



An Introduction to Particle Physics



8-19 June 2026
Institut Pascal
Paris-Saclay University, Orsay
France

Outline

- A few historical highlights; What's matter?
- Quantum Field Theory, QED and QCD
- Weak Interaction
- Standard Model

1h30 presentation : necessarily extremely brief overview

Further Details :

Modern Particle Physics ; M. Thomson

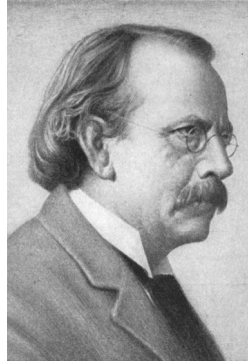
NPAC Master Particle Physics Lectures ; E. Ben-Haim. B. Fuks & I

A few Historical Highlights What's matter

The first elementary particle

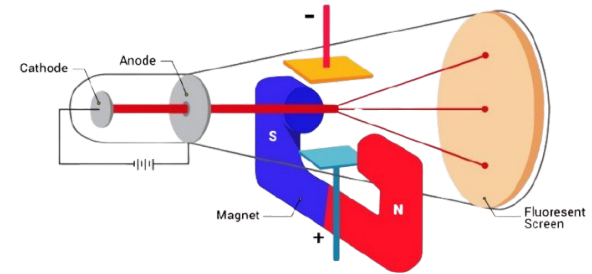
To make a world you need
e, atomic >0 stuff

1897 : J. J. Thomson
Electron discovery



Cathode Rays are composed of
charged corpuscles
streams of **electrons**

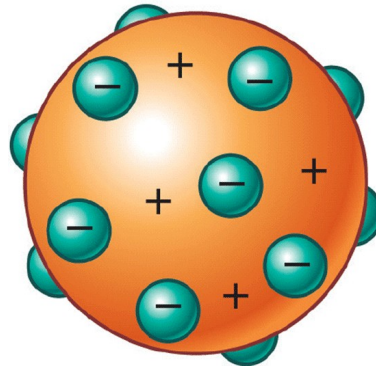
Cathode Rays in Crookes tubes



Cathode Rays electrons are extracted from cathode atoms $\Rightarrow$ Atoms are not indivisible $\Rightarrow$ Structure?

The Plum Pudding Model

No strong theoretical prejudice
just the simplest model conceivable
at the time



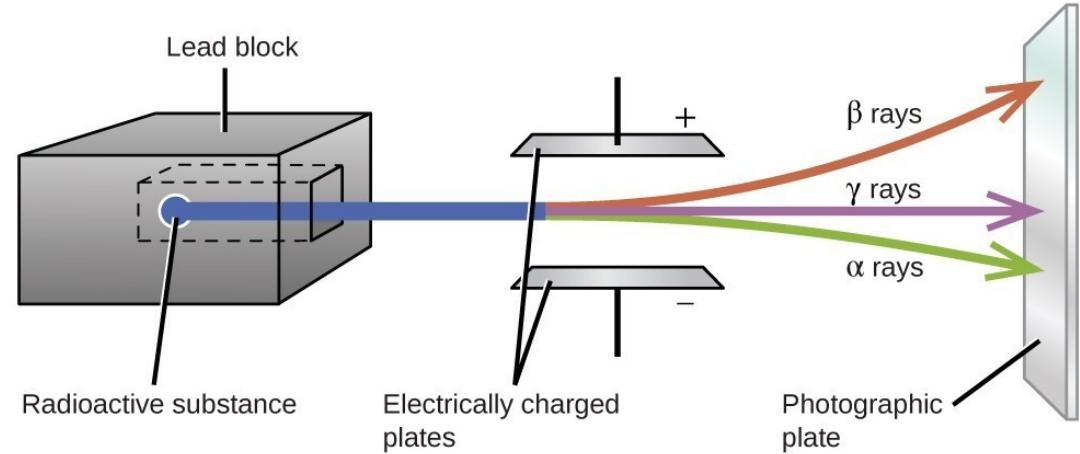
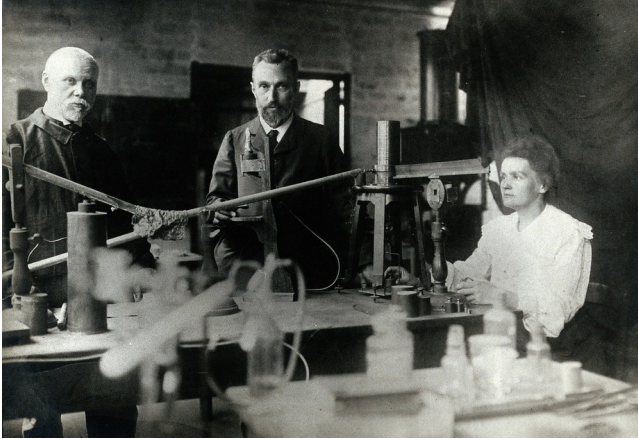
Electrons held by an uniform positive stuff

Force : Electromagnetism

How to probe this?

Rays Time

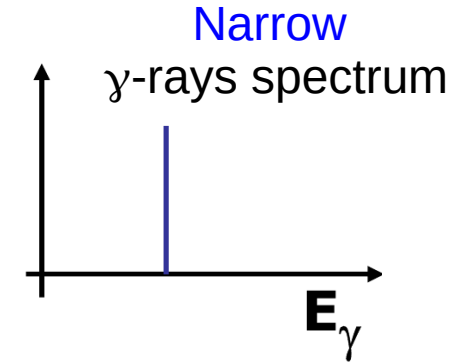
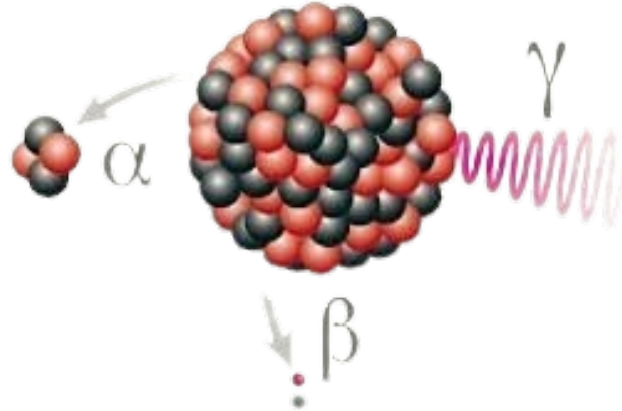
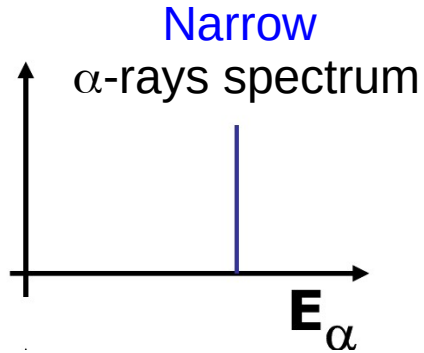
1896-1907: H. Becquerel, P. Curie et M. Sklodowska-Curie, E. Rutherford on radioactivity



- γ -rays : very highly energetic electromagnetic rays, similar to X-rays but higher E
- β -rays : electrons $\Rightarrow$ A mystery
- α -rays : nuclei of Helium atoms $\Rightarrow$ A mean to probe atom

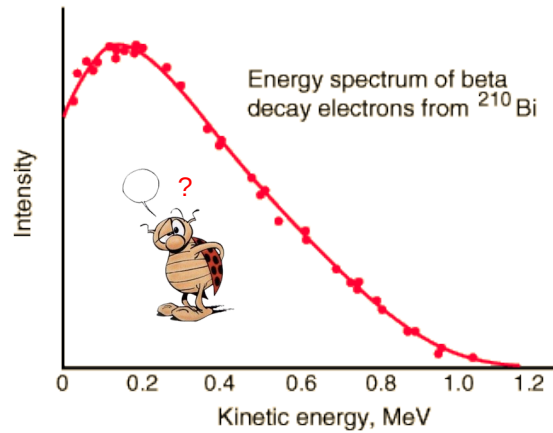
β Rays : a mystery

e, ν , atomic >0 stuff



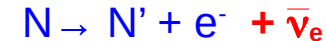
Continuous
 β -electron spectrum!

For a 2 body process?



1930 : W. Pauli Neutrino proposal

This is a three body decay



New neutral particle

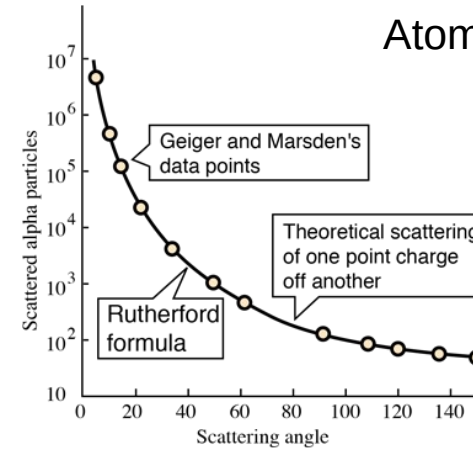
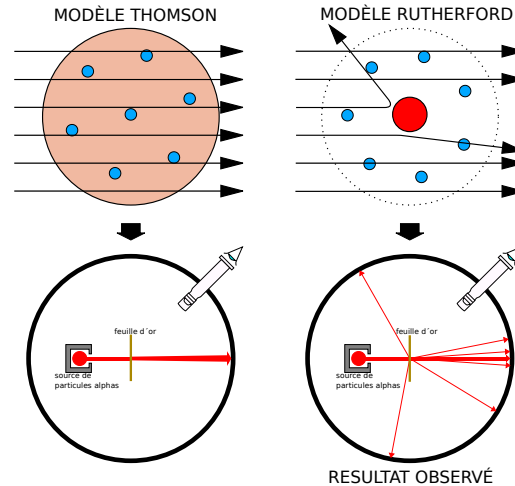
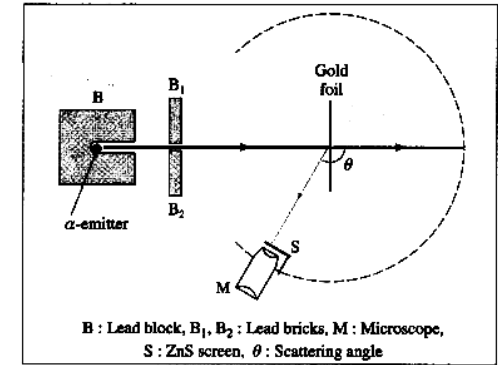
New Force : weak interaction



Probing the Atom

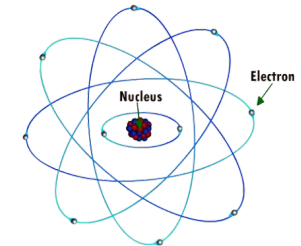
1909 : H. Geiger and E. Marsden experiment

1911 : E. Rutherford interpretation



Atom mass is enclosed into a
very small Nucleus

⇒ Planetary model
of the atom



What the nucleus is made of

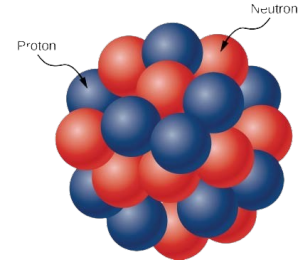
e, ν , p, n

1919 : Rutherford's **proton**, ${}^{14}_7N + {}^4_2He \rightarrow {}^{17}_8O + p$

For a while : Nucleus = **A protons** + **A-Z electrons**

Good reason : a β -ray electron escapes from the atom; so surely it was sitting in the nucleus before

Major problem : Nuclear Spin of some atoms



1932 : Chadwick's **neutron**

So : Nucleus = **A nucleons** = **Z protons** + **A-Z neutrons**

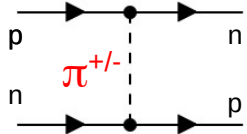
Now the β -decay is $n \rightarrow p + e^- + \bar{\nu}$

First a few more Particles

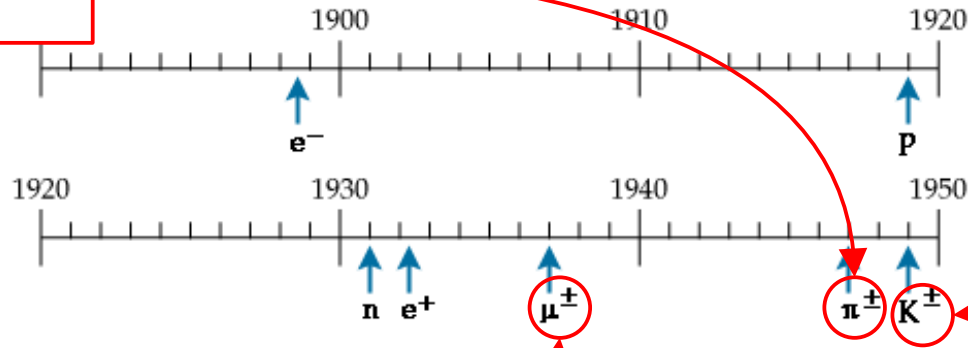
$e, \nu, p, n, \dots \mu (?)$

Predicted and found
scalar pions to describe the
nucleons interaction

1935 : H. Yukawa



New Force
Strong Interaction
between nucleons



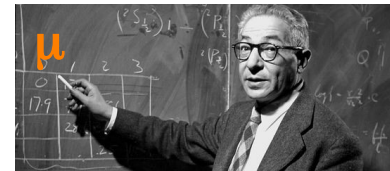
New **strange**
mesons

Produced in pairs via
Strong Interaction
but decaying Weakly

Strangeness
new Quantum number

Looking for pions
found ... a heavy electron?

But who needs a heavy electron?

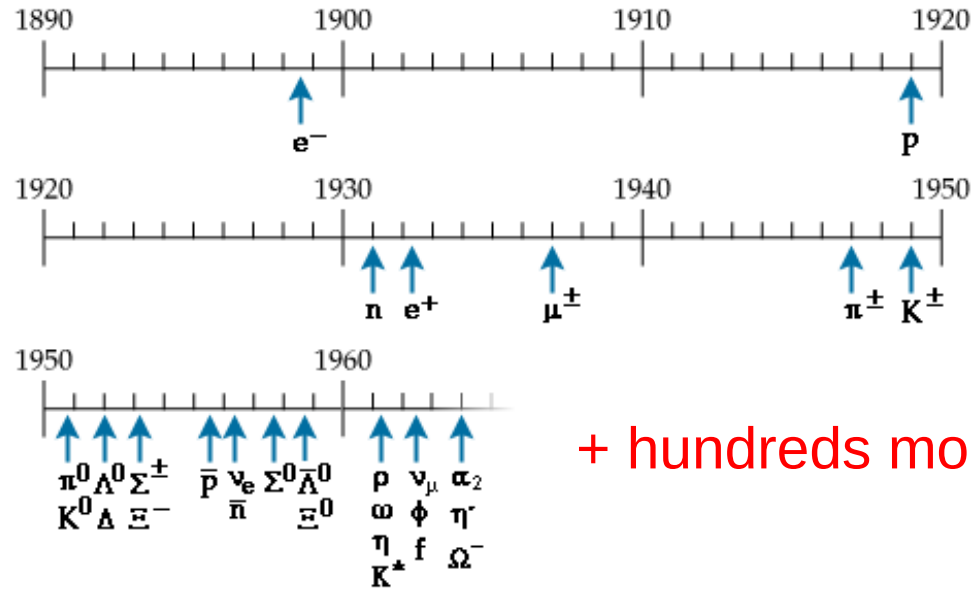


I. Rabi : Who ordered that?

Then the Deluge

e, ν , p, n ... hundreds more?

In the 50' and 60', hundreds of new hadrons found first in cosmic rays then at accelerators



All elementary?

The particle zoo

+ hundreds more

"Young man, if I could remember the names of these particles, I would have been a botanist."

E. Fermi to a student

Few elementary bricks after all

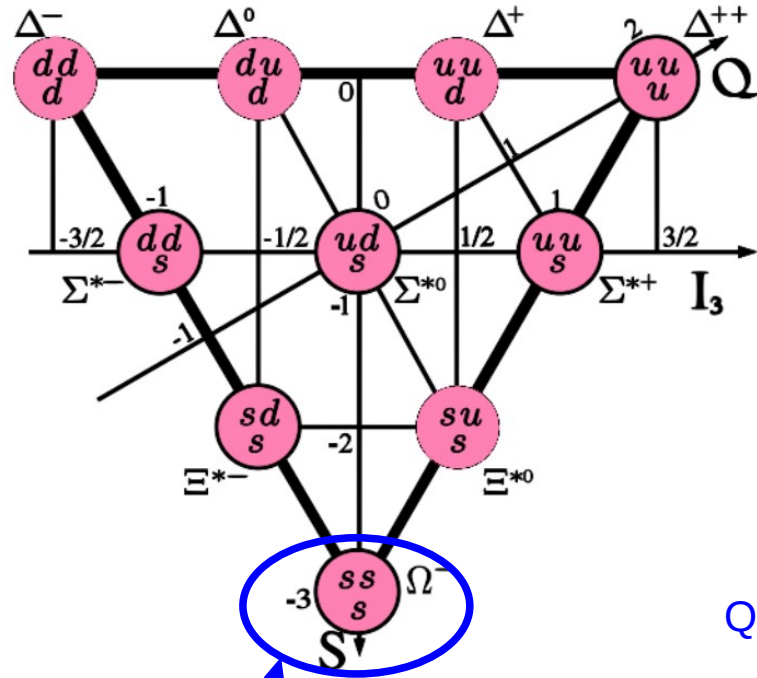
e, ν_e, u, d
 μ, ν_μ, S



1962 : M. Gell-Mann
Strangeness and Isospin

Highly successful
classification of hadrons
in $SU(3)_{\text{flavor}}$ multiplets

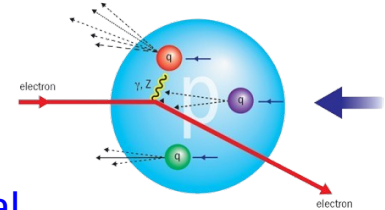
à la Mendeleviev
Classification + Predictions



Hadrons easily understood
has made of quarks
 $u (+2/3)$ $d (-1/3)$ $s (-1/3)$

Real particles or fictions?

1969 : Feynman Parton model
Deep Inelastic scattering



Quarks are real

Renewed Strong interaction
now between quarks

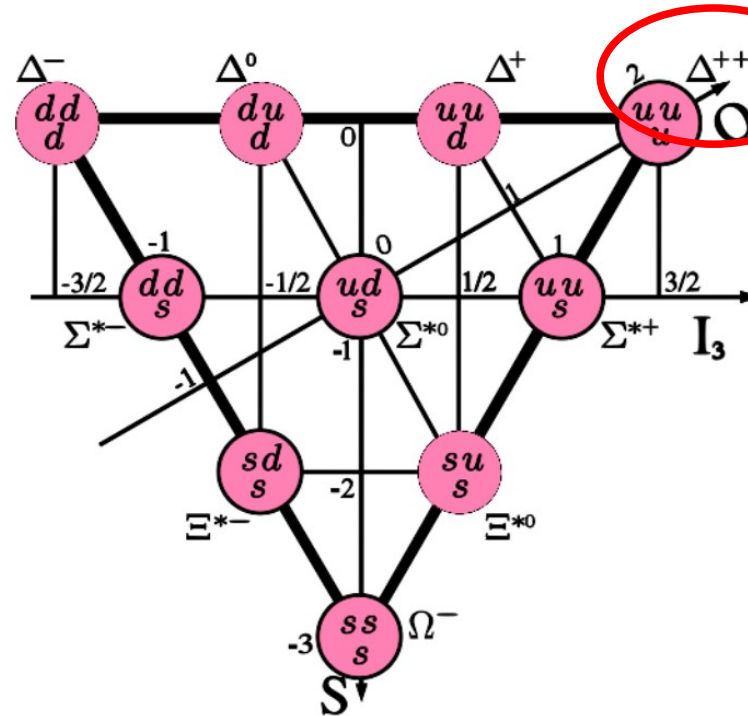
Few elementary bricks after all

e, ν_e, u, d
 μ, ν_μ, S



1962 : M. Gell-Mann
 Strangeness and Isospin

Highly successful
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 in $SU(3)_{\text{flavor}}$ multiplets



Troubles with the Δ^{++}

$u\uparrow u\uparrow u\uparrow$ symmetric state

Need a degree of freedom
 (at least 3 states)
 to get statistics right

New quantum nber
 Color

Matter - Fermions

Quarks and leptons

- Family pattern
3 increasingly heavy families
- Extravagant Mass spectrum
 $m_t = 173 \text{ GeV}$
 $m_e = 3 \times 10^{-6} m_t$
 $m_\nu < 6 \times 10^{-12} m_t$

	I	II	III
mass	$\approx 2.16 \text{ MeV}/c^2$	$\approx 1.273 \text{ GeV}/c^2$	$\approx 172.57 \text{ GeV}/c^2$
charge	$\frac{2}{3}$	$\frac{2}{3}$	$\frac{2}{3}$
spin	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$
QUARKS	u up	c charm	t top
	$\approx 4.7 \text{ MeV}/c^2$	$\approx 93.5 \text{ MeV}/c^2$	$\approx 4.183 \text{ GeV}/c^2$
	$-\frac{1}{3}$	$-\frac{1}{3}$	$-\frac{1}{3}$
	d down	s strange	b bottom
LEPTONS	$\approx 0.511 \text{ MeV}/c^2$	$\approx 105.66 \text{ MeV}/c^2$	$\approx 1.77693 \text{ GeV}/c^2$
	-1	-1	-1
	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$
	e electron	μ muon	τ tau
	$< 0.8 \text{ eV}/c^2$	$< 0.17 \text{ MeV}/c^2$	$< 18.2 \text{ MeV}/c^2$
	0	0	0
	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$
	ν_e electron neutrino	ν_μ muon neutrino	ν_τ tau neutrino

Stable ordinary matter

Forces

- Gravity (too weak)
- Electromagnetism
- Strong Interaction
- Weak interaction

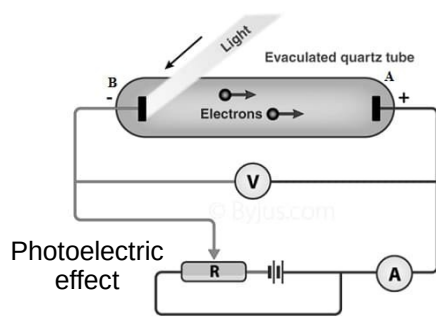
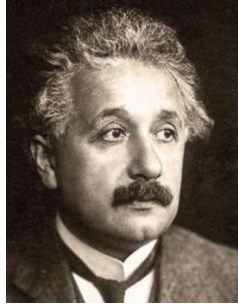
Decays : $M \rightarrow d_1 d_2 \dots$

	Life time (s)
Strong	10^{-23}
EM	10^{-16}
Weak	$10^{-13} - 900$

Quantum Fields Theory

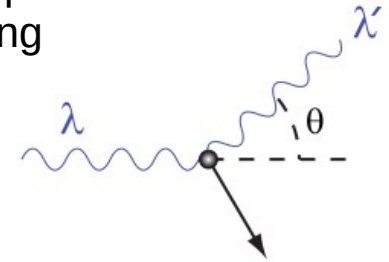
Electromagnetic Field and the Photon

1905 : A. Einstein
Light quantum hypothesis



$$E = \hbar\omega$$
$$\vec{p} = \hbar \vec{k}$$

1923 : A. H. Compton
X-rays scattering



Light acts as a particle

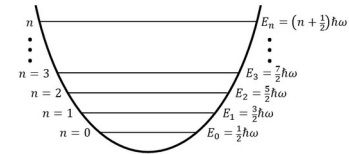
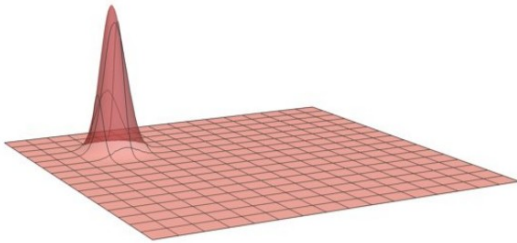
In some circumstances Radiation behaves as corpuscles $\Rightarrow$ Wave/Particle duality

From 1927 : P. Dirac, W. Heisenberg, W. Pauli, E. Wigner, P. Jordan, E. Fermi

Quantum Electromagnetic field
Photons are the quanta of the Field

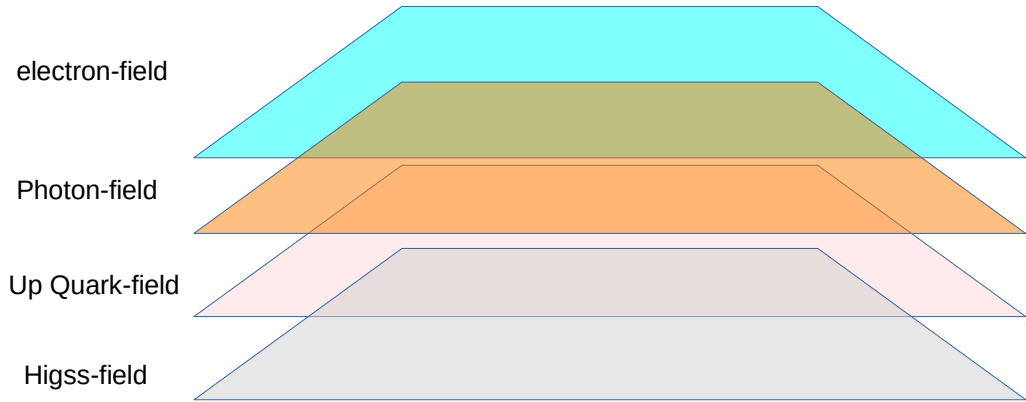
Modeled on the Quantum Harmonic Oscillator

Field is primary, particles are derived entities



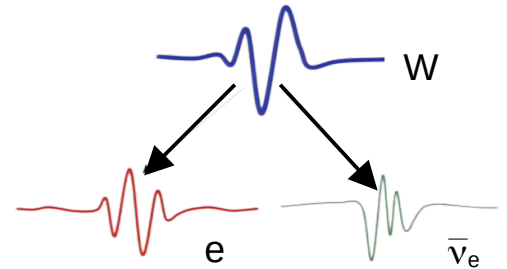
Quantum Fields

A few pervading fermionic and bosonic fields



- Force and matter are described in the same way
 - Locality/Causality from the onset
 - Particles inherit their properties (mass, spin) from their fields
 - Particles can be created and destroyed; the fields remain
-
- Particles of a given type are all identical : excitations of the same stuff
 - Interaction (decay, scattering): excitation passes from in-fields to out-fields
⇒ Final particles do not preexist hidden somehow in initial particles

The interesting thing : Fields in interaction



Building Interaction : Quantum Electrodynamics by “hand”

Dirac Lagrangian	$\mathcal{L}_{Dirac} = \bar{\Psi} (i\gamma^\mu \partial_\mu - m) \Psi$	$\left\{ \begin{array}{l} \Psi = 4\text{-components vector, a spinor} \\ \gamma^\mu = 4 \times 4 \text{ matrices with interesting algebra} \end{array} \right.$
Dirac Equation	$(i\gamma^\mu \partial_\mu - m) \Psi = 0$	$\exists$ a conserved current $j^\mu = \bar{\Psi} \gamma^\mu \Psi$

How the electron field interacts with the Electromagnetic Field ?

Inspiration from the classical Lagrangian is $\mathcal{L}_{class} = J^\mu A_\mu - \frac{1}{4} F^{\mu\nu} F_{\mu\nu}$

We can postulate

$$\mathcal{L}_{QED} = \bar{\Psi} (i\gamma^\mu \partial_\mu - m) \Psi + (e \bar{\Psi} \gamma^\mu \Psi) A_\mu - \frac{1}{4} F_{\mu\nu} F^{\mu\nu}$$

Quantum Electrodynamics by Gauge invariance

Dirac Lagrangian $\mathcal{L}_{Dirac} = \bar{\Psi} (i\gamma^\mu \partial_\mu - m) \Psi$ $\left\{ \begin{array}{l} \text{is invariant under global } U(1) \text{ symmetry } \Psi \rightarrow \Psi e^{ie\alpha} \\ \text{Noether's theorem } \Rightarrow \exists \text{ a conserved current (known)} \end{array} \right.$

Now look at $\Psi \rightarrow \Psi e^{ie\alpha(x)}$ (local $U(1)$ symmetry) $\Rightarrow$ Do not work

Well ... can work (Fields redefinitions can undo the changes) if there is an interaction with a Vector Field

$$\Rightarrow \mathcal{L}_{QED} = \bar{\Psi} (i\gamma^\mu \partial_\mu - m) \Psi + e \bar{\Psi} \gamma^\mu \Psi A_\mu - \frac{1}{4} F_{\mu\nu} F^{\mu\nu} \Leftarrow$$

By requiring a local $U(1)$, we get

- a massless Vector Gauge Field, so the photon, is necessary
- the interaction electron/photon is prescribed

A recipe : to build an interaction, postulate a Local Gauge symmetry and look at what come out

When you get it right, it's obvious that it's right [...] Because most of what happens is that more comes out than goes in
R. Feynman

Divergences and Renormalization

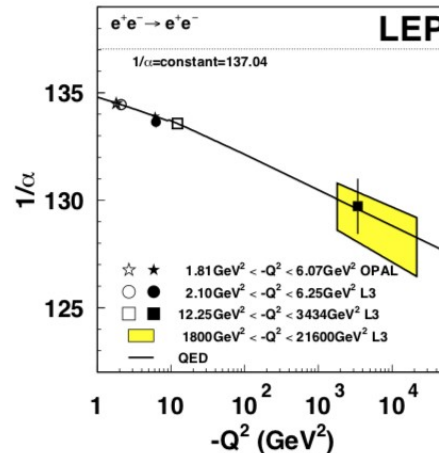
$$\alpha_{em} \equiv \frac{e^2}{4\pi} \sim \frac{1}{137} \ll 1, \text{ allows perturbation expansion}$$

By the end of the 30's, higher order contributions are plagued by divergences! Nonsensical!

Inconsistent Quantum Field theory? First QFT crisis end of the 30's

End of 40's, **Renormalization procedure** saved QED
reformulate the theory using **measurable quantities** since bare quantities are inaccessible

J.S. Schwinger, R. Feynman, S. Tomonaga



- Running (!) coupling constant : increases with E
- Anomalous magnetic moment
 - Electron
Data/Theory OK up to 12 significant figures!
- Muon
Data/Theory Not OK... at the 10th significant figure
Recent progress from Lattice QCD computations

He saved us all

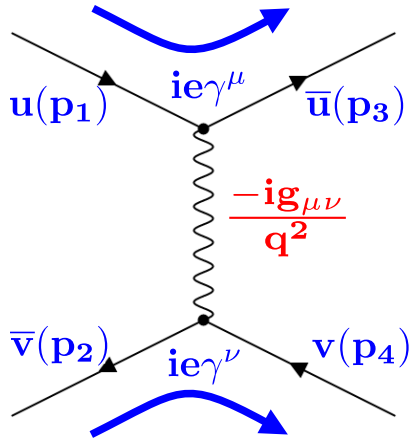


QFT computations are abstruse

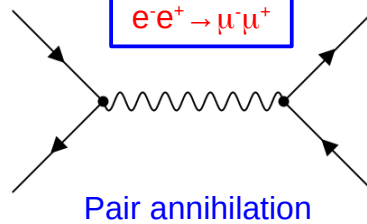
Feynman's Diagrams and rules
an extraordinary **graphic** tool to handle them

$$e \bar{\Psi} \gamma^\mu \Psi A_\mu \rightarrow$$

$$e^- \mu^+ \rightarrow e^- \mu^+$$

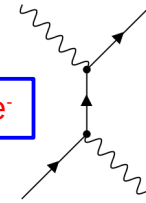


$$e^- e^+ \rightarrow \mu^- \mu^+$$



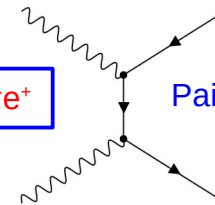
$$\gamma e^- \rightarrow \gamma e^-$$

Compton Scattering



$$\gamma \gamma \rightarrow e^- e^+$$

Pair creation

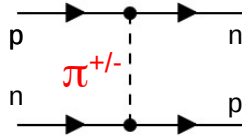


Like the silicon chips of more recent years, the Feynman diagram was bringing computation to the masses.

J. Schwinger

Strong Interaction - QCD

Yukawa theory vindicated
by the discovery of the pions



But coupling constant ~ 1 , spoils QFT computations
Second QFT crisis In the 60's (particle zoo)!

But $SU(3)_{\text{flavor}} \Rightarrow$

- right fermionic degrees of freedom, the **quarks**
- clue about the **Gauge charge, the color** $\Rightarrow$ 3 color states $\Rightarrow$ **$SU(3)_c$ Gauge group**

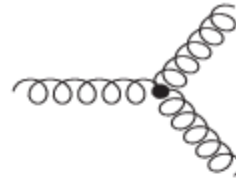
$SU(3)_c$: Yang-Mills Gauge Theory
(more tricky than $U(1)$)

$$\begin{pmatrix} \Psi_r \\ \Psi_g \\ \Psi_b \end{pmatrix}$$

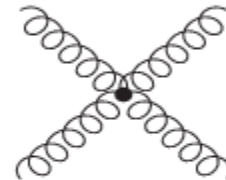
- $3^2 - 1 = 8$ **massless** bosons, the **gluons**
- non-abelian : **charged** bosons

$$\begin{pmatrix} \text{mnemonic} \\ SU(N) \\ N^2 - 1 \text{ bosons} \end{pmatrix}$$

$g = \sqrt{\alpha_S}$



3-gluon vertex $\propto g$



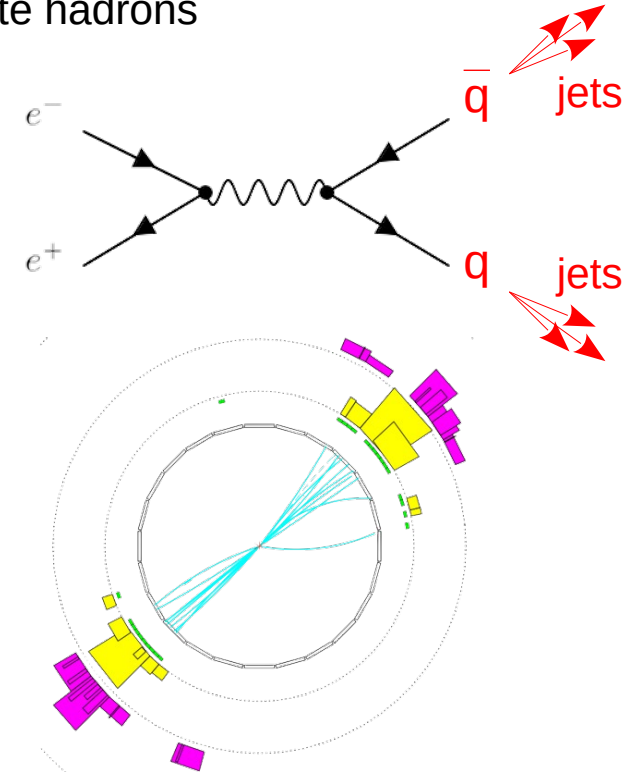
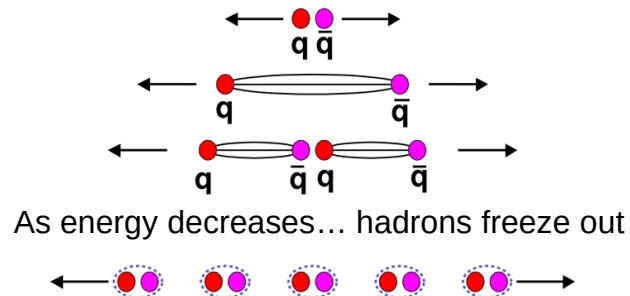
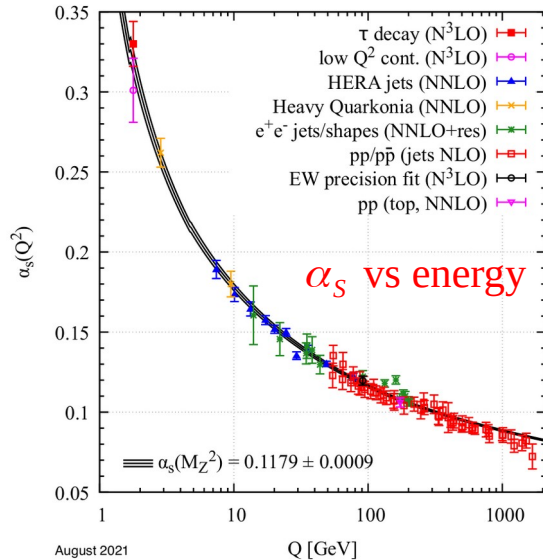
4-gluon vertex $\propto g^2$

QCD

Running QCD constant
contrary to QED

coupling $\downarrow$ when $E \uparrow$, distance $\downarrow$

- Asymptotic freedom :
factorization : hard interaction (free partons) then hadronization
- Confinement (not demonstrated)
Quarks are confined within white hadrons



QCD predictions

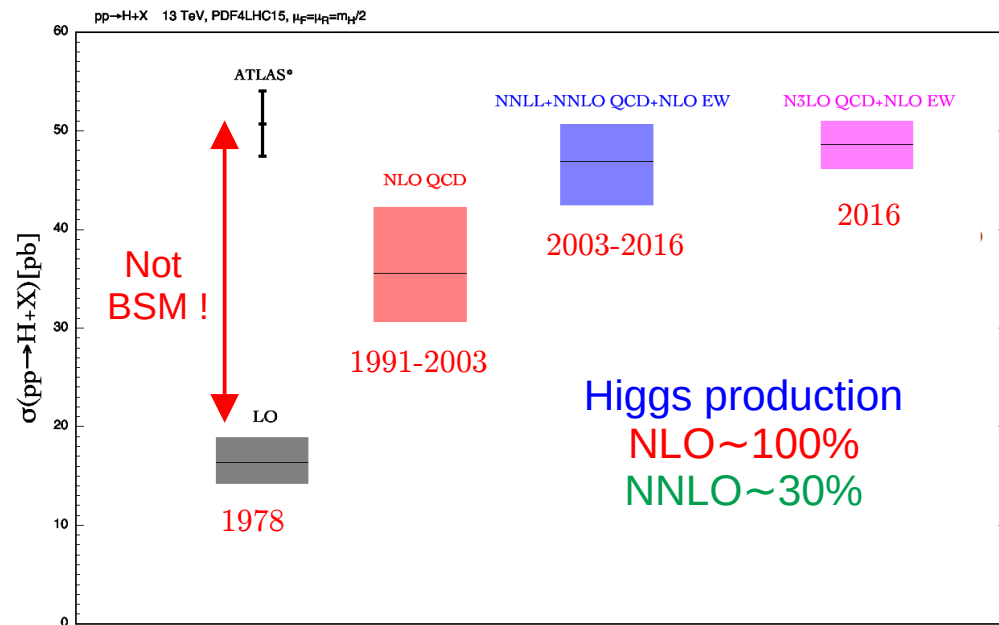
The QCD corrections are

Large and Hard to compute

LO gives only a taste, NLO can be huge

Crucial for precision SM and BSM physics at LHC

$\sigma(pp \rightarrow H + X)$ predictions vs Time



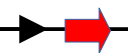
Chirality

A field can be decomposed into **chiral states**
a Left state + a Right state

$$\Psi = \Psi_L + \Psi_R$$

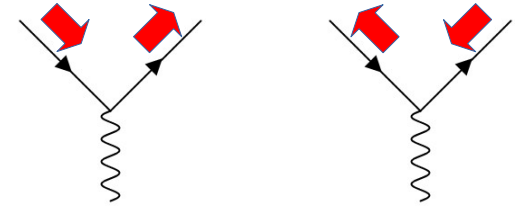
For a massless fermion

L $\longrightarrow$  Spin oppos. $\vec{p}$

R $\longrightarrow$  Spin along $\vec{p}$

- QED/QCD coupling

L and R parts
are treated the same **and do not mix**



- Fermion mass terms

L and R parts
are treated the same **but they do mix**

$$m\bar{\Psi}\Psi = m\bar{\Psi}_R\Psi_L + m\bar{\Psi}_L\Psi_R$$

What do we have up to now

Quantum Fields
both for fermions and bosons

Particles as Field excitations

	I	II	III	
mass	$\approx 2.16 \text{ MeV}/c^2$	$\approx 1.273 \text{ GeV}/c^2$	$\approx 172.57 \text{ GeV}/c^2$	0
charge	$\frac{2}{3}$	$\frac{2}{3}$	$\frac{2}{3}$	0
spin	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1
QUARKS	u up	c charm	t top	g gluon
	$\approx 4.7 \text{ MeV}/c^2$	$\approx 93.5 \text{ MeV}/c^2$	$\approx 4.183 \text{ GeV}/c^2$	0
	$-\frac{1}{3}$	$-\frac{1}{3}$	$-\frac{1}{3}$	0
	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1
	d down	s strange	b bottom	γ photon
LEPTONS	$\approx 0.511 \text{ MeV}/c^2$	$\approx 105.66 \text{ MeV}/c^2$	$\approx 1.77693 \text{ GeV}/c^2$	
	-1	-1	-1	
	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	
	e electron	μ muon	τ tau	
	$< 0.8 \text{ eV}/c^2$	$< 0.17 \text{ MeV}/c^2$	$< 18.2 \text{ MeV}/c^2$	
	0	0	0	
	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	
	ν_e electron neutrino	ν_μ muon neutrino	ν_τ tau neutrino	

Local Gauge Invariance

Massless Gauge Bosons

U(1) QED, photon

SU(3)_c QCD, 8 gluons

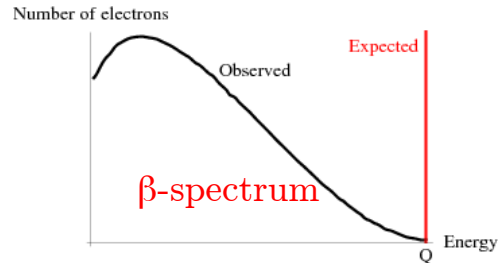
What about
the Weak Interaction ?

Weak Interaction

A New Particle and A New Interaction

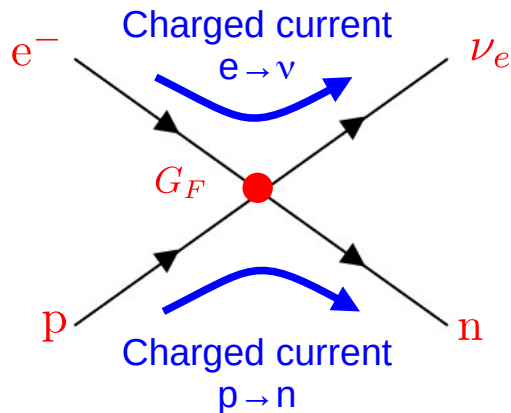


1930 Pauli neutrino hypothesis



1934 Fermi builds a **theory of weak interaction** using Pauli neutrino (2nd QFT)

Notable difference wrt QED : particles nature change through the Interaction



Contact Interaction

G_F has dimension
 $[G_F] = E^{-2}$

Very successful theory

Doomed to fail $\sigma \propto G_F^2 E_{cm}^2$

Unitarity violation ~ 300 GeV

Parity violation

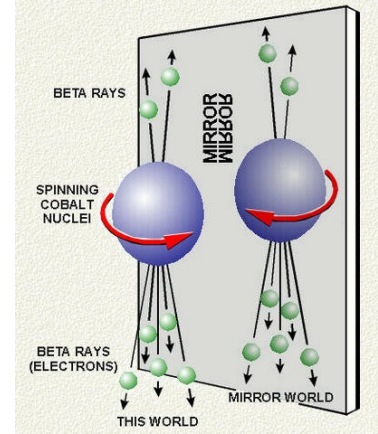
1956 : CS. Wu



Cobalt-60 weak decay

Electrons fly in the direction opposite to the Cobalt nucleus spin

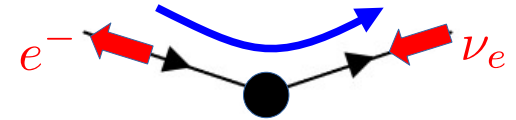
⇒ Weak interactions violate parity



1957 : Gell-Mann & Feynman

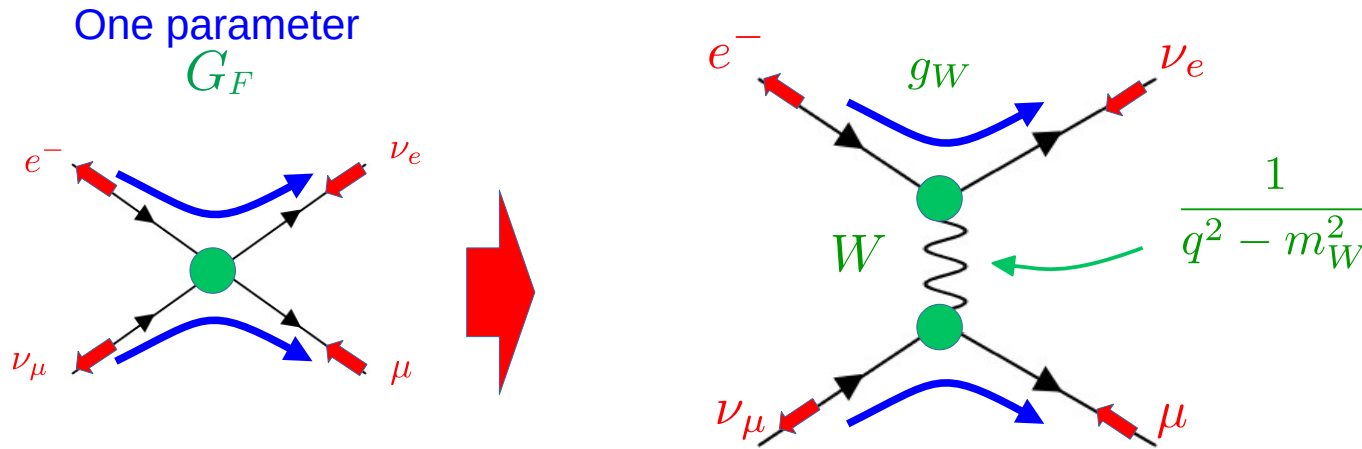


Only the Left part of particle interact
(and the Right part of antiparticles)



Maximal Parity violation

Intermediate Vector Bosons $W^\pm$



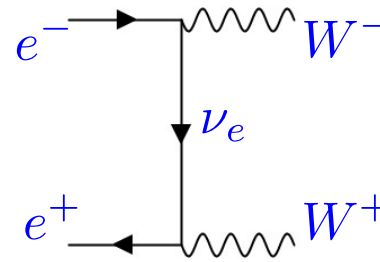
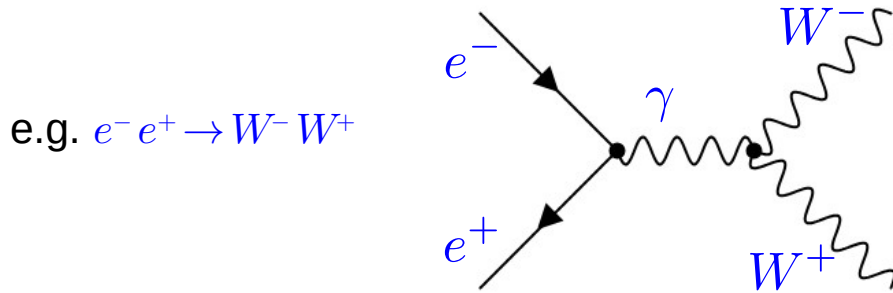
$$\frac{G_F}{\sqrt{2}} = \frac{g_W^2}{8m_W^2}$$

Weak because the
W boson is **heavy**
~100 GeV

- At low energy , $q^2 \ll m_W^2$: we retrieve Fermi Theory $\sigma \sim G_F^2 E_{cm}^2$
- At high energy , $q^2 \gg m_W^2$: Cross section **damped** $\sigma \sim \frac{G_F^2 m_W^2}{\pi}$
- The requirement of **Unitarity at Tree level** leads to the **$W^\pm$ bosons**
- **$W^\pm$ are charged!** $W^\pm$, and γ as the 3 Gauge bosons of some SU(2) ($3=2^2-1$)? **Premature!**

Necessity of a Neutral Vector Boson

We have to consider the production of the W bosons e.g. $e^- e^+ \rightarrow W^- W^+$



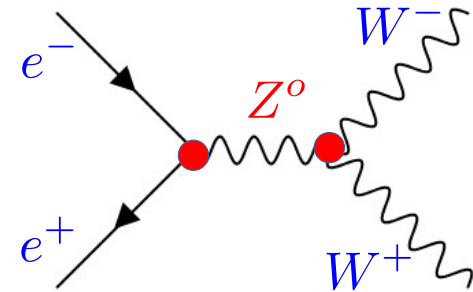
This process
violates unitarity

To **restore the Tree Level Unitarity** (remove Leading divergence at least)

we have to introduce a **new weak neutral boson, Z^0**

with specific couplings ZWW and Zee

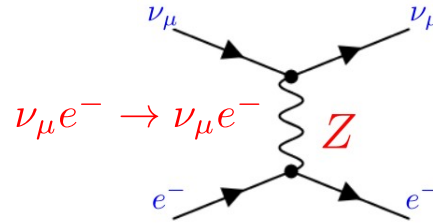
in particular this **Z** couple to both L and R but **not equally**



The Weak Bosons For real

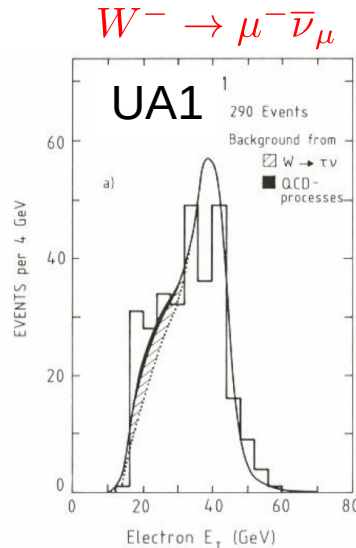
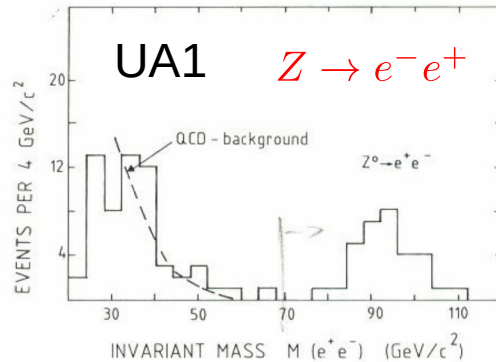
1973 : Gargamelle
Discovery of
the Neutral Current

Neutrino beam
on a fixed Freon target

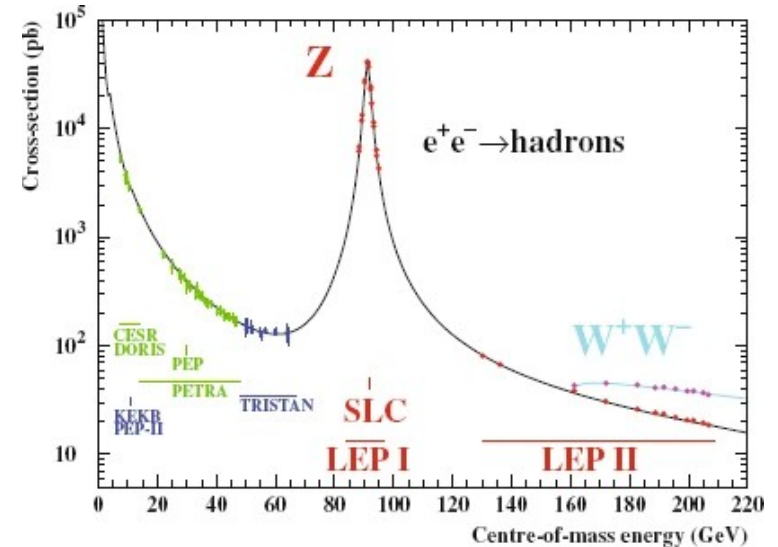


1983 : UA1, UA2
Discovery of W and Z

$p\bar{p}$ collider



90's : LEP, SLC Detailed Z studies
 e^+e^- collider



Standard Model by Tree Level Unitarity

We have to consider processes involving the interactions of leptons, γ , W and Z^0 bosons

$$\begin{aligned}\nu\bar{\nu} &\rightarrow W^-W^+ \\ e^-e^+ &\rightarrow W^-W^+ \\ \bar{\nu}e &\rightarrow W^-Z^0 \\ e^-e^+ &\rightarrow Z^0Z^0 \\ W^-W^+ &\rightarrow \gamma\gamma \\ W^-W^+ &\rightarrow W^-W^+ \\ W^-W^+ &\rightarrow Z^0Z^0 \\ W^-W^+ &\rightarrow Z^0\gamma \\ W^-W^+ &\rightarrow hh \\ Z^0Z^0 &\rightarrow hh \\ Z^0Z^0 &\rightarrow Z^0Z^0h \\ Z^0Z^0 &\rightarrow hhh\end{aligned}$$

All these processes violate unitarity at Tree level

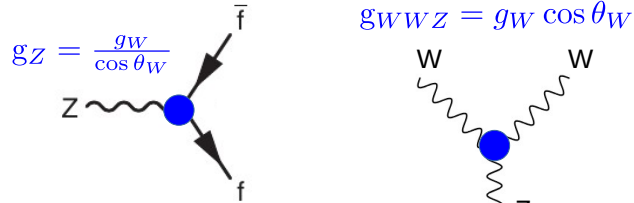
but for specific couplings of all the gamers

Even more a neutral scalar boson is also necessary!

Standard Model by Tree Unitarity

We have to consider processes involving the interactions of leptons, γ , W and Z^0 bosons

$$\sin \theta_W \equiv \frac{e}{g_W}$$



$$g_{WWZ} = g_W \cos \theta_W$$

A Feynman diagram showing a W boson and a Z boson interacting at a vertex. The incoming W boson line is labeled W and the outgoing Z boson line is labeled Z . The vertex is a blue circle. The coupling is given as $g_{WWZ} = g_W \cos \theta_W$.

A Feynman diagram showing two W bosons and two Z bosons interacting at a vertex. The vertex is a blue circle. The coupling is given as $g_{WWZZ} = g_W^2 \cos^2 \theta_W$.

$$g_{WW\gamma\gamma} = g_W^2 \sin^2 \theta_W$$

$$g_{WWZ\gamma} = g_W^2 \sin \theta_W \cos \theta_W$$

$$g_{WWWW} = g_W^2$$

A Feynman diagram showing a Higgs boson h interacting with a fermion f and an antifermion $\bar{f}$. The incoming h boson line is labeled h and the outgoing fermion line is labeled f . The vertex is a blue circle. The coupling is given as $g_{hff} = \frac{g_W}{2m_W} m_f$.

A Feynman diagram showing a Higgs boson h interacting with two W bosons. The incoming h boson line is labeled h and the outgoing W boson line is labeled W . The vertex is a blue circle. The coupling is given as $g_{hWW} = g_W m_W$.

A Feynman diagram showing a Higgs boson h interacting with two Z bosons. The incoming h boson line is labeled h and the outgoing Z boson line is labeled Z . The vertex is a blue circle. The coupling is given as $g_{hZZ} = g_Z m_Z$.

$$\frac{m_W}{m_Z} = \cos \theta_W$$

All these processes violate **unitarity at Tree level**

but for **specific couplings** of all the gammas

Even more a **neutral scalar boson** is also **necessary**!

Unitarity at Tree level allows to derive the **full** Electroweak Lagrangian as an **effective** Lagrangian

This constructivist approach was developed only as an afterthought
Still it gives a strong feeling of the **inevitability** of the SM

Standard Model W , Z^0 and γ from Gauge invariance

Electroweak Unification : 1st try

For the γ we have $U(1)_{em}$

$W^\pm$ and Z^0 as Gauge bosons? The 3 Gauge bosons of a $SU(2)$!

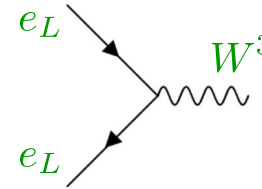
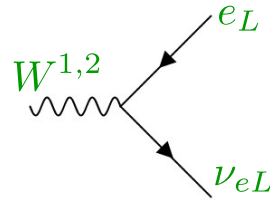
The $W^\pm$ know only the Left Part? A $SU(2)_L$!

$$\begin{pmatrix} \nu_e \\ e \end{pmatrix}_L$$

3 bosons W^1, W^2, W^3



$W^{1,2}$ couple to $\neq$ charges!



W^3 couples to same Charge! It is neutral!



But W^3 couples only to L

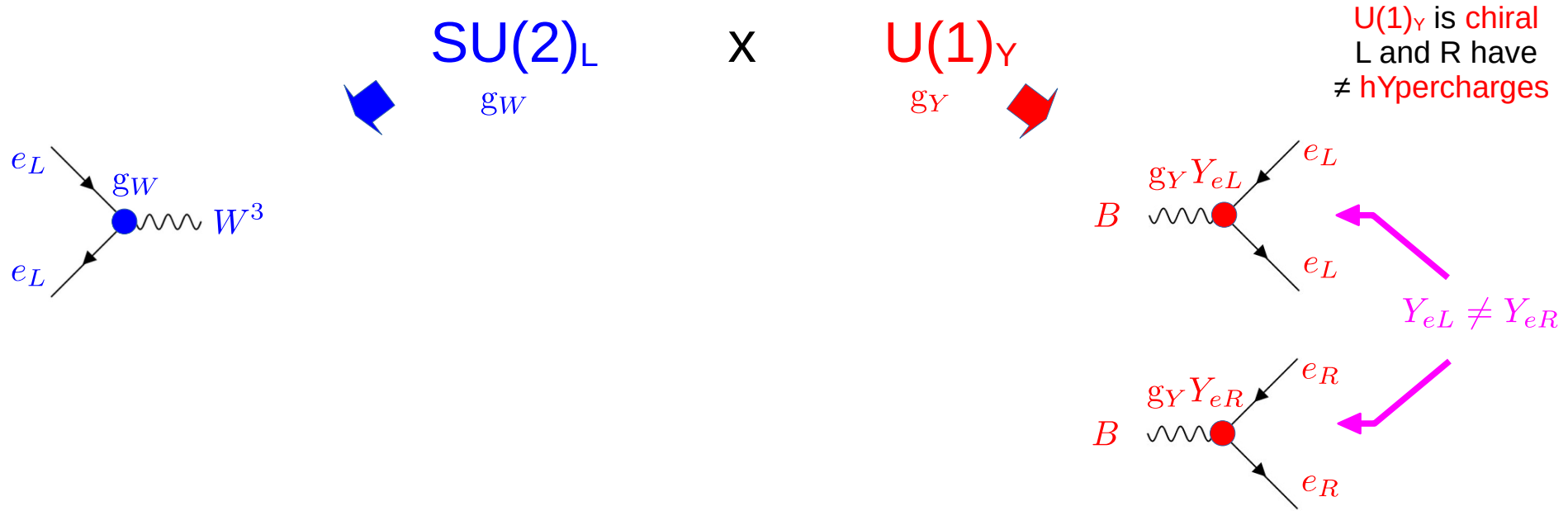


Our Z^0 should couple to both L and R

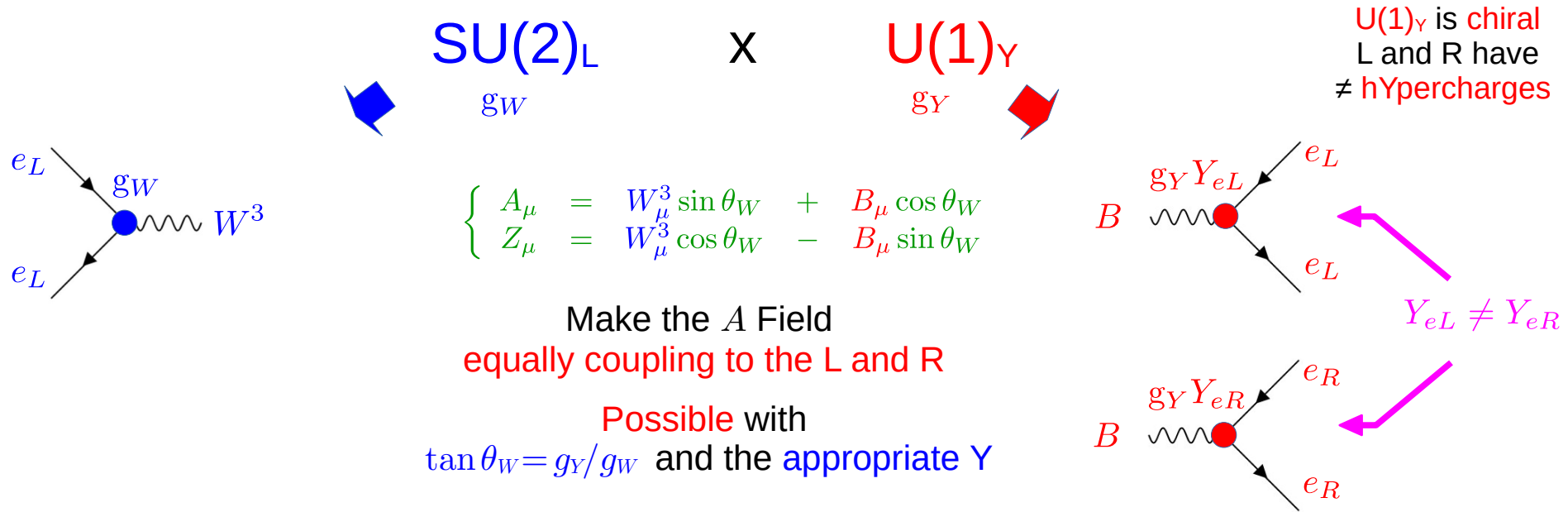
The way out : Z^0 and γ are mixtures of Gauge Bosons

Next move : we keep $SU(2)_L$ but give up $U(1)_{em}$ group as fundamental symmetry

Electroweak Unification proper



Electroweak Unification proper



- The A is the EM Field ; we get back $U(1)_{em}$
- The Z -fermion couplings as expected
- Since γ and Z are partly W^3 which couples “naturally” to $W^{1,2}$, both γ and Z couple to $W^\pm$ as expected
We get WW_γ , WW_Z , $WWZZ$, $WW_\gamma\gamma$, $WW_Z\gamma$ vertices

Hypercharges

Arguably the hypercharges pattern looks weird. However ...

Particles		Y
Left part	quarks	+1/6
	leptons	-1/2
Right part	up quark	+2/3
	down quark	-1/3
	electron	-1
	neutrino	0

Chiral theories suffer from **Gauge anomalies**
destroying gauge invariance
Consistency conditions, to cancel them

$$\sum_{Left} Y^3 = \sum_{Right} Y^3$$

$$3 \times 2 \times \left(\frac{1}{6}\right)^3 + 2 \times \left(-\frac{1}{2}\right)^3 = 3 \times \left(\frac{2}{3}\right)^3 + 3 \times \left(-\frac{1}{3}\right)^3 + (-1)^3$$

Magical!!

Nber of colors!

So it is **necessary**

- to have the Gauge groups **SU(3)_c x SU(2)_L x U(1)_Y**
- that fermions come in **generation, (U,D,l,ν)** ($\Rightarrow$ **quark-lepton unification!**)
and they could barely have other charges than they have !

Standard Model Higgs Mechanism

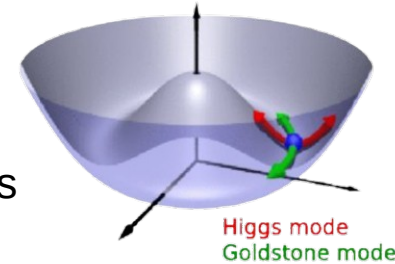
Higgs Mechanism

Major Issues : Chiral Gauge invariance $\Rightarrow$ Massless Gauge bosons and massless fermions

$$m \bar{\Psi}_R \Psi_L + m \bar{\Psi}_L \Psi_R = \text{not invariant}$$

A scalar Field can have a non zero value in vacuum

Around minimum
a massive Higgs (radial) and a massless Goldstone (angular) modes



SSB
Spontaneous
Symmetry
Breaking

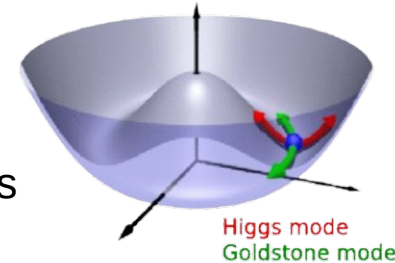
If the scalar is subject to Gauge Symmetry the Goldstone is “eaten” by the Gauge Field that gets massive

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In the Standard Model, the Higgs field is a doublet of complex fields subject to $SU(2)_L \times U(1)_Y$

$$\Phi = \frac{1}{\sqrt{2}} \begin{pmatrix} \Phi_1 + i\Phi_2 \\ \Phi_3 + i\Phi_4 \end{pmatrix} \quad \mathcal{L}_\Phi = (D^\mu \Phi)^\dagger (D_\mu \Phi) - V(\Phi) \quad \rightarrow (\text{SSB}) \rightarrow \Phi = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v + h(x) \end{pmatrix} \quad v^2 = -\frac{\mu^2}{\lambda}$$

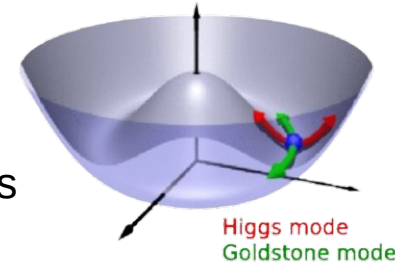
$$V(\Phi) = \mu^2 \Phi^\dagger \Phi + \lambda (\Phi^\dagger \Phi)^2 \quad \mu^2 < 0 \text{ and } \lambda > 0 \quad m_h^2 = 2v^2 \lambda$$

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If the scalar is subject to Gauge Symmetry the Goldstone is “eaten” by the Gauge Field that gets massive

After SSB

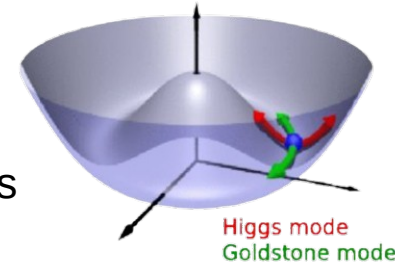
- 1 massive neutral scalar
- Mixing of the Neutral fields, i.e we get the Z and the γ , as mass eigenstates
- 3 massive bosons, W and Z, and the massless γ

Higgs Mechanism

Major Issues : Chiral Gauge invariance $\Rightarrow$ Massless Gauge bosons and massless fermions

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a massive Higgs (radial) and a massless Goldstone (angular) modes



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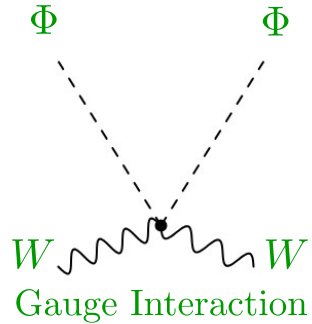
If the scalar is subject to Gauge Symmetry the Goldstone is “eaten” by the Gauge Field that gets massive

The degrees of freedom are redistributed

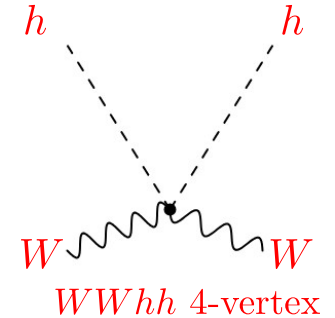
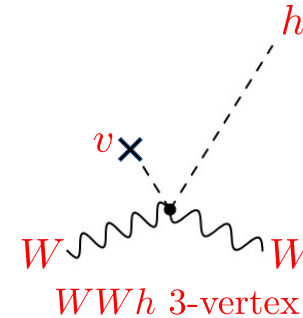
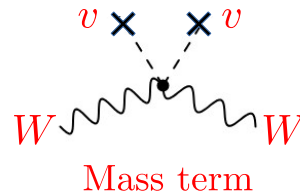
$$\left\{ \begin{array}{ll} 4 \text{ massless } SU(2)_L \times U(1)_Y \text{ bosons} & 4 \times 2 \\ 1 \text{ Higgs complex fields doublet} & 2 \times 2 \\ & 12 \end{array} \right\} \longrightarrow (\text{SSB}) \longrightarrow \left\{ \begin{array}{ll} 3 \text{ massive } W^\pm, Z^0 \text{ bosons} & 3 \times 3 \\ 1 \text{ massless } \gamma & 2 \\ 1 \text{ scalar field} & 1 \\ & 12 \end{array} \right.$$

Masses Generation and Couplings to Higgs

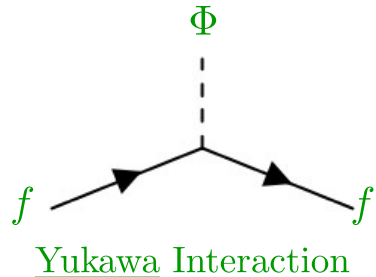
Gauge Bosons



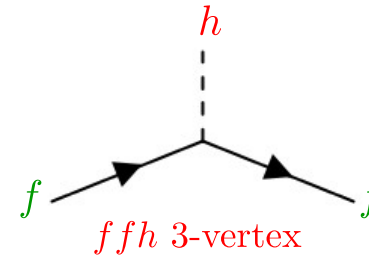
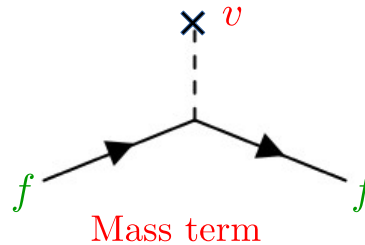
SSB
 $\Phi = v + h$



Fermions



SSB
 $\Phi = v + h$



Mass generation
 and
 couplings to Higgs
 are intimately related

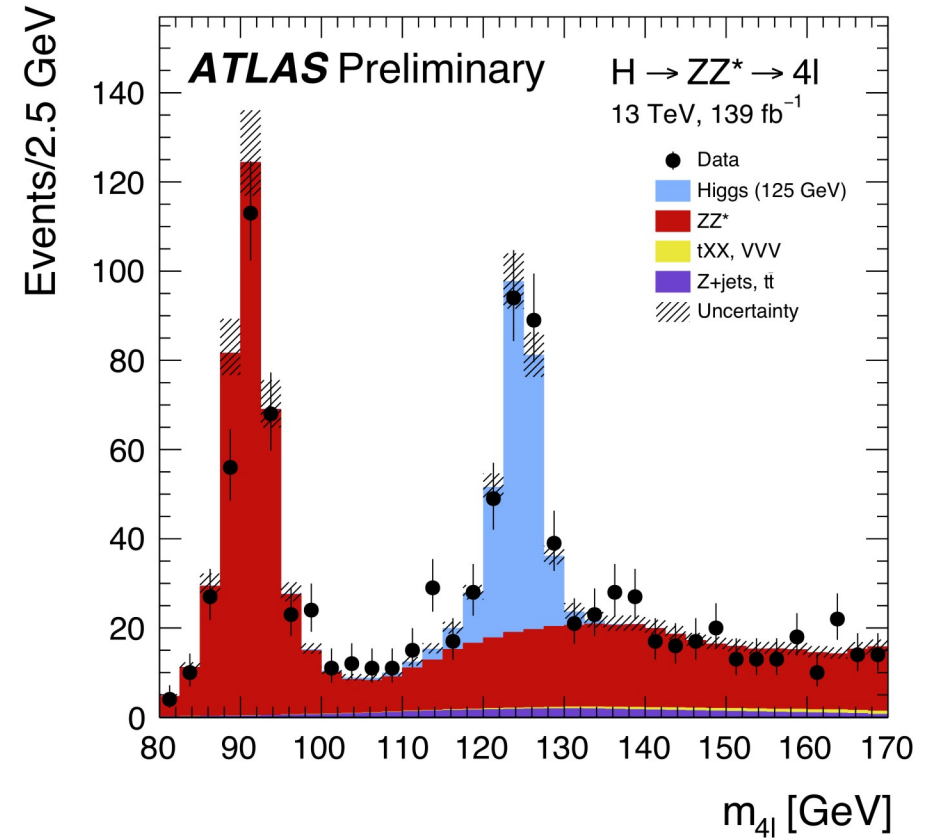
Couplings $\propto$ Mass

The Higgs for real

The Higgs boson was discovered at LHC in 2012

$$M_H = 125.20 \pm 0.11 \text{ GeV}$$

Many of its couplings have been studied



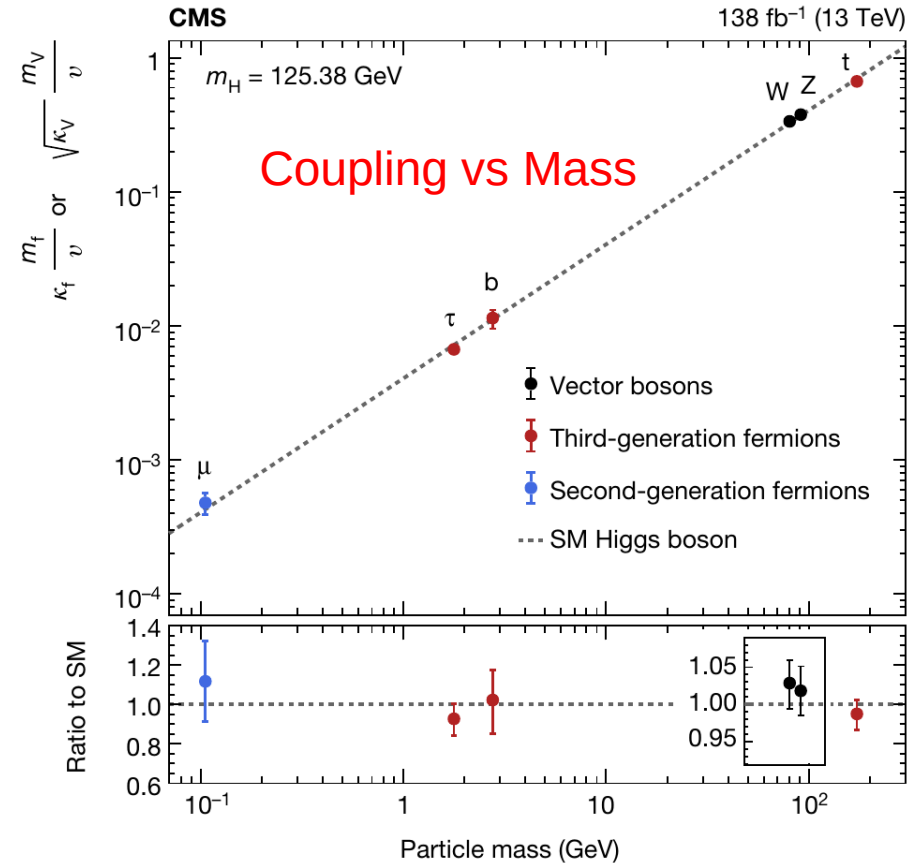
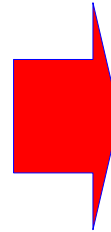
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Many of its couplings have been studied

A most wonderful result
the couplings to fermions and bosons
scale with their masses exactly as predicted
over 3 orders of magnitude!



July 2022 Nature 607(7917):1-9, CMS

What do we have : the Standard Model

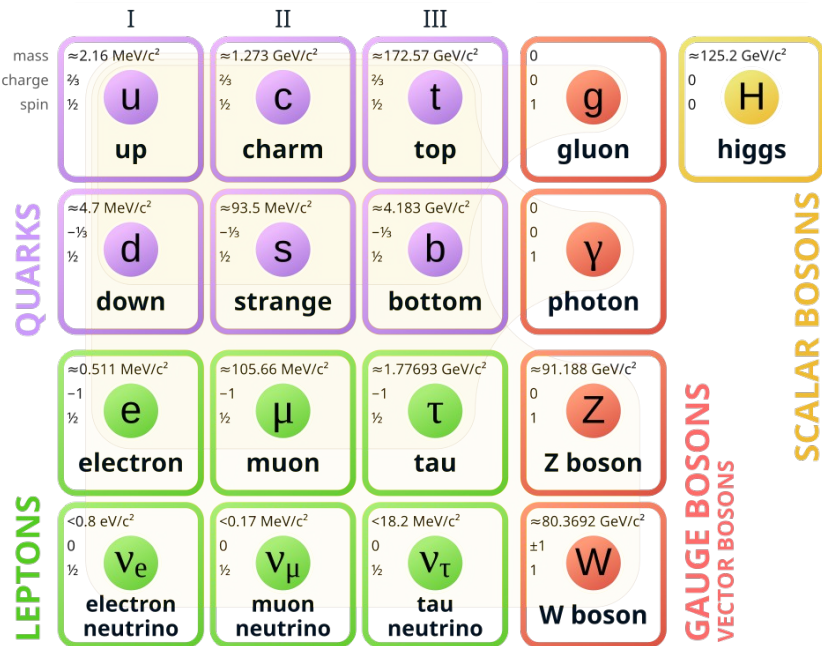
Fundamentally

- $SU(3)_c \times SU(2)_L \times U(1)_Y$
- a complex Scalar Field with nontrivial potential
- massless fermions

Particles		$SU(3)_c$	$SU(2)_L$	$U(1)_Y$
Left	quarks	yes	yes	+1/6
	leptons	no	yes	-1/2
Right	up quark	yes	no	+2/3
	down quark	yes	no	-1/3
	electron	no	no	-1
	neutrino	no	no	0

Spontaneous Symmetry Breaking

- $U(1)_{em}$ QED, photon
- 3 massive bosons, $W^\pm$ and Z
- a massive scalar, H
- massive fermions



Least Understood Sectors

We don't know why there are 3 generations

More than 1 generation allows misalignment between mass and interacting states

CKM matrix for quarks, PMNS matrix for leptons

$$\begin{array}{c} \text{Those interact with W} \\ \text{Interaction states} \end{array} \begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{ud} & V_{ub} \\ V_{cd} & V_{cd} & V_{cb} \\ V_{td} & V_{td} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix} \begin{array}{c} \text{Those interact with the Higgs} \\ \text{Mass states} \end{array}$$

These mixings are unconstrained : great opportunity for BSM physics

When complex (more than 2 generations), they allow CP violation (Sakharov conditions)

- Too small CP violation from quark sector due to small quarks mixing
- Possible large CP violation in lepton sector due to large neutrinos mixing

Conclusions

As Conclusions

- Particle Physics is at least the Standard Model
 - There is a “necessity” chain from the Wu experiment which makes the Standard Model “inevitable”
 - Work remarkably well (few “tensions” e.g. B mesons)
- It has many free parameters (19+?) and is often seen as an effective model

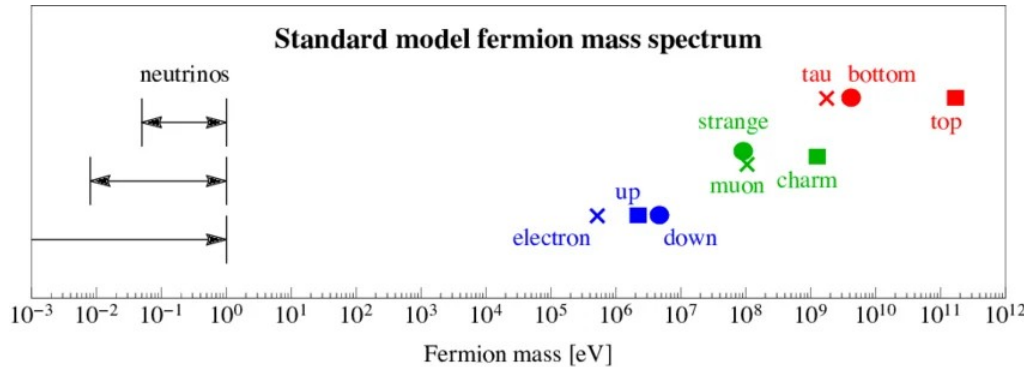
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 - No Flavor theory
 - Why 3 generations?
 - Mass spectrum?
 - Why these mixing patterns (CKM, PMNS)?



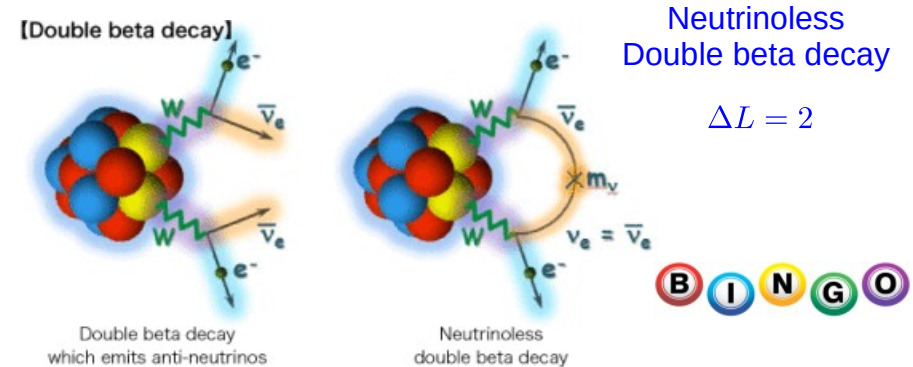
Hyper-Kamiokande

	CKM			PMNS		
	d	s	b	ν_1	ν_2	ν_3
u						
c						
t						



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 - **Neutrino nature : Dirac or Majorana?**



CUPID
CUORE Upgrade with Particle Identification

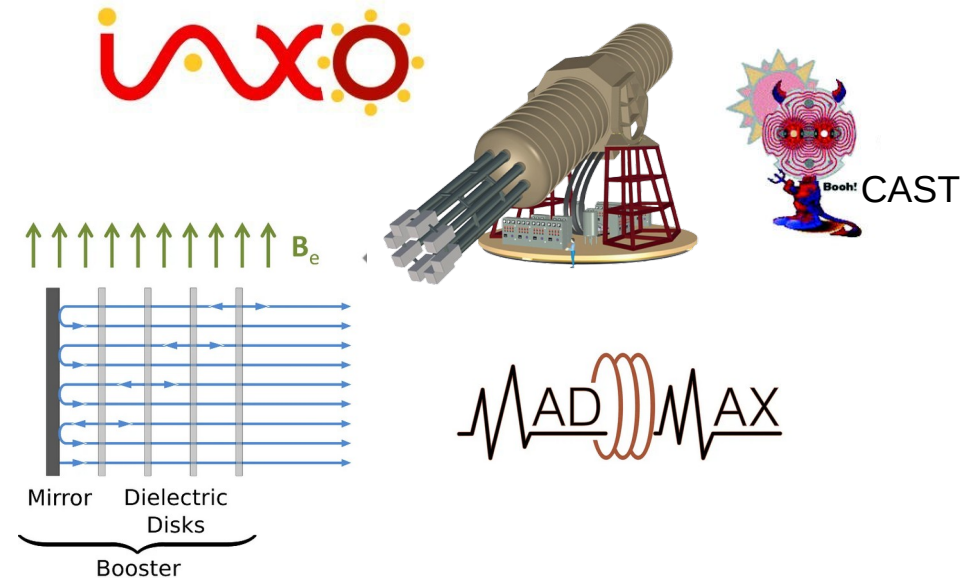
LEGEND
Large Enriched Germanium Experiment for Neutrinoless $\beta\beta$ Decay

nEXO

CUORE

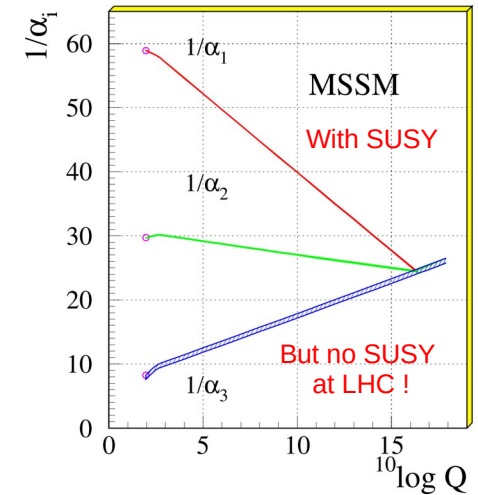
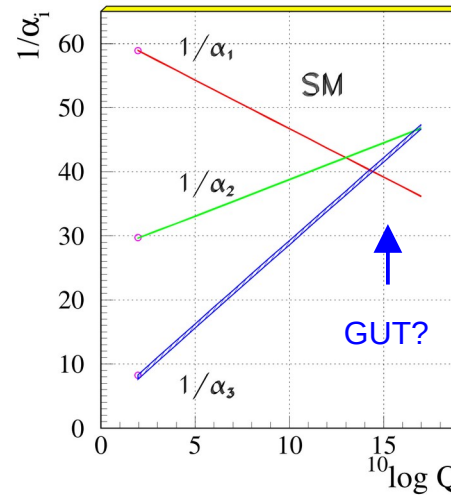
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 - **Why no strong CP violation? Axion searches**



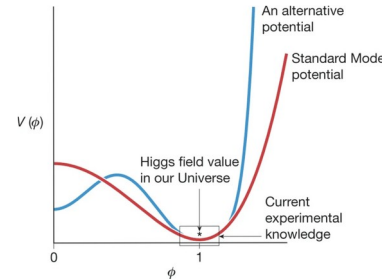
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 - **No clue for interaction unification despite trends**



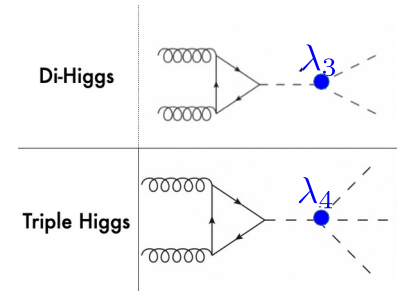
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 - The Higgs sector is seriously threatened by radiative corrections
 - No hint at LHC of new particles that could stabilize it



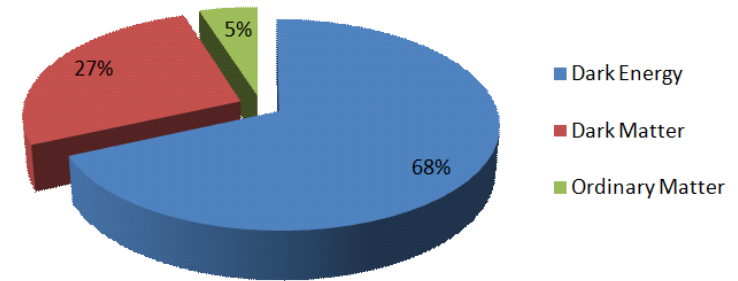
Mapping the Higgs potential
at LHC and HL-LHC

$$V(h) = \frac{1}{2}m_h^2 h^2 + \lambda_3 v h^2 + \frac{1}{4}\lambda_4 h^4$$



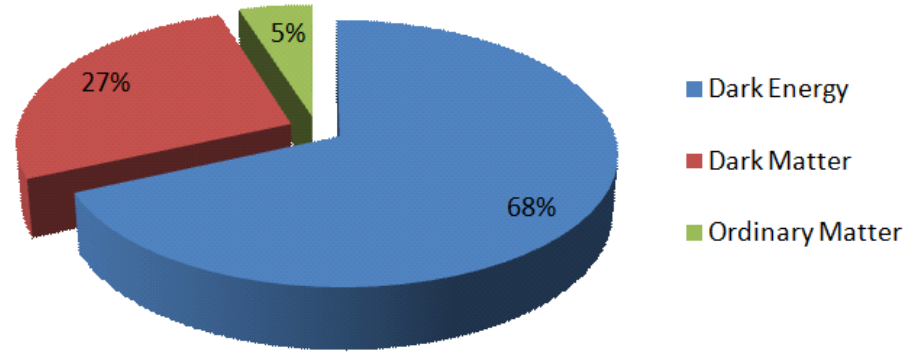
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 - No clue for interaction unification despite trends
 - The Higgs sector is seriously threatened by radiative corrections
 - No hint at LHC of new particles that could stabilize it
 - **No Gravity, No Dark Energy, No Dark Matter**
 - And we are told that we deal with only 5% of the Universe stuff!**



As Conclusions

There are more things in Heaven and Earth,
than are in the Standard Model



The Future is yours

Thank you for your attention

As Conclusions

Search for Beyond Standard Model Physics is well motivated
eg SUSY (strong case : Higgs stabilization, Dark matter, couplings unification)
But
LHC has put severe constrains on many BSM scenarios

ATLAS SUSY Searches* - 95% CL Lower Limits
July 2024

Model	Signature	$\int \mathcal{L} dt$ [fb $^{-1}$]	Mass limit	Reference
Inclusive Searches	$q\bar{q} \rightarrow q\bar{q}\tilde{\chi}_1^0$	0.4 μm mono-jet	2-6 jets E_T^{miss} 1-3 jets E_T^{miss}	140
	$b\bar{b} \rightarrow q\bar{q}\tilde{\chi}_1^0$	0.4 μm	2-6 jets E_T^{miss}	140
	$b\bar{b} \rightarrow q\bar{q}W\tilde{\chi}_1^0$	1.4 μm	2-6 jets E_T^{miss}	140
	$b\bar{b} \rightarrow q\bar{q}(T)\tilde{\chi}_1^0$	0.4 μm	2 jets E_T^{miss}	140
	$b\bar{b} \rightarrow q\bar{q}WZ\tilde{\chi}_1^0$	0.4 μm	7-11 jets E_T^{miss}	140
	$b\bar{b} \rightarrow q\bar{q}\tilde{\chi}_1^0$	0.4 μm	SS $\ell\ell$	140
	$b\bar{b} \rightarrow q\bar{q}\tilde{\chi}_1^0$	0.1 μm SS $\ell\ell$	3-1 jets E_T^{miss} 6 jets E_T^{miss}	140
	$h\tilde{h}_1$	0.4 μm	2 b E_T^{miss}	140
	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
1 $^{\text{st}}$ gen. sparticles direct production	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
	$h\tilde{h}_1, h_1 \rightarrow h\tilde{h}_1^0 \rightarrow h\tilde{h}_1^0$	0.4 μm	2 b E_T^{miss}	140
EW	$\tilde{t}\tilde{t}^* \rightarrow WZ$	Multiple ℓ jets	1 jet E_T^{miss}	140
	$\tilde{t}\tilde{t}^* \rightarrow W\tilde{t}$	2 ℓ jets	1 jet E_T^{miss}	140
	$\tilde{t}\tilde{t}^* \rightarrow W\tilde{t}$	2 ℓ jets	1 jet E_T^{miss}	140
	$\tilde{t}\tilde{t}^* \rightarrow W\tilde{t}$	2 ℓ jets	1 jet E_T^{miss}	140
	$\tilde{t}\tilde{t}^* \rightarrow W\tilde{t}$	2 ℓ jets	1 jet E_T^{miss}	140
	$\tilde{t}\tilde{t}^* \rightarrow W\tilde{t}$	2 ℓ jets	1 jet E_T^{miss}	140
	$\tilde{t}\tilde{t}^* \rightarrow W\tilde{t}$	2 ℓ jets	1 jet E_T^{miss}	140
	$\tilde{t}\tilde{t}^* \rightarrow W\tilde{t}$	2 ℓ jets	1 jet E_T^{miss}	140
	$\tilde{t}\tilde{t}^* \rightarrow W\tilde{t}$	2 ℓ jets	1 jet E_T^{miss}	140
	$\tilde{t}\tilde{t}^* \rightarrow W\tilde{t}$	2 ℓ jets	1 jet E_T^{miss}	140
Long-lived particles	Direct $\tilde{t}\tilde{t}^*$ prod., long-lived $\tilde{t}_1^*$	Disapp. trk	1 jet E_T^{miss}	140
	Stable $\tilde{t}$ R-hadron	pixel dE/dx	E_T^{miss}	140
	Metastable $\tilde{t}$ R-hadron, $\tilde{t} \rightarrow q\tilde{t}_1^*$	pixel dE/dx	E_T^{miss}	140
	$\tilde{t}_1 \rightarrow t\tilde{g}$	Disapp. lep	E_T^{miss}	140
	$\tilde{t}_1 \rightarrow t\tilde{g}$	pixel dE/dx	E_T^{miss}	140
	$\tilde{t}_1 \rightarrow t\tilde{g}$	Disapp. lep	E_T^{miss}	140
	$\tilde{t}_1 \rightarrow t\tilde{g}$	pixel dE/dx	E_T^{miss}	140
	$\tilde{t}_1 \rightarrow t\tilde{g}$	Disapp. lep	E_T^{miss}	140
	$\tilde{t}_1 \rightarrow t\tilde{g}$	pixel dE/dx	E_T^{miss}	140
	$\tilde{t}_1 \rightarrow t\tilde{g}$	Disapp. lep	E_T^{miss}	140

*Only a selection of the available mass limits on new states or phenomena is shown. Many of the limits are based on simplified models, c.f. refs. for the assumptions made.

ATLAS Preliminary
 $\sqrt{s} = 13 \text{ TeV}$

ATLAS Heavy Particle Searches* - 95% CL Upper Exclusion Limits
Status: March 2023

Model	ℓ, γ	Jets †	E_{T}^{miss}	$\int \mathcal{L} dt$ [fb $^{-1}$]	Limit	Reference
Extra dimen.	ADD $G_{\mu\nu} + g/\ell$	0 ℓ, μ, τ, γ	1-4j	Yes	139	2102.10874
	ADD non-resonant $\gamma\gamma$	2 γ	-	-	36.7	1707.04147
	ADD BH	-	-	-	339	1910.08447
	ADD BH multijet	-	-	-	3.6	1512.02586
	RS1 $G_{\mu\nu} \rightarrow \gamma\gamma$	2 γ	-	-	139	2102.13405
Gauge bosons	Bulk RS $G_{\mu\nu} \rightarrow WW/ZZ$	multi-channel	-	-	36.1	1808.02093
	Bulk RS $G_{\mu\nu} \rightarrow \gamma\gamma$	2 γ	-	-	36.1	1804.10823
	2UED / HPP	1 ℓ, μ	$\geq 1 \text{ b}, \geq 1/2$	Yes	36.1	1803.09127
	SSM $Z' \rightarrow \ell\ell$	2 ℓ	-	-	139	1903.06248
	SSM $Z' \rightarrow \tau\tau$	2 τ	-	-	36.1	1709.07242
CI	Leptophobic $Z' \rightarrow b\bar{b}$	0 ℓ, μ	2 b	-	36.1	1805.09299
	Leptophobic $Z' \rightarrow \tau\tau$	0 ℓ, μ	$\geq 1 \text{ b}, \geq 2$	Yes	139	2005.01518
	SSM $W' \rightarrow \ell\nu$	1 ℓ	-	-	139	1906.05609
	SSM $W' \rightarrow \tau\nu$	1 τ	-	-	139	1906.05609
	HVT $W' \rightarrow WZ$ model B	0-2 ℓ, μ	2/1/1	Yes	139	2004.14636
DM	HVT $W' \rightarrow WZ$ model C	3 ℓ, μ	2/1/0BF	Yes	139	2207.29262
	HVT $Z' \rightarrow WW$ model B	2 ℓ	1/1	Yes	139	2004.14636
	LRS $W' \rightarrow \mu N_{\mu}$	1 μ	1/1	-	80	1904.12679
	CI $\ell\ell\ell\ell$	2 ℓ, μ	2j	-	37.0	1703.09127
	CI $\ell\ell\ell\ell$	2 ℓ, μ	1 b	-	139	2105.13847
LO	Scalar LO^1 gen	2 ℓ	≥ 2	Yes	139	2102.10874
	Scalar LO^2 gen	2 ℓ	≥ 2	Yes	139	2102.10874
	Scalar LO^3 gen	2 ℓ	≥ 2	Yes	139	2102.10874
	Scalar LO^4 gen	2 ℓ	≥ 2	Yes	139	2102.10874
	Scalar LO^5 gen	2 ℓ	≥ 2	Yes	139	2102.10874
Vector-like fermions	Vector LO^1 gen	2 ℓ, μ	$\geq 1 \text{ b}, \geq 1/2$	Yes	139	2102.10874
	Vector LO^2 gen	2 ℓ, μ	$\geq 1 \text{ b}, \geq 1/2$	Yes	139	2102.10874
	Vector LO^3 gen	2 ℓ, μ	$\geq 1 \text{ b}, \geq 1/2$	Yes	139	2102.10874
	Vector LO^4 gen	2 ℓ, μ	$\geq 1 \text{ b}, \geq 1/2$	Yes	139	2102.10874
	Vector LO^5 gen	2 ℓ, μ	$\geq 1 \text{ b}, \geq 1/2$	Yes	139	2102.10874
Other	Excited fermion	2 ℓ, μ	$\geq 1 \text{ b}, \geq 1/2$	Yes	139	2102.10874
	Excited fermion	2 ℓ, μ	$\geq 1 \text{ b}, \geq 1/2$	Yes	139	2102.10874
	Excited fermion	2 ℓ, μ	$\geq 1 \text{ b}, \geq 1/2$	Yes	139	2102.10874
	Excited fermion	2 ℓ, μ	$\geq 1 \text{ b}, \geq 1/2$	Yes	139	2102.10874
	Excited fermion	2 ℓ, μ	$\geq 1 \text{ b}, \geq 1/2$	Yes	139	2102.10874

*Only a selection of the available mass limits on new states or phenomena is shown.

† Small-radius (large-radius) jets are denoted by the letter j (J).