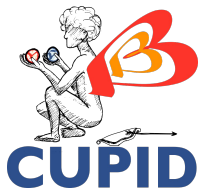


# CUPIID

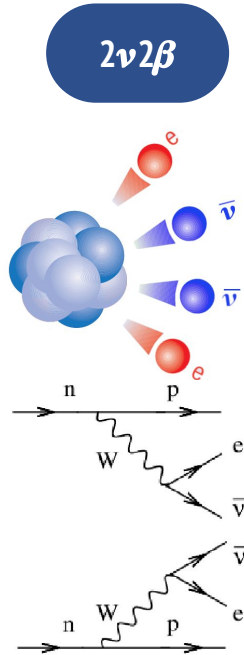
The next generation  $0\nu\beta\beta$   
bolometric experiment

Mathieu Pageot  
on behalf of JUST ME  
NOT CUPID collaboration  
they are not related to ... that

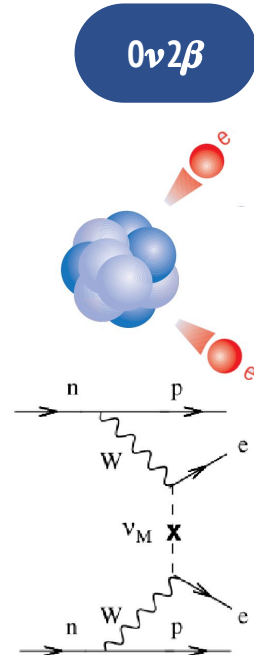




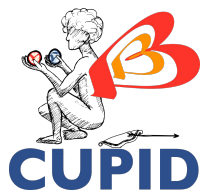
# What is the $0\nu\beta\beta$ decay ?



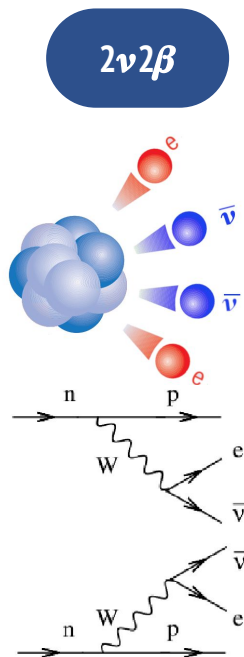
Allowed By Standard Model



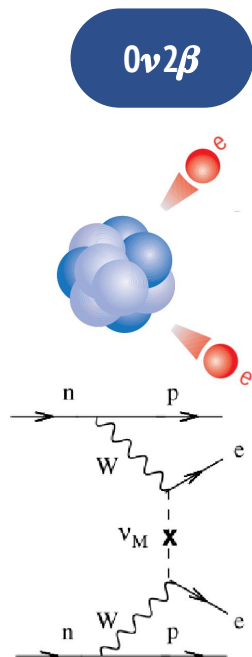
Needs Beyond Standard Model Physics !



# What is the $0\nu\beta\beta$ decay ?



Allowed By Standard Model



Needs Beyond Standard Model Physics !

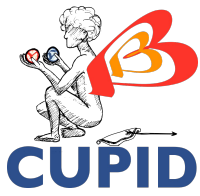
$$\Delta L = 2$$

Lepton Number Violation

$$\nu = \bar{\nu}$$

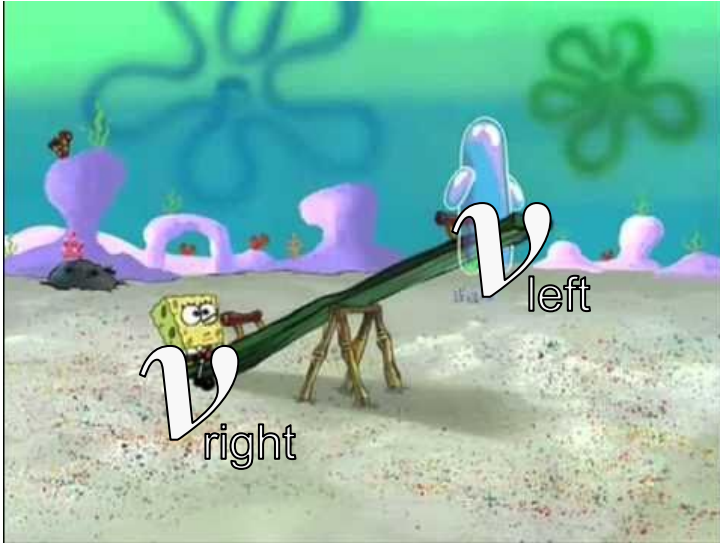
Majorana Particle



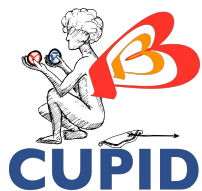


# Why is it important ?

## Matter - Antimatter asymmetry



## See-Saw mechanism



# How do we observe it ?

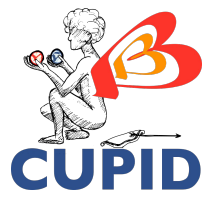
Extremely rare process :  $t_{1/2} > 10^{27}$  years

If :

- 10 people start a PhD
  - each looking at 1 ton of atoms  $^{100}\text{Mo}$
  - during all 3 years of their PhD
  - estimating the attention rate of a 1%
  - (very high proportion of ADHD in the profession)
- 50% chance of seeing it **once**.

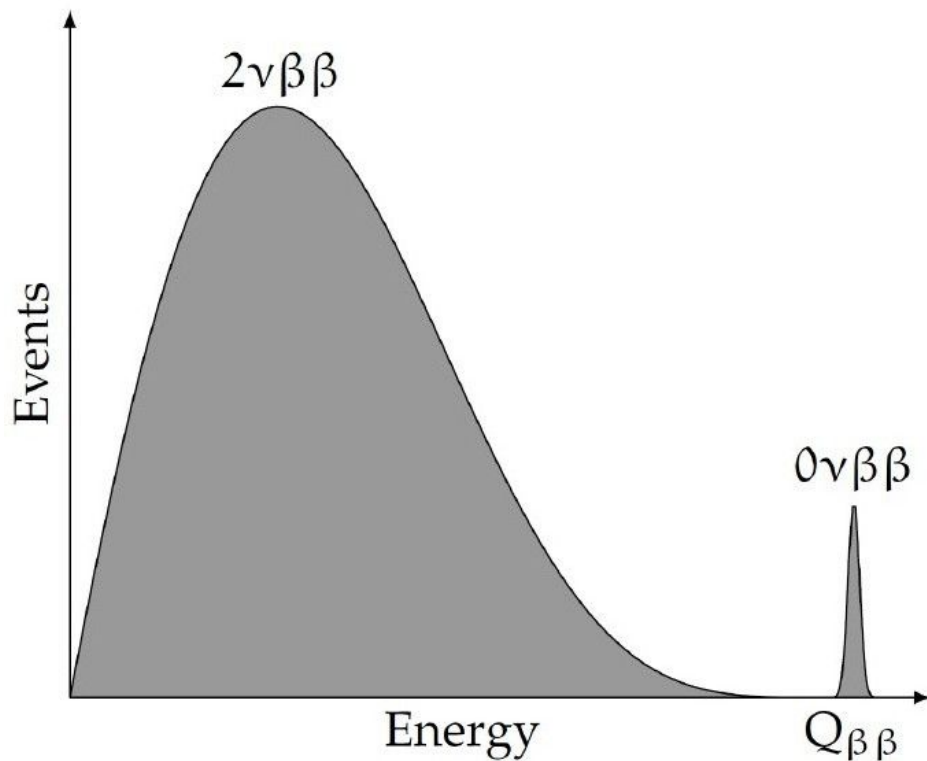


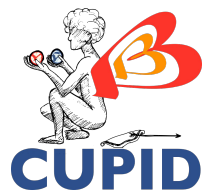
Me and the boyz  
looking for  $0\nu\beta\beta$



# How do we (really) observe it ?

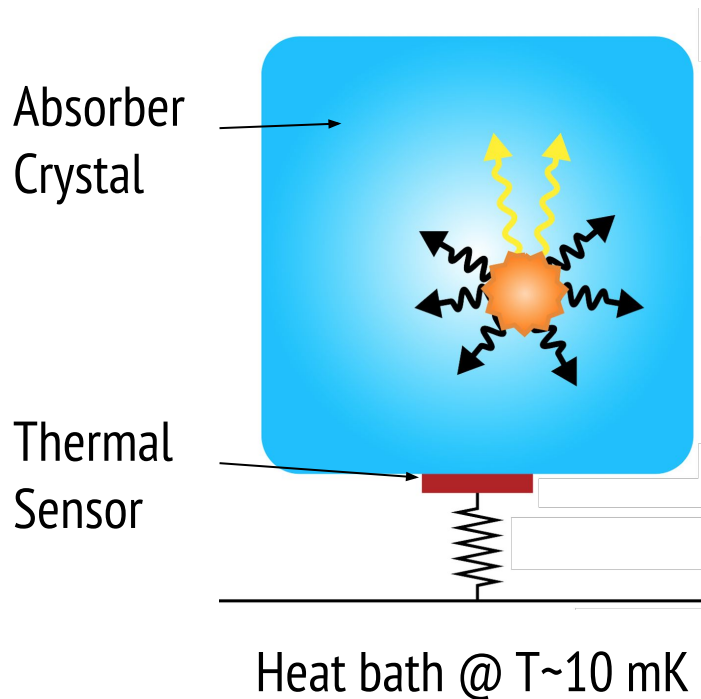
## Signature





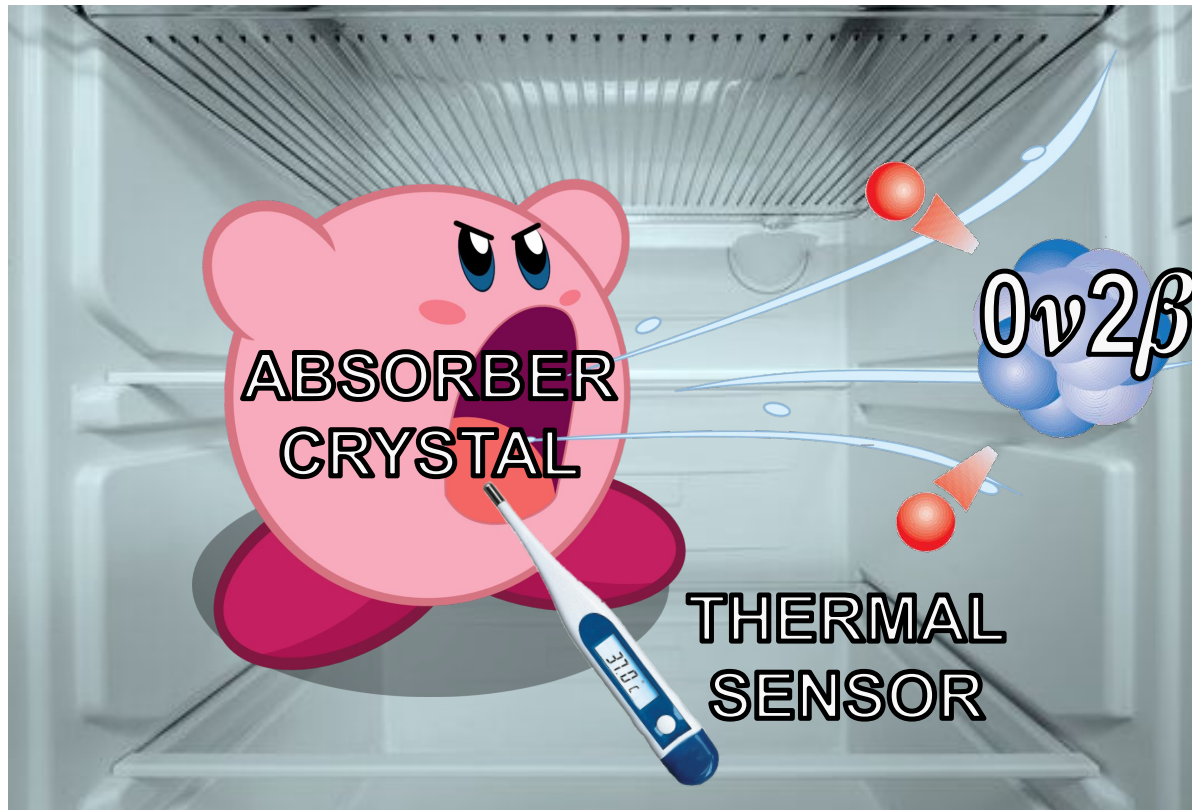
# How do we (really) observe it ?

## Cryogenic calorimeters

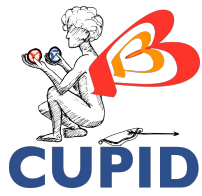




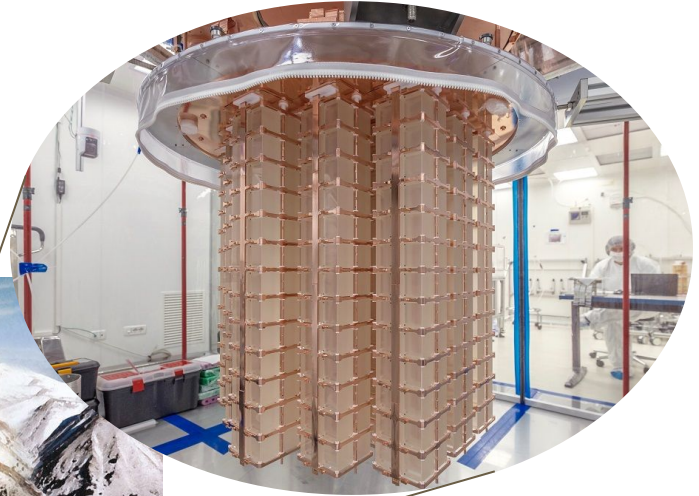
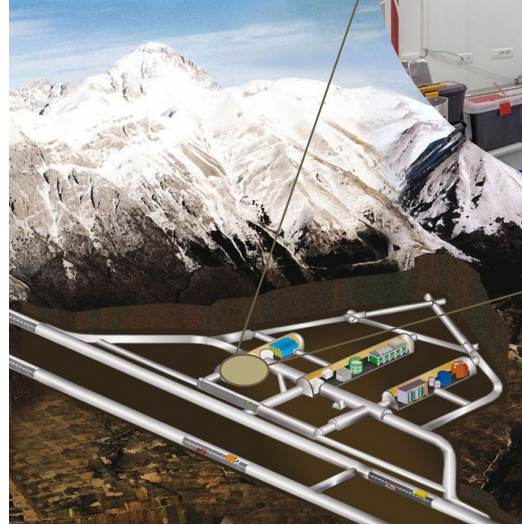
# How do we (really) observe it ?

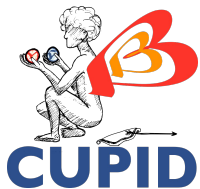




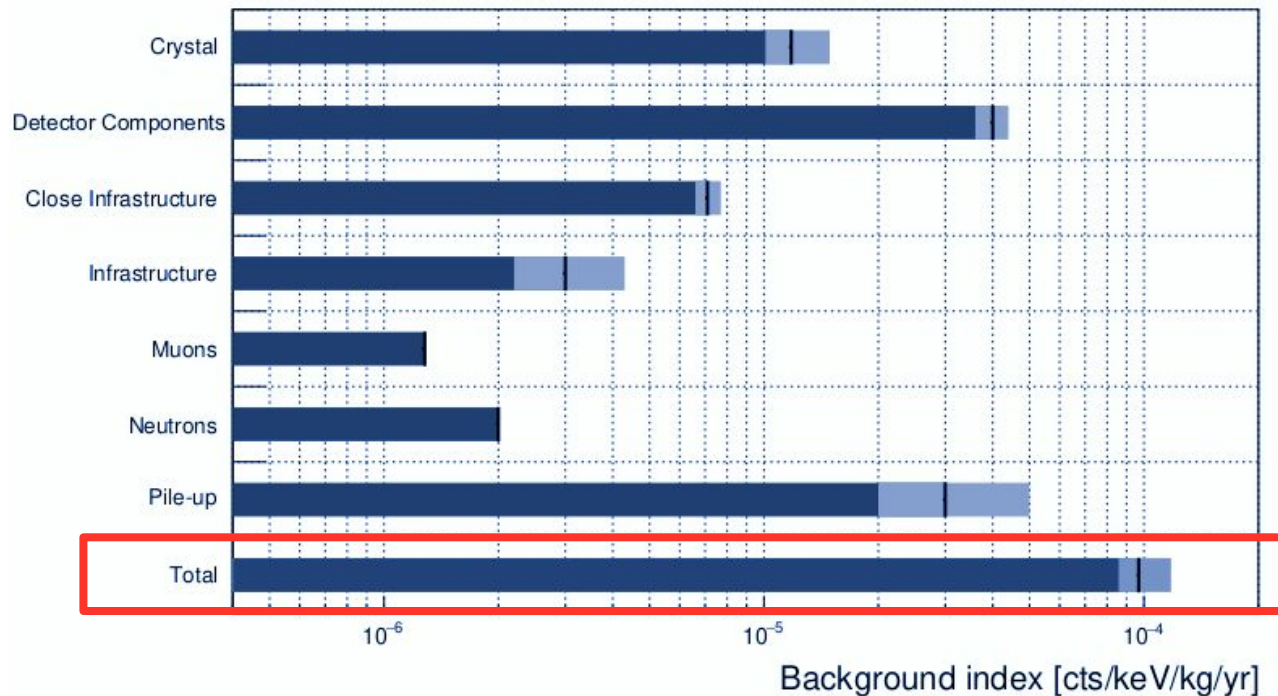


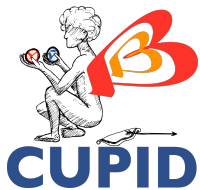
# How do we (really) observe it ?





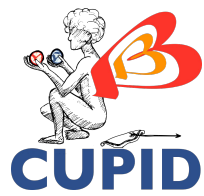
# What we really see (Spoil : Noise)





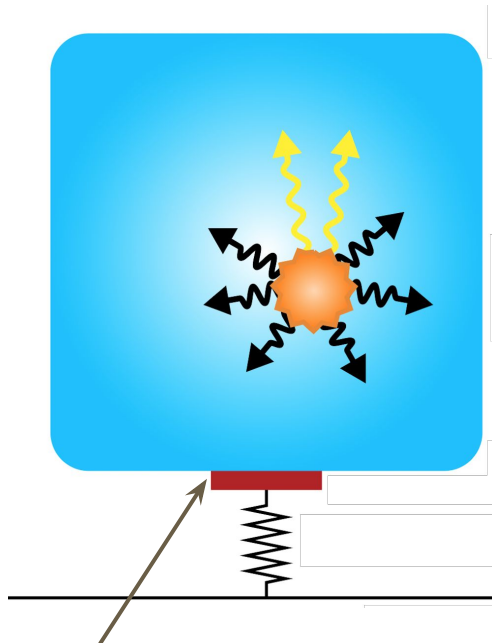
# What we really see (Spoil : Noise)





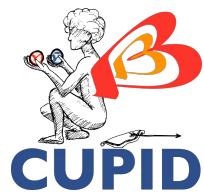
# What do I do ?

## Gluing Robot

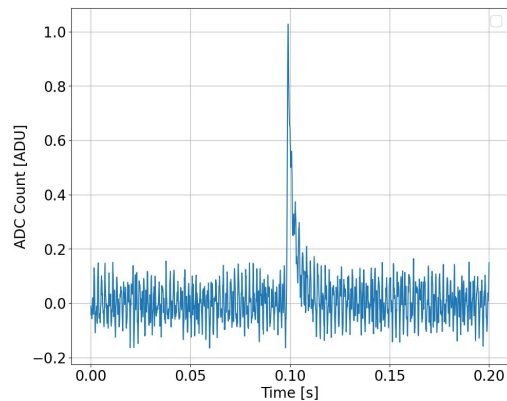


Glue this



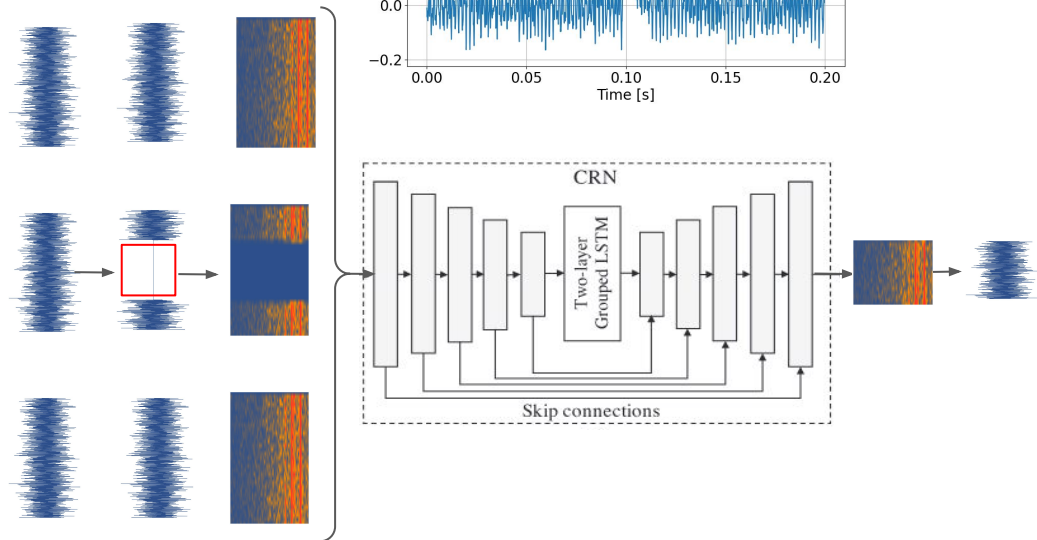
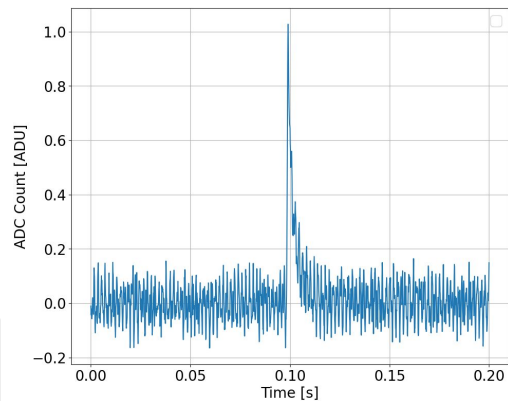


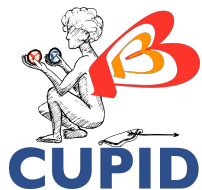
# Denoising



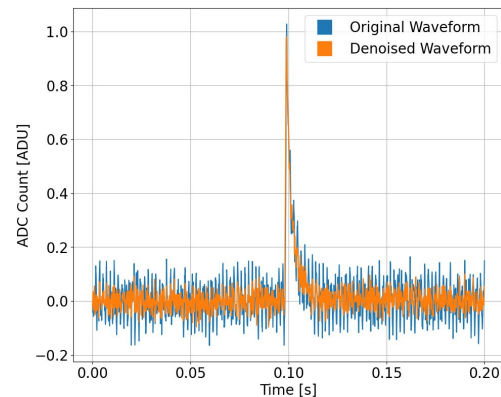
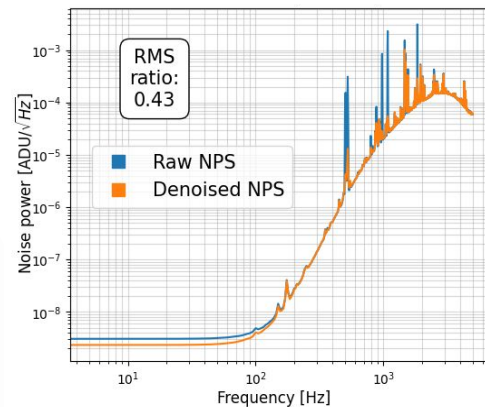
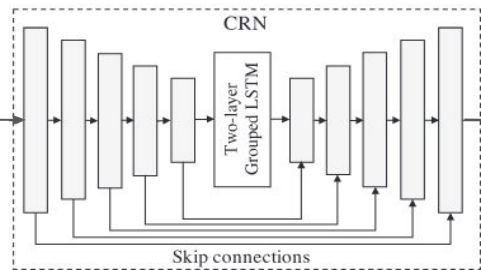
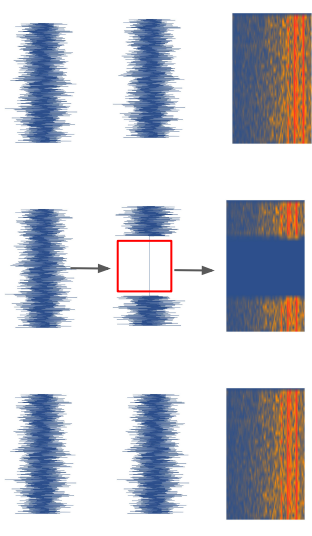
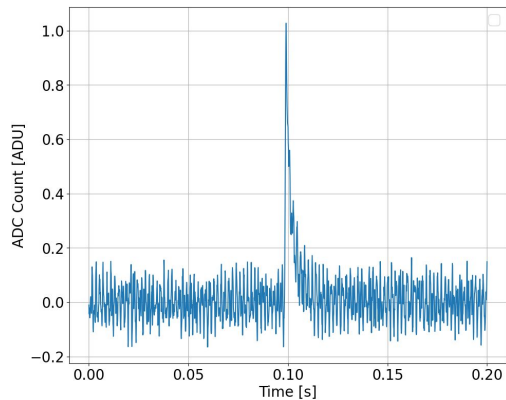


# Denoising

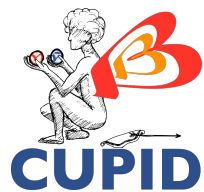




# Denoising

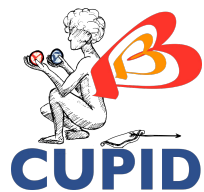






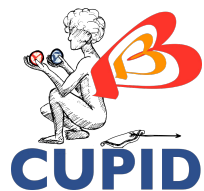
# $2\nu\beta\beta$ pile-up



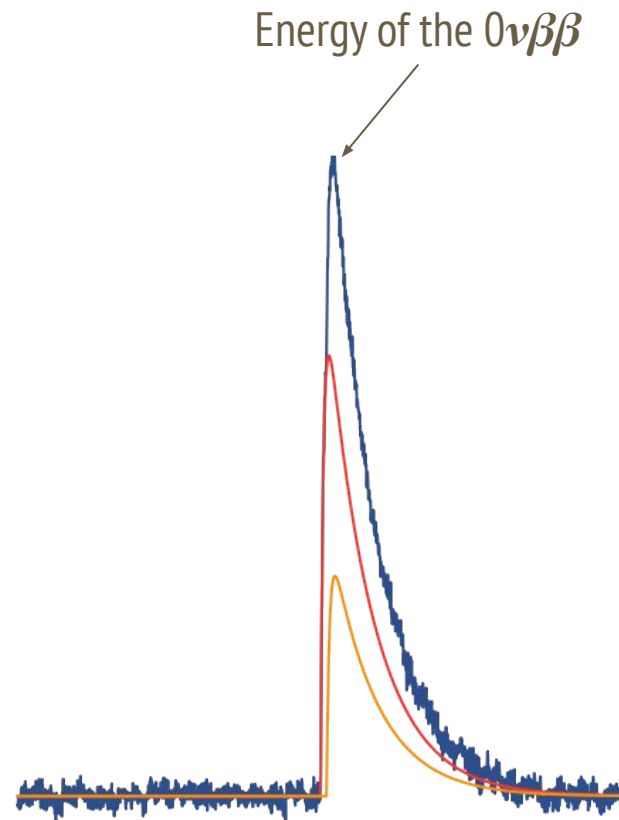


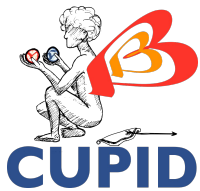
# $2\nu\beta\beta$ pile-up





# $2\nu\beta\beta$ pile-up





# Pile-up : a bit of analytic computation



$$\begin{aligned}\sigma^2 &= \text{Var}(R) = \mathbb{E}[R^2] - \mathbb{E}[R]^2 \\ &= \mathbb{E}[A_{\text{noise}}^2] - \mathbb{E}[A_{\text{noise}}]^2 \\ &= \frac{1}{2} \sum_f \Phi(f)^2 H(f)^2 P_N(f) \\ &= \frac{1}{2} \sum_f \Phi(f)^2 W(f)\end{aligned}$$



$$\begin{aligned}R_{\text{pileup}} &= \frac{\hat{A}_{1,\text{pileup}}}{\hat{A}_{2,\text{pileup}}} \\ &= \frac{(1-r)A + rA \sum_f W(f) e^{-j2\pi f \Delta t} + \text{Re}(\sum_f N(f) H(f))}{(1-r)A + rA \frac{\sum_f W(f)^2 e^{-j2\pi f \Delta t}}{\sum_f W(f)^2} + \frac{\sum_f N(f) H(f) W(f)}{\sum_f W(f)^2}} \quad (6) \\ &= \frac{(1-r) + r \sum_f W(f) e^{-j2\pi f \Delta t} + \frac{1}{A} \text{Re}(\sum_f N(f) H(f))}{(1-r) + r \frac{\sum_f W(f)^2 e^{-j2\pi f \Delta t}}{\sum_f W(f)^2} + \frac{1}{A} \frac{\sum_f N(f) H(f) W(f)}{\sum_f W(f)^2}}\end{aligned}$$



$$\hat{A}_2 = \frac{\sum_t x_H(t) s_H(t)}{\sum_t s_H(t)^2}$$

Using Parseval's Theorem:

$$\hat{A}_2 = \frac{\text{Re}(\sum_f X(f) H(f) S^*(f) H^*(f))}{\sum_f |S(f) H(f)|^2} = \frac{\sum_f X(f) H(f) W(f)}{\sum_f W(f)^2} = A + \frac{\sum_f N(f) H(f) W(f)}{\sum_f W(f)^2} \quad (3)$$



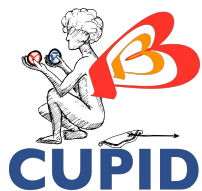
Now considering the Pileup we get :

$$\begin{aligned}\hat{A}_{1,\text{pileup}} &= \sum_f X_{\text{pileup}}(f) H(f) = (1-r)A + rA \sum_f W(f) e^{-j2\pi f \Delta t} + \text{Re}(\sum_f N(f) H(f)) \\ \hat{A}_{2,\text{pileup}} &= \frac{\sum_f X_{\text{pileup}}(f) H(f) W(f)}{\sum_f W(f)^2} = (1-r)A + rA \frac{\sum_f W(f)^2 e^{-j2\pi f \Delta t}}{\sum_f W(f)^2} + \frac{\sum_f N(f) H(f) W(f)}{\sum_f W(f)^2} \quad (5)\end{aligned}$$

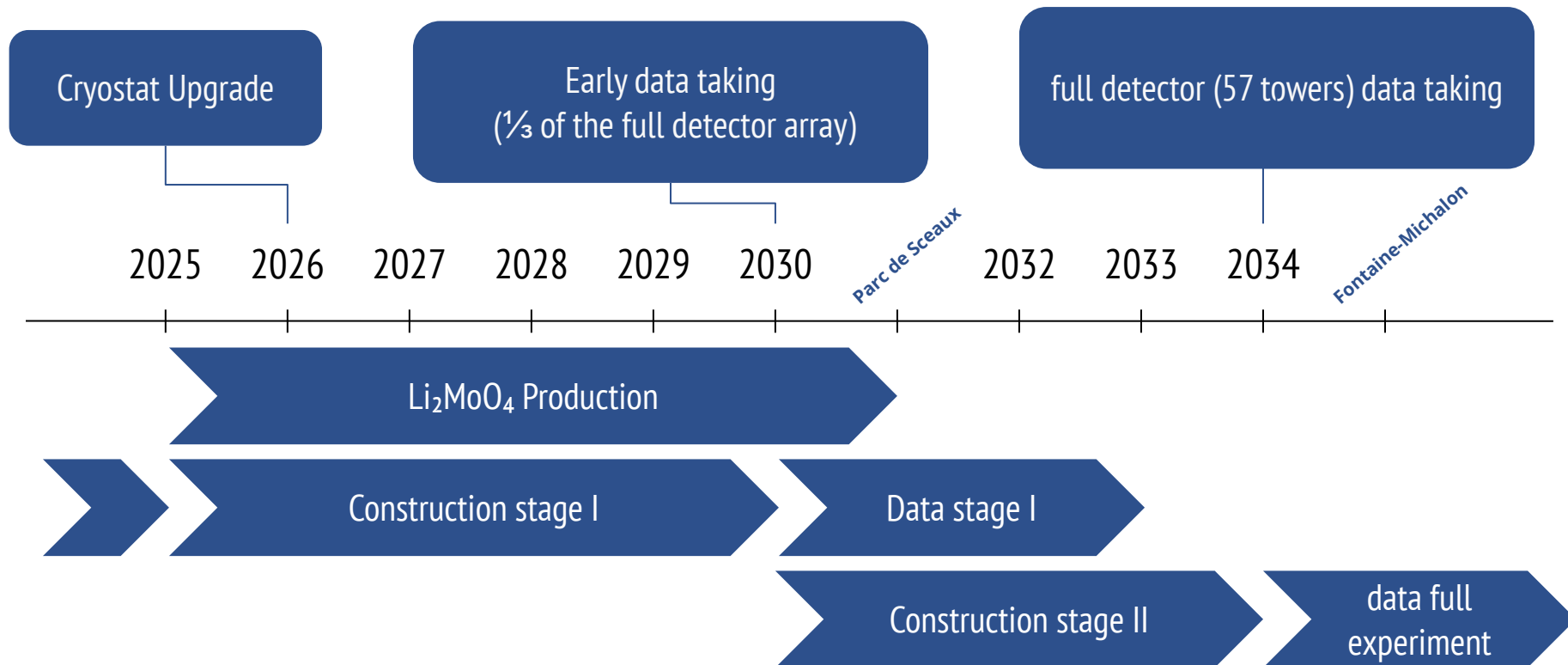
Taylor expanding R considering  $\frac{\sum_f W(f)^2 e^{-j2\pi f \Delta t}}{\sum_f W(f)^2} \sim 1$  since  $\Delta t \sim 0$  and  $\frac{1}{A} \frac{\sum_f N(f) H(f) W(f)}{\sum_f W(f)^2} \sim 0$  (rather good signal to noise ratio (SNR))

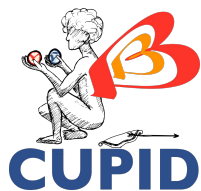
$$\begin{aligned}R_{\text{pileup}} &= (1-r) + r \sum_f W(f) e^{-j2\pi f \Delta t} + \frac{1}{A} \text{Re}(\sum_f N(f) H(f)) \\ &\quad + r - r \frac{\sum_f W(f)^2 e^{-j2\pi f \Delta t}}{\sum_f W(f)^2} - \frac{1}{A} \frac{\sum_f N(f) H(f) W(f)}{\sum_f W(f)^2} \\ &= 1 + r \text{Re}(\sum_f (1 - \frac{W(f)}{\sum_{f'} W(f')^2}) W(f) e^{-j2\pi f \Delta t}) + \frac{1}{A} \sum_f (1 - \frac{W(f)}{\sum_{f'} W(f')^2}) N(f) H(f) \\ &= 1 + r \text{Re}(\Phi(f) W(f) e^{-j2\pi f \Delta t}) + \frac{1}{A} \text{Re}(\sum_f \Phi(f) N(f) H(f)) \\ &= 1 + B(r, \Delta t) + \frac{A_{\text{noise}}}{A} \quad (7)\end{aligned}$$





# CUPID Timeline





# CUPID Timeline

**End of my PhD**

Cryostat

Early data taking  
(75% of the full detector array)

full detector (57 towers) data taking

2025

2026

2027

2028

2029

2030

Parc de Sceaux

2032

2033

2034

Fontaine-Michalon

$\text{Li}_2\text{MoO}_4$  Production

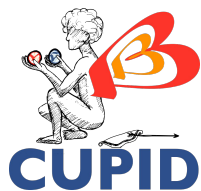
Construction stage I

Data stage I

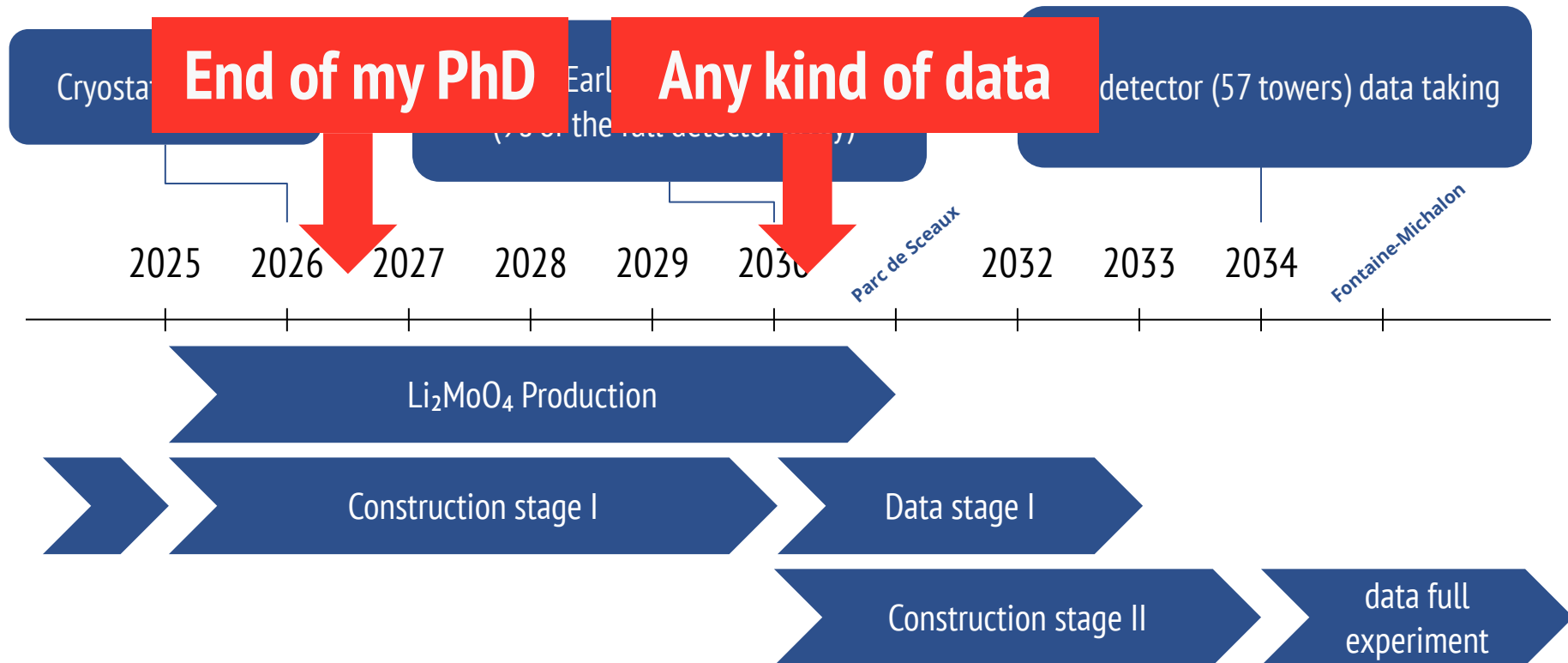
Construction stage II

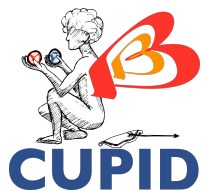
data full  
experiment



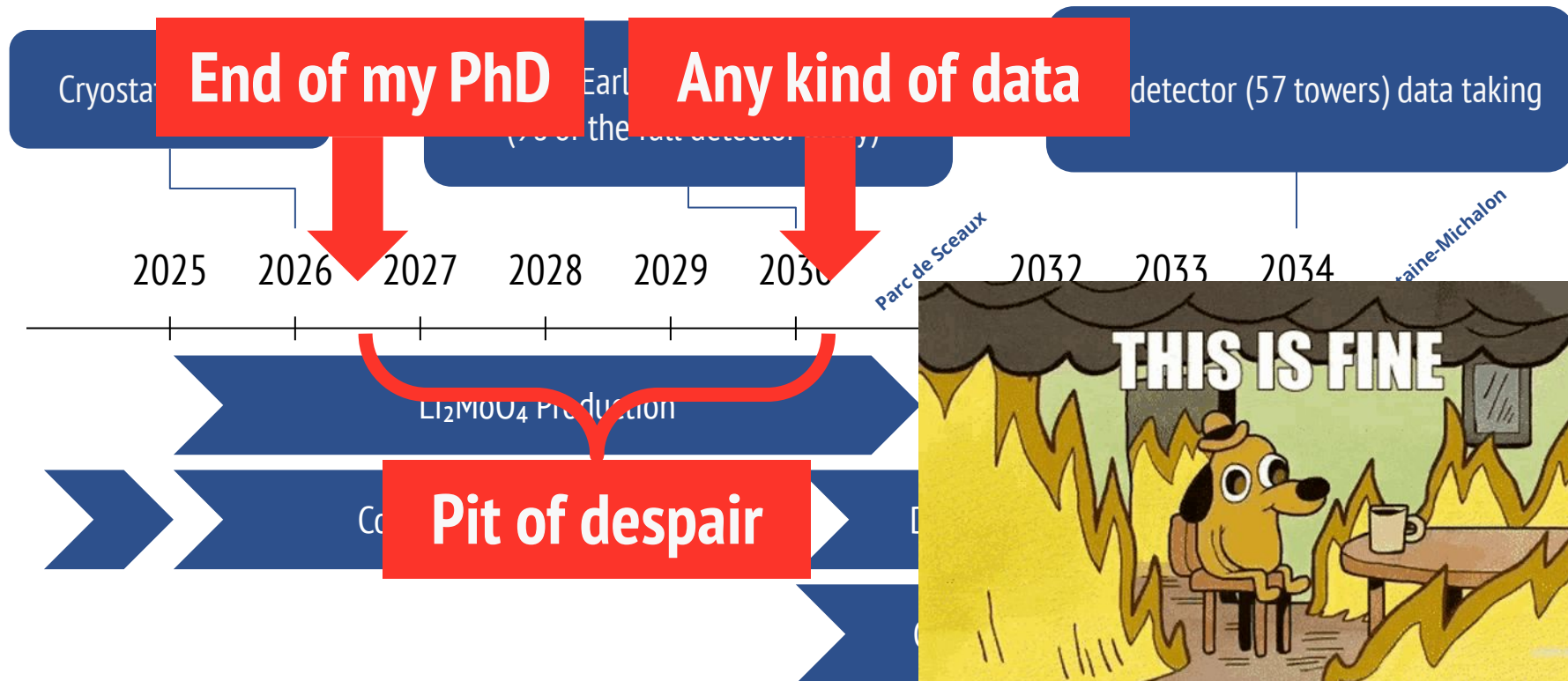


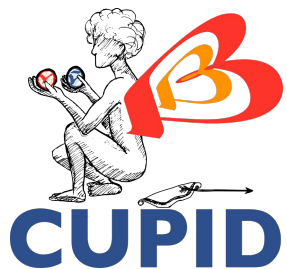
# CUPID Timeline





# CUPID Timeline





# Thank you !

(No cats have been harmed during this presentation)  
(my feelings during the PhD have been tho)