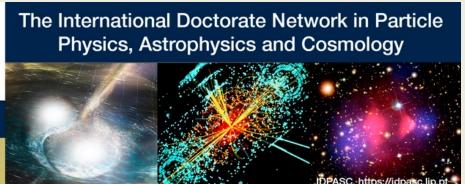
Cosmology - Part III Dark Energy Spectroscopic Instrument DESI

Christophe Yèche, CEA-Irfu, 14th IDPASC school, July 23, Orsay







Reminder of the first two cosmology lectures (Josquin Errard)

Context in Cosmology Friedmann Equation

Cosmological principal ⇒ FRLW metric

- Universe isotropic + homogeneous on large scales
- Universe looks the same whoever and wherever you are
- ⇒ Friedmann, Lemaitre, Robertson, Walker (FRLW) metric

$$ds^2 = dt^2 - R^2(t) \left[\frac{dr^2}{1 - kr^2} + r^2(d\theta^2 + \sin^2\theta d\phi^2) \right]$$

- Dimensionless scale factor: $a(t)=R(t) / R(t_0)$
- Curvature of Universe: k

Einstein Equation ⇒ **Friedmann Equation**

$$\left(\frac{\dot{R}}{R}\right)^2 + \frac{k}{R^2} = \frac{8\pi\rho}{3}$$
 Other form with density parameters $\Omega_{\rm m,} \Omega_{\rm r,} \Omega_{\Lambda}$

$$H^{2}(a) = \left(\frac{\dot{a}}{a}\right)^{2} = H_{0}^{2} \left[\Omega_{m} a^{-3} + \Omega_{r} a^{-4} + \Omega_{\Lambda} + (1 - \Omega_{T}) a^{-2}\right]$$

Context in Cosmology ACDM

ACDM

- "Standard Model" of cosmology
- General Relativity (GR)
- Cosmological constant (Λ)
- Flat Universe

$$\Omega_m + \Omega_\Lambda + \Omega_r = \Omega_T = 1$$

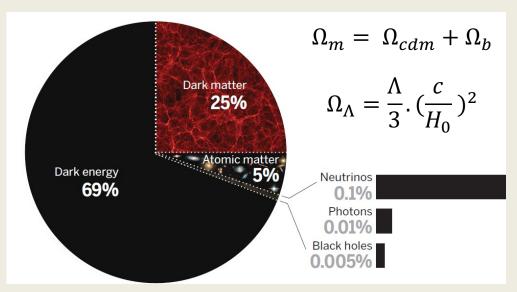


Equation of state of Dark Energy

$$w(z) = \frac{p(z)}{\rho(z)} \qquad a = \frac{1}{1+z}$$

Time evolving Dark Energy

$$w(z) = w_0 + \frac{z}{1+z}w_a$$

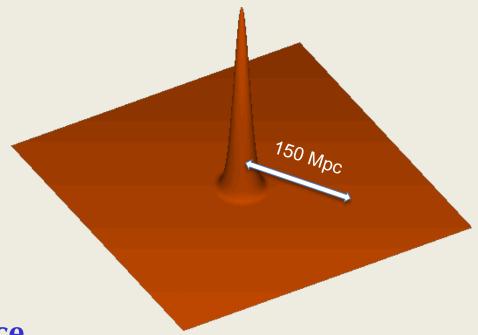


Open questions

- H₀ tensions
- Time evolving DE (w₀w_aCDM)

Discovery and first measurements of the Baryonic Acoustic Oscillations (BAO)

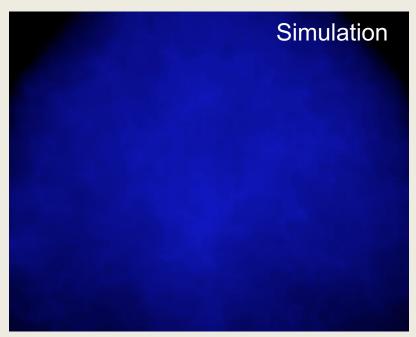
A probe for Dark Energy: Baryonic Acoustic Oscillations

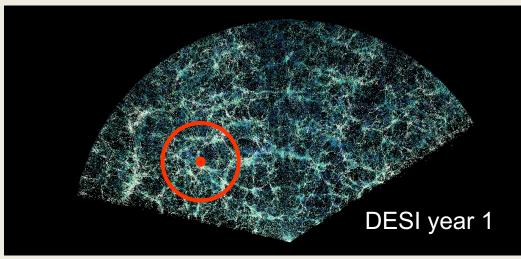


A special distance

- Sound waves propagate through relativistic plasma (baryons, electrons, photons) with a speed $\sim c/\sqrt{3}$
- They freeze at recombination (z~1100 i.e 380,000 years)
- Galaxies form in the overdense shells about $r_d \sim 150$ Mpc in radius from initial overdensities.

Baryonic Acoustic Oscillations





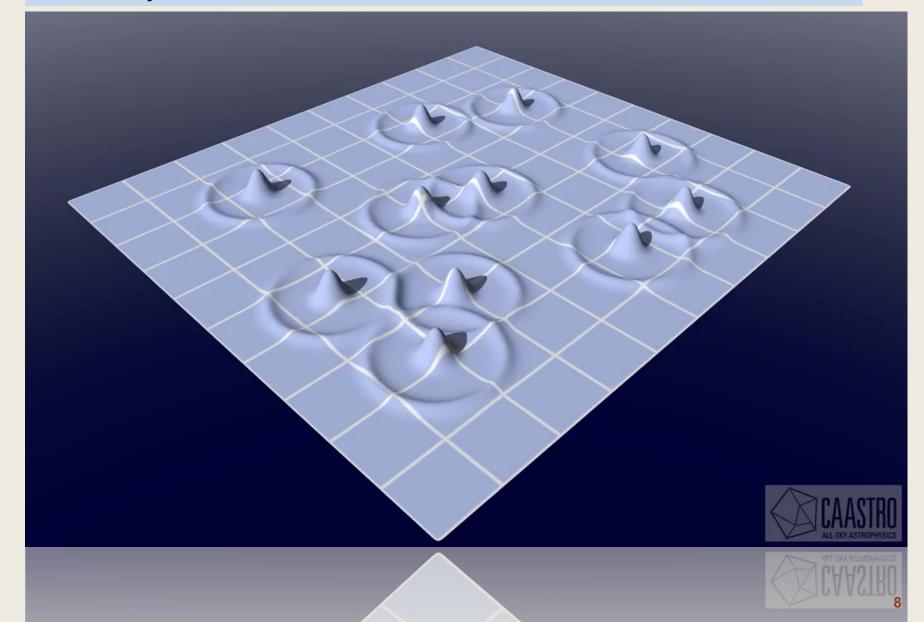
A special distance:

- ➤ Galaxies form in the overdense shells about 150 Mpc in radius.
- For all z, small excess of galaxies 150 Mpc (in comoving coordinates) away from other galaxies.

⇒ Standard Ruler

BAO method: we just assume that it is the same distance for all redshifts, we don't need to know its value!

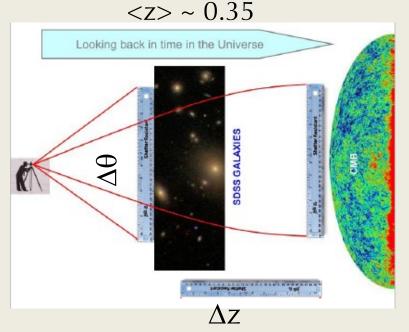
Baryonic Acoustic Oscillations

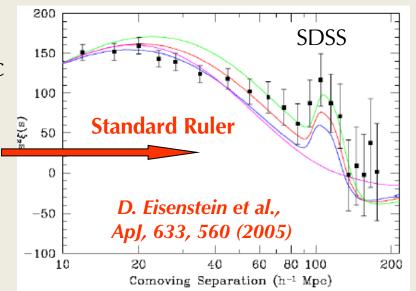


Observation of baryonic acoustic peak

First observation:

- ➤ In 2005: First observations of baryonic oscillations by 2 teams (2dFGRS and SDSS)
- ➤ SDSS observe a peak at ~150 Mpc
- SDSS: ~50 000 LRGs "Luminous Red Galaxies"





$$H(z) \equiv \frac{H_0}{\Omega_m} (1+z)^3 + (1 - \Omega_m)$$

A 3D measurements

- Radial direction (along the line of sight):

$$\Delta z = r_d \cdot H(z)/c$$

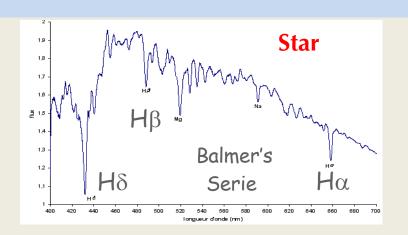
- \Rightarrow Sensitive to Hubble parameter H(z).
- Transverse direction:

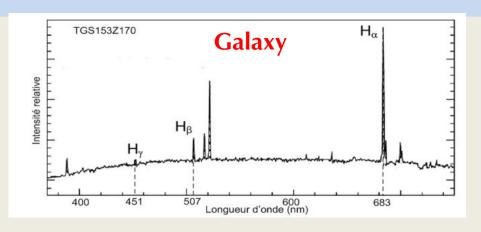
$$\Delta\theta = \frac{\mathbf{r_d}}{(1+z)}/D_A(z) = \frac{\mathbf{r_d}}{D_M(z)}$$

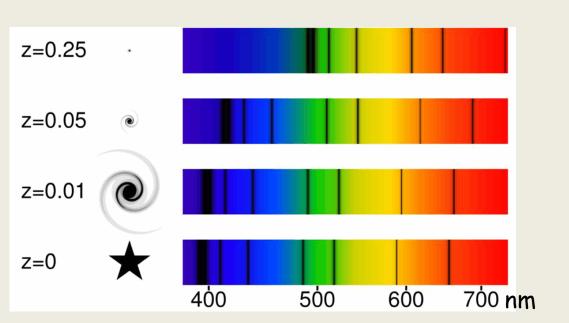
 \Rightarrow Sensitive to angular distance $D_A(z)$

$$\Rightarrow \sim \int 1/H(z)$$

How do we measure redshift?







Stars spectra

- Absorption lines

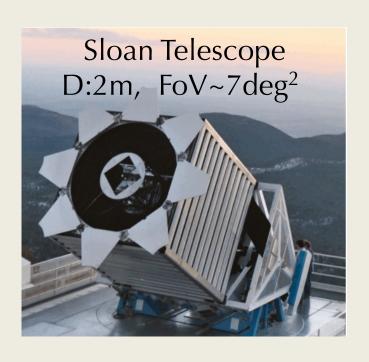
Galaxies

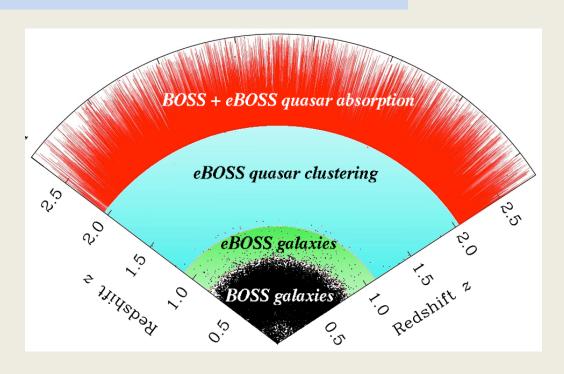
- Emission lines
- Balmer/Lyman breaks

Redshift

- Doppler effect
- $V/c=(\lambda-\lambda_0)/\lambda_0=z$

SDSS: 2009-2019





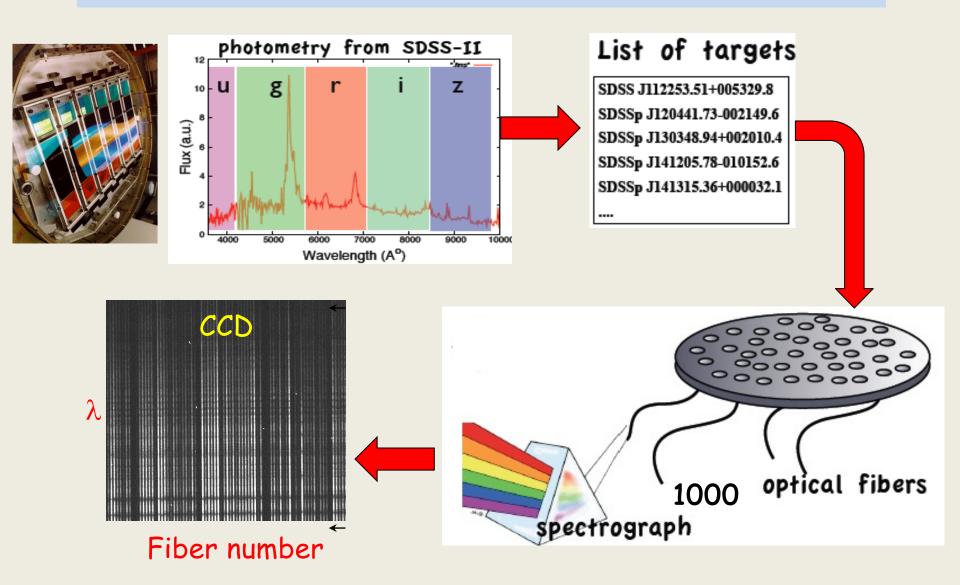
BOSS (2009→2014)

- ➤ 1.2 millions of Luminous Red Galaxies (LRG)
 - -0.15 < z < 0.7
- > 170 000 quasars
 - z>2.1, HI absorption)

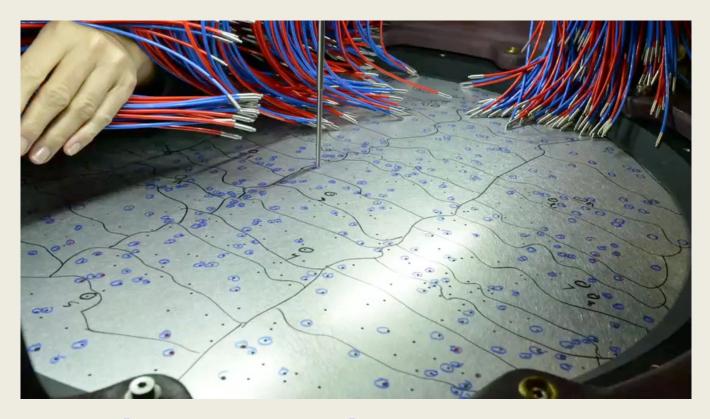
eBOSS (2014→2019)

- > Redshift of LRG extended to 0.8
- ➤ Emission Line Galaxies (ELG): star forming galaxies, z~0.85
- Quasars direct tracers
 - -0.9 < z < 2.2

SDSS Observation Strategy



Plug and Observe



Several steps (~3 months)

- > Target selection
- > Drill plates (1000 holes per plate)
- Plug plates on cartridges during day
- ➤ Observation of 5-9 cartridges per night.

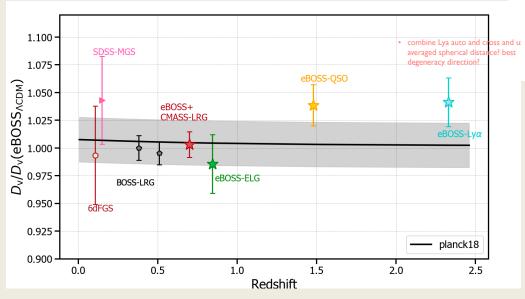
BAO with galaxies and quasars

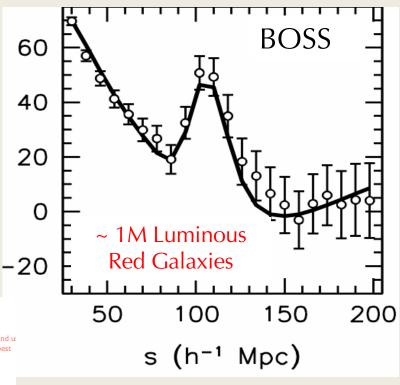
Confirmation with BOSS in 2012

- ➤ Redshift range 0.15<z<0.7
- ➤ BOSS-only 8-σ observation of BAO

Even better with eBOSS in 2O20

➤ Redshift range 0.15<z<2.5





Agreement with Planck

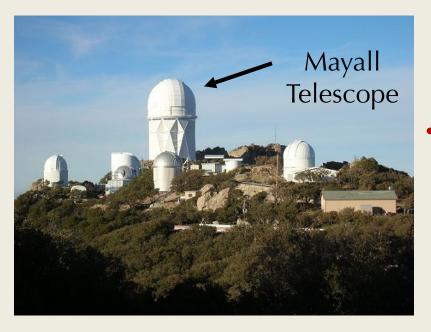
- ➤ BAO scales consistent with Planck
- ➤ Consistency of cosmological measurements

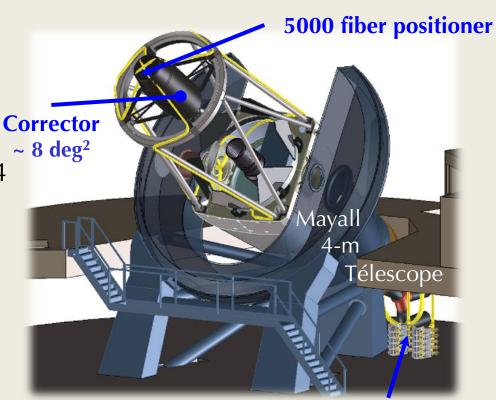
Dark Energy Spectroscopic Instrument DESI

DESI Project

Scientific project

- $14000 \text{ deg}^2 3D \text{ survey for } 0 < z < 4$
- International collaboration
- 72 institutions (46 non-US)
- 900 members



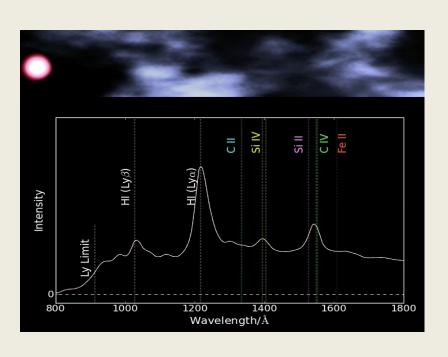


10 spectrographs

Instrument

- 4-m telescope at Kitt Peak (Arizona)
- Wide FoV (~ 8 deg²)
- Robotic positioner with 5000 fibers
- 10 spectrographs x 3 bands (blue, visible, red-NIR) →360-1020 nm

BAO with Ly-α forests

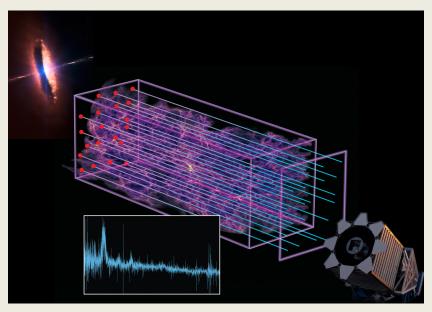


Principles

- ➤ Use Ly- α forests of quasars (2.2<z<4)
- ➤ HI absorption in IGM along the line of sight of QSOs
- ➤ We expect low density gas (IGM) to follow the dark matter density

Tomography with Ly-α

- ➤ 3D map of HI absorption
- > Detect overdensity and voids



DESI tracers of the Matter

Five target classes

~40 million redshifts

in 5 years

3 million QSOs

Ly-a z > 2.1

Tracers 0.9 < z < 2.1

16 million ELGs

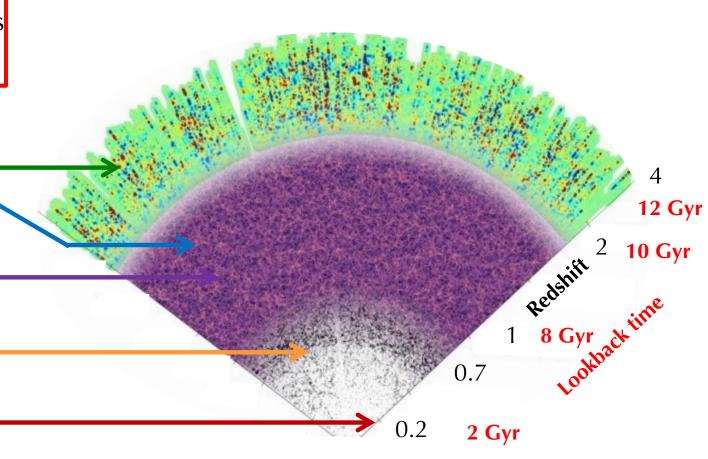
0.6 < z < 1.6

8 million LRGs

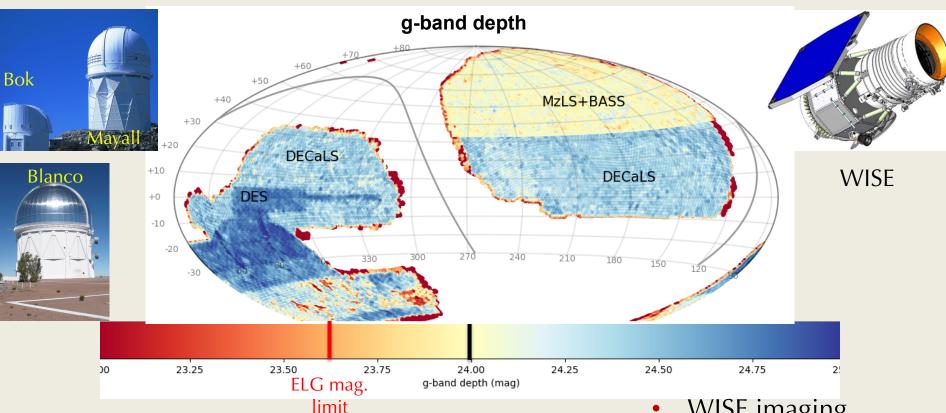
0.4 < z < 1.0

13.5 million Brightest galaxies

0.0 < z < 0.4

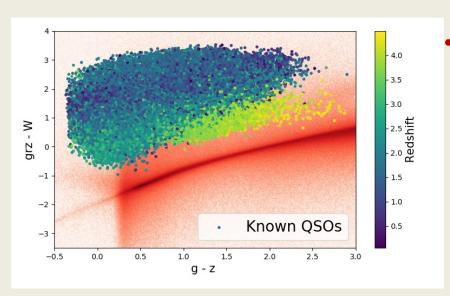


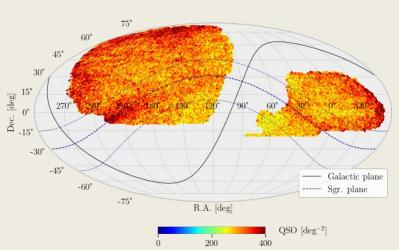
Imaging for Target Selection



- Optical bands with
 - g=24.0, r=23.4, z=22.5
 - DECAM deeper in g,r,z
- **Footprint**
 - 14,000 deg² required
 - 16,000 deg² available for $d > -30^{\circ}$
- WISE imaging
 - Two bands W1,W2
 - 6 years with all-sky coverage
 - Used for LRG/QSO

Target Selection of QSOs





Principles

- Point source morphology (PSF)
- grz optical bands and W₁W₂ NIR bands
- Use NIR excess for quasars
- Initial Mag. Limit: r<22.7

Selection based on Machine learning

- Two approaches:
 - Color cut selection
 - Machine learning with Random Forest

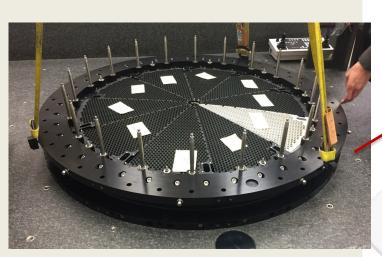
5000 robotic fiber positioners

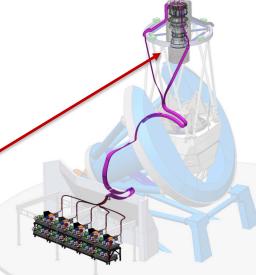


Configuration

- 10 petals in focal plane
- 500 fibers each petal
- 5000 total
- 10.4 mm pitch
 - 2 motors per positioner







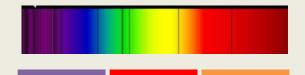
Challenge

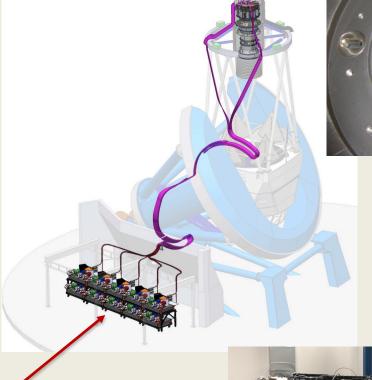
- Reposition the 5000 fibers in less than 2mns
- Position of each fiber
 better than 15 mm

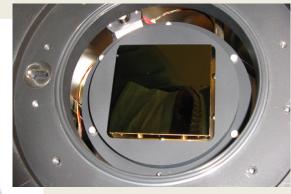
Ten spectrographs

Ten 3-channel spectrographs

I = 360 nm to 980 nm



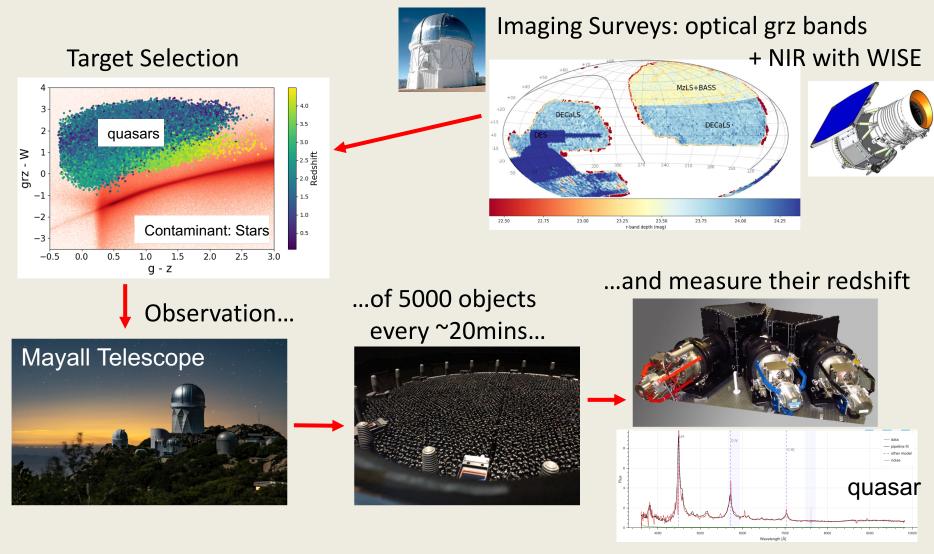






temperatur

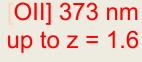
Rolling observations- Redshift factory

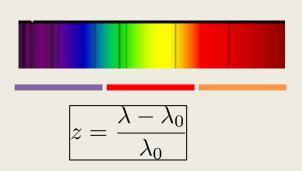


Ten spectrographs

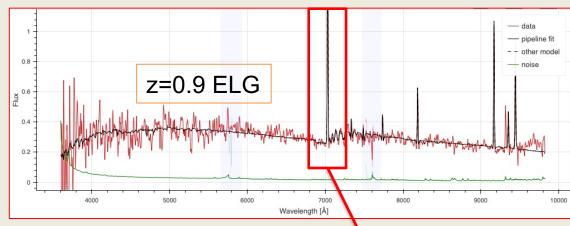
Ten 3-channel spectrographs

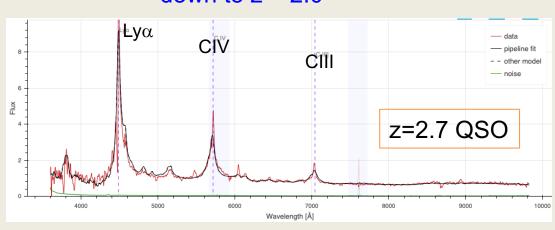
 $\lambda = 360 \text{ nm to } 980 \text{ nm}$

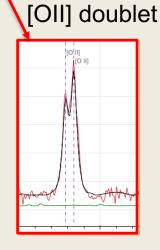




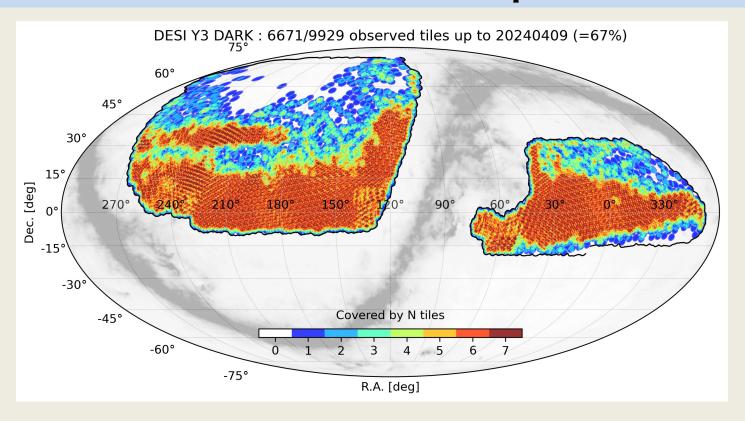
Ly- α 121.6 nm down to z = 2.0





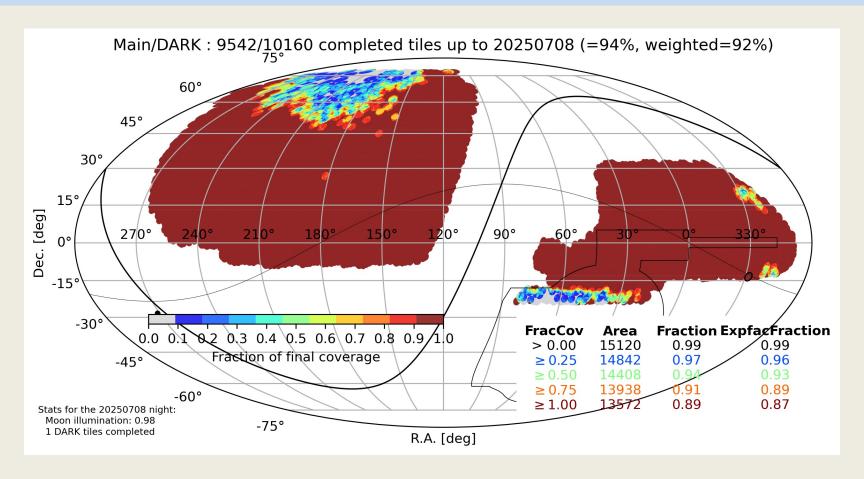


DESI DR2 footprint



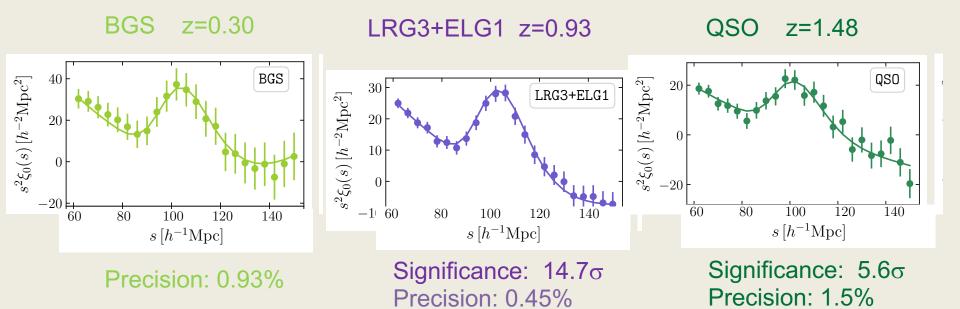
- DESI footprint over 5 years ~14000 deg² (1/3 of sky)
- DR2 ~70% of final footprint
- Increase of V_{eff} by a 2.3 factor from DR1 (2024) to DR2 (2025)
- 14.3M discrete tracers (galaxies and quasars), 800k Ly- α QSOs

Observations: current status



- Now, ~95% of the final dataset (much more ELGs)
- New results (DR3) expected by the end of 2026
- Extension of the footprint till end of 2028

First results



- Dilation compared to a fiducial cosmology
 - Perpendicular or parallel to the line of sight, α_{\perp} and $\alpha_{||}$
 - Combined through $\alpha_{iso} = (\alpha_{\perp}^2 \alpha_{||})^{1/3}$
- 6 bins in redshifts covering the redshift range, 0.1<z<2.1
- Bin with lowest significance 5.6σ

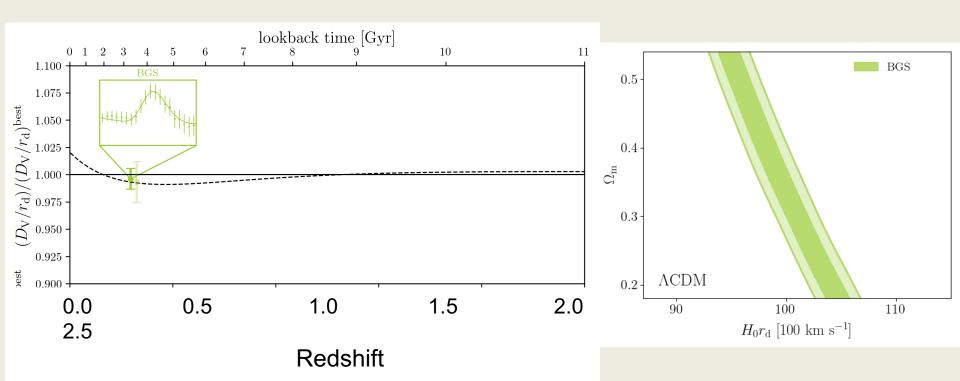
DR2: BGS

$$lpha_{\perp} = rac{D_{\mathsf{M}}}{r_{\mathsf{d}}} rac{r_{\mathsf{d}}^{\mathsf{fid}}}{D_{\mathsf{M}}^{\mathsf{fid}}}$$

$$\alpha_{||} = \frac{H^{fid} r_d^{fid}}{H r_d}$$

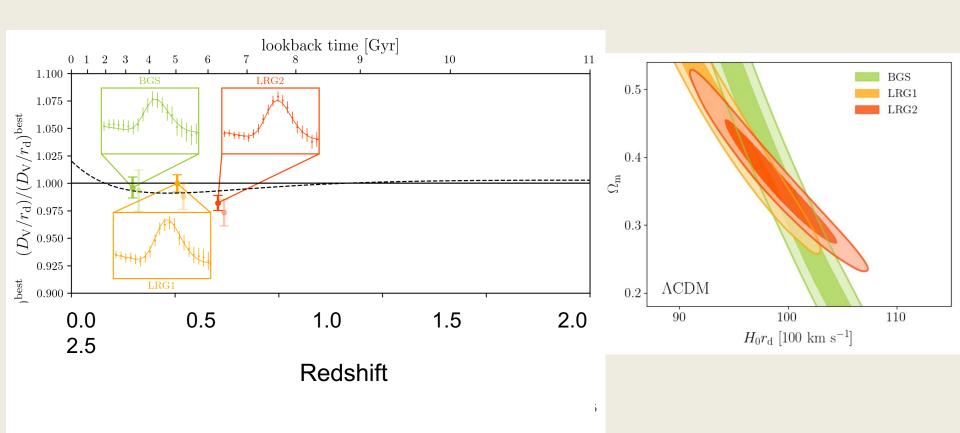
$$\alpha_{\rm iso} = \left(\alpha_{\perp}^2 \alpha_{||}\right)^{1/3}$$

 $\alpha_{\perp} = \frac{D_{\rm M}}{r_{\rm d}} \frac{r_{\rm d}^{\rm fid}}{D_{\rm M}^{\rm fid}} \qquad \alpha_{||} = \frac{H^{fid} r_{\rm d}^{fid}}{H r_{\rm d}} \qquad \alpha_{\rm iso} = \left(\alpha_{\perp}^2 \alpha_{||}\right)^{1/3} \; \text{In ΛCDM, the α parameters depend on $H_0 r_{\rm d}$ and $\Omega_{\rm m}$}$



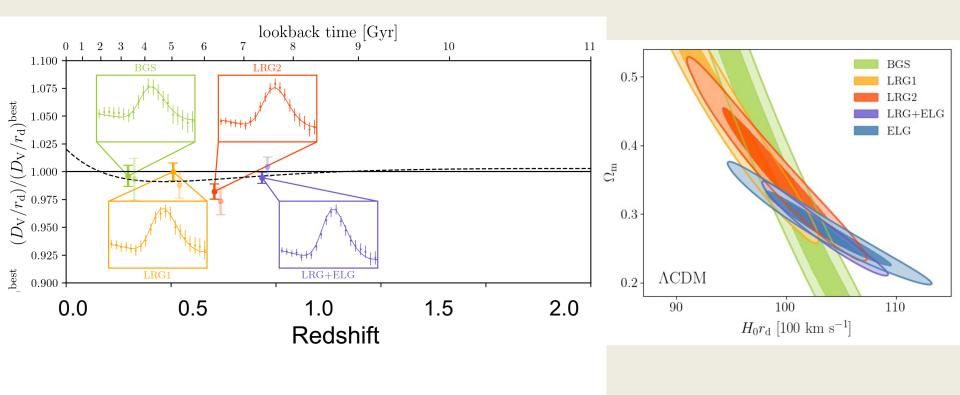
- Friedman equation for Λ CDM $H(z) \equiv H_0 \sqrt{\Omega_m (1+z)^3 + (1-\Omega_m)}$
- Limitation due the cosmic variance (small part of the visible Universe)

DR2: BGS +LRG



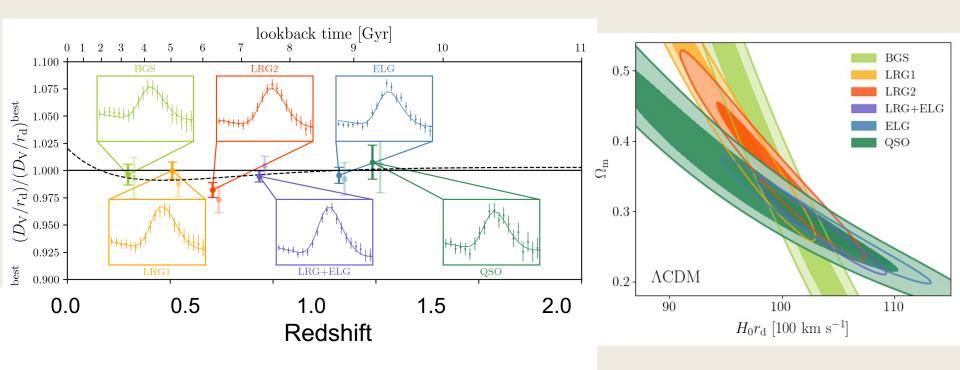
LRG: Main tracer in SDSS, precise measurement in DESI

DR2: BGS + LRG+ELG



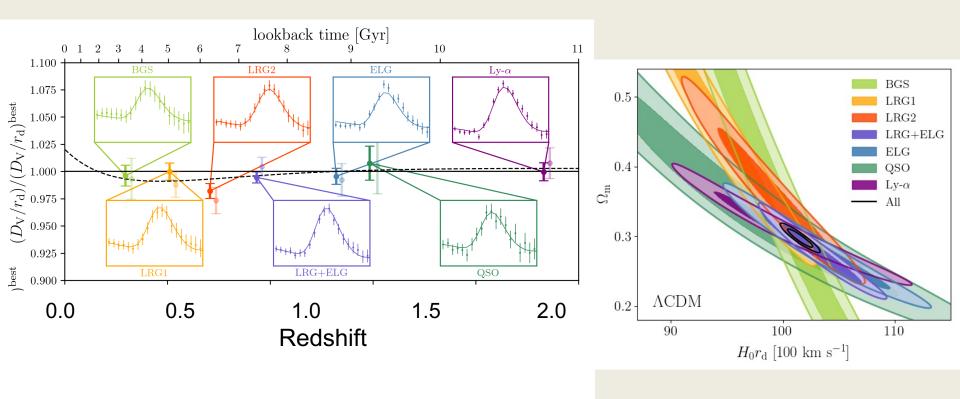
- ELG: Main tracer in DESI, precise measurement
- x 2.7 with DR2 compared to DR1

DR2: BGS + LRG+ELG+QSO



QSO: huge volume but small density (shot noise limitation)

DR2: BGS +LRG+ELG+QSO+Lyα



Different dependence as a function of redshift (Ω_m,r_d)

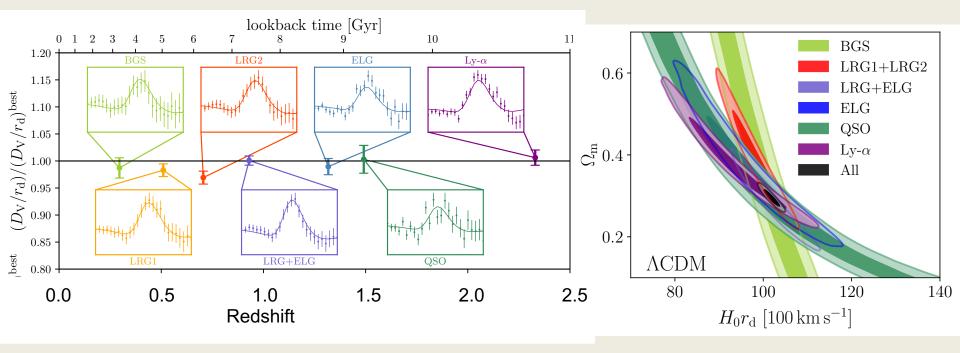
Dynamical (Time Evolving) Dark Energy

Measurement of $\Omega_{\rm m}$

$$\alpha_{\perp} = \frac{D_{\mathrm{M}}}{r_{\mathrm{d}}} \frac{r_{\mathrm{d}}^{\mathrm{fid}}}{D_{\mathrm{M}}^{\mathrm{fid}}}$$

$$\alpha_{||} = \frac{H^{fid} r_d^{fid}}{H r_d}$$

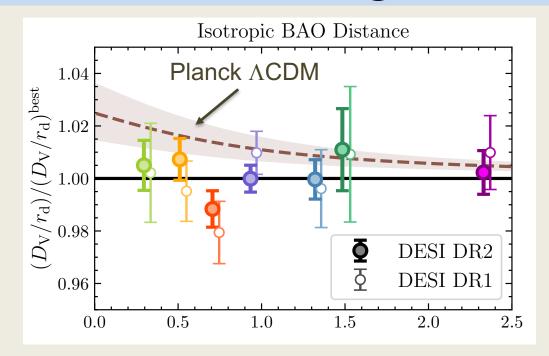
$$\alpha_{\perp} = \frac{D_{\rm M}}{r_{\rm d}} \frac{r_{\rm d}^{\rm fid}}{D_{\rm M}^{\rm fid}} \qquad \alpha_{||} = \frac{H^{fid} r_{\rm d}^{fid}}{H r_{\rm d}} \qquad \alpha_{\rm iso} = \left(\alpha_{\perp}^2 \alpha_{||}\right)^{1/3} \; \; \text{In ΛCDM, the α parameters depend on $H_0 r_{\rm d}$ and $\Omega_{\rm m}$}$$



- Friedman equation for Λ CDM $H(z) \equiv H_0 \sqrt{\Omega_m (1+z)^3 + (1-\Omega_m)}$
- Break the degeneracy without knowing r_d

$$\Omega_{\rm m} = 0.2975 \pm 0.0086$$

Hubble diagram

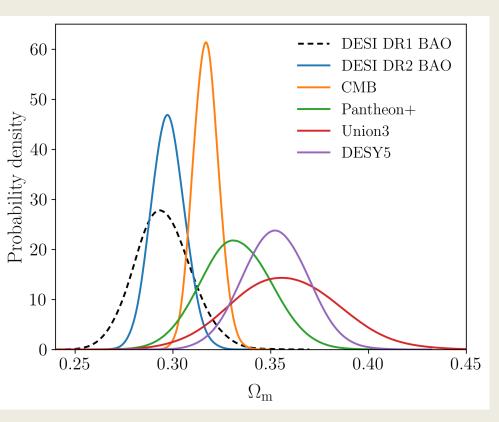


DESI: 1 year DR1: April 2024

DESI: 3 years DR2: April 2025

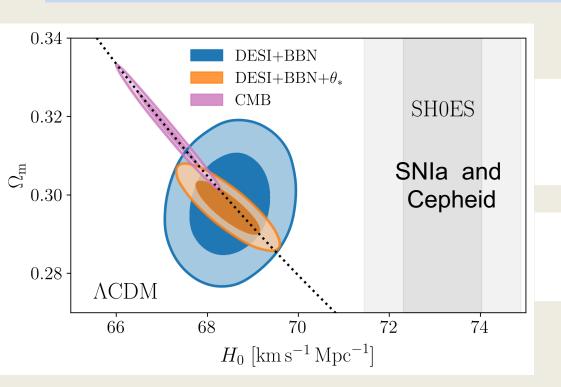
- ~14M discrete tracers with 0.1<z<2.1 in 6 redshift bins
- Precision on BAO: from 1.5% (QSO) to 0.45% (LRG3+ELG1)
- With Ly-a forest of QSOs at z~2.3: precision on BAO 0.7%
- Excellent agreement between DESI DR1 and DR2
- Consistent with LCDM but small tension with Planck LCDM: 2.3σ

$\Omega_{\rm m}$ - Tension in $\Lambda {\sf CDM}$



- Consistent results DR1/DR2
- Comparable precision on $\Omega_{\rm m}$ for DESI and CMB
- 2.3σ discrepancy between
 CMB and DESI
- Discrepancies with SNIa samples
 - Pantheon+: 1.7σ
 - Union3: 2.1σ
 - DESY5: 2.9σ

Measurement of H₀



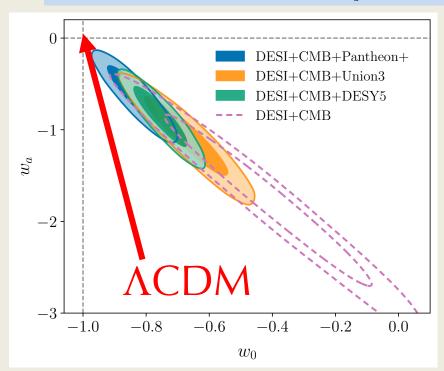
$$H_0 = (68.51 \pm 0.58) \, \mathrm{km \, s^{-1} \, Mpc^{-1}}$$
 $0.58 + 0.58 + 0.58$

$$H_0 = (68.45 \pm 0.47) \, \mathrm{km \, s^{-1} \, Mpc^{-1}}$$
 $0.47 \, \mathrm{DESI} + \theta_* + \mathrm{BBN}$

 θ_* : CMB angular scale

- Main tension in cosmology: 5σ discrepancy between CMB and late measurements (SNIa)
- Big Bang Nucleosynthesis (BBN) can be used to measure r_d
- DESI + BBN (without CMB), tension with SNIa (SH0ES): 4.5σ

Beyond ACDM



Extensions of LCDM

Equation of state of Dark Energy

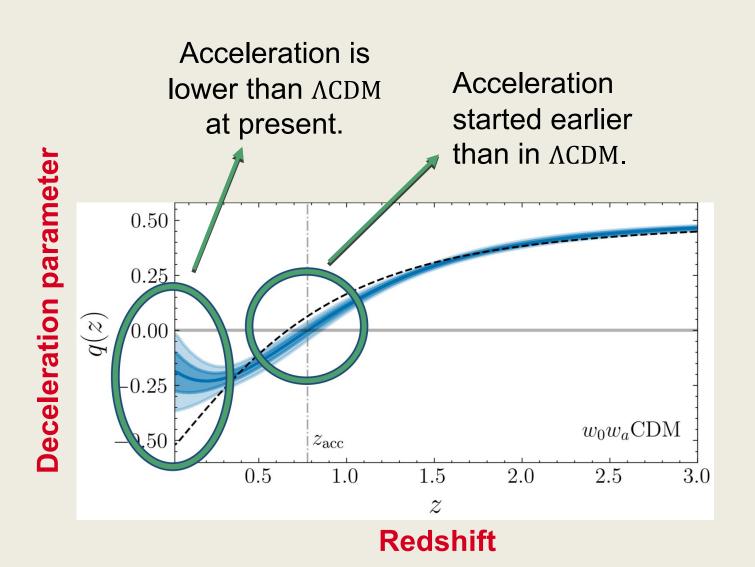
$$w(z) = \frac{p(z)}{\rho(z)}$$

Time evolving Dark Energy

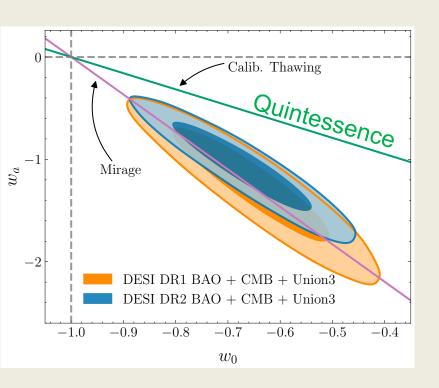
$$w(z) = w_0 + \frac{z}{1+z}w_a$$

- For Λ CDM, we expect w=-1, i.e. w_0 =-1 and w_a =0
- Combining DESI+CMB: 3.1s effect
- Combining DESI+CMB+SN: 2.8s to 4.2s effect depending on the SN sample
- Stronger Indications of dynamical dark energy with DR2

Dynamical Dark Energy



Dynamical Dark Energy - Models



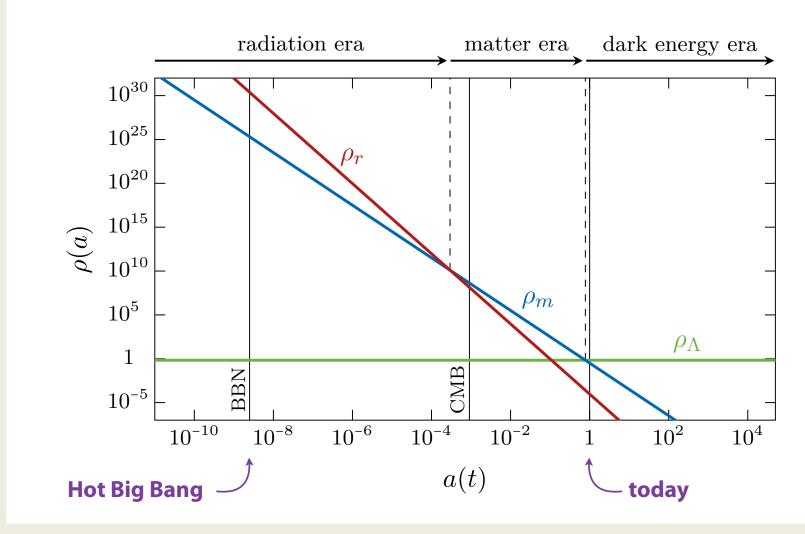
DESI+CMB:	+PantheonPlus	+Union3		+DESY5	
DE classes		$\Delta { m DIC}$	$(\Delta \chi^2)$		
Thaw. (Cal.)	+0.4 (-1.6)	-0.6	(-2.5)	-5.8	(-7.1)
Thaw. (Alg.)	$-1.0 \ (-2.9)$	-4.6	(-6.9)	-10.1	(-13.2)
Emergent	+2.1 (-0.05)	+1.8	(-0.1)	+0.2	(-1.5)
Mirage	$-9.1 \ (-10.5)$	-13.8	(-16.2)	-18.7	(-20.7)
w_0w_a	$-6.8 \ (-10.7)$	-13.5	(-17.4)	-17.2	(-21.0)

- Mirage Dark Energy is preferred to Thawing (Quintessence) models
- "Mirage" models mimic ∧CDM and <w> ~ -1 whereas there is a real time evolving Dark Energy

Mass of the neutrinos

Expanding Universe

• The Universe started hot and dense, but then cooled and diluted:



From Josquin's lectures

Neutrinos with Cosmology

At early times $(T_n \gg m_n)$, neutrinos contribute as radiation

$$\rho_{\nu} \propto T_{\nu}^{4}$$

At late times $(T_n \ll m_n)$, neutrinos contribute as matter

$$\rho_{\nu} = m_{\nu} n_{\nu}$$

 $\Omega_v = \frac{\sum m_v}{93.1 eV}$

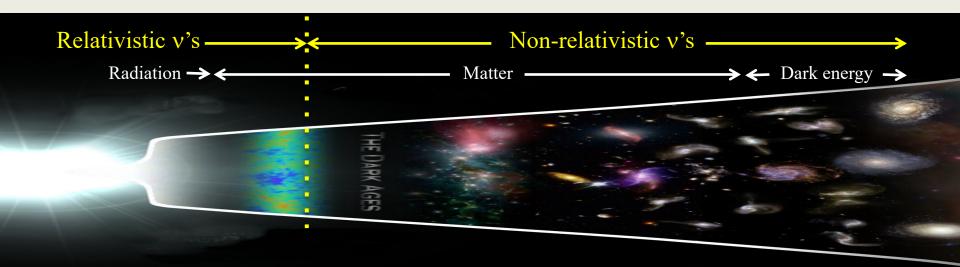
Non-relativistic transition

$$m_{\nu} \sim \langle p \rangle = \frac{\int p f(p) d^3 p}{\int f(p) d^3 p} = 3.15 T_{\nu} \text{ with } f(p) = \frac{1}{e^{p/T_{\nu}} + 1}$$

$$z_{nr} \sim 1900 \; \frac{m_{\nu}}{1 \, \mathrm{eV}}$$

At recombination

 $m_v < 0.6$ eV ($\Sigma m_v < 1.7$): relativistic $m_v > 0.6$ eV ($\Sigma m_v > 1.7$): matter-like

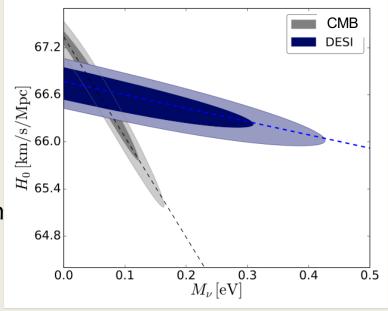


Two effects due to neutrino masses

- > As $\Sigma m_v < 1$ eV, we can neglect ISW effect and we have only two effects
- 1) Geometrical: size of horizon (integral of 1/H(z))
- 2) Free streaming: suppression of small scales
- ► When z decreases, Ω_m(1+z)³ decreases slower than Ω_r(1+z)⁴

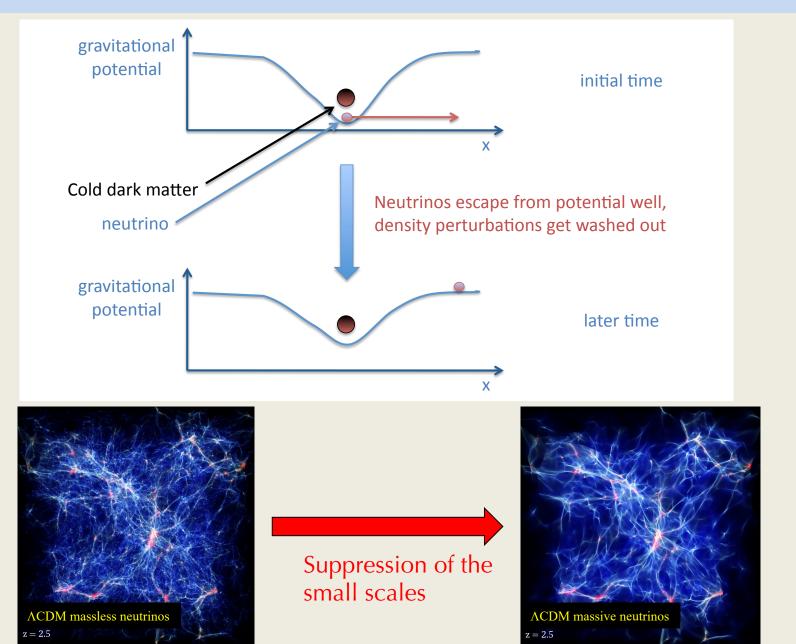
$$H(z) = H_0 \sqrt{\Omega_m (1+z)^3 + \Omega_r (1+z)^4 + \Omega_\Lambda}$$

- \triangleright Massive neutrinos increases of H(z)
- To keep the same size of sound horizon (same H(z)), we need a lower H_0
- \triangleright Anti-correlation $(H_0, \Sigma m_v)$
- ightharpoonup Correlation ($\Omega_{\rm m}$, Σ m_{ν}) because CMB measures $\Omega_{\rm m}$. H₀³

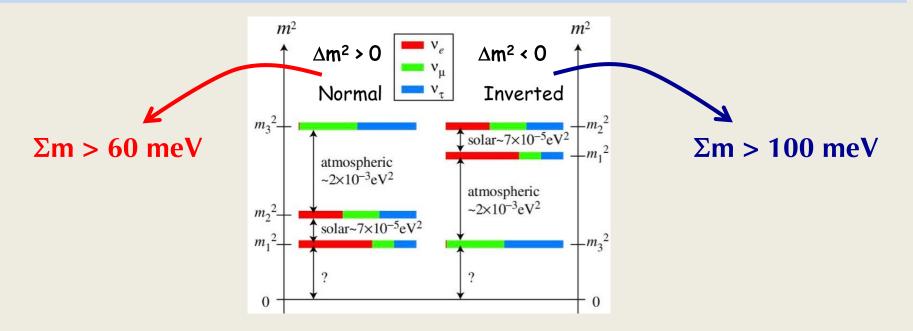


 \triangleright BAO breaks the (H₀, Σ m_v) degeneracy by adding another measurement of the acoustic scale at a different redshift

Impacts of neutrinos through free-streaming



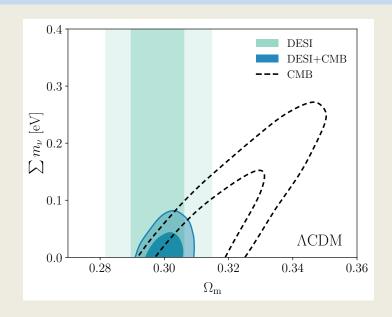
Neutrinos masses and Hierarchy



An answer to mass hierarchy with cosmological neutrinos

- ➤ Particles Physics: atmospheric and solar oscillations
- ➤ No constraint on absolute masses
- ➤ 2 possible schemes: normal vs inverted hierarchy
- ➤ The lowest possible mass is ~60 meV
- ightharpoonup With $\sigma(\Sigma m_v) \sim 20$ meV, we measure the mass of the neutrinos with a precision better than 3σ

Sum of neutrino masses - Bayesian



- CMB is sensitive to $\sum m_{\mu}$
- BAO measures Ω_m and breaks the degeneracies

Limits at 95% CL:

For ΛCDM with CMB alone:

 $\Sigma m_{\nu} < 210 \ meV$

For ΛCDM with CMB + DESI:

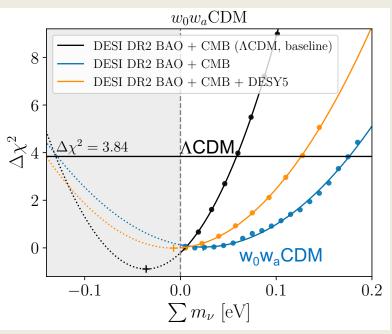
 $\Sigma m_{\nu} < 64 \ meV$

For w₀w_aCDM with CMB + DESI + SN

 $\Sigma m_{\nu} < 130 \ meV$

Sum of neutrino masses - Frequentist

M. 11/D	[77]	[37]	OKIW OT [II]
Model/Dataset	$\mu_0 \text{ [eV]}$	$\sigma [eV]$	95% CL [eV]
$\Lambda ext{CDM} + \sum \mathbf{m}_{ u}$			
$DESI\ DR2\ BAO + CMB\ ({\tt CamSpec})$	-0.036	0.043	< 0.053
DESI DR1 BAO+CMB (CamSpec)	-0.048	0.054	< 0.063
DESI DR1 BAO+CMB-nl (CamSpec)	-0.068	0.067	< 0.074
$ m w_0 w_a CDM + \sum m_ u$			
DESI DR2 BAO+CMB	0.024	0.078	< 0.177
DESI DR2 BAO+CMB+DESY5	-0.007	0.068	< 0.126



- Our "real" sensitivity on $\sum m_{\nu}$ is $\sigma \sim 40$ meV with Λ CDM
- Because of the tension on Ω_m the limits artificially are too stringent

Limits at 95% CL with Feldman-Cousins:

For ΛCDM with CMB + DESI:

 $\Sigma m_{\nu} < 53 \ meV$

For w₀w_aCDM with CMB + DESI + SN

 $\Sigma m_{\nu} < 126 \ meV$

Conclusions

Summary: Results from DESI BAO

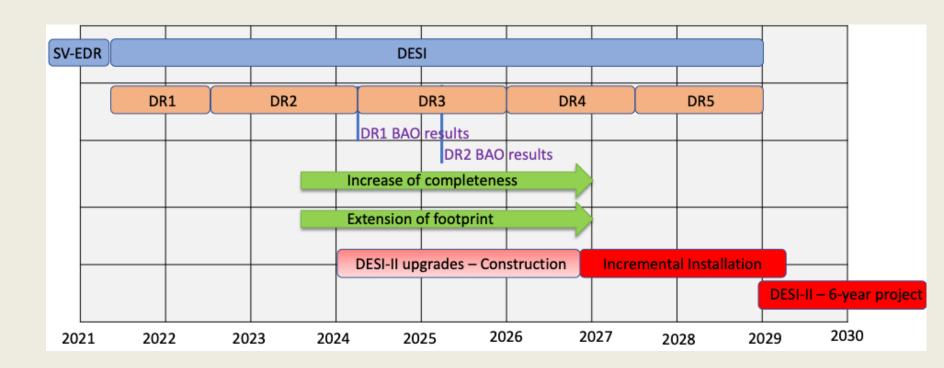
BAO results with DR2

- With three years (DR2), DESI provides the most precise measurement of BAO over 0<z<3.5
- DR2 (April 2024) results confirm DR1 (April 2025) results
- In Λ CDM, DESI is in slight tension with CMB (~2 σ) and DESI prefers lower Ω_m The tension still present with ACT and SPT
- Indications of time-varying Dark Energy equation of state, especially when SNIa are added
 - \Rightarrow a 2.8 σ to 4.2 σ effect, not 5 σ yet!

– What next?

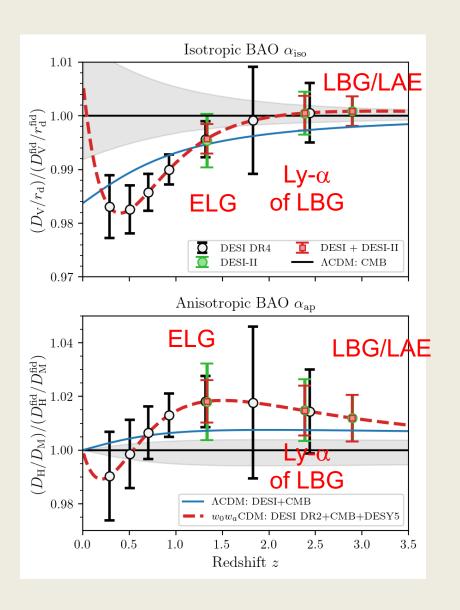
- BAO: Full dataset for DESI in 2026 (+ Full shape analysis)
- SNIa: ZTF and LSST homogeneous sample at z<0.1
- CMB: SPT and in the long term SO and CMB-S4

DESI and DESI-II timeline



- DESI (DR1-DR3) should finish in Nov. 2025
- Continuation of DESI (DR4-DR5) to end of 2028 with an extension of the footprint and an increase of the completeness
- DESI-II (2029): Dark Matter, high-density and high-z programs

DESI and DESI-II BAO program



 DESI (DR1-DR3) is focused on the studies of DE

- DESI (DR4-DR5) :
 - Extension of footprint
 - Denser in DE region
- DESI-II:
 - higher-density at low-z
 - high-z programs