



UNIVERSITÀ  
DEGLI STUDI  
FIRENZE



# Model-independent differential measurement in HWW at the CMS experiment

[CMS-PAS-HIG-24-004](#)

Benedetta Camaiani

Università degli Studi di Firenze e INFN Firenze (Italy)

On behalf of the CMS Collaboration

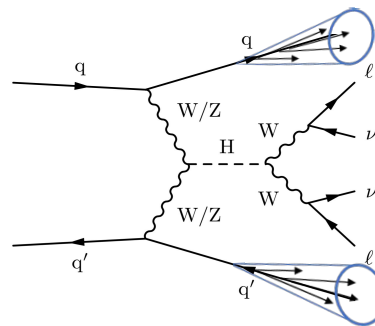
# Introduction



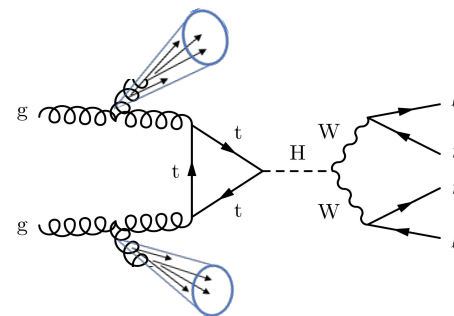
- Differential measurement of the **Higgs boson production in association with 2 jets** in the  $H \rightarrow W^+W^- \rightarrow 2\ell 2\nu$  decay channel using data collected by the CMS detector during the LHC Run 2 ( $L=138\text{fb}^{-1}$ ,  $\sqrt{s}=13\text{ TeV}$ )
- Cross section as a function of **signed azimuthal angle difference  $\Delta\Phi_{jj}$  between the two leading jets** in the final state

$$\Delta\Phi_{jj} = \phi_{jk} - \phi_{jl} \quad \text{with} \quad \eta_{jk} > \eta_{jl}$$

**Vector boson fusion (VBF)**



**Gluon gluon fusion + 2 jets (ggH)**

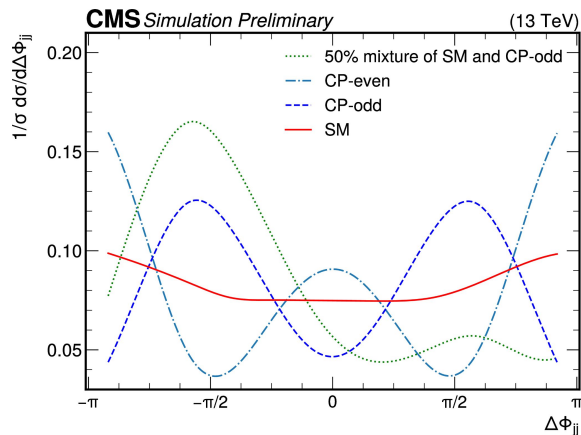


# Introduction

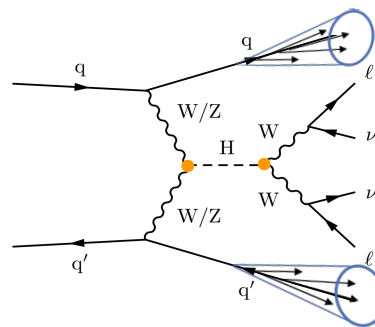


- Differential measurement of the **Higgs boson production in association with 2 jets** in the  $H \rightarrow W^+W^- \rightarrow 2\ell 2\nu$  decay channel using data collected by the CMS detector during the LHC Run 2 ( $L=138\text{fb}^{-1}$ ,  $\sqrt{s}=13\text{ TeV}$ )
- Cross section as a function of **signed azimuthal angle difference  $\Delta\Phi_{jj}$  between the two leading jets** in the final state

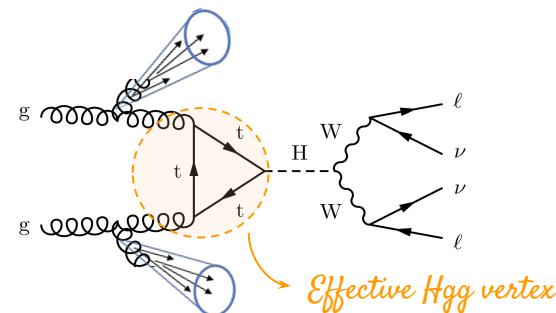
$$\Delta\Phi_{jj} = \phi_{jk} - \phi_{jl} \quad \text{with} \quad \eta_{jk} > \eta_{jl}$$



**Vector boson fusion** (VBF)



**Gluon gluon fusion + 2 jets** (ggH)



BSM theories predict **Anomalous Couplings (AC)** in the **HVV/Hgg vertex**, which may impact the kinematic distribution of the dijet system

→ **Measuring the signal cross section regardless of the theoretical model governing the HVV/Hgg vertex**

# Model dependence



- **Signal extraction** is typically performed by fitting the distribution of one or more observables to data using **templates derived from Monte Carlo (MC) simulation**
- These observables (e.g.  $m_T$ ,  $m_{ll}$ , DNN output) can be **sensitive to the underlying signal model**, leading to **shape differences** in the corresponding MC templates
  - The **cross section may be biased toward the specific model used to generate the template**

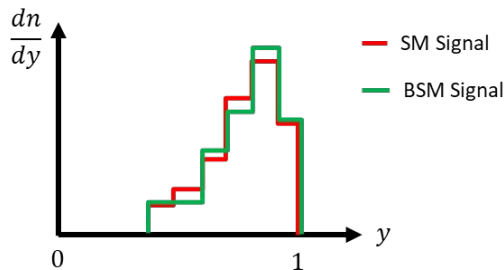
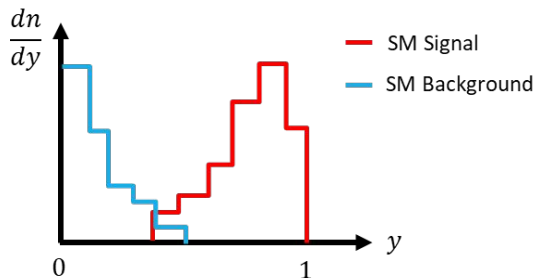
# Model dependence



- **Signal extraction** is typically performed by fitting the distribution of one or more observables to data using **templates derived from Monte Carlo (MC) simulation**
- These observables (e.g.  $m_T$ ,  $m_{ll}$ , DNN output) can be **sensitive to the underlying signal model**, leading to **shape differences** in the corresponding MC templates
  - The **cross section may be biased toward the specific model used to generate the template**

*What we need*

→ A fit variable that discriminates signal from backgrounds but agnostic with respect to the signal hypothesis



Implemented using an  
**adversarial deep neural network**  
(ADNN)

# Adversarial deep neural network

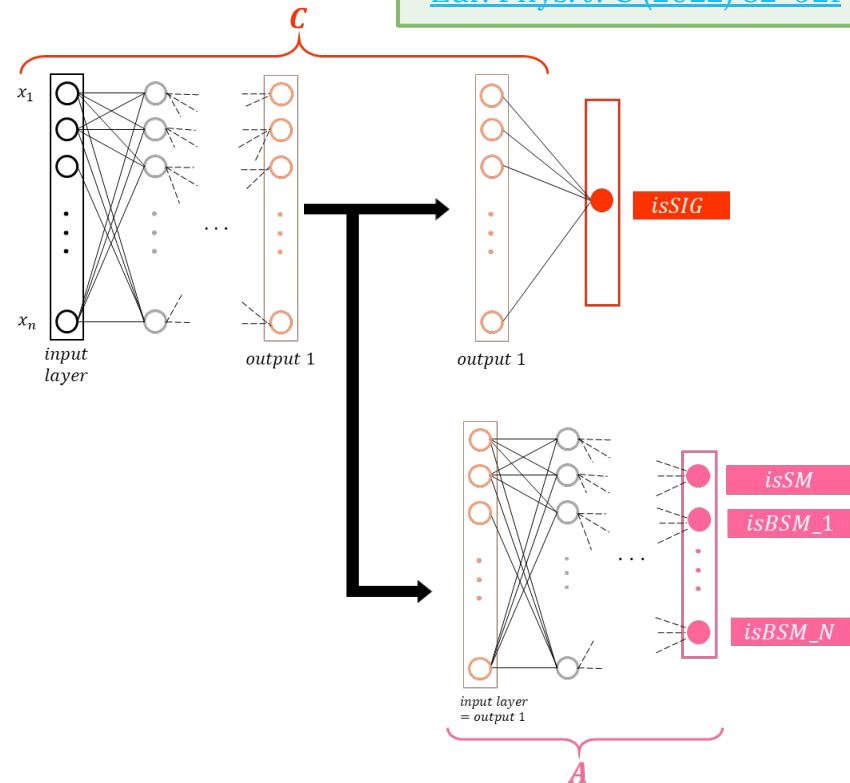


[Eur. Phys. J. C \(2022\) 82: 921](#)

- Adversarial component introduced to suppress the network ability to learn specific features of a given signal hypothesis
- ★ **Classifier** trained to distinguish signal from background events, using samples from **multiple signal hypotheses** (SM+AC)
- ★ **Adversary** trained **only on signal events** to predict the signal model from the classifier internal representation

The adversary penalizes the classifier if its data representation is sensitive to the signal hypothesis

$$\mathcal{Loss} = \mathcal{Loss}(C) - \alpha \cdot \mathcal{Loss}(A)$$

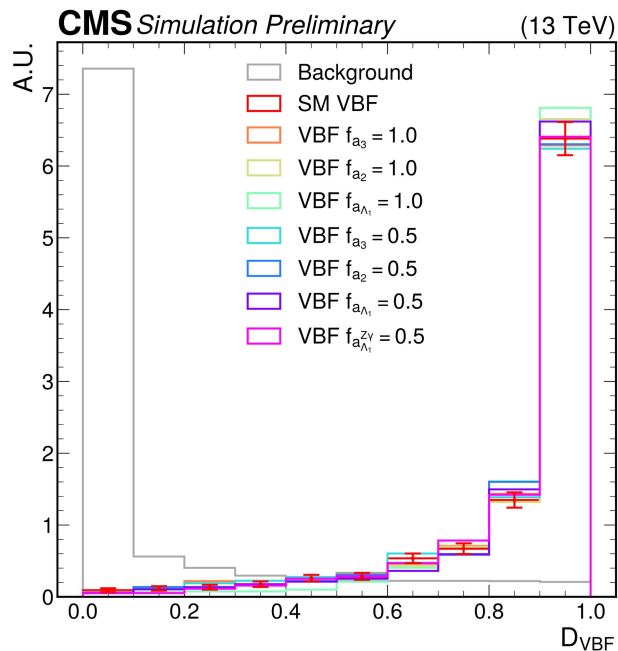


# Model-agnostic classification



- Highly discriminative between signal and background
- SM and BSM shapes in good agreement, **classifier unable to recognize the physics models of signal events**

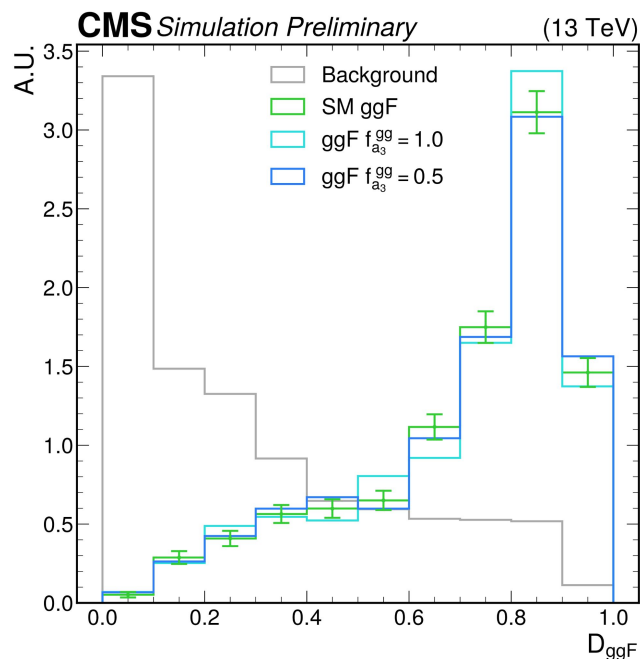
VBF-ADNN



Binary accuracy\*:

91%

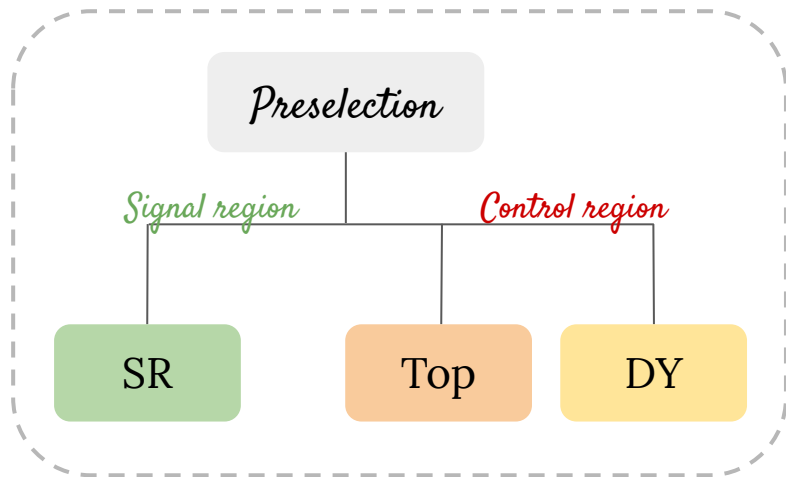
GGH-ADNN



79%

\*Fraction of events where predicted labels match the true labels (signal if  $D_{\text{sig}} \geq 0.5$ , background otherwise)

# Analysis strategy in a nutshell



- Different-flavour ( $e\mu$ ) final state with MET and  $\geq 2$  jets
  - **Signal region (SR)** to enhance sensitivity to VBF and ggF production
    - 2 ADNNs trained to extract signal while suppressing model dependence
  - **2 control regions (CRs)** orthogonal to the SR to constrain main backgrounds ( $t\bar{t} + tW$  and  $DY \rightarrow \tau\tau$ )
- Each region is divided into four equally-spaced  $\Delta\Phi_{jj}$  bins spanning  $[-\pi, +\pi]$

- Signal extracted through a **simultaneous fit of ADNN outputs** across SR and CRs
  - $D_{\text{VBF}}$  (output of the VBF-ADNN) and  $D_{\text{VBF,ggF}}$  (2D variable composed of  $D_{\text{VBF}}$  and  $D_{\text{ggF}}$ )
  - Cross sections measured in a **fiducial phase space** with unfolding embedded in the fit

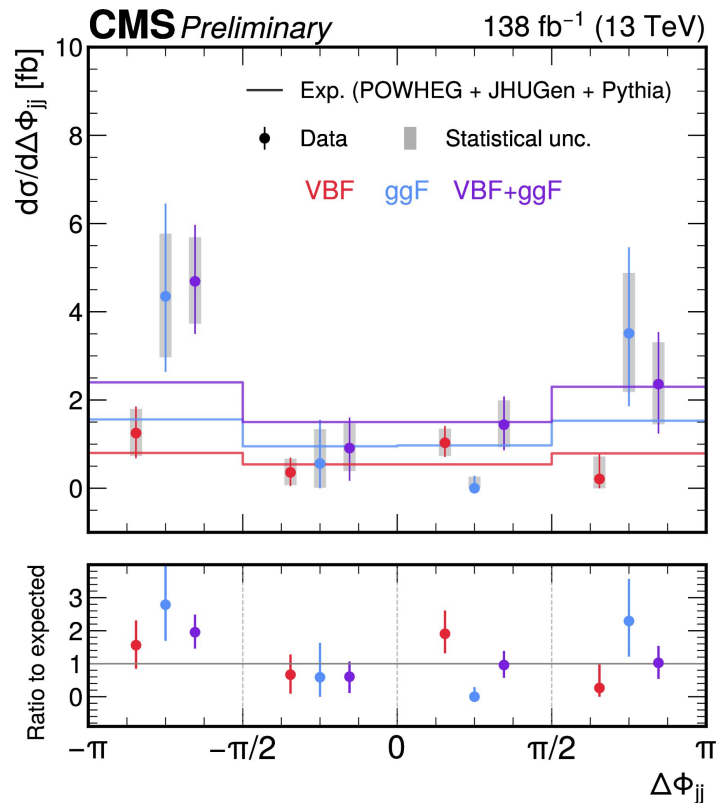


# Differential cross sections



- Signal extracted in three different configurations
  - Overall H+2jets cross section ( $D_{\text{VBF,ggF}}$ )
  - Simultaneous measurement of **VBF** and **ggF** cross sections ( $D_{\text{VBF,ggF}}$ )
  - VBF-only cross section ( $D_{\text{VBF}}$ )
- Results are dominated by the statistical uncertainty

Model dependence (*backup*) reduced by 30-70% (depending on the  $\Delta\Phi_{jj}$  bin) compared to using a standard DNN



# SMEFT interpretation

- Differential measurements are used to **constrain extensions of the SM** that introduce anomalous interactions between the Higgs boson and SM particles, using an EFT approach

- SM EFT lagrangian:

$$\mathcal{L}_{\text{SMEFT}} = \mathcal{L}_{\text{SM}} + \mathcal{L}_{\text{EFT}} = \mathcal{L}_{\text{SM}} + \sum_{i=5}^{\infty} \sum_j^{N_i} \frac{c_j^{(i)}}{\Lambda^{i-4}} \mathcal{O}_j^{(i)}$$

*Wilson coefficients*

*Higher-dimensional operators*

*BSM energy scale*

Values of WC different from 0  $\Rightarrow$  hint of discrepancy from SM

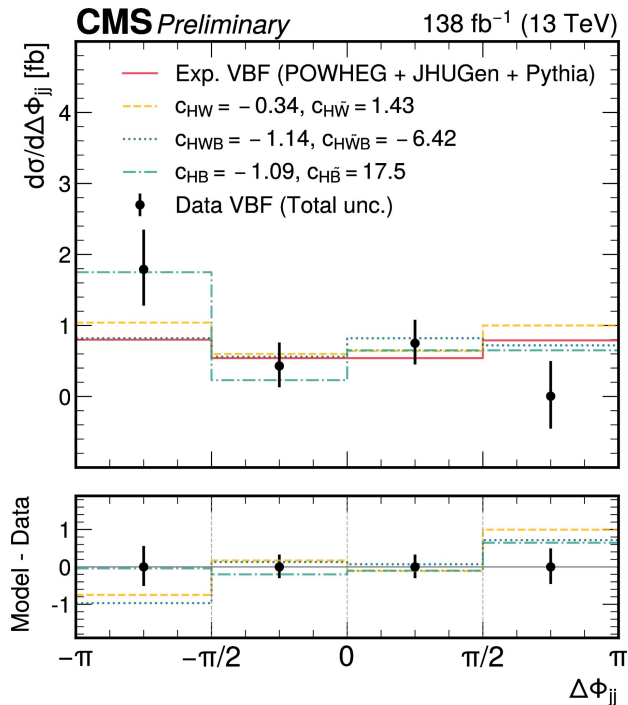
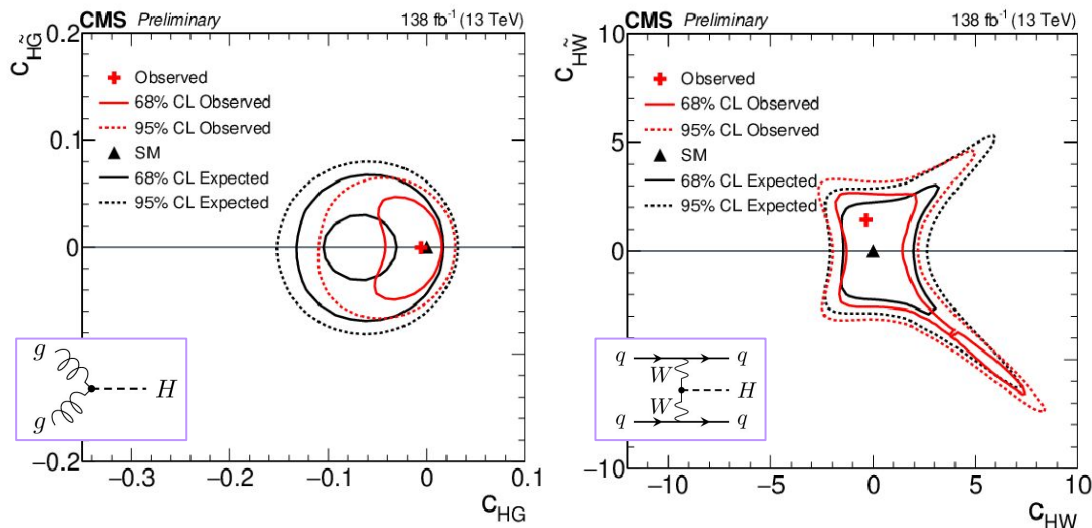
- The goal is to study a subset of  $i=6$  operators and constrain the corresponding Wilson coefficients in the Warsaw basis

Class	Operator	Wilson Coefficient
$\mathcal{L}_6^{(4)} - X^2 H^2$ (CP-even)	$H^\dagger H W_{\mu\nu}^i W^{i\mu\nu}$	$c_{\text{HW}}$
	$H^\dagger H W_{\mu\nu}^i B^{i\mu\nu}$	$c_{\text{HWB}}$
	$H^\dagger H B_{\mu\nu} B^{\mu\nu}$	$c_{\text{HB}}$
	$H^\dagger H G_{\mu\nu}^a G^{a\mu\nu}$	$c_{\text{HG}}$
$\mathcal{L}_6^{(4)} - X^2 H^2$ (CP-odd)	$H^\dagger H \tilde{W}_{\mu\nu}^i W^{i\mu\nu}$	$c_{\text{H}\tilde{W}}$
	$H^\dagger H \tilde{W}_{\mu\nu}^i B^{i\mu\nu}$	$c_{\text{H}\tilde{W}B}$
	$H^\dagger H \tilde{B}_{\mu\nu} B^{\mu\nu}$	$c_{\text{H}\tilde{B}}$
	$H^\dagger H \tilde{G}_{\mu\nu}^a G^{a\mu\nu}$	$c_{\text{H}\tilde{G}}$
$\mathcal{L}_6^{(3)} - H^4 D^2$	$(H^\dagger H) \square (H^\dagger H)$	$c_{\text{H}\square}$
	$(D^\mu H^\dagger H) (H^\dagger D_\mu H)$	$c_{\text{HD}}$

# Reinterpreted cross sections



- Tighter constraints are obtained on the CP-even  $c_{HW}$  and  $c_{HG}$  coefficients

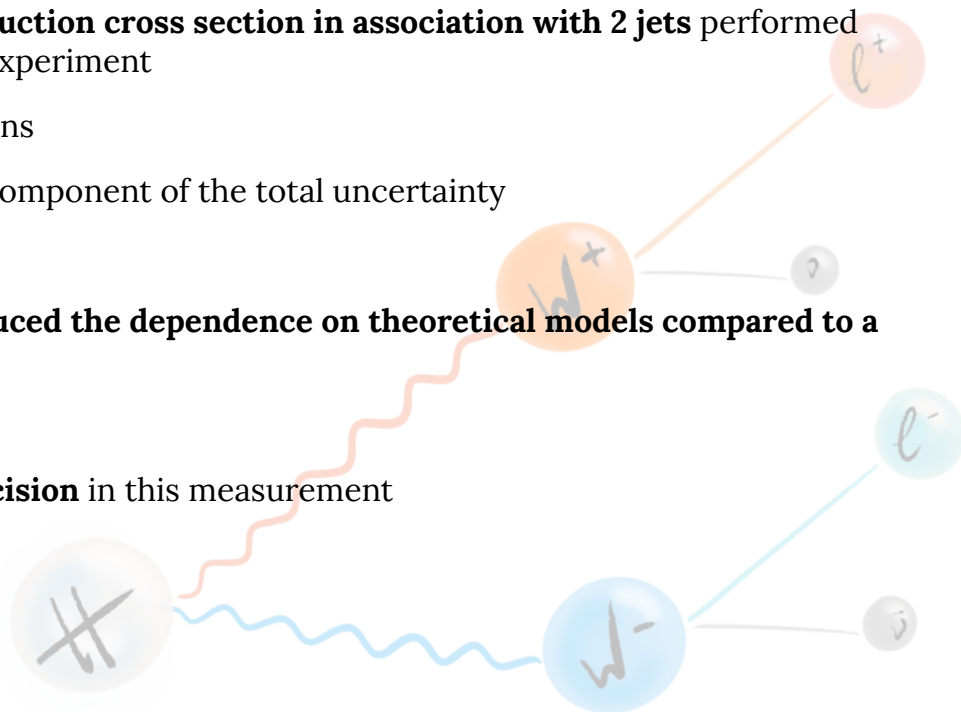


- The differential cross section is recalculated using the measured values of the WCs

# Conclusions



- Differential measurement of the **Higgs boson production cross section in association with 2 jets** performed in the  $H \rightarrow W^+W^- \rightarrow 2\ell 2\nu$  decay channel at the CMS experiment
  - Results are consistent with the SM predictions
  - The statistical uncertainty is the dominant component of the total uncertainty
- The use of **an adversarial neural network** has reduced the dependence on theoretical models compared to a standard approach
- Data from **LHC Run 3** will allow for improved precision in this measurement



*Thanks for your attention*

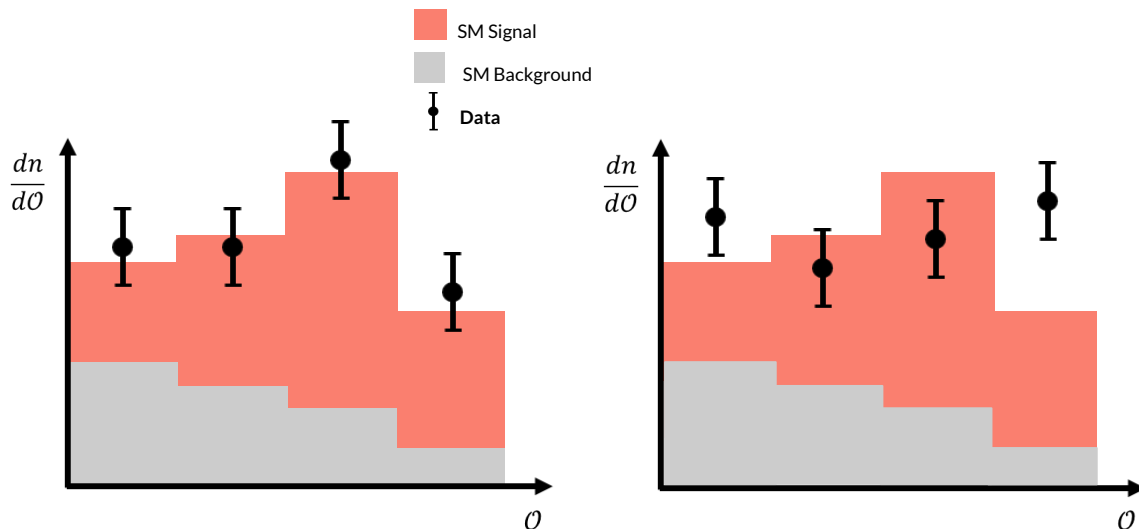
CMS-PAS-HIG-24-004

*Backup*

# Template fit



- Extract the PDF of a discriminating observable from Monte Carlo (MC) simulations and then fit it to data
  - Usually, the SM hypothesis is assumed for simulation
- The underlying physics model governing the data is **unknown**
  - Fitting data with the SM hypothesis, will lead to a biased results



The fit results is biased towards the model assumed to generate the MC simulation

# Anomalous couplings in HVV/Hgg

Scattering amplitude of one spin-0 Higgs boson ( $H$ ) and two spin-1 gauge bosons ( $V_1 V_2$ )

$$A(HVV) \sim \left[ a_1^{VV} + \overbrace{\frac{k_1^{VV} q_{V1}^2 + k_2^{VV} q_{V2}^2}{(\Lambda_1^{VV})^2}}^{L_1} \right] m_{V1}^2 \epsilon_{V1}^* \epsilon_{V2}^* + a_2^{VV} f_{\mu\nu}^{*(1)} f^{*(2)\mu\nu} + a_3^{VV} f_{\mu\nu}^{*(1)} \tilde{f}^{*(2)\mu\nu}$$

## HVV couplings

- $a_1^{VV} = 1$  SM tree level coupling  $J^{CP}=0^{++}$
- $L_1$  CP-even AC
- $a_2^{VV}$  CP-even AC
- $a_3^{VV}$  CP-odd AC

## Hgg couplings

- $a_2^{VV}$  SM loop
- $a_3^{VV}$  CP-odd AC

# Events selection

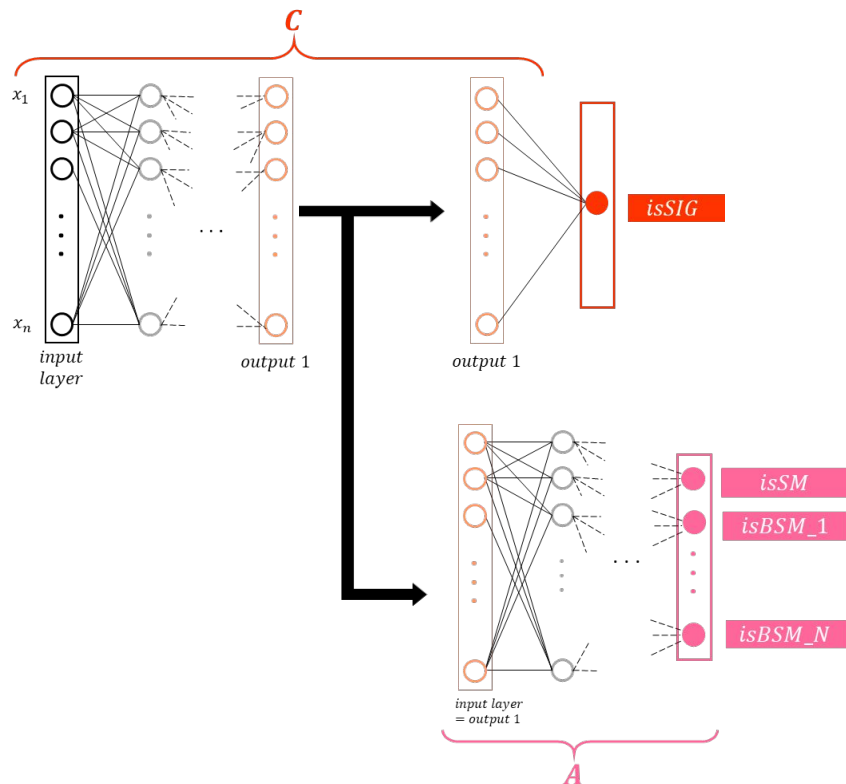


Region	Requirements
Global selection	Oppositely-charged $e\mu$ final state
	$p_T^{\ell 1} > 25 \text{ GeV}$
	$p_T^{\ell 2} > 13 \text{ GeV}$ (10 GeV for 2016 data)
	$p_T^{\ell 3} < 10 \text{ GeV}$
	$m_{\ell\ell} > 12 \text{ GeV}$
	$p_T^{\ell\ell} > 30 \text{ GeV}$
	$E_T^{\text{miss}} > 20 \text{ GeV}$
	at least two jets with $p_T > 30 \text{ GeV}$ and $ \eta  < 4.7$
SR	$m_{jj} > 120 \text{ GeV}$
	$m_T > 60 \text{ GeV}$
	$m_T^{\ell 2} > 30 \text{ GeV}$
Top CR	no b-tagged jets with $p_T > 20 \text{ GeV}$
	$m_{\ell\ell} > 50 \text{ GeV}$
	$m_T^{\ell 2} > 30 \text{ GeV}$
DY CR	at least one b-tagged jet
	$40 < m_{\ell\ell} < 80 \text{ GeV}$
	$m_T < 60 \text{ GeV}$
	no b-tagged jets with $p_T > 20 \text{ GeV}$



# Adversarial deep neural network

[Eur. Phys. J. C \(2022\) 82: 921](#)



## Classifier

- **Binary neural network**, trained on both **signal and background events**
- Aims to determine if the event is signal- or background-like
- Signal sample includes events coming from different domains, i.e. **different signal models** (SM and AC)

## Adversary

- **Multiclass neural network** trained **only on signal events** (SM + AC hypotheses)
- **Tries to guess the physics model of signal events**, regressing the domain from the second-to-last layer of C

The adversary penalizes the classifier if its data representation is sensitive to the signal hypothesis

# Competitive learning



- The classifier is penalized if its output contains too much information on the domain of origin of signal events
- If C manages to prevent A from identifying the signal model, then the **classification is independent of** the domains of origin of the events, i.e. **the physics model of signal events**

*Compute first the gradient of  $\mathcal{L}$  with respect to the  $C$  weights.  
 $A$  weights frozen in this step.*

*The parameter  $\alpha$  regulates the interplay between  $A$  and  $C$*

## *Two-step training procedure*

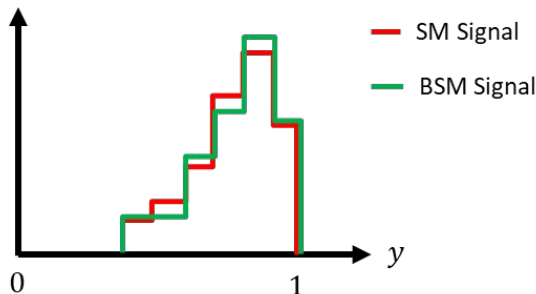
1.  $Loss = Loss(C) - \underbrace{\alpha \cdot Loss(A)}_{\text{Penalty term}}$
2.  $Loss(A)$

*Compute the gradient of  $\mathcal{L}(A)$  with respect to the  $A$  weights*

# Optimization of the ADNN



- Hyperparameter optimization using the [Optuna](#) package by:
  - Maximizing the **binary accuracy** of the classifier
  - Minimizing the average of the two-sample **Kolmogorov-Smirnov (K-S) score between pairs of signal hypothesis** (“average K-S test statistic”)



## Optimized hyperparameters

Hyperparameter	Interval
$\alpha$	$[0, 100]$
$n_{\text{nodes}}$	$[10, 100]$
$n_1^C$	$[1, 10]$
$n_1^A$	$[1, 10]$

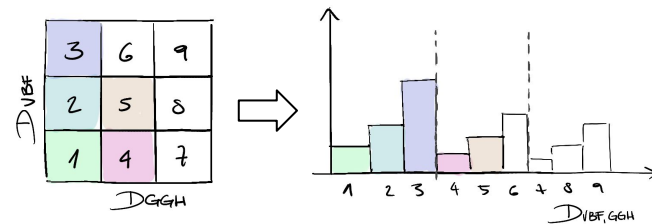
### Some technical details

- ★ **Adam gradient-descent optimized**  
 $\eta^C = 10^{-5}$ ,  $\eta^A = 10^{-3}$
- ★ Activation function of hidden layers: **ReLU**
- ★ **Classifier** loss function and activation function of the output layer: **binary cross-entropy** and **sigmoid**
- ★ **Adversary** loss function and activation function of the output layer: **categorical cross-entropy** and **softmax**

# Signal extraction



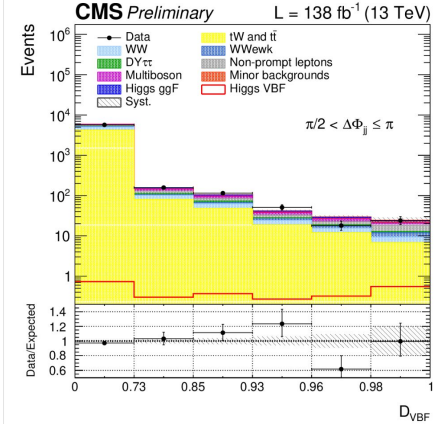
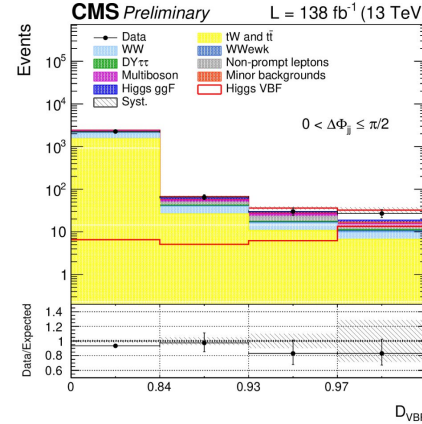
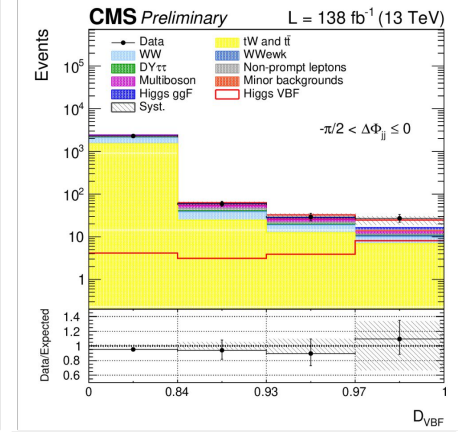
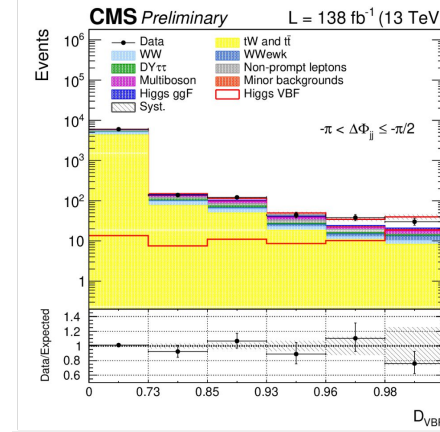
- Combined **binned maximum likelihood fit** of the ADNN output distribution with signal and background templates, performed simultaneously in all SR bins
  - 1D variable:  $D_{\text{VBF}}$  (output of the VBF-ADNN)
  - 2D variable: two-dimensional variable  $D_{\text{VBF,ggF}}$  composed of  $D_{\text{VBF}}$  and  $D_{\text{ggF}}$  (output of the GGH-ADNN)
- **Unfolding procedure embedded in the likelihood fit**, treating each gen-level  $\Delta\Phi_{jj}$  signal contribution as a separate process
- **Fiducial and out-of-fiducial** signal contributions coming from the same  $\Delta\Phi_{jj}$  bin are **scaled together** with the same signal strength parameter
- The **number of events** in each  $\Delta\Phi_{jj}$  bin of the Top and DY CRs is also **fitted to data** in order to constrain the normalisation of the corresponding background



# $D_{\text{VBF}}$



- Postfit distributions of  $D_{\text{VBF}}$  in the  $\Delta\Phi_{jj}$  bins of the SR (logarithmic scale)

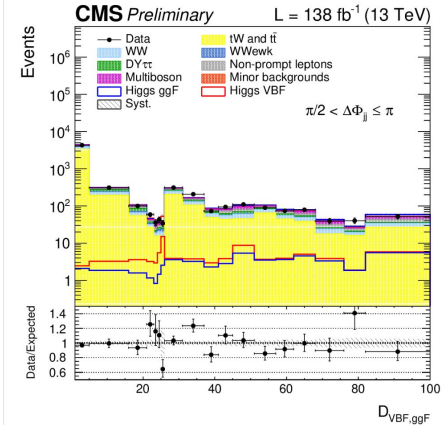
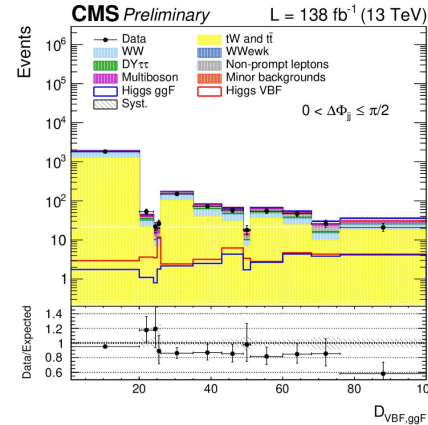
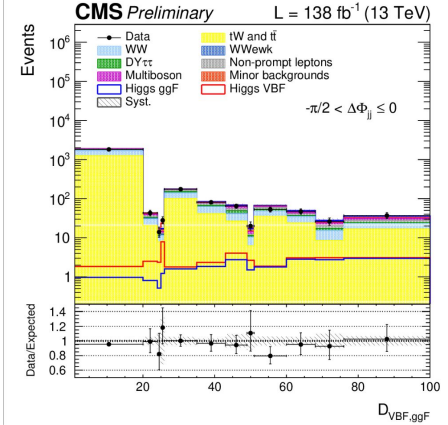
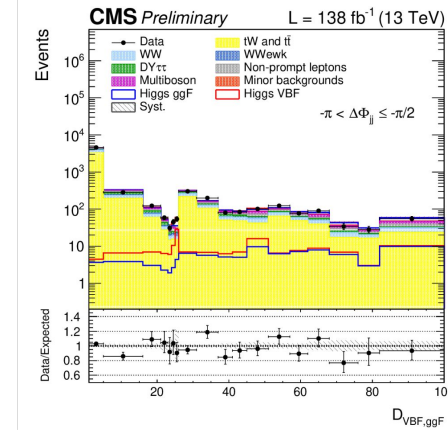
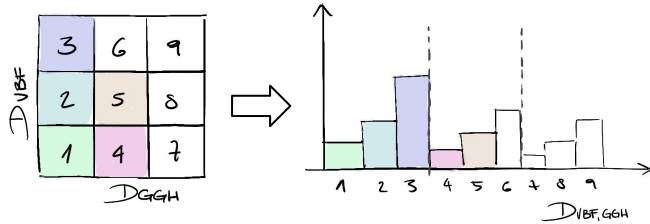


# $D_{\text{VBF,ggF}}$



- **Postfit distributions of  $D_{\text{VBF,ggF}}$  in the  $\Delta\Phi_{jj}$  bins of the SR (logarithmic scale)**
  - Distribution unrolled in one dimension

The content of each bin belonging to the 2D distribution is transposed ("unrolled") to a 1D histogram, where bin labels on the x-axis correspond to the **bin numbering of the 2D map**



# Fiducial volume



- Same cuts of the SR are applied on gen-level quantities except for the MET and  $m_T^{l2}$  requirements, that have been removed
- Leptons are *dressed* i.e., the momenta of radiated photons within a cone of  $\Delta R < 0.1$  around the lepton direction are summed to the lepton momentum
- Signal samples are split in  $\Delta\Phi_{jj}$  bins, using the same binning scheme as the analysis categories

Fiducial requirements
oppositely-charged $e\mu$ (not from $\tau$ decay) final state, at least two jets with $p_T > 30$ GeV, $p_T^{\ell 1} > 25$ GeV, $p_T^{\ell 2} > 13$ GeV, $p_T^{\ell 3} < 10$ GeV, $p_T^{\ell\ell} > 30$ GeV, $m_{\ell\ell} > 12$ GeV, $m_{jj} > 120$ GeV, $m_T > 60$ GeV, $ \eta_{j1}  < 4.7$ , $ \eta_{j2}  < 4.7$ , $ \eta_{\ell 1}  < 2.5$ , $ \eta_{\ell 2}  < 2.5$

# Fit configurations



Fit	Measurement	POI	Variable	Motivation
1	VBF and ggF measured together	VBF and ggF scaled using a common POI ( $\mu_{i,\text{VBF+ggF}}$ with $i=0,\dots,3$ )	$D_{\text{VBF,ggF}}$	Overall H+2jets differential cross section
2	VBF and ggF as two independent processes	VBF and ggF scaled using two distinct POIs ( $\mu_{i,\text{VBF}}$ and $\mu_{i,\text{ggF}}$ with $i=0,\dots,3$ )	$D_{\text{VBF,ggF}}$	Most model independent measurement
3	VBF cross section	Only VBF scaled ( $\mu_{i,\text{VBF}}$ with $i=0,\dots,3$ )	$D_{\text{VBF}}$	Allows more stringent constraints on SMEFT couplings



# Uncertainties breakdown



- Contributions of different sources of uncertainty, expressed as a percentage of the total uncertainty ( $\Delta\sigma_i/\Delta\sigma_{\text{tot}} \times 100$ )
- For asymmetric errors, the largest of the up and down uncertainties is reported
- The systematic component includes all sources except for background normalization, which is part of the statistical component

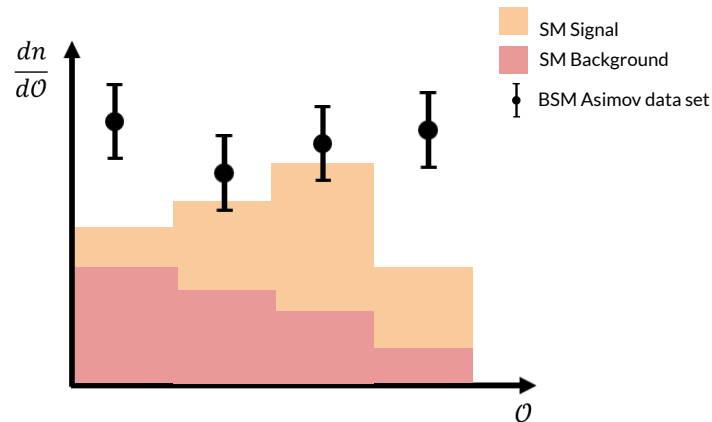
Uncertainty source	$-\pi < \Delta\Phi_{jj} \leq -\frac{\pi}{2}$	$-\frac{\pi}{2} < \Delta\Phi_{jj} \leq 0$	$0 < \Delta\Phi_{jj} \leq \frac{\pi}{2}$	$\frac{\pi}{2} < \Delta\Phi_{jj} \leq \pi$
Theory (sig.)	18%	16%	16%	17%
Theory (backg.)	30%	17%	16%	27%
Integrated luminosity	16%	17%	15%	14%
b tagging	16%	14%	15%	13%
Jets	15%	15%	13%	14%
Non-prompt	14%	15%	15%	17%
PileUp	15%	15%	13%	16%
Leptons	17%	15%	13%	15%
MET	14%	15%	13%	14%
Backg. norm.	14%	15%	13%	14%
MC stat.	31%	31%	32%	40%
Stat. uncertainty	91%	93%	93%	86%
Syst. uncertainty	46%	38%	39%	52%

# Model dependence estimation



- **Pseudodata set under BSM signal hypothesis** and SM background contribution
- **Fit using the SM signal** and background **templates**

The bias reflects the impact of **assuming the SM hypothesis** when extracting the signal **in scenarios that include BSM contributions**



*Fit result*

$$\hat{\mu} = \frac{S_{BSM}^{fit}}{S_{SM}^{exp}}$$

- *number of measured BSM signal events*
- *number of expected SM signal events*

*Cross sections ratio*

$$\tilde{\mu} = \frac{\sigma_{BSM}}{\sigma_{SM}}$$

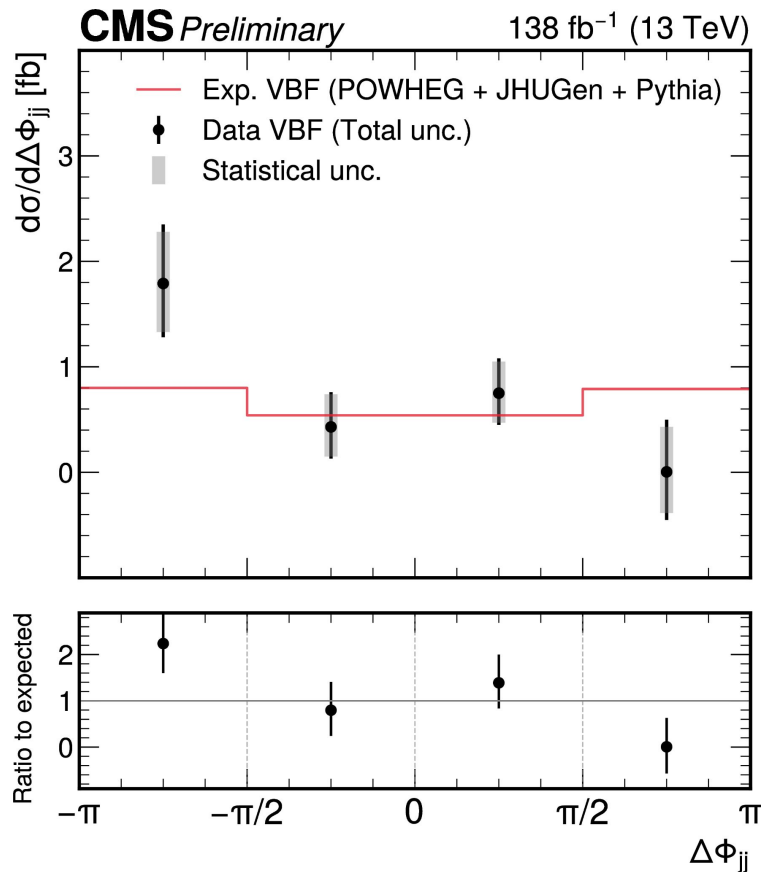
*expected value if there is no bias in the analysis*

*Total bias*

$$b = \frac{\hat{\mu} - \tilde{\mu}}{\tilde{\mu}}$$

*it includes shapes effects in the fit variable, systematic shifts from unfolding procedure, variations in acceptance and selection efficiencies*

# VBF differential cross section



# Asimmetria

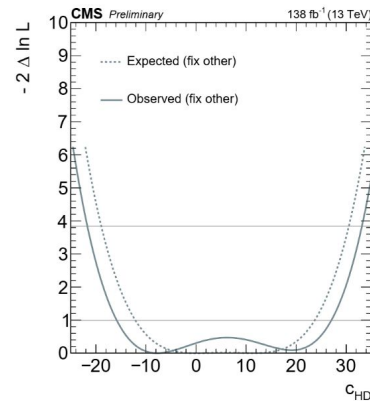
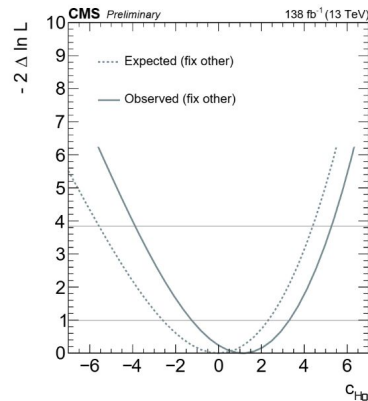
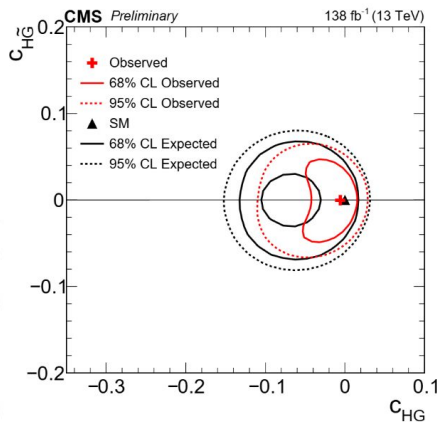
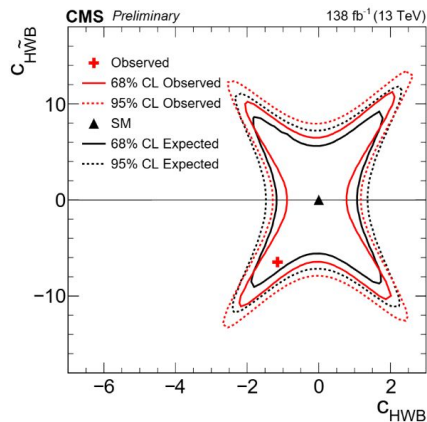
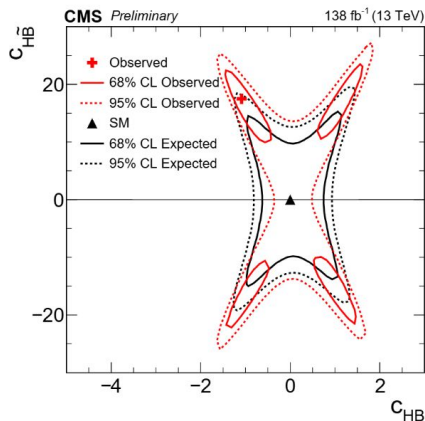
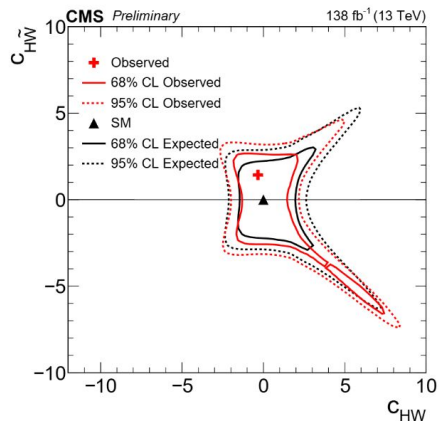


- Asymmetry of the  $\Delta\Phi_{jj}$  distribution

$$A = \frac{N(\Delta\Phi_{jj} > 0) - N(\Delta\Phi_{jj} \leq 0)}{N(\Delta\Phi_{jj} > 0) + N(\Delta\Phi_{jj} \leq 0)}$$

$$A = 0.4 \pm 0.3 \text{ (tot. unc.)}$$

# Wilson coefficients results (1)



# Wilson coefficients results (2)



Wilson Coefficients		Observed	Expected	Significance
$c_{H\Box}$	Best fit	1.14	0.00	0.5
	68% CL	[-1.26,3.31]	[-2.60,2.33]	
	95% CL	[-3.88,5.27]	[-5.56,4.39]	
$c_{HD}$	Best fit	-7.76	0.00	0.0
	68% CL	[-15.8,27.0]	[-12.1,23.7]	
	95% CL	[-21.7,33.1]	[-19.0,30.5]	
$c_{HW}$	Best fit	-0.34	0.00	0.0
	68% CL	[-1.46,1.15]	[-1.17,1.76]	
	95% CL	[-2.35,3.57]	[-2.07,6.50]	
$c_{HWB}$	Best fit	-1.14	0.00	0.5
	68% CL	[-1.92,1.82]	[-1.47,1.50]	
	95% CL	[-2.44,2.34]	[-2.06,2.10]	
$c_{HB}$	Best fit	-1.09	0.00	1.7
	68% CL	[-1.35,-0.72] $\cup$ [0.92,1.51]	[-0.80,0.96]	
	95% CL	[-1.56,1.75]	[-1.13,1.27]	
$c_{HG}$	Best fit	-0.01	0.00	0.0
	68% CL	[-0.03,0.01]	[-0.10,0.02]	
	95% CL	[-0.08,0.02]	[-0.14,0.03]	
$c_{H\bar{W}}$	Best fit	1.43	0.00	0.7
	68% CL	[-5.95,-5.22] $\cup$ [-2.21,2.32]	[-1.87,1.91]	
	95% CL	[-7.12,3.00]	[-5.60,4.53]	
$c_{H\bar{W}B}$	Best fit	-6.42	0.00	0.9
	68% CL	[-9.84,8.90]	[-7.40,7.52]	
	95% CL	[-12.3,11.4]	[-10.51,10.62]	
$c_{H\bar{B}}$	Best fit	17.5	0.00	2.3
	68% CL	[-20.6,-14.5] $\cup$ [13.0,21.1]	[-12.2,11.9]	
	95% CL	[-24.5,-5.9] $\cup$ [6.0,24.1]	[-17.3,16.6]	
$c_{H\tilde{G}}$	Best fit	-0.000	0.00	0.0
	68% CL	[-0.035,0.034]	[-0.062,0.061]	
	95% CL	[-0.058,0.057]	[-0.075,0.073]	

# Reinterpreted cross sections

