

Dark matter Axion Wide-band Approach





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DM candidates

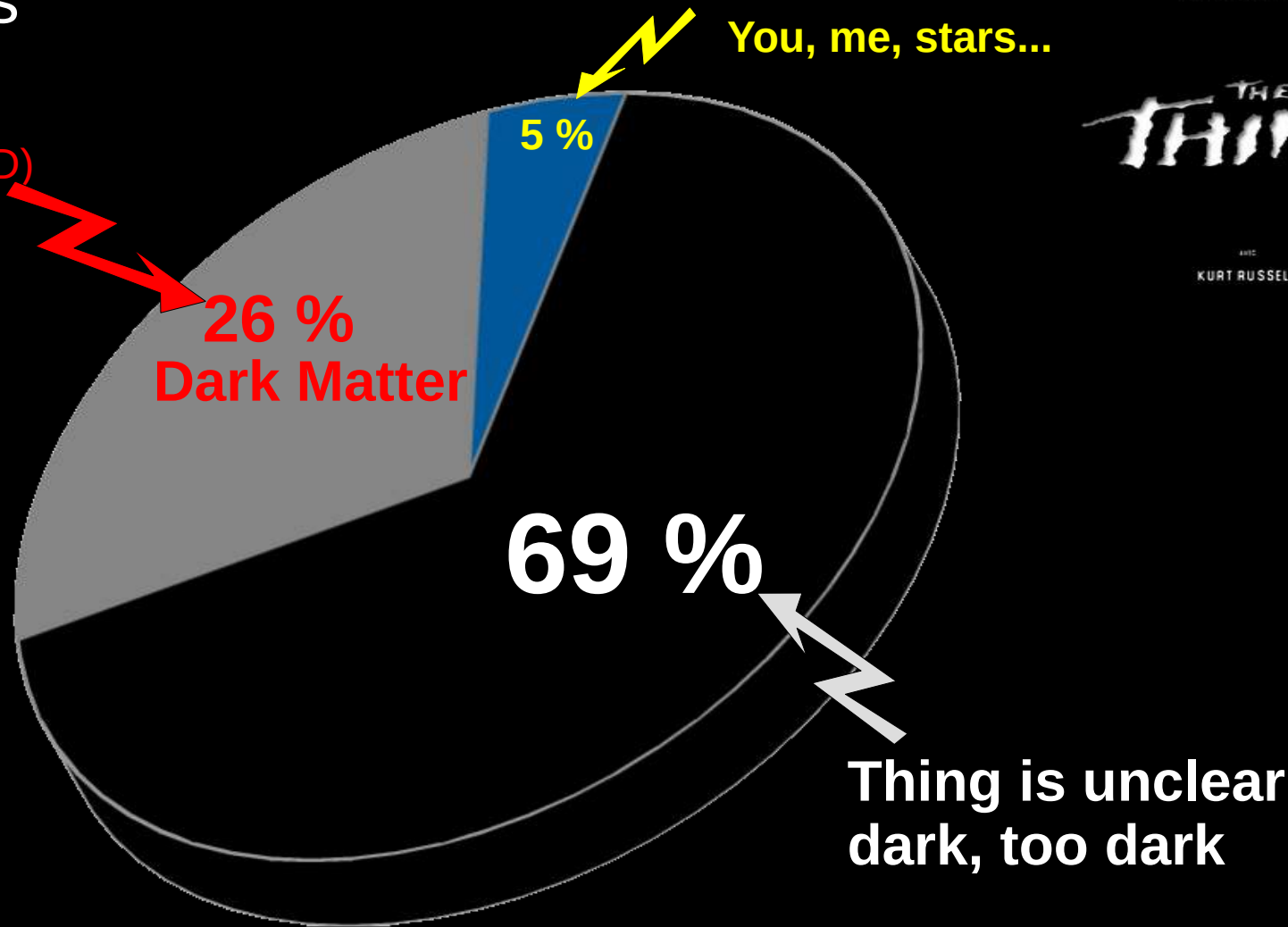
Wimps

Axions

Axions (QCD)

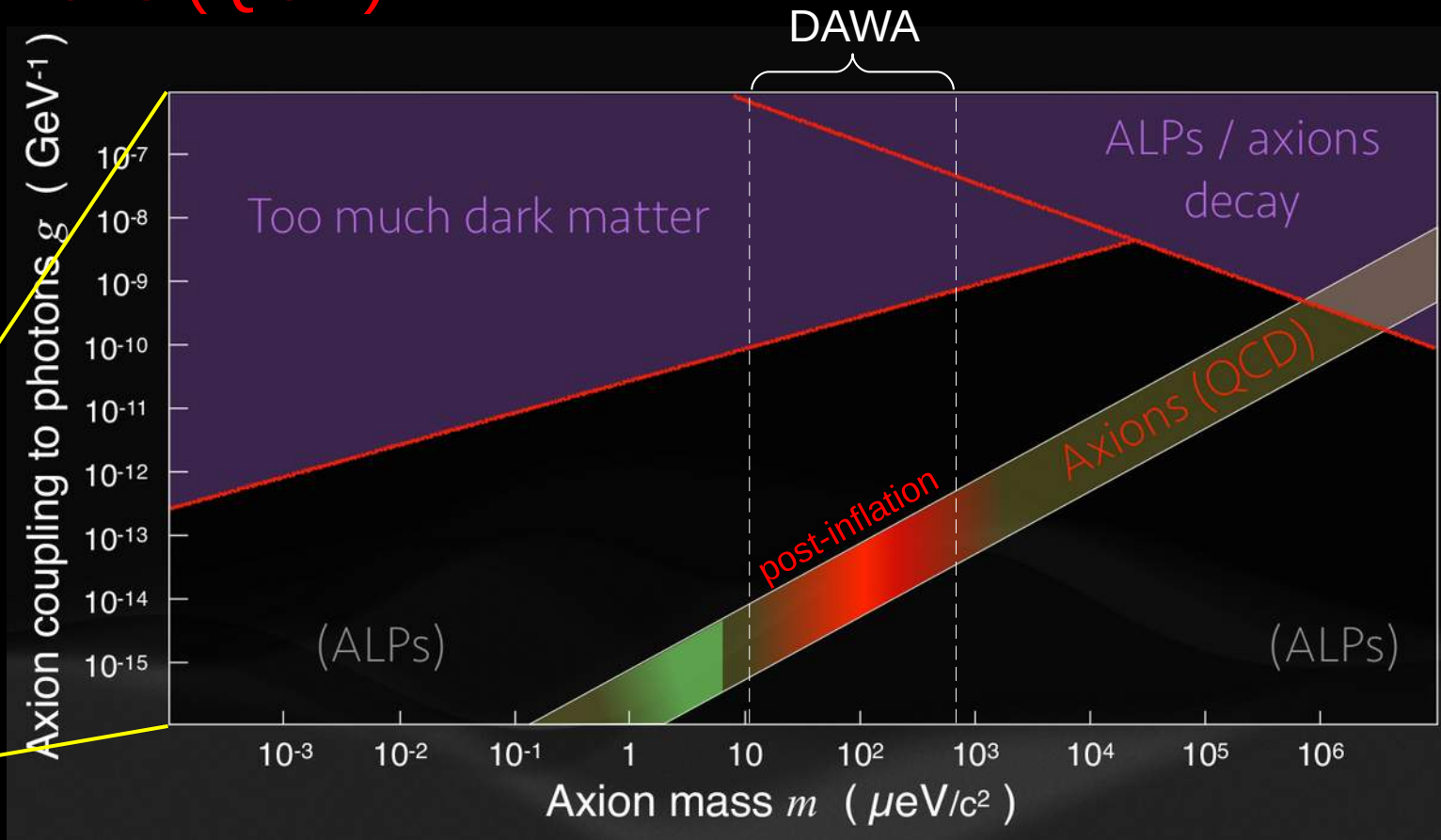
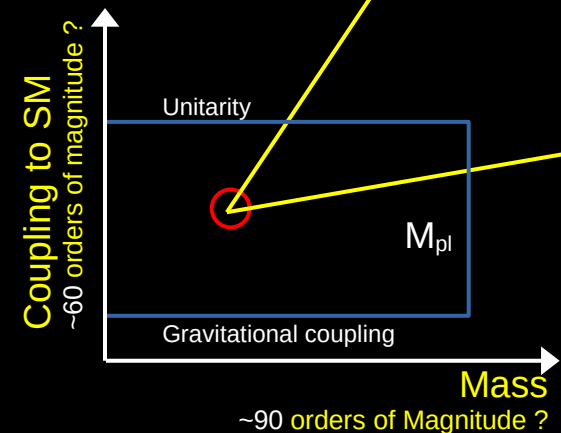
ALP's

...



DM candidate: Axions (QCD)

Theory:
Pierre Brun
this afternoon



DM candidate: **Axions (QCD)**

theory

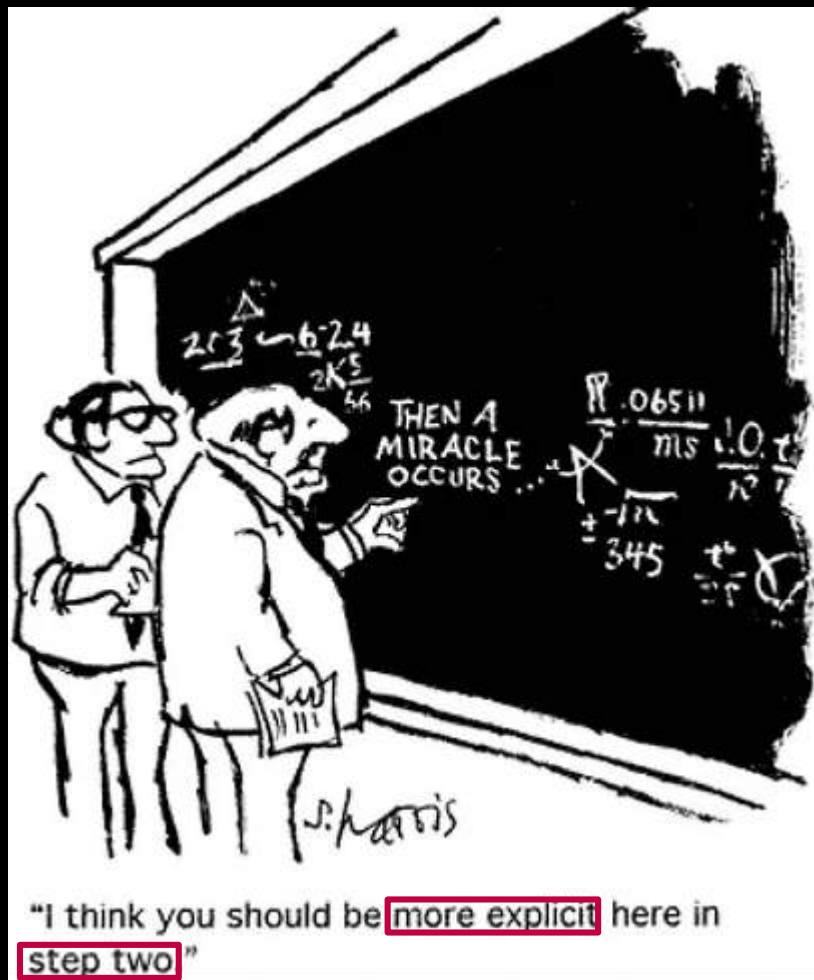
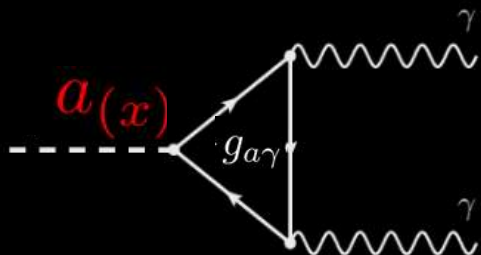
$$\mathcal{L}_{QCD \text{ vacuum}} = \theta_{total} \frac{\alpha_s}{8\pi} G_{\mu\nu}^{(b)} \tilde{G}^{\mu\nu(b)}$$

Step 1

$$\mathcal{L}_{axion} = \frac{a(x)}{f_a} \frac{\alpha_s}{8\pi} G_{\mu\nu}^{(b)} \tilde{G}^{\mu\nu(b)}$$

Step 2

$$\mathcal{L}_{a\gamma} = -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} - \frac{1}{4} g_{a\gamma} \phi F_{\mu\nu} \tilde{F}^{\mu\nu}$$



DM candidate: **Axions (QCD)**

theory

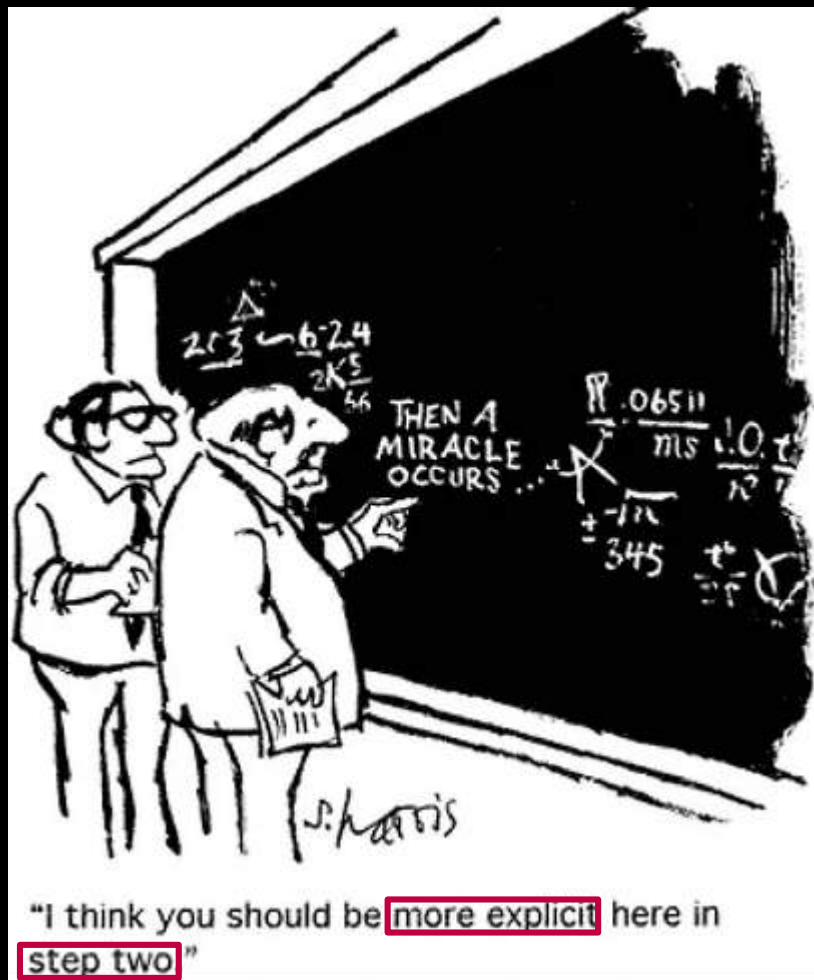
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$$\mathcal{L}_{a\gamma} = -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} - \frac{1}{4} g_{a\gamma} \phi F_{\mu\nu} \tilde{F}^{\mu\nu}$$



Effective Lagrangian

step 2

$$\mathcal{L}_{a\gamma} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} - \frac{1}{4}g_{a\gamma}\phi F_{\mu\nu}\tilde{F}^{\mu\nu} = -\frac{1}{2}\left(\vec{E}^2 - \vec{B}^2\right) - g_{a\gamma}\phi\vec{E}\cdot\vec{B}$$

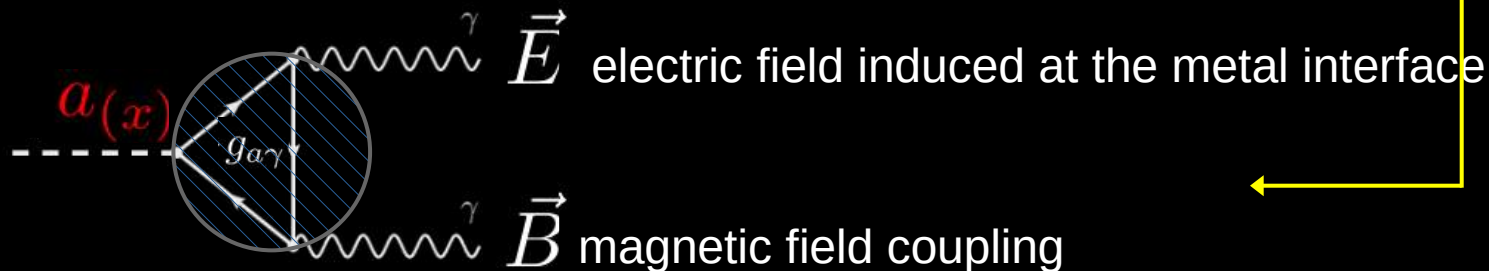
Modified Maxwell's equations

$$\vec{\nabla}\cdot\vec{B}=0$$

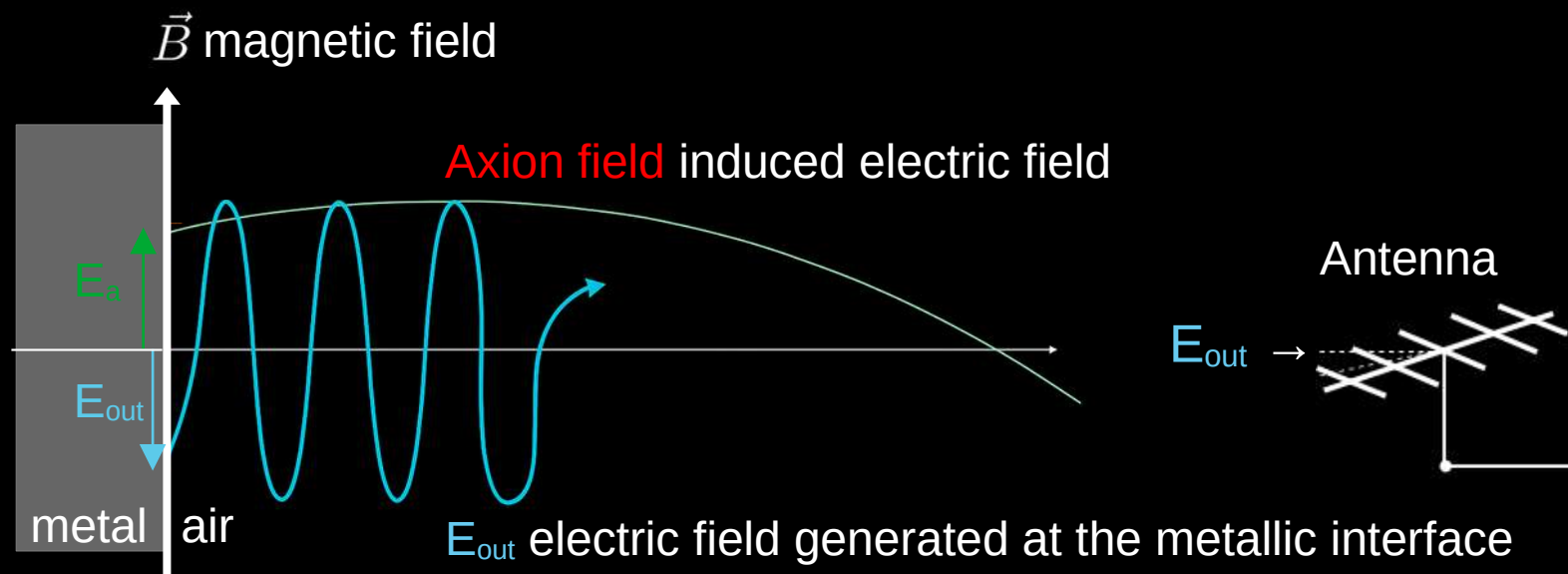
$$\vec{\nabla}\cdot\vec{E}=\rho-g_{a\gamma}\vec{\nabla}\phi\cdot\vec{B}$$

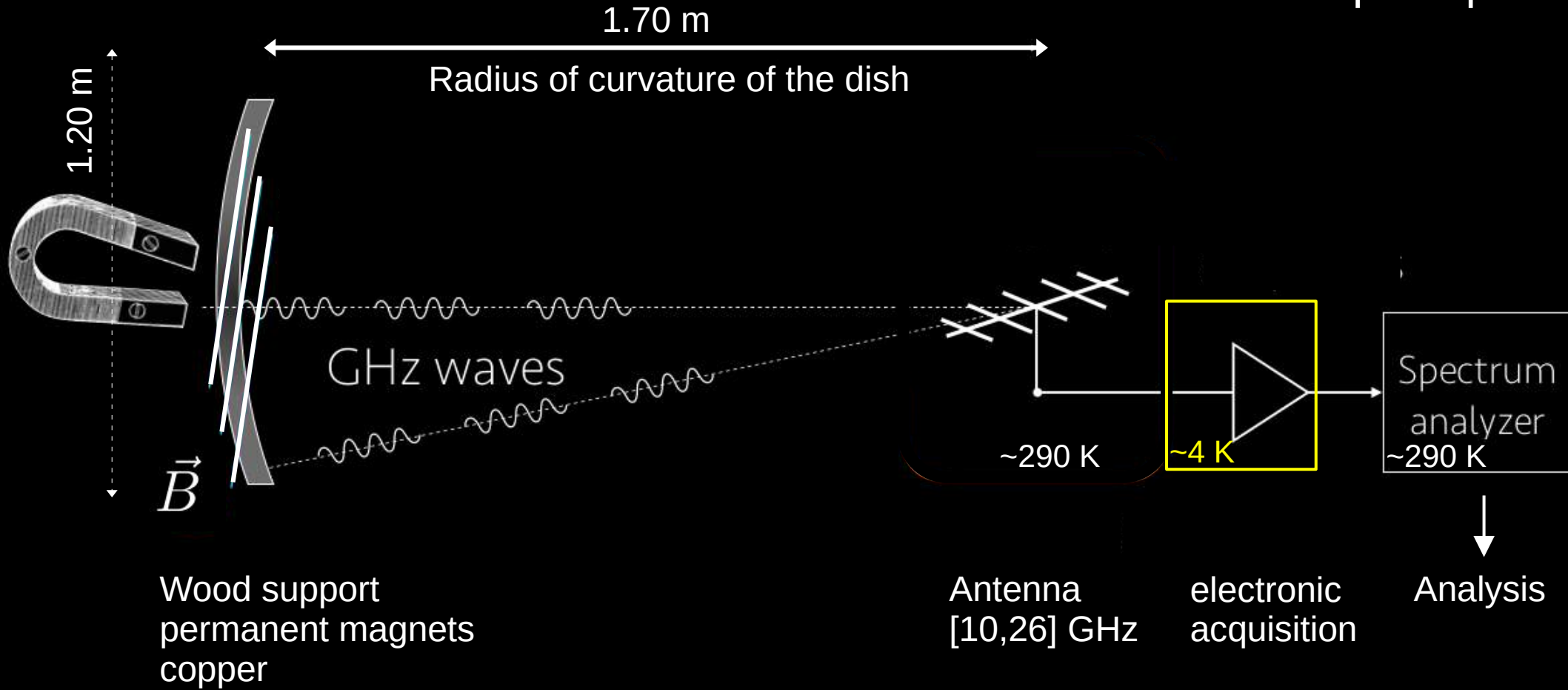
$$\partial_t\vec{B}+\vec{\nabla}\wedge\vec{E}=\vec{0}$$

$$\vec{\nabla}\wedge\vec{B}=\vec{j}+g_{a\gamma}\dot{\phi}\vec{B}+g_{a\gamma}\vec{\nabla}\phi\wedge\vec{E}$$



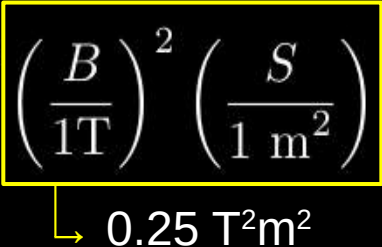
Maxwell's equations $\rightarrow E_{\parallel}^{(metal)} - E_{\parallel}^{(air)} = 0$





Power generated at the metallic interface:

$$P_{DM}[W] = 5.5 \times 10^{-26} \left(\frac{\rho_{DM}}{0.3 \text{ GeV/cm}^3} \right) \left(\frac{m_a}{100 \mu eV} \right)^{-2} \left(\frac{g_{a\gamma}}{10^{-12} \text{ GeV}} \right)^2 \left(\frac{B}{1 \text{ T}} \right)^2 \left(\frac{S}{1 \text{ m}^2} \right)$$



 $0.25 \text{ T}^2 \text{m}^2$

Sensitivity estimation of our experiment:

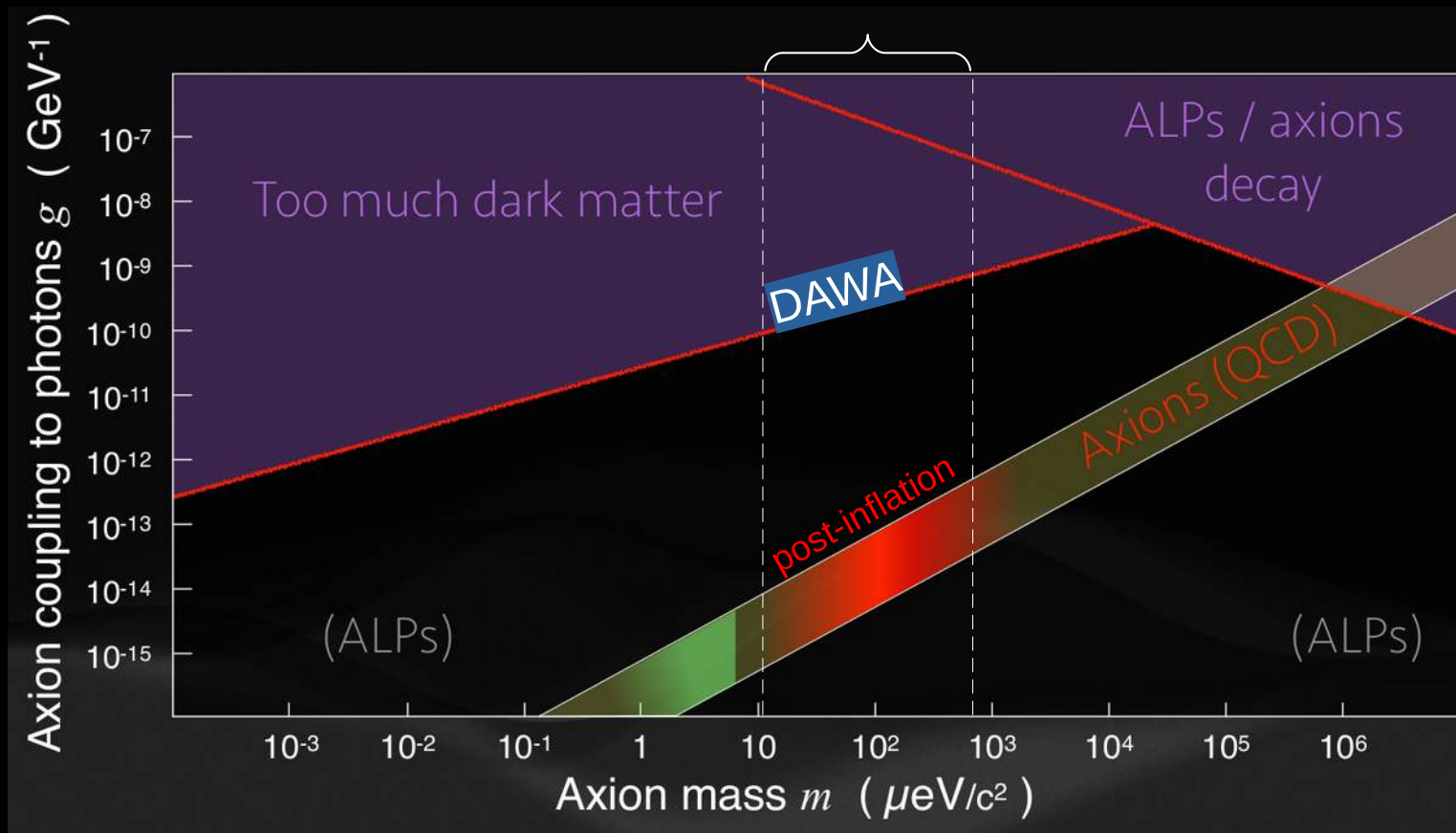
$$P_{\text{det}} = k_B T_{\text{sys}} \sqrt{\frac{\Delta \nu}{\tau}}$$

$\rightarrow < 10^{-21} \text{ W}$

With

$$T_{\text{sys}} = (T_{\text{ampli}} + T_{\text{cryo}} + T_{\text{other}}) * \epsilon$$

$\rightarrow < 100 \text{ K}$



Detector

magnets support



Mallet



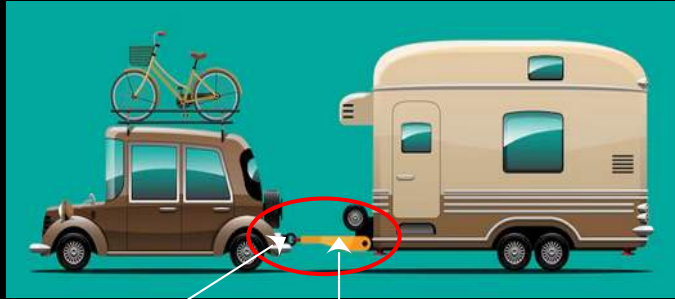
Plywood support



Iron frame to ensure the spherical shape
of the permanent magnet support

Detector

How to get a spherical support ?



tow ball

trailer hitch

trailer hitch

Défonceuse
(french translation)

→ Plunge router



magnets support

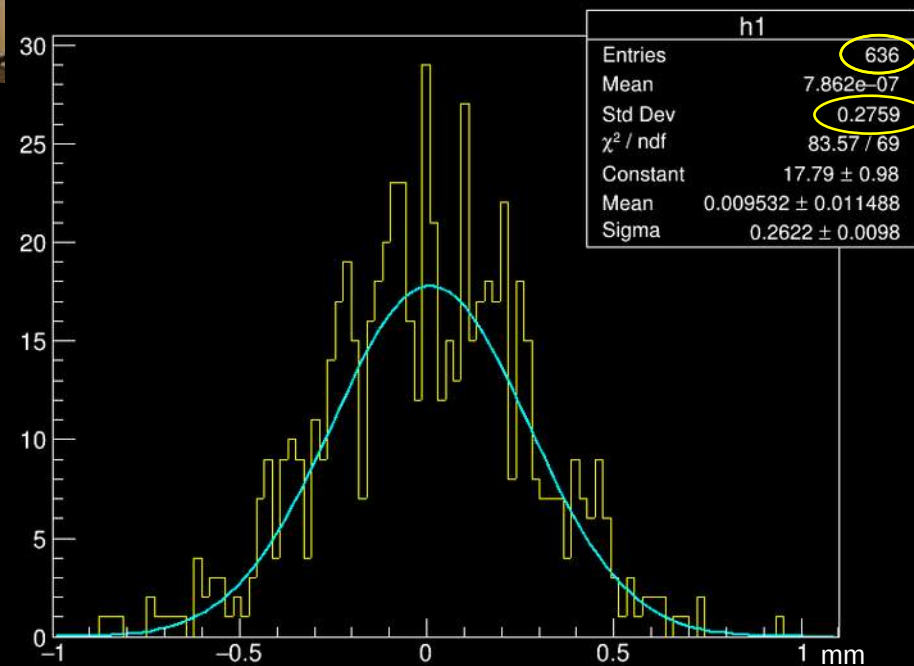
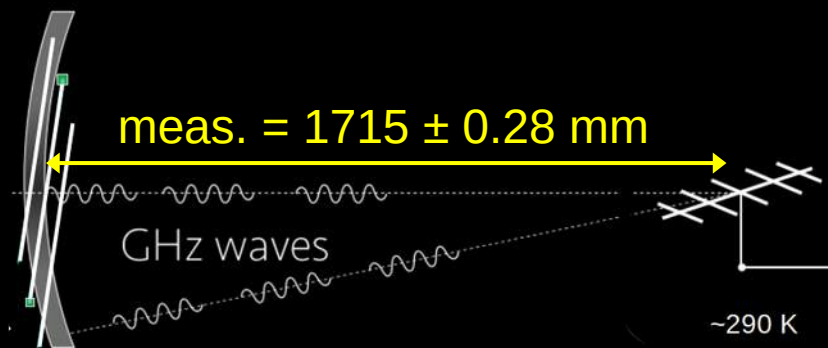


Detector



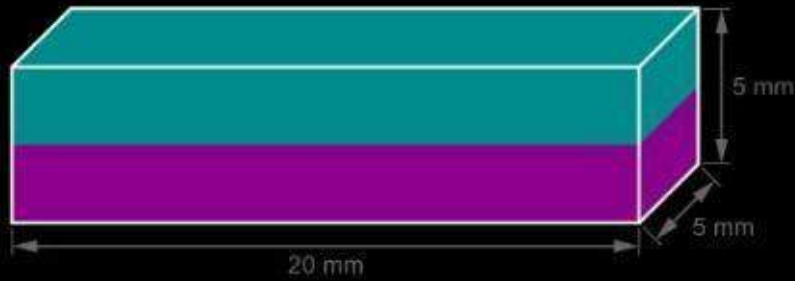
magnets support

636 measurements →



Magnetic field

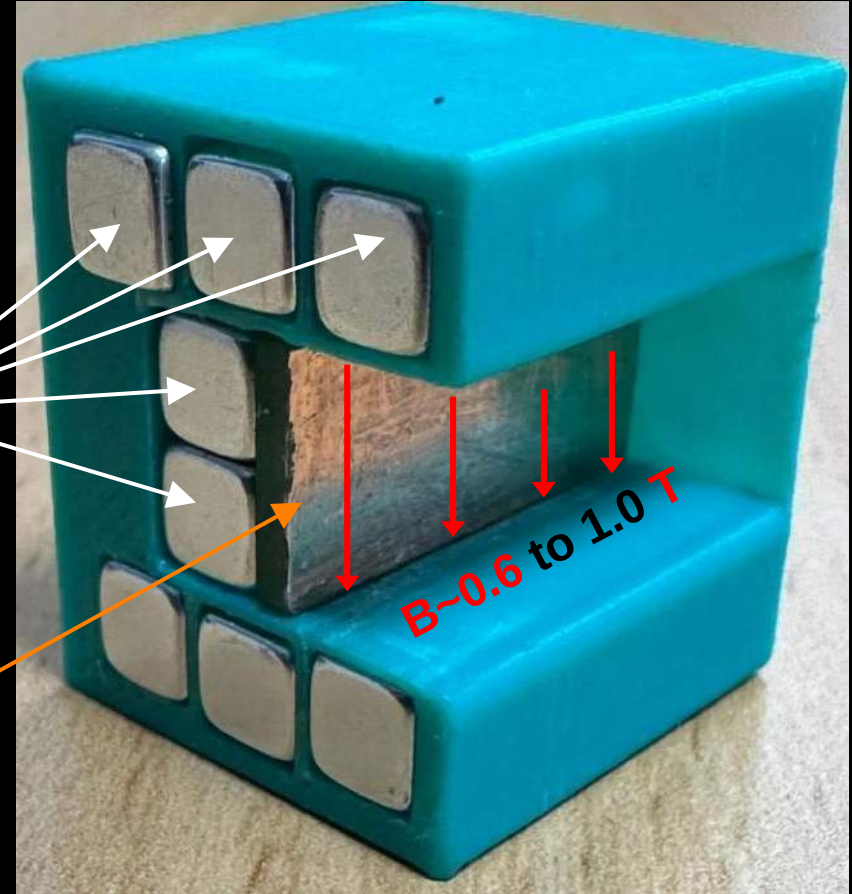
permanent magnets



ID article	Q-20-05-05-Z
EAN	7640155439824
Matériau	NdFeB
Forme	Parallélépipède
Dimensions	20 x 5 x 5 mm
Côté 1	20 mm
Côté 2	5 mm
Côté 3	5 mm
Pôles	20 x 5 mm
Tolérance	+/- 0,1 mm
Sens de magnétisation	Axe 5 mm
Revêtement	zingué (Zn)
Méthode de fabrication	par frittage
Magnétisation	N42
Force d'adhérence	env. 2,5 kg (env. 24,5 N)
Force de cisaillement	env. 500 g (env. 4,9 N)
Température max. d'utilisation	80°C
Poids	3,8000 g
Température de Curie	310 °C
Rémanence Br	12900-13200 1,29-1,32 T
Champ coercitif bHc	10.8-12.0 kOe, 860-955 kA/m
Champ coercitif iHc	≥12 kOe, ≥955 kA/m
Produit énergétique (BxH)max	40-42 MGOe, 318-334 kJ/m³

8 magnets

PCB + copper
0.2 mm 0.05 mm



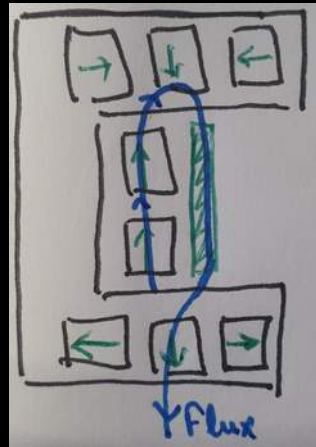
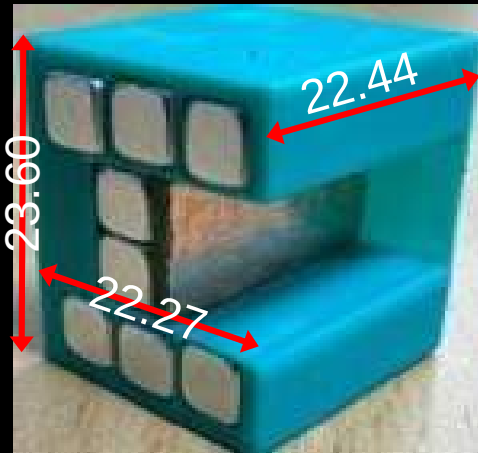
Magnetic field

permanent magnets

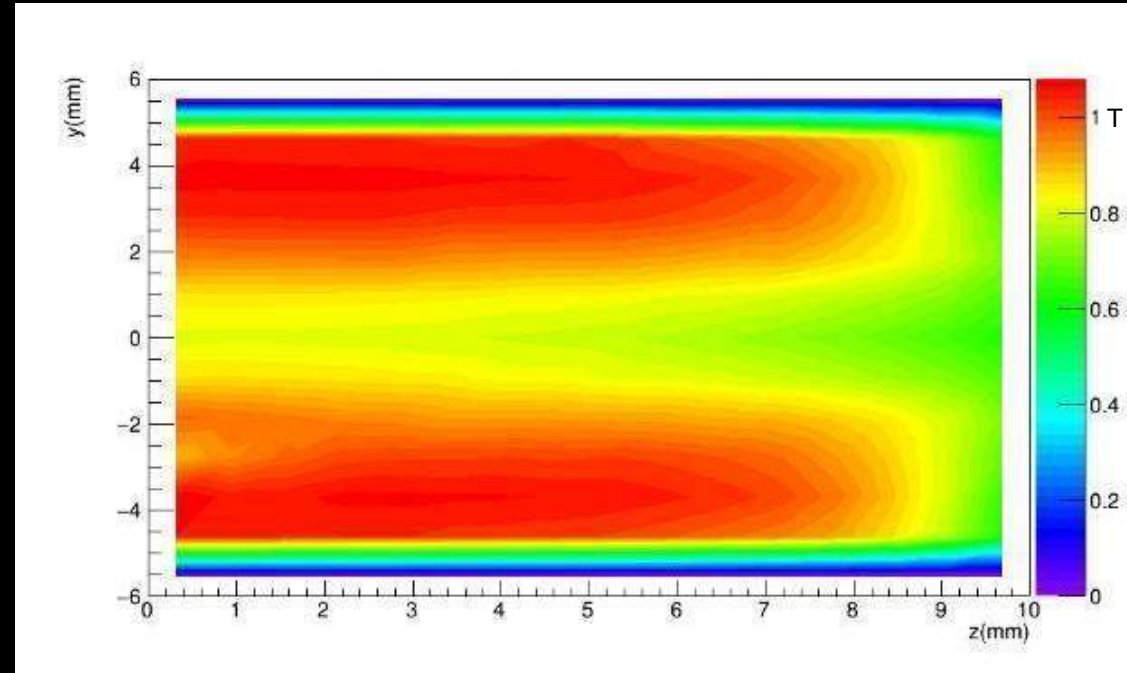
COMSOL

calculation at 200 μm from central magnet $\rightarrow \sim 0.6 \text{ T} < B < \sim 1.1 \text{ T}$

All in mm



$S \sim 2. \text{ cm}^2 \leftarrow 2 \text{ magnets } 0.5 \text{ cm} \times 2 \text{ cm}$
 $\langle B^2 S \rangle \sim 0.88 \text{ T}^2 \text{ cm}^2$



Half module calculation

Magnetized metallic dish

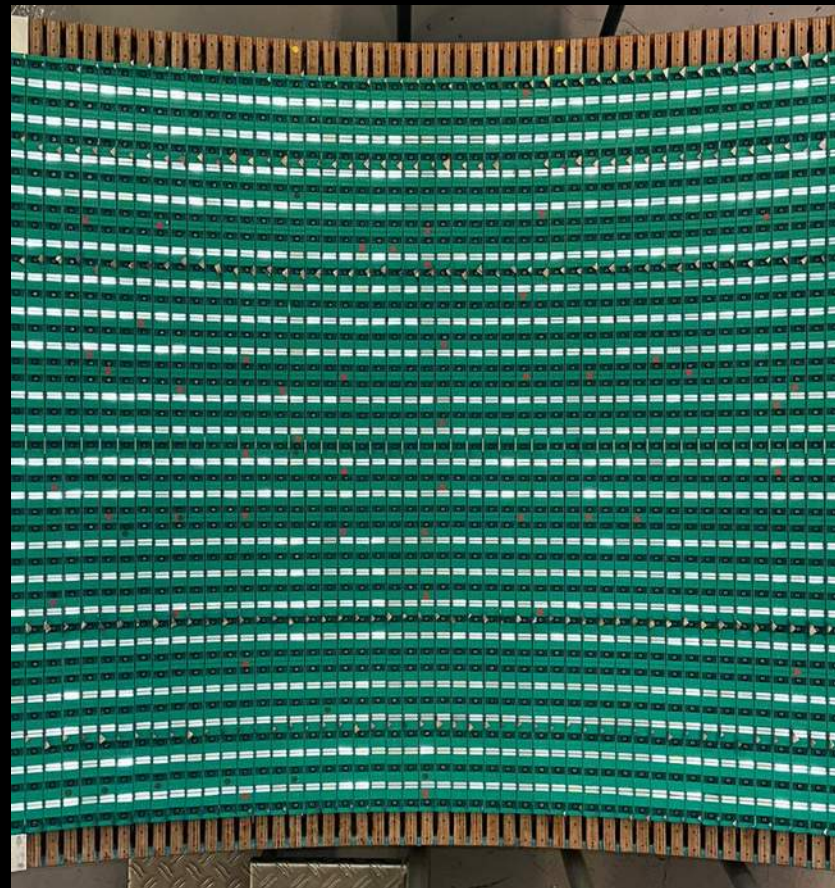


X 2205 (phase 2 → 3087)
screwed into the wood support



emitter

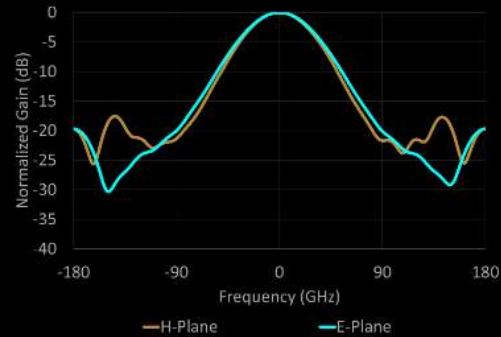
$$\langle B^2 S \rangle \sim 0.25 \text{ T}^2 \text{ m}^2$$



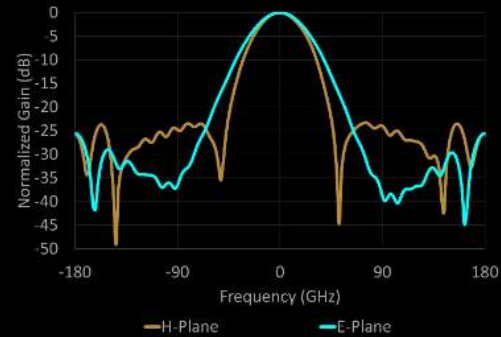
Antenna

[10,26] GHz

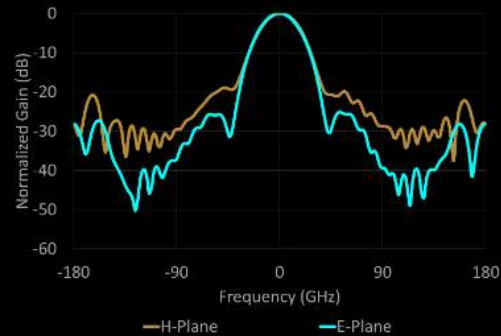
10,1 GHz



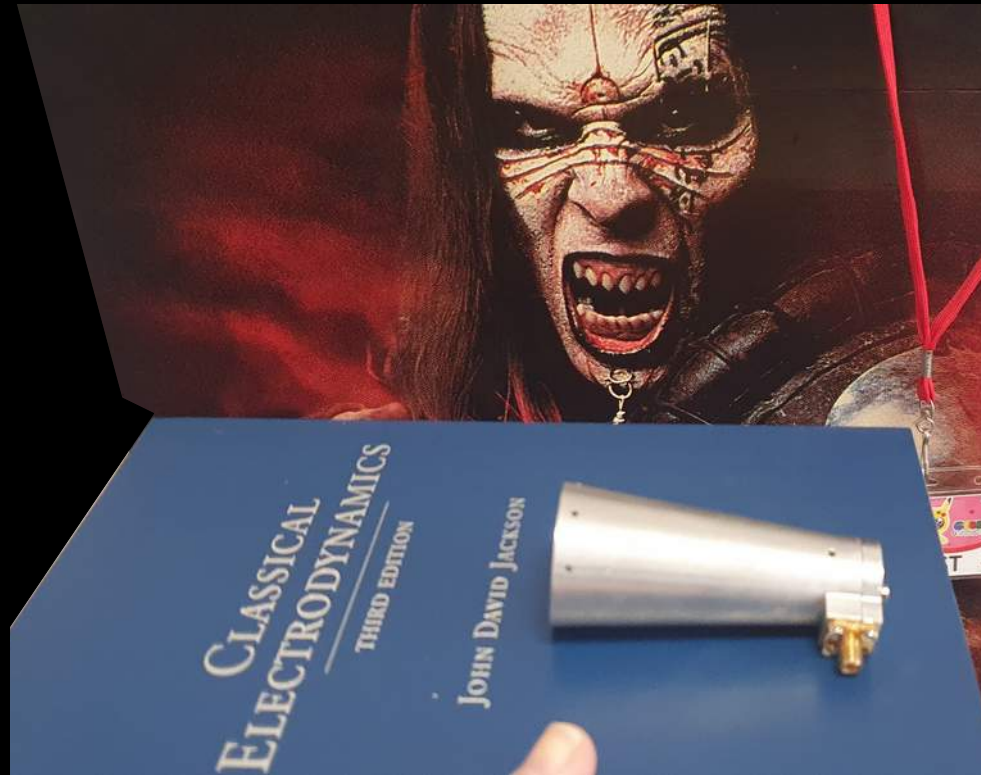
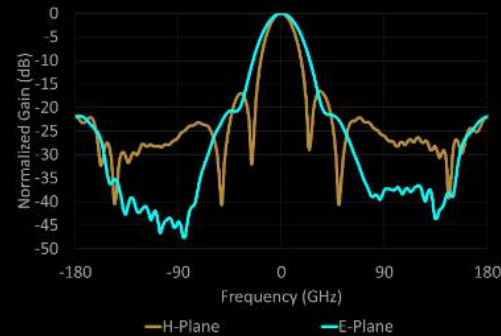
15,5 GHz



20,9 GHz



26,3 GHz

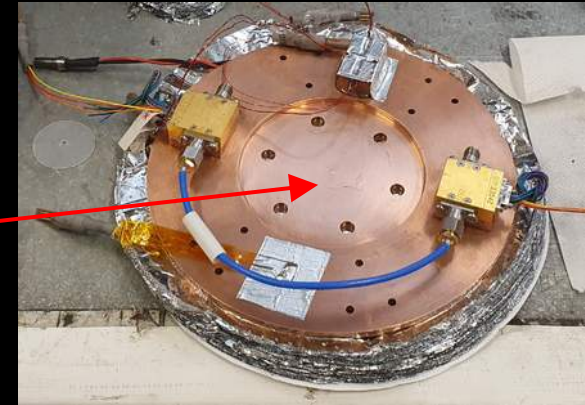




Cryostat



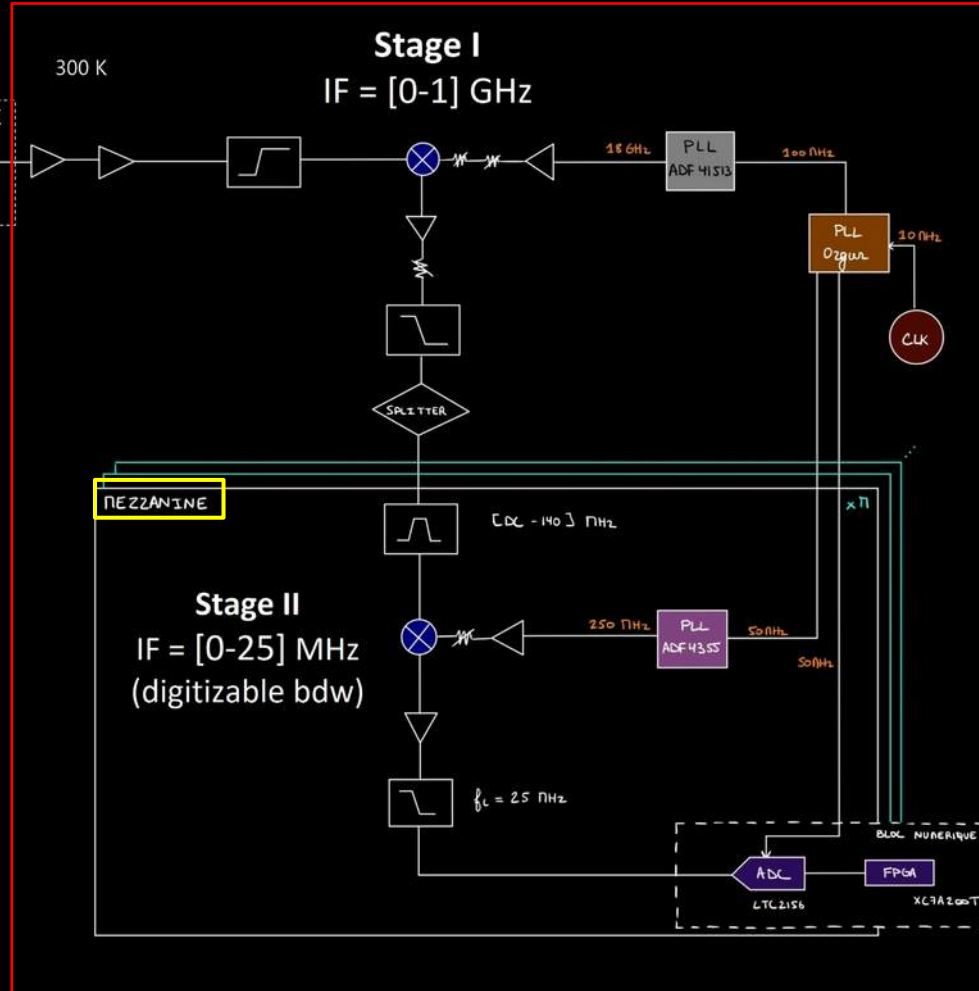
Cryocooler 1.5 W



2 LNA's



[10,40] GHz



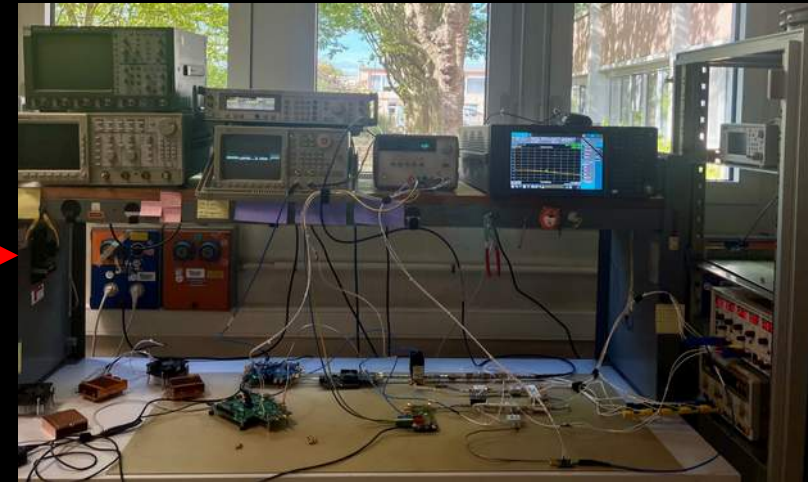
[10,11] GHz (30 x 1 meas.)

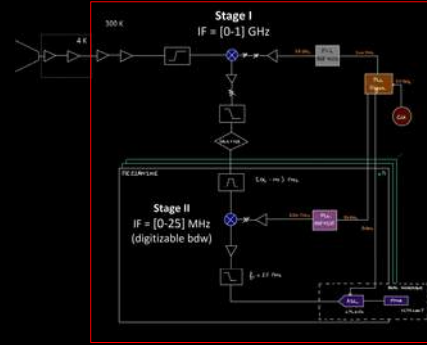
Stage 1

[0,1] GHz

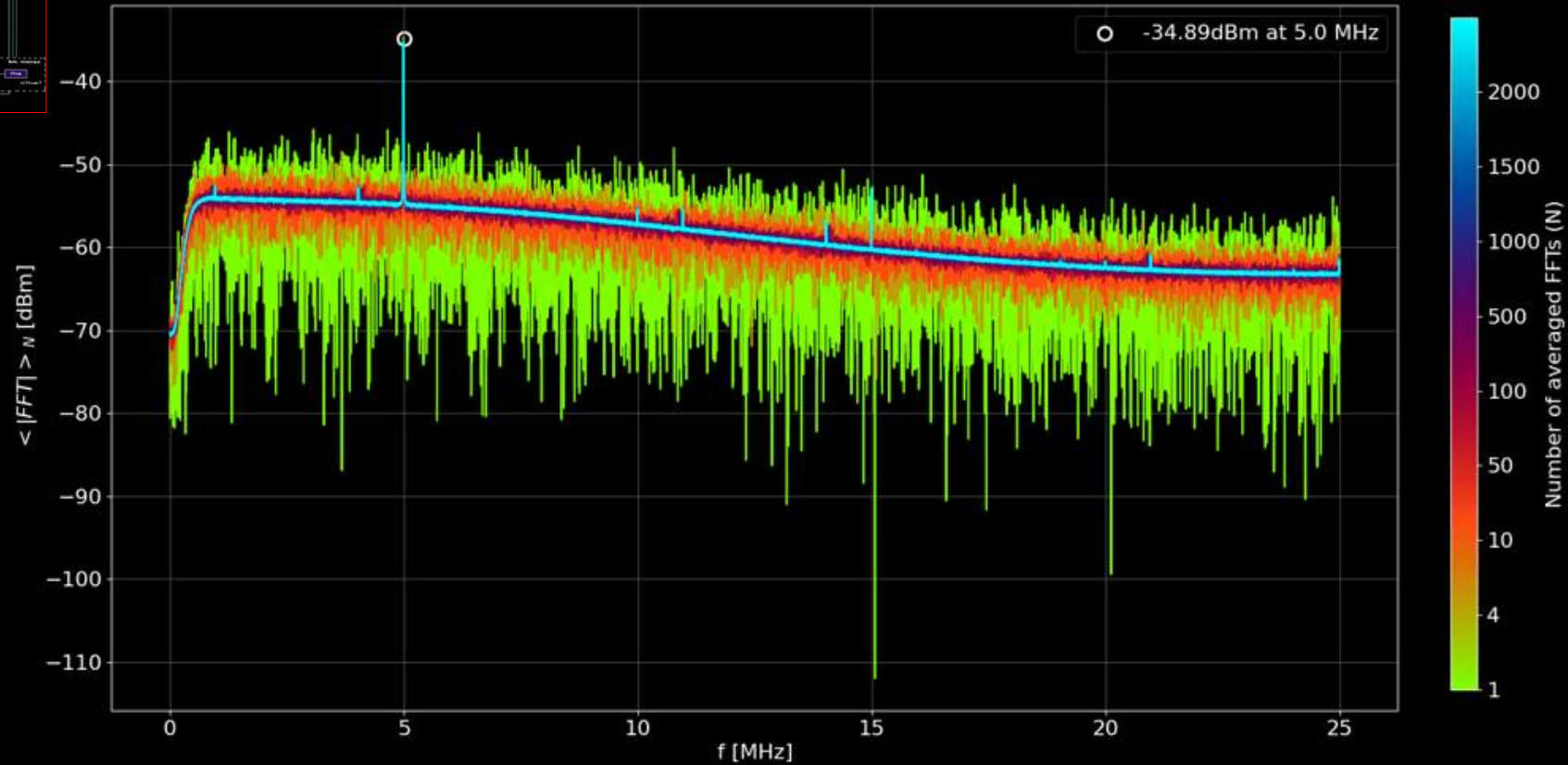
Stage 2

[0,100] MHz (10 x 1 **mezzanine**)





Stage 2
 18 GHz $\rightarrow$ 1 mezzanine [0,25] MHz



Conclusion (1)

2026 DAWA

emitter

- ✓ support
- ✓ permanent magnets

electronics

- ✓ radiometer prototype (1 mezzanine)
- ✓ spectrum Analyzer

tests

end of this year

first physics run

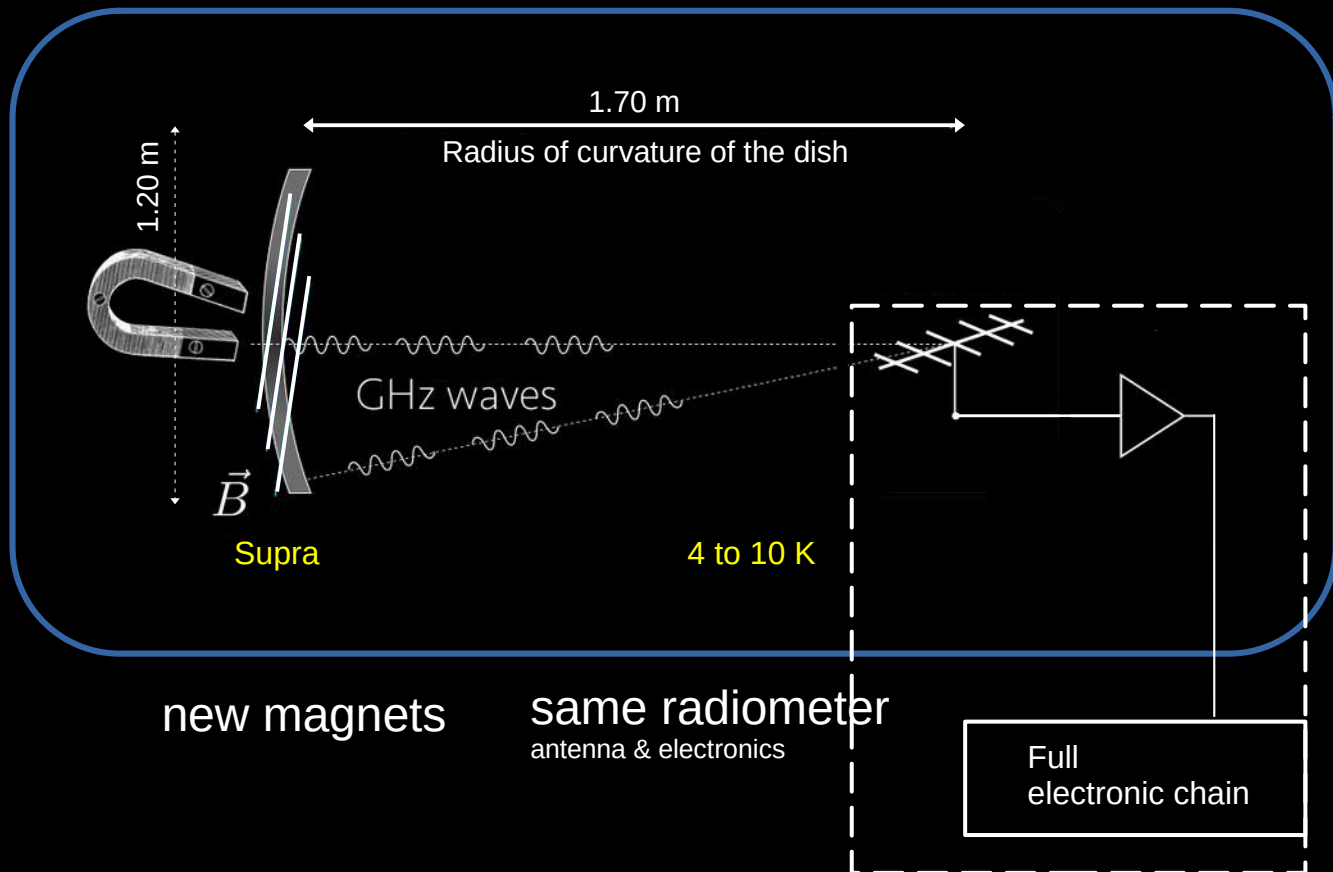
beginning of 2026

Conclusion (2)

2026 DAWA
first results

2027 Super DAWA
cryostat
emitter supra
antenna ~ 10 K
full electronics chain

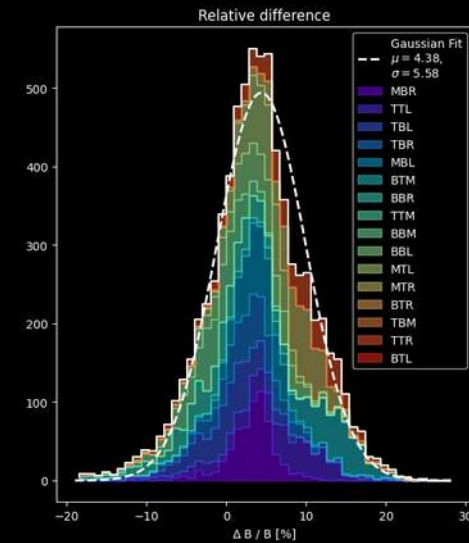
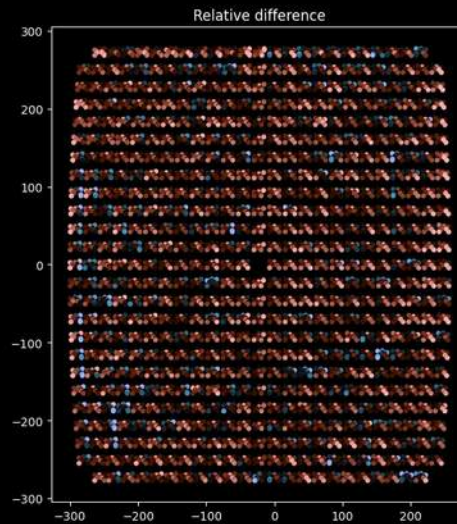
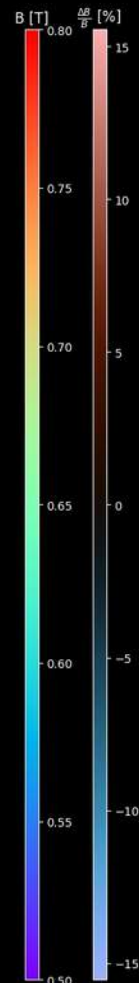
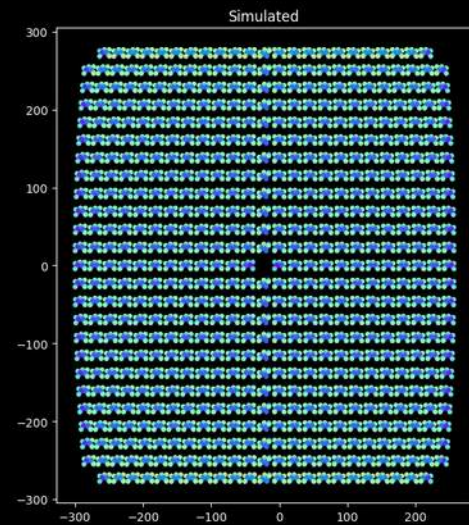
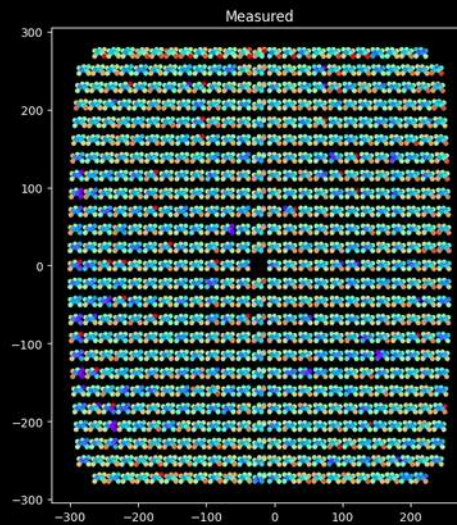
Cryostat under construction: 4 m x $\varnothing$ 2 m



backup

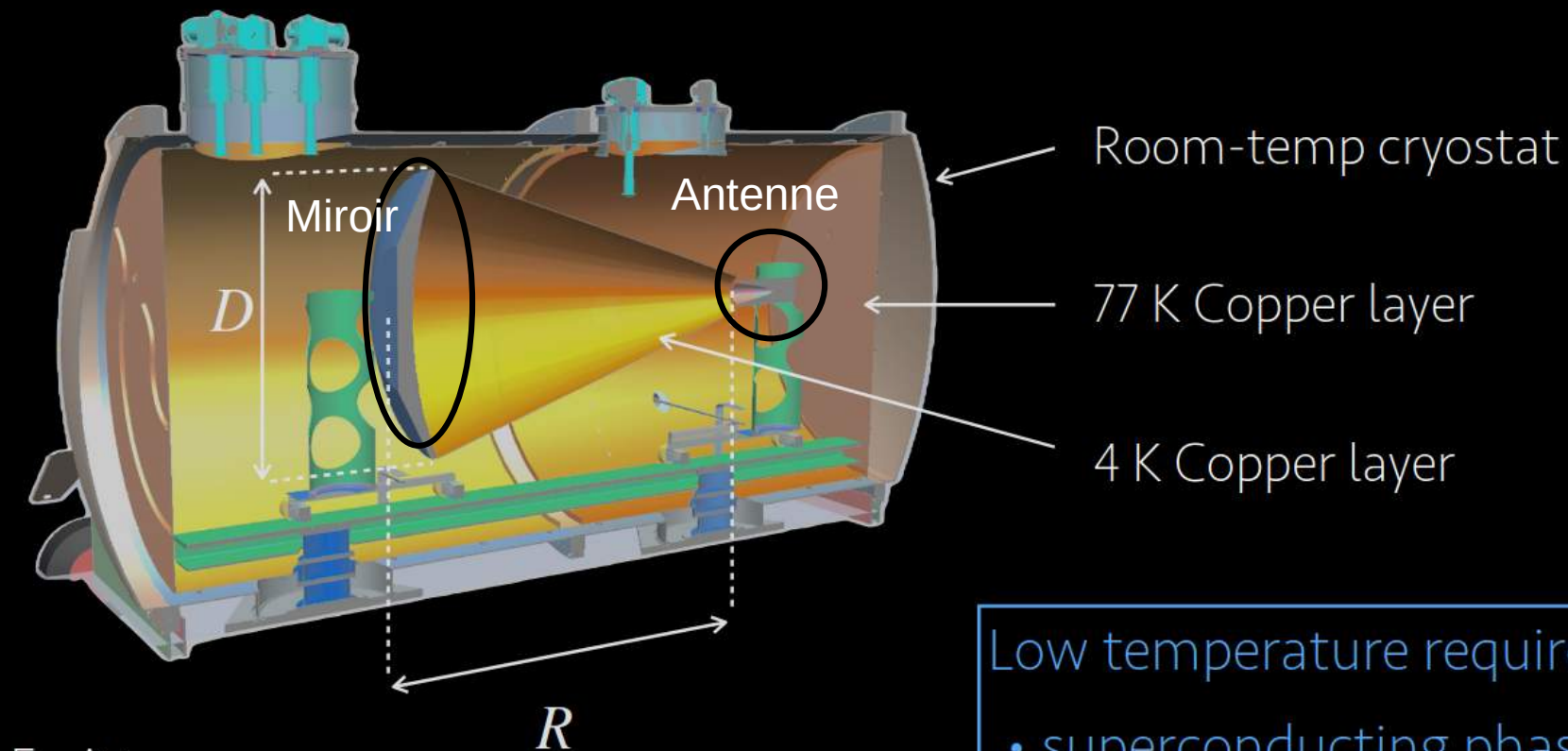
(mini) DAWA magnets tests

Prototype 1/4 50x50 cm²



SuperDAWA

→ Outer dimensions: $L = 3.7$ m $H = 1.8$ m $m \simeq 5$ t



Emitter :

→ Radius of curvature $R = 1.7$ m

→ Diameter $D = 1.2$ m

Low temperature required:

- superconducting phase
- reduce detection noise