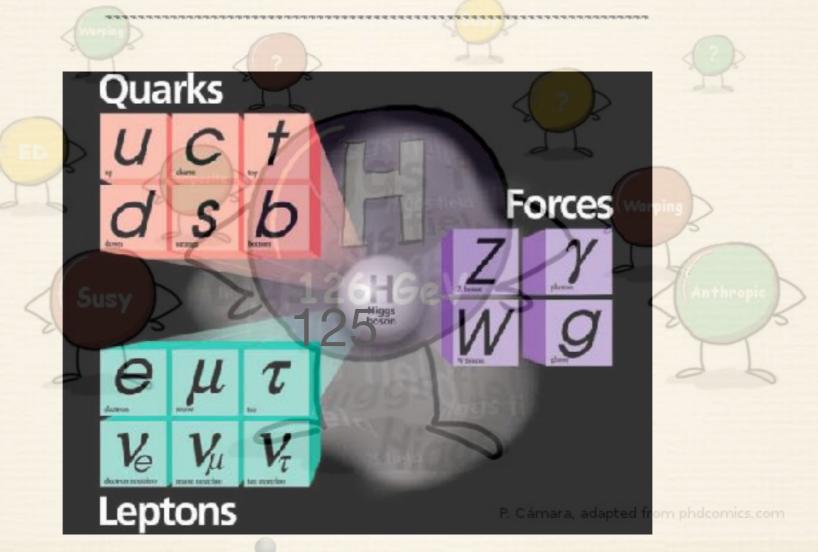
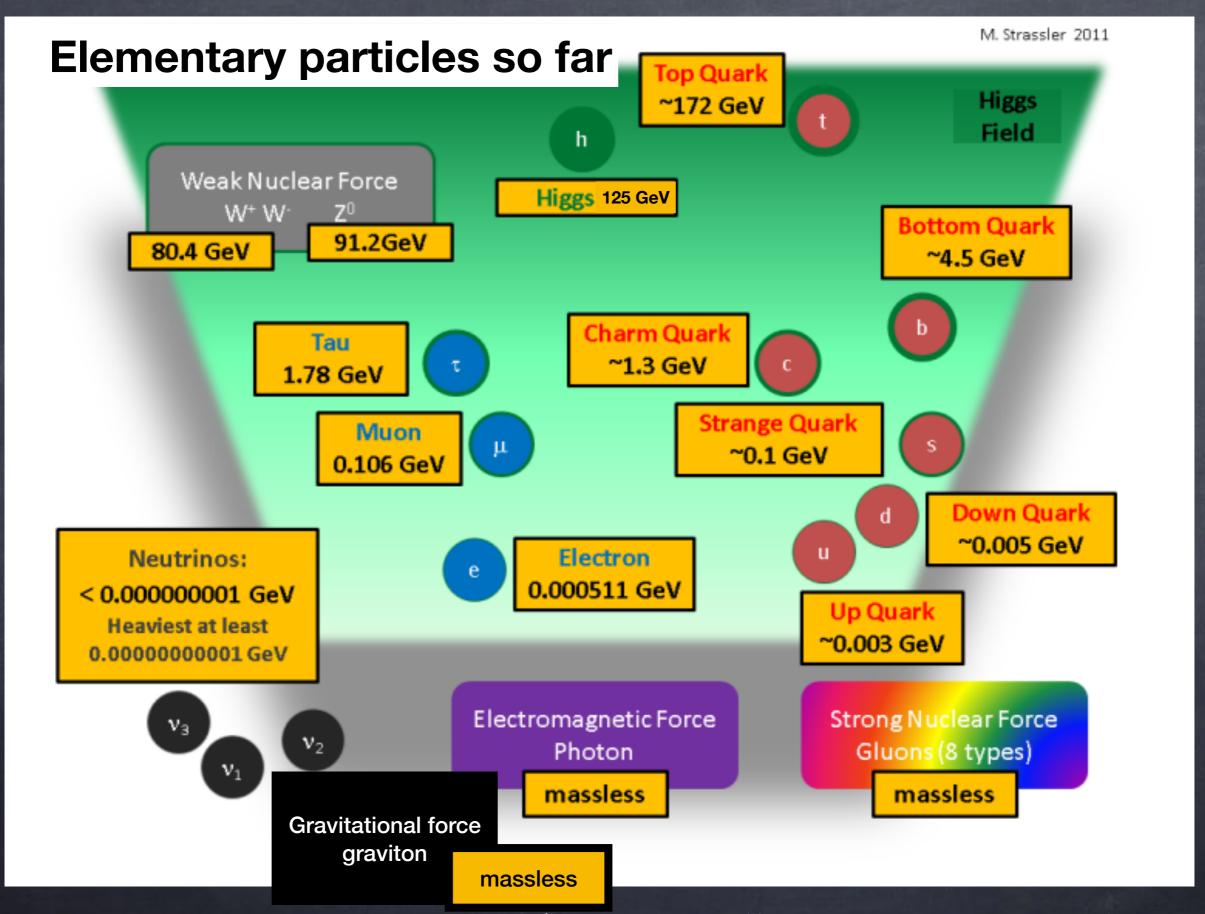
Particle Physics

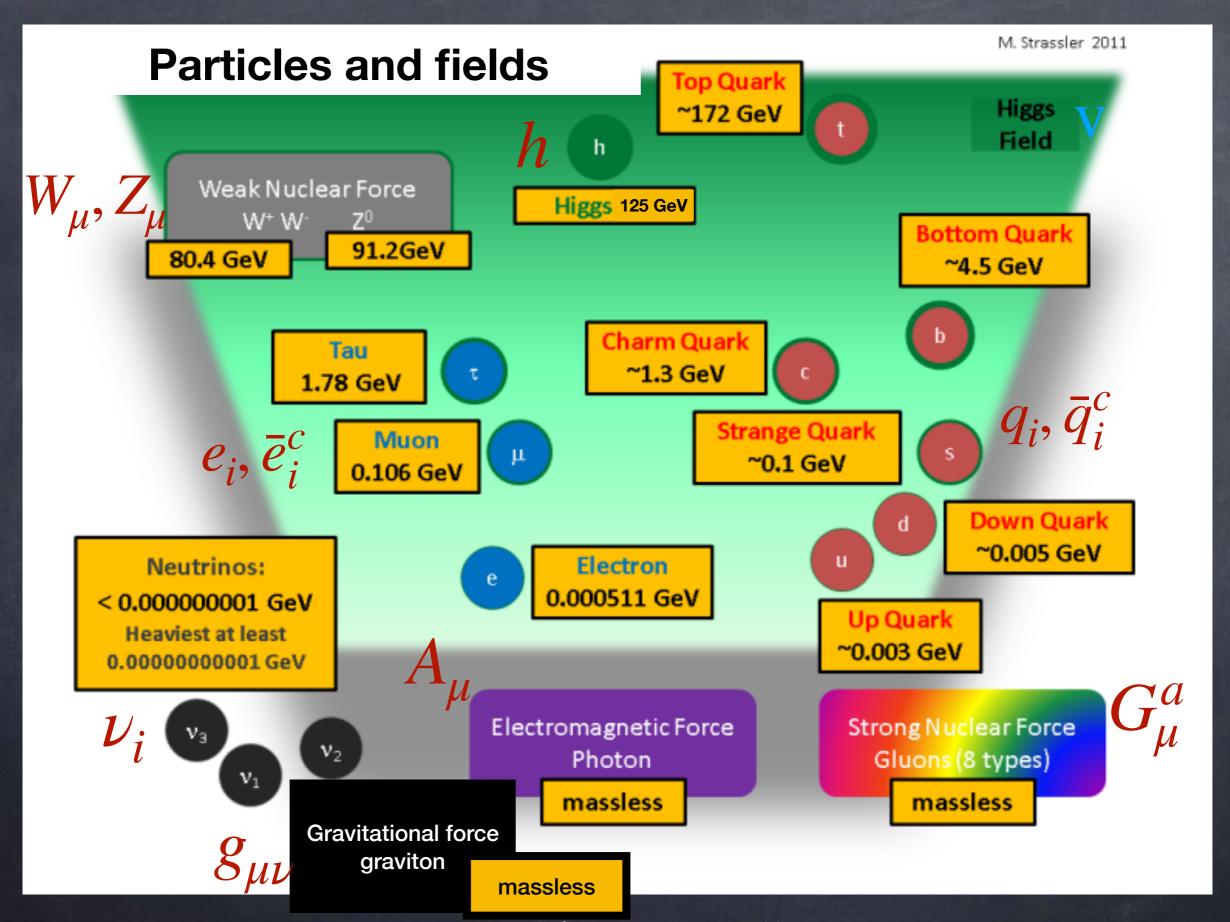
Pôle théorie IJClab
Journée des Nouveaux Entrants
26/03/2025







Borrowed from Matt Strassler's blog: http://profmattstrassler.com/



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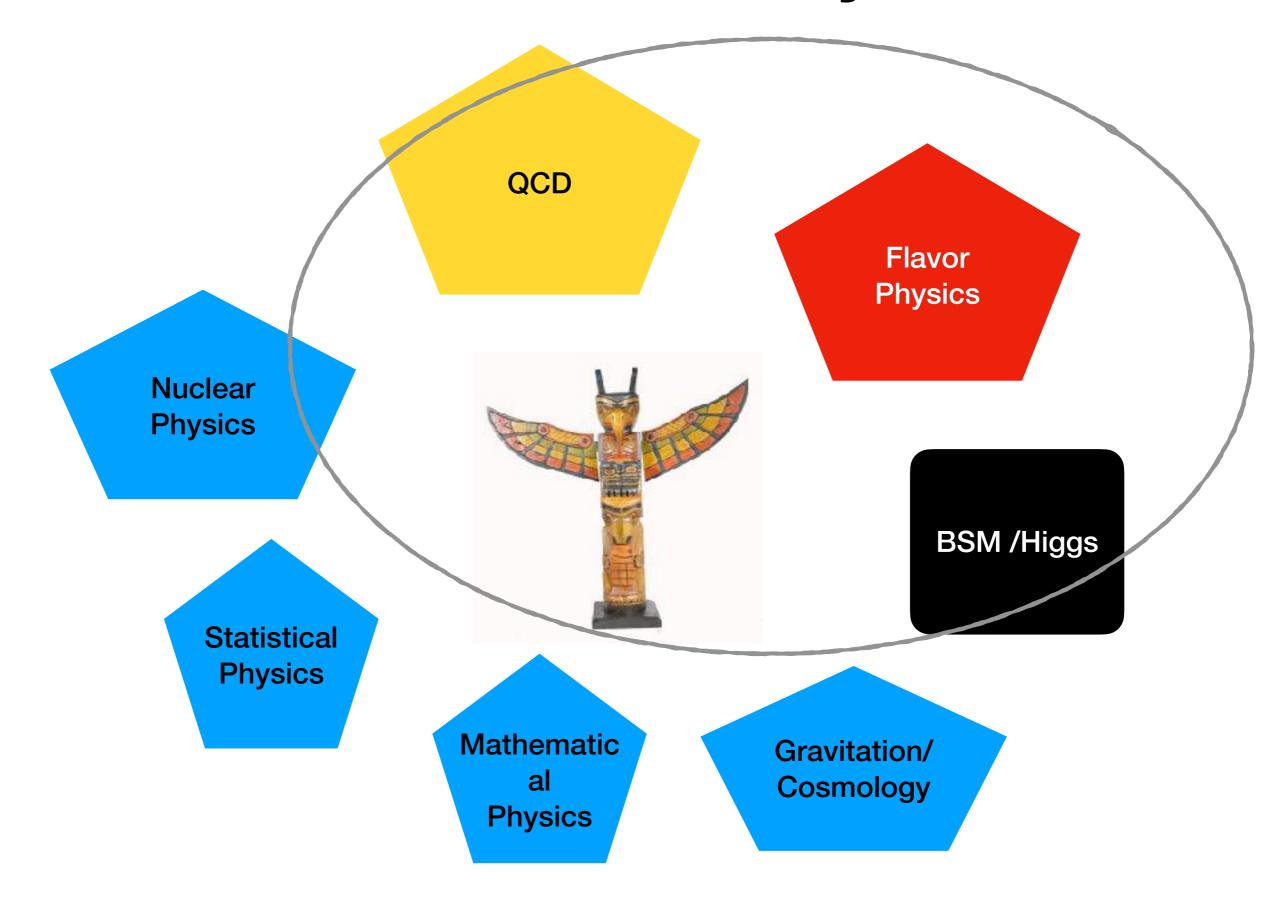
$$-\left(\bar{u}Y_{u}qH + \bar{d}Y_{d}H^{\dagger}q + \bar{e}Y_{e}H^{\dagger}l + \text{h.c.}\right)$$

$$+D_{\mu}H^{\dagger}D^{\mu}H - \lambda(H^{\dagger}H)^{2} + \tilde{\theta}G^{a}_{\mu\nu}\tilde{G}^{a}_{\mu\nu}$$

$$\begin{split} +D_{\mu}H^{\dagger}D^{\mu}H - \lambda(H^{\dagger}H)^2 + \tilde{\theta}G^a_{\mu\nu}\tilde{G}^a_{\mu\nu} \\ \mathscr{L}_5 &= \frac{1}{\Lambda_5}(HL)C_{\nu}(HL) & \text{Experiment:} & \Lambda_5 \sim 10^{15} \text{ GeV} \\ \mathscr{L}_6 \sim \frac{1}{\Lambda_c^2} & \text{Experiment:} & \Lambda_6 \sim ? \text{ GeV} \end{split}$$

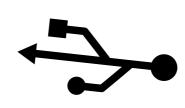
$$\mathcal{L}_6 \sim \frac{1}{\Lambda^2}$$
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Position within Theory Pole



Asmaa ABADA (Pr)

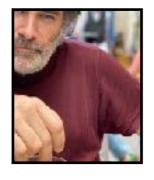




Salvador URREA-GONZALEZ

Claire Chevalier

Yann MAMBRINI (DR)





Mathieu GROSS

Gregory MOREAU (MdC)

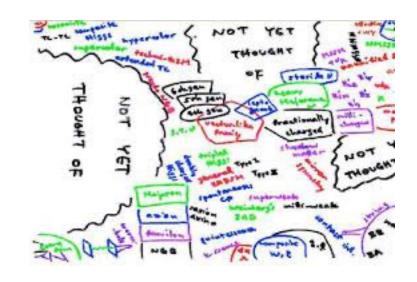








Panagiotis MARINELLIS Edoardo ALVIANI





BSM/Higgs group asks a lot of question

- · Are there new particles beyond those of the Standard Model
- · Is nature natural
- · How is electroweak symmetry broken
- · How do neutrinos get their mass
- · What was happening in the first seconds of the universe
- · What is the nature of dark matter
- · What caused matter-antimatter asymmetry
- · Are there extra dimensions of spacetime

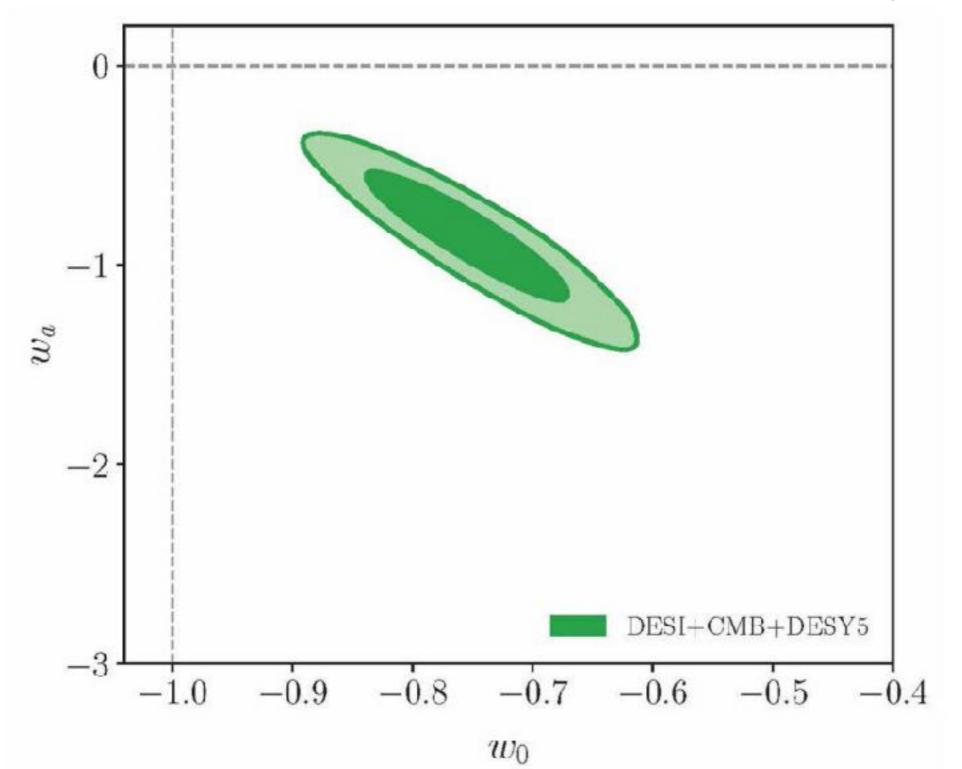
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Answers

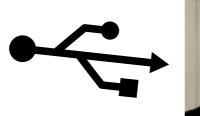
Clue?

$$p = w\rho w = w_0 + (1 - a)w_a$$



Flavor Physics

Claire Chevalier



Damir BEČ

Damir BEČIREVIĆ (DR)

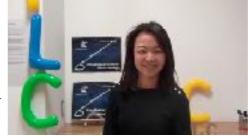
Yacob Ozdalkiran



Benoît BLOSSIER (DR)

Tejhas KAPOOR





Emi KOU (DR)

Matheus Martines de Azevedo da Silva





Méril REBOUD (CR)

Olcyr SUMENSARI (CR)



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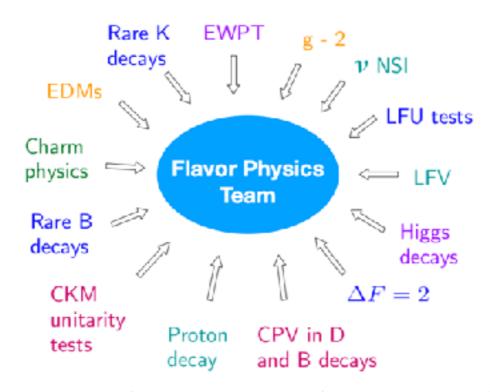
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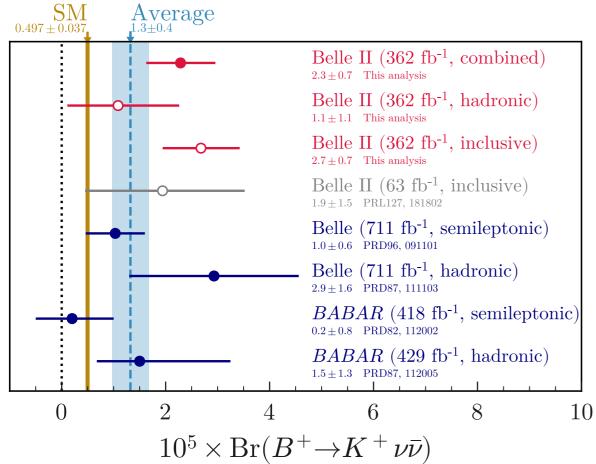
Flavor Physics

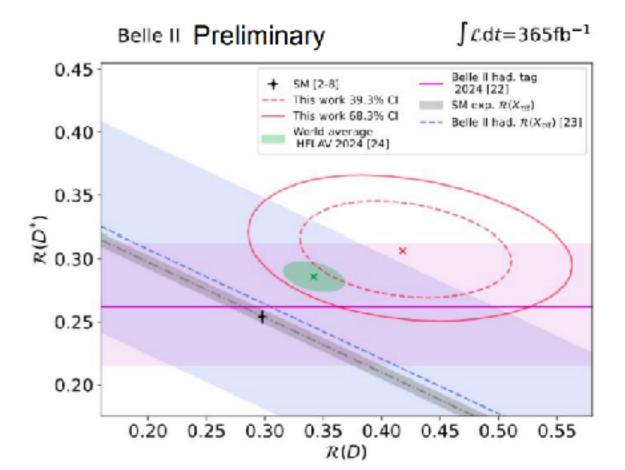


- Flavor physics group is straddling the line between beyond and within the Standard Model
- It is focused on the dynamics and decays of composite particles containing a heavy quark (b or c)
- On one hand, these allow us to better understand the Standard Model, in particular the action of the strong force
- On the other hand, flavor transitions are naturally suppressed in the Standard Model and therefore they are very sensitive to physics beyond the standard model

Flavor Anomalies





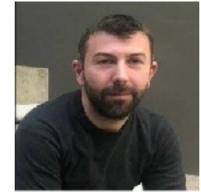


QCD

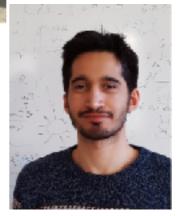
Christopher FLETT Maxim NEFEDOV



Allencris JOHN RUBESH RAJAN



Jean-Philippe LANSBERG (DR)

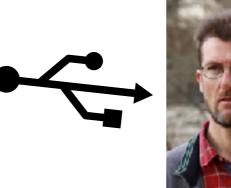


Melih OZCELIK (CR)

Michael FUCILLA

Saad NABEEBACCUS

Joseph YARWICK



Samuel WALLON (Pr)



Véronique BERNARD (Em)
Michel FONTANNAZ (Em)
Bachir MOUSSALLAM (Em)
Hagop SAZDJIAN (Em)

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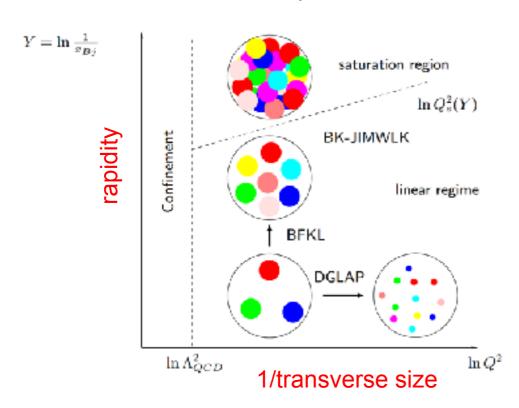
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 Experiment:

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$$\Lambda_5 \sim 10^{15} \text{ GeV}$$

$$\Lambda_6 \sim ? \text{ GeV}$$



- QCD group attempts to better understand the consequence of the Standard Model strong dynamics in various systems
- Many conceptual and quantitative problems remains to be solved
- Examples of problems tackled in JClab include quarkonium production, (generalized) parton distribution functions for nucleons and nuclei, Distribution Amplitudes for light and heavy mesons, small x physics and gluonic saturation, non-perturbative power corrections

Conclusions

