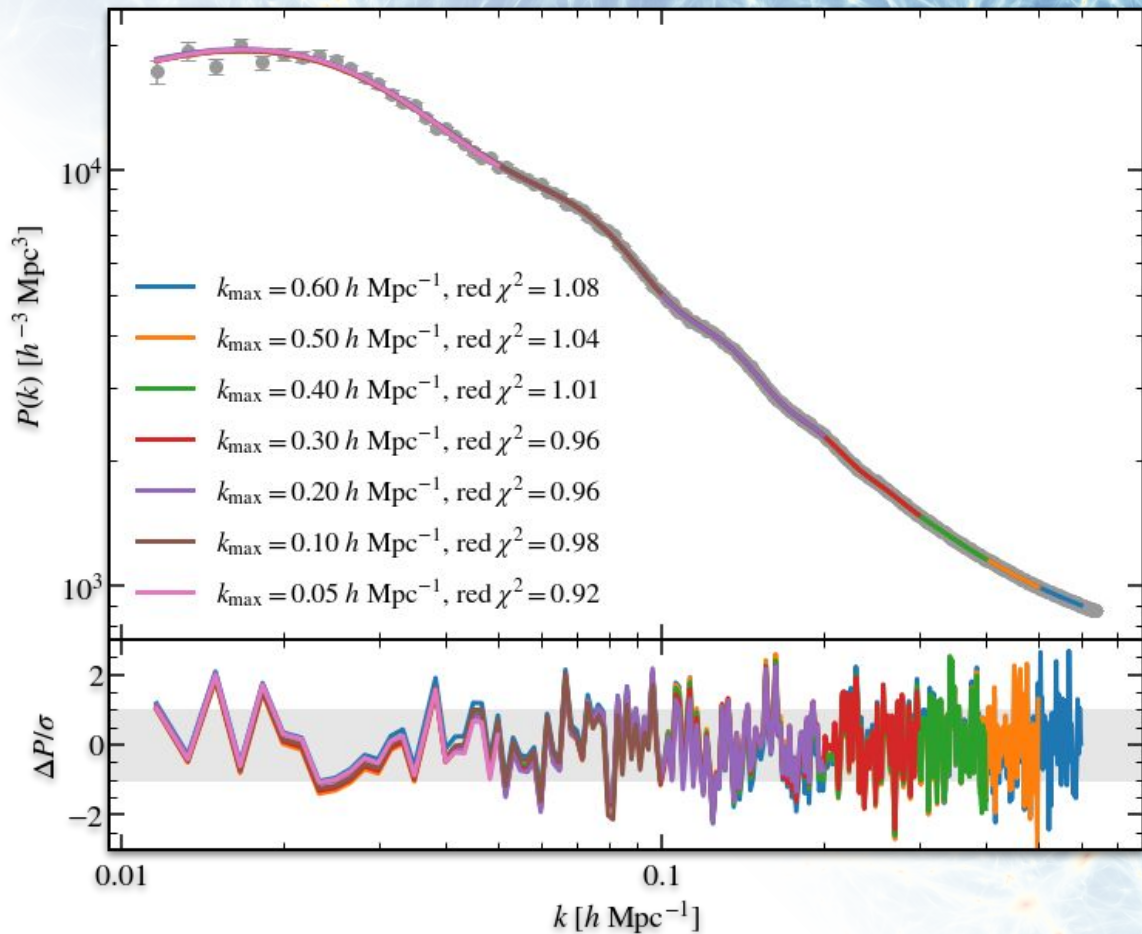
**2LPT** templates for hybrid Lagrangian **bias** expansion in real and redshift space

As  $\rightarrow \sigma_{8,\text{cold}}, \sigma_{8,\text{tot}}, \sigma_{12,\text{cold}}, \sigma_{12,\text{tot}}$

# The BACCO hybrid lagrangian bias model

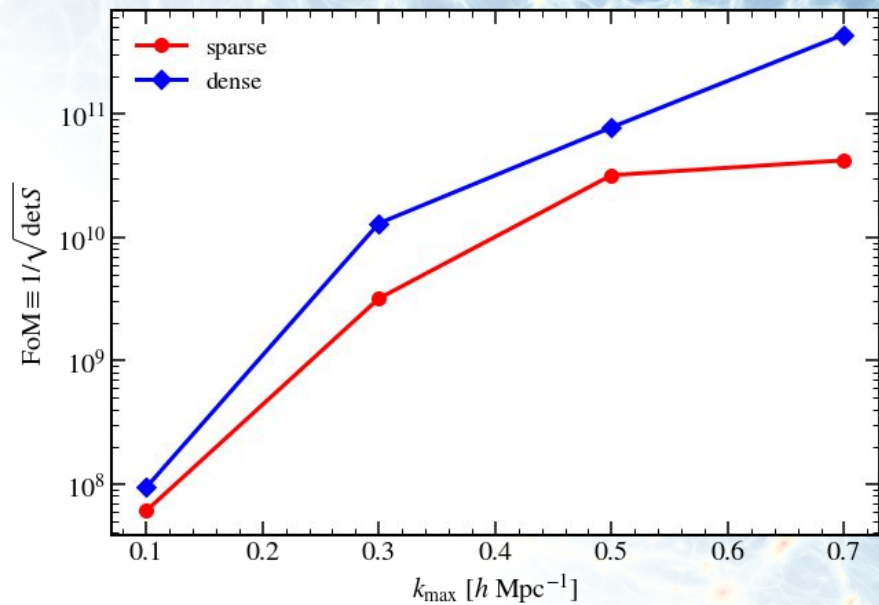
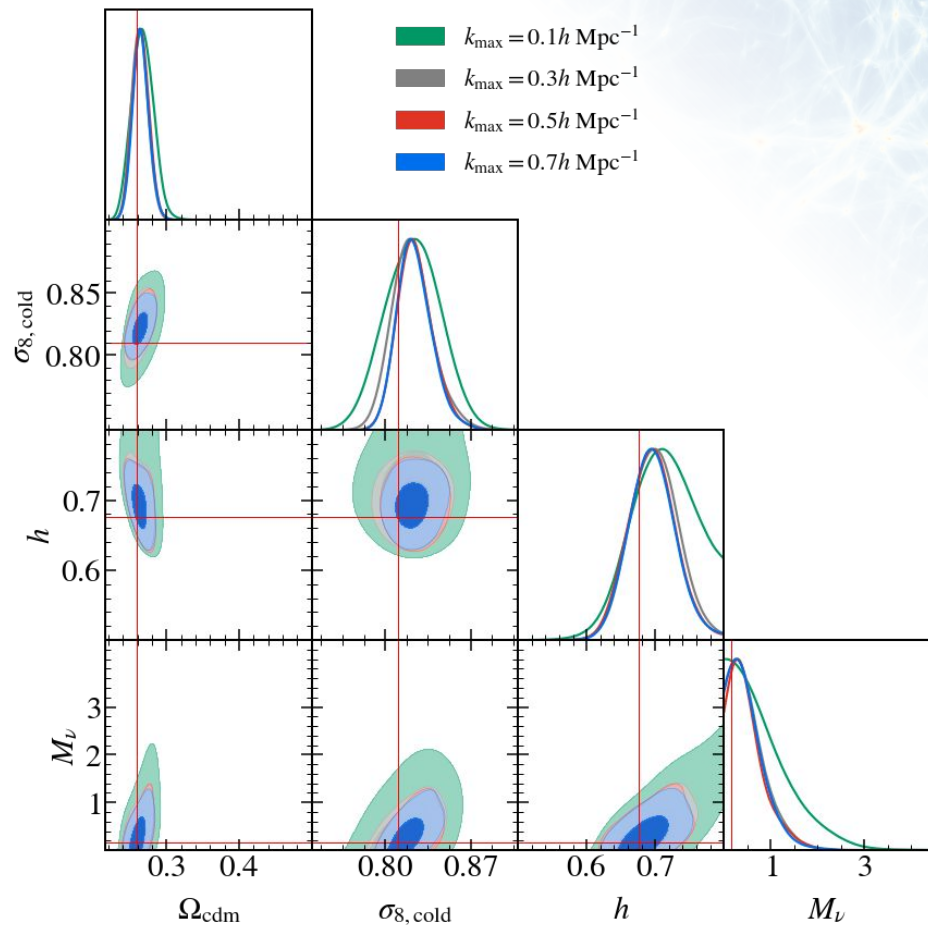
Euclid-like galaxies at  $z \sim 1$

Gaussian errors  
corresponding to volume of  
Euclid  $z \sim 1$  redshift bin

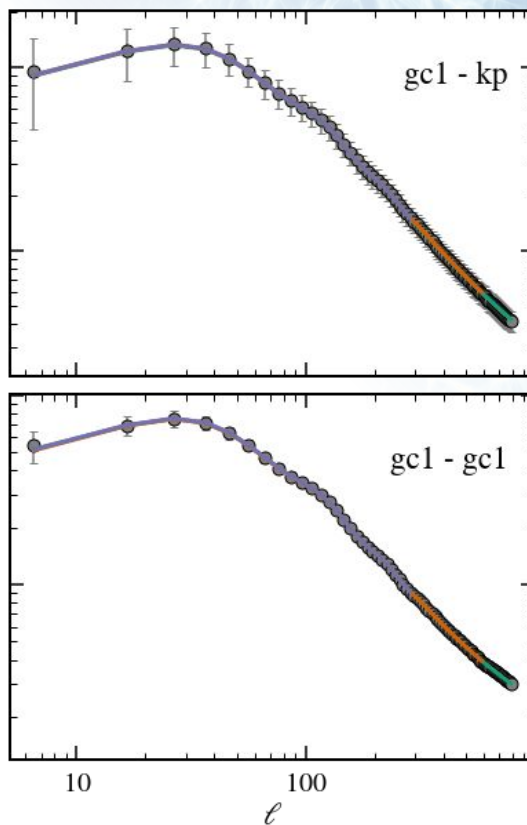
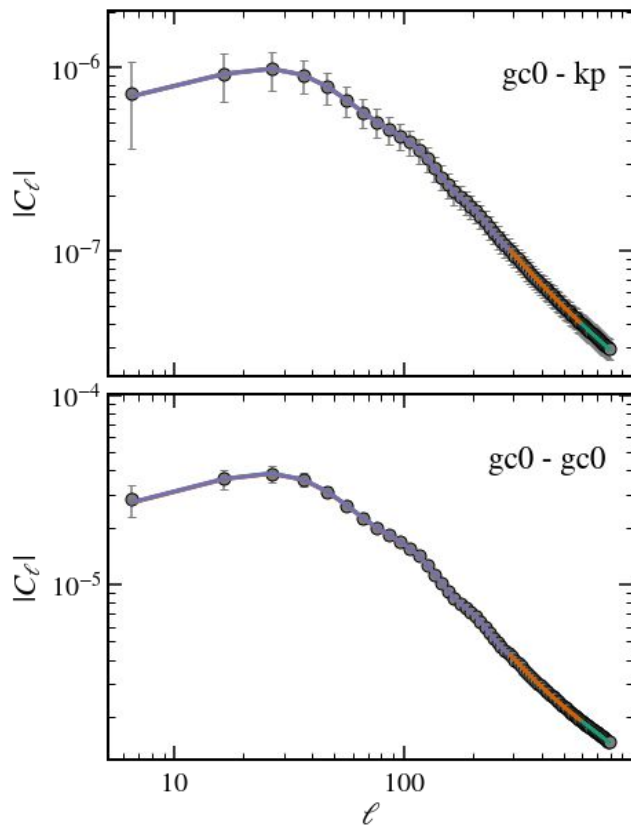




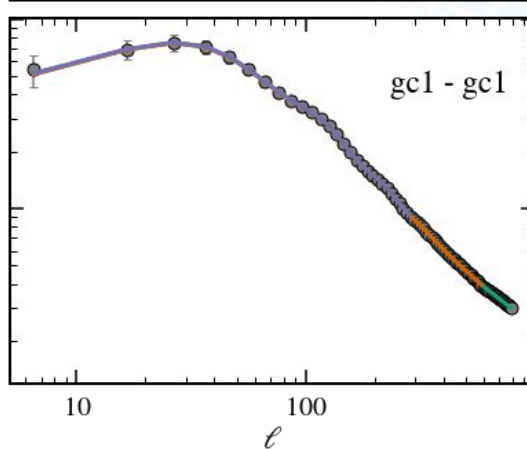
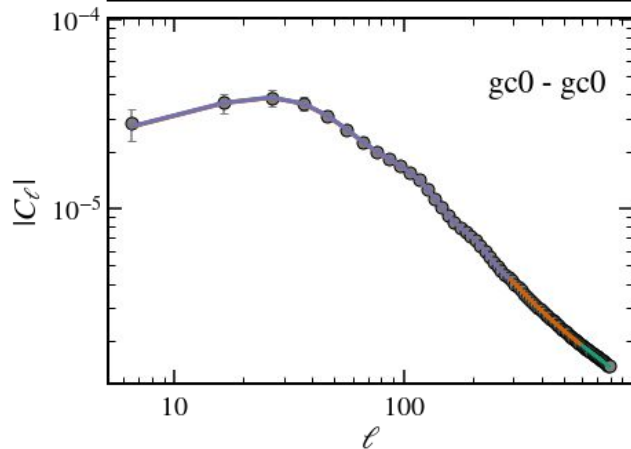
# The BACCO hybrid lagrangian bias model



# The BACCO hybrid lagrangian bias model



- $k_{\max} = 0.40 \text{Mpc}^{-1}, N_{\text{dof}} = 308, \chi^2 = 4.31$
- $k_{\max} = 0.30 \text{Mpc}^{-1}, N_{\text{dof}} = 228, \chi^2 = 1.95$
- $k_{\max} = 0.15 \text{Mpc}^{-1}, N_{\text{dof}} = 108, \chi^2 = 0.22$

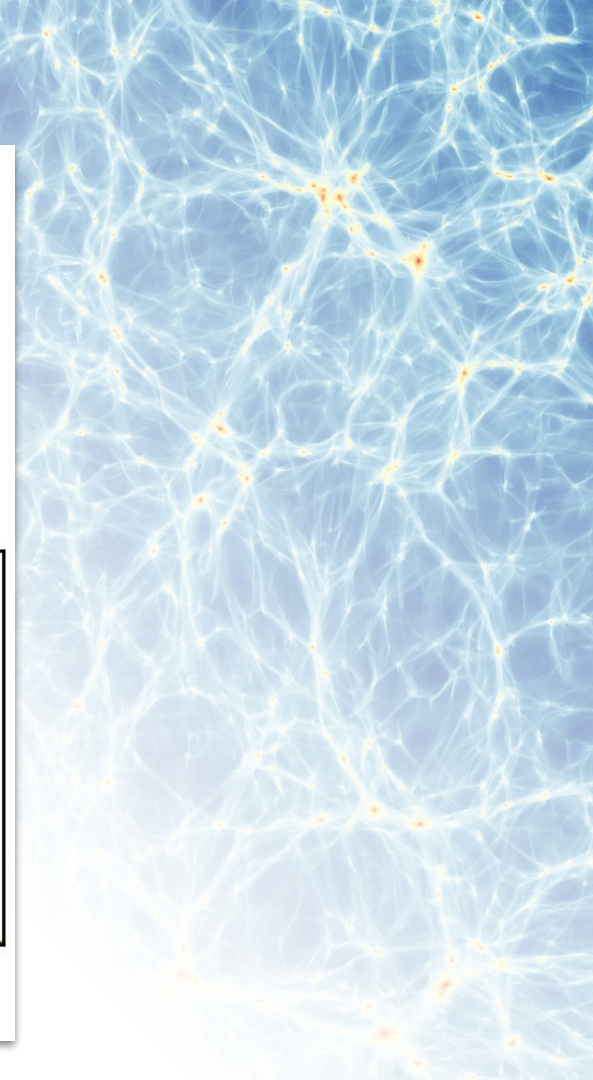
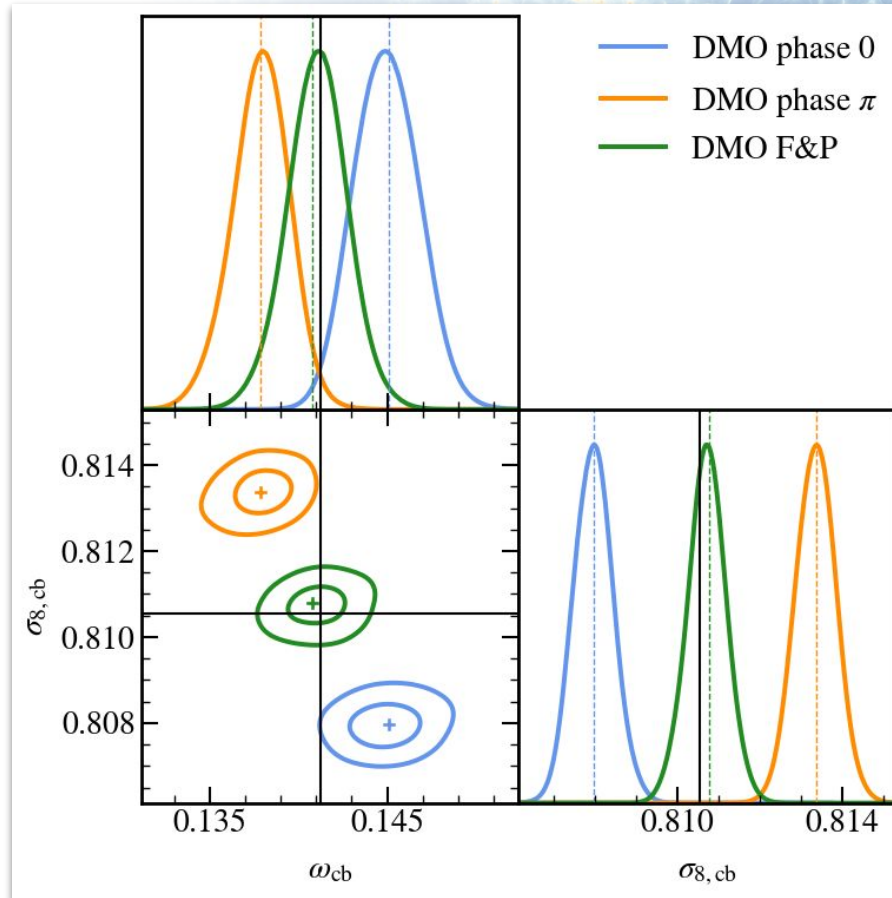


**Work in progress:**

**2x2point** (and **3x2point** when combined with matter power spectrum + baryons emulator)

Reanalysis of current **weak lensing surveys** with nonlinear bias to small scales

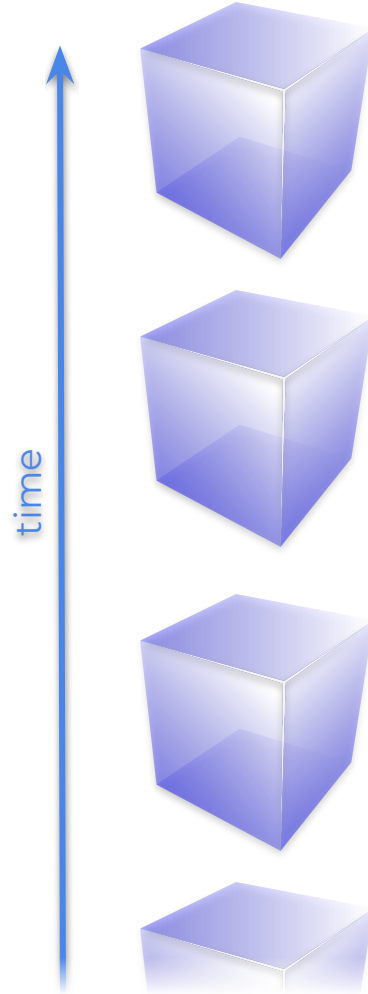
# One random realization





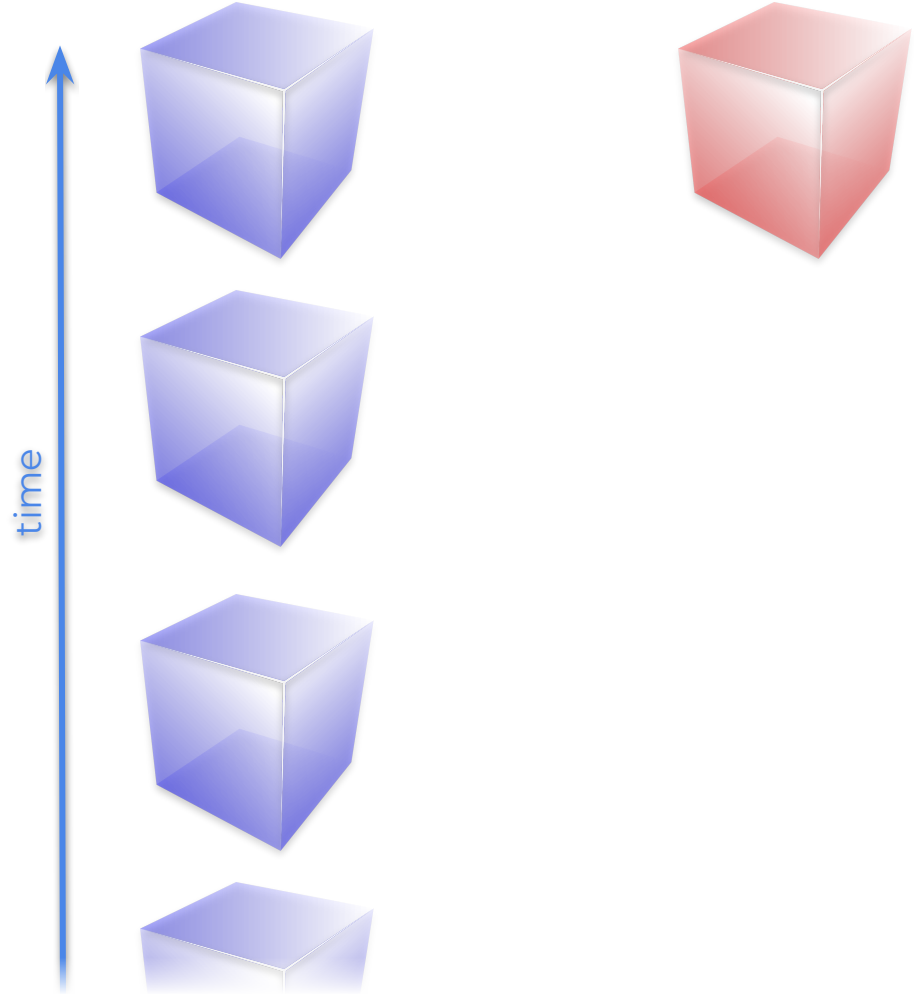
# Simulation rescaling

- **original simulation** with outputs at different redshifts



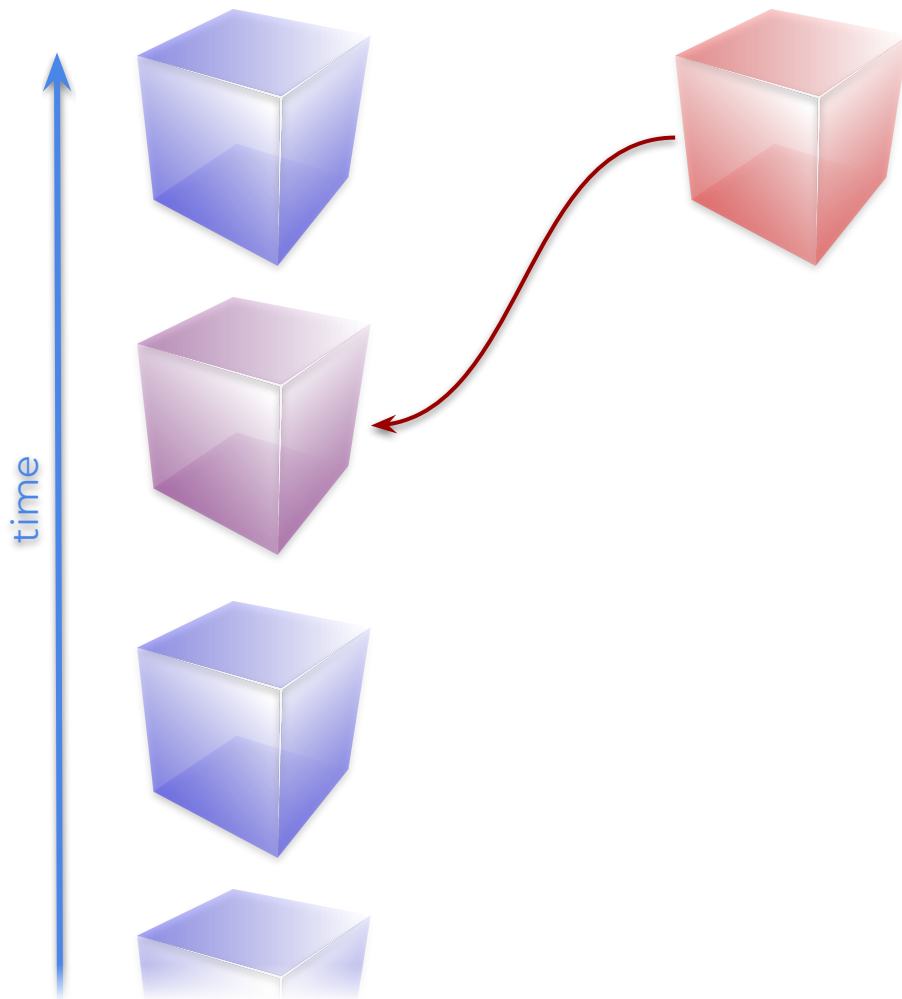
# Simulation rescaling

- **original simulation** with outputs at different redshifts
- **target cosmology** at a given redshift



# Simulation rescaling

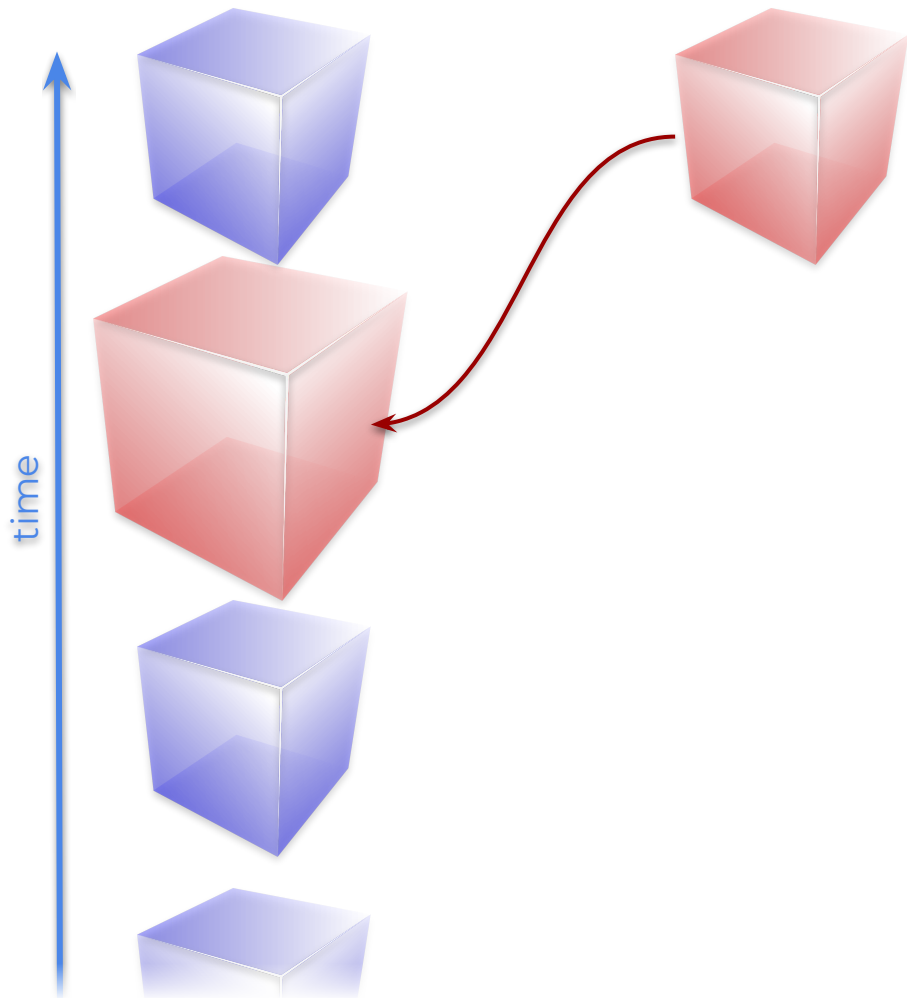
- **original simulation** with outputs at different redshifts
- **target cosmology** at a given redshift
- match the linear variance of the two cosmologies and get
  - a **time transformation** (this selects an output of the original simulation)



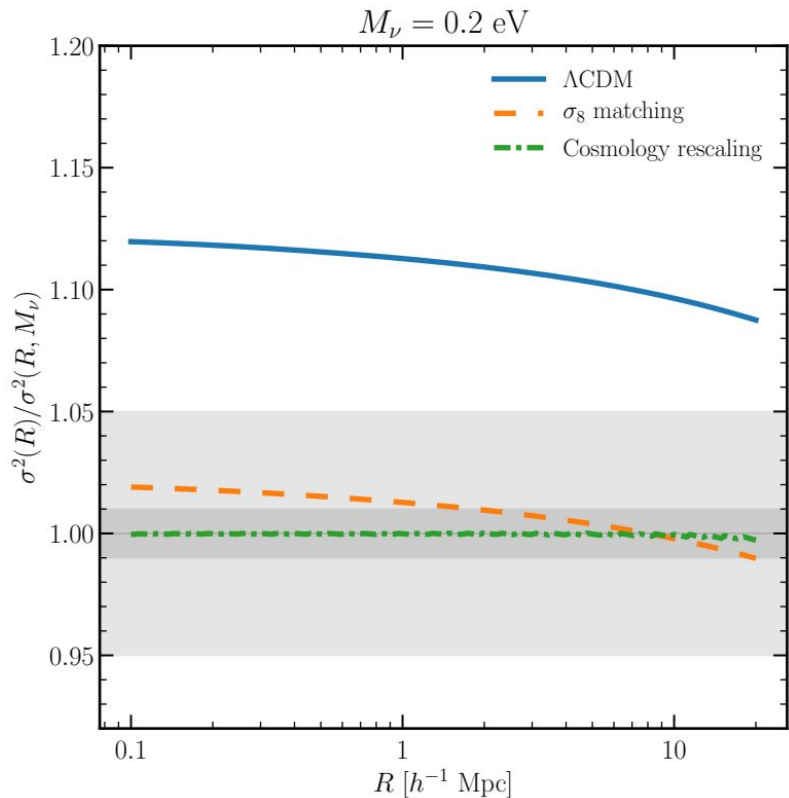


# Simulation rescaling

- **original simulation** with outputs at different redshifts
- **target cosmology** at a given redshift
- match the linear variance of the two cosmologies and get
  - a **time transformation** (this selects an output of the original simulation)
  - a **space transformation** (this shrinks or expands the box)
- then apply **other corrections** to make the rescaling more accurate (bulk flow velocities, virialised object velocities, match large scales...)



# Matching the linear variance



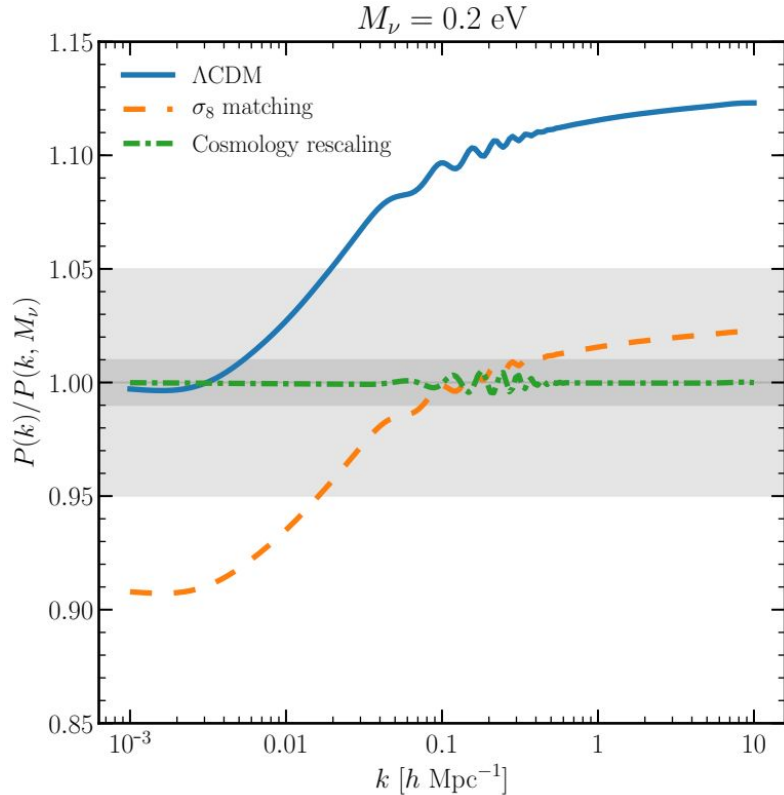
- Minimize (any cost function will do)

$$\delta_{\text{rms}}^2(s, z_*) \equiv \frac{1}{\ln(R_2/R_1)} \int_{R_1}^{R_2} \frac{dR}{R} \left[ 1 - \frac{\sigma(s^{-1}R, z_*)}{\sigma'(R, z_t)} \right]^2$$

- which  $\sigma(R, z)$ ? **cdm+baryons**

$$\sigma^2(R, z) = \int_0^\infty \frac{k^2 dk}{2\pi^2} W^2(kR) D_{\text{cold}}^2(k, z) P_0(k)$$

# Matching the predicted cold matter $P(k)$



- Only  $\sigma_8$  matching leaves spurious structure in the  $P(k)$  shape
- **Large-scale correction** essential



# Large-scale correction

- Matching  $\sigma(R, z)$  reproduces well the clustering on **mildly-nonlinear** to **nonlinear** scales
- Spurious contribution of long wavelength modes: **subtract** and **add** back with a displacement field

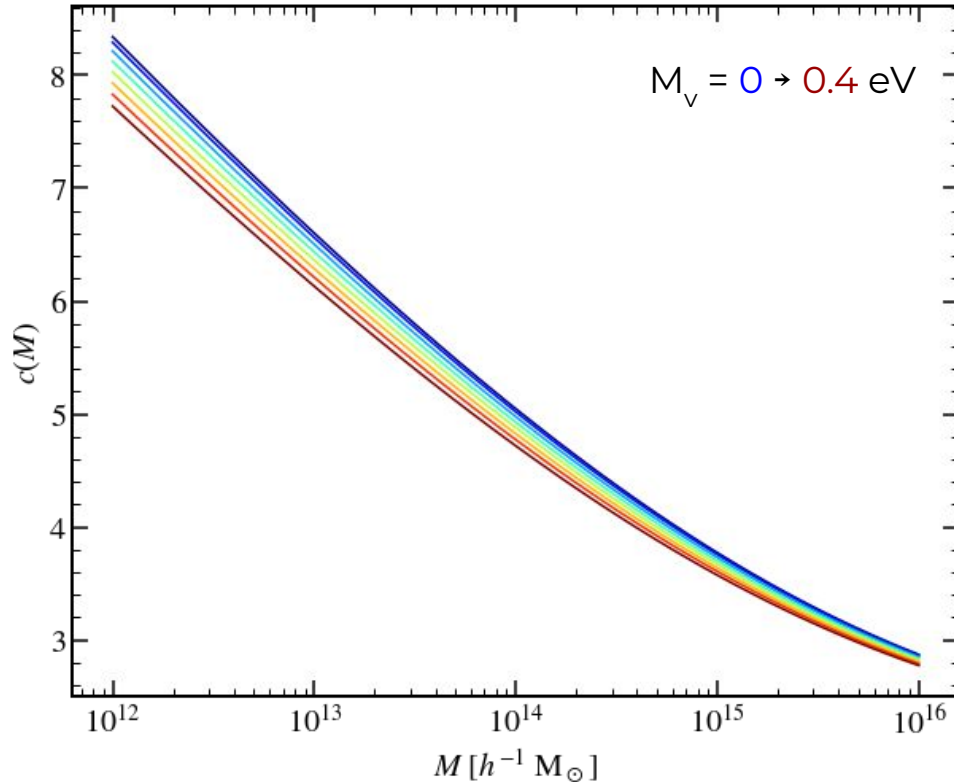
$$\mathbf{x}' = \mathbf{x} - \Psi_{\text{original}} + \Psi_{\text{target}}$$

$$\Psi = \text{iFT} \left[ -i \frac{\mathbf{k}}{k^2} \delta(\mathbf{k}) \right]$$

- Same for velocities, using the large-scale limit of the scale dependent growth rate  $f(k)$

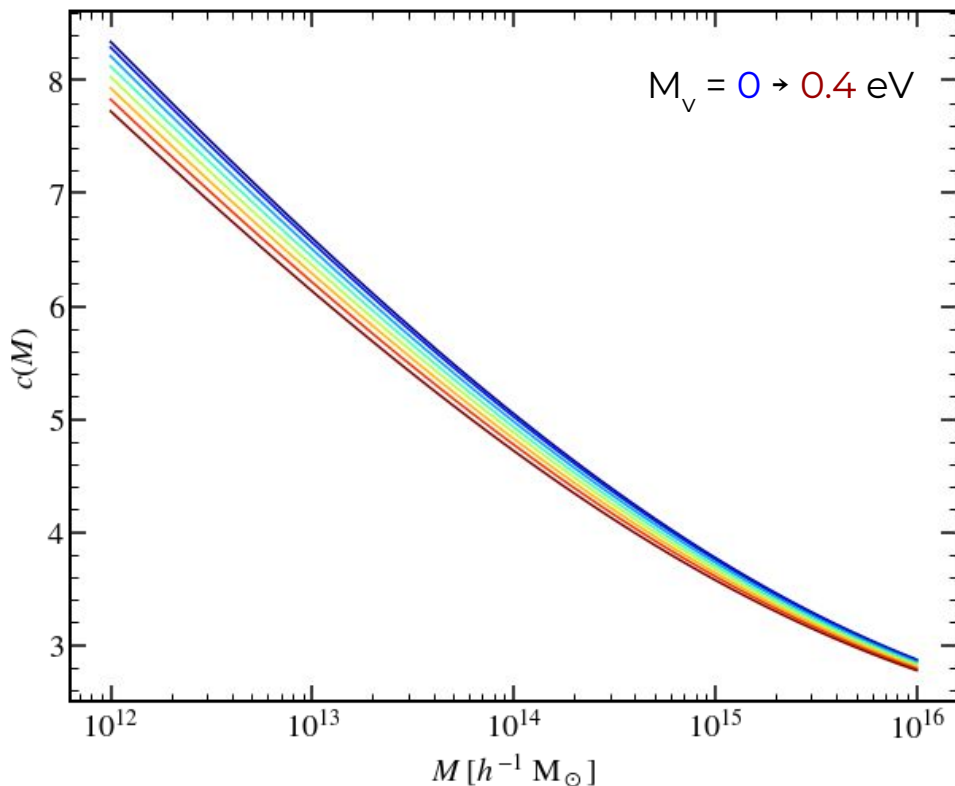
$$\mathbf{v}' = \mathbf{v} - (aHf\Psi)_{\text{original}} + (aHf\Psi)_{\text{target}}$$

# Concentration correction



- Ludlow et al (2016) using  $\Omega_{\text{cold}}$  instead of  $\Omega_{\text{m}}$
- At a fixed time and halo mass, higher neutrino mass means less concentrated halo

# Concentration correction



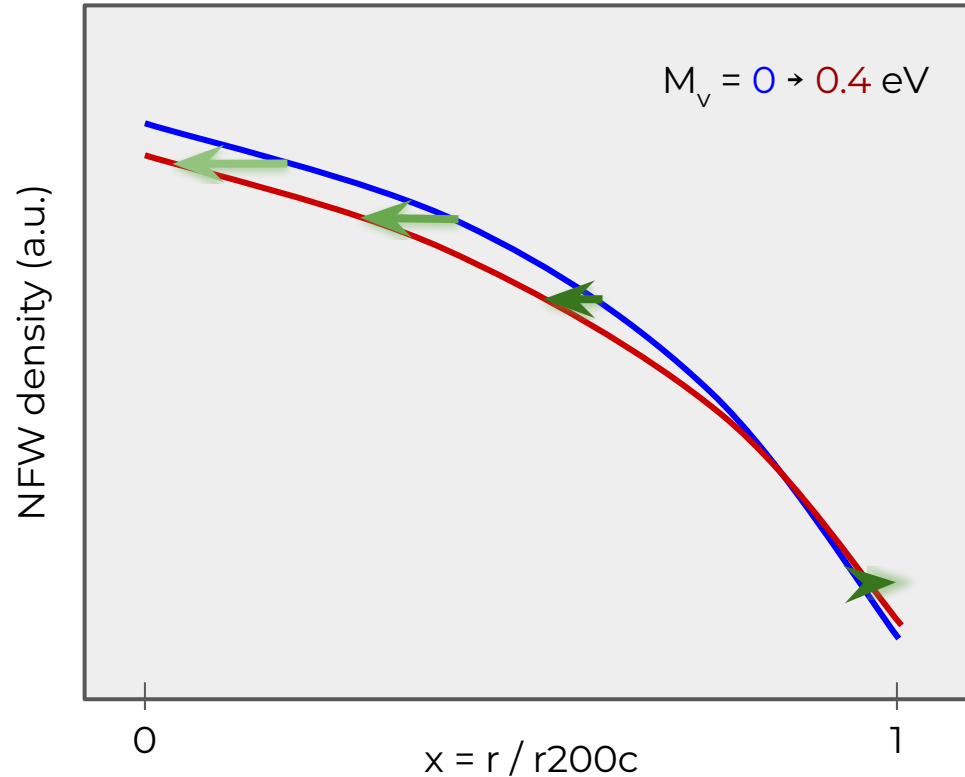
*... yeah but, is Ludlow+16 a good description of the  $c$ - $M$  relation with neutrinos?*

*Lopez-Cano et al (2023)*

- Ludlow et al (2016) using  $\Omega_{\text{cold}}$  instead of  $\Omega_{\text{m}}$
- At a fixed time and halo mass, higher neutrino mass means less concentrated halo



# Concentration correction



- Compute **halo-by-halo** displacement field
- Displacement computed from difference of **theoretical NFW** profiles
- Applied to **actual in-halo particles**
  - No profile is 'forced'
  - Keep triaxiality of halo

# Velocities of virialised particles in haloes

Correct particles inside haloes to guarantee they are virialised even with the new halo mass and radius

$$\mathbf{v}'_{\text{in-halo}} = \sqrt{\frac{a\Omega'_{\text{cold}}}{a'\Omega_{\text{cold}}} \frac{h'}{h}} \mathbf{sv}_{\text{in-halo}}$$

primed = target cosmology  
non-primed = original cosmology