NEUTRINO COSMOLOGY

- 2024 EDITION -

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ASTROPARTICLE SYMPOSIUM 2024

Pascal Institute of the Paris-Saclay University, 22 November 2024

WILLIAM GIARÈ

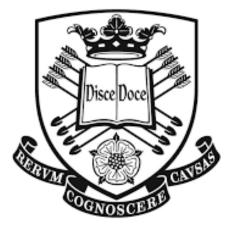
w.giare@sheffield.ac.uk

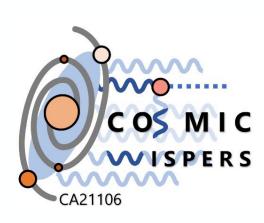
williamgiare.com

Research Associate in Theoretical Cosmology

School of Mathematical and Physical Sciences The University of Sheffield







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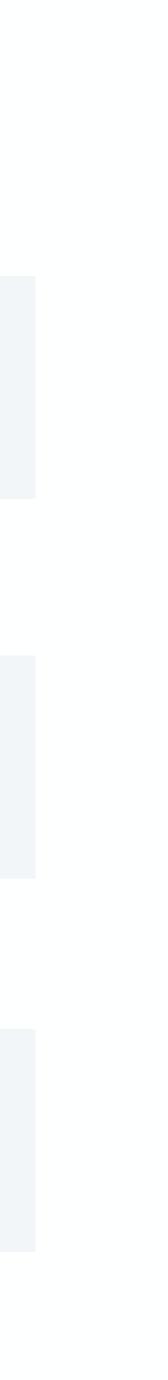




COSMOLOGICAL BOUNDS ON NEUTRINO SPECIES, MASS & ORDERING

2 NEUTRINO - DARK MATTER INTERACTIONS





THE STORY OF NEUTRINOS IS A **STORY OF SUCCESS!**

- 1930 Wolfgang Pauli Postulates the existence of Neutrinos
- 1956 *Discovery of Electron Neutrino* by C. Cowan and F. Reines
- 1958 Neutrino oscillation hypotesis by Pontecorvo
- 1962 *Discovery of the Muon Neutrino* by Lederman, Schwartz & Steinberger
- 1998 *Discovery of Atmospheric Neutrino Oscillations* by Super Kamiokande
- 2000 *Discovery of the Tau neutrino* by DONUT at Fermilab
- 2001 *Discovery of solar neutrino oscillations* by Sudbury Neutrino Observatory



"I have done a terrible thing, I have postulated a particle that cannot be detected"

– Wolfgang Pauli –

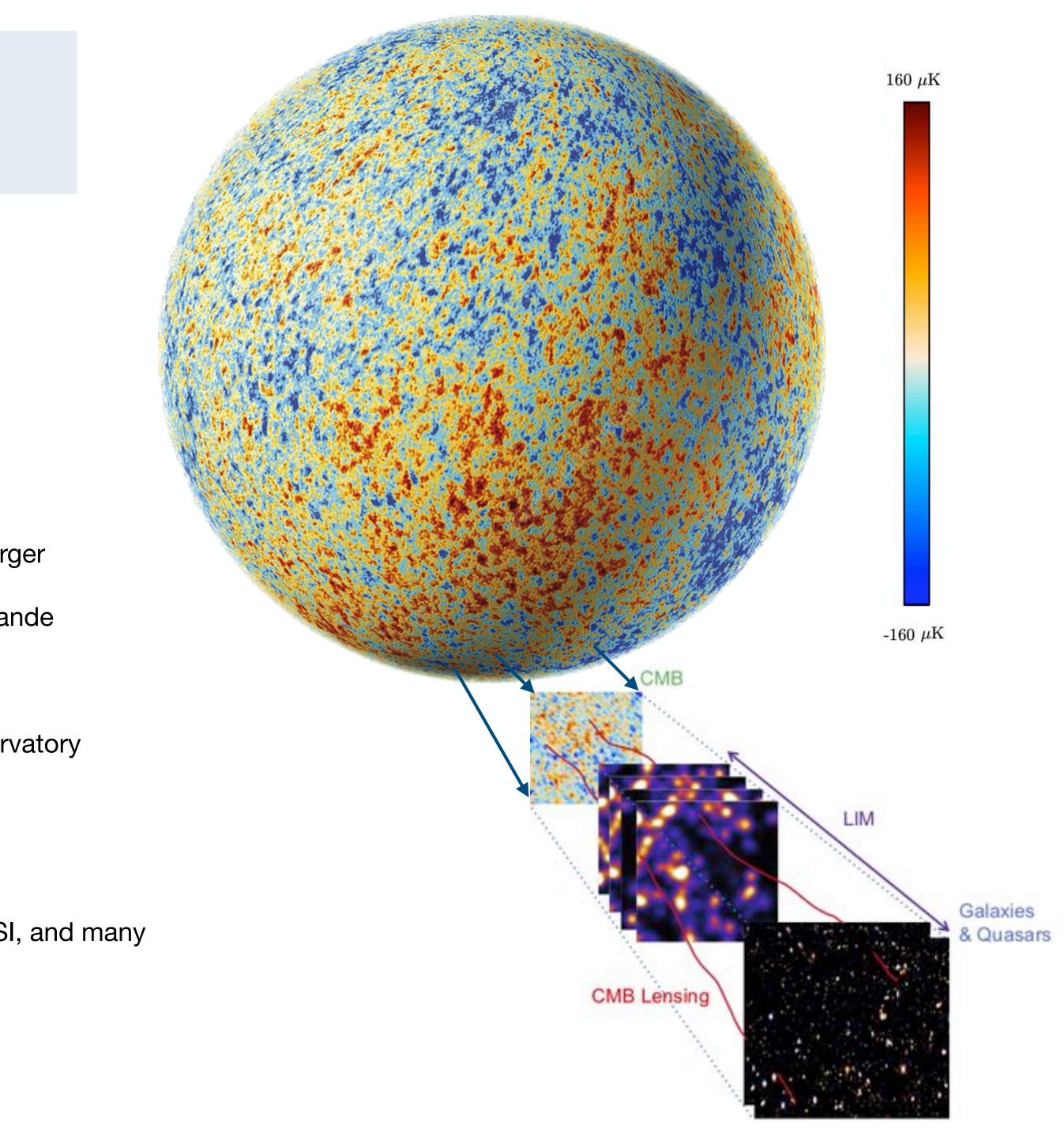


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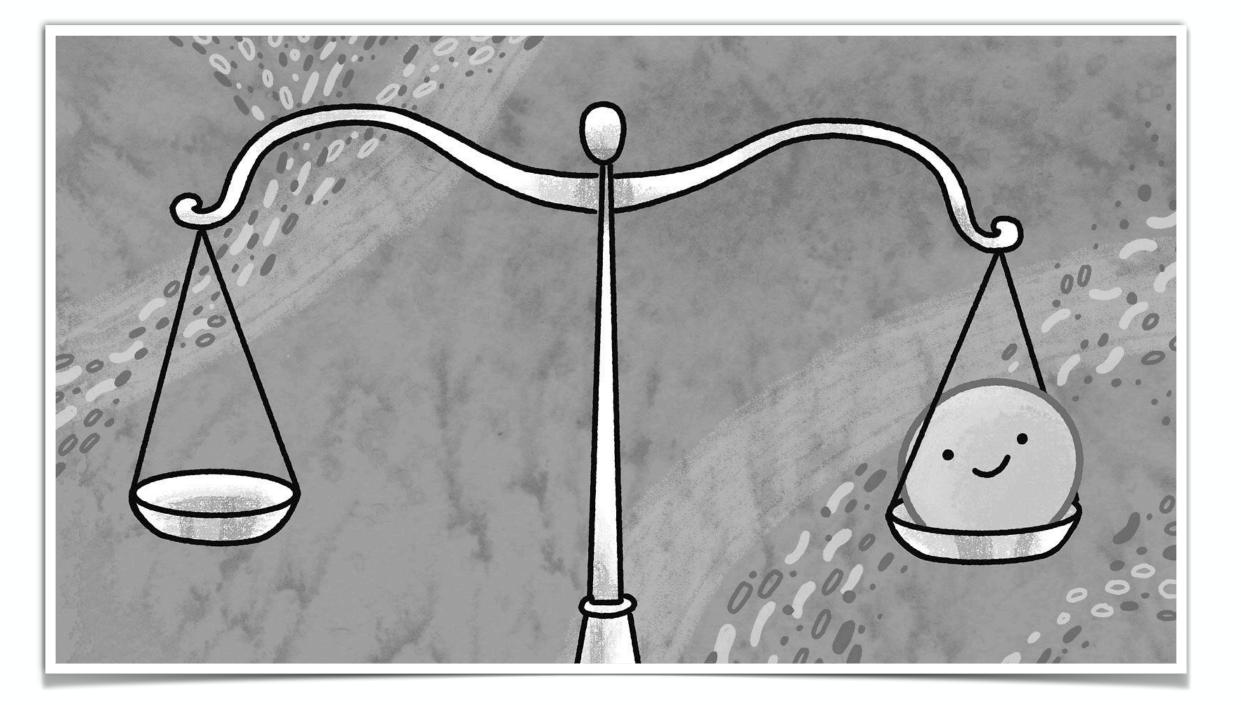
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. . .

 Now — Neutrino Astrophysics and Cosmology by Planck, ACT, SDSS, DESI, and many other cosmological and astrophysical surveys







COSMOLOGICAL BOUNDS ON NEUTRINO SPECIES, MASS & ORDERING

Main References:

- WG, Forconi, Di Valentino, Melrchiorri MNRAS 520 (2023) 2 ; [arXiv: 2210.14159]
- Di Valentino, Gariazzo, WG, Mena PRD 108 (2023) 8, 083509 ; [arXiv: 2305.12989]
- WG, Mena, Di Valentino PRD 108 (2023) 10, 103539 ; [arXiv: 2307.14204]
- Gariazzo, **WG**, Mena, Di Valentino (under review in PRD); [arXiv: 2404.11182]
- WG PRD 109 (2024) 12, 12354 ; [arXiv: 2404.12779]
- Jun-Qian Jiang, WG, et. al. (under review in JCAP) [arXiv: 2407.18047] *

* Work covered by sciencenews.org in the article

"A neutrino mass mismatch could shake cosmology's foundations"



NUMBER OF NEUTRINO SPECIES

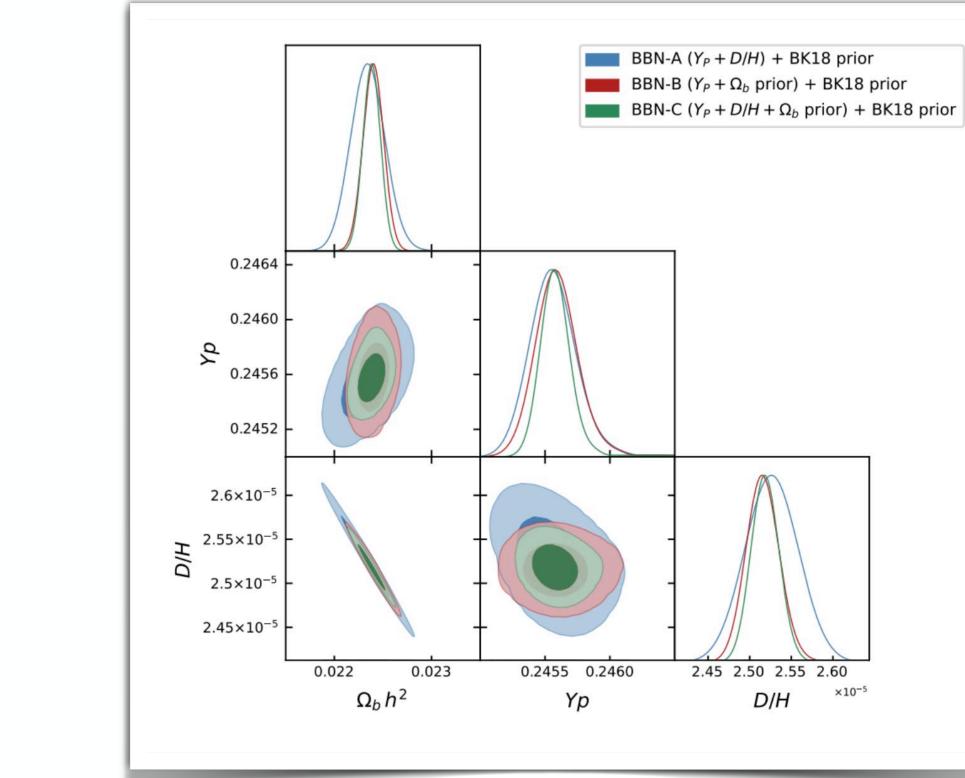
The amount of the radiation energy density is commonly parameterized in terms of the effective number of relativistic degrees of freedom

$$\Omega_r \simeq \Omega_\gamma \left(1 + 0.23 \, N_{\rm eff}\right)$$

In the Standard model of cosmology and Particle physics $N_{\rm eff} = 3.04$. A larger $N_{\rm eff}$ will increase $H(z) \propto \left[\Omega_r \cdot (1+z)^4\right]^{1/2}$

- **BBN:** A higher N_{eff} during BBN implies a larger freeze-out temperature of the weak interactions and so:
 - 1) A higher neutron-to-proton ratio
 - 2) A larger fraction of primordial Helium and Deuterium
 - 3) A higher fraction of other primordial elements with respect to hydrogen.

$$\Delta N_{\rm eff} < 0.3 - 0.4$$





Parameter	BBN-A	BBN-B	BBN-C
	$(Y_p + D/H)$	$(Y_p + \Omega_b \ h^2)$	$(Y_p + D/H + \Omega_b h^2)$
$\Omega_{ m b}h^2$	0.02234 ± 0.00017	0.02240 ± 0.00010	0.022382 ± 0.000086
Y_p	0.24558 ± 0.00010	0.24561 ± 0.00010	$0.245591\substack{+0.000015\\-0.000060}$
$(D/H) \cdot 10^{-5}$	2.527 ± 0.030	2.516 ± 0.020	2.519 ± 0.016
$\Delta N_{ m eff}$	< 0.33 (< 0.40)	< 0.32 (< 0.40)	< 0.16 (< 0.21)

WG, M. Forconi *et al.* – MNRAS 520 (2023) 2 • arXiv: 2210.14159



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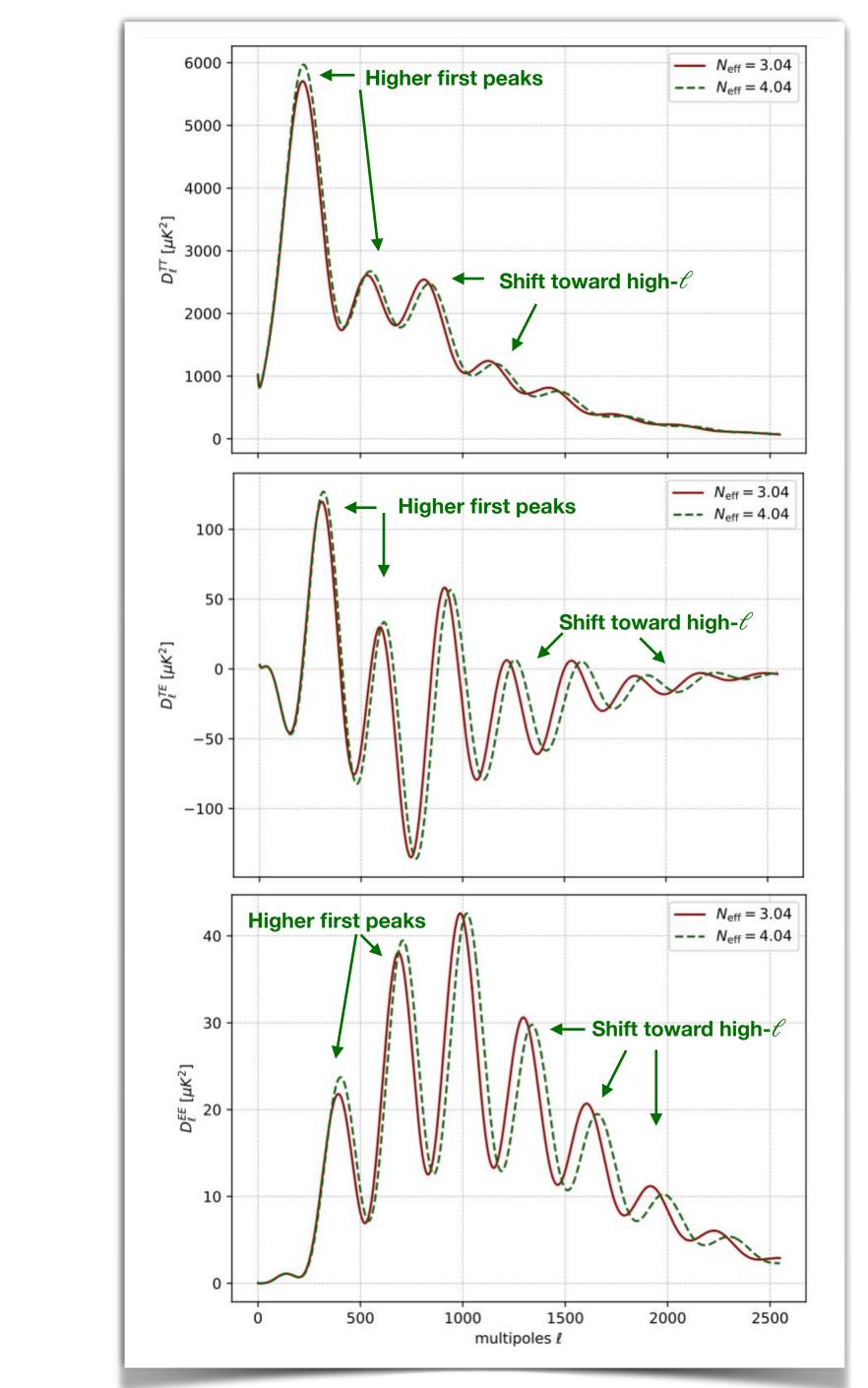
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• **CMB:** a higher $N_{\rm eff}$ at recombination implies:

1) Changing the matter-radiation equivalence and enhancing the early ISW. This contributes to the primary anisotropy, increasing the first acoustic peaks.

2) **Reducing the sound horizon** and the angular scale of the acoustic peaks. This gives a horizontal shift of the peak positions towards higher multipoles.

$$\Delta N_{\rm eff} < 0.34$$



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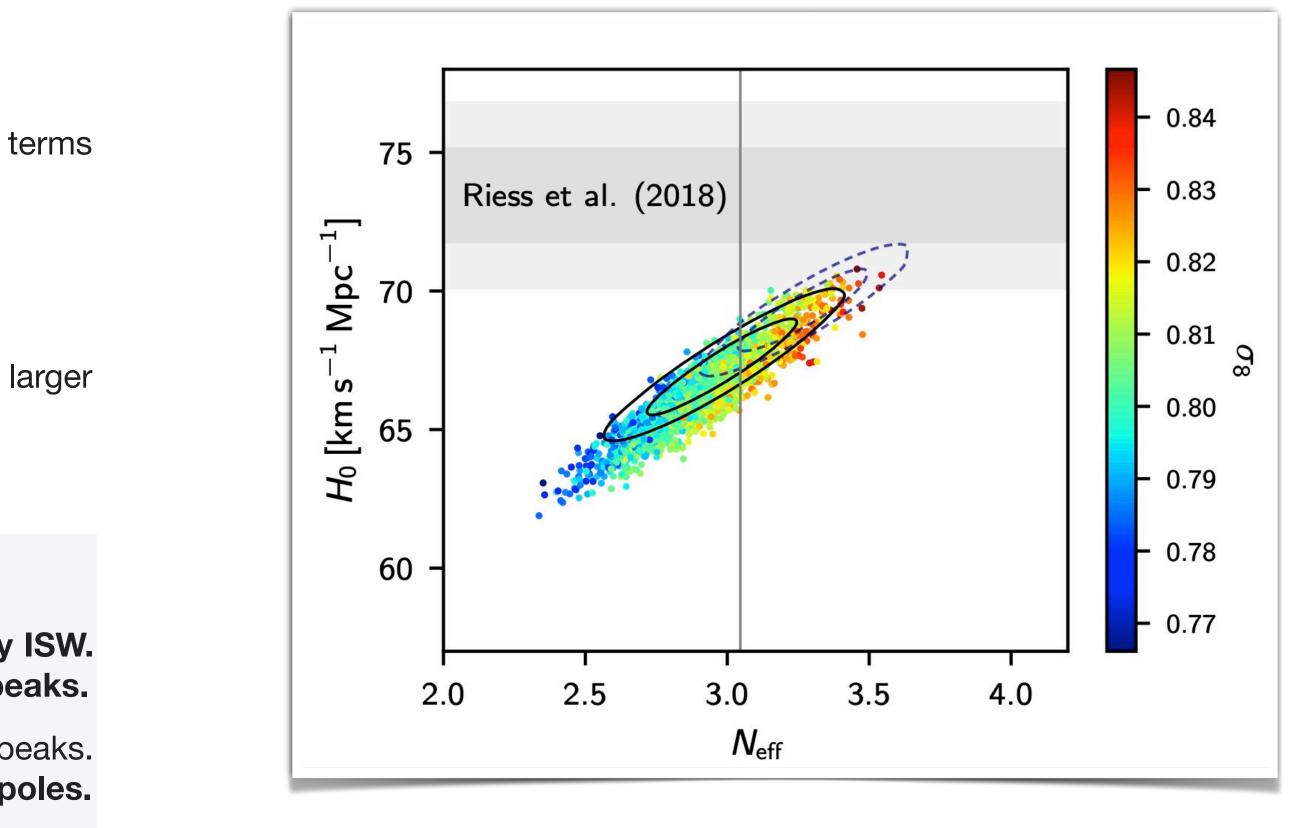
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Planck 2018 results. VI

[arXiv:1807.06209]



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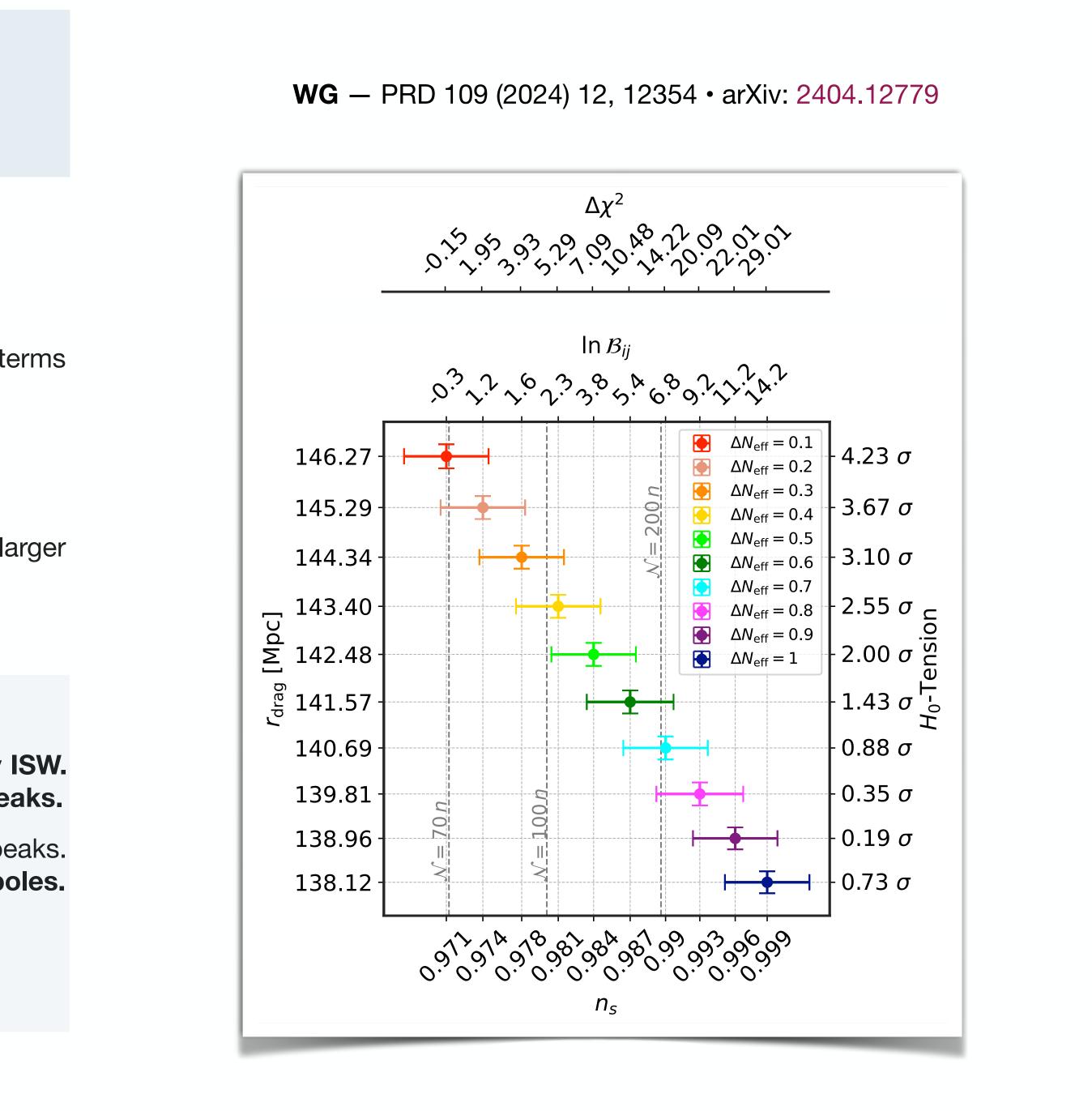
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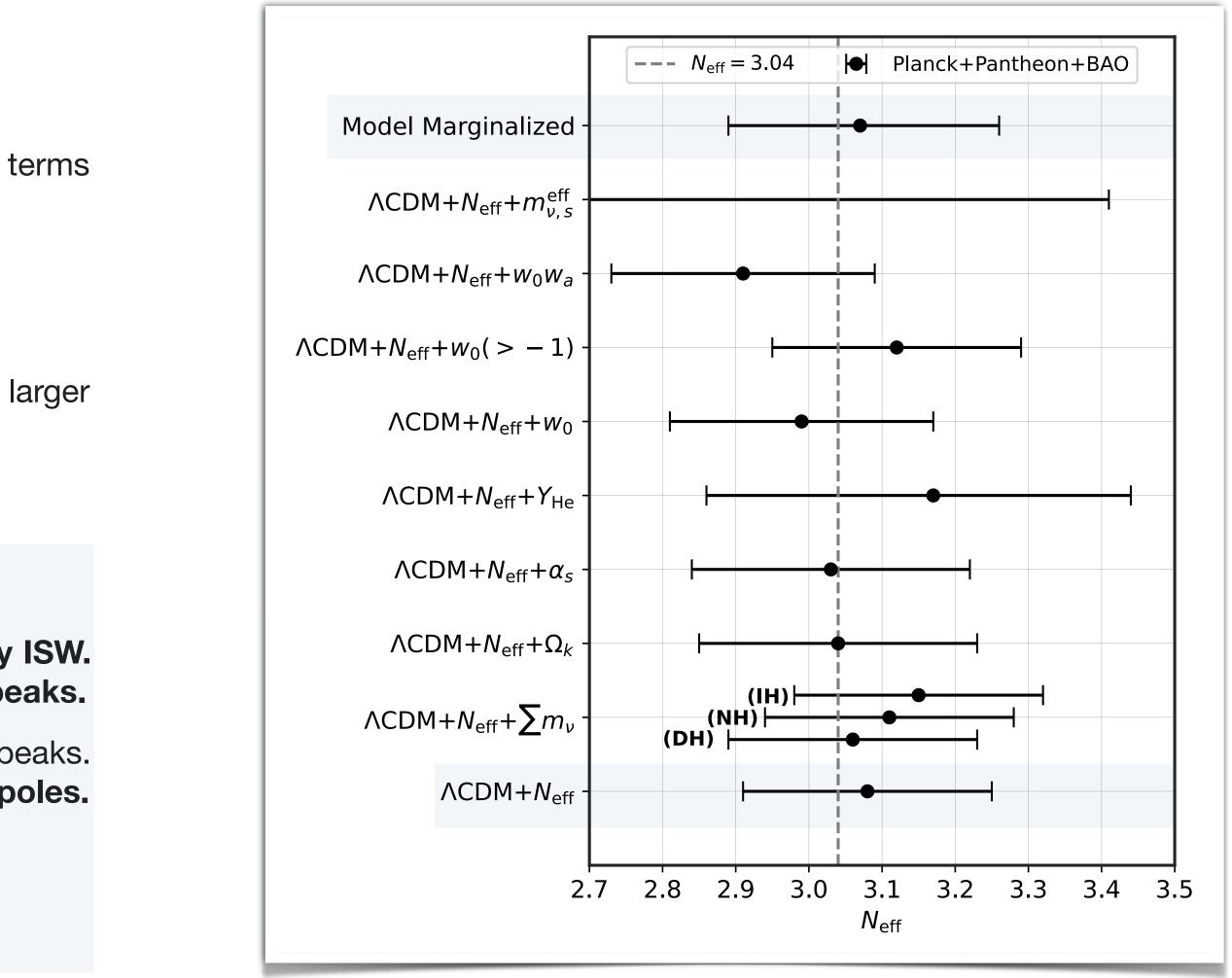
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Gariazzo, **WG**, et al – (under review in PRD) • arXiv: 2404.11182





TOTAL NEUTRINO MASS AND ORDERING

The total neutrino mass $\sum m_{\nu}$ impacts the CMB in various ways:

1) it **boosts the late-time non-relativistic density**, affecting the scale-angle relations on the last scattering surface and the late ISW effects.

2) affects the non-relativistic transition of neutrinos by changing the pressure-todensity ratio and causing metric fluctuations observable in the early ISW effect.

3) it reduces weak lensing effects on the CMB by suppressing the matter power spectrum and CMB spectra at small scales.

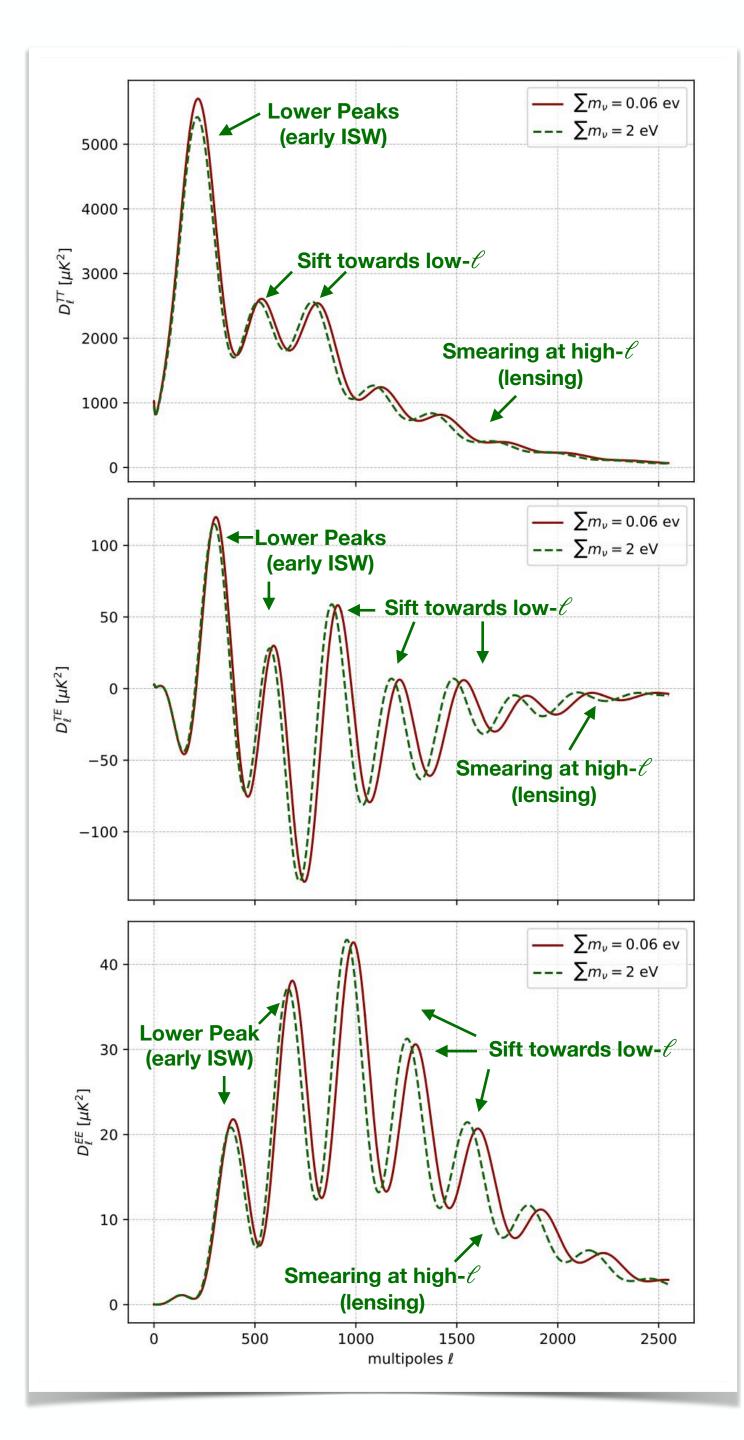
$$\sum m_{\nu} < 0.26 \,\mathrm{eV}$$
 Planck - (TT TE EE)

 $\sum m_{\nu} < 0.24 \,\mathrm{eV}$ Planck - (TT TE EE) + lensing

Planck 2018 results. VI

[arXiv:1807.06209]





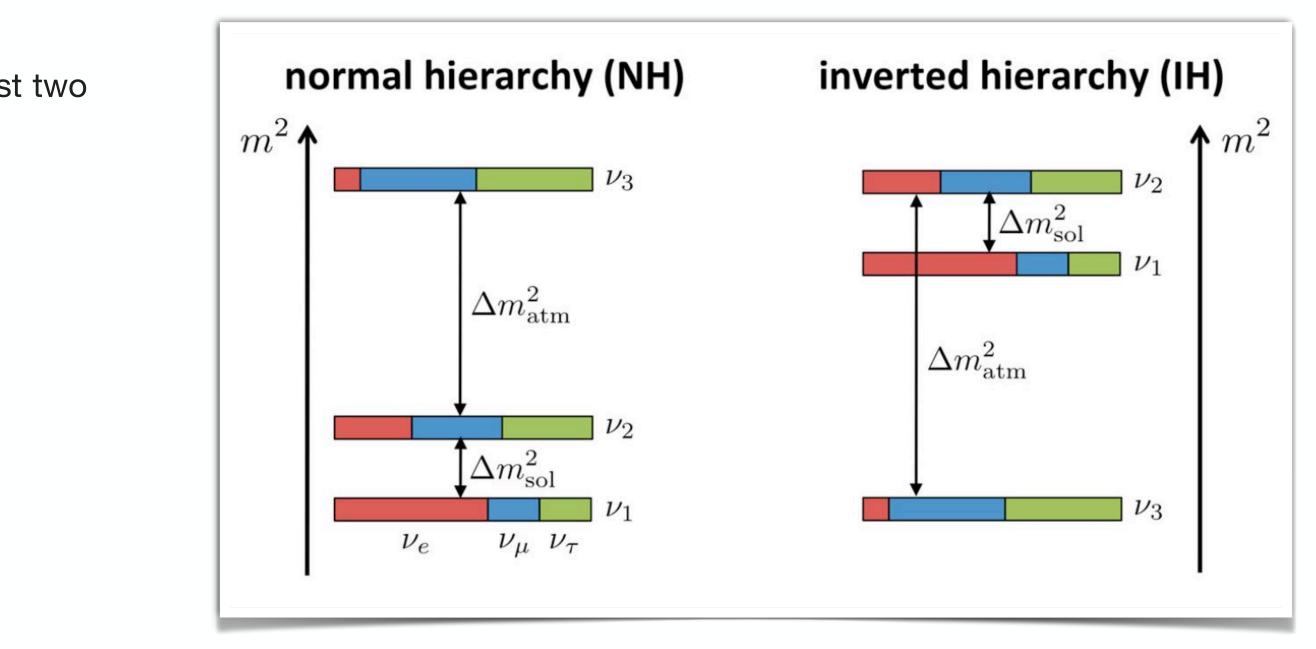
TOTAL NEUTRINO MASS AND ORDERING

Neutrino oscillations measured at terrestrial experiments indicate that at least two neutrinos are massive:

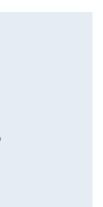
- Atmospheric splitting: $|\Delta m_{3,1}^2| = |m_3^2 m_1^2| \sim 2.55 \times 10^{-3} \,\mathrm{eV}^2$
- Solar splitting: $\Delta m_{2,1}^2 = m_2^2 m_1^2 \sim 7.5 \times 10^{-5} \,\mathrm{eV}^2$

Since the sign of $|\Delta m_{3,1}^2|$ is unknown, two mass orderings are possible:

- 1) Normal Ordering ($m_1 < m_2 < m_3$)
- 2) Inverted Ordering ($m_3 < m_1 < m_2$)



Credit: Figure taken from S. Vagnozzi – *Weight them all!*



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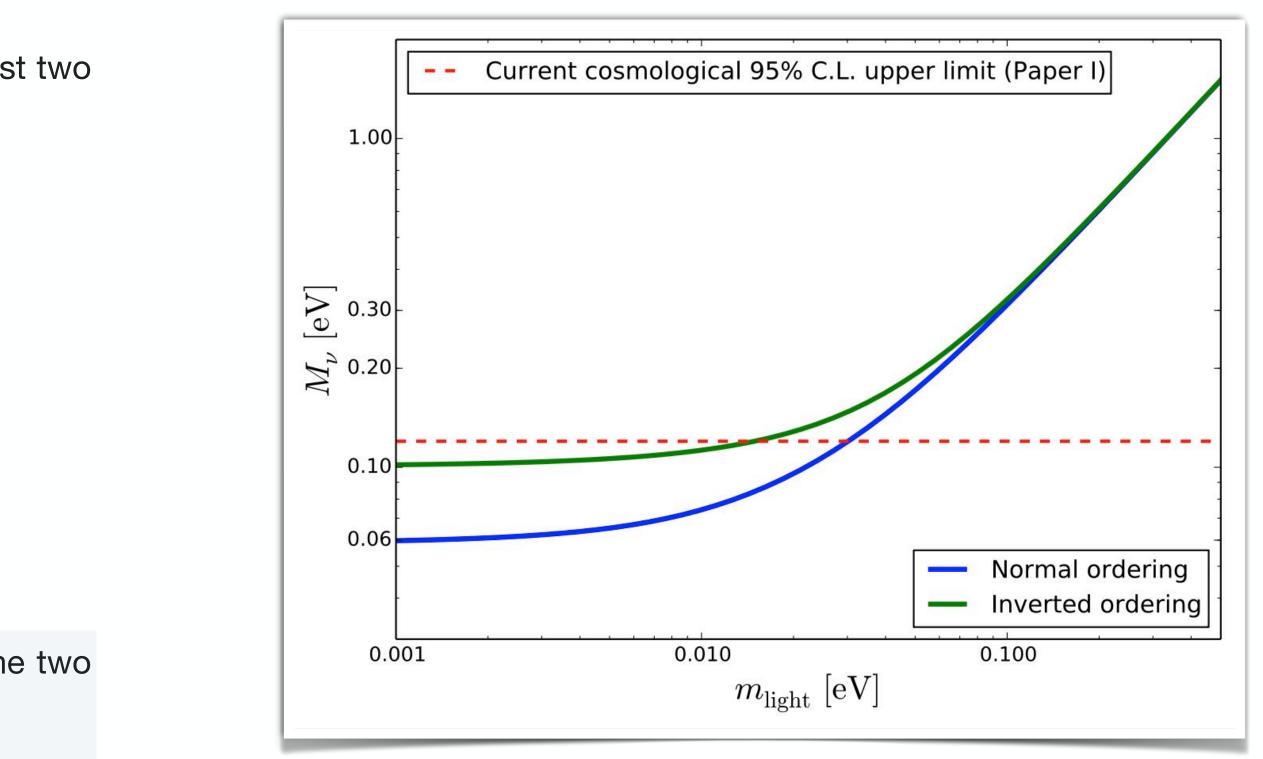
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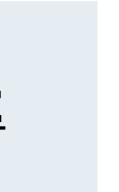
If we set the mass of the lightest neutrino and set it to $m_{\text{light}} = 0$, within the two orderings, we get an upper limit on the total mass from neutrino oscillations

1) Normal Ordering: $\sum m_{\nu} > 0.06 \,\mathrm{eV}$

2) Inverted Ordering: $\sum m_{\nu} > 0.1 \,\mathrm{eV}$



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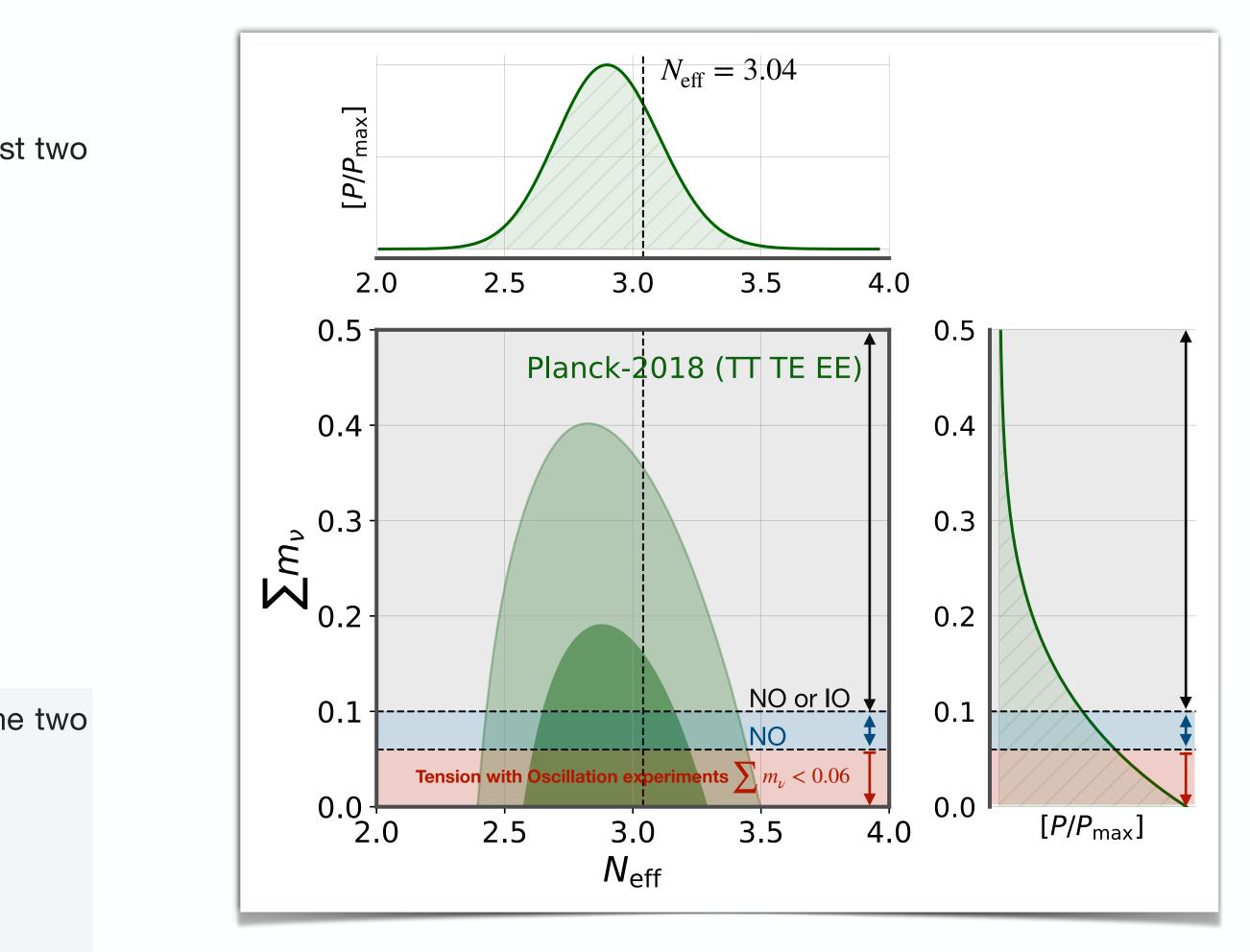
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We need to do better!

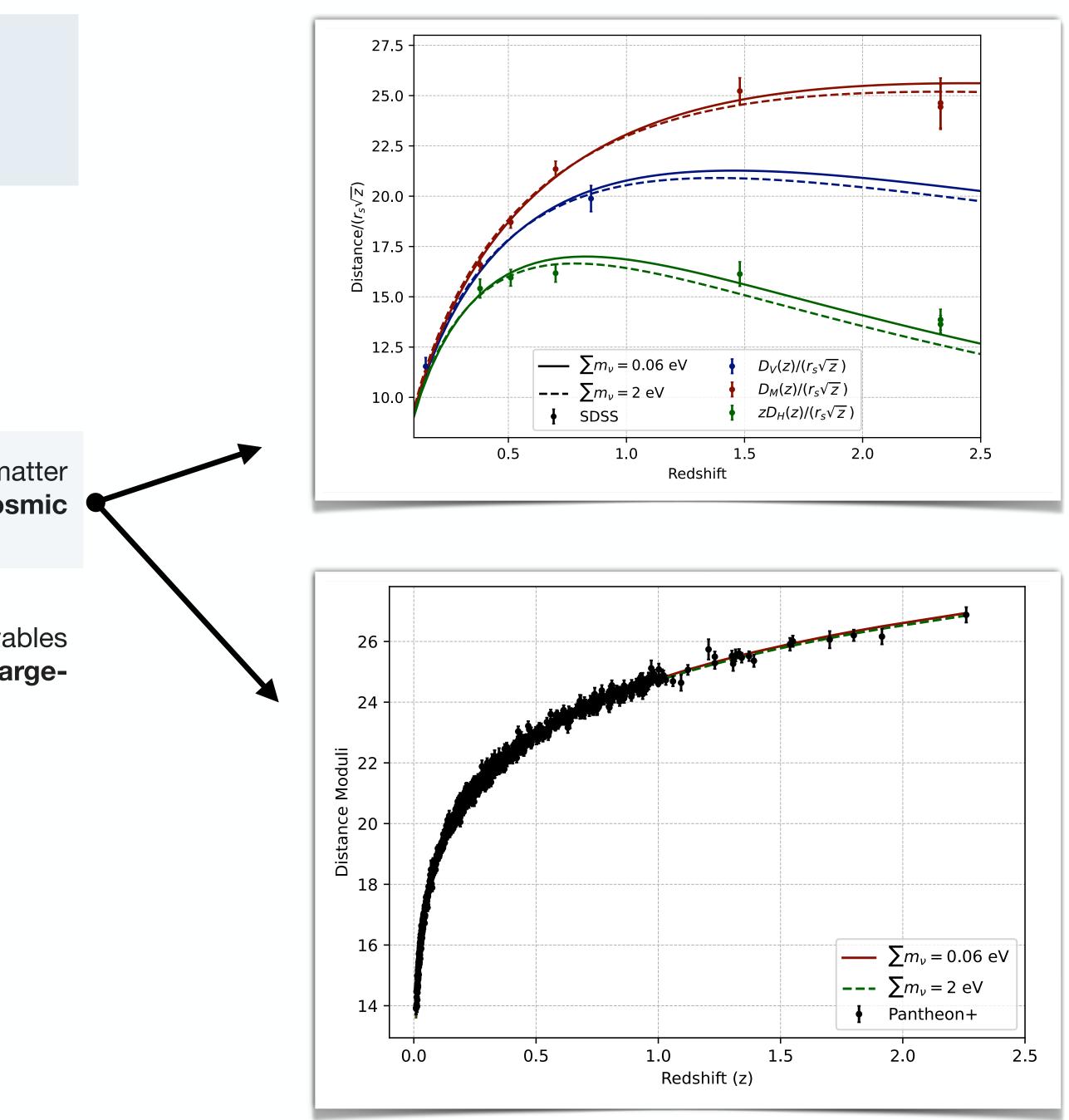
IMPRINTS IN THE LOCAL UNIVERSE

TOTAL NEUTRINO MASS AND ORDERING

How can we improve the CMB limit on Neutrinos?

1) Neutrinos will become non-relativistic particles, contributing to the matter energy density at late times. Depending on their mass, they will alter **cosmic distances**, measured by BAO and, in part, Supernovae.

2) Neutrinos will suppress structure formation, affecting other local observables such as the matter power spectrum and weak lensing. We can examine the **large-scale structure** of the Universe.



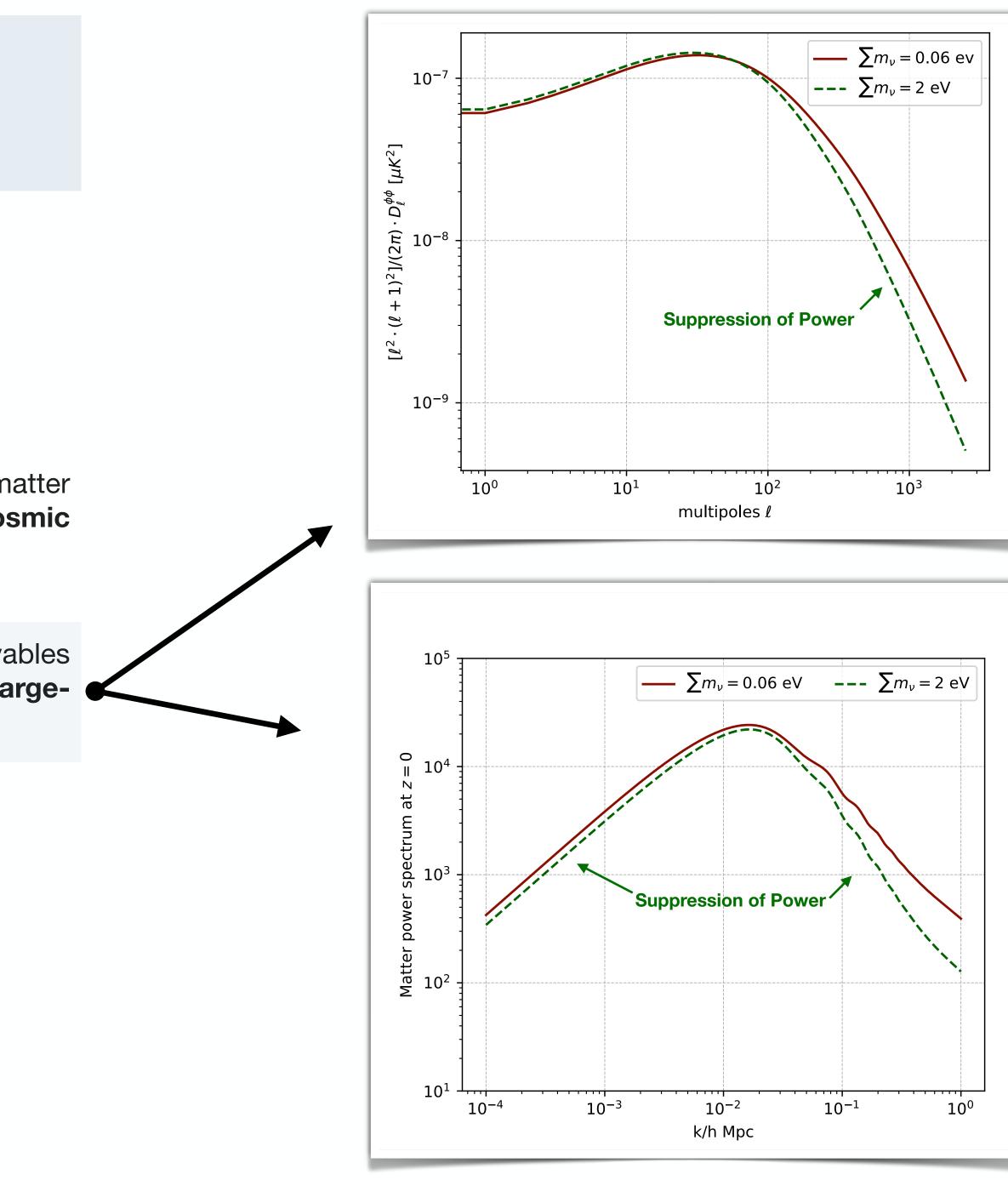
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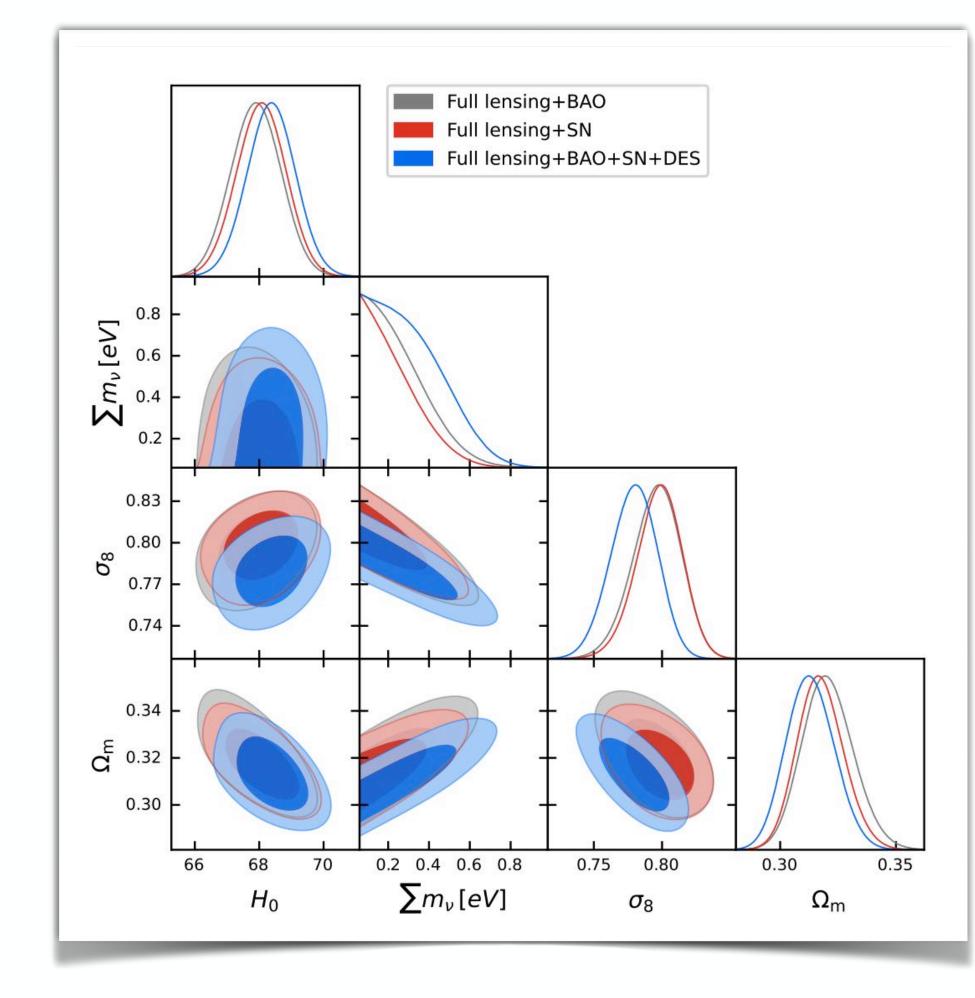


IMPRINTS IN THE LOCAL UNIVERSE

TOTAL NEUTRINO MASS AND ORDERING

Local probes are approaching a level of precision comparable to CMB.

Dataset	$\sum m_{ u} \left[eV ight]$
ACT-DR6	< 3.32
ACT-DR6 + BAO	< 1.10
$\operatorname{ACT-DR6} + \operatorname{BAO} + \operatorname{DES}$	< 0.773
ACT-DR6 + BAO + SN	< 0.717
ACT-DR6 + BAO + DES + SN	< 0.722
ACT+Planck lensing	< 1.42
$\operatorname{ACT+Planck}$ lensing + BAO	< 0.527
$\operatorname{ACT+Planck}$ lensing + BAO + DES	< 0.664
ACT+Planck lensing + BAO + SN	< 0.490
$\rm ACT+Planck\ lensing + BAO + DES + SN$	< 0.606





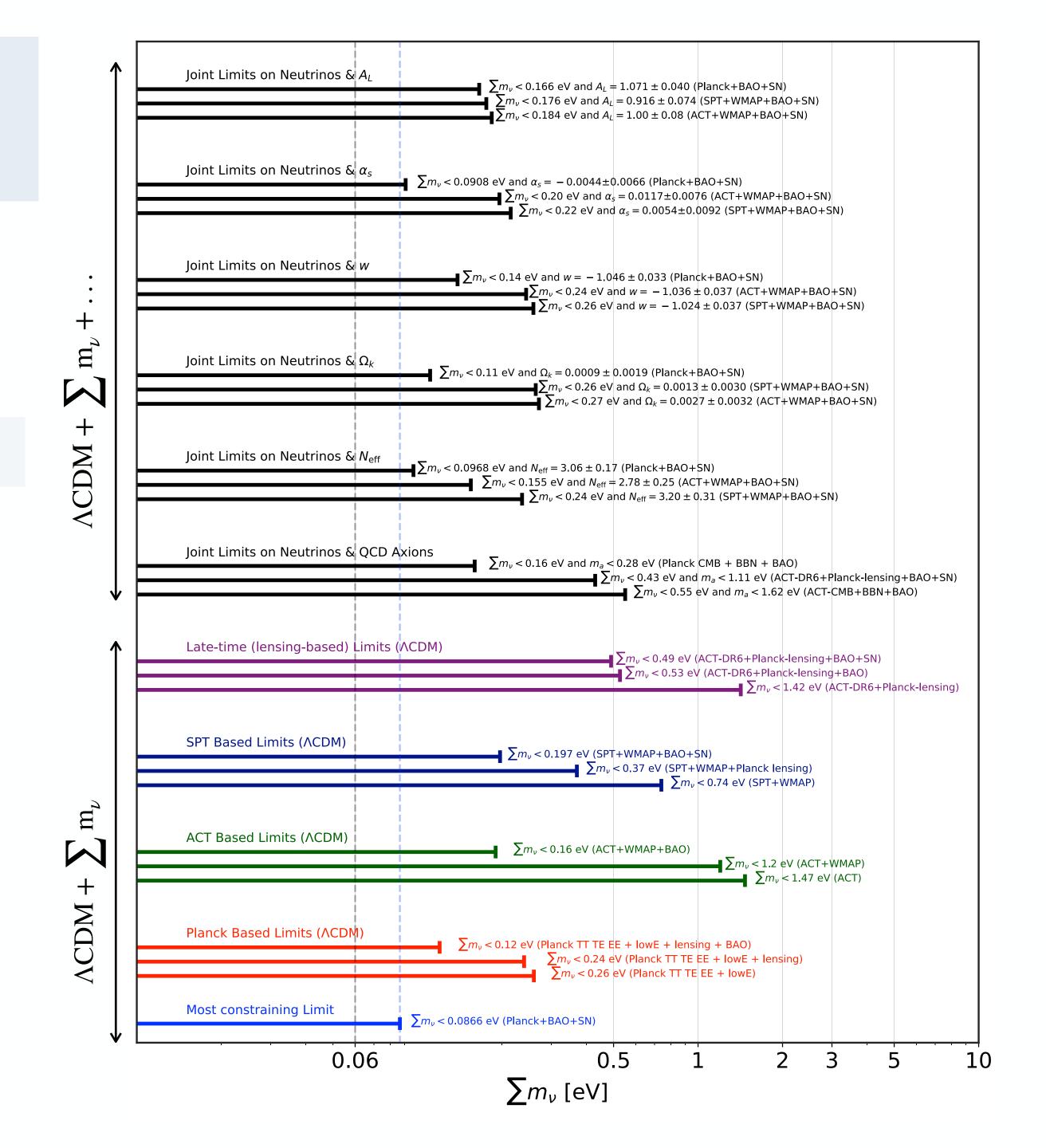
NEUTRINO COSMOLOGY BEFORE DESI BAO

TOTAL NEUTRINO MASS AND ORDERING

Most constraining limits from independent CMB experiments

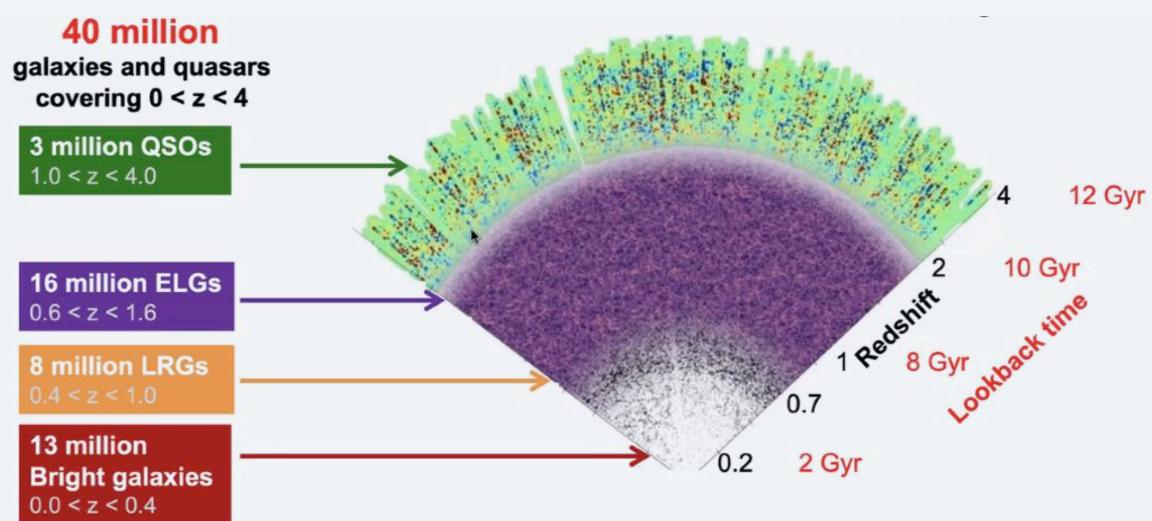
Dataset	$\sum m_{ u} \; [ext{eV}]$
Most constraining *	0.0866
Planck+lensing+BAO	0.12
ACT+WMAP+BAO	0.16
SPT+WMAP+BAO	0.20
ACT-DR6+Planck-lensing+BAO+SN	0.49

* From Planck + lensing + pantheon-plus + DR12 (BAO+RSD) + DR16 (BAO only) as reported in Di Valentino et al. [arXiv: 2106.15267]



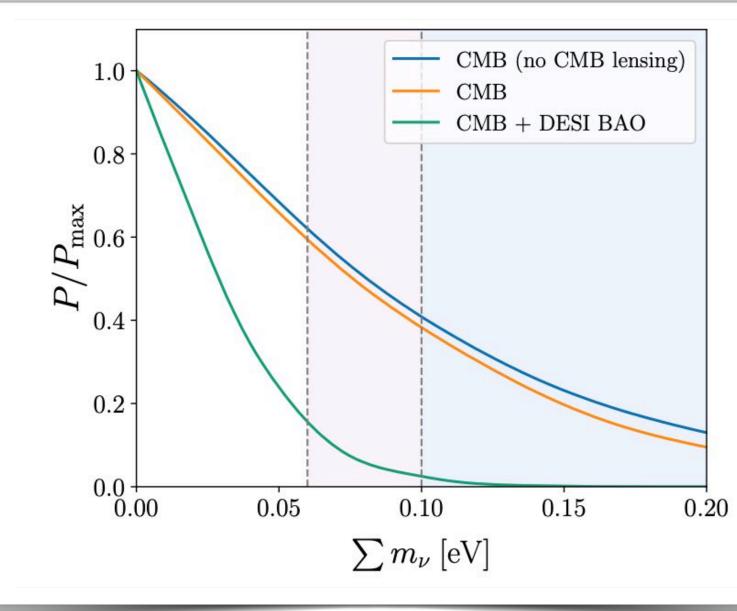
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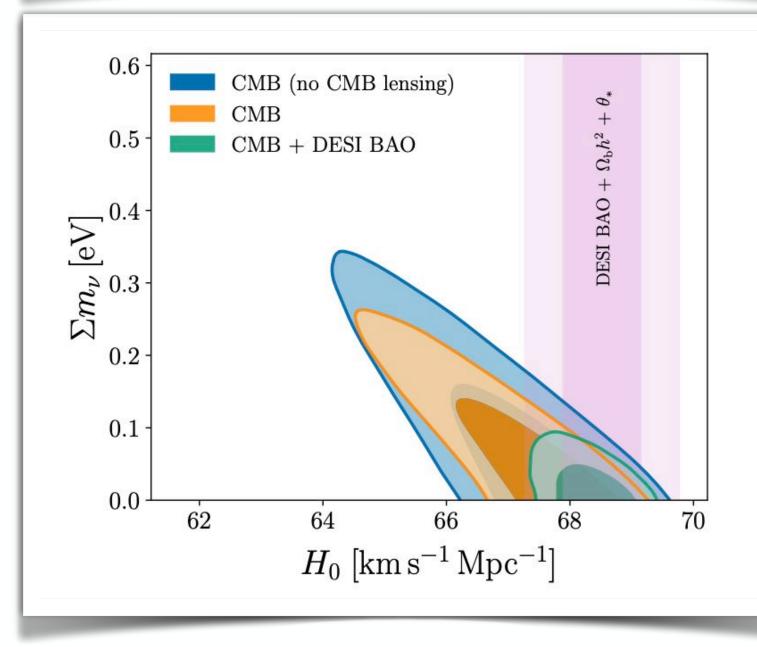
	$\Lambda CDM + \Sigma$	$\sum m_{ u}$
Dataset combination	$\sum m_{ u} ~({ m eV})$	$B_{\rm NO, IO}$
baseline (CMB $+$ DESI)	< 0.072	8.1



DESI 2024 VI

[arXiv:2404.03002]



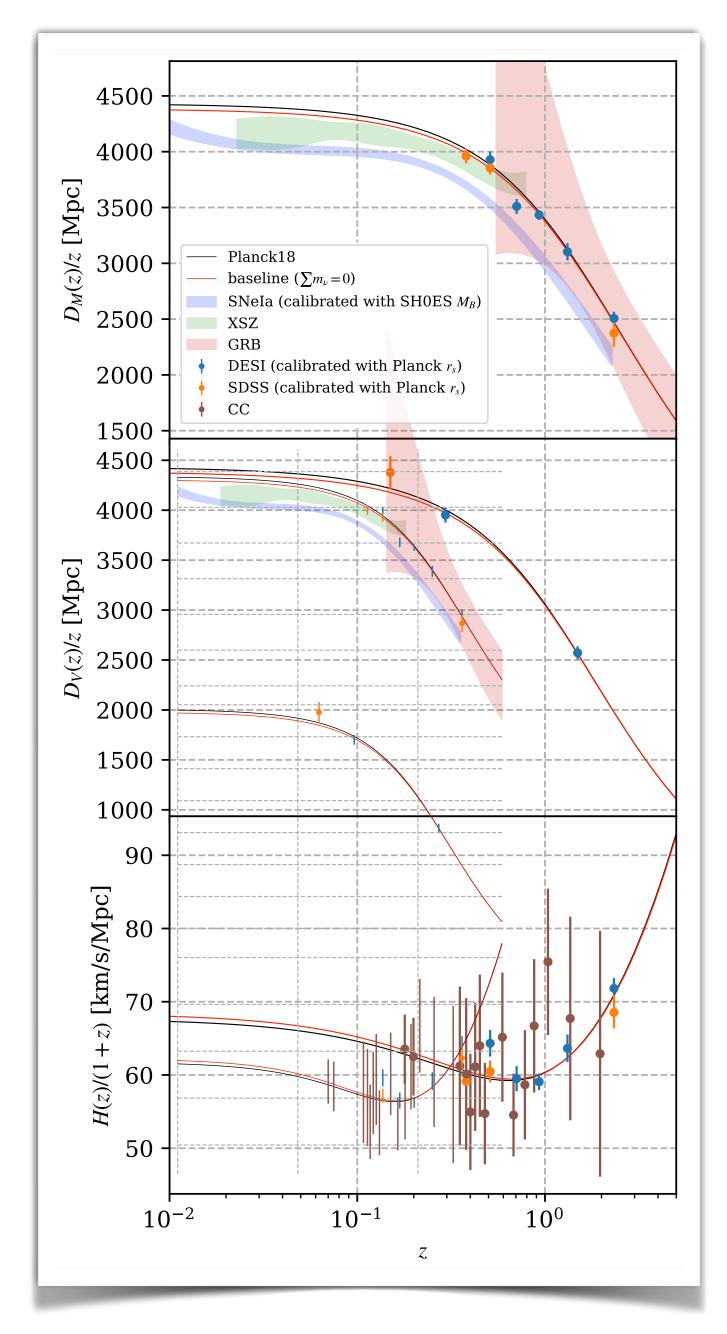




TOTAL NEUTRINO MASS AND ORDERING

	$\Lambda CDM + 2$	$\sum m_{ u}$
Dataset combination	$\sum m_{ u} ({ m eV})$	$B_{\rm NO, IO}$
baseline (CMB $+$ DESI)	< 0.072	8.1
baseline + SNeIa	< 0.081	7.0
baseline $+ CC$	< 0.073	7.3
baseline + SDSS	< 0.083	6.8
baseline + SH0ES	< 0.048	47.8
baseline + XSZ	< 0.050	46.5
baseline + GRB	< 0.072	8.7
aggressive combination (baseline + SH0ES + XSZ)	$< 0.042{\rm eV}$	72.6
CMB (with ACT "extended" likelihood)+DESI	< 0.072	8.0
CMB+DESI (with 2020 HMCode)	< 0.074	7.5
CMB (with v1.2 ACT likelihood)+DESI	< 0.082	7.4

- We pushed the mass limit as far as possible, considering different datasets.

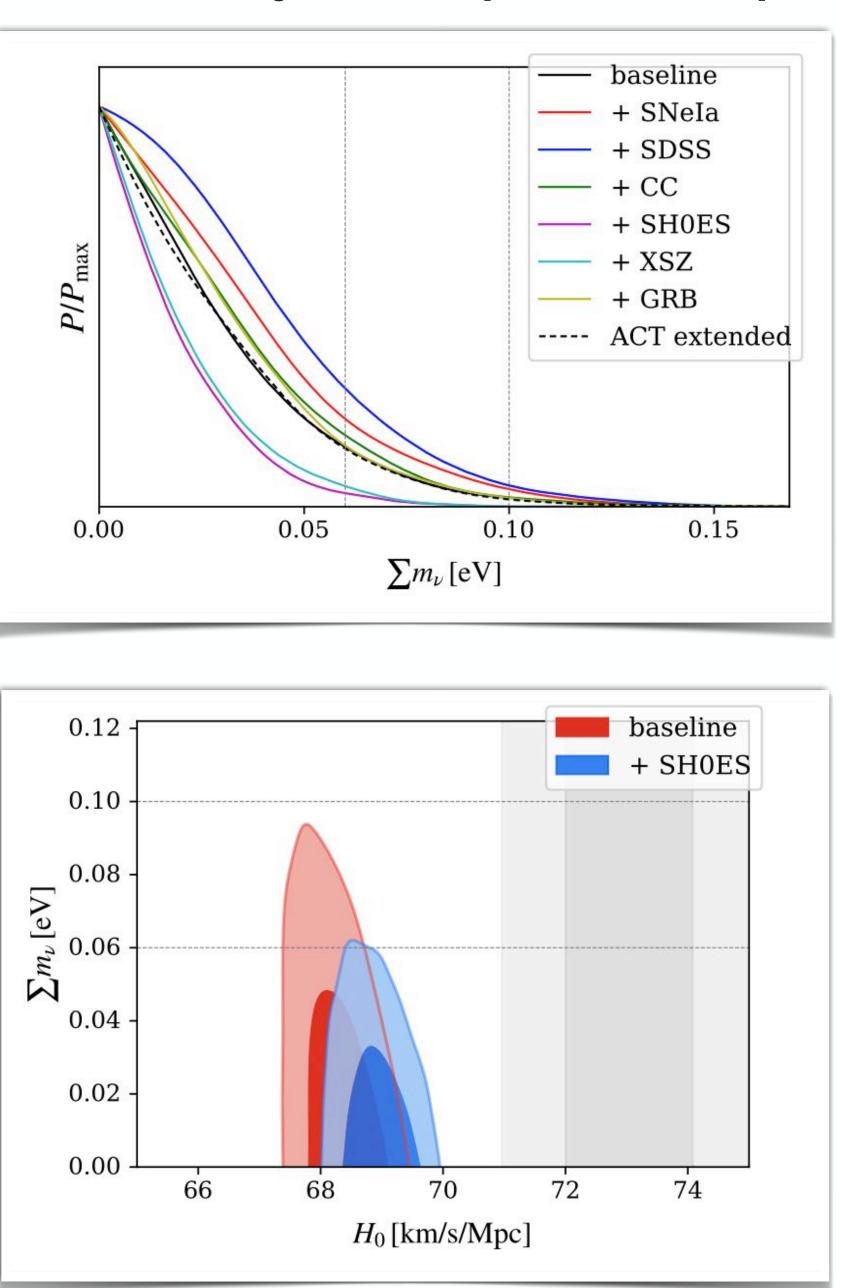


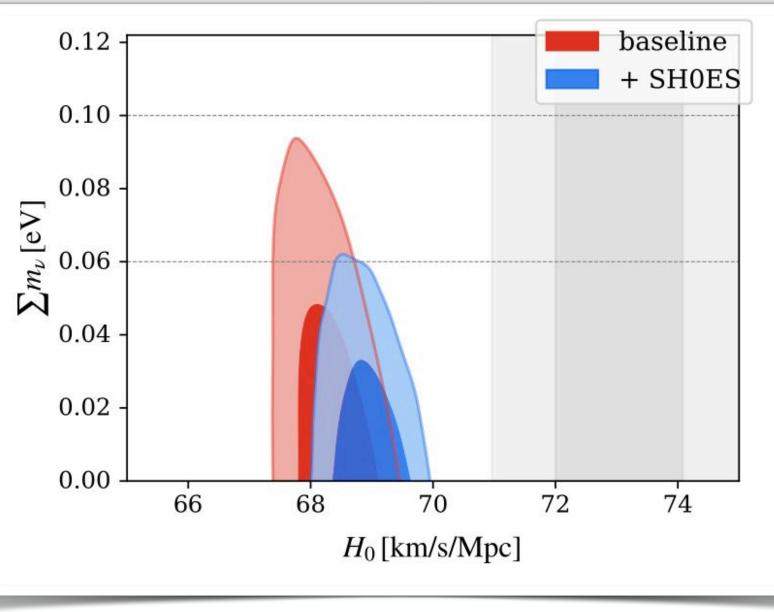
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– We pushed the mass limit as far as possible, considering **different datasets**.

- We quantified the Bayesian ratio between NO and IO: strong preference for NO.





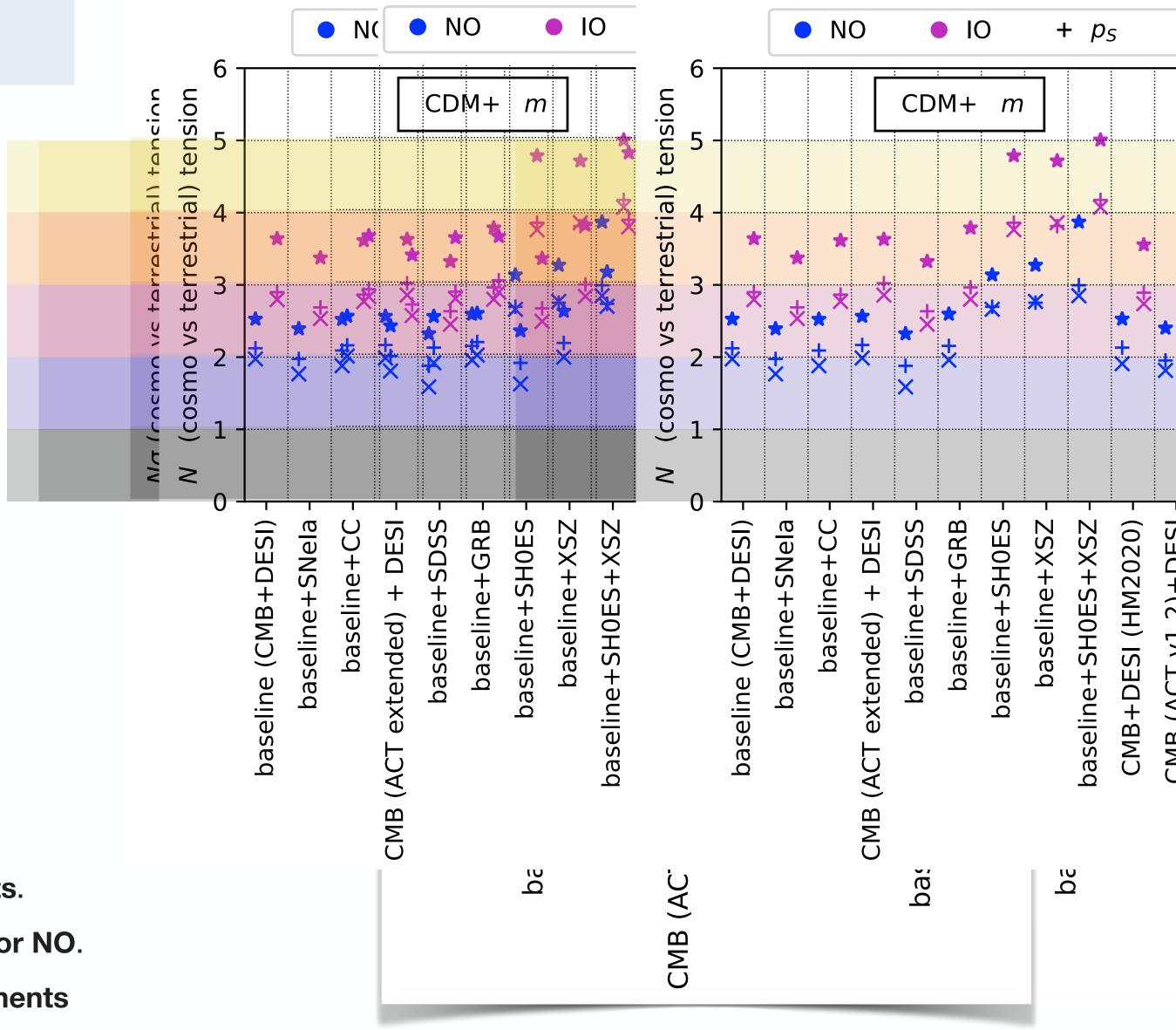
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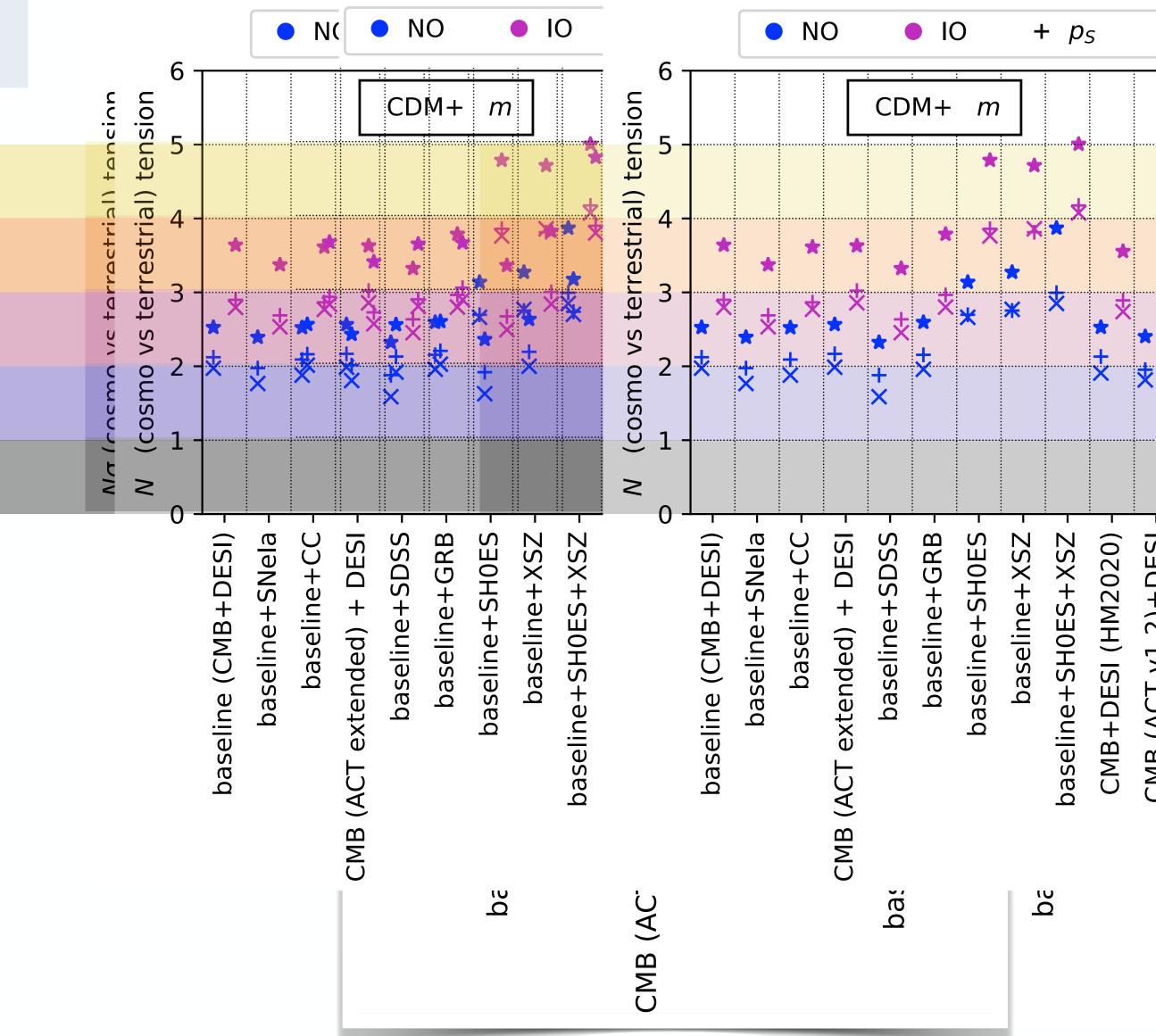
- We quantified the tension between cosmological and terrestrial experiments



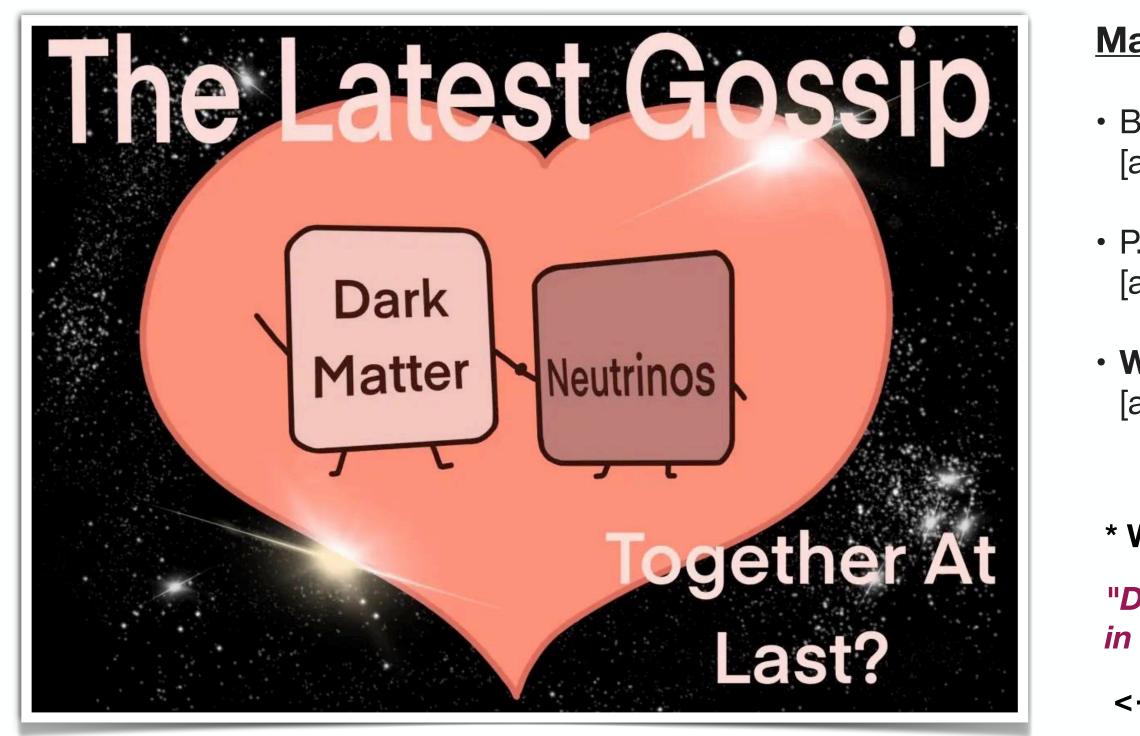
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CAVEATS	$\Lambda CDM + \Sigma$	$\sum m_{ u}$
Dataset combination	$\sum m_{ u} ~({ m eV})$	$B_{\rm NO, IO}$
PR4 (lollipop+hillipop)+DESI	< 0.080	6.4
PR4 (lollipop+hillipop)+SNeIa	< 0.090	6.4
PR4 (lollipop+hillipop)+DESI+SDSS	< 0.090	5.7







Main References:

• Brax, van de Bruck, Di Valentino, WG, Trojanowski – MNRAS Letters 527 (2023) 1 [arXiv:2303.16895] *

• P. Brax, C. van de Bruck, E. Di Valentino, WG, S. Trojanowski – PDU 42 (2023) 101321 [arXiv:2305.01383]

• WG, Gómez-Valent, Di Valentino, van de Bruck – PRD 109 (2024) 6, 063516 [arXiv:2311.09116]

* Work covered by astrobites.org in the article

"Dark matter and Neutrinos walk into a (nano)bar(n); can we observe vDM interactions in the CMB?"

< – (from which the image on the left is taken)

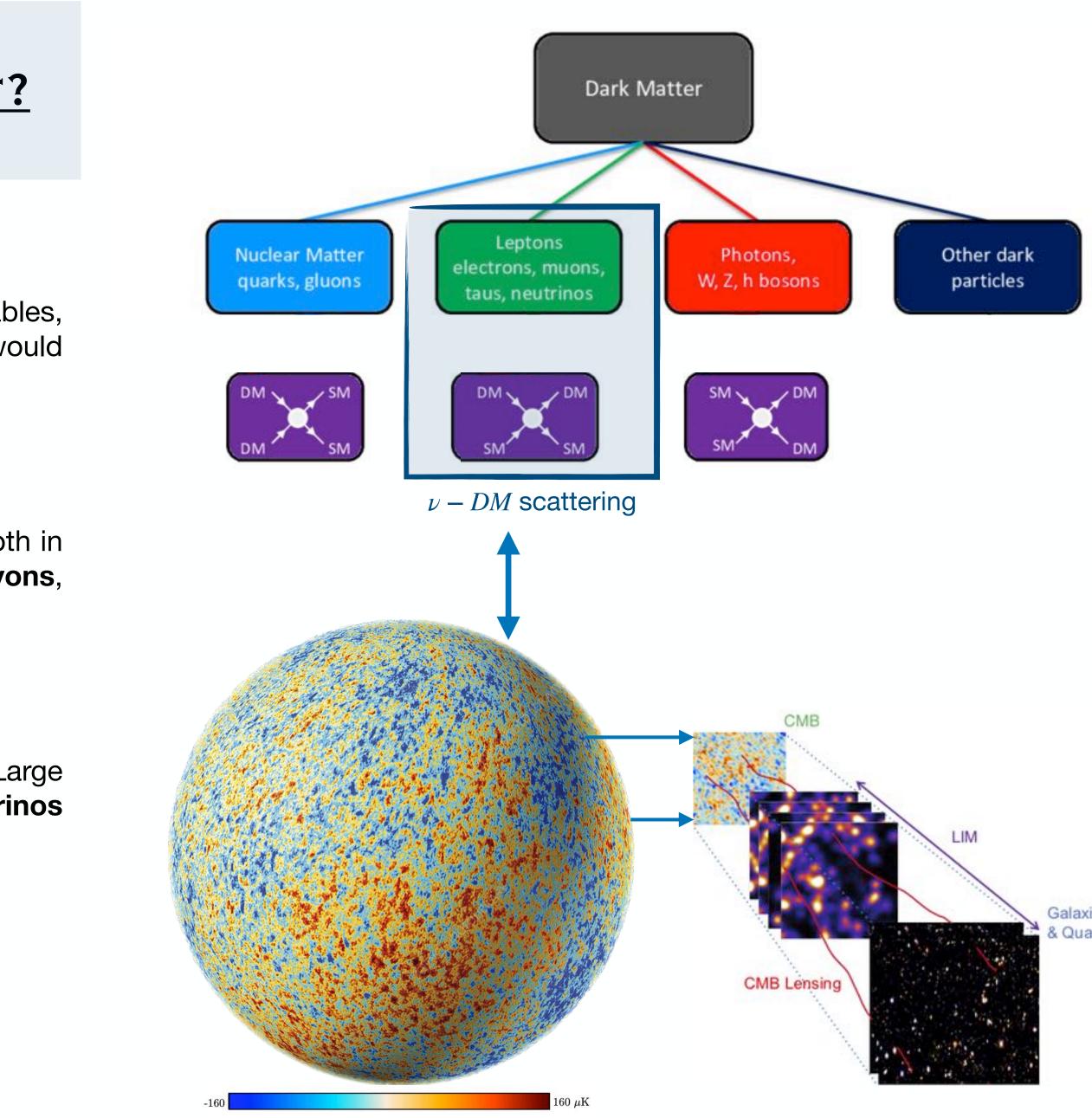




Thanks to the effects left by interactions in various cosmological observables, cosmology stands as one of the most elegant tools to test models that would be virtually impossible to test in laboratory experiments.

Several possible channels of interactions have been tested and studied both in cosmology and particle physics, including interactions with photons, baryons, dark radiations, neutrinos, Dark Energy

We will focus on the effects left in the Cosmic Microwave Background and Large Scale Structure of the Universe by Scatter-Like interactions between neutrinos and DM



Galaxies & Quasars

EQUATIONS IN THE MASSLESS LIMIT

Boltzmann Equations for DM in the Newtonian Gauge:

$$\dot{\delta}_{\rm DM} = -\,\theta_{\rm DM} + 3\dot{\phi}$$

$$\dot{\theta}_{\rm DM} = k^2 \psi - \mathcal{H} \theta_{\rm DM} + \frac{4}{3} \frac{\rho_{\nu}}{\rho_{\rm DM}} \dot{\mu} \left(\theta_{\nu} - \theta_{\rm DM} \right)$$

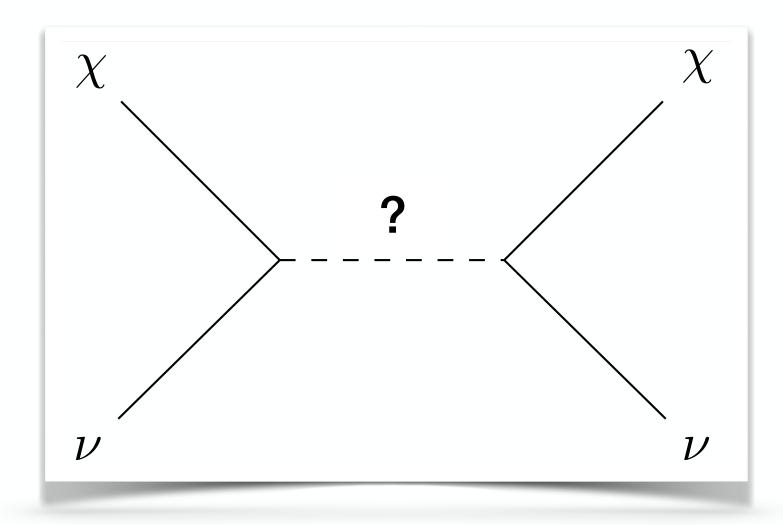
Boltzmann Equations for v in the Newtonian Gauge:

$$\begin{split} \dot{\delta}_{\nu} &= -\frac{4}{3}\theta_{\nu} + 4\dot{\phi} \\ \dot{\theta}_{\nu} &= k^{2}\psi + k^{2}\left(\frac{1}{4}\delta_{\nu} - \sigma_{\nu}\right) - \dot{\mu}\left(\theta_{\nu} - \theta_{\mathrm{DM}}\right) \end{split}$$

Where:
$$\dot{\mu} = a c \frac{\rho_{\rm DM}}{m_{DM}} \sigma_{\nu \rm DM}$$

Brax, van de Bruck, Di Valentino, **WG**, Trojanowski MNRAS Letters 527 (2023) 1 [arXiv:2303.16895]

WG, Gómez-Valent , Di Valentino, van de Bruck *PRD* 109 (2024) 6, 063516 [arXiv:2311.09116]



Other Useful References for vDM Theory

Mangano, et. al., arXiv:0606190 Boehm, et al., arXiv:0112522 Wilkinson, et al. arXiv:1401.7597 Mosbech, et al. arXiv:2011.04206

IMPRINTS IN THE MATTER POWER SPECTRUM

CMB angular spectra are sensitive to the gravitational forces experienced by the coupled photon-baryon fluid before decoupling, determined by freestreaming neutrinos and DM

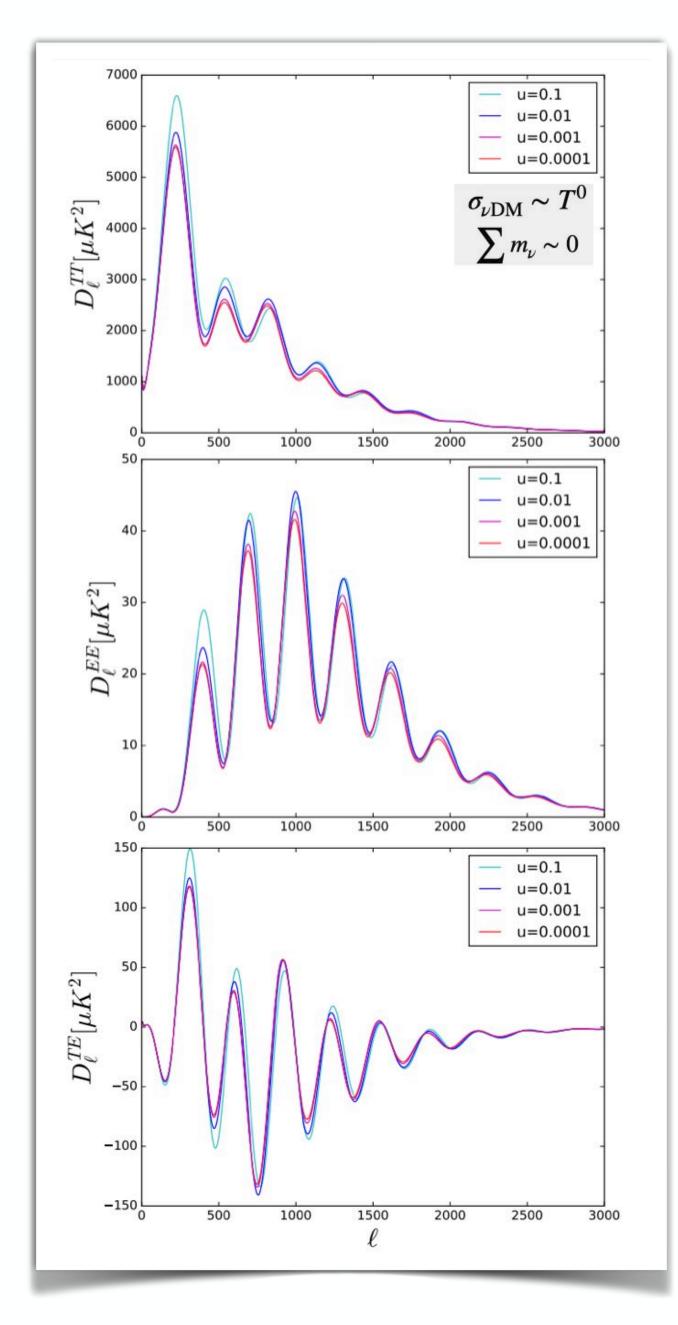
In the presence of interactions:

- **DM experiences damped oscillations** similar to neutrinos
- Neutrinos do not free-stream anymore, their anisotropic stress is reduced and they behave more similarly to a relativistic perfect fluid

v-MD interactions can be quantified by an effective interaction strength:

$$u_{\nu DM} \stackrel{\sim}{\sim} \stackrel{T^n}{=} \left[\begin{array}{c} & & \\ \sigma_{\nu DM} \\ \hline \sigma_{\nu DM} \end{array} \right] \left[\begin{array}{c} & & \\ m_{DM} \\ \hline 100 \text{ GeV} \end{array} \right]^{-1}$$
Mass of DM particles
$$\begin{array}{c} & & \\ m_{DM} \\ \hline 100 \text{ GeV} \end{array}$$

E. Di Valentino et al., [arXiv:1710.02559]



IMPRINTS IN THE MATTER POWER SPECTRUM

Interactions lead to an effective vDM fluid with non-zero pressure.

- This pressure induces diffusion-damped oscillations analogous to the acoustic oscillations in the baryon-photon fluid
- The most remarkable effect on the matter power spectrum is a suppression of power on small scales

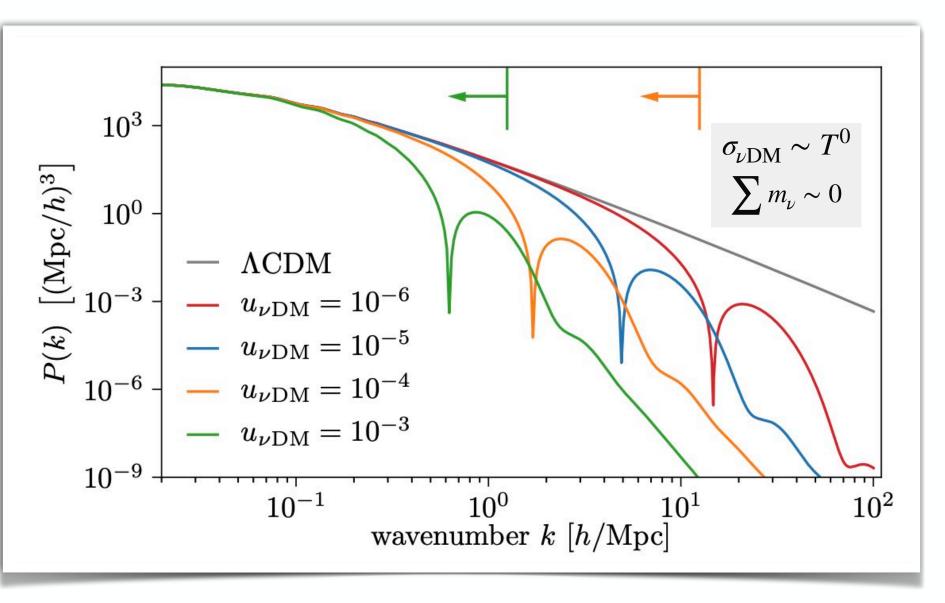
The smaller the interactions the smaller the scale of neutrino damping

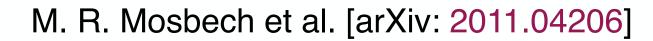
Small $u_{\nu DM} \rightarrow$ Neutrino Damping at small scales

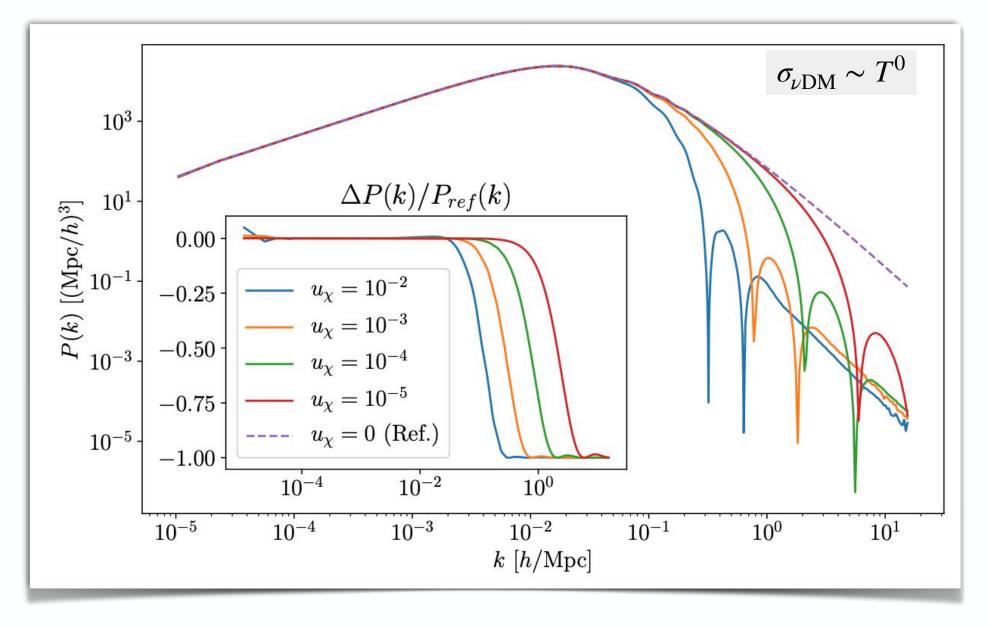
$$\frac{k}{[h/Mpc]} \propto (u_{\nu \rm DM})^{-1/2}$$

(See also G. Mangano, A. Melchiorri et al, 0606190)

J. Stadler et al. [arXiv:1903.00540]







IMPRINTS IN SMALL CMB SCALES

• In the high multipole regime, the spectrum of temperature anisotropies becomes proportional to the lensing power spectrum

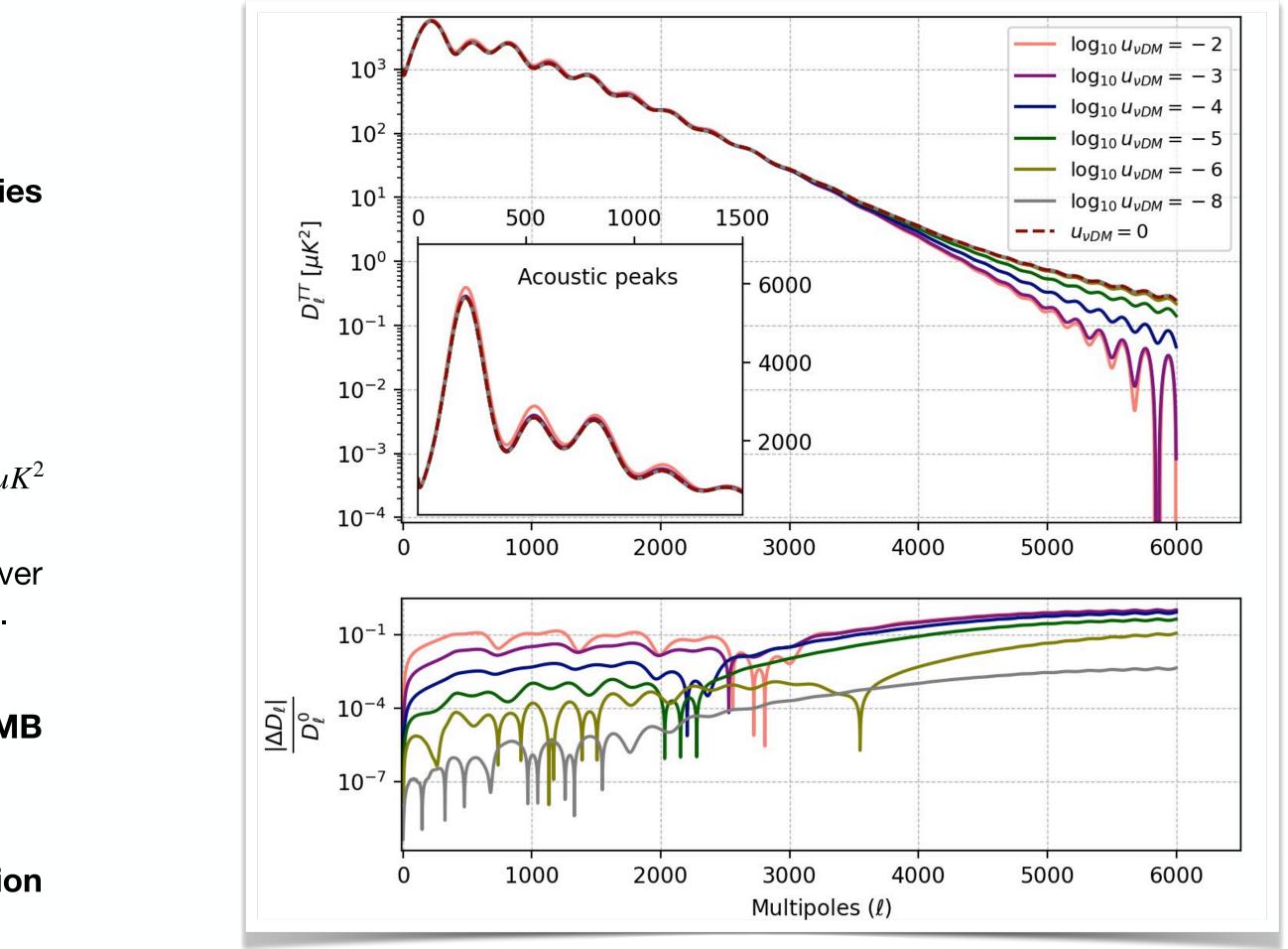
$$C_{\ell}^{TT} \simeq \frac{\ell^2}{2} \left(\left\langle |\nabla T|^2 \right\rangle \right) C_{\ell}^{\phi\phi}$$

(Lewis and Challinor, 0601594)

Unlensed CMB temperature gradient $\simeq 10^{-9} \mu K^2$

- The matter power spectrum affects the growth of cosmic structures over time, the distribution of galaxies, and so the integrated Sachs-Wolfe effect.
- As the strength of the interaction decreases, the effects on the CMB spectra should primarily manifest at smaller scales
- If we want to test vDM interactions in the CMB, when the interaction strength is small, it is better to look at small scales than at large scales

Brax, van de Bruck, Di Valentino, WG, Trojanowski MNRAS Letters 527 (2023) 1 [arXiv:2303.16895]



Note that: $k \propto \ell \propto 1/\theta \propto 1/R$, so small scales \leftrightarrow high ℓ



IMPRINTS IN SMALL CMB SCALES

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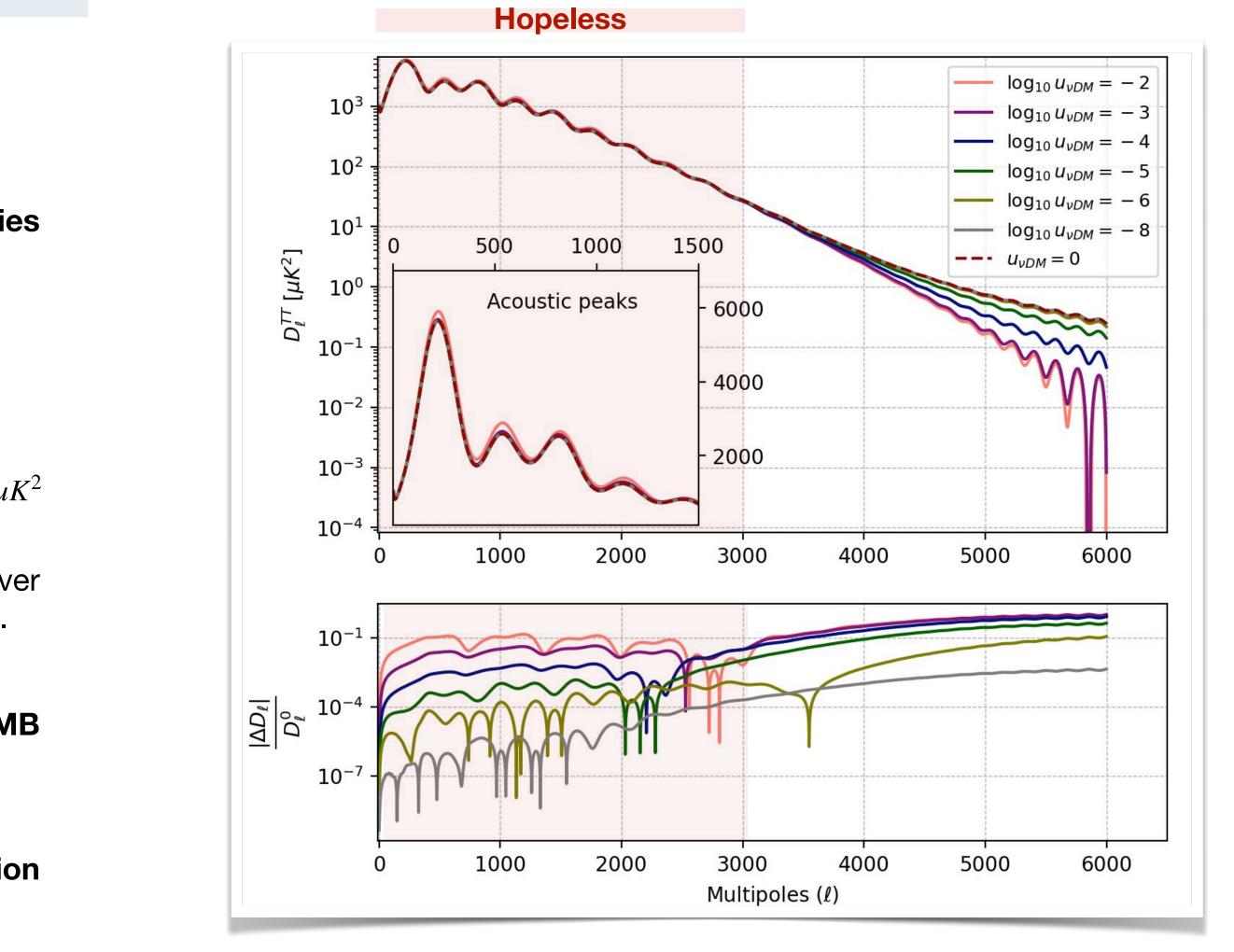
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Brax, van de Bruck, Di Valentino, WG, Trojanowski MNRAS Letters 527 (2023) 1 [arXiv:2303.16895]



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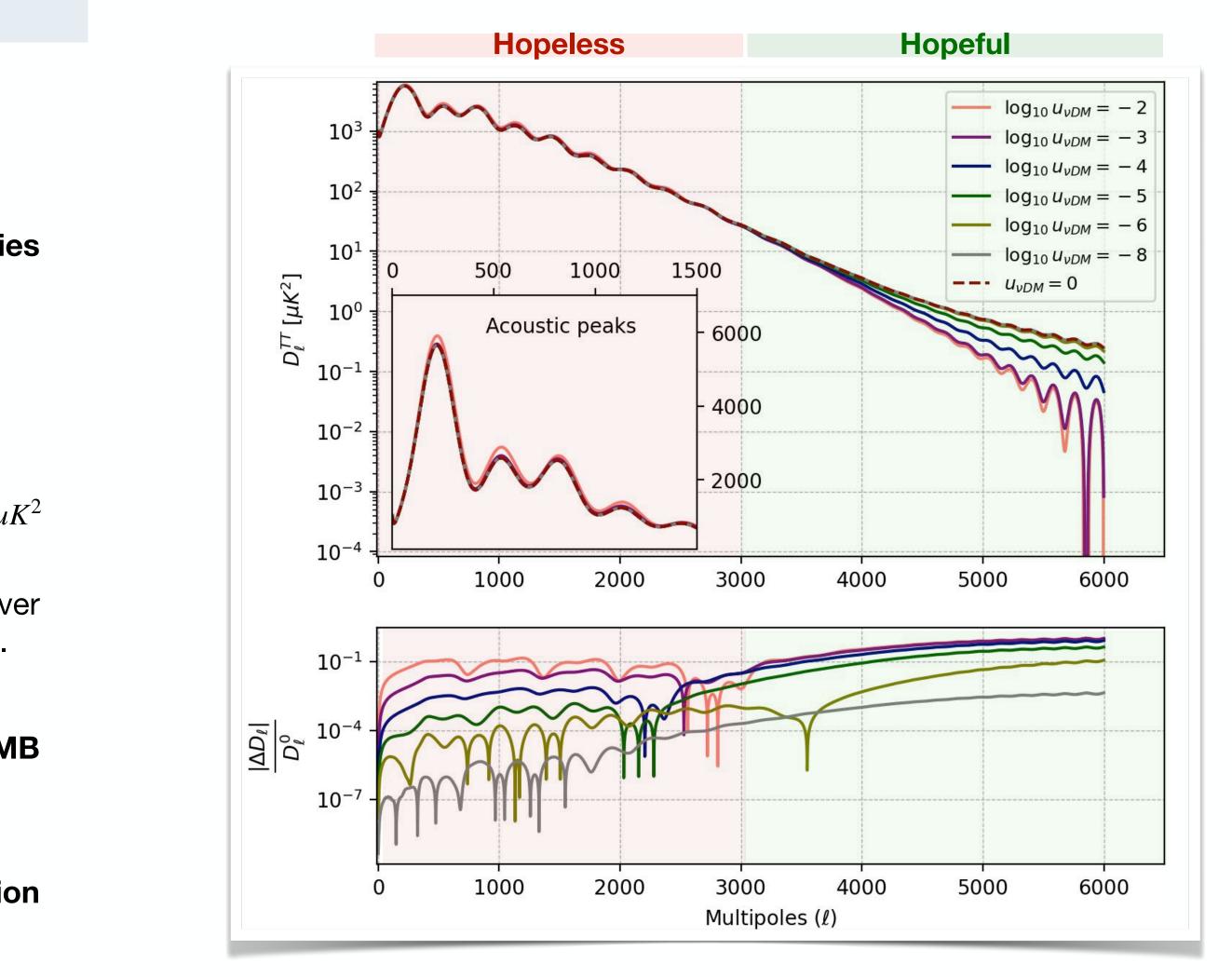
$$C_{\ell}^{TT} \simeq \frac{\ell^2}{2} \left(\left\langle |\nabla T|^2 \right\rangle \right) C_{\ell}^{\phi\phi}$$

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Brax, van de Bruck, Di Valentino, WG, Trojanowski MNRAS Letters 527 (2023) 1 [arXiv:2303.16895]



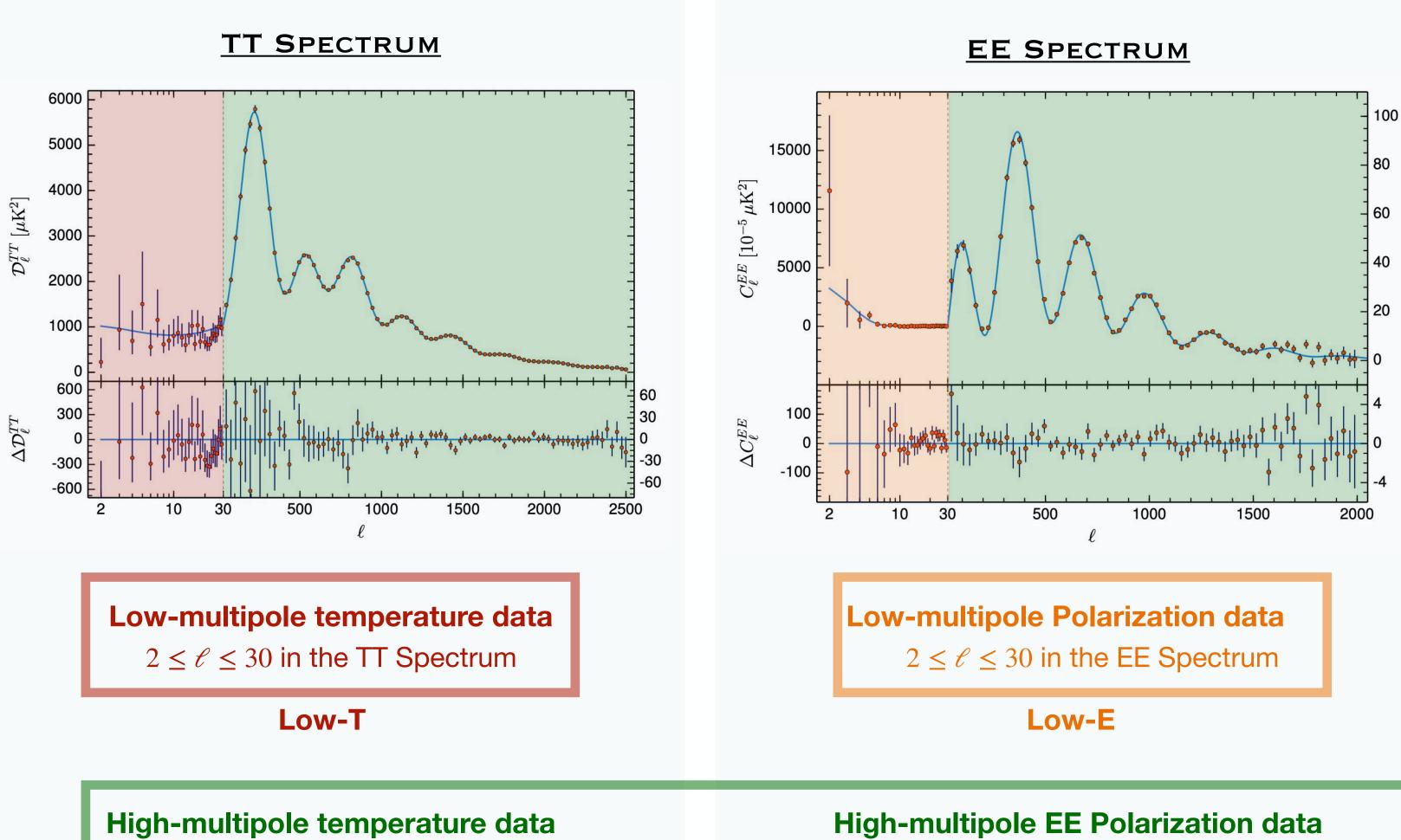
Note that: $k \propto \ell \propto 1/\theta \propto 1/R$, so small scales \leftrightarrow high ℓ





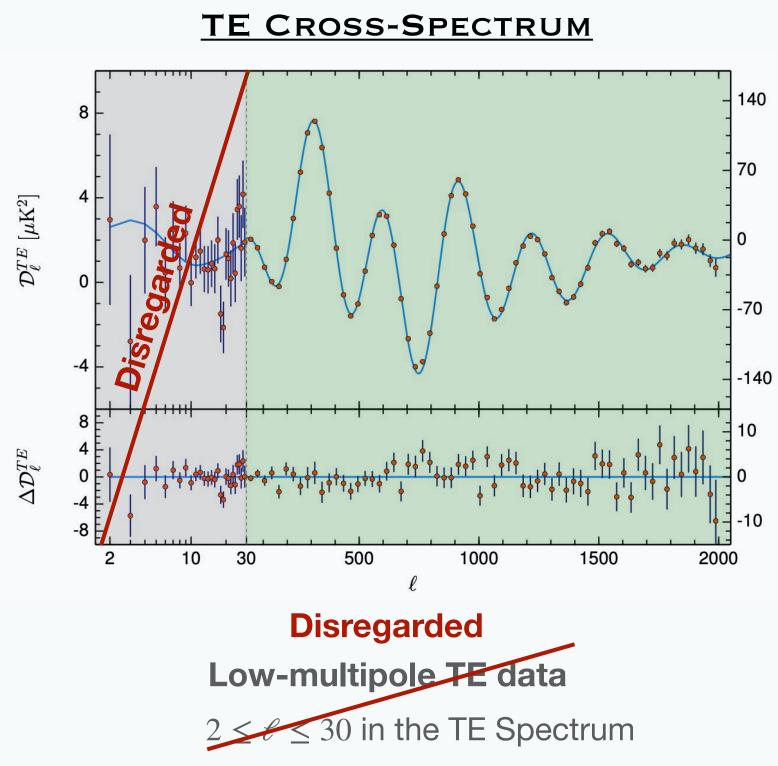


[arXiv:1807.06209]



 $30 < \ell \leq 2500$ in the TT Spectrum

 $30 < \ell \leq 2000$ in the EE Spectrum



The low-TE data show excess of variance compared to simulations at low multipoles, for reasons that are not understood

High-multipole TE data

 $30 < \ell \leq 2000$ in the TE Spectrum





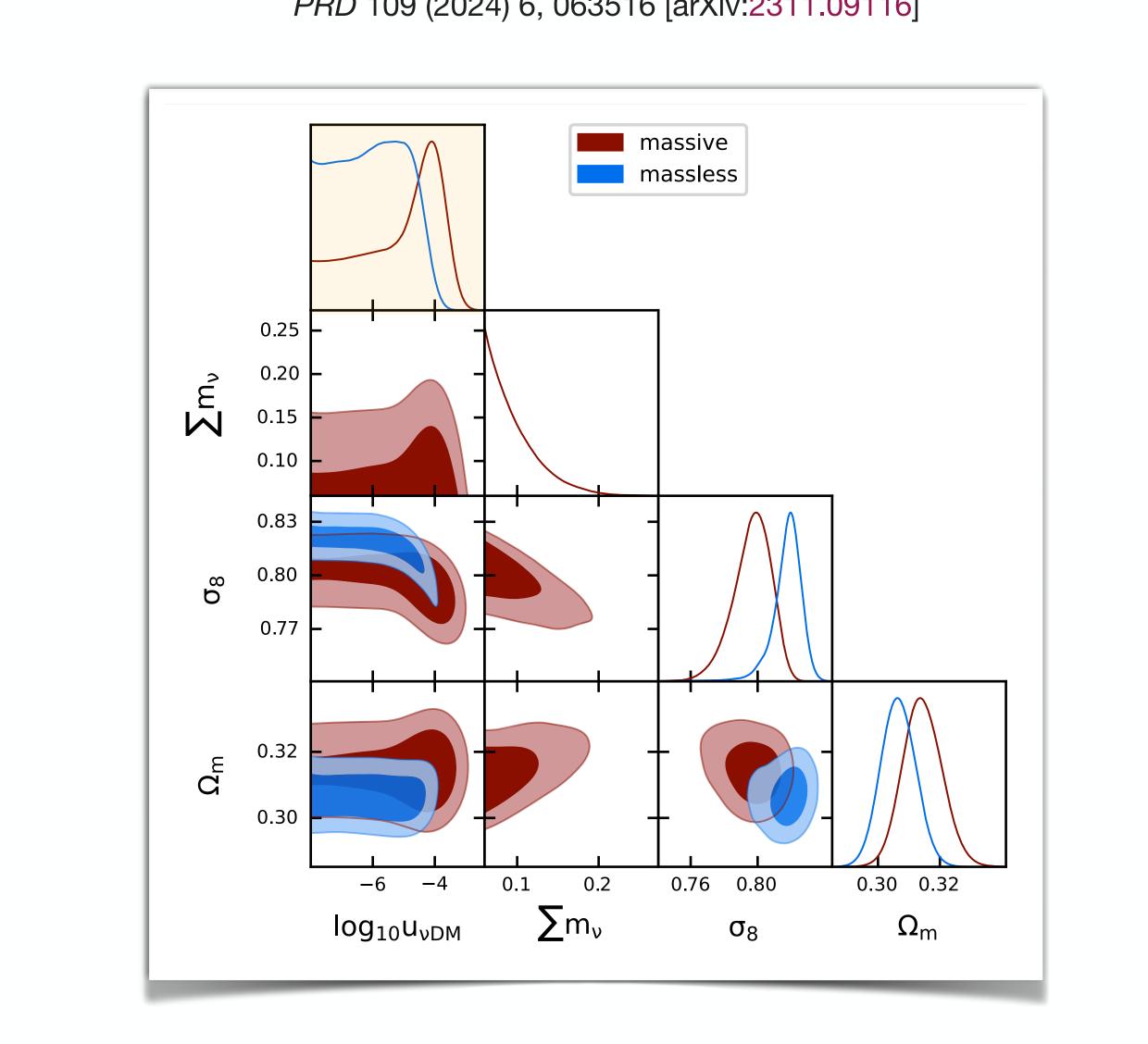
PLANCK 2018

[arXiv:1807.06209]

Dataset	$\begin{array}{c} \textbf{Massless Neutrinos} \\ \log_{10} u_{\nu \rm DM} \end{array}$	$\begin{array}{c} \textbf{Massive Neutrinos} \\ \log_{10} u_{\nu \text{DM}} \end{array}$
P18+BAO	Mar: < -4.27 PL: < -4.34	Mar: $-4.11^{+0.73}_{-0.93}$ PL: $-5.00^{+0.90}_{-1.80}$

- When neutrinos are regarded as massless particles, the analysis of Planck data combined with BAO measurements, does not exhibit a clear preference for vDM interactions
- When neutrinos are regarded as massive particles, both the marginalized probability distribution and the profile likelihood give a 1σ indication in favour of interactions.
- The PL analysis confirms that models with $u_{\nu \rm DM} \sim 10^{-5} 10^{-4}$ give a modest reduction in the χ^2 value of the fit.

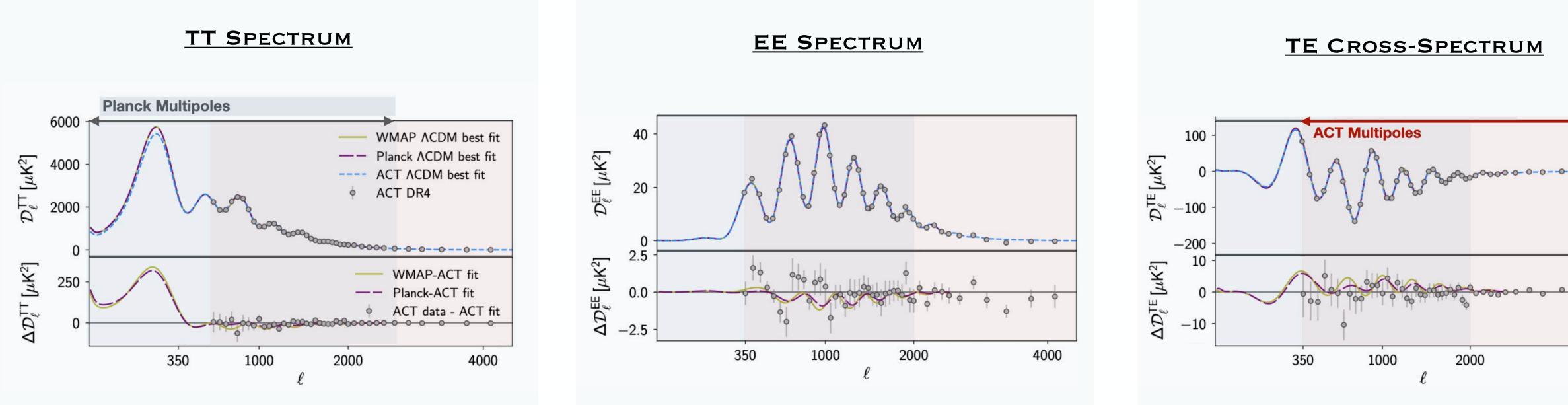
WG, Gómez-Valent , Di Valentino, van de Bruck *PRD* 109 (2024) 6, 063516 [arXiv:2311.09116]





ATACAMA COSMOLOGY TELESCOPE

arXiv: [2007.07288]



High-multipole temperature data

 $600 < \ell \leq 4200$ in the TT Spectrum



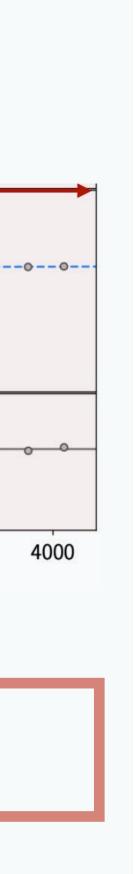
High-multipole EE Polarization data

 $350 < \ell \leq 4200$ in the EE Spectrum

High-multipole TE data

 $350 < \ell \leq 4200$ in the TE Spectrum

Note: Planck probes $\ell \in [2,2000]$





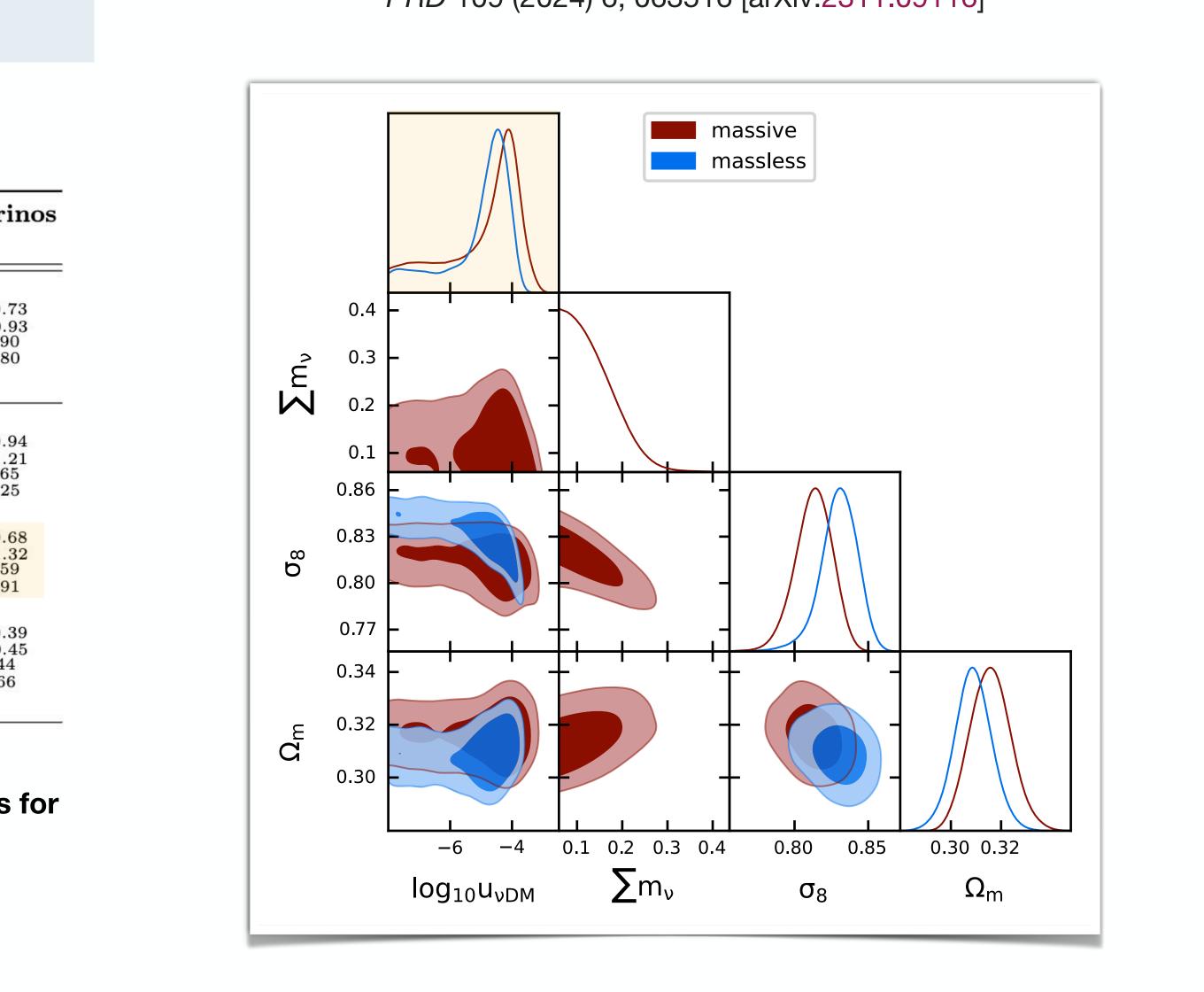
ATACAMA COSMOLOGY TELESCOPE

arXiv: [2007.07288]

Dataset	Massless Neutrinos $\log_{10} u_{\nu \text{DM}}$	$\begin{array}{c} \textbf{Massive Neutrino} \\ \log_{10} u_{\nu \rm DM} \end{array}$
P18+BAO	Mar: < -4.27 PL: < -4.34	Mar: $-4.11^{+0.73}_{-0.93}$ PL: $-5.00^{+0.90}_{-1.80}$
ACT-DR4+BAO	Mar: $-4.12^{+0.49}_{-0.90}$ PL: $-4.17^{+0.58}_{-0.87}$	Mar: $-4.05^{+0.94}_{-1.21}$ PL: $-3.90^{+0.65}_{-1.25}$
ACT-DR4+DR6+BAO	Mar: $-4.35^{+0.52}_{-0.79}$ PL: $-4.37^{+0.48}_{-0.80}$	Mar: $-4.12^{+0.68}_{-1.32}$ PL: $-4.00^{+0.59}_{-0.91}$
ACT-DR4+P18+BAO	Mar: $-4.64^{+0.60}_{-0.67}$ PL: $-4.60^{+0.46}_{-0.58}$	Mar: $-4.19^{+0.39}_{-0.45}$ PL: $-3.96^{+0.44}_{-0.66}$

• ACT (alone and) in combination with BAO, gives compelling indications for non-vanishing vDM interaction

WG, Gómez-Valent, Di Valentino, van de Bruck PRD 109 (2024) 6, 063516 [arXiv:2311.09116]



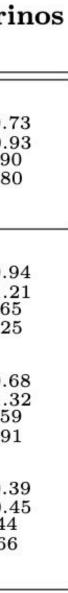


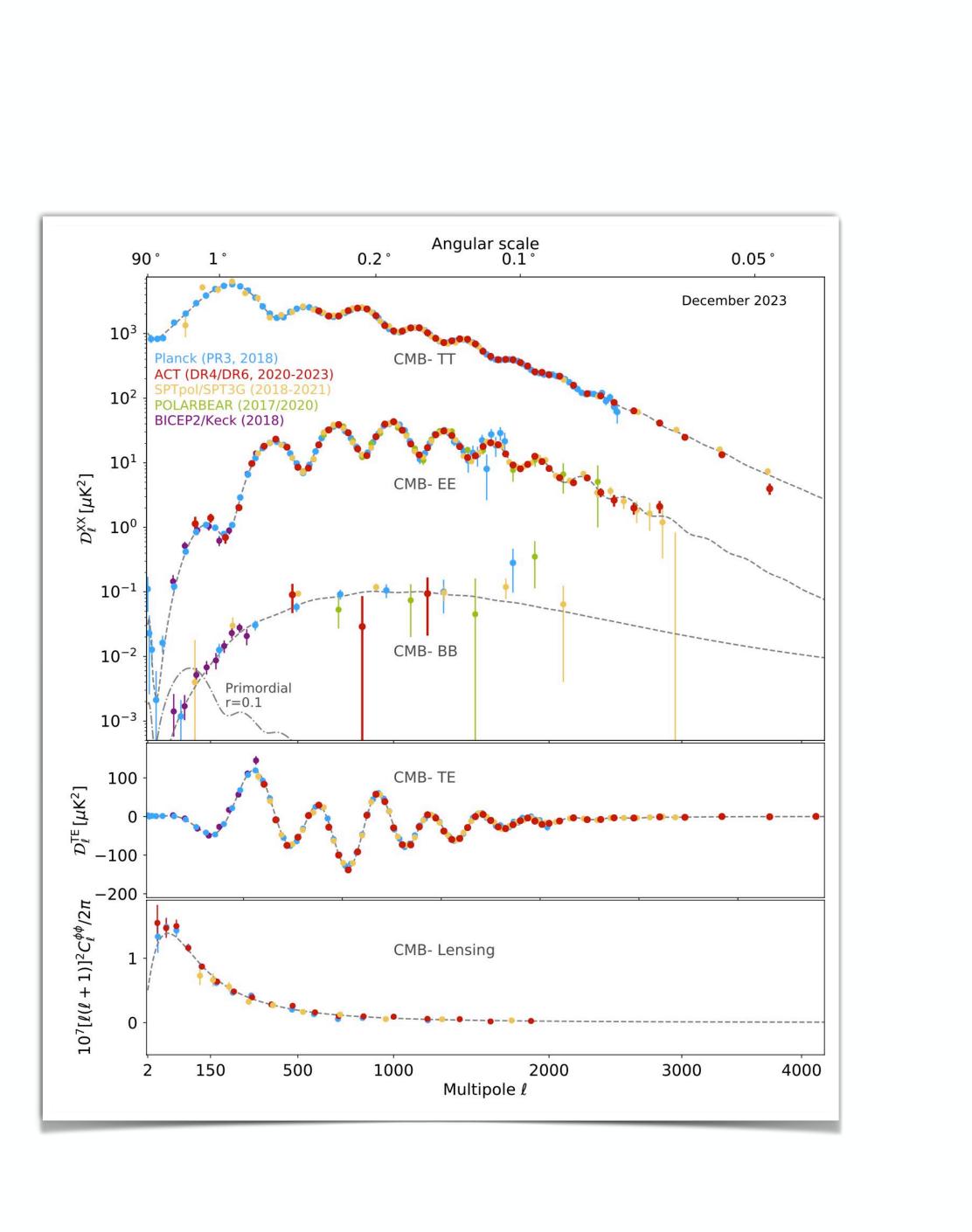
K	

Dataset	$\begin{array}{c} \textbf{Massless Neutrinos} \\ \log_{10} u_{\nu \text{DM}} \end{array}$	Massive Neutrin $\log_{10} u_{\nu \rm DM}$
P18+BAO	Mar: < -4.27 PL: < -4.34	Mar: $-4.11^{+0.7}_{-0.9}$ PL: $-5.00^{+0.90}_{-1.80}$
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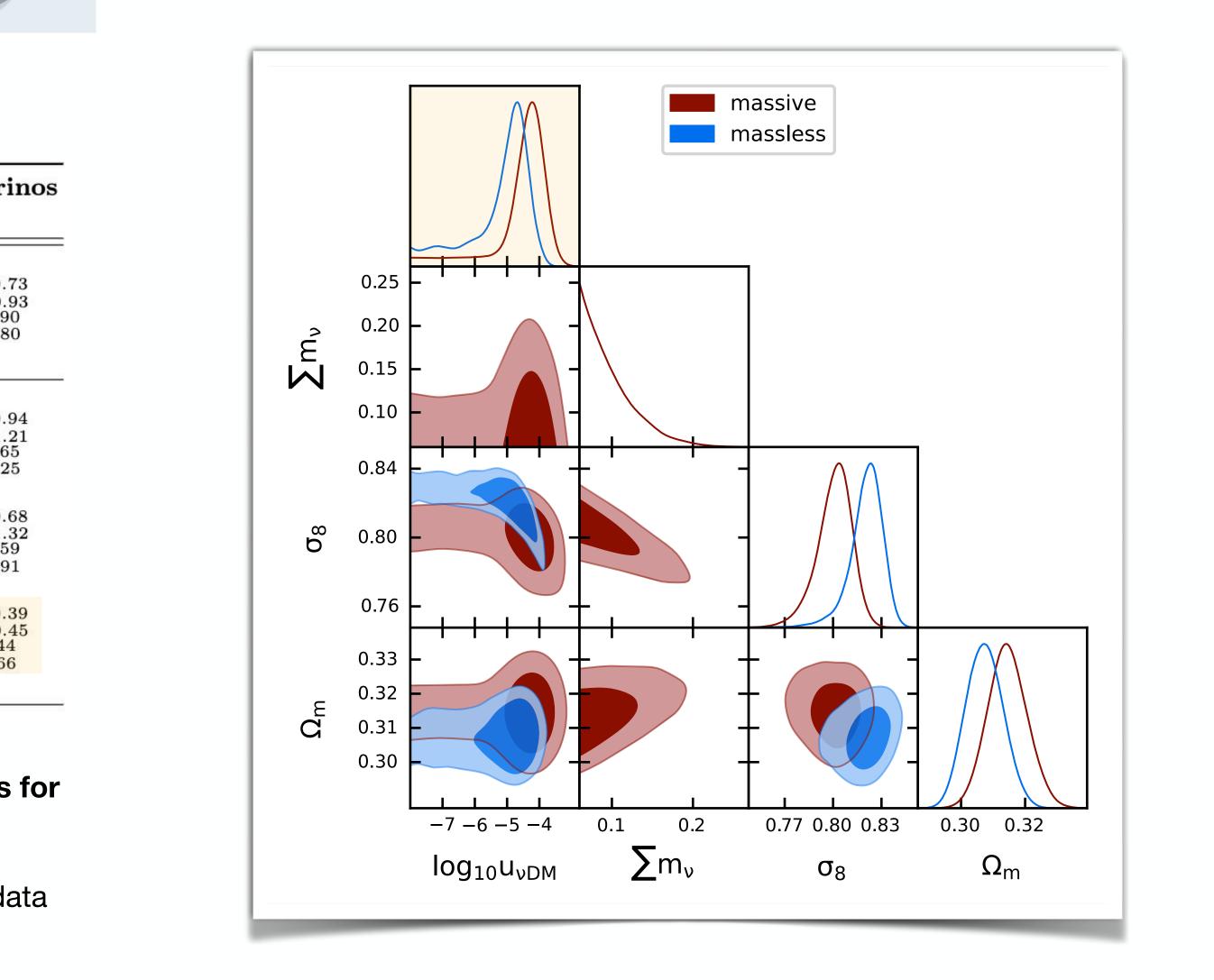
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Dataset	$\begin{array}{c} \mathbf{Massless} \ \mathbf{Neutrinos} \\ \log_{10} u_{\nu \mathrm{DM}} \end{array}$	$\begin{array}{c} \textbf{Massive Neutrin}\\ \log_{10} u_{\nu \rm DM} \end{array}$
P18+BAO	Mar: < -4.27 PL: < -4.34	Mar: $-4.11^{+0.73}_{-0.93}$ PL: $-5.00^{+0.90}_{-1.80}$
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- This indication becomes very robust combining ACT, Planck and BAO data together



WG, Gómez-Valent , Di Valentino, van de Bruck *PRD* 109 (2024) 6, 063516 [arXiv:2311.09116]





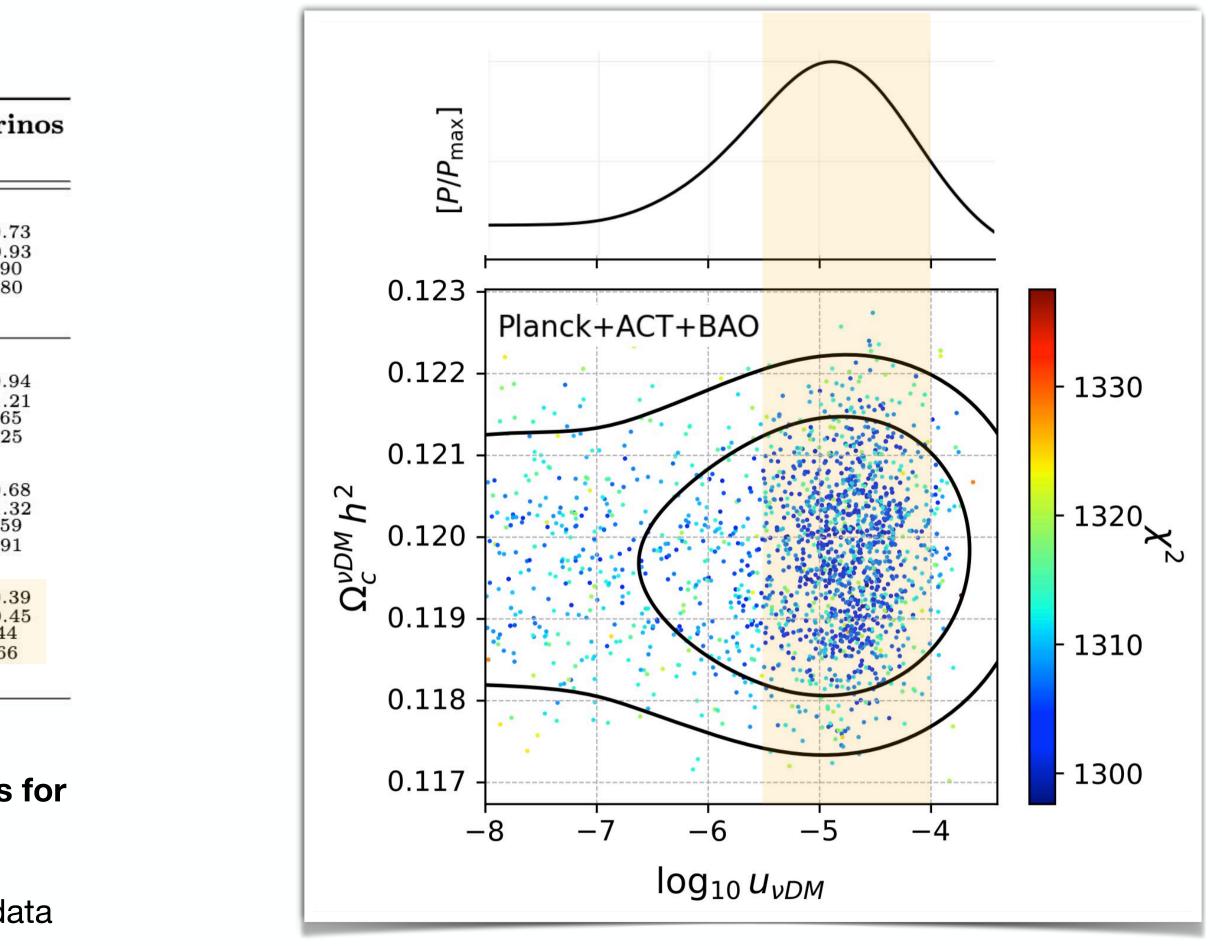
K	
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Dataset	Massless Neutrinos $\log_{10} u_{\nu \text{DM}}$	$\begin{array}{c} \textbf{Massive Neutrin}\\ \log_{10} u_{\nu \rm DM} \end{array}$
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P. Brax, C. van de Bruck, E. Di Valentino, **WG**, S. Trojanowski PDU 42 (2023) 101321 [arXiv:2305.01383]





K	
	N N N

Dataset	Massless Neutrinos $\log_{10} u_{\nu \text{DM}}$	Massive Neutrie $\log_{10} u_{\nu \rm DM}$
P18+BAO	Mar: < -4.27 PL: < -4.34	Mar: $-4.11^{+0.7}_{-0.9}$ PL: $-5.00^{+0.90}_{-1.80}$
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v-DM interactions leave the fit to the Planck data basically unchanged



P. Brax, C. van de Bruck, E. Di Valentino, **WG**, S. Trojanowski PDU 42 (2023) 101321 [arXiv:2305.01383]

1000

1000

1500

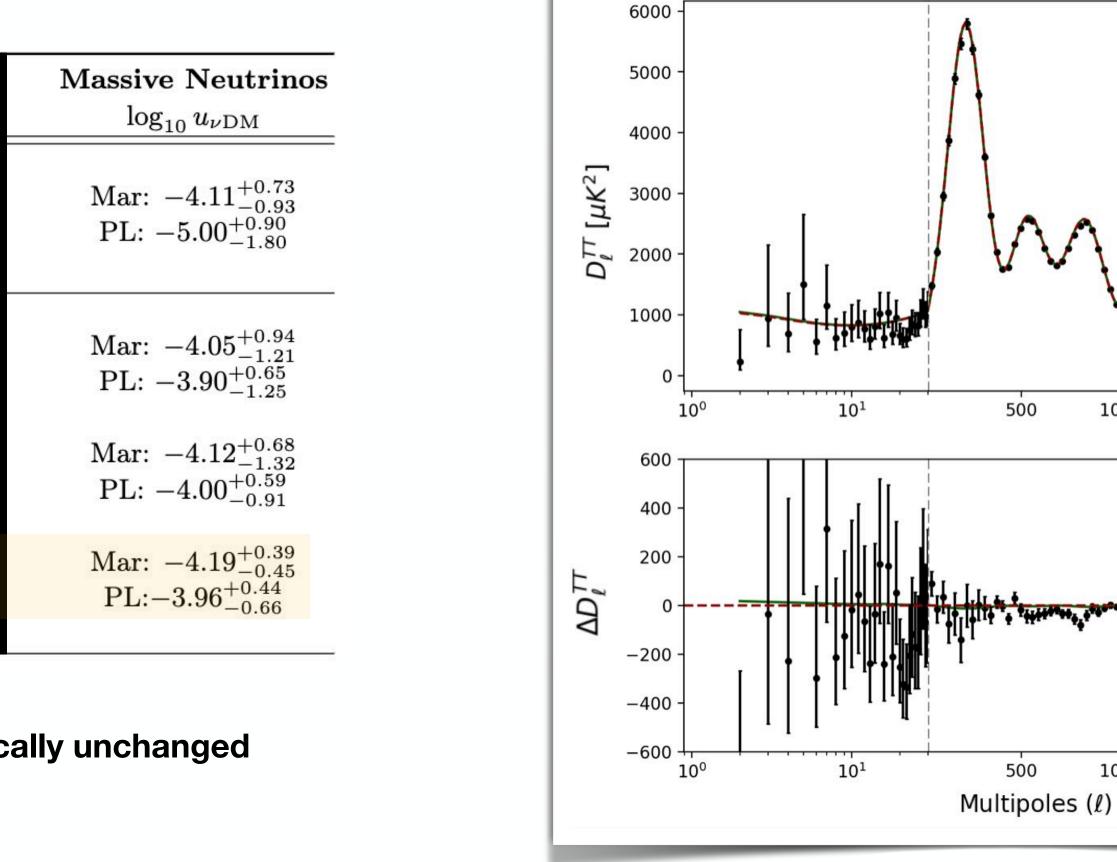
1500

2000

2000

2500

2500





· vDM

--- ACDM



K	

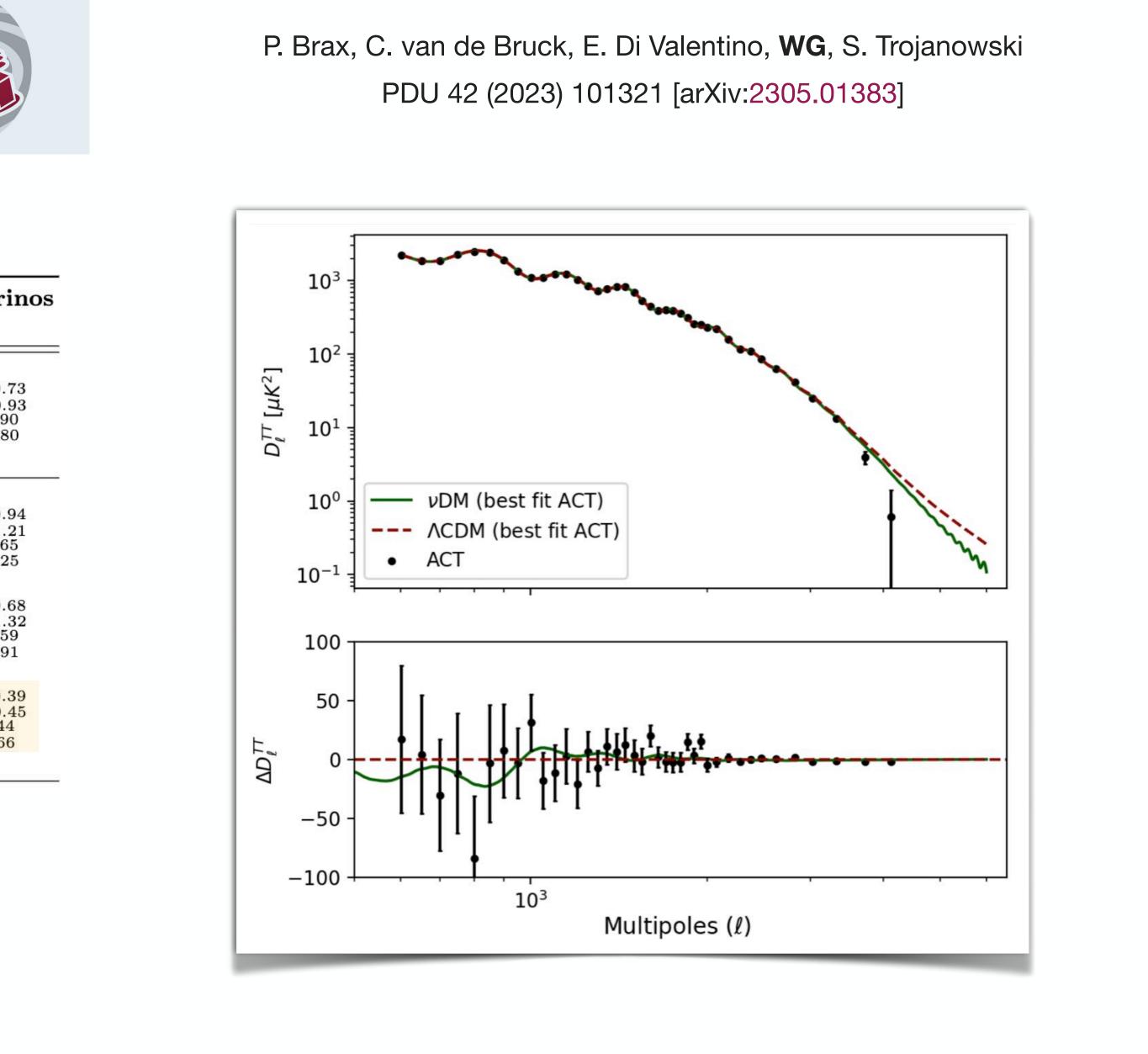
Dataset	$\begin{array}{c} {\bf Massless \ Neutrinos} \\ {\log_{10} u_{\nu \rm DM}} \end{array}$	$\begin{array}{c} \textbf{Massive Neutrin}\\ \log_{10} u_{\nu \text{DM}} \end{array}$
P18+BAO	Mar: < -4.27 PL: < -4.34	Mar: $-4.11^{+0.7}_{-0.9}$ PL: $-5.00^{+0.90}_{-1.80}$
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v-DM interactions leave the fit to the Planck data basically unchanged

v-DM interactions improve the fit to the ACT high-multipole data



PDU 42 (2023) 101321 [arXiv:2305.01383]

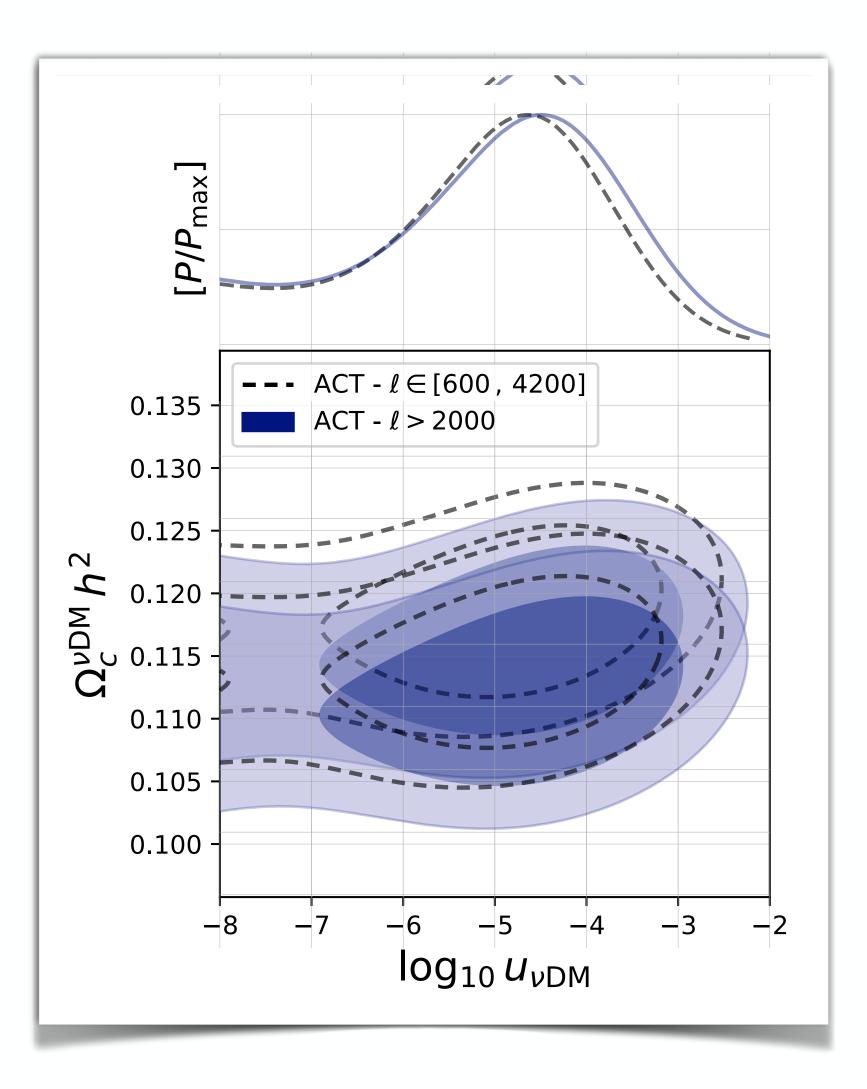


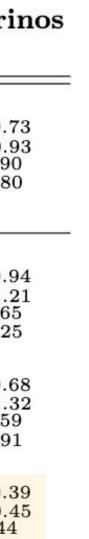


Dataset	$\begin{array}{c} \textbf{Massless Neutrinos} \\ \log_{10} u_{\nu \rm DM} \end{array}$	$\begin{array}{c} \textbf{Massive Neutrin}\\ \log_{10} u_{\nu \text{DM}} \end{array}$
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ACT-DR4+P18+BAO	Mar: $-4.64^{+0.60}_{-0.67}$ PL: $-4.60^{+0.46}_{-0.58}$	Mar: $-4.19^{+0.3}_{-0.4}$ PL: $-3.96^{+0.44}_{-0.66}$

- v-DM interactions leave the fit to the Planck data basically unchanged
- v-DM interactions improve the fit to the ACT high-multipole data
- The improvement comes from ACT small-scale data at $\ell \gtrsim 2000$

WG, Gómez-Valent , Di Valentino, van de Bruck *PRD* 109 (2024) 6, 063516 [arXiv:2311.09116]

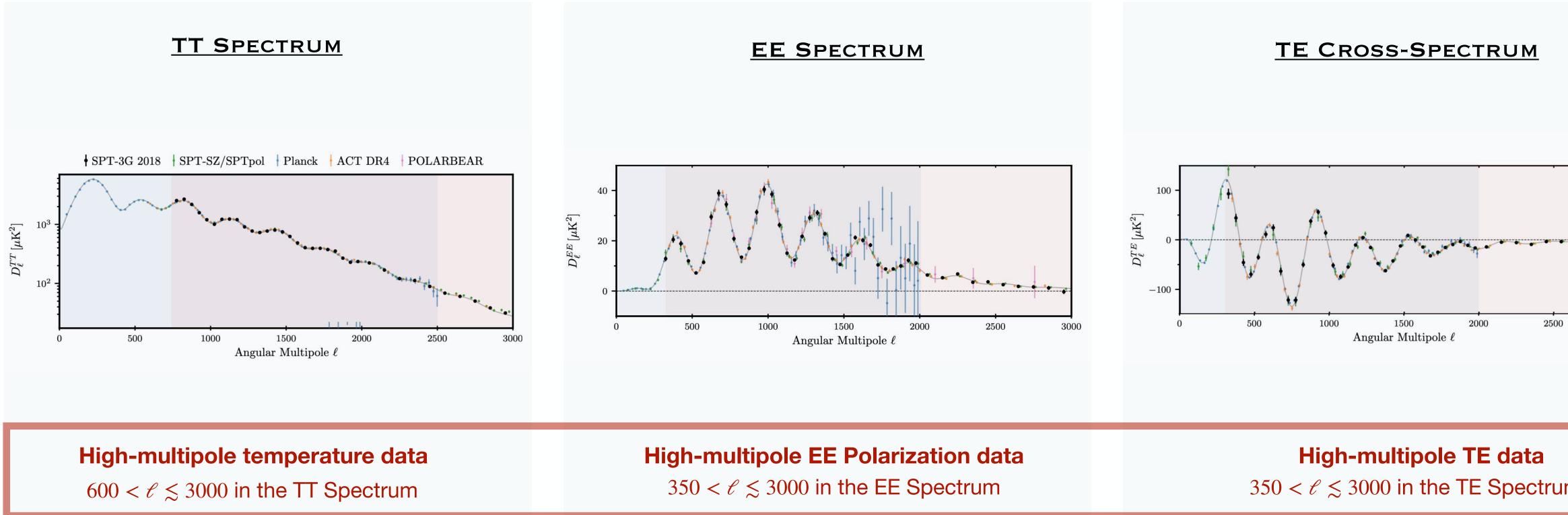






SOUTH POLE TELESCOPE

arXiv: [2212.05642]



$350 < \ell \leq 3000$ in the TE Spectrum

Note: Planck probes $\ell \sim [2,2000]$ ACT probes $\ell \sim [650, 4200]$



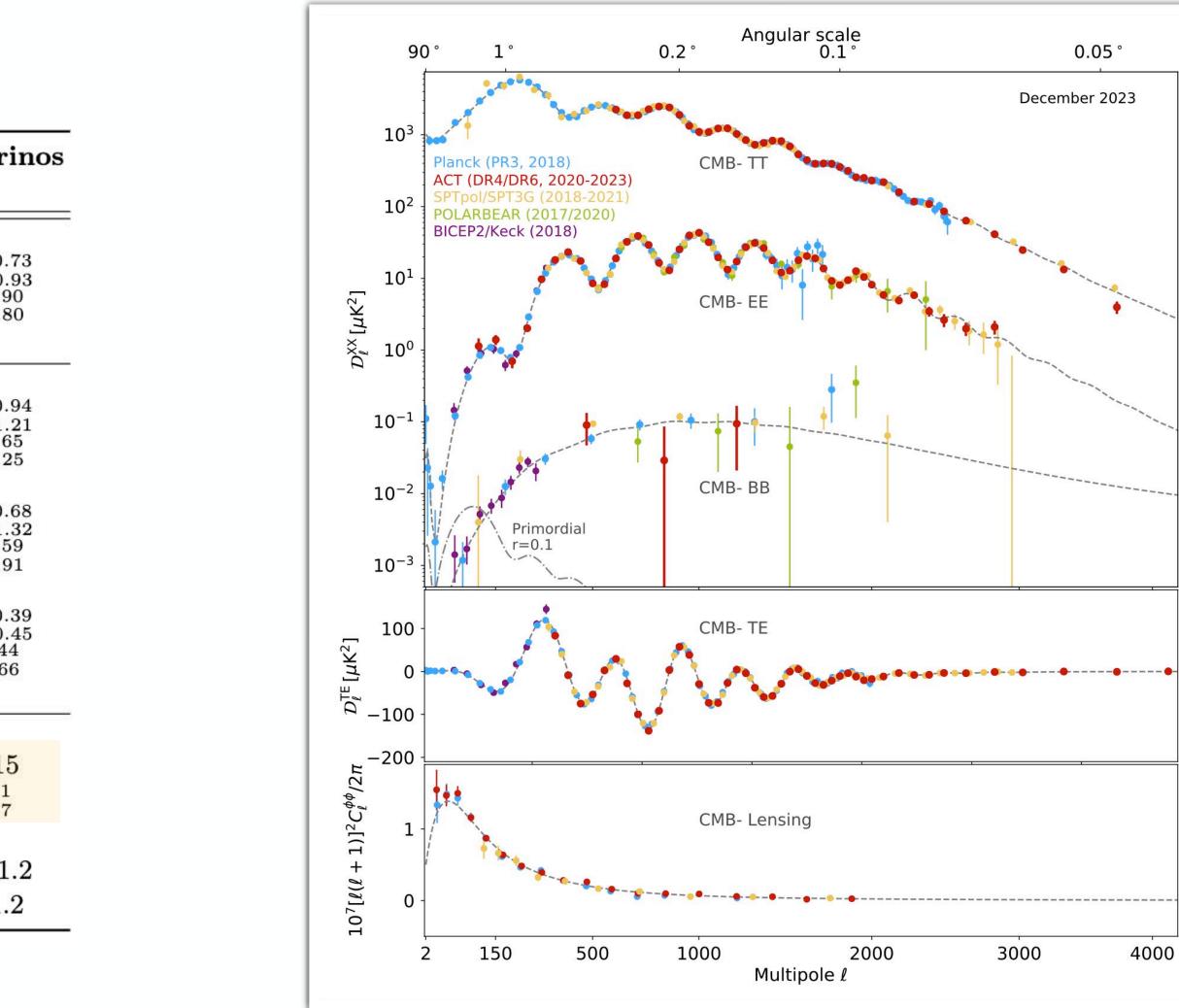


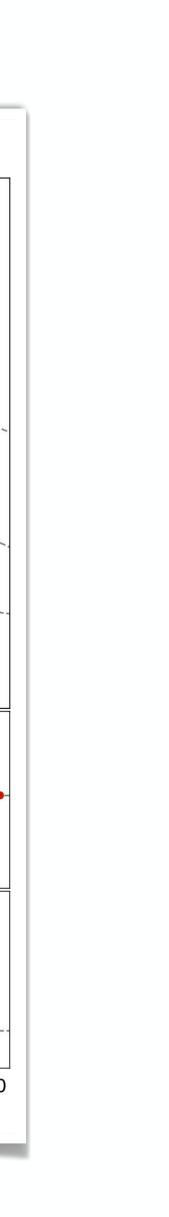
SOUTH POLE TELESCOPE

arXiv: [2212.05642]

Dataset	Massless Neutrinos	Massive Neutri
	$\log_{10} u_{\nu \rm DM}$	$\log_{10} u_{\nu \rm DM}$
P18+BAO	Mar: < -4.27 PL: < -4.34	Mar: $-4.11^{+0.7}_{-0.9}$ PL: $-5.00^{+0.90}_{-1.80}$
ACT-DR4+BAO	$\begin{array}{rl} \mathrm{Mar:} & -4.12^{+0.49}_{-0.90} \\ \mathrm{PL:} & -4.17^{+0.58}_{-0.87} \end{array}$	Mar: $-4.05^{+0.9}_{-1.2}$ PL: $-3.90^{+0.63}_{-1.2}$
ACT-DR4+DR6+BAO	$\begin{array}{lll} \mathrm{Mar:} & -4.35^{+0.52}_{-0.79} \\ \mathrm{PL:} & -4.37^{+0.48}_{-0.80} \end{array}$	Mar: $-4.12^{+0.6}_{-1.3}$ PL: $-4.00^{+0.59}_{-0.95}$
ACT-DR4+P18+BAO	Mar: $-4.64^{+0.60}_{-0.67}$ PL: $-4.60^{+0.46}_{-0.58}$	Mar: $-4.19^{+0.3}_{-0.4}$ PL: $-3.96^{+0.44}_{-0.66}$
	Mar: < -3.56	Mar: < -3.15
SPT+BAO	PL: < -3.51	PL: $-4.6^{+1.1}_{-1.7}$
SPT+P18+BAO	Mar: < -3.90 PL: $-4.58^{+0.46}_{-2.04}$	Mar: -5.5 ± 1 . PL: -5.7 ± 1.2

• SPT probes intermediate scales with larger uncertainties, so the interpretation of the result becomes less clear







<u>SPT & Planck</u> (Joint Analysis)

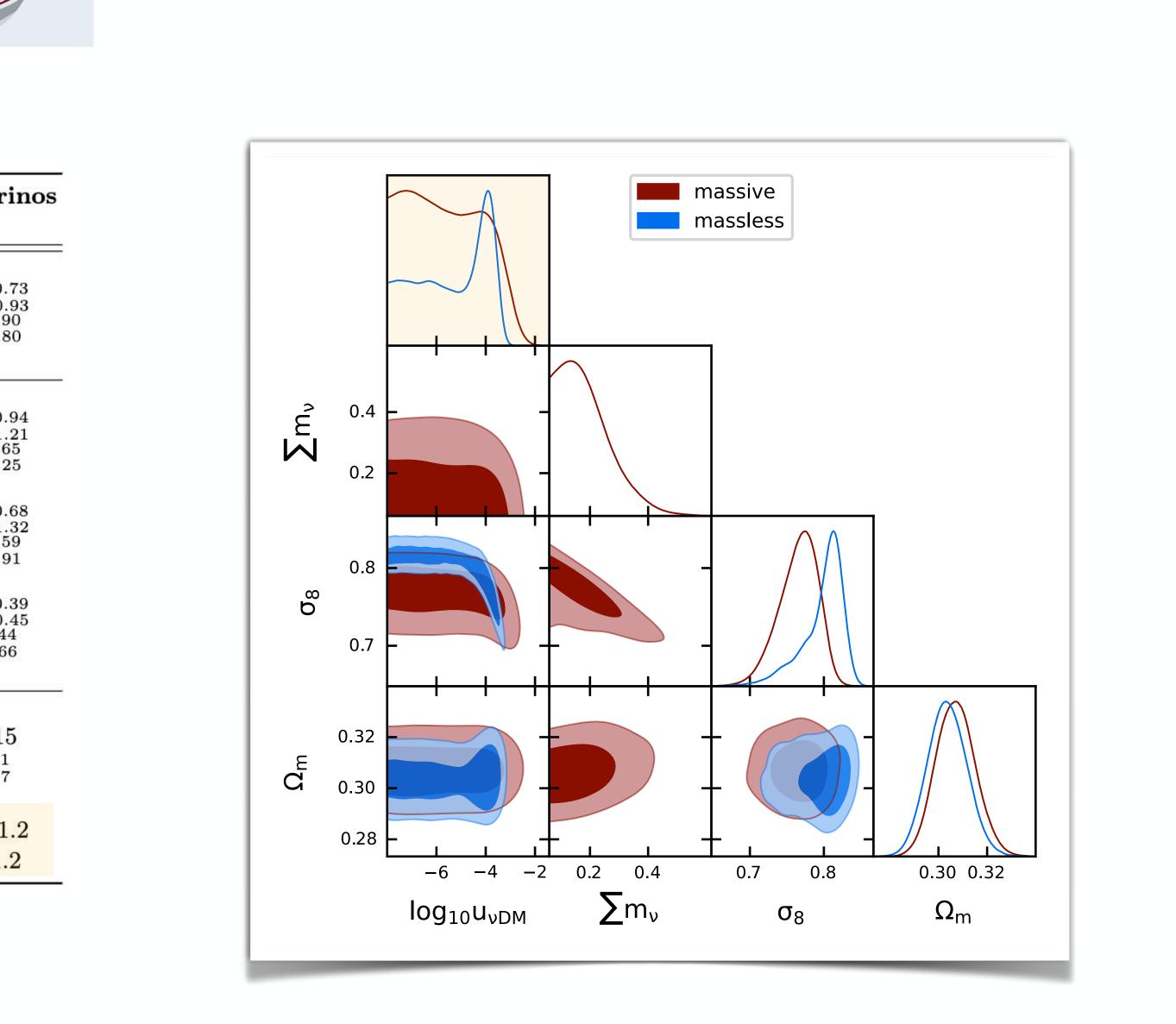
K	
	V

Dataset	$\begin{array}{c} \mathbf{Massless} \ \mathbf{Neutrinos} \\ \log_{10} u_{\nu \mathrm{DM}} \end{array}$	Massive Neutrie $\log_{10} u_{\nu \rm DM}$
P18+BAO	Mar: < -4.27 PL: < -4.34	Mar: $-4.11^{+0.7}_{-0.9}$ PL: $-5.00^{+0.90}_{-1.80}$
ACT-DR4+BAO	Mar: $-4.12^{+0.49}_{-0.90}$ PL: $-4.17^{+0.58}_{-0.87}$	Mar: $-4.05^{+0.9}_{-1.2}$ PL: $-3.90^{+0.65}_{-1.25}$
ACT-DR4+DR6+BAO	$\begin{array}{rl} \mathrm{Mar:} & -4.35^{+0.52}_{-0.79} \\ \mathrm{PL:} & -4.37^{+0.48}_{-0.80} \end{array}$	Mar: $-4.12^{+0.6}_{-1.3}$ PL: $-4.00^{+0.59}_{-0.91}$
ACT-DR4+P18+BAO	Mar: $-4.64^{+0.60}_{-0.67}$ PL: $-4.60^{+0.46}_{-0.58}$	Mar: $-4.19^{+0.3}_{-0.4}$ PL: $-3.96^{+0.44}_{-0.66}$
SPT+BAO	Mar: < -3.56 PL: < -3.51	Mar: < -3.15 PL: $-4.6^{+1.1}_{-1.7}$
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• SPT probes intermediate scales with larger uncertainties, so the interpretation of the result becomes less clear



WG, Gómez-Valent , Di Valentino, van de Bruck *PRD* 109 (2024) 6, 063516 [arXiv:2311.09116]



10+ ADDITIONAL TESTS ON **NEUTRINO-DM INTERACTIONS**

1) We analyzed three different CMB experiments (ACT, Planck, and SPT) alone and in combination with BAO -> Including/excluding BAO does not make a difference 2) We considered the different CMB experiment with and without lensing data -> Including/excluding lensing does not make a difference 3) We considered different combinations of CMB experiments -> Preference confirmed combining large and small-scale CMB data 4) We divided the ACT likelihood into different bins -> Preference in ACT coming from multipoles larger than 2000 5) We considered neutrinos massless and massive -> We obtain similar results for both massive and massless neutrinos 6) We considered Neff as a free parameter -> Preference for interactions confirmed when Neff can vary in the cosmological model 7) We considered a temperature-dependent cross-section -> We obtain similar results when considering a σ~T^2 cross-section (with and without Neff) 8) We considered different priors for the interaction strength -> Marginal impact; we adopt the most conservative large priors spanning 8 orders of magnitude! 9) We tested that the preference for interaction is given by a reduction of the chi2 -> The peak of the distribution corresponds to a reduction of the chi2 10) Along with the usual MCMC analysis, we performed Profile Likelihood analyses -> Profile Likelihood confirms preference for interactions



<u>ACT & PLANCK</u> (JOINT ANALYSIS)



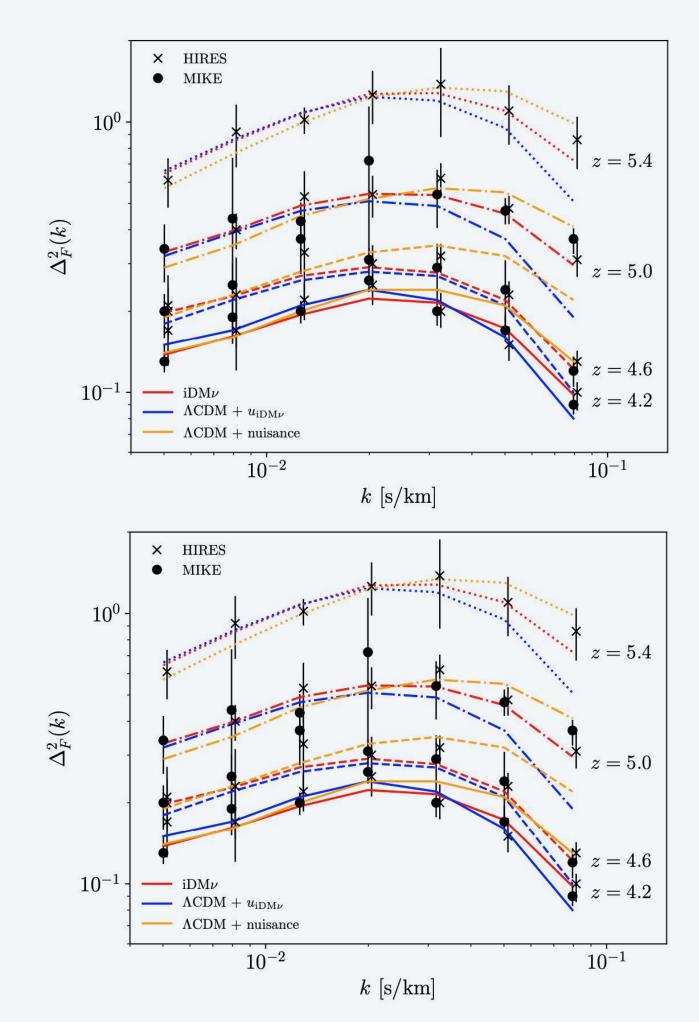
Dataset	Massless Neutrinos $\log_{10} u_{\nu \text{DM}}$	$\begin{array}{c} \textbf{Massive Neutri} \\ \log_{10} u_{\nu \rm DM} \end{array}$
P18+BAO	Mar: < -4.27 PL: < -4.34	Mar: $-4.11_{-0.9}^{+0.7}$ PL: $-5.00_{-1.80}^{+0.90}$
ACT-DR4+BAO	$\begin{array}{rl} \mathrm{Mar:} & -4.12^{+0.49}_{-0.90} \\ \mathrm{PL:} & -4.17^{+0.58}_{-0.87} \end{array}$	Mar: $-4.05^{+0.9}_{-1.2}$ PL: $-3.90^{+0.65}_{-1.25}$
ACT-DR4+DR6+BAO	$\begin{array}{rl} \mathrm{Mar:} & -4.35^{+0.52}_{-0.79} \\ \mathrm{PL:} & -4.37^{+0.48}_{-0.80} \end{array}$	Mar: $-4.12^{+0.6}_{-1.3}$ PL: $-4.00^{+0.59}_{-0.91}$
ACT-DR4+P18+BAO	Mar: $-4.64^{+0.60}_{-0.67}$ PL: $-4.60^{+0.46}_{-0.58}$	Mar: $-4.19^{+0.3}_{-0.4}$ PL: $-3.96^{+0.44}_{-0.66}$
SPT+BAO	Mar: < -3.56 PL: < -3.51	Mar: < -3.15 PL: $-4.6^{+1.1}_{-1.7}$
SPT+P18+BAO	Mar: < -3.90 PL: $-4.58^{+0.46}_{-2.04}$	Mar: -5.5 ± 1 . PL: -5.7 ± 1.2

rinos

- .73 .93 90 80
- $.94 \\ .21 \\ 65 \\ 25$
- $.68 \\ .32 \\ 59 \\ 91$
- .39 .45
- .45 14 56
- 5
- .
- $1.2 \\ .2$

Lyman-α

D.C. Hooper and M. Lucca, [arXiv: 2110.04024]



 $\log_{10} u_{\nu DM} = -5.42^{+0.17}_{-0.08}$



3 OUTLOOKS AND CONCLUSIONS

Neutrino Cosmology

A powerful avenue for constraining neutrino properties (species, mass, and ordering). Weak – yet relevant – dependence on background cosmology.

Neutrino Mass & Ordering

Post-DESI neutrino mass limits strongly disfavor the IO and intriguingly approach oscillation experiment limits for the NO - Signal of new physics beyond Λ CDM?

Neutrino Interactions

Small-scale CMB experiments provide unique observational windows to test scenarios like neutrino-dark matter scattering. — Hints of neutrino-DM scattering in the CMB?

The future is bright and (almost) here!

Upcoming data from large-scale structure surveys and small-scale CMB surveys promise to answer all these questions!

Thank You!

