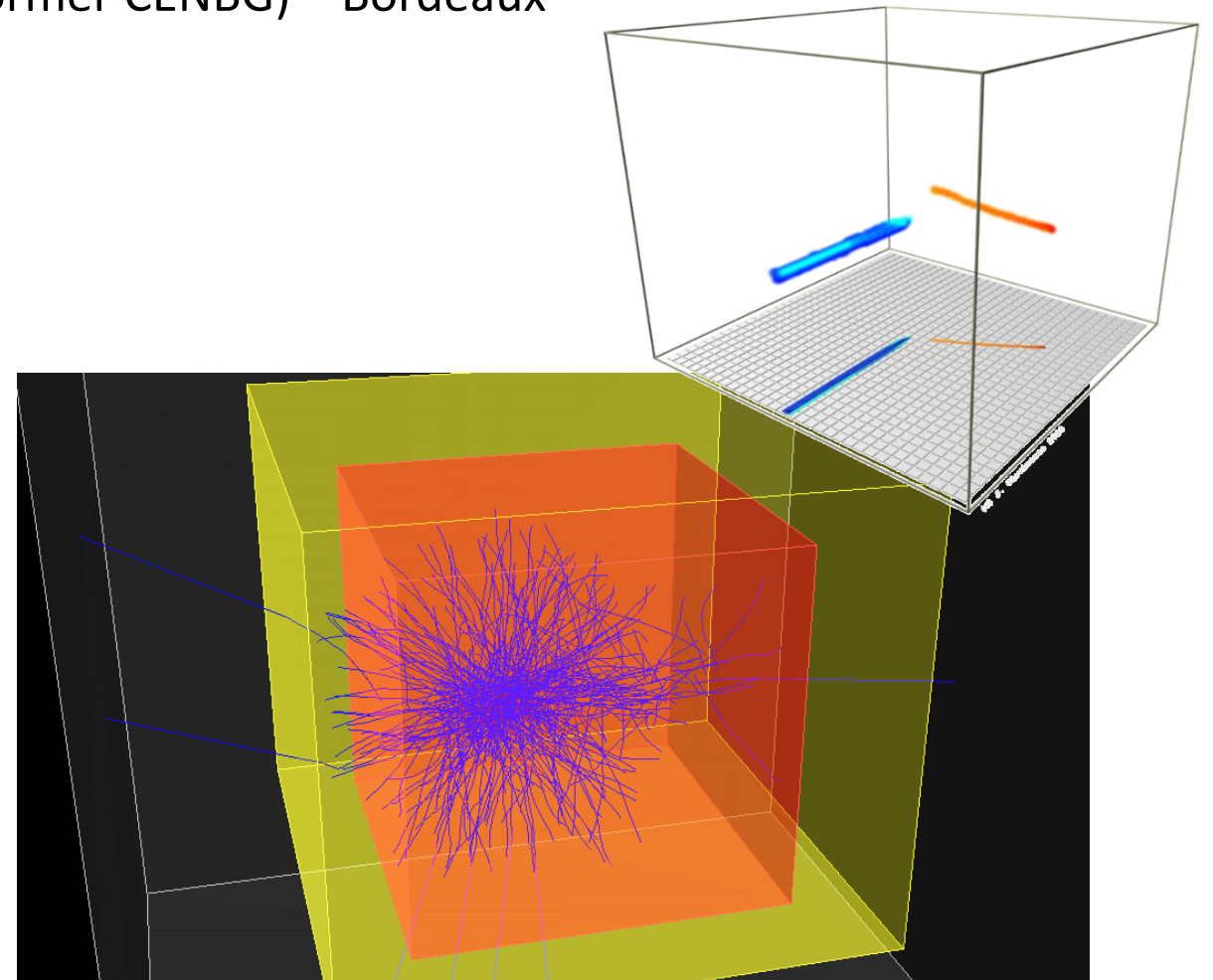


simulations for ACTAR TPC decay experiments

J. Giovinazzo – LP2iB (former CENBG) – Bordeaux

- ▷ decay experiments with ACTAR TPC
- ▷ simulations for detection efficiency
- ▷ decay simulation principles
- ▷ application to tracks analysis



decay experiments with ACTAR TPC

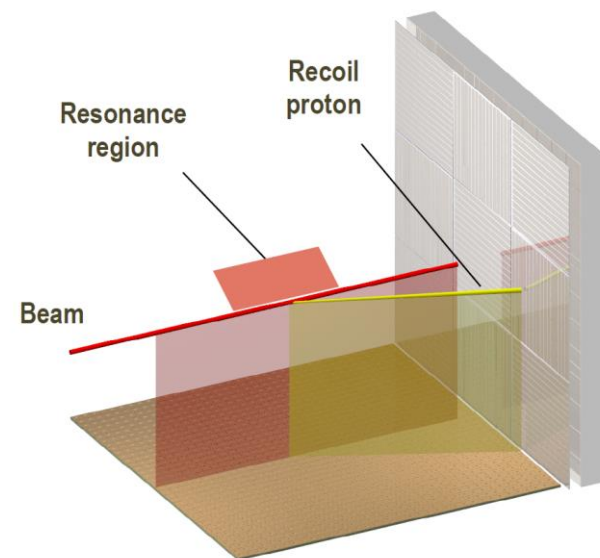
designed as “active target”...

high efficiency, thick target, vertex, tracking,
good energy resolution...

inverse kinematic reactions

unbound resonances, highly excited states

transfer & charge exchange reactions



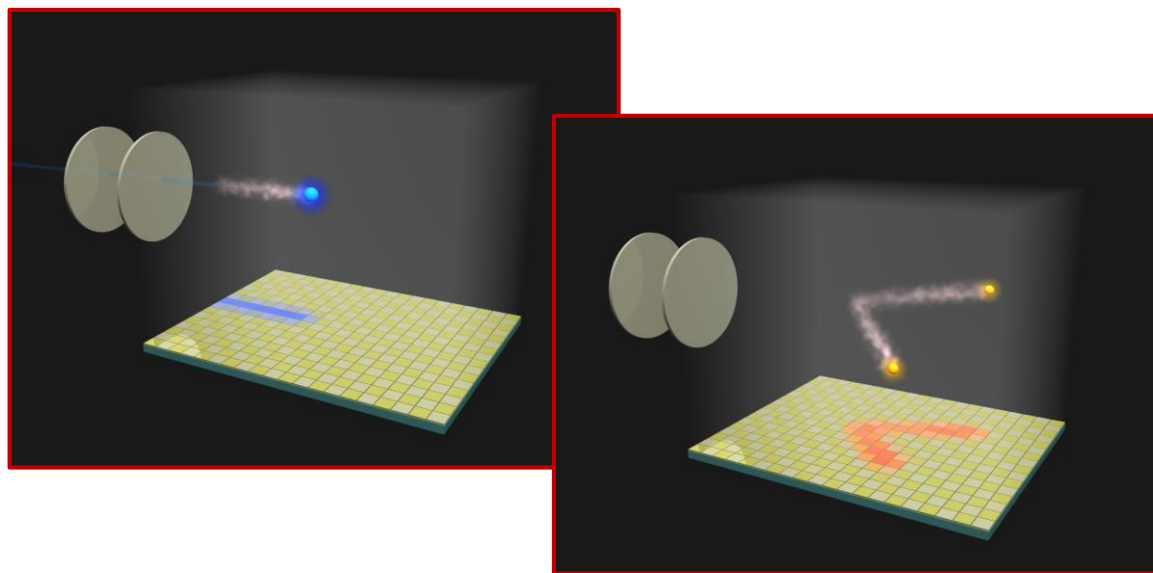
...and implantation/decay TPC

high efficiency, transp. to beta, low threshold
multi-particle tracking...

charged particles / exotic decay modes

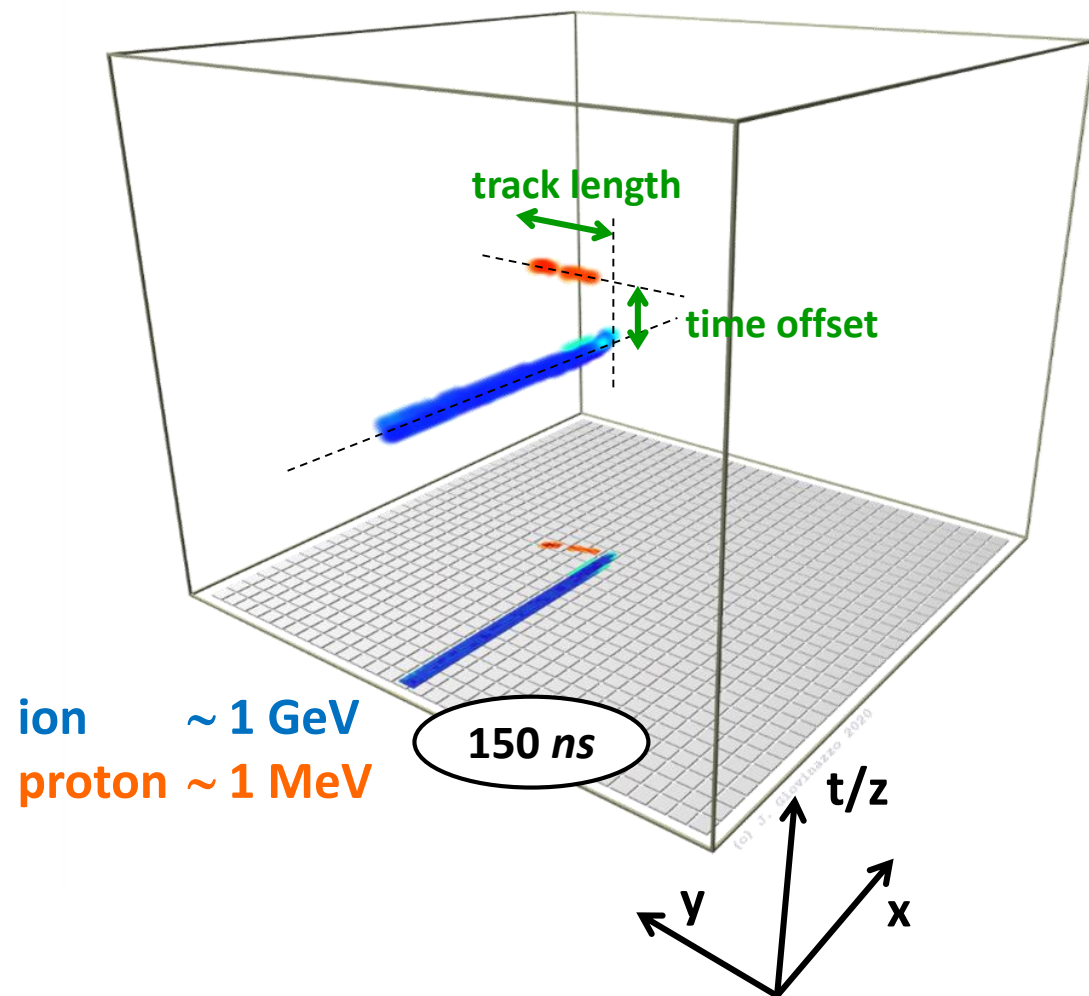
beta-delayed (multi-)proton

particle decay of excited states



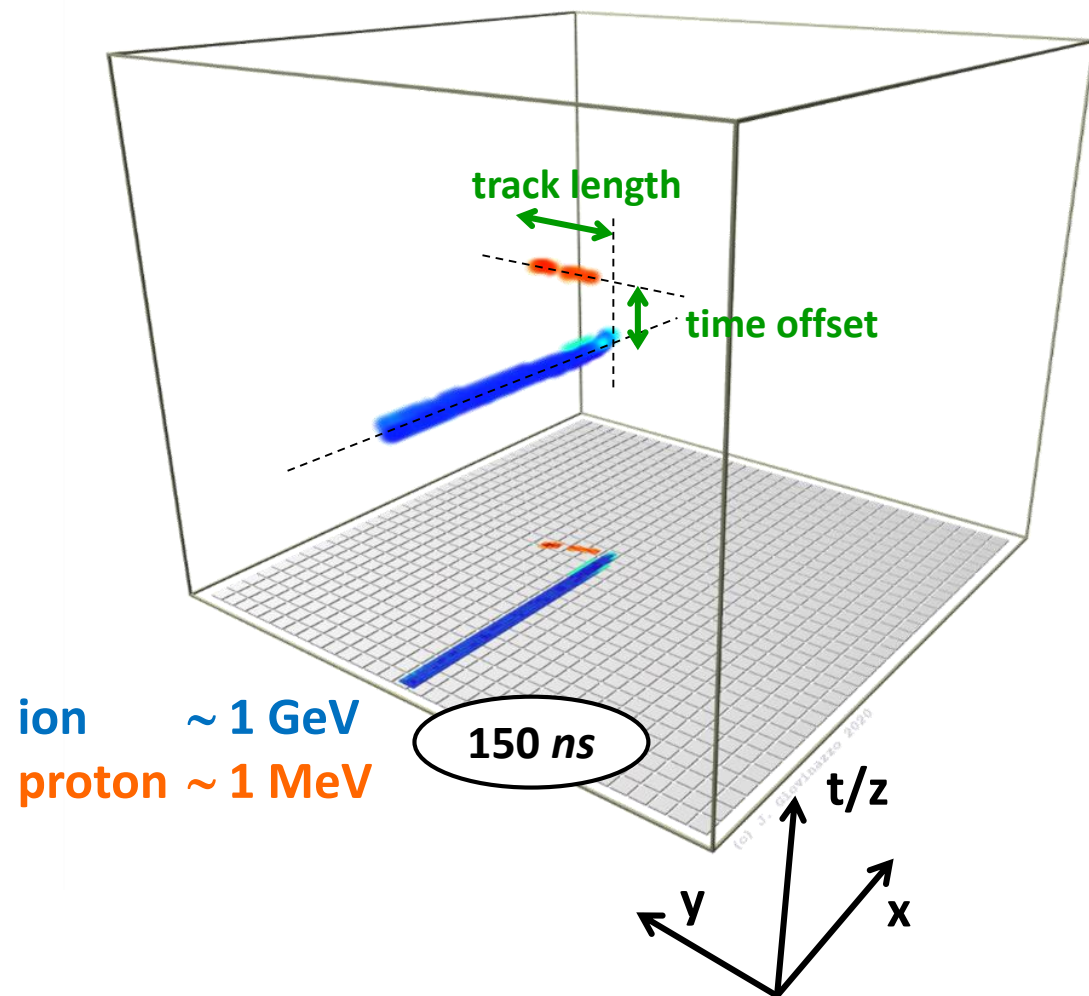
decay experiments with ACTAR TPC

E690 (GANIL, 2019): proton decay of ^{54m}Ni

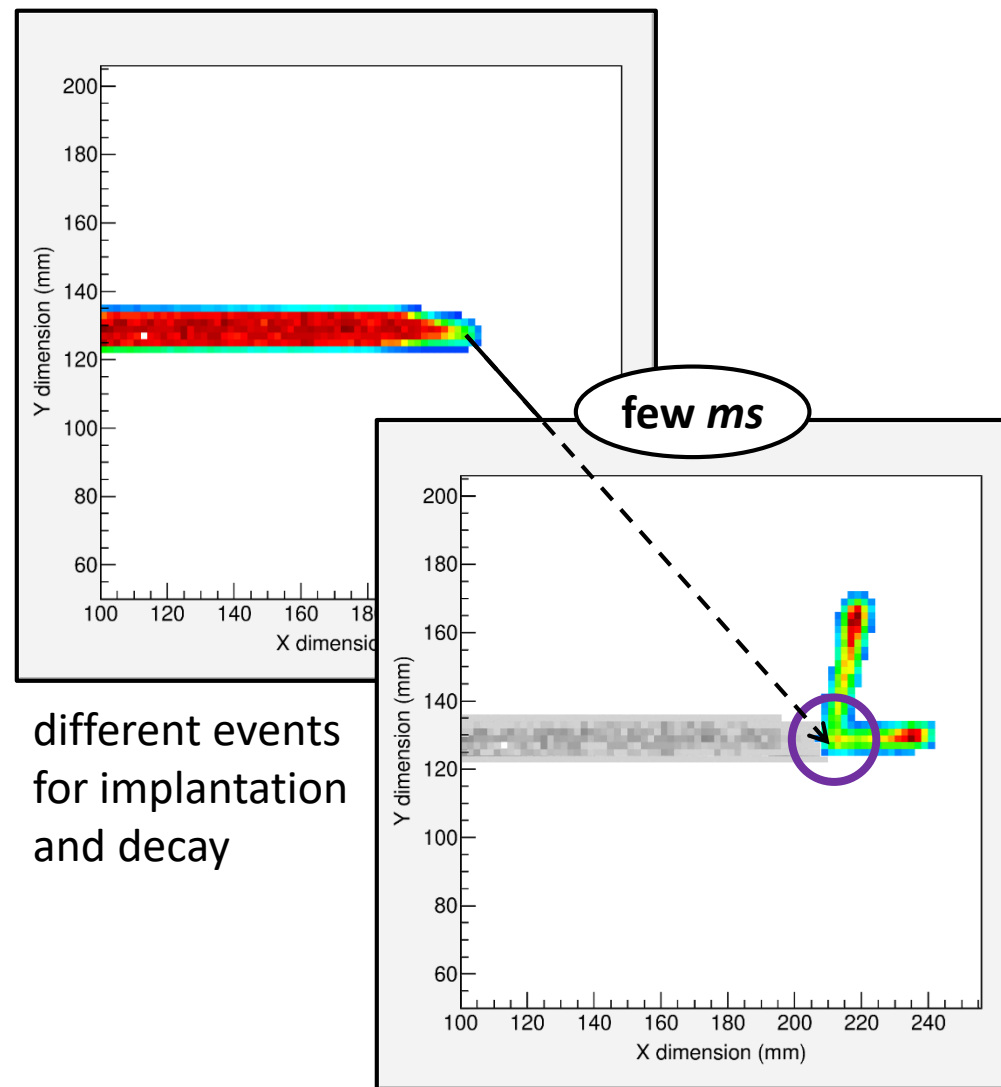


decay experiments with ACTAR TPC

E690 (GANIL, 2019): proton decay of ^{54m}Ni



E791 (GANIL, 2021): 2p radioactivity of ^{45}Fe & ^{48}Ni

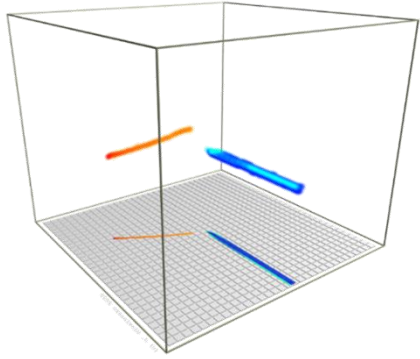


different events
for implantation
and decay

simulations for detection efficiency

need for simulations: escape probability

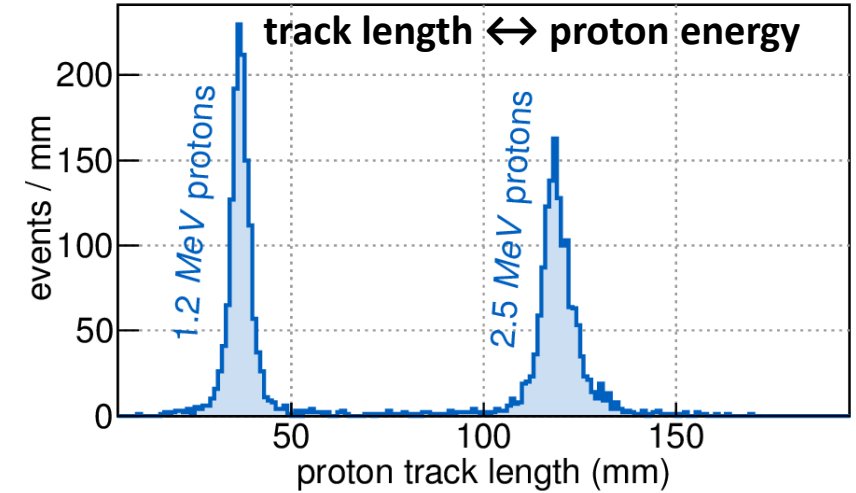
E690



2 proton energies
→ relative decay branches intensity ?

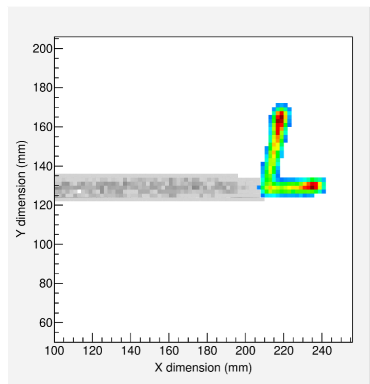
$$N_{emit}(E_p) = \frac{N_{obs}(E_p)}{\varepsilon(E_p)}$$

- different track energy / length
↔ different escape probabilities
- proton track hidden in ion track
- missing regions in the pad plane
(+ analysis procedure and cuts)



need for simulations: escape probability

E791



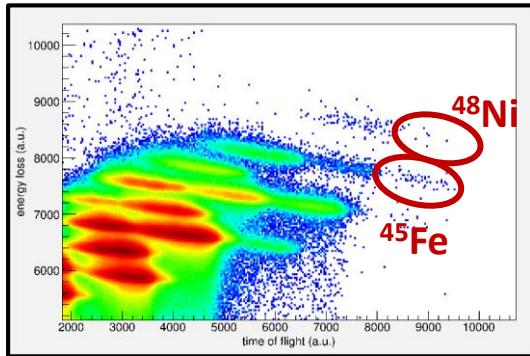
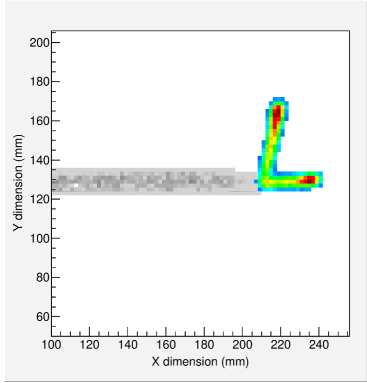
2-proton radioactivity

single decay branch

event by event analysis (counting)

need for simulations: escape probability

E791



2-proton radioactivity

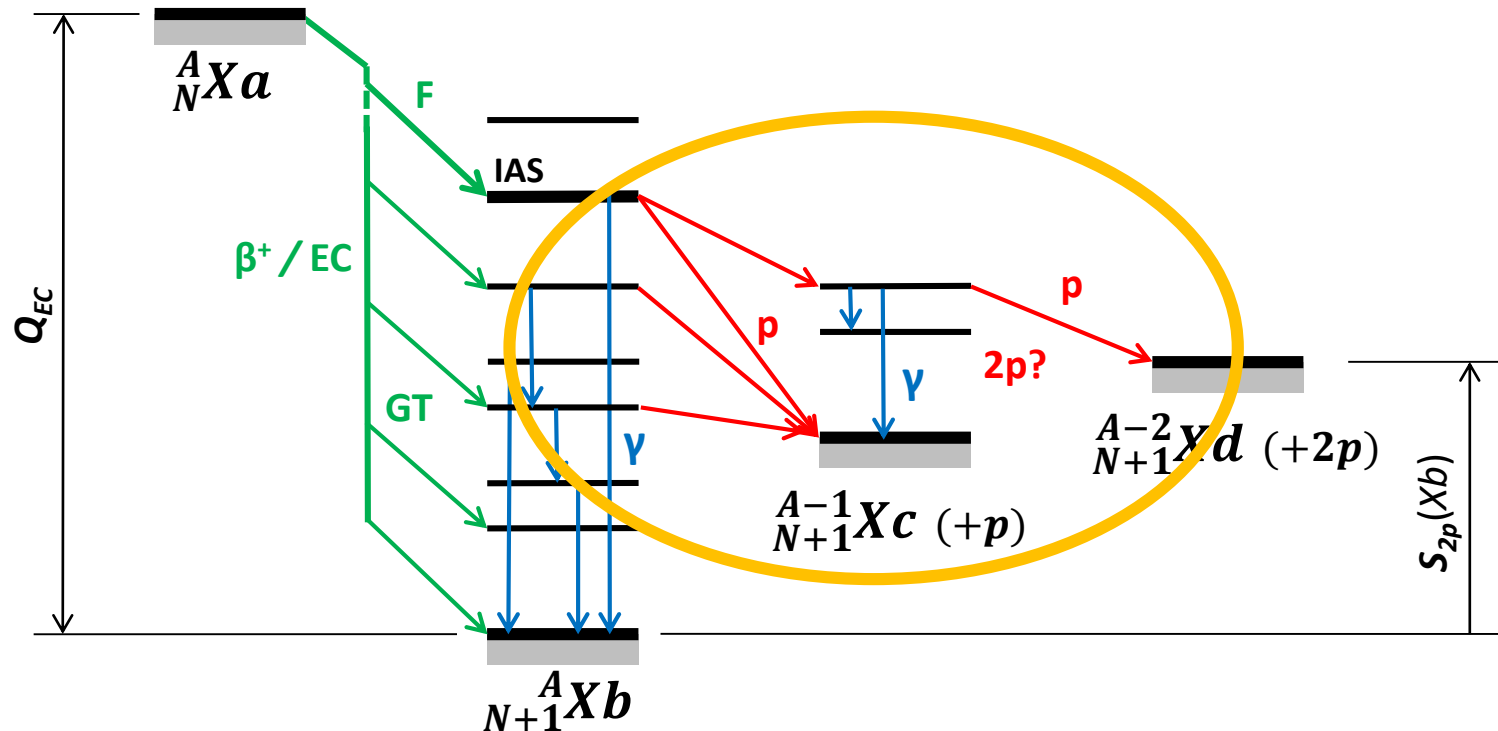
single decay branch

event by event analysis (counting)

beta-delayed 1,2,3-proton(s)

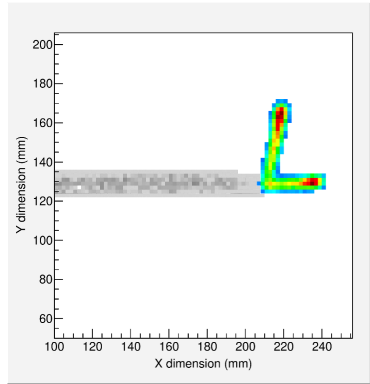
→ from **several nuclei** (cocktail beam)

→ decay scheme



need for simulations: escape probability

E791



2-proton radioactivity

single decay branch

event by event analysis (counting)

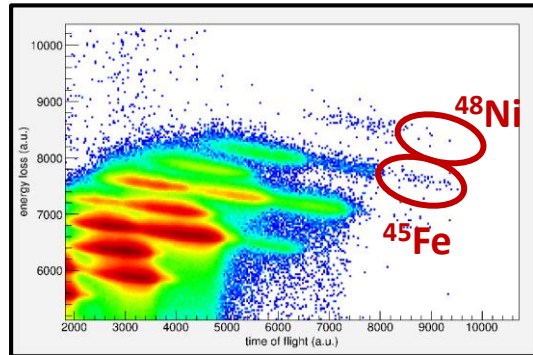
beta-delayed 1,2,3-proton(s)

→ from **several nuclei** (cocktail beam)

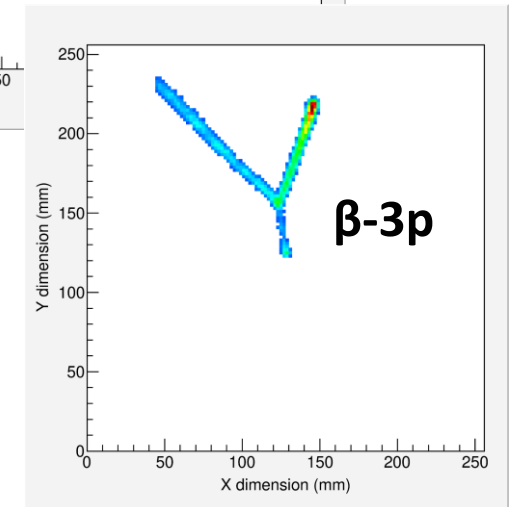
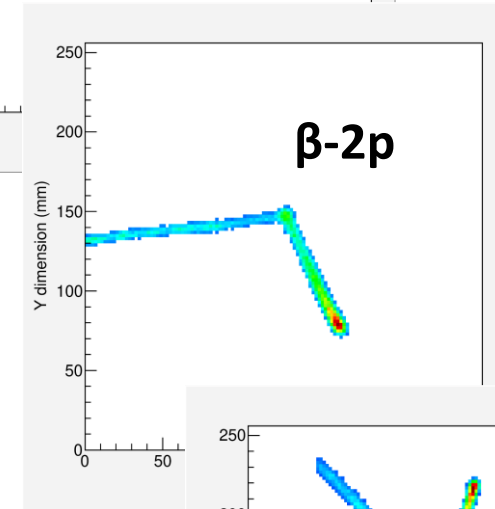
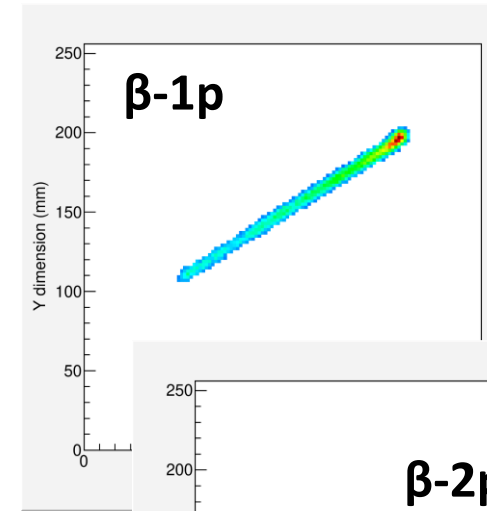
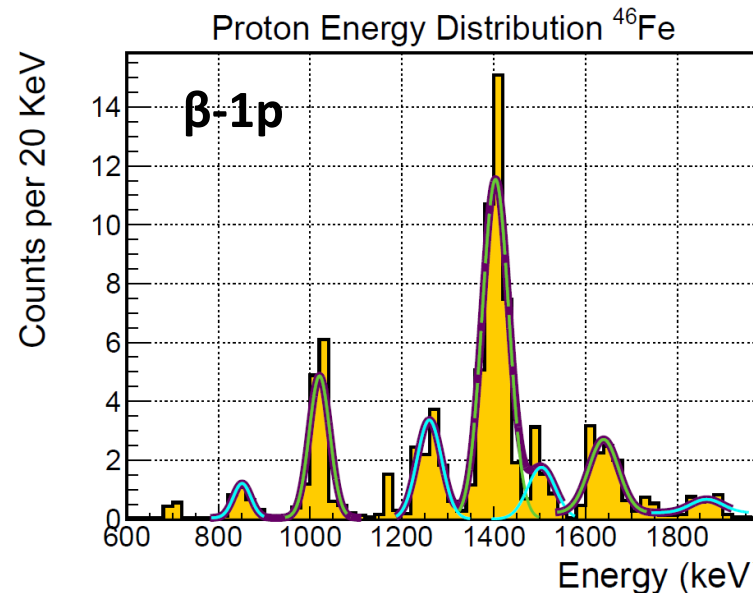
→ decay scheme

absolute transitions intensities

→ function of transition energy



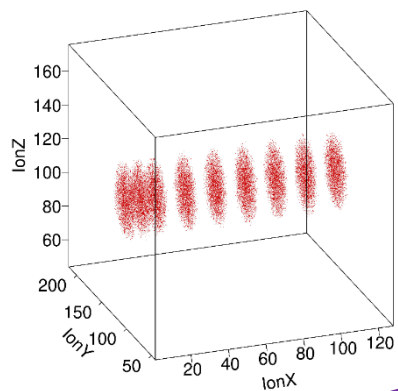
$$I_Y(E_p) = \frac{N_p^{(mes)}(E_p)}{N_Y^{(impl)} \cdot \epsilon_Y(E_p)}$$



detection efficiency

simulation run

$[\vec{r}_i, E_i]$

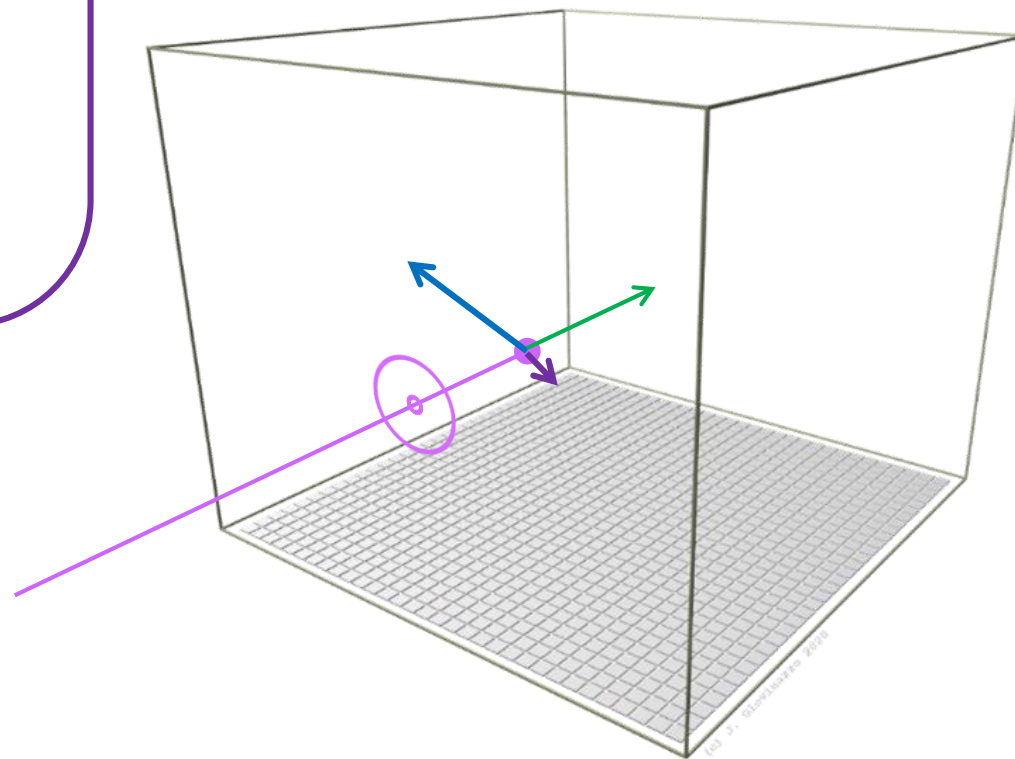


simulation of decay events

→ **scan of simulation space**

- emission point ($\vec{r}$)
- decay energy (E)

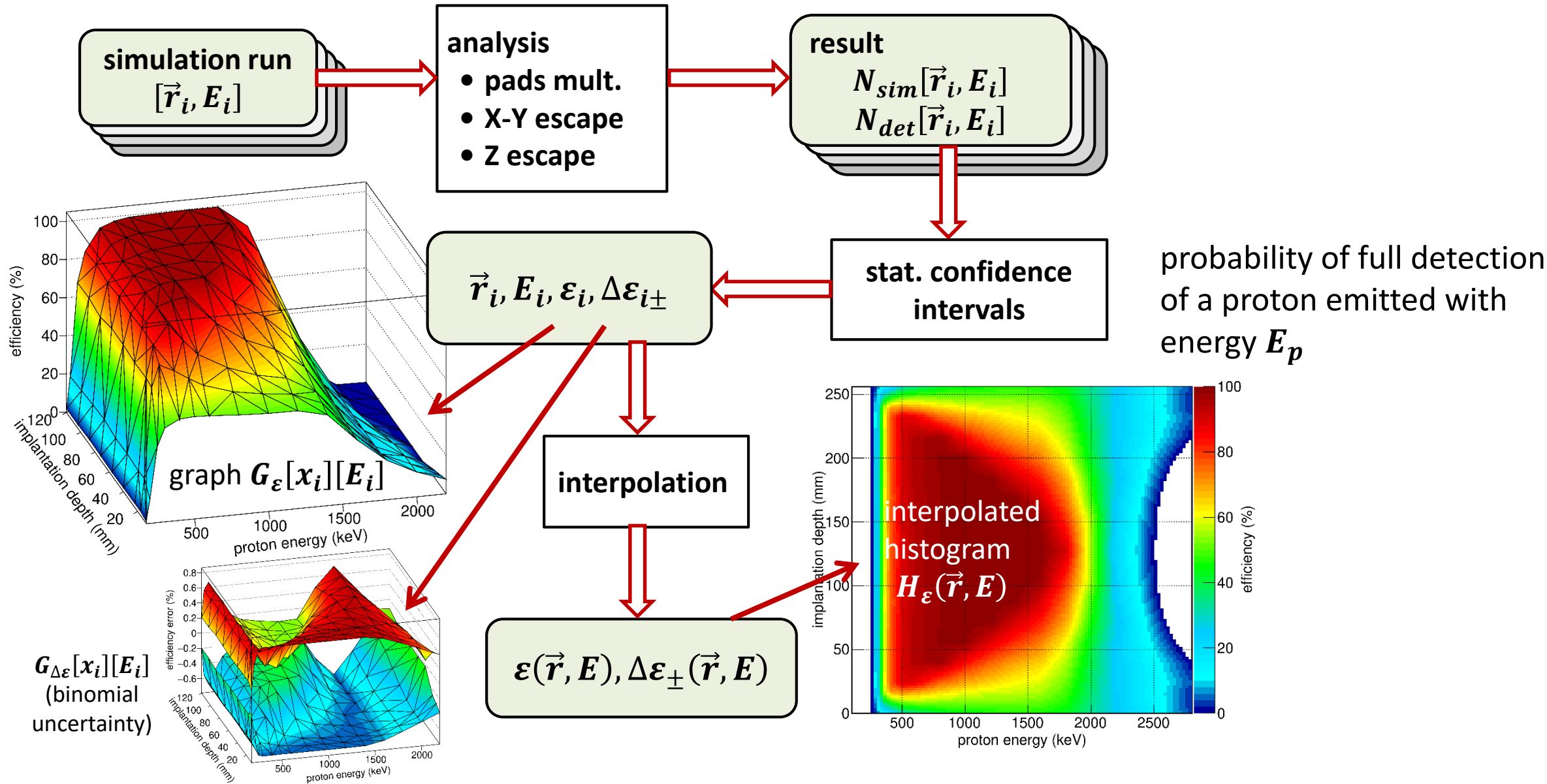
simulation is only
the first step



detection efficiency

intrinsic efficiency...

$$\varepsilon_p(\vec{r}, E_p)$$



detection efficiency

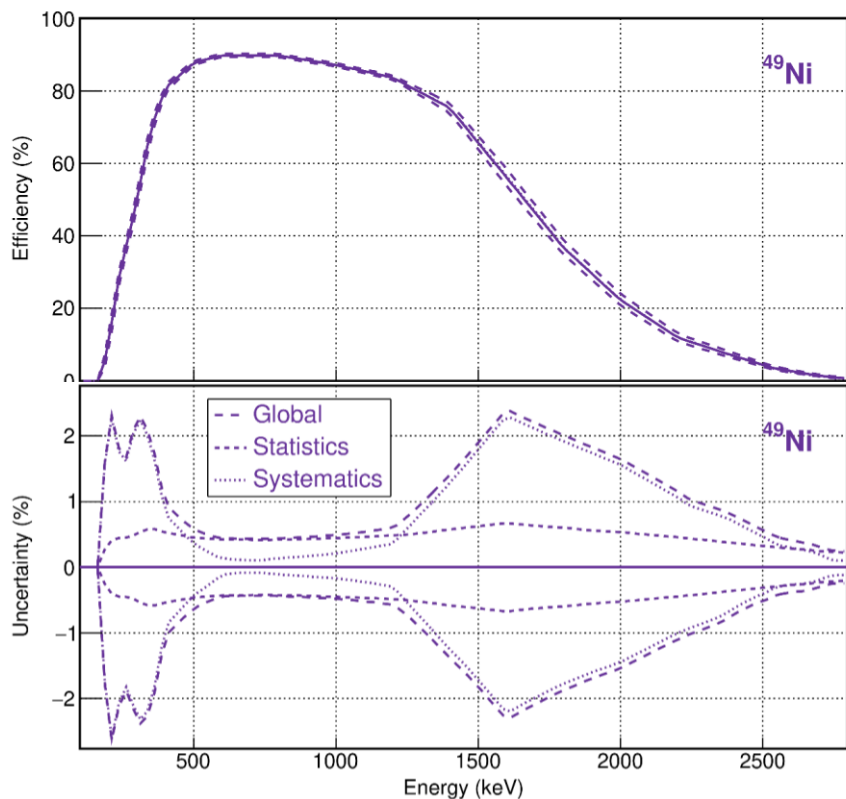
intrinsic efficiency...

...convoluted with experimental implantation

distribution for nucleus Y

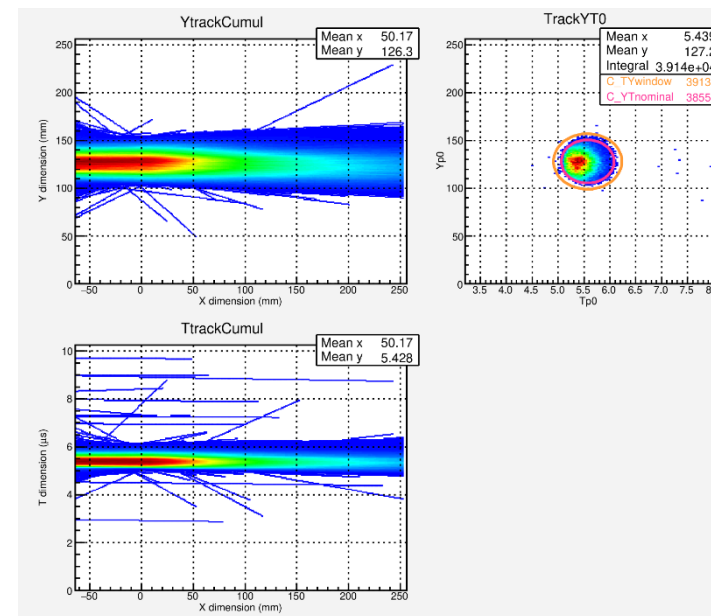
$$\varepsilon_Y(E_p) = \varepsilon_p(\vec{r}_Y, E_p) \otimes \mathcal{P}_Y(\vec{r}_Y)$$

beam parallel to X axis: $\vec{r} \leftrightarrow x$



uncertainty:

- **statistics**
number of sim. events
- **systematics**
+ simul. param.: *pressure, ampl., disp., noise, TZ profile...*
+ analysis param.: *threshold, escape cuts*
(see further)



ACTAR TPC simulations main lines

simulation

purpose is **not the full reproduction of the experiments**

(unlike particle physics)

estimate the number of protons escaping full detection

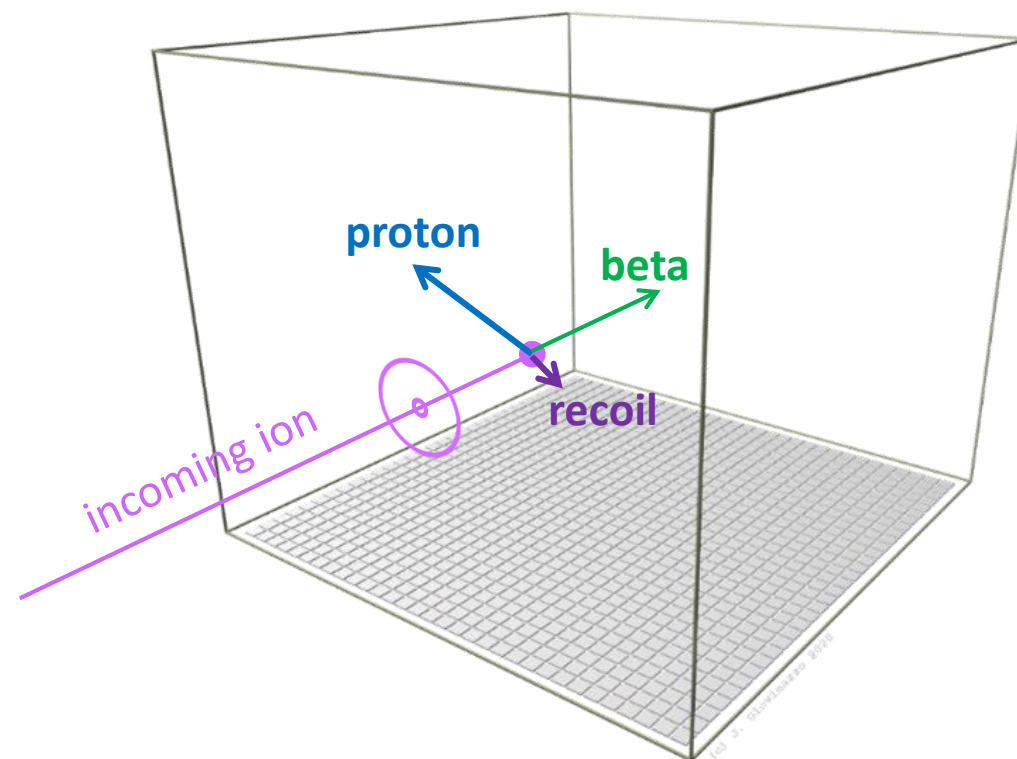
simulation: event generator

event
generator

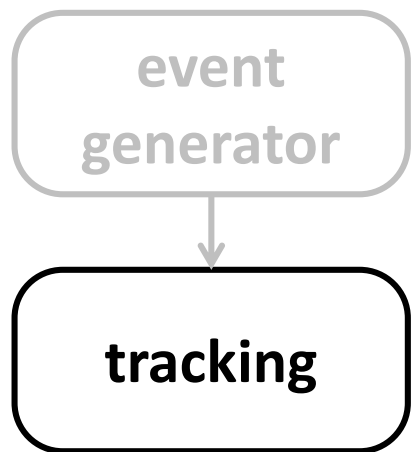
simple *ad hoc* generator

implantation basically not needed
(but backward tracking for E690 – see further...)

generate primary particles at
any (implantation) point
→ direction
→ energy



simulation: tracking



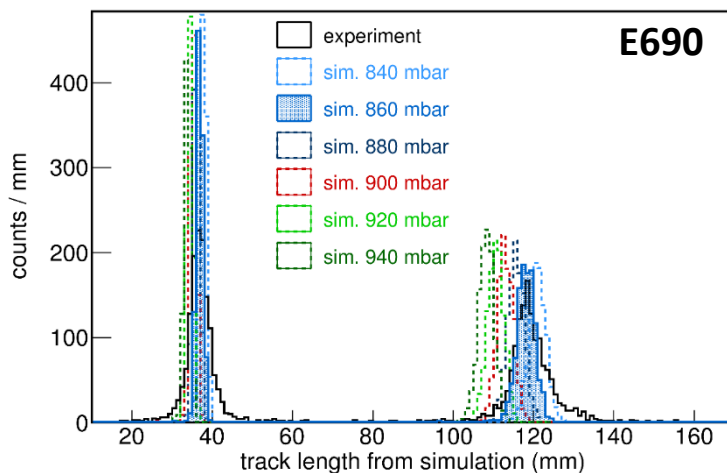
tracking with Geant4

basically a simple gas volume with particles travelling inside

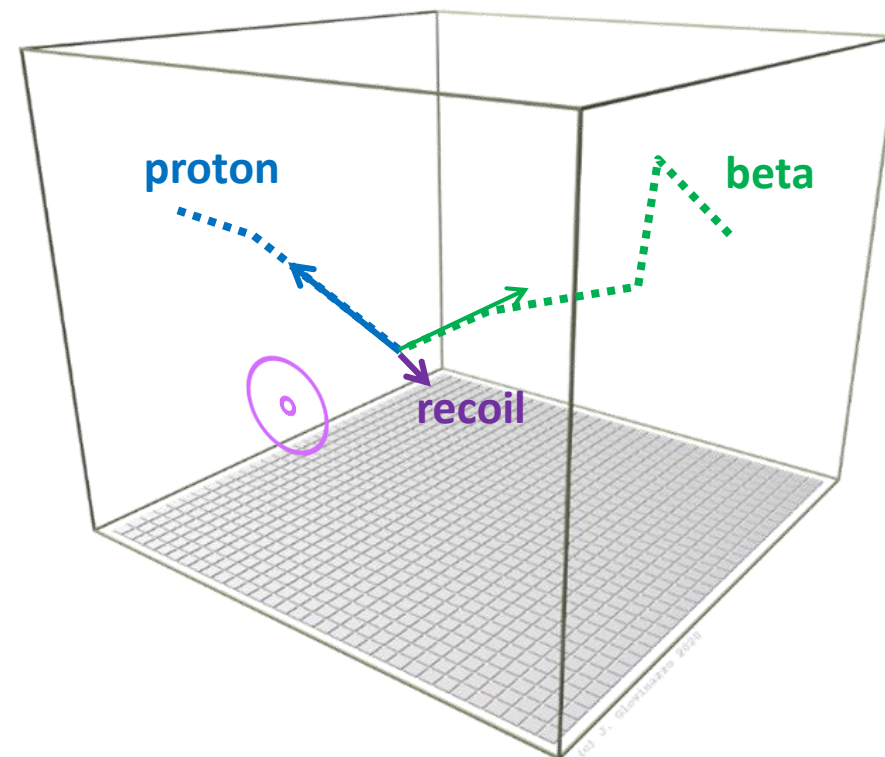
- **primary vertex**
- **tracking of primary particle**
recording all steps / hits

tracking parameters

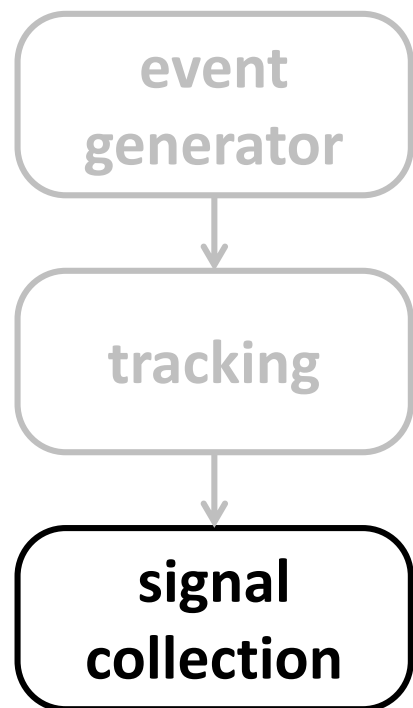
- **gas pressure**
- **physics list** (processes)



→ energy loss along the particles path

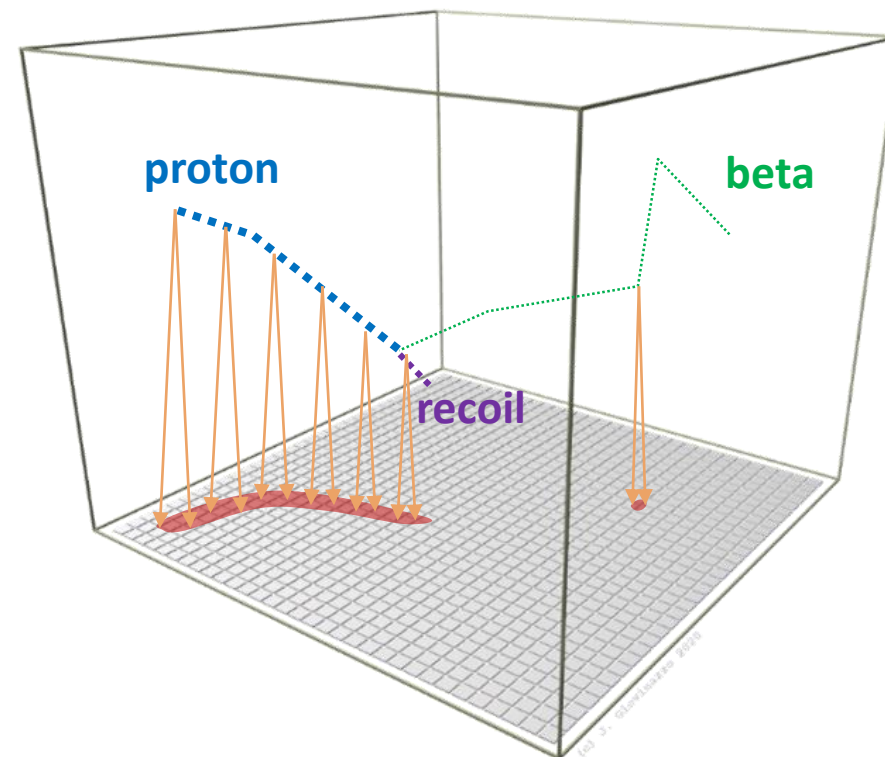


simulation: signal collection

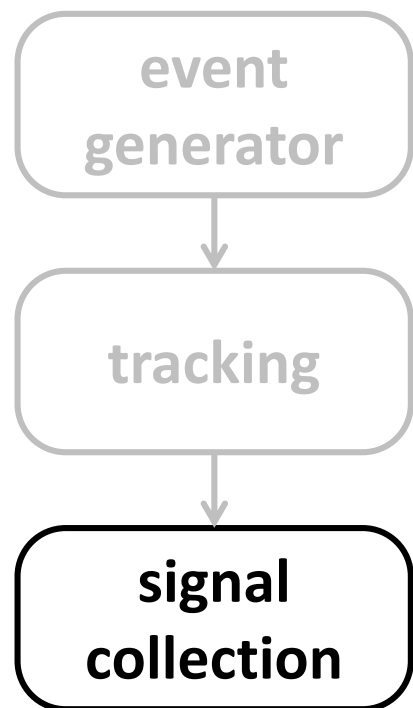


drift of ionization signal

- from tracking steps energy loss
- parameter: **drift velocity** (from exp. data)
→ Z to T conversion



simulation: signal collection



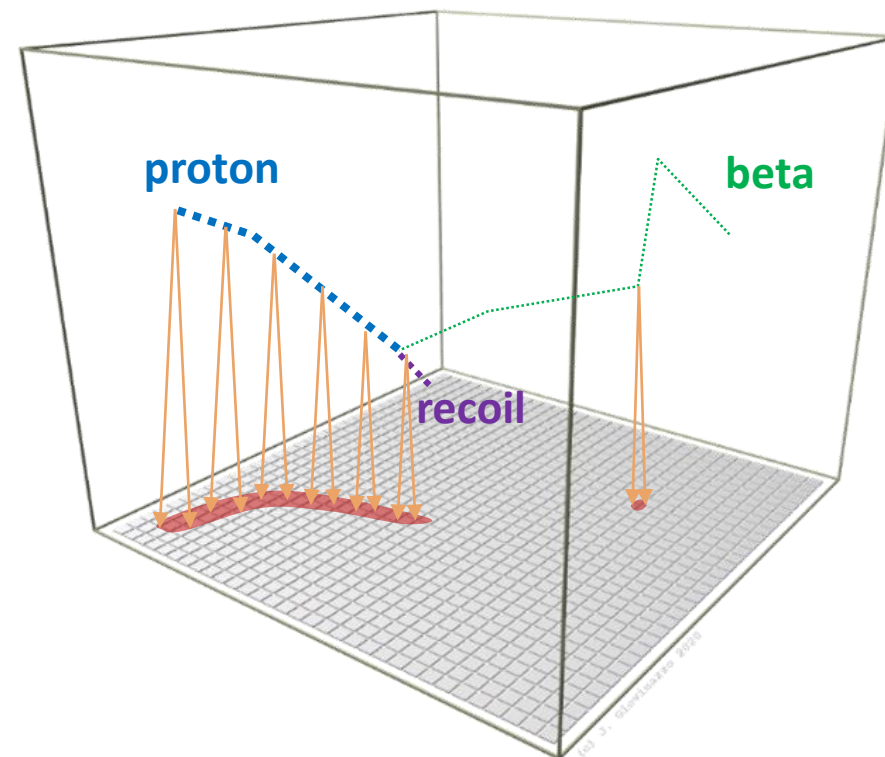
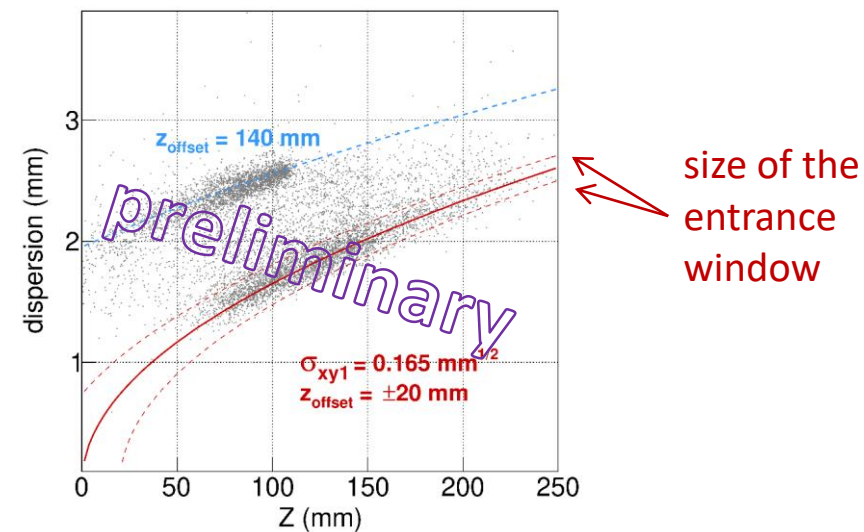
drift of ionization signal

- from tracking steps energy loss
- parameter: **drift velocity** (from exp. data)
→ Z to T conversion

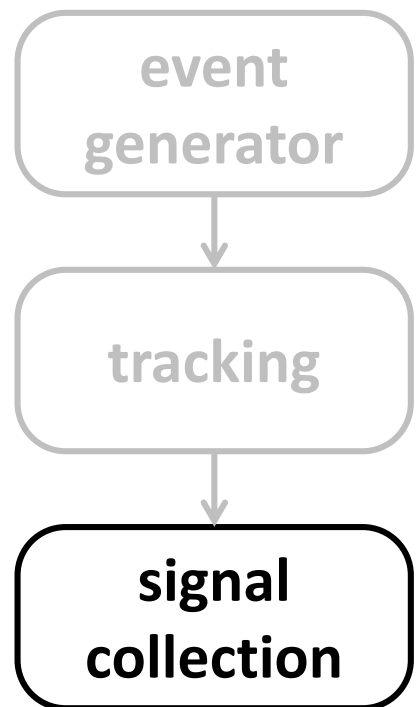
signal dispersion

- 3D Gaussian dispersion (XY & Z/T)
- dependence with drift path:

$$\sigma_{XY/T}(z) = \sigma_{0_{XY/T}} + \sigma_{1_{XY/T}} \cdot \sqrt{z}$$



simulation: signal collection



drift of ionization signal

- from tracking steps energy loss
- parameter: **drift velocity** (from exp. data)
→ Z to T conversion

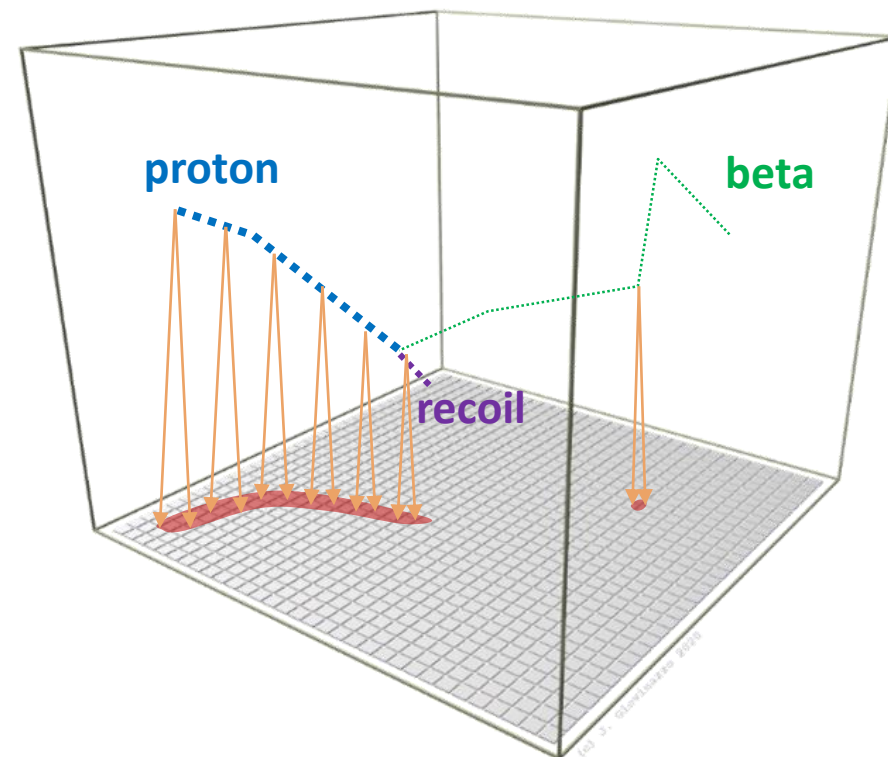
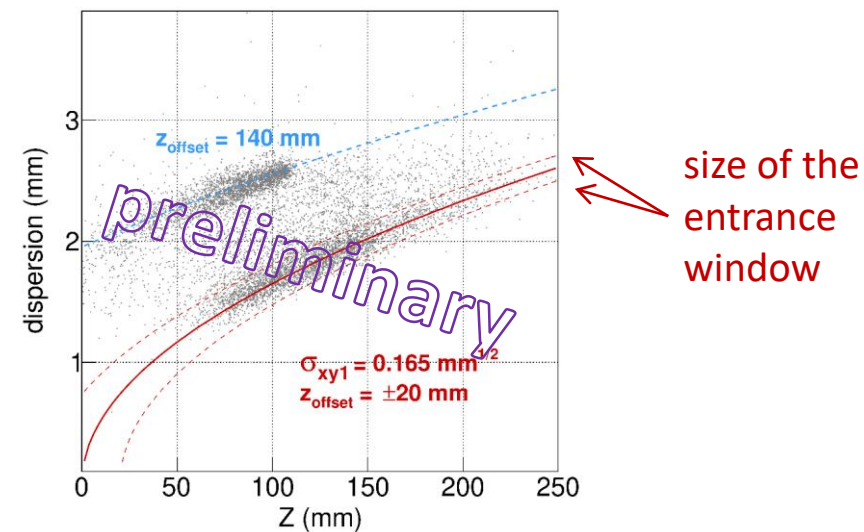
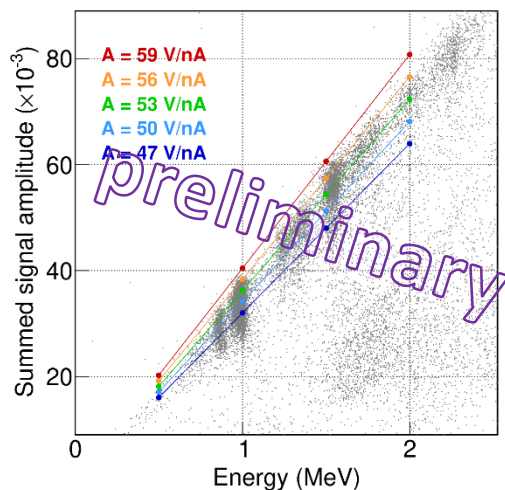
signal dispersion

- 3D Gaussian dispersion (XY & Z/T)
- dependence with drift path:

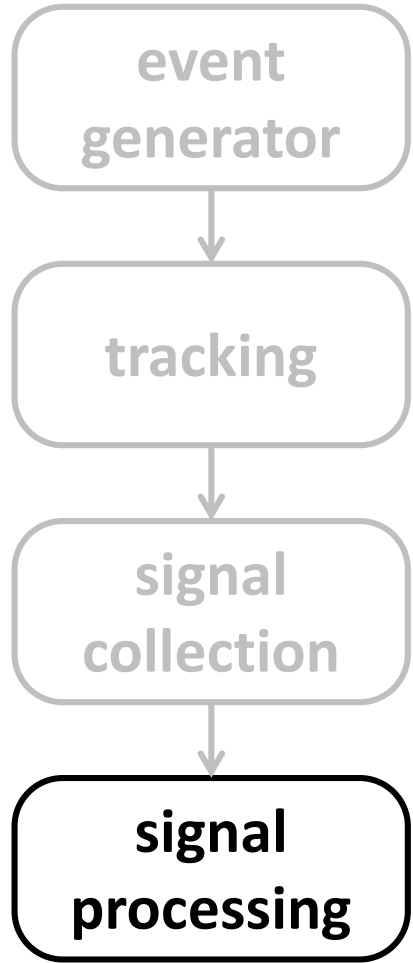
$$\sigma_{XY/T}(Z) = \sigma_{0_{XY/T}} + \sigma_{1_{XY/T}} \cdot \sqrt{Z}$$

amplification

- collection **gain** from micromesh
- adjusted from known proton energies (after processing...)



simulation: signal processing



electronics response function

charge preamp. + shaper from
GET electronics

- theoretical R.F. (P. Baron):

$$H(t) = A \cdot e^{-3t/\tau} \cdot (t/\tau)^3 \cdot \sin(t/\tau)$$

- effective analytical R.F.:

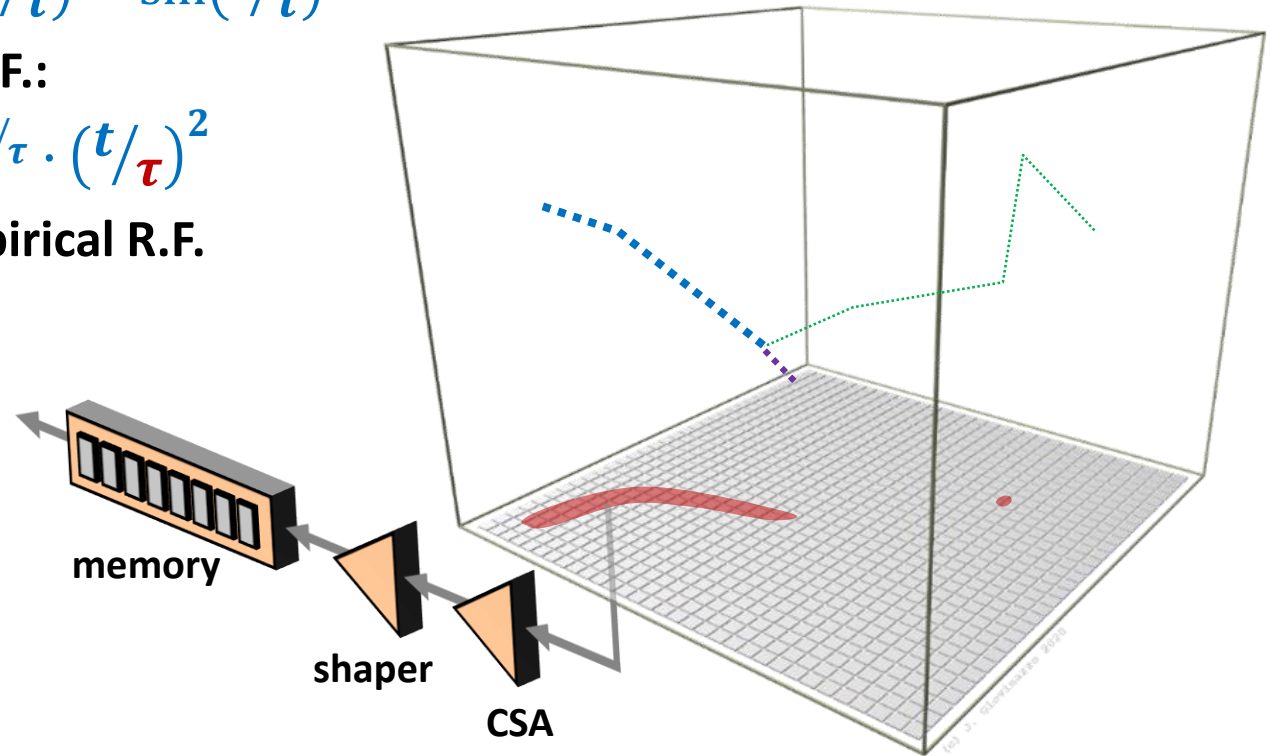
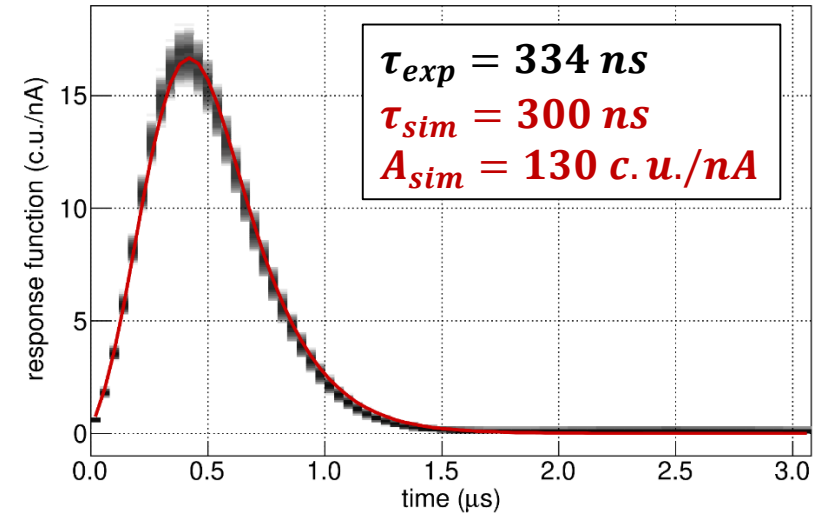
$$H(t) = A \cdot e^{-2t/\tau} \cdot (t/\tau)^2$$

- comparison with empirical R.F.

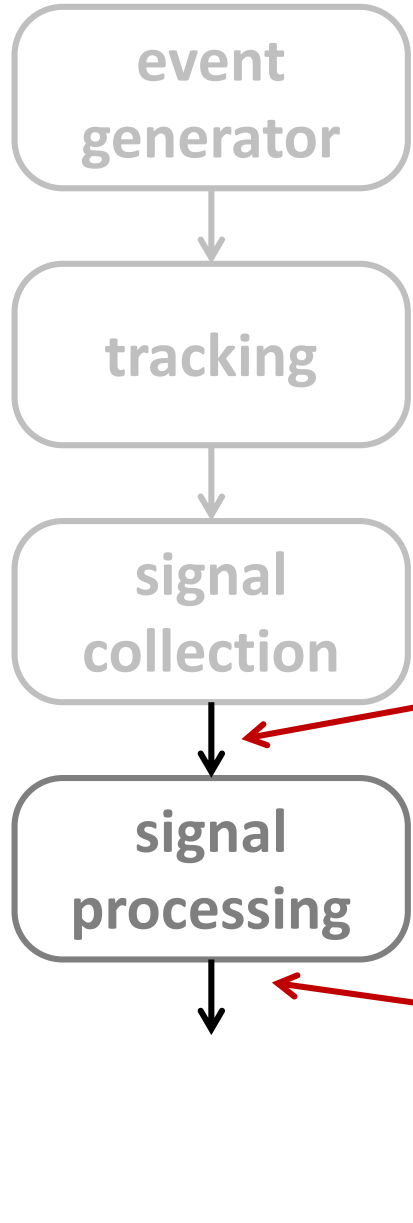
2 parameters:

→ amplification (**A**)

→ shaping time (**τ**)



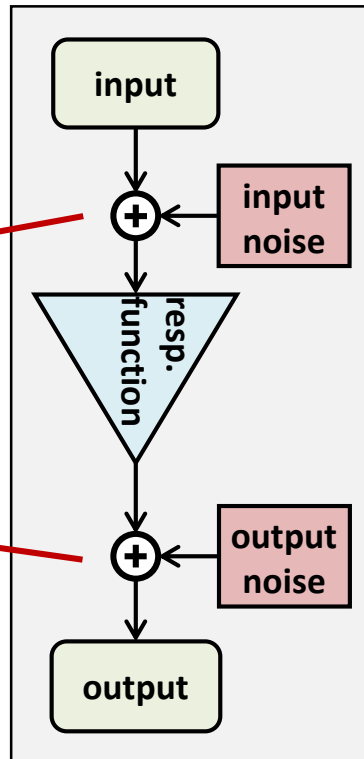
simulation: fluctuations and noise



more realistic signals ?

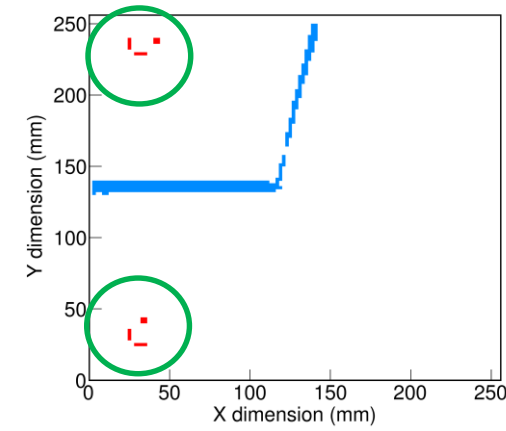
input & output (Gaussian) noise
amplitude for simulation

- input noise filtered by resp. function
- output noise not modified



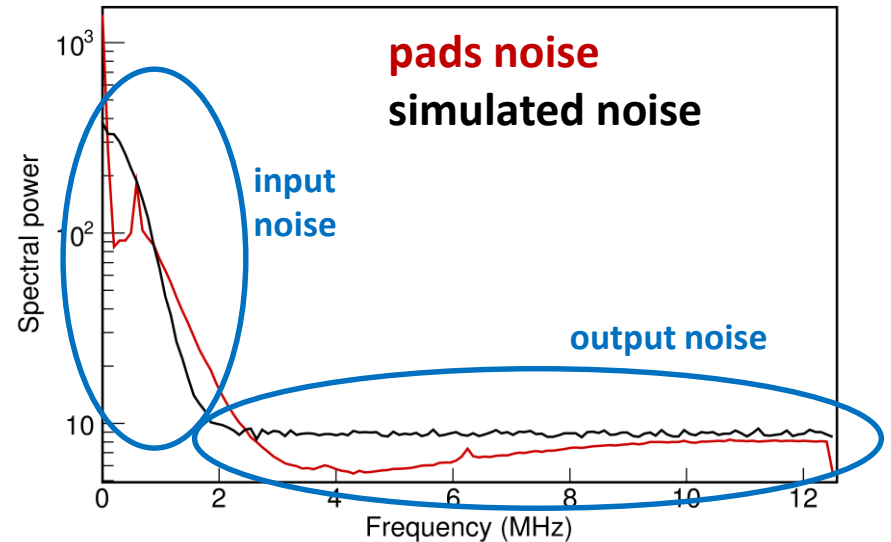
chip architecture
effects no reproduced

input noise constraints:
power vs filtering (shaper)

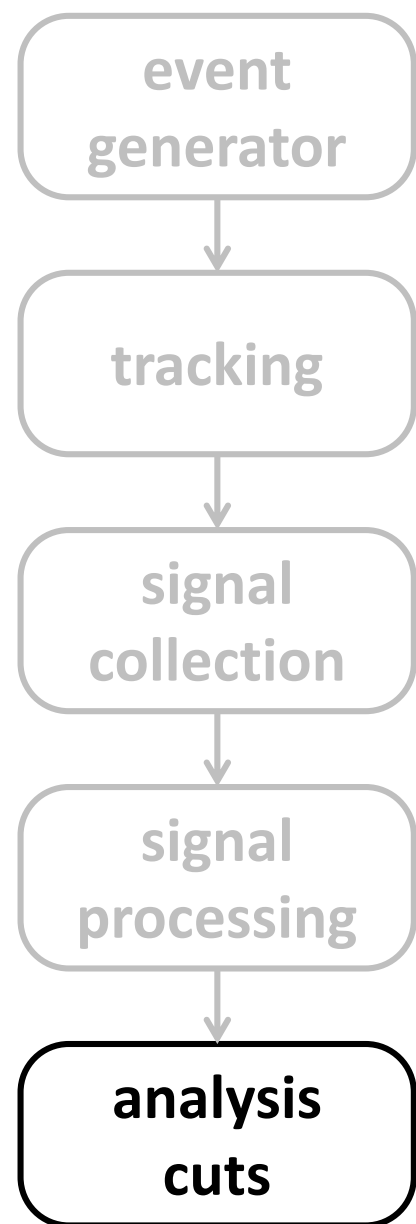


analysis of spectral power distribution
adjust noise on experimental S.P.D.

- from pads in “read always” pads (if no signal)
- from events with no signal



analysis cuts



simulation → tracks signal on each pad

include exp. data analysis parameters

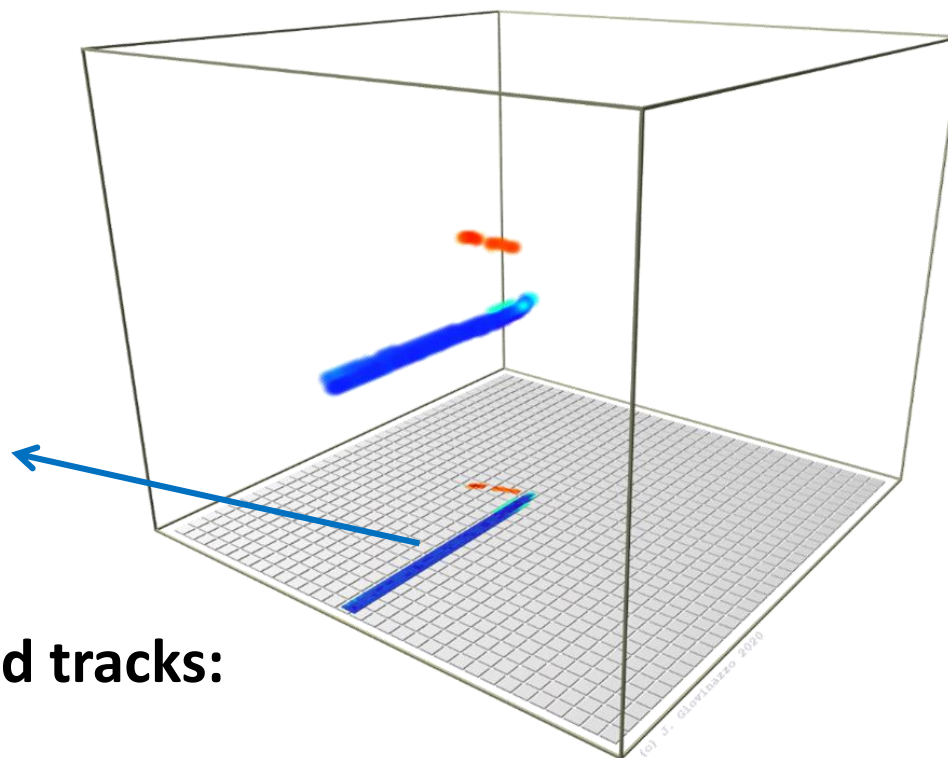
- bad pads suppression
- pad validation from signal **threshold**
- global trigger **multiplicity**
- number of **border pads** for for escape condition

for E690

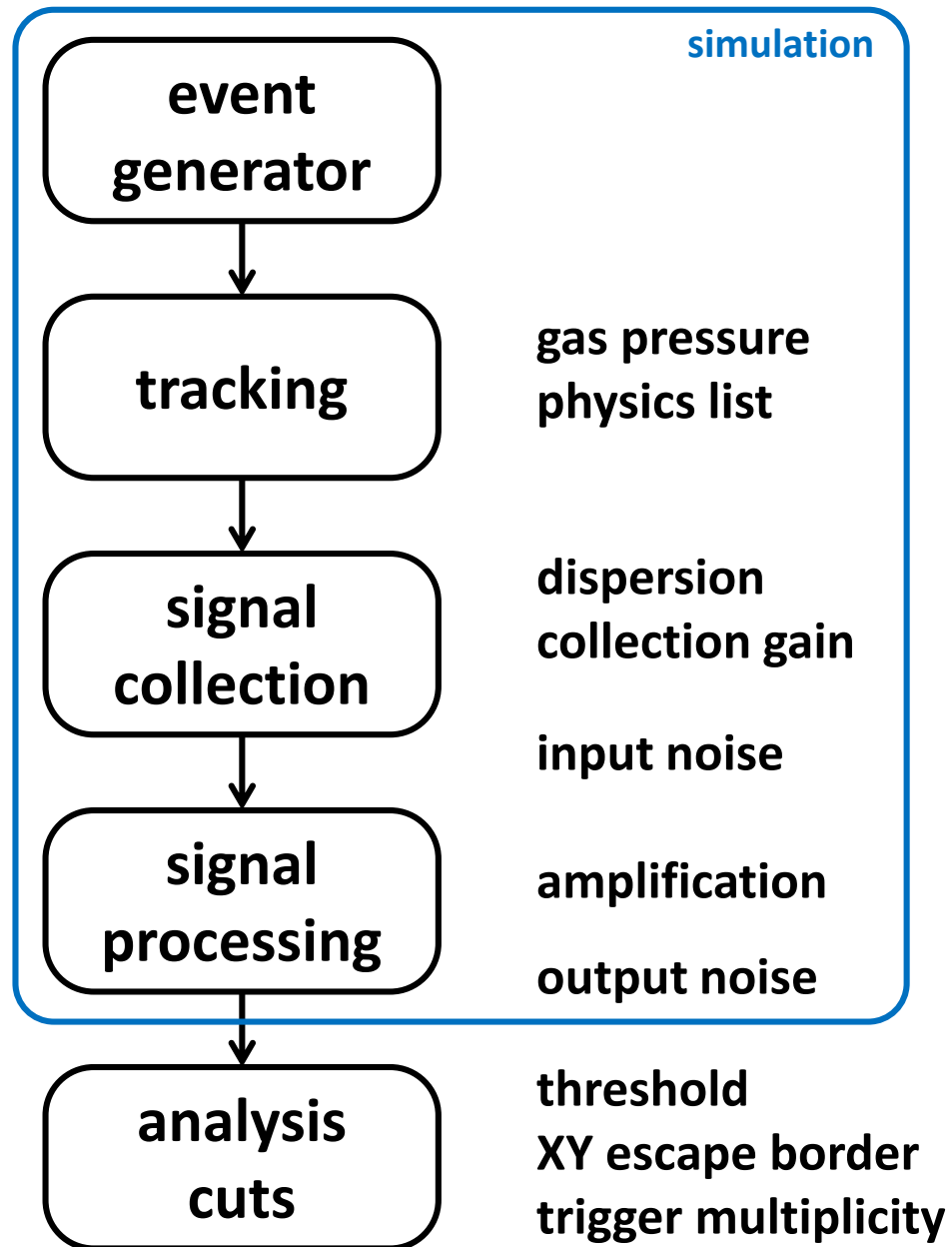
- suppression of pads “hidden” by implantation signal
ion track back-traced according to experiment directions distribution for ion pads suppression



number of fully reconstructed tracks:
detection efficiency



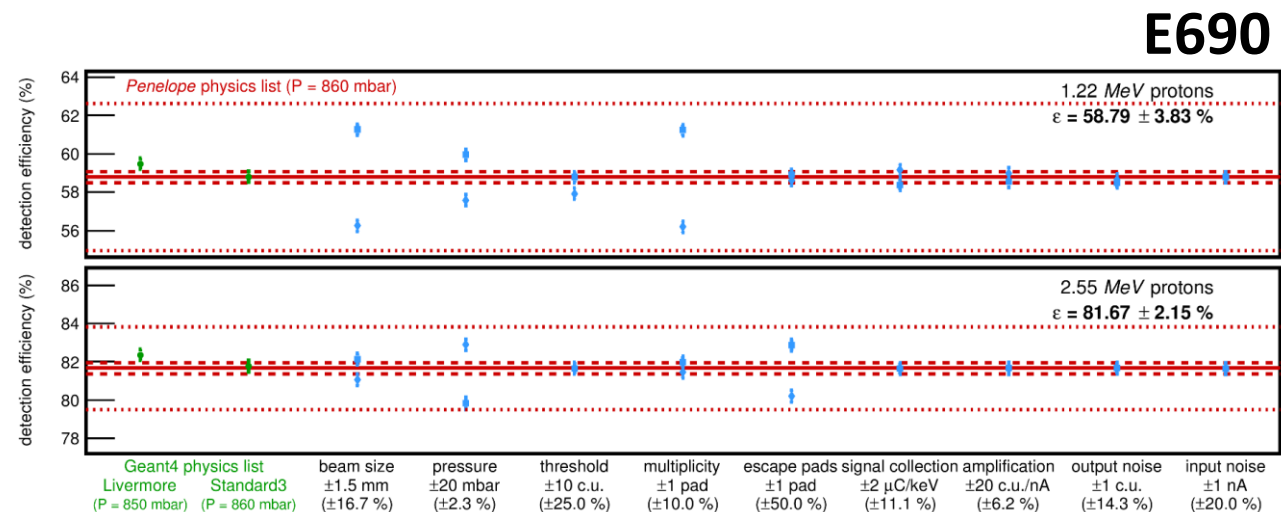
efficiency uncertainties



all parameters need to be considered in resulting efficiency error budget

some correlated parameters heavy to take into account (not difficult)

$(N_{par}^2 \times \text{computing time})$



simulations for tracks analysis

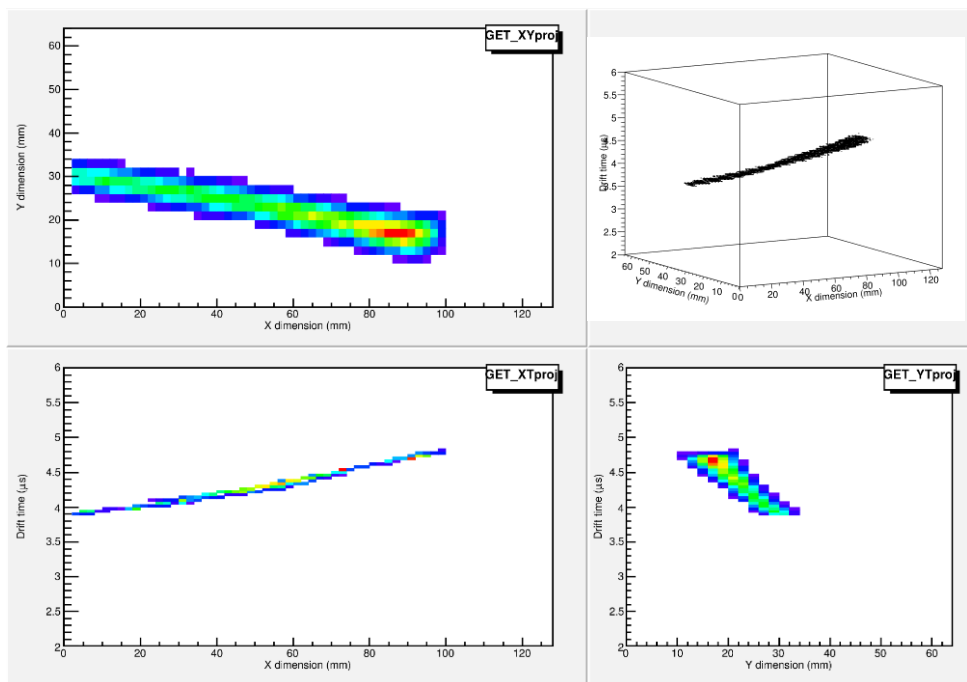
tracks analysis

“standard” analysis

signal amplitude + CFD timing

2D (X,Y) A & T

→ $2 \times 16\text{k} = 32\text{k data}$

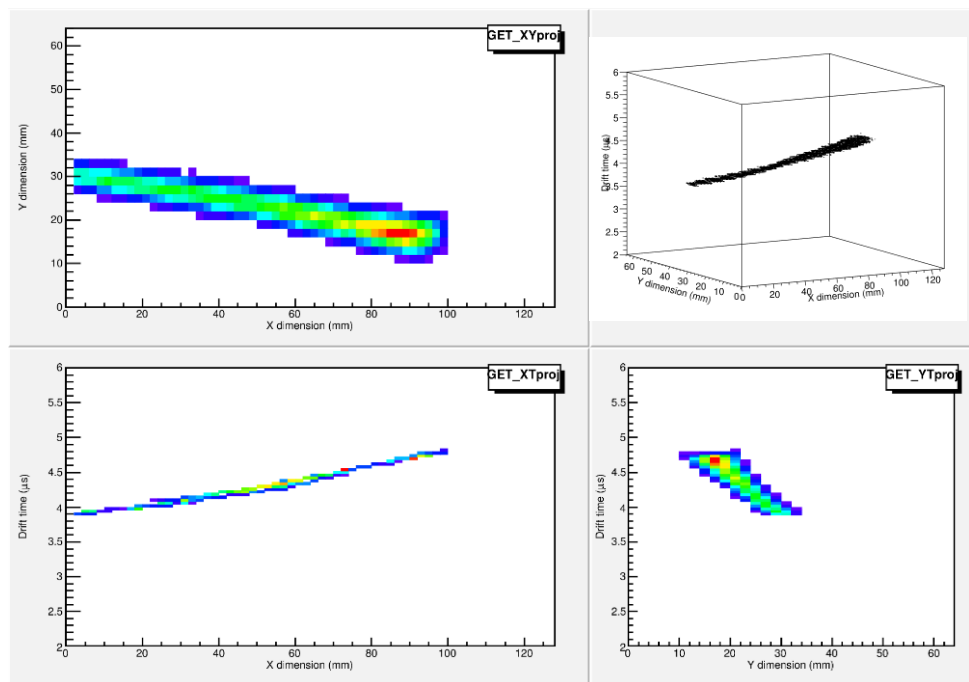


tracks analysis

“standard” analysis

signal amplitude + CFD timing
2D (X,Y) A & T

→ $2 \times 16k = 32k$ data

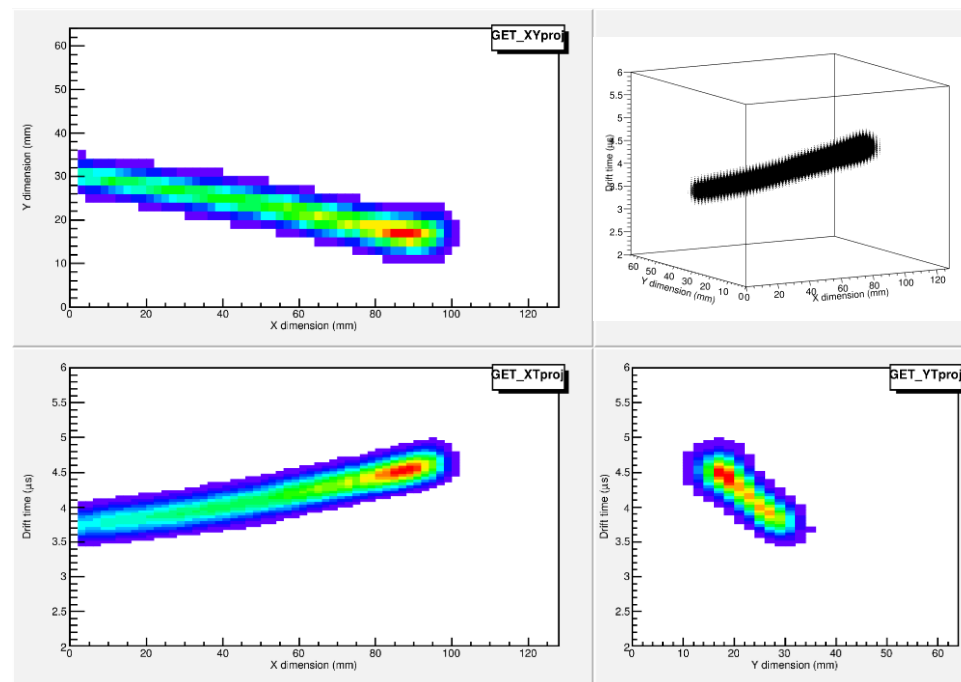


deconvolution analysis

→ response functions for each channel
full 3D (X,Y,T) signal distribution (from FFT)

→ $512 \times 16k = 8000k$ data

JG, NIM A 2020



analysis / computing cost
×200 !!

tracks analysis

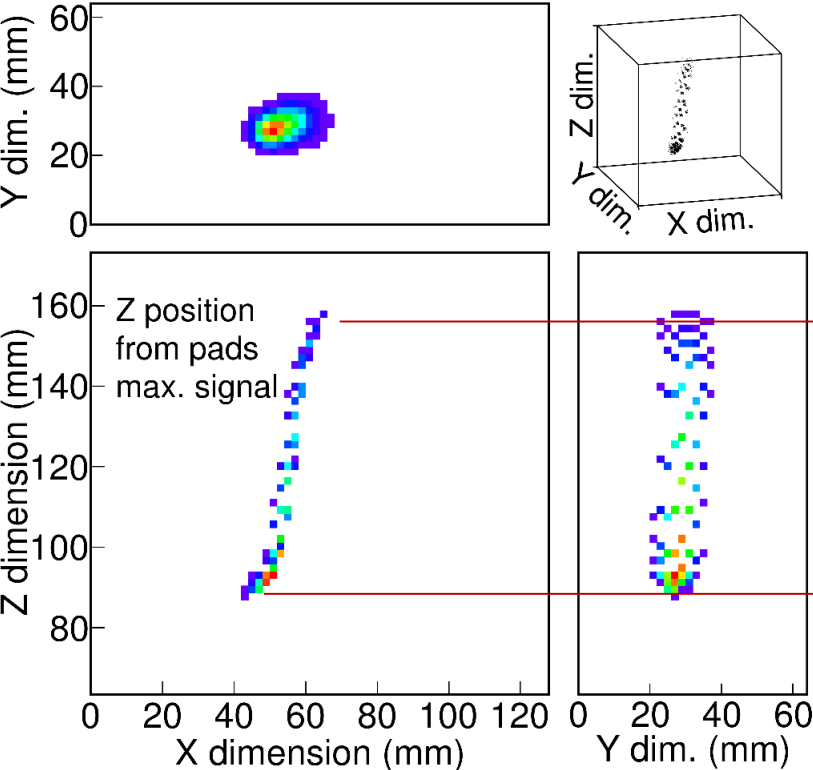
“standard” analysis

signal amplitude + CFD timing

2D (X,Y) A & T

→ $2 \times 16k = 32k$ data

problem at large
vertical angles

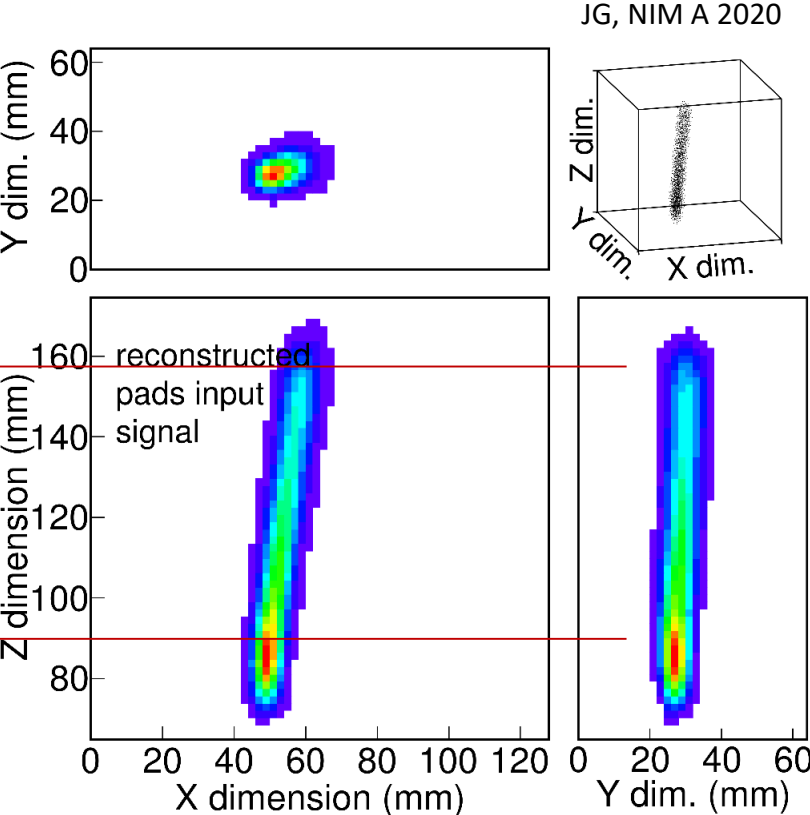


deconvolution analysis

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→ $512 \times 16k = 8000k$ data



tracks analysis

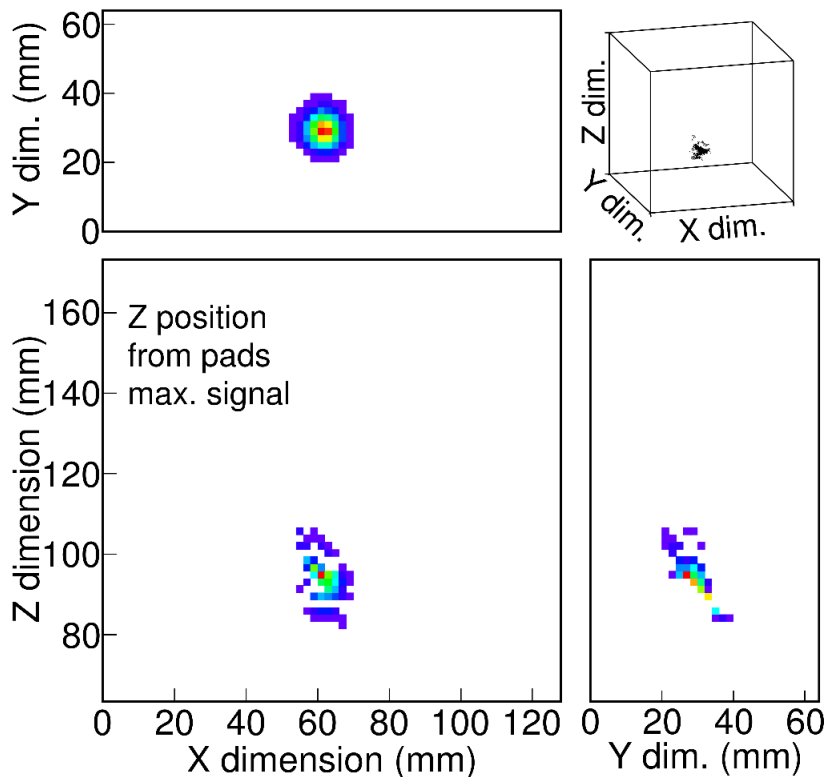
“standard” analysis

signal amplitude + CFD timing

2D (X,Y) A & T

→ $2 \times 16k = 32k$ data

*problem at large
vertical angles*

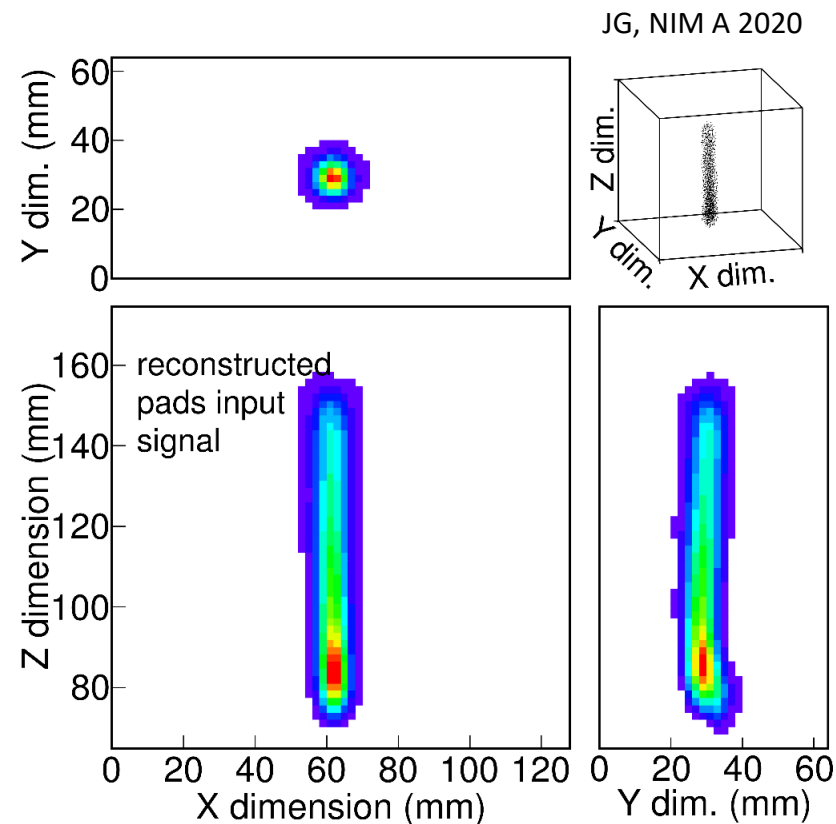


deconvolution analysis

→ **response functions for each channel**

full 3D (X,Y,T) signal distribution (from FFT)

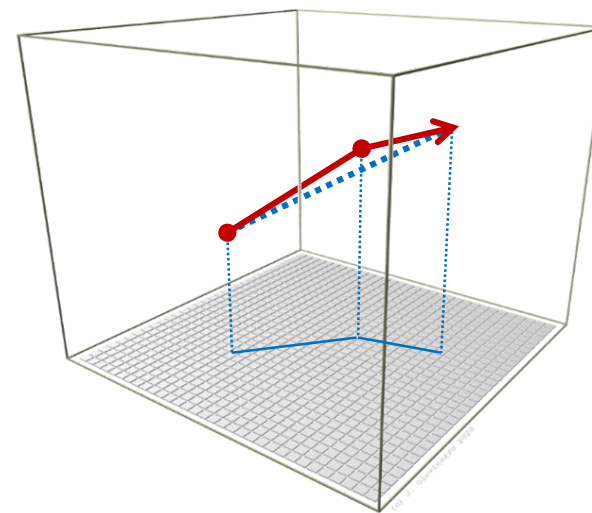
→ $512 \times 16k = 8000k$ data



tracks fitting

- 2D ampl. + time → 2×16k pads (A+T)
- full 3D rec. charge → 512×16k voxels
(deconvolution from R.F.)

- **trajectory** (geometrical) definition
start and stop 3D points
(+ additional control points for segments
or Bézier curves)
→ 3 param. (x, y, t) per point

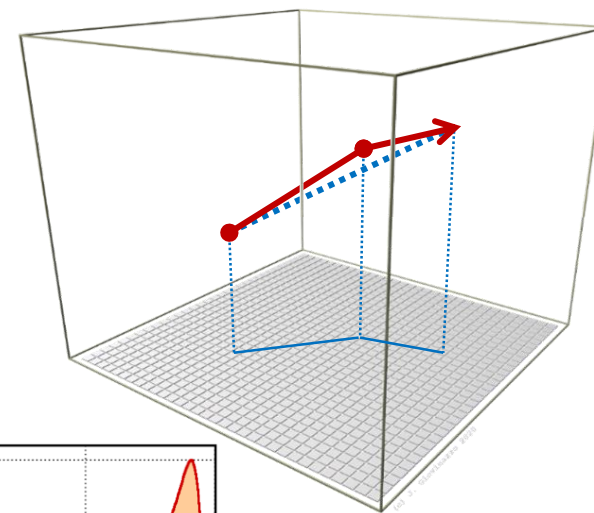
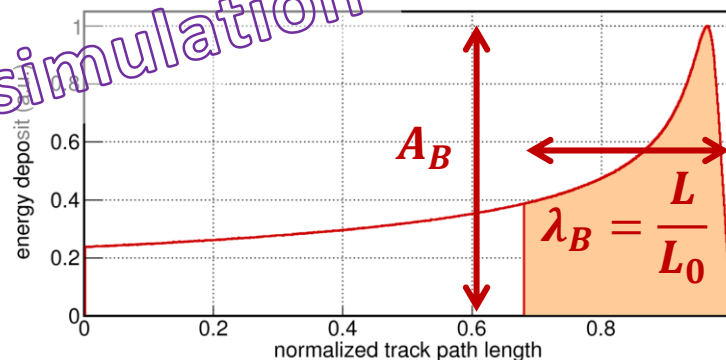


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→ 3 param. (x, y, t) per point
- **Bragg peak model** (energy loss)
projected along the trajectory
amplitude factor (A_B) & length fraction (λ_B)

Geant4
simulation



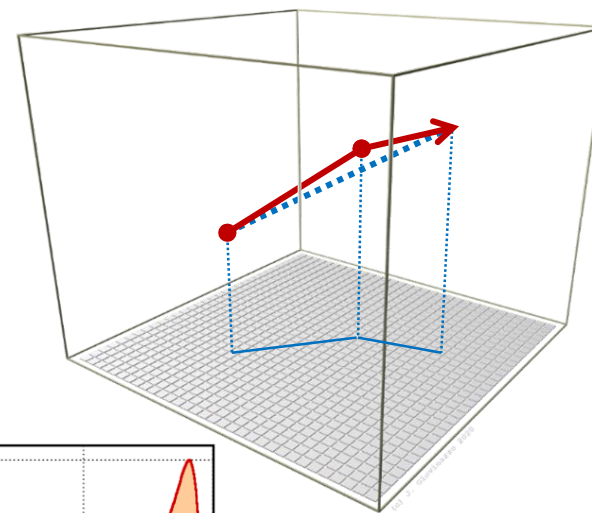
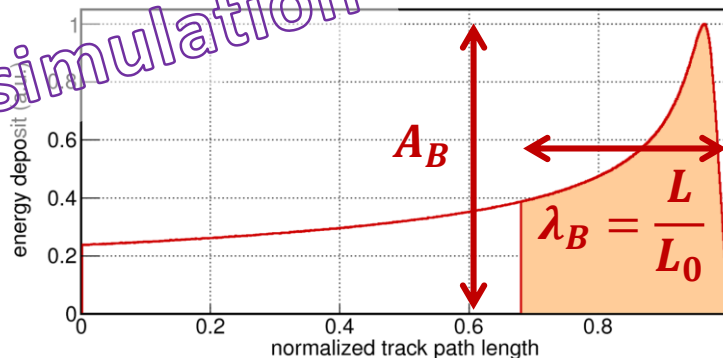
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- **Bragg peak** model (energy loss)
projected along the trajectory
amplitude factor (A_B) & length fraction (λ_B)
- **dispersion** along drift

$$\sigma_{XY/T}(t) = \sigma_{0,XY/T} + \sigma_{1,XY/T} \cdot \sqrt{z(t)}$$

Geant4
simulation



tracks fitting

- 2D ampl. + time → 2×16k pads (A+T)
- full 3D rec. charge → 512×16k voxels
(deconvolution from R.F.)

- **trajectory** (geometrical) definition
start and stop 3D points
(+ additional control points for segments
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projected along the trajectory
amplitude factor (A_B) & length fraction (λ_B)
- **dispersion along drift**

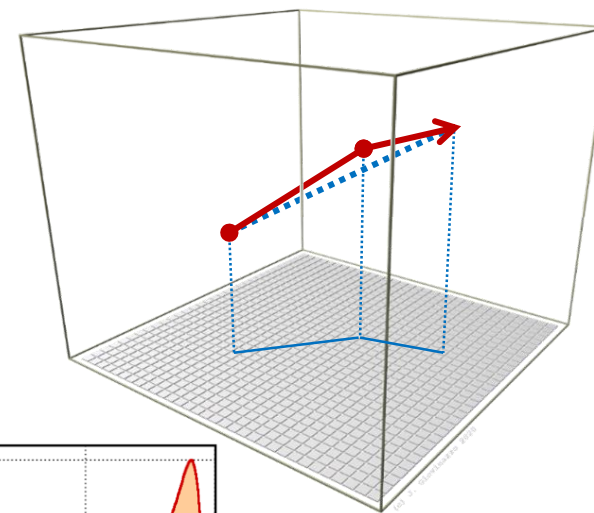
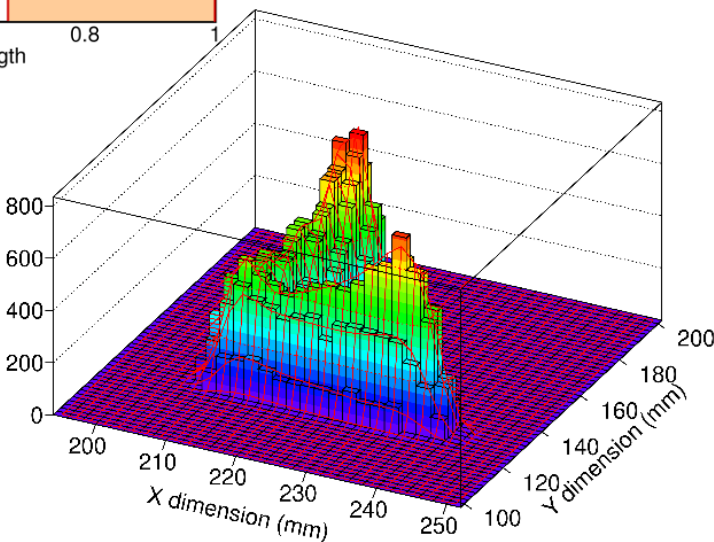
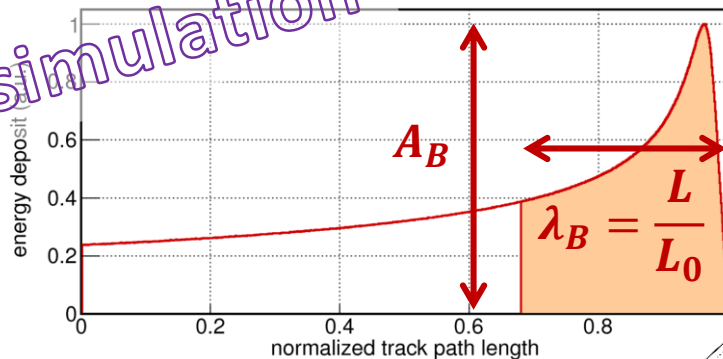
$$\sigma_{XY/T}(t) = \sigma_{0,XY/T} + \sigma_{1,XY/T} \cdot \sqrt{z(t)}$$

→ fit signal function $A_{2D}(x, y|\vec{a})$, $T_{2D}(x, y|\vec{a})$
or $S_{3D}(x, y, t|\vec{a})$

→ comparison to experimental distributions

from fit: **track length** ($\equiv$ energy), **angles** (x-p), **charge** deposit

Geant4
simulation



simulation for tracks fit dispersion

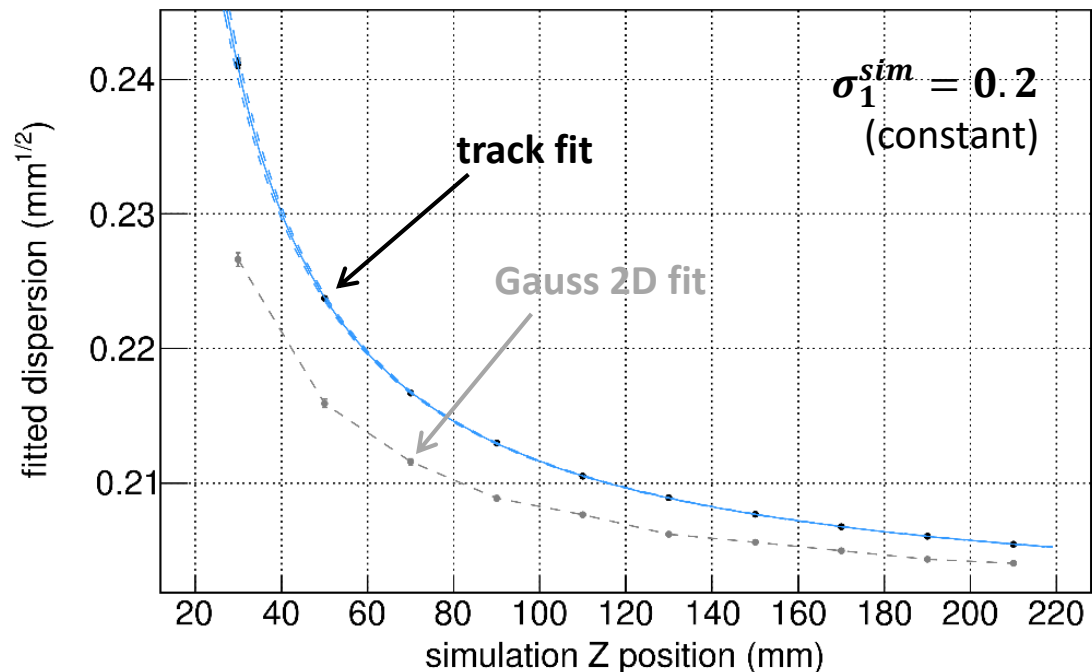
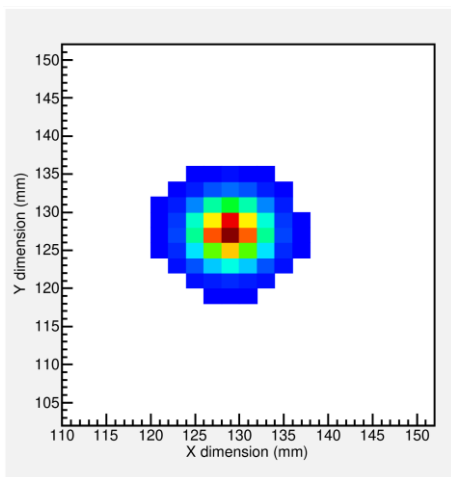
many parameters in fits

dispersion depends on detector conditions, not from events

test fit of “point-like” energy deposit
with $\sigma_{XY} = \sigma_1 \cdot \sqrt{Z}$

→ fixed σ_1 , variation Z of position

→ fixed Z position, variation of σ_1



wrong fit output for dispersion parameter !

simulation for tracks fit dispersion

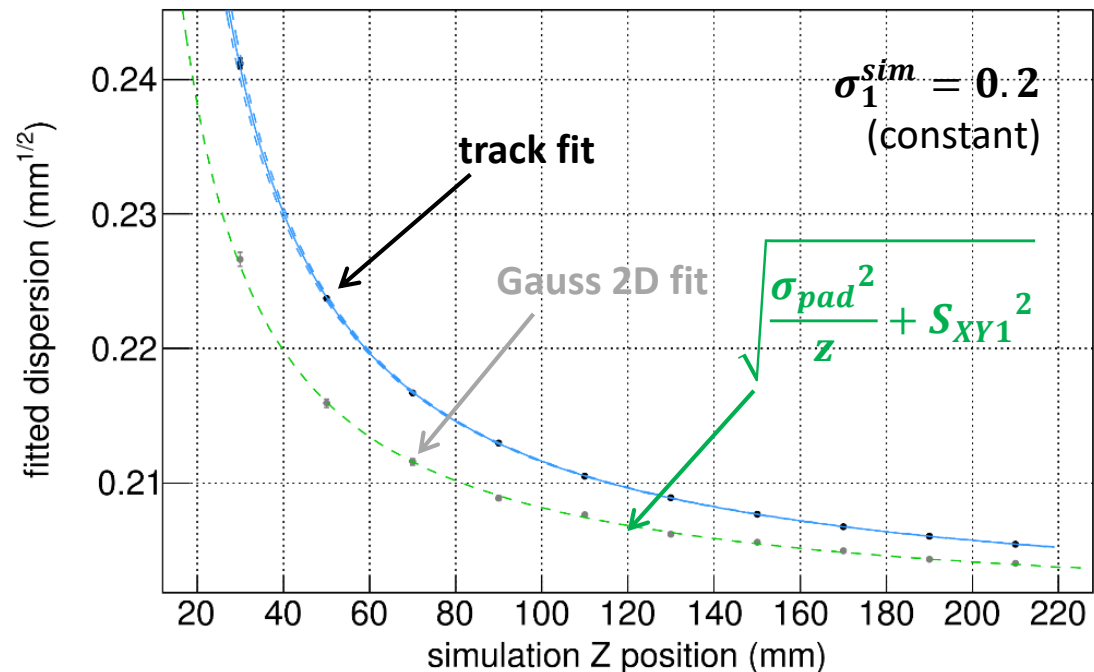
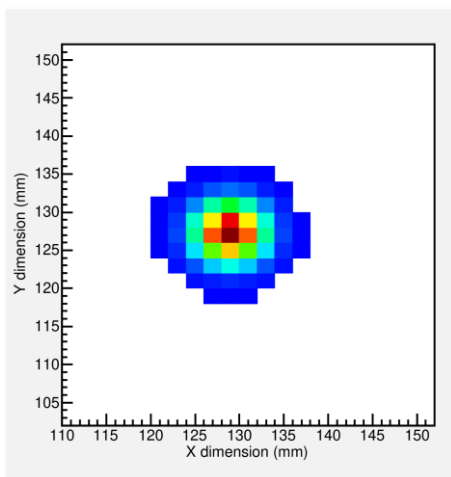
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intrinsic dispersion from pad size

$$\frac{\sigma_{pad}}{\sqrt{Z}} = \frac{\Delta x}{\sqrt{12 \cdot Z}}$$

→ matches simple 2D Gauss fit !!!

simulation for tracks fit dispersion

many parameters in fits

dispersion depends on detector conditions, not from events

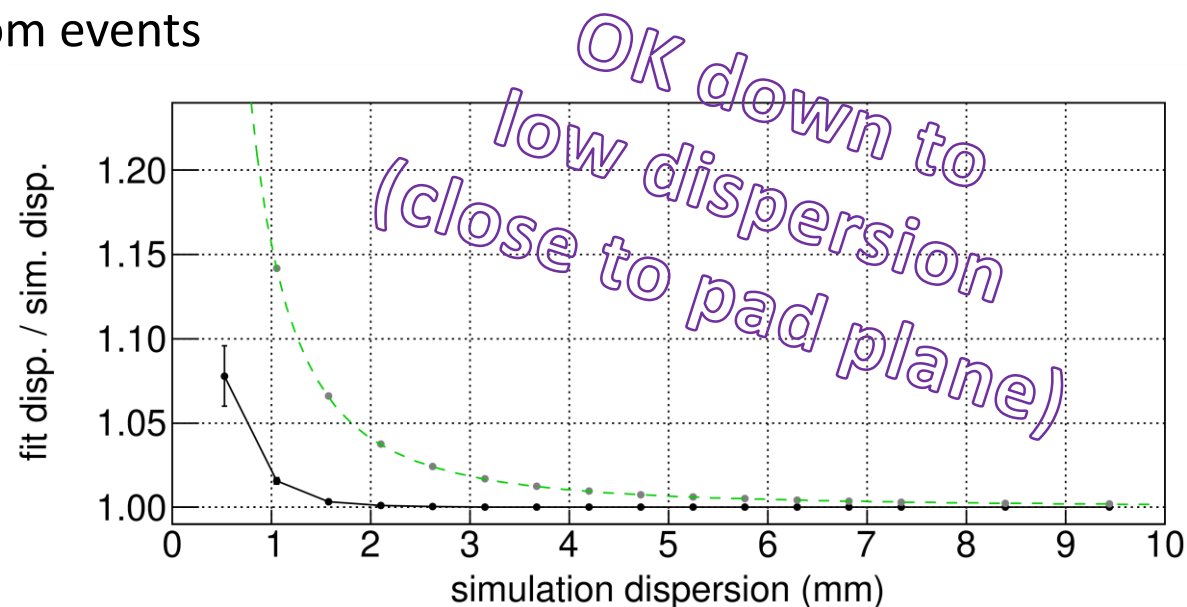
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- $$\sigma_{XY} = \sqrt{(\sigma_{pad})^2 + (\sigma_1 \cdot \sqrt{z})^2}$$



simulation for tracks fit dispersion

many parameters in fits

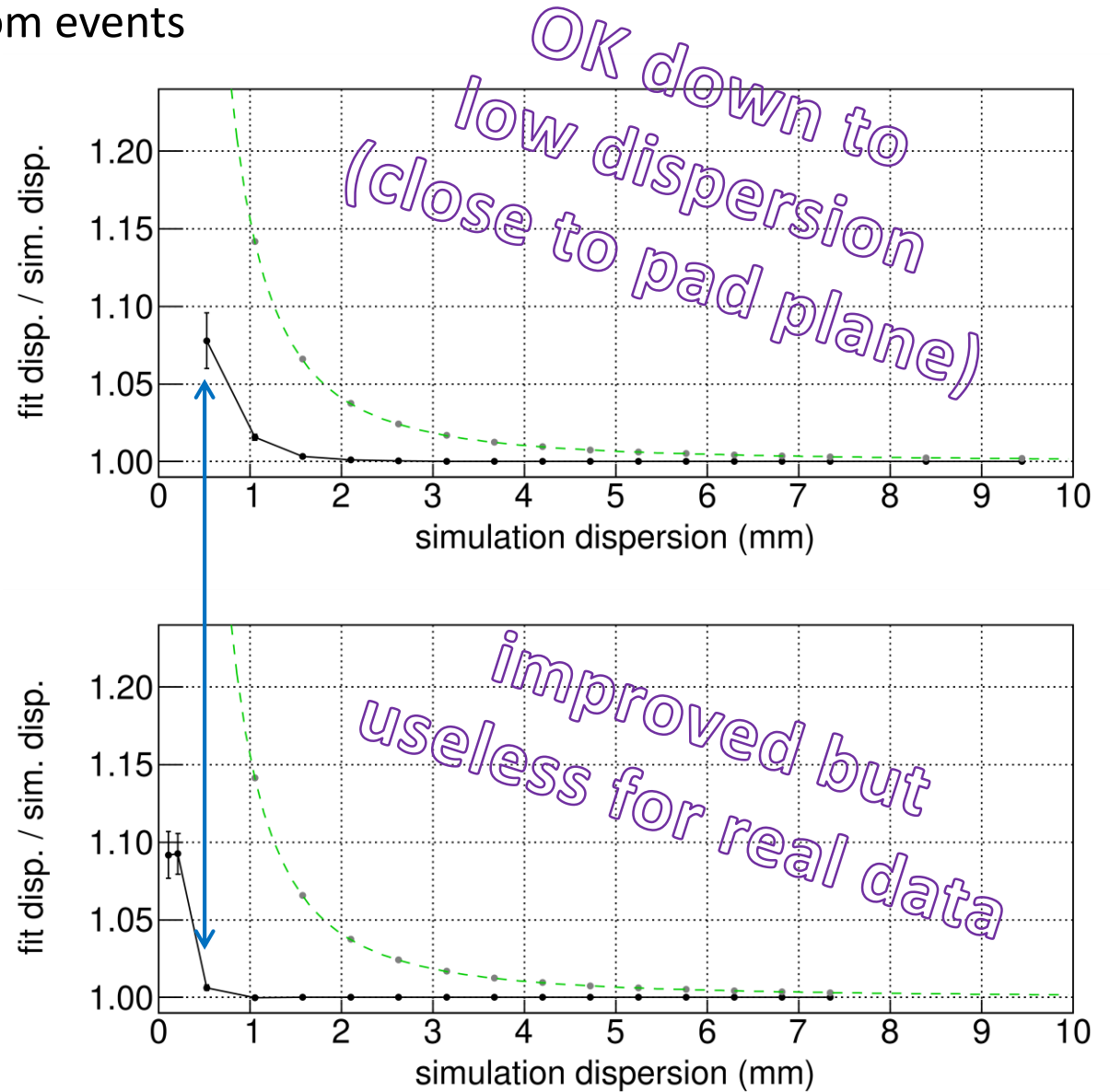
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→ fixed z position, variation of σ_1

- $\sigma_{XY} = \sqrt{(\sigma_{pad})^2 + (\sigma_1 \cdot \sqrt{z})^2}$
- reduced threshold
(cannot be changed in real data !!!)
- analytical integral over pad signal
instead of mean/center value
(4× **erf** function instead of 1× **Gauss**)
→ 20× slower fit...)



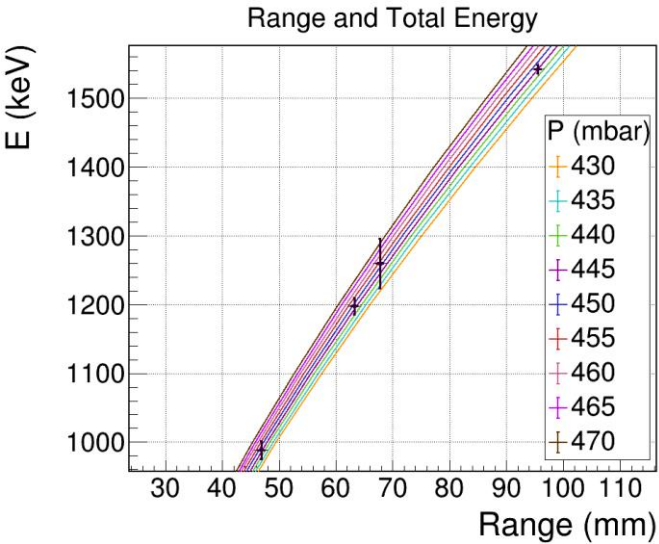
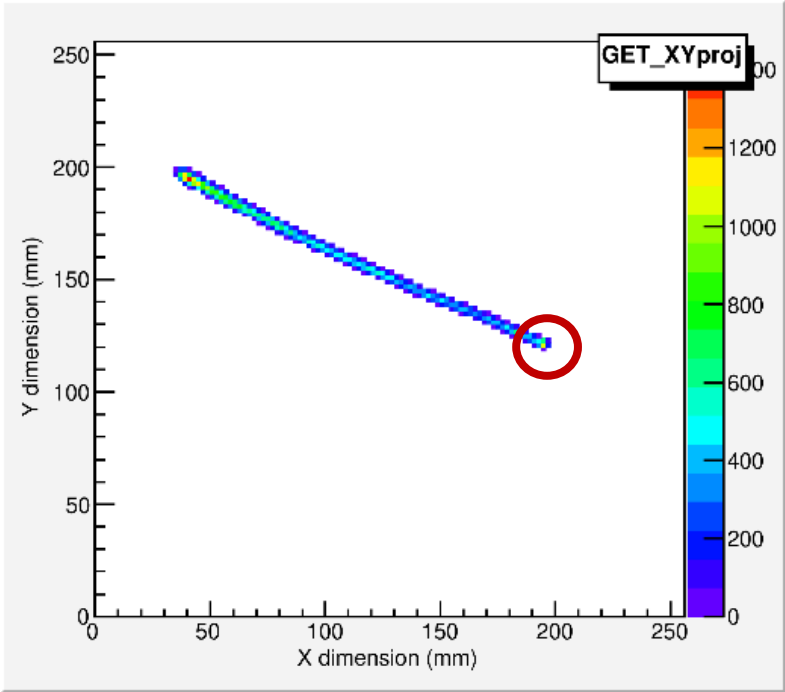
simulation for effect of recoil nucleus

energy calibration (track length $\leftrightarrow$ energy conversion) based on known (β -)proton transitions
calibration curve from SRIM at optimal pressure

recoil nucleus (ion):
~2-3 % of transition energy ($1/A$)
very short range
most likely quenching
neutralization

} **neglected**

Ok for β -p decays
(same conditions)



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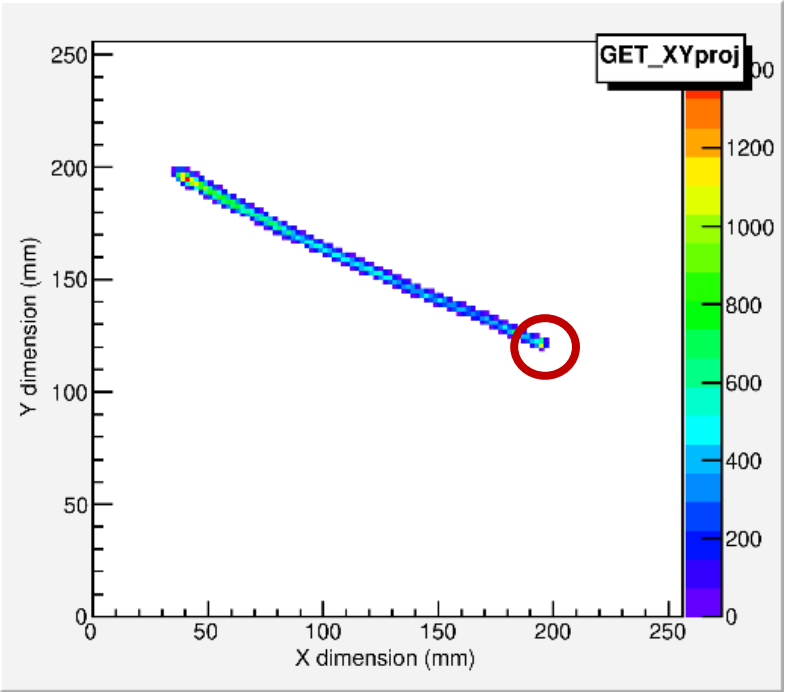
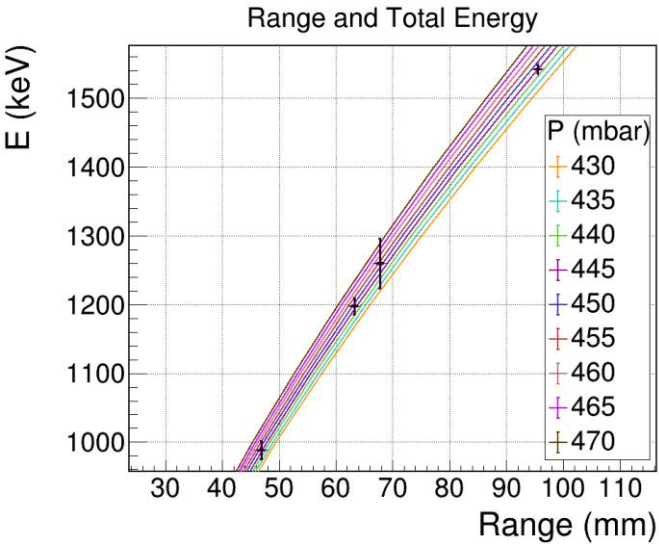
Ok for β -p decays
(same conditions)

problem for 2p decays
measured Q-value lower than previous measurements



momentum conservation

different contribution of recoil with p-p angle



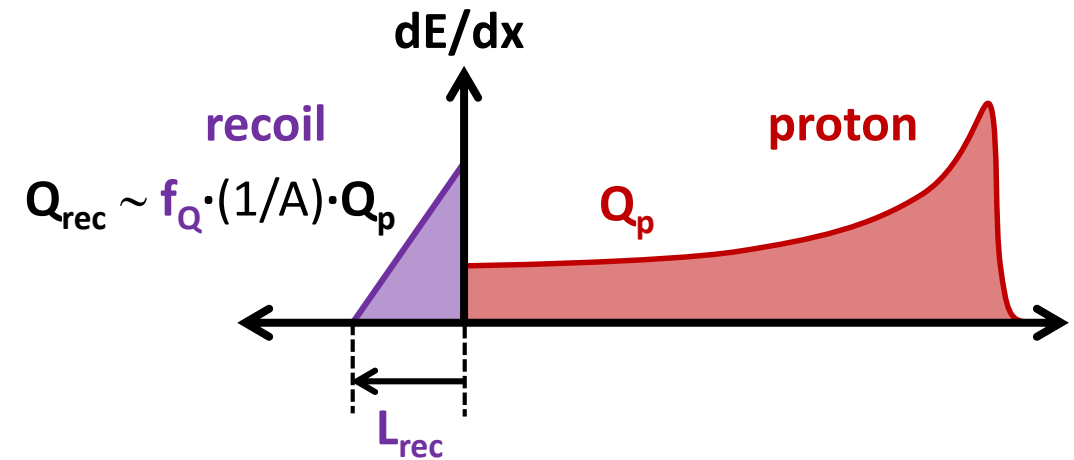
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(recoil from β neglected)



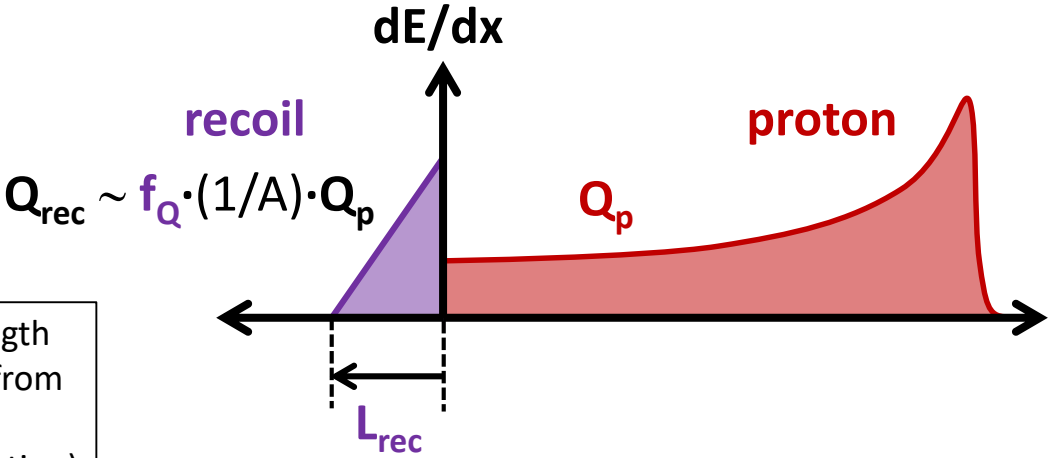
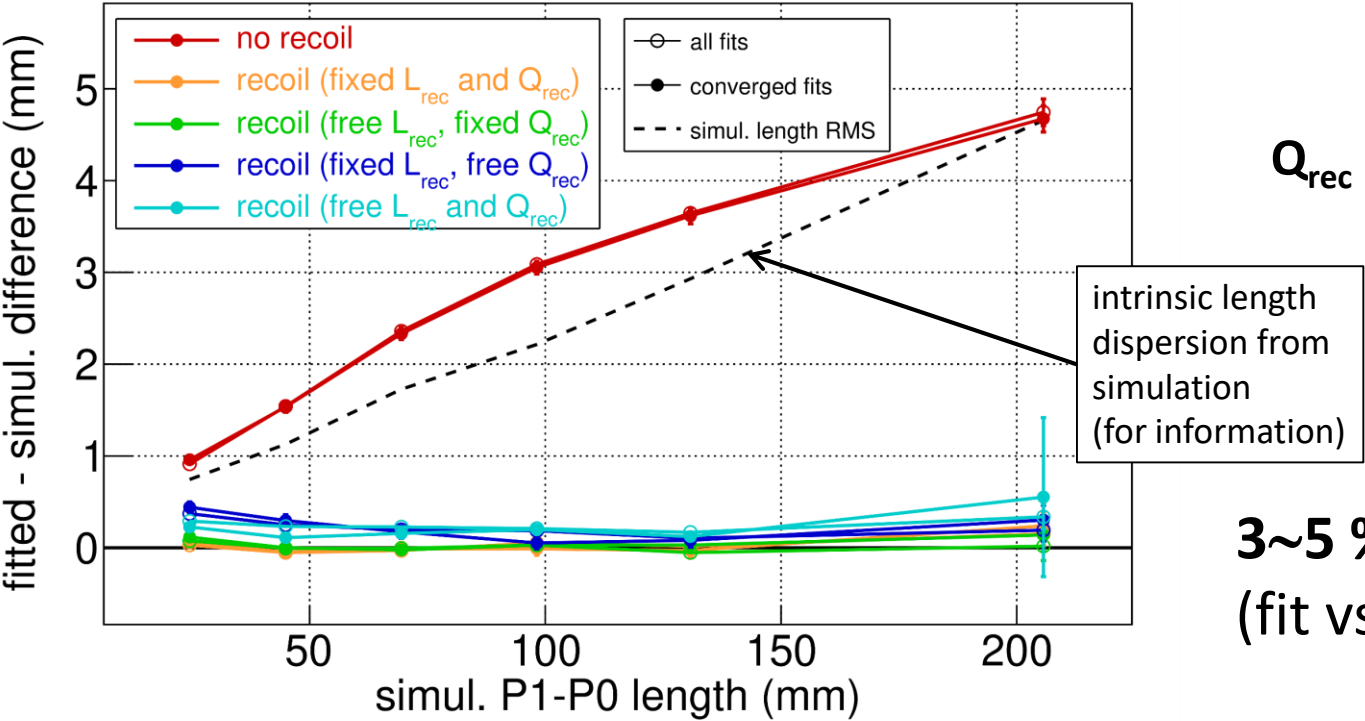
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3~5 % length difference
(fit vs simul. length)

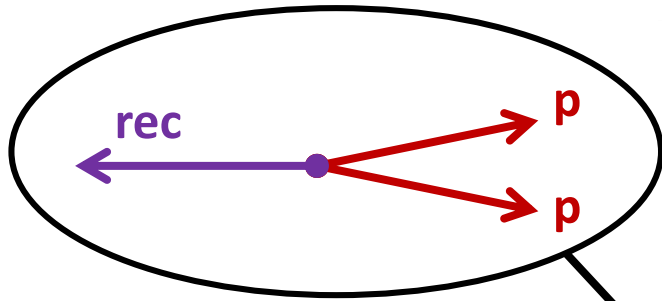
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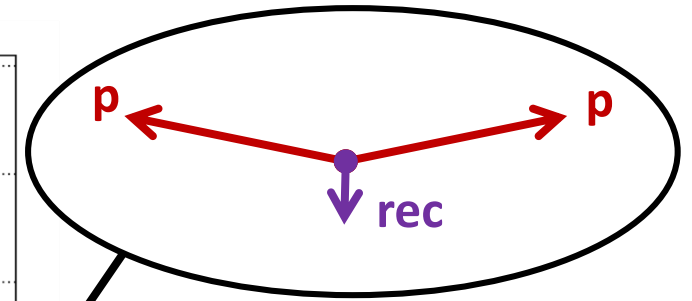
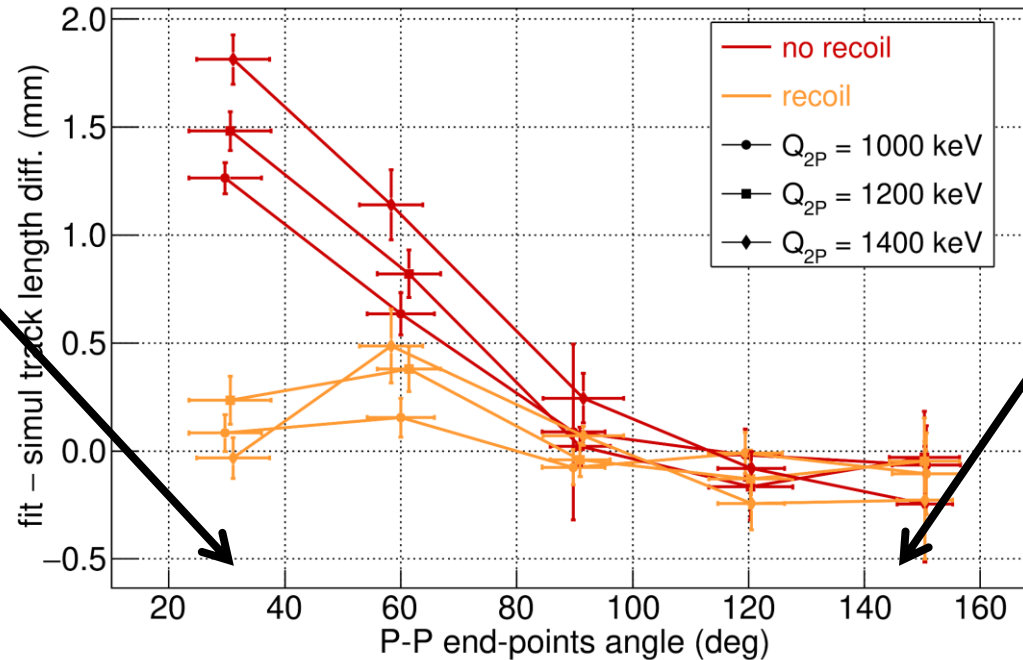
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of simulated events
(recoil from β neglected)



2P decay:
Q-value from fitted length
increased by $\sim 2\%$



concluding remarks

▷ simulations needed for ACTAR TPC decay detection efficiency

custom empirical simulation (no need for microscopic description)
parametrization based on experimental data
dominated by systematic uncertainties
slight differences in E690 & E791 procedures

▷ simulations help tracks analysis and fits

identification of events topology (not discussed here)
control and correction of fit procedure
→ corrected dispersion
→ included recoil signal

▷ still some work to be done...

sorting of decay events types (for now “artisanal” way...)
improve fits (3D fits extremely slow)
control G4 results (problems...)

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thank you for your attention !

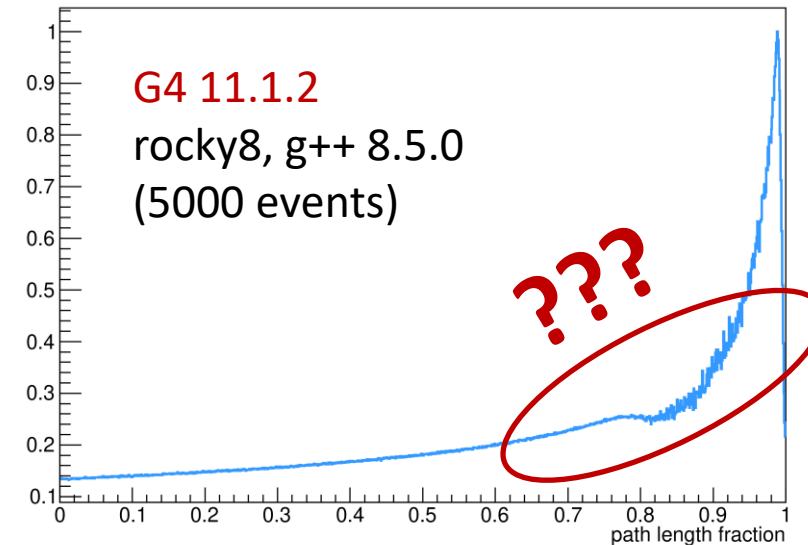
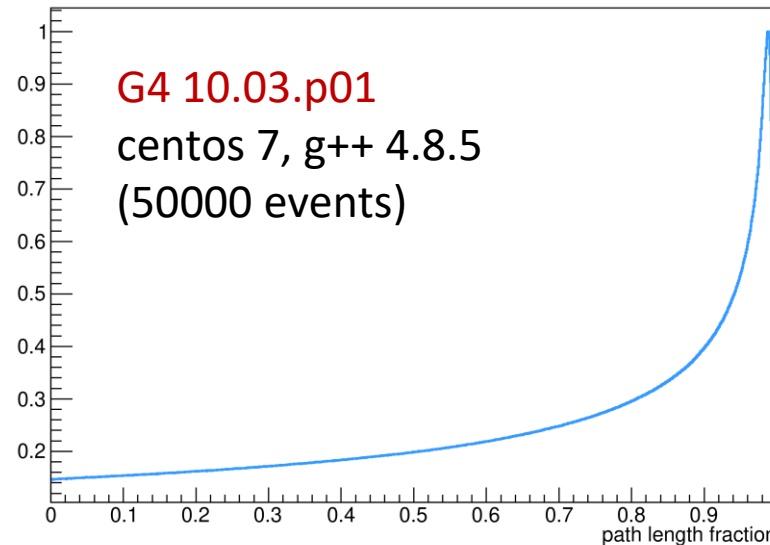
problems

updated SimRange program for GSimTPC 6.0 (for rocky linux 8)

recomputed Bragg peak histograms (fit pattern) for alpha and protons
in Ar-C4H10 (90%-10%): 50000 events

- 10 MeV protons, P = 5 bar (file `proton_10MeV_5bar.root`)
- 10 MeV alpha, P = 1 bar (file `alpha_20MeV_2bar.root`)

20 MeV **alpha** average energy loss
in Argon-Isobutane (90-10%) gas (P = 2 bar)



average of energy deposit along “normalized” track path