



# Deep learning nuclear cross sections

How deep is deep, really?

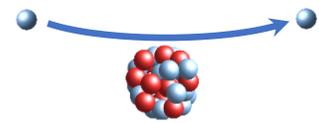
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P(ND)<sup>2-3</sup>  
March 10<sup>th</sup>, 2026

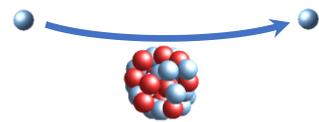
Nicolas Schunck | NACS

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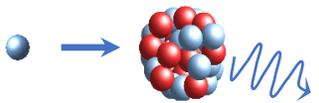
# Nuclear cross sections encode the probability that a reaction takes place as a function of the energy of the projectile



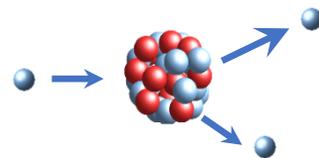
Elastic:  $X(n,el)$



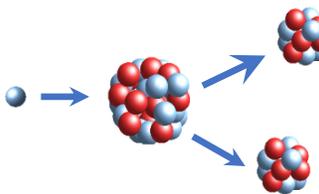
Inelastic:  $X(n,n')$



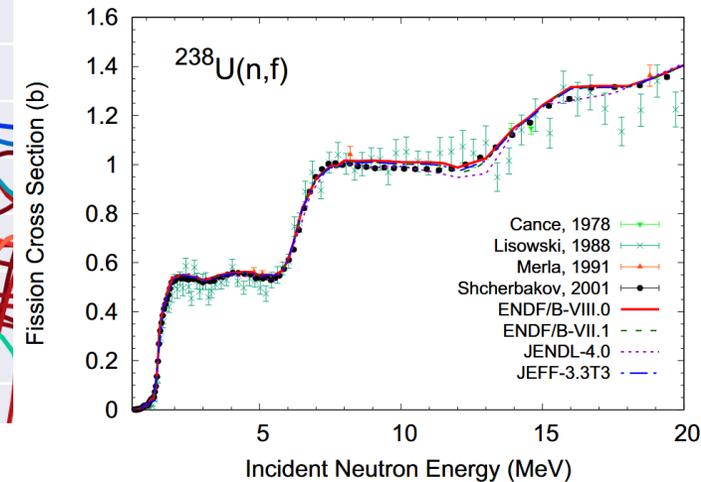
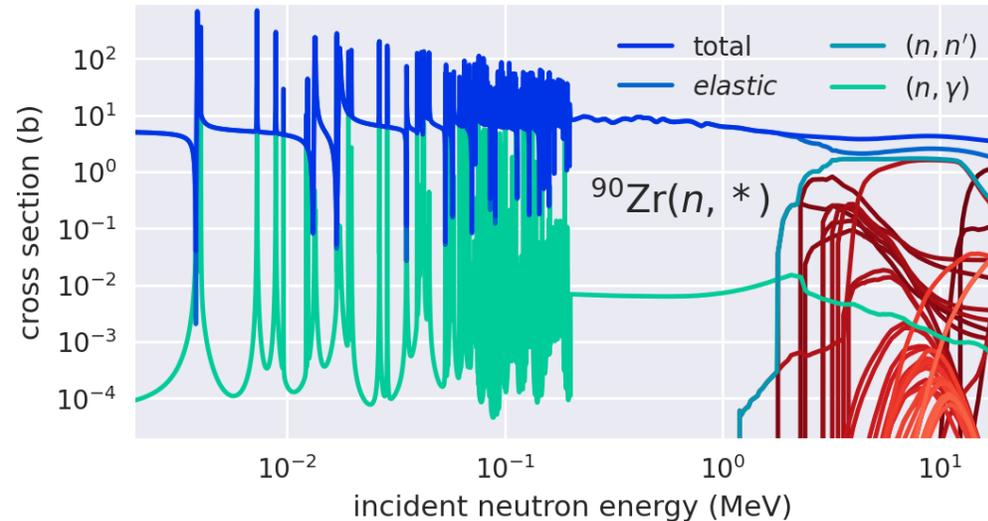
$X(n,\gamma)$



$X(n,2n)$



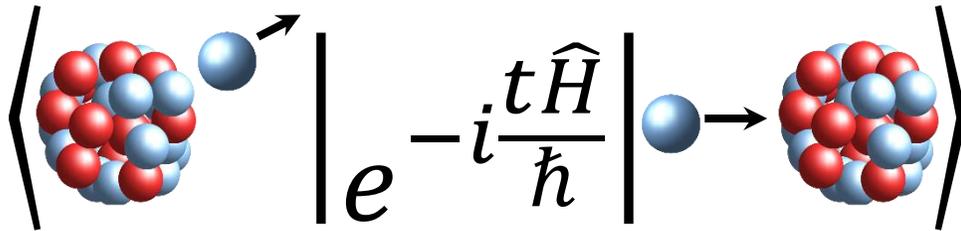
Fission:  $X(n,f)$



- Reaction cross sections are often extremely hard to measure and have large uncertainties
- Discrepant measurements are common
- Theoretical predictions require blending nuclear structure with reaction theory

# Data should emerge from a single quantum-mechanical theory of nuclei not a patchwork of independent calibrated models

## Utopia



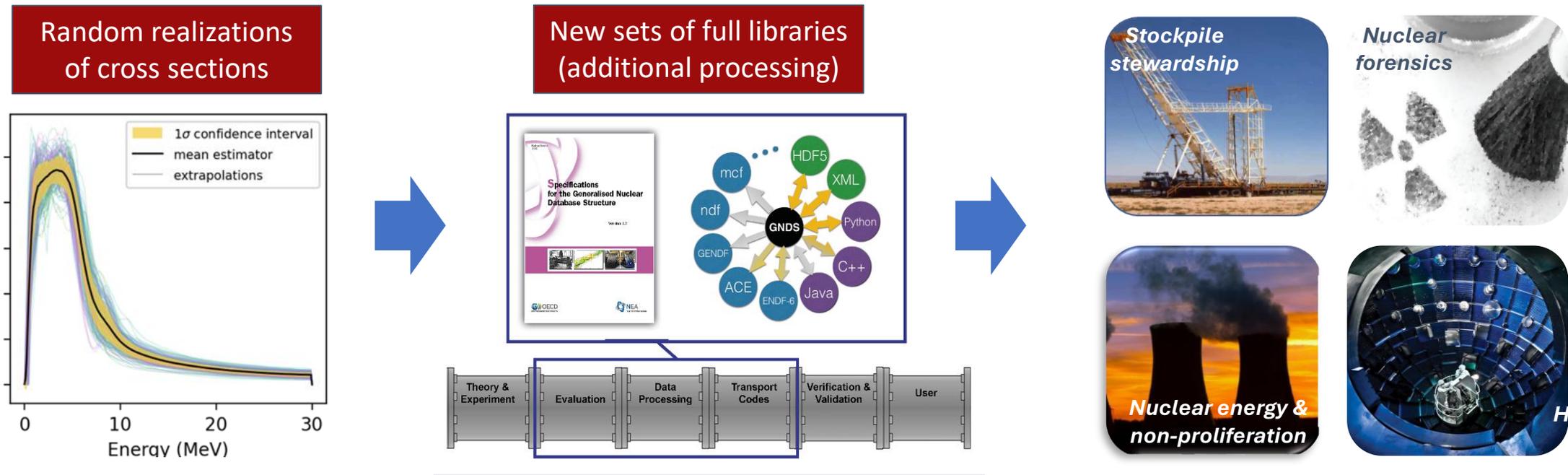
- Nuclear many-body problem is not solvable exactly
- Nuclear Hamiltonian is not that well known

## Real World

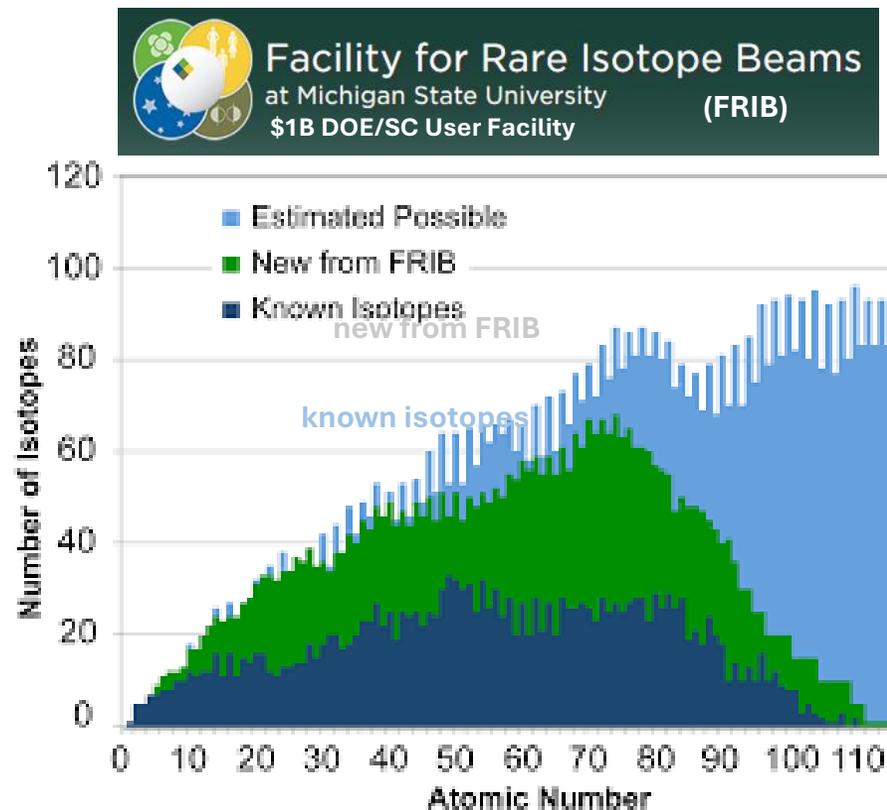
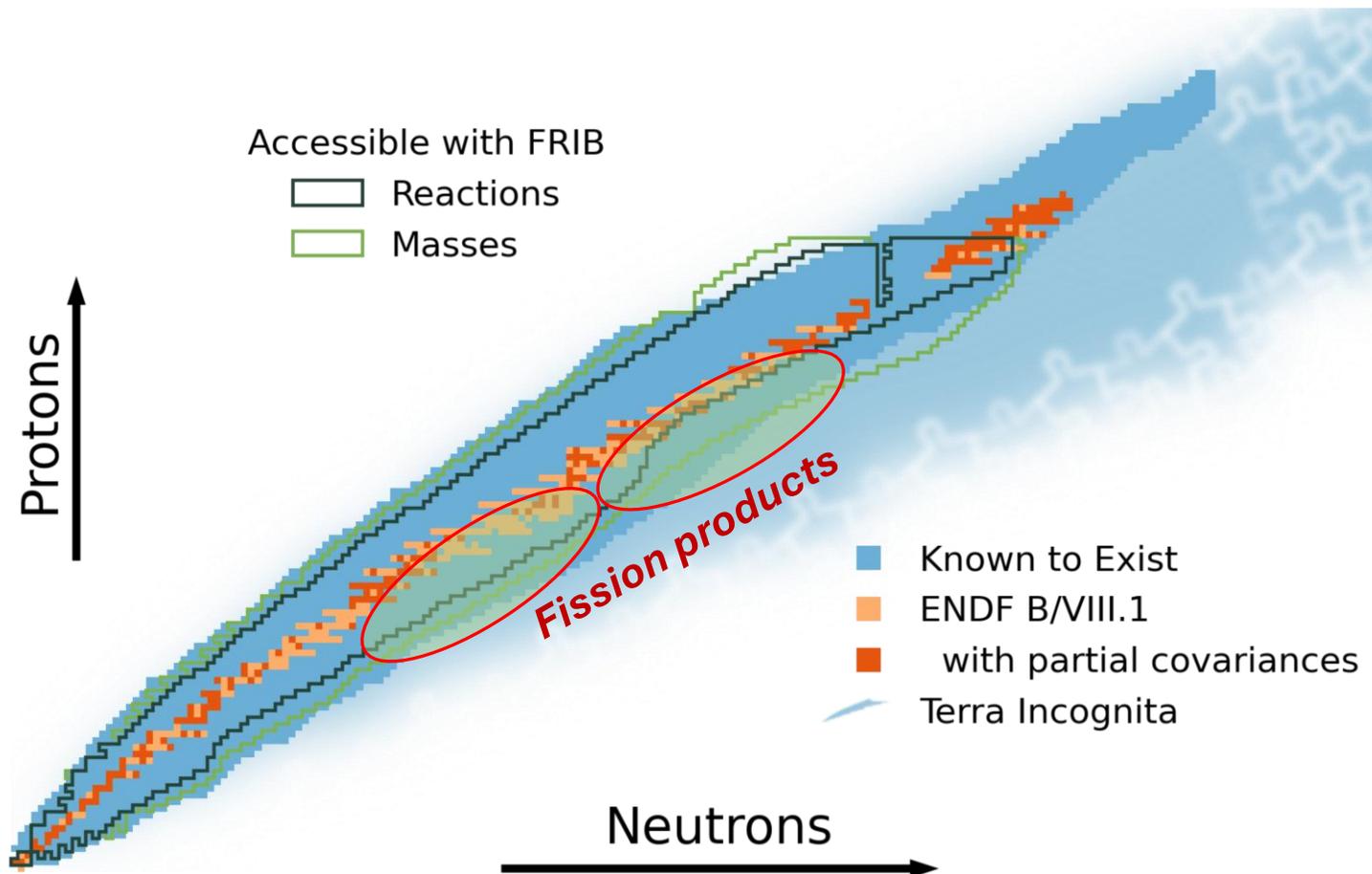
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# Uncertainties of nuclear cross section data (“covariances”) are just about as important as data themselves

- There are always uncertainties in nuclear data: application users need to know them to propagate them in applications
- Users work directly with a full, processed library – not individual cross sections

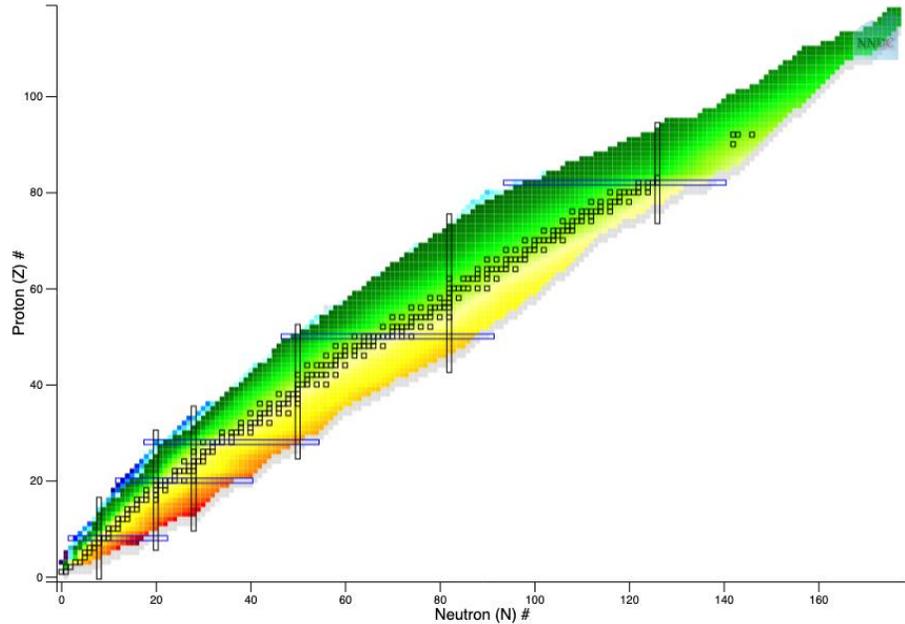


Only a tiny subset of data in current libraries contain covariances – cross-material covariances are nonexistent

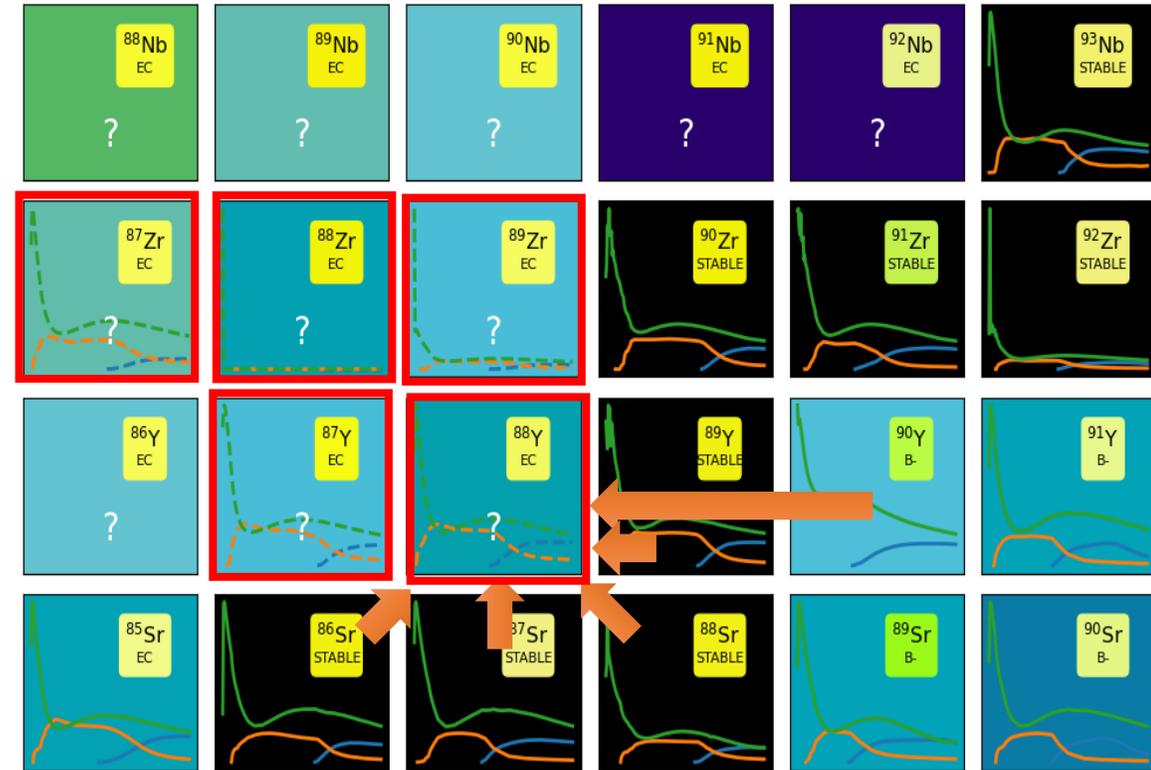


Reaction networks involve many radioactive nuclei that are largely inaccessible to experiments

Many nuclear properties exhibit clear, simple patterns across the nuclear chart – this is AI/ML territory

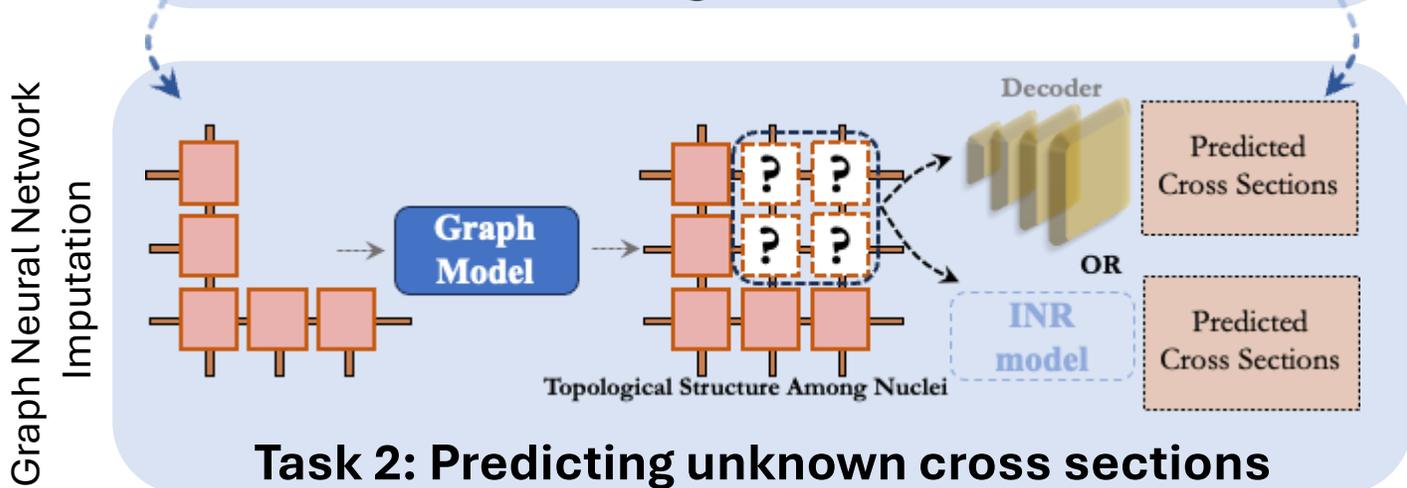
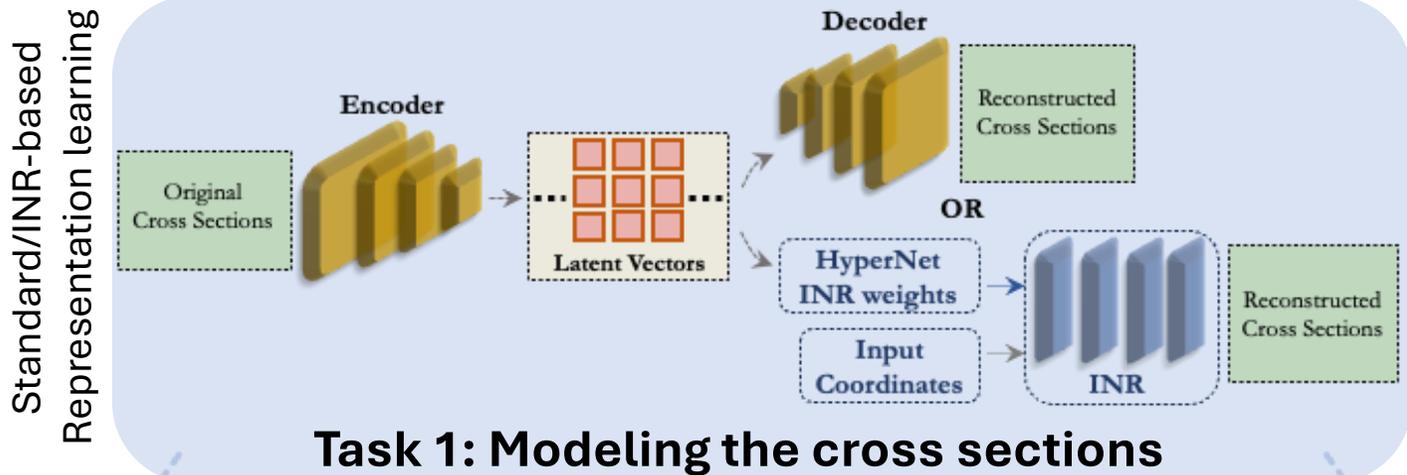


- Current nuclear theory cannot capture most of the correlations between nuclear data



Can an AI/ML model learn how cross sections transform as we add or remove nucleons?

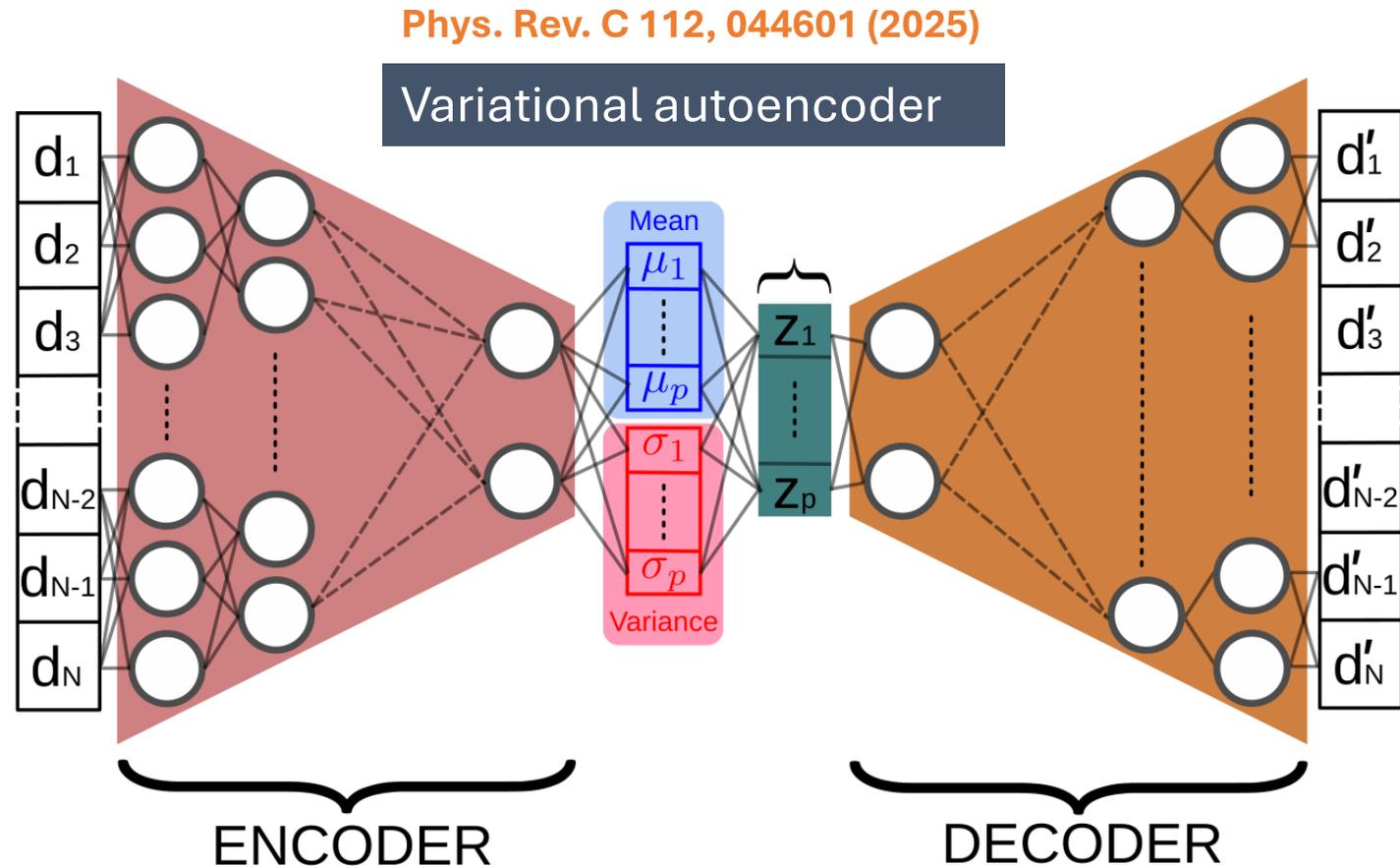
# Our deep learning approach combines dimensionality reduction with predictions to enable uncertainty



**Task 3: Uncertainty quantification and propagation**

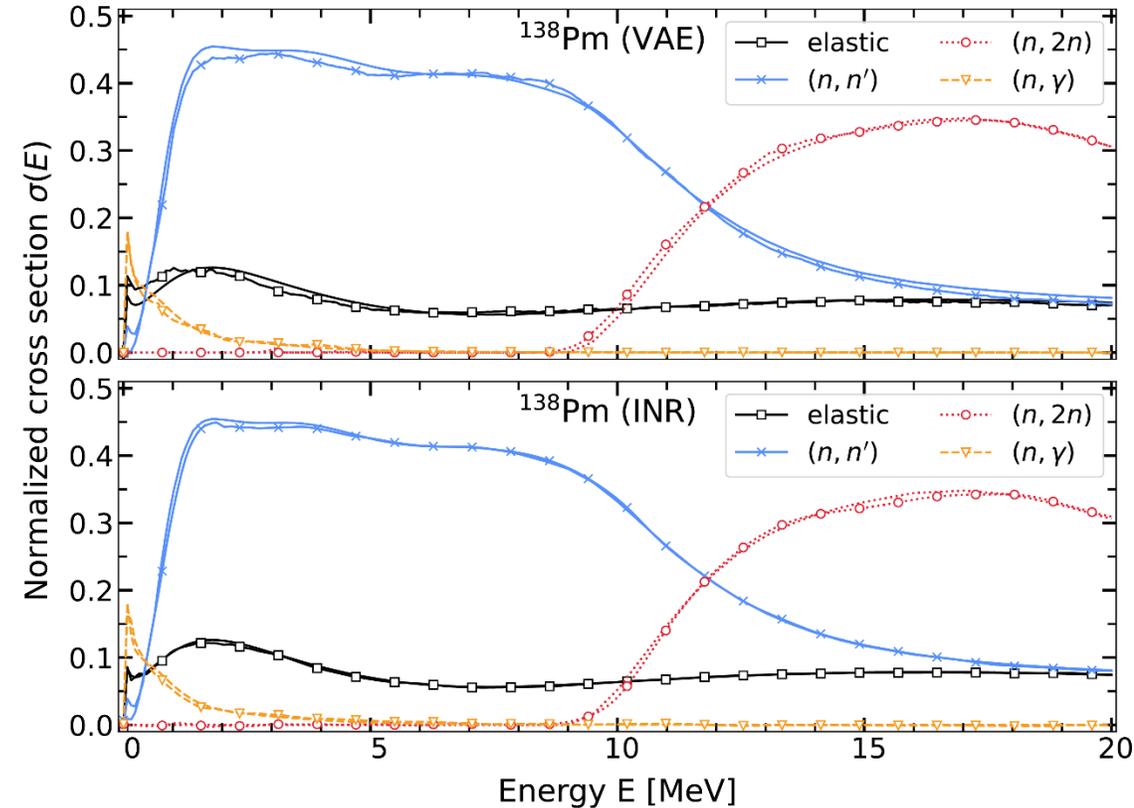
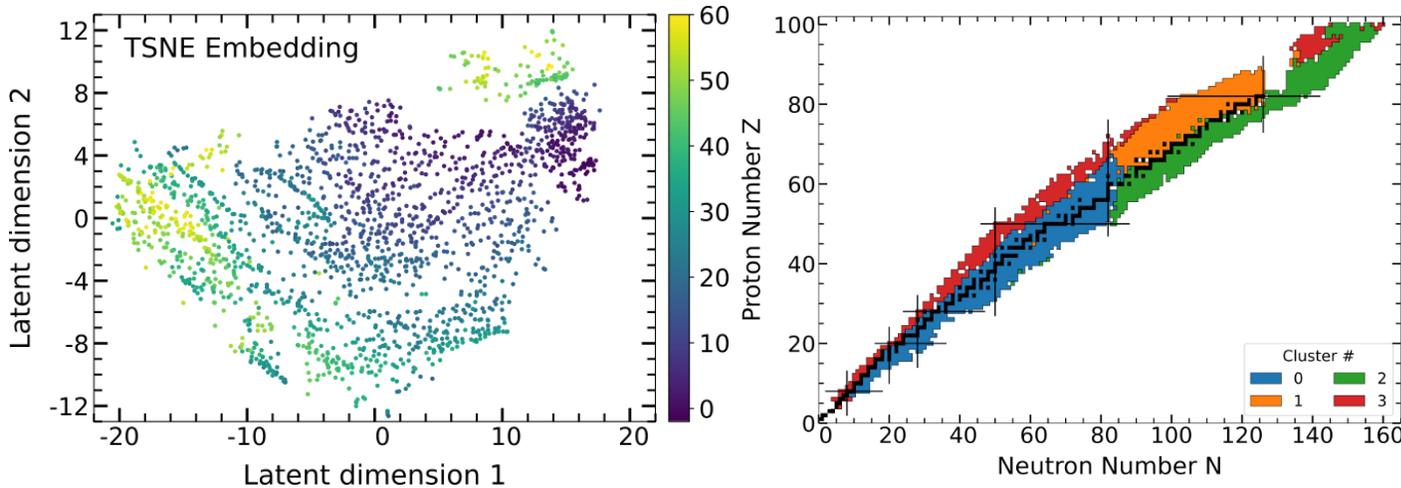
# Variational autoencoders (VAE) compress information while allowing to generate new realizations

- Dataset = TENDL library
- Data size:  $N=1024$ 
  - Cross sections = vectors of length 256 (values at energy points)
  - 4 cross sections simultaneously
- Latent space: dimension  $p=32$
- 2151 original training samples
- Data augmentation: make linear combinations of existing cross sections to increase number of samples



# VAE excel at learning the space of cross sections and can already “discover” some physics

- Simultaneous encoding of 4 different channels with factor  $\sim 30x$  compression
- AI/ML can learn physical properties from encoding alone!

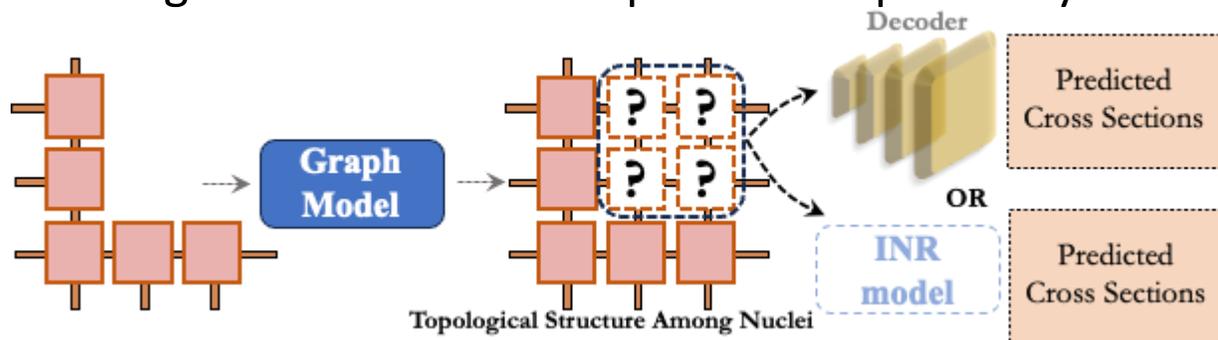


Precision of reconstruction is superior to typical experimental/model uncertainties



## Graph neural network can learn the relationships between cross sections in different nuclei

- Cross sections live on a 2D finite-size grid indexed by neutron and proton number
- Nuclear properties in “neighboring” nuclei are strongly correlated
- Finding missing nodes: the entire nuclear chart is modeled as a graph
  - Nodes = nuclei (N,Z) with cross-section data
  - Edges = local relationship based on proximity

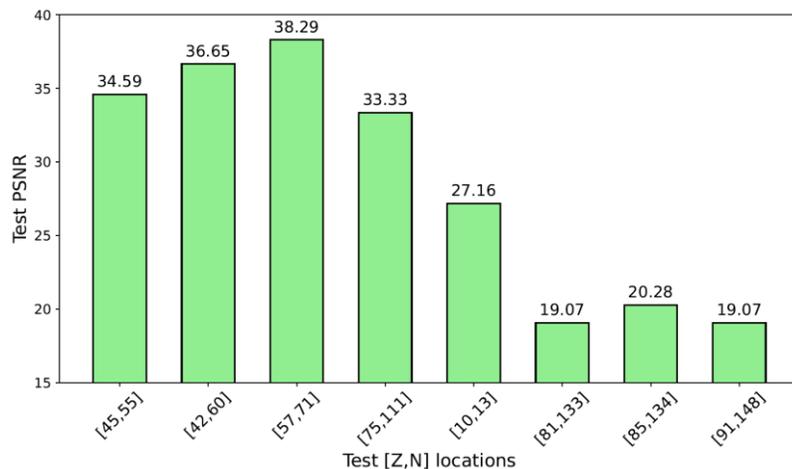
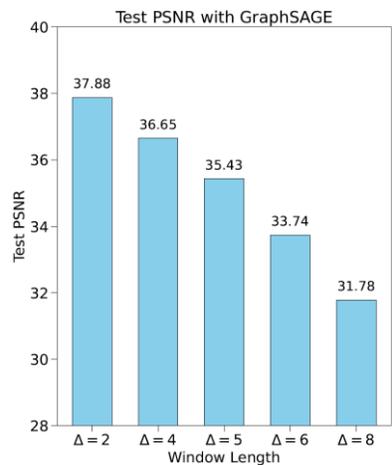
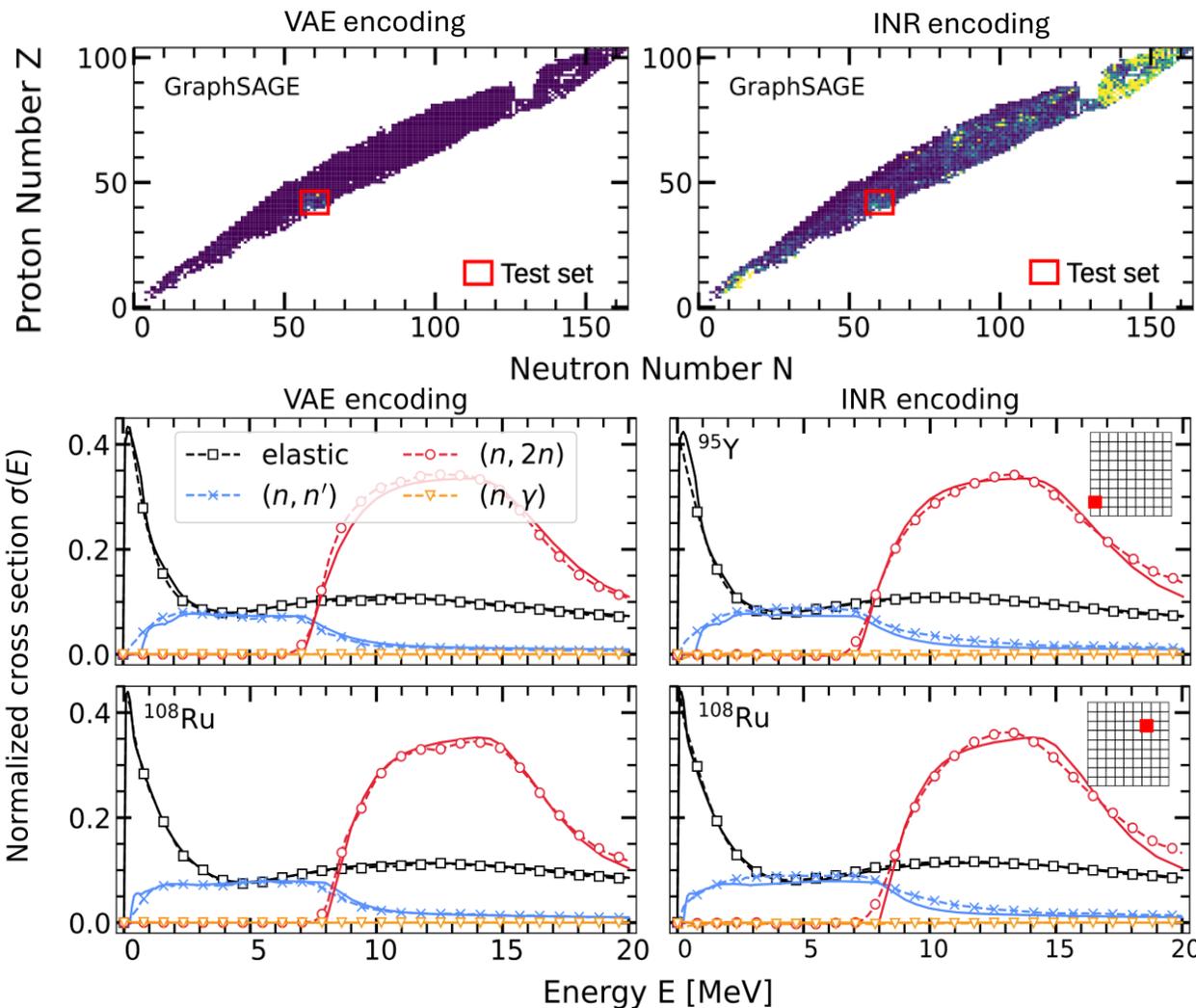


Aspect	Transductive Setting	Inductive Setting
Graph Access	Full graph (including test nodes) available during training	Test nodes are completely unseen during training
Test Region	Nodes are masked but part of the graph	Nodes are excluded from training input
Generalization Target	Learn to predict missing info within the same graph	Learn patterns that transfer to entirely new, unseen graph regions
Difficulty	Easier – Exploit full graph structure	Harder – Requires strong generalization beyond training distribution
Use Case	Imputation within a known domain	Deployment to new, unseen domains



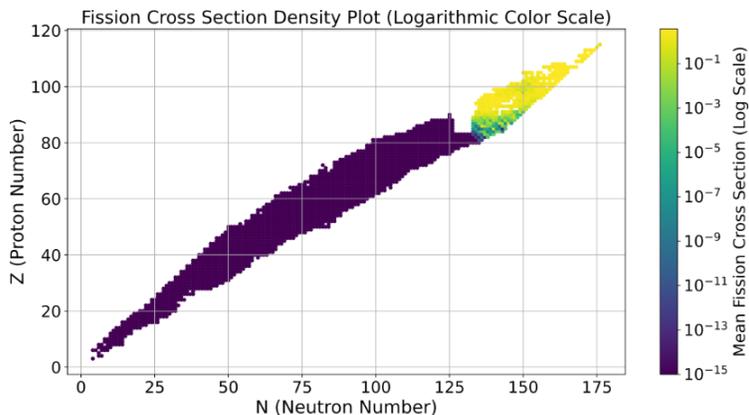
## Average error of GNN predictions across both training and testing set is very small

- Testing data  $\sim 3\%$  of entire dataset
- Random masking of fraction of training set at each epoch (20% of training set)
- Predictions in  $^{102}\text{Mo}$  = 5 neutrons and protons away from the training region



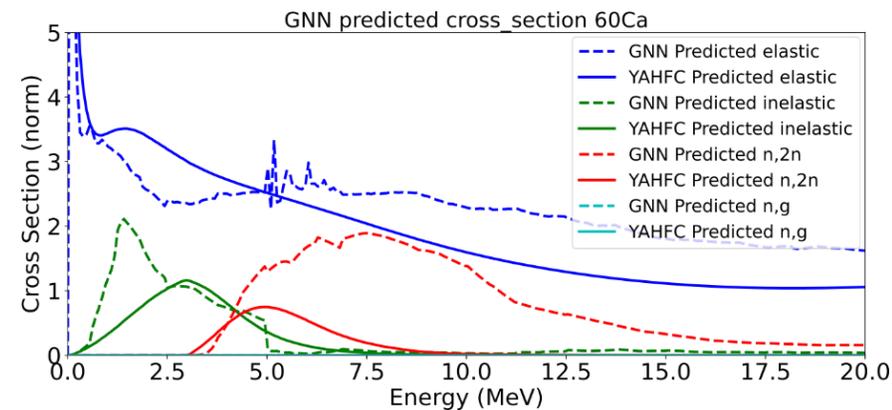
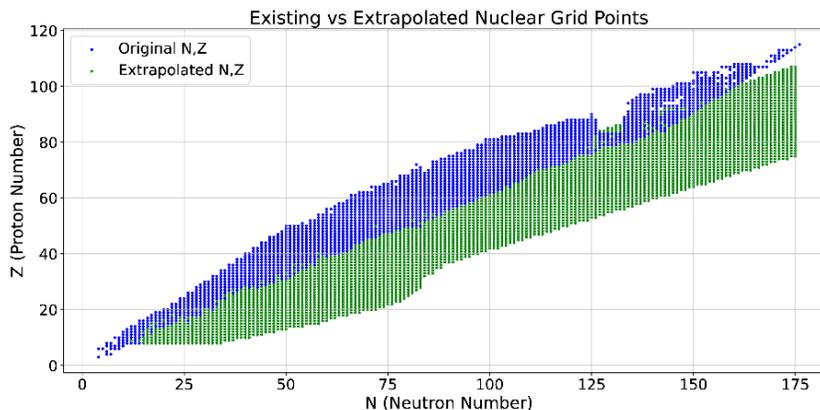
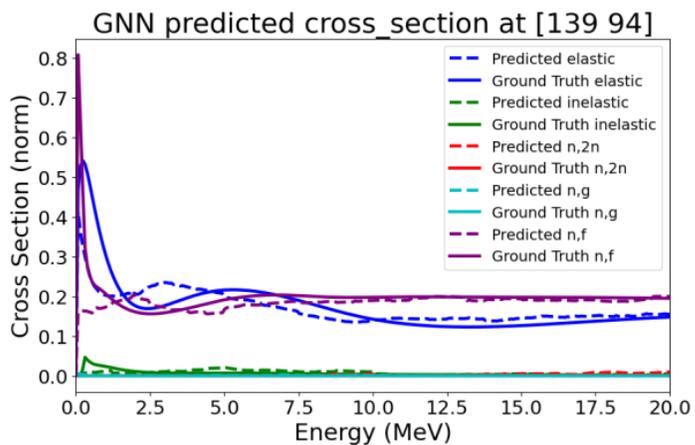


# Adding fission cross sections or predicting far from training data quickly leads to problems



- Fission cross section only available for a small number of nuclei: how do we learn trends?
- How can we believe our training set also contains the physics of, say neutron-rich nuclei?

Work by **Manuel Catacorarios**



**Exclusive data-driven deep-learning seems to have limited predictive power**

# Conclusion

- Demonstration of direct prediction of small set of neutron-induced cross section with AI/ML techniques
  - Fast regime is doable, resonance region would be a different story
  - It is possible to learn the joint latent space of several cross sections
- AI/ML provides an improvable ‘meta-model’ of cross sections that can quickly incorporate the effect of new data
- Predictive power remains inferior to physics-based models far outside training region
  - Small datasets are trademark of (nuclear) physics
  - Accuracy and precision requirements are significant challenges

**Should AI/ML really be a substitute to nuclear theory or a tool to augment it?**

