

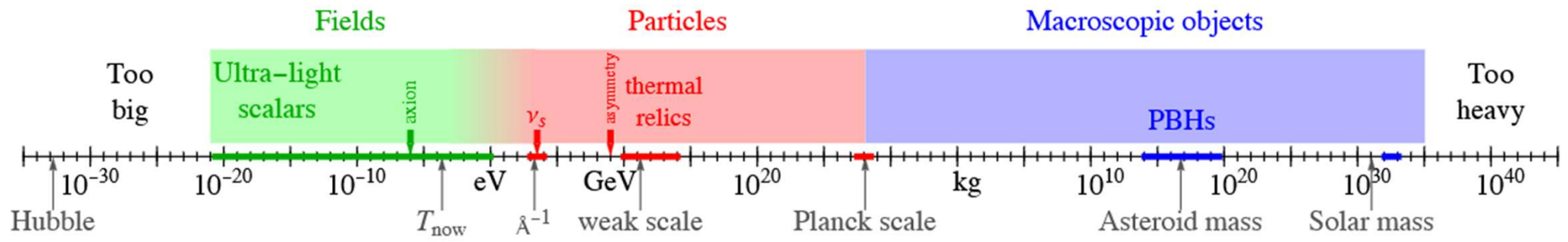
Interplay between primordial black holes and dark matter

Mathieu Gross
Dark matter day
06/05/2026

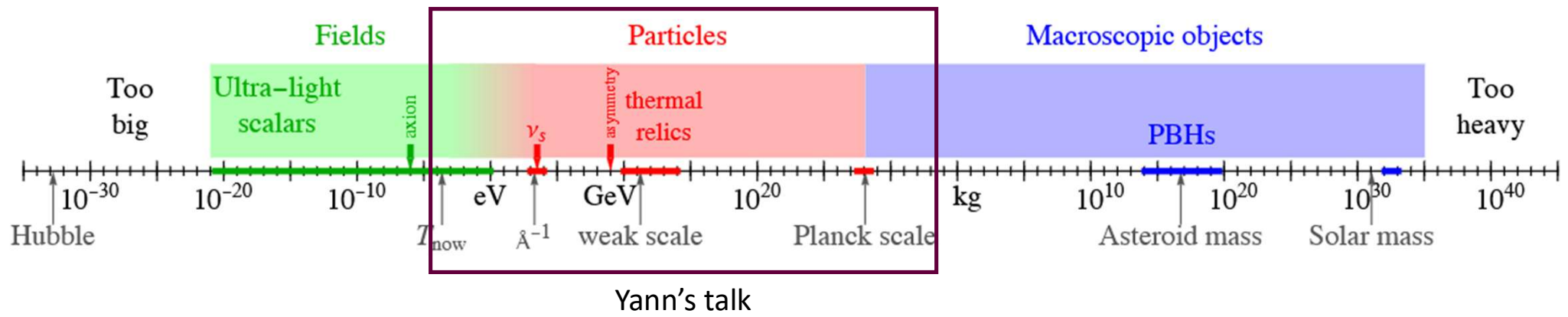
Outline

1. Introduction
2. Primordial black holes, Hawking evaporation, and dark matter
3. PBH hotspot
4. Conclusion

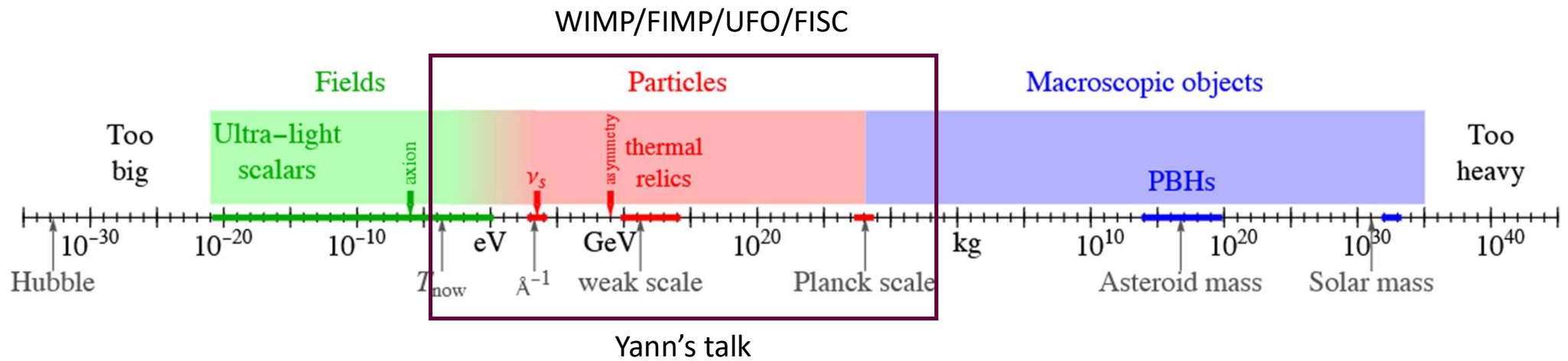
Introduction



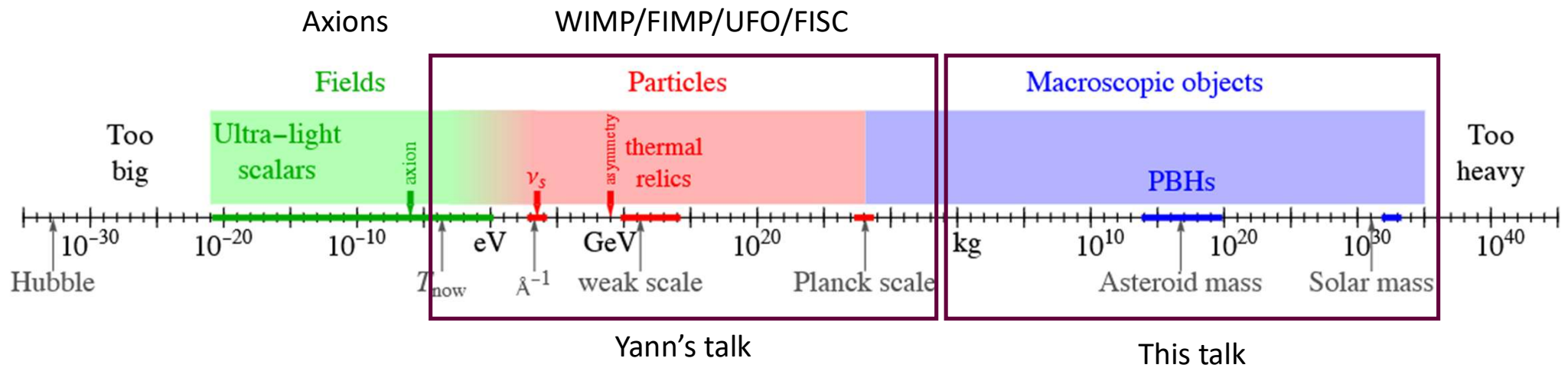
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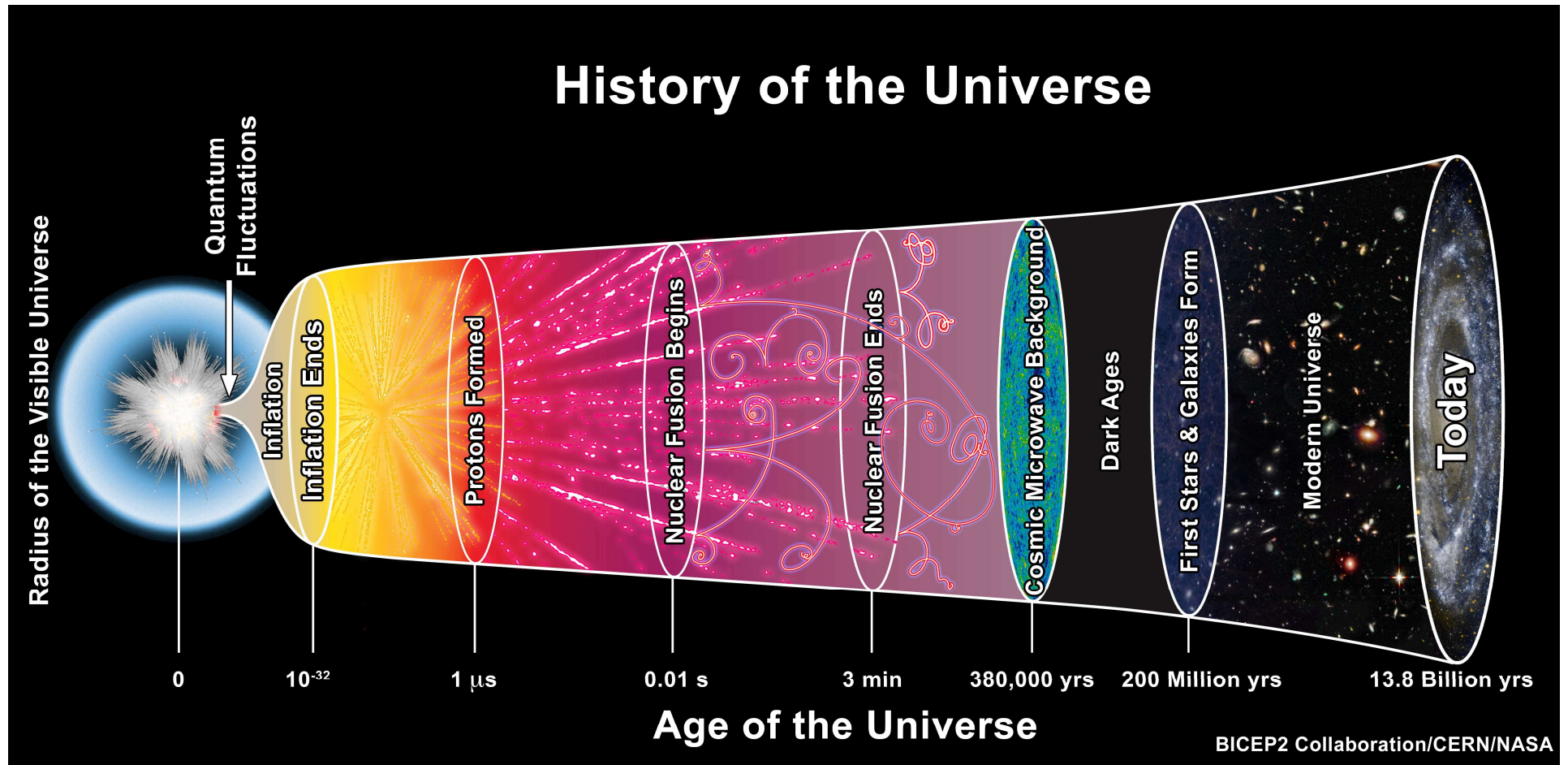
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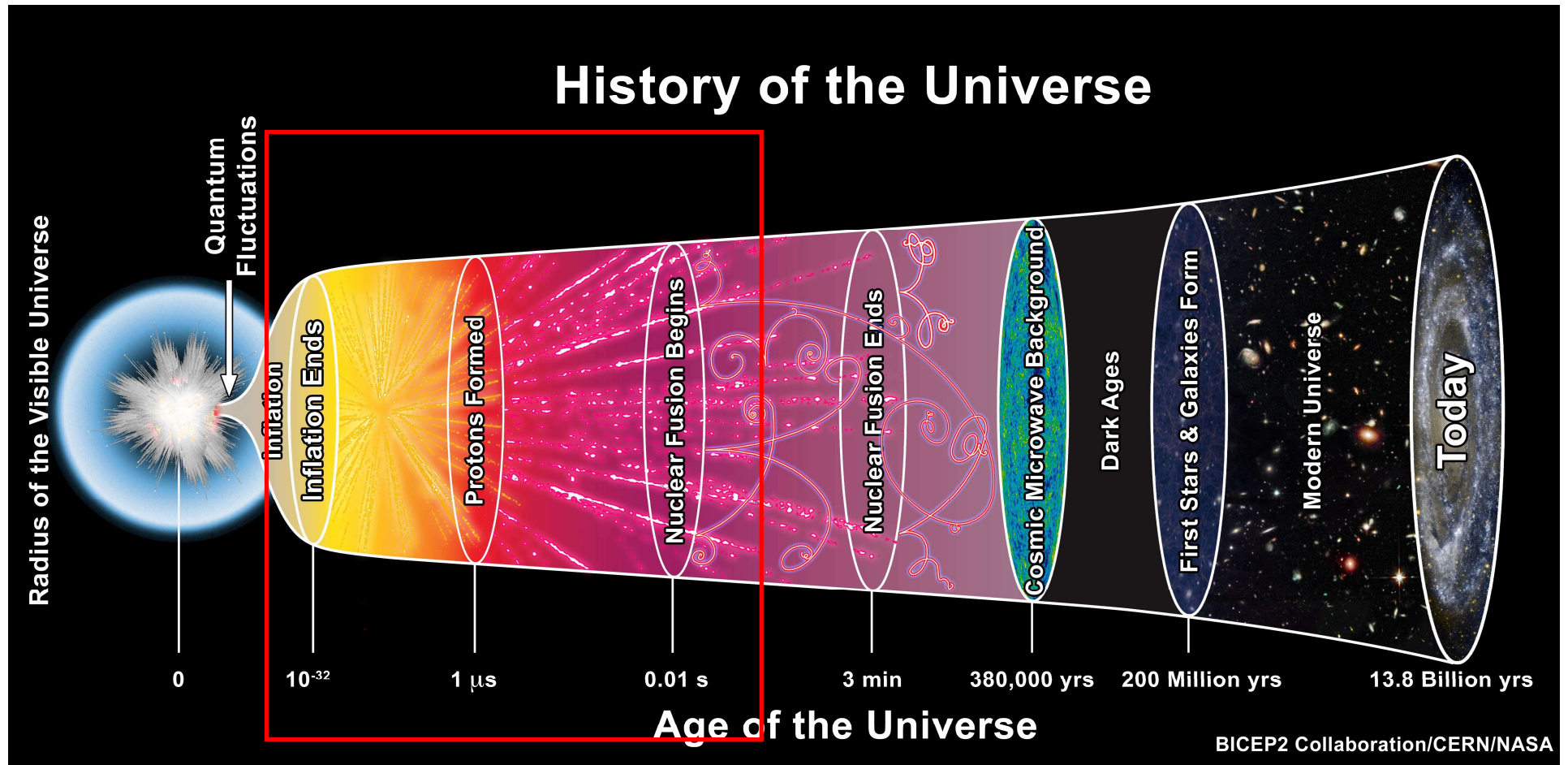
Introduction



Primordial black holes?

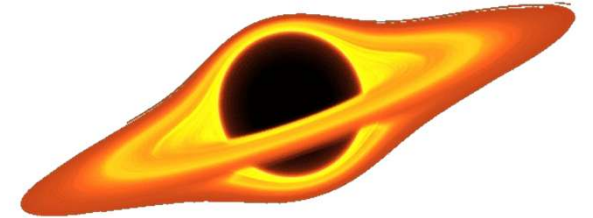


Primordial black holes?

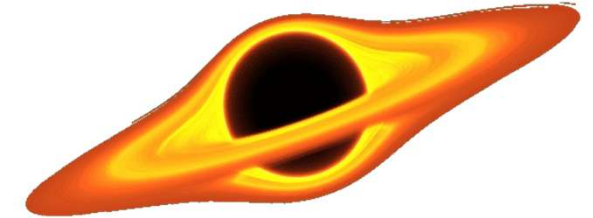


Forming primordial black holes

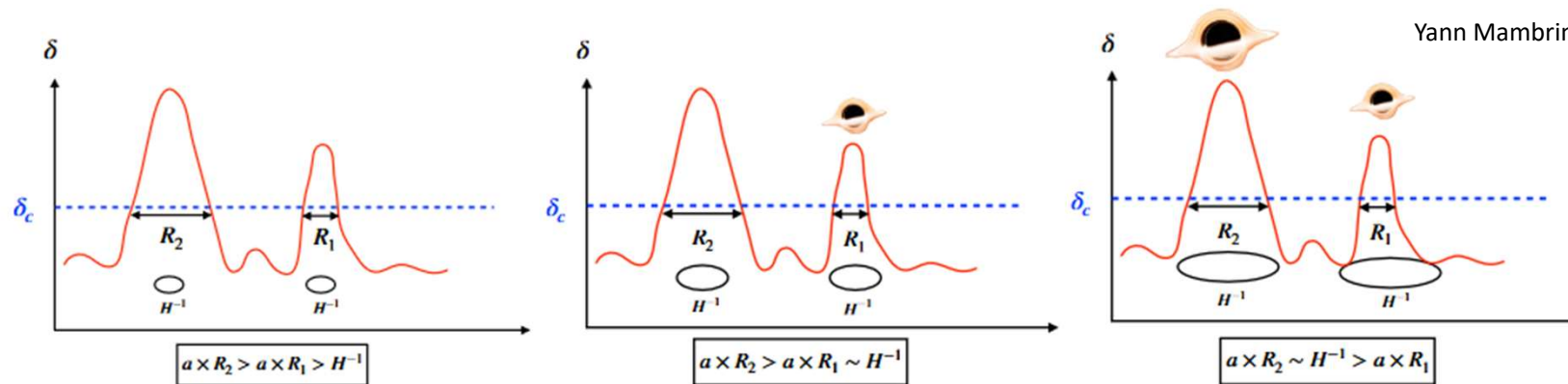
- Primordial inhomogeneities (Yukawa forces, Qballs...)
- Inflationary fluctuations collapse
- Topological defect collapse (Domain walls, cosmic string ...)
- Phase transitions



Forming primordial black holes

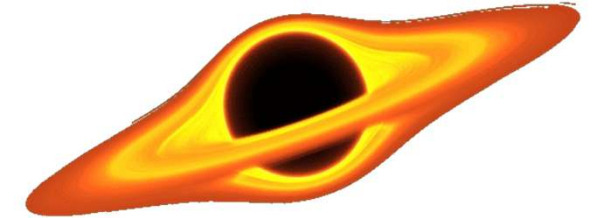


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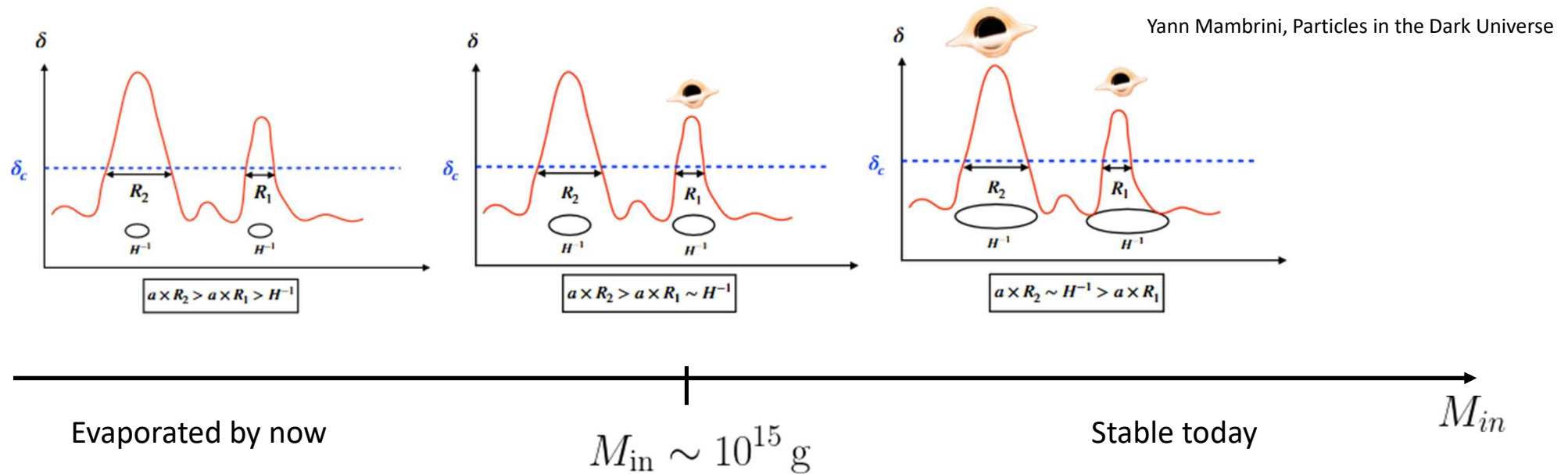


Yann Mambrini, Particles in the Dark Universe

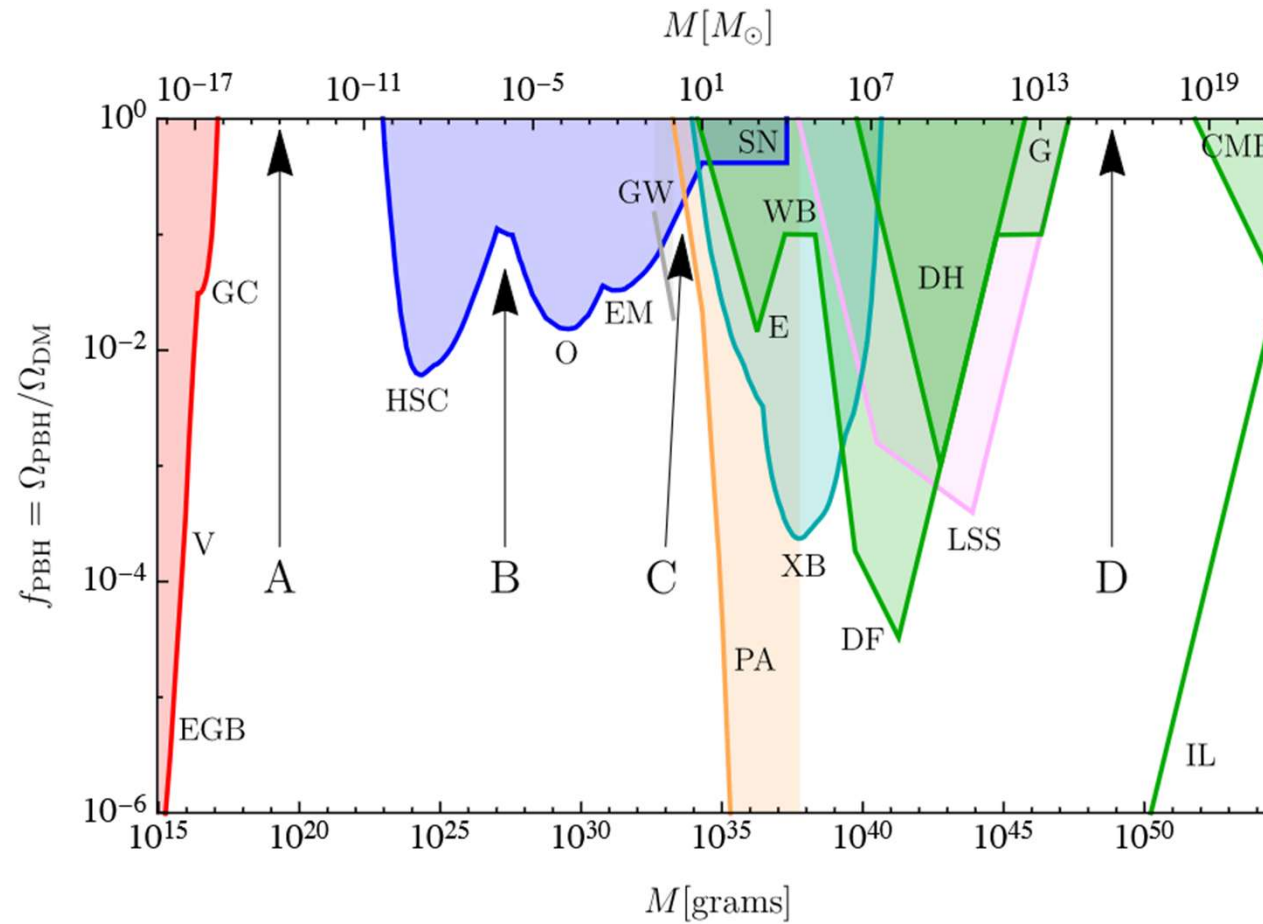
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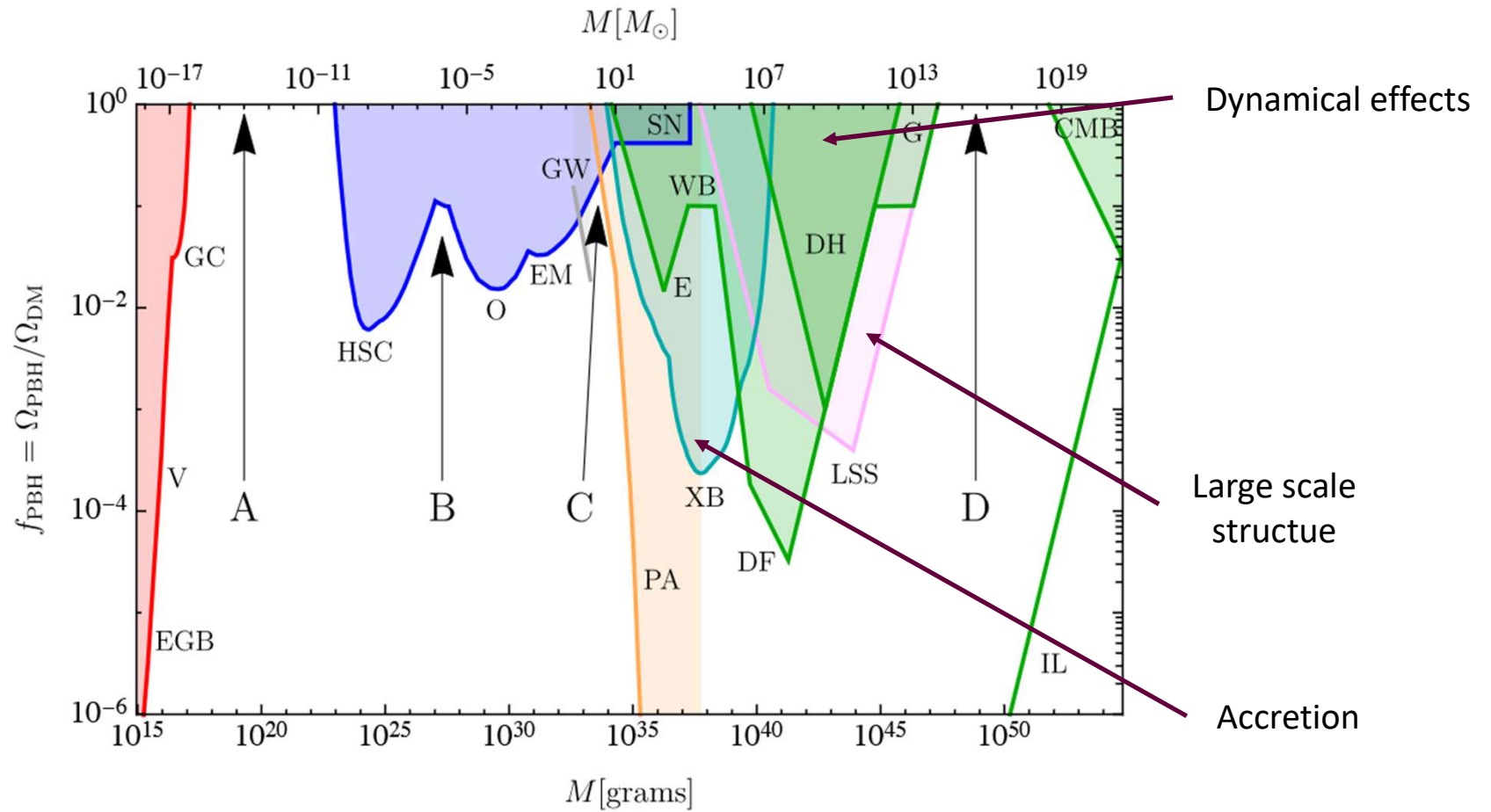
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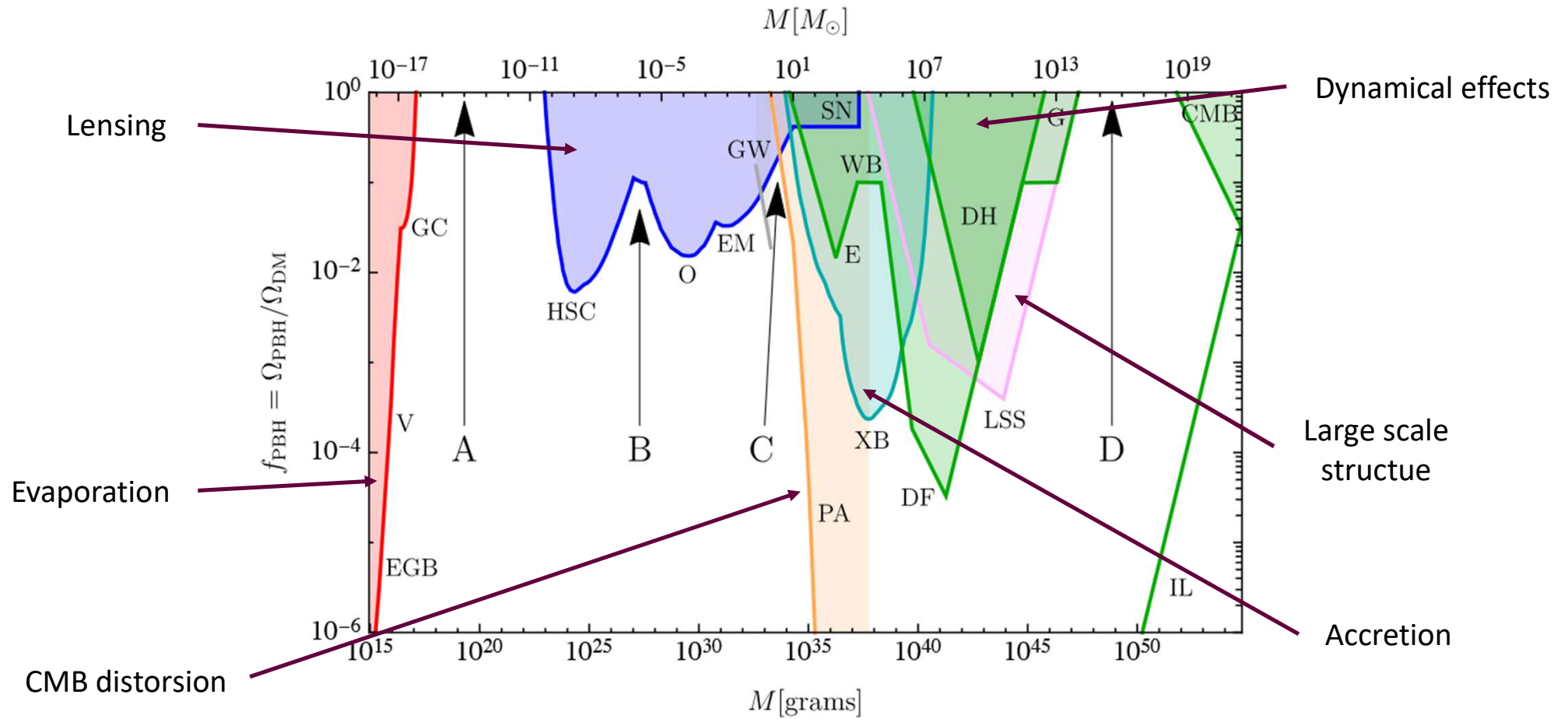
What do we know about PBH



What do we know about PBH



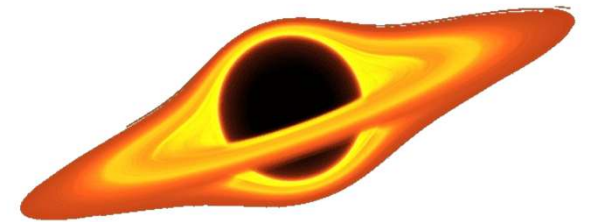
What do we know about PBH



Hawking evaporation

Schwarzschild ansatz

$$ds^2 = \left(1 - \frac{R_s}{r}\right) dt^2 - \left(1 - \frac{R_s}{r}\right)^{-1} dr^2 - r^2 d\theta^2 - r^2 \sin^2 \theta d\phi^2.$$



Hawking evaporation

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Near the horizon

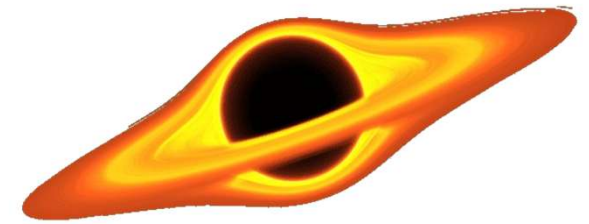


$$ds^2 = e^{2a\zeta} (d\eta^2 - d\zeta^2)$$

$$a = \frac{1}{2R_s}$$



$$T_{\text{BH}} = \frac{a}{2\pi} = \frac{M_P^2}{M}$$



Black hole evaporate!

Hawking evaporation

Schwarzschild ansatz

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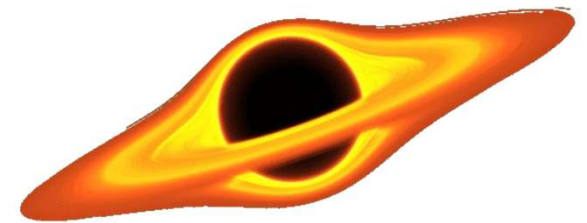


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Black hole evaporate!

$$\frac{dM_{\text{BH}}}{dt} = -\epsilon \frac{M_P^4}{M_{\text{BH}}^2}$$

$$\Gamma_{\text{BH}} = 3\epsilon \frac{M_P^4}{M_{\text{in}}^3}$$

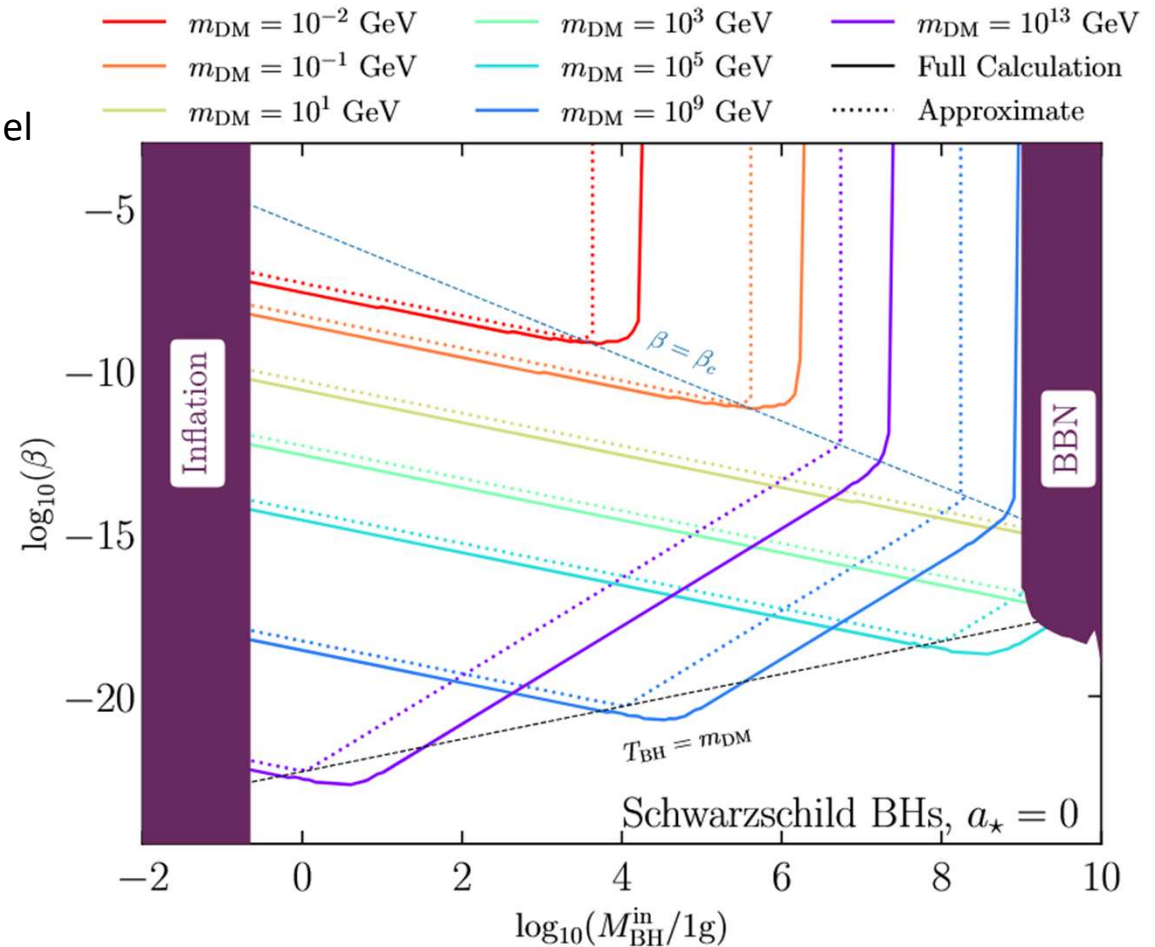


$$M_{\text{in}} \sim 10^{15} \text{ g}$$

PBH as the only source of dark matter

Dark matter does not interact with the Standard Model
(only coupled to gravity)

$$\mathcal{L} = \sqrt{-g}(\mathcal{L}_{\text{EH}} + \mathcal{L}_{\text{DM}})$$

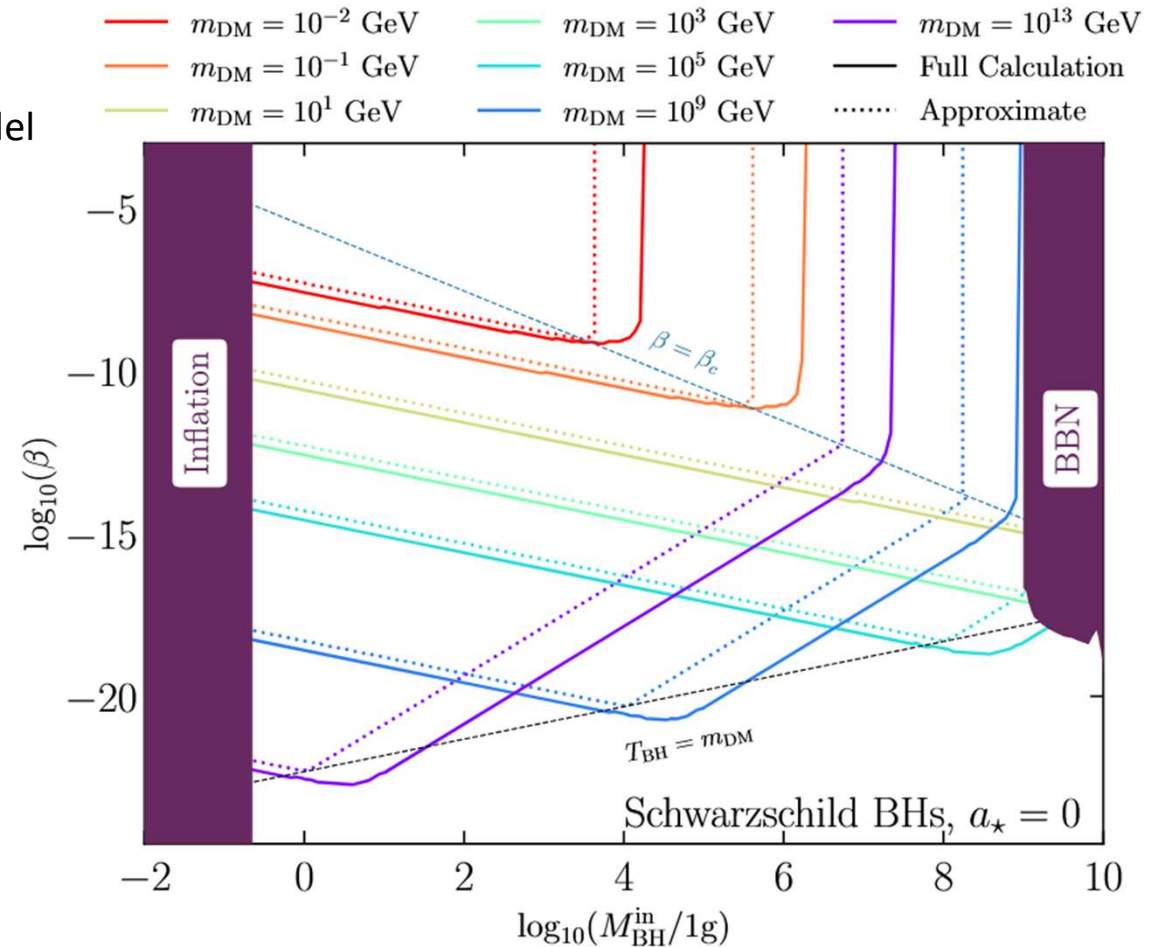


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PBH are usually taken as an extra independent source of dark matter



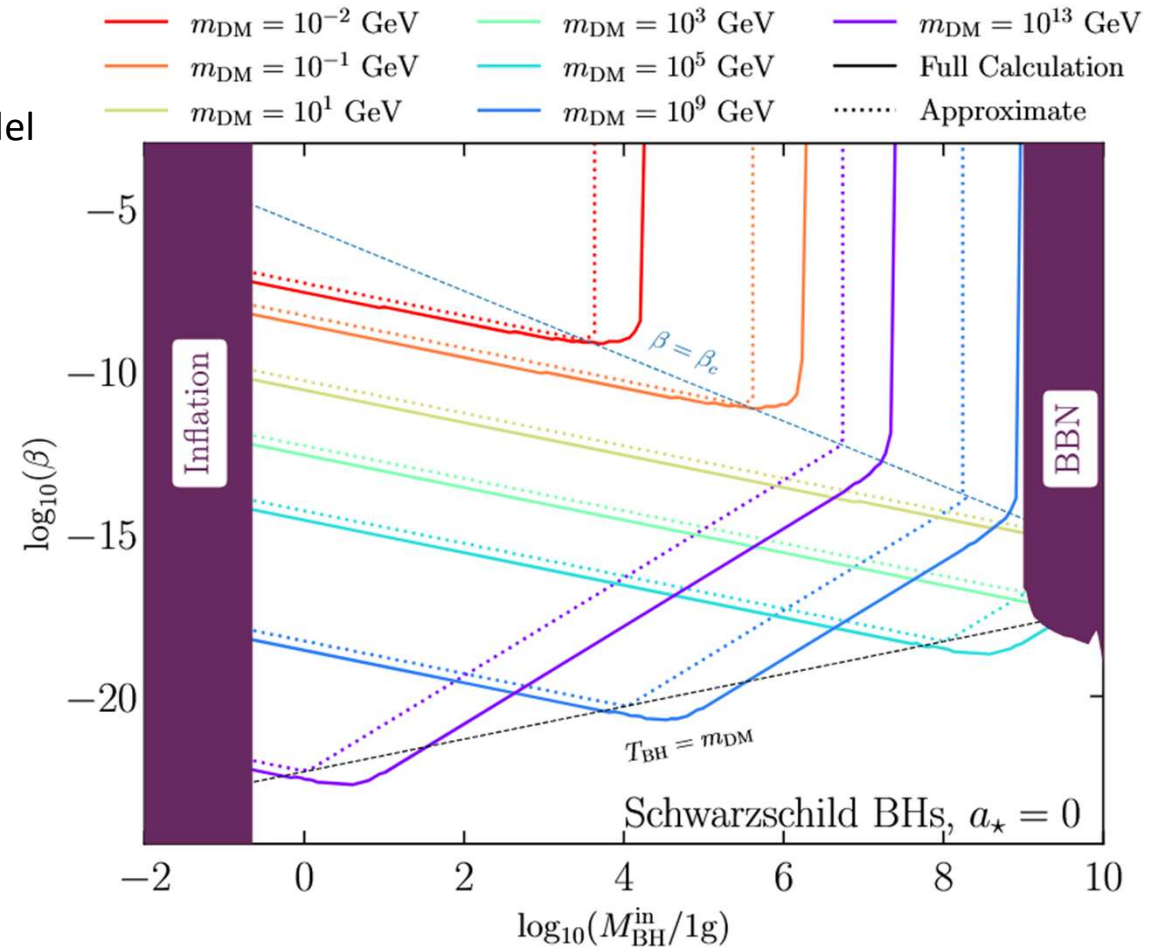
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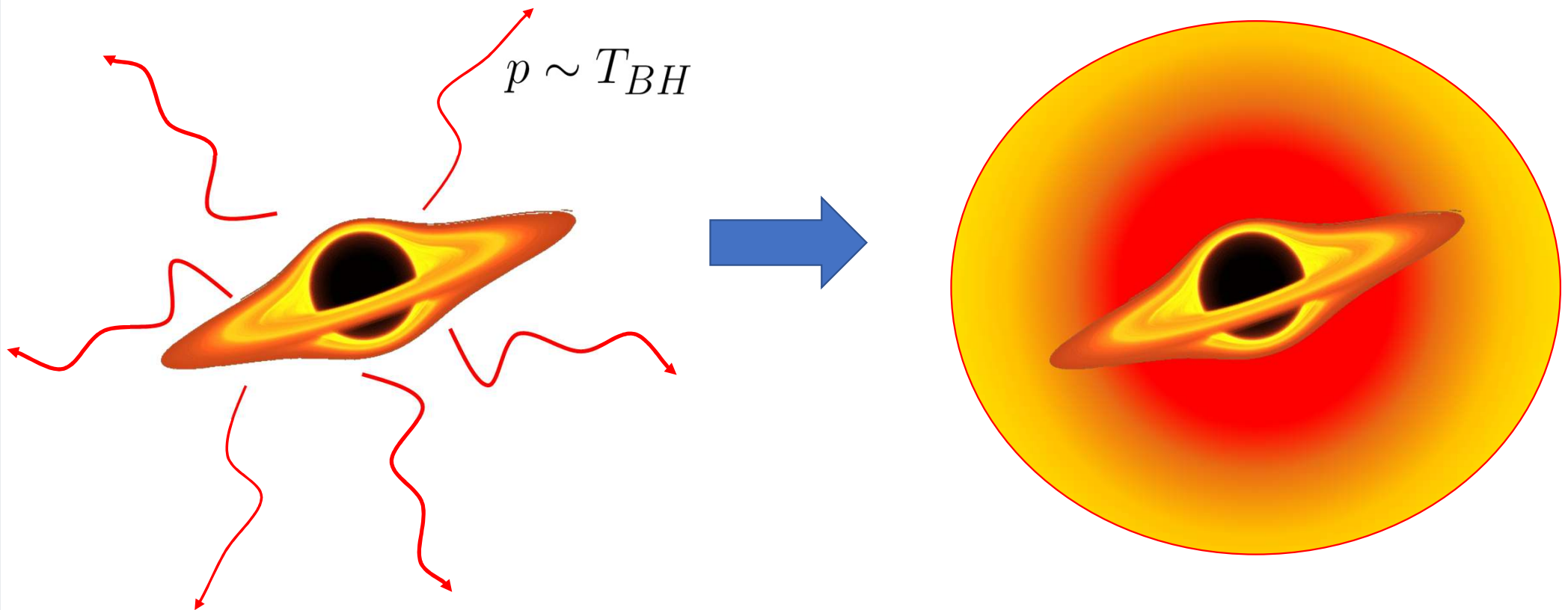
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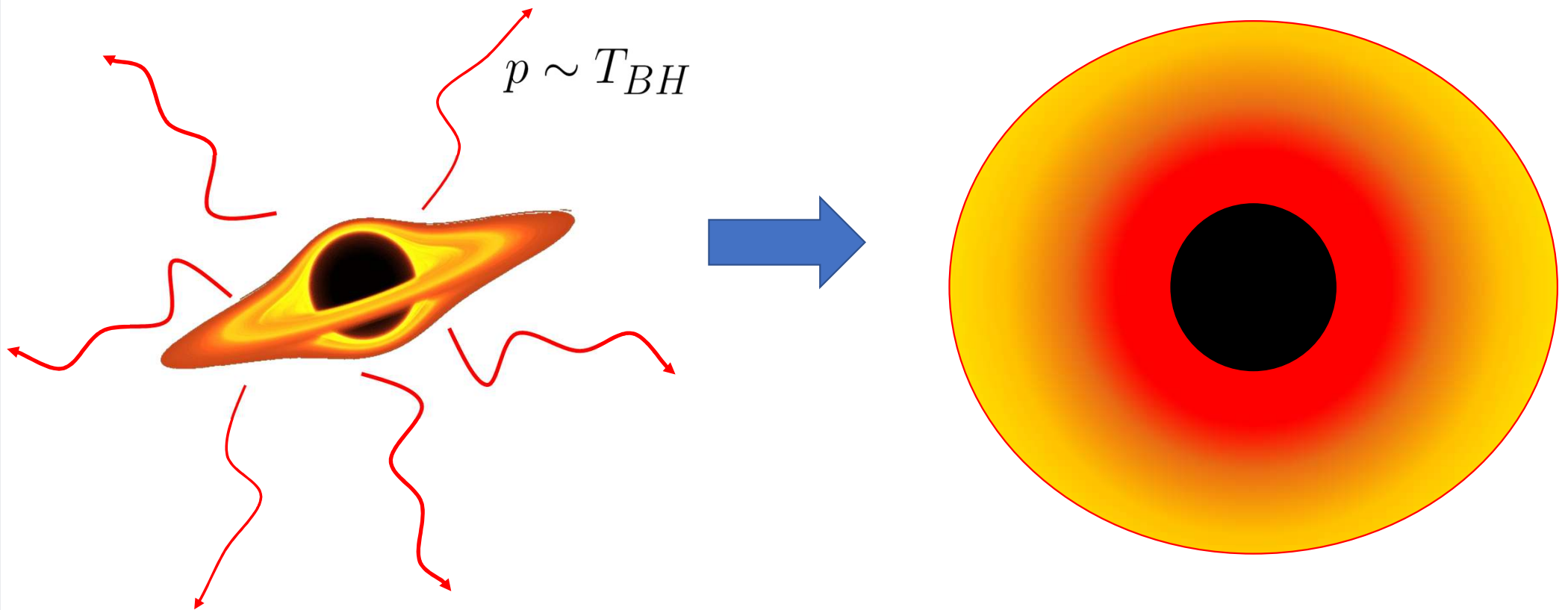
$$\Omega_{\chi, \text{tot}} h^2 = \Omega_{\chi, p} h^2 + \Omega_{\chi, \text{PBH}} h^2$$



Hotspot and thermal equilibrium dark matter



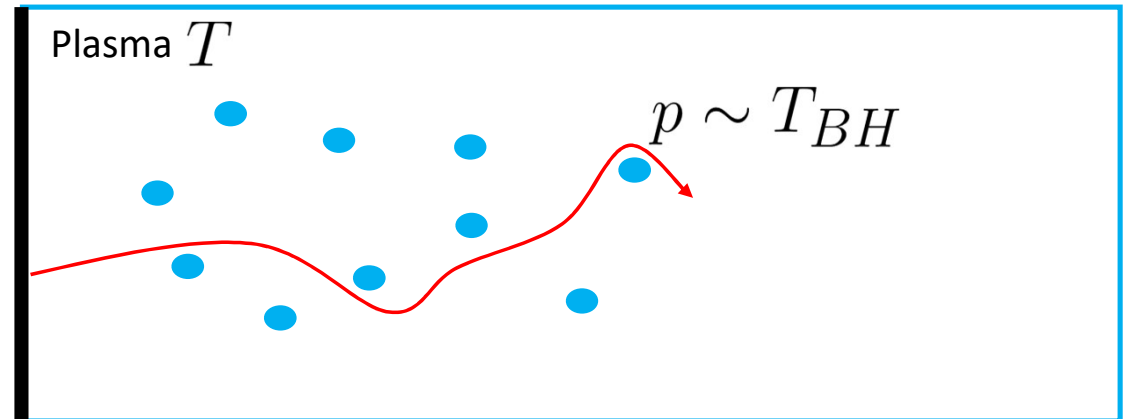
Hotspot and thermal equilibrium dark matter



PBH hotspot

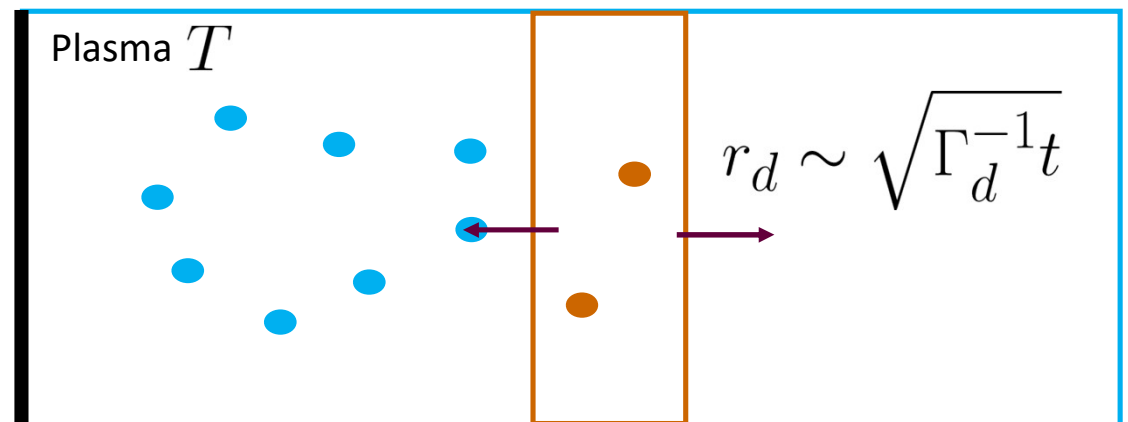
Energy deposition model:

$$\Gamma_{LPM} \sim \alpha^2 T \sqrt{\frac{T}{p}}$$



Diffusion:

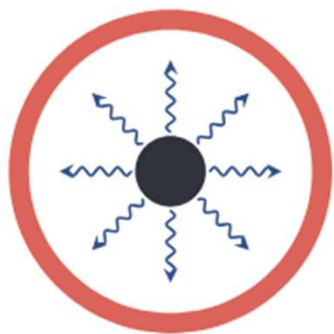
$$\Gamma_d \sim \alpha^2 T$$



We will take : $\alpha \sim 0.1$

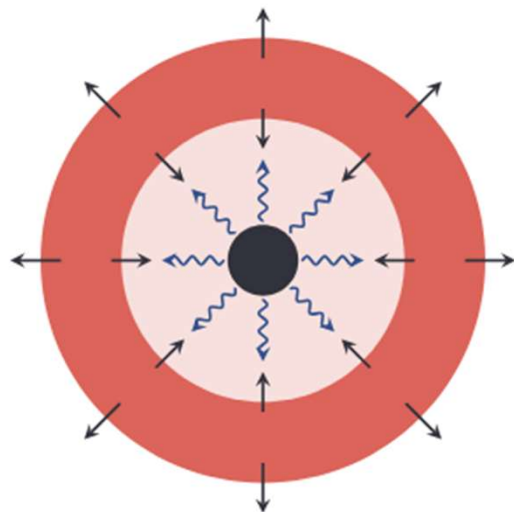
$$r_{th} \sim \Gamma_{LPM}^{-1}$$

PBH hotspot

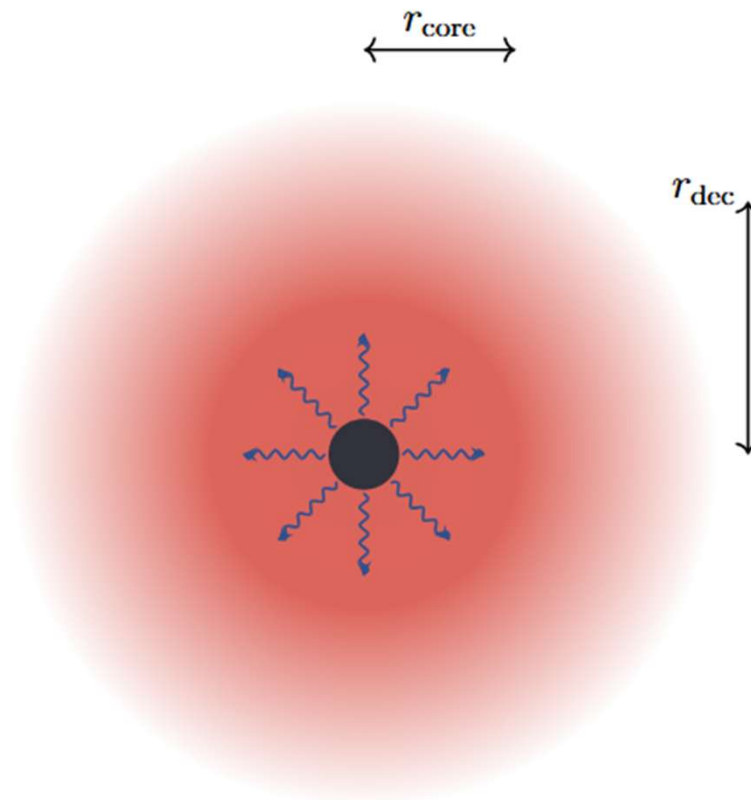


Γ_{LPM}^{-1}

Initial heating

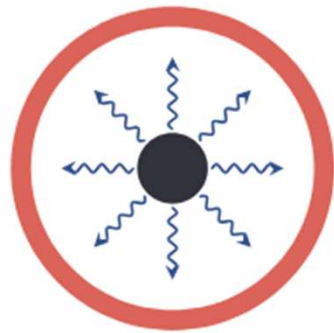


Diffusion



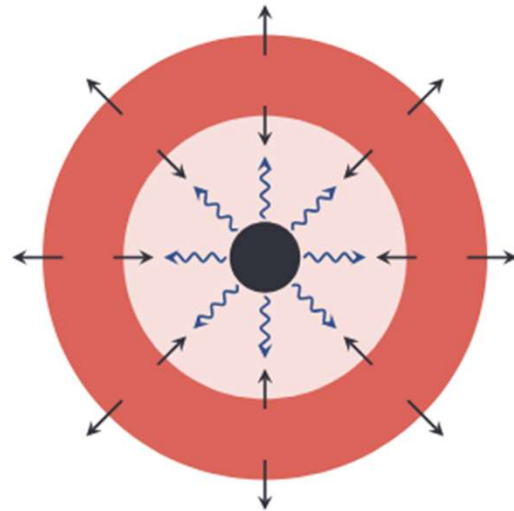
Stable hotspot

PBH hotspot

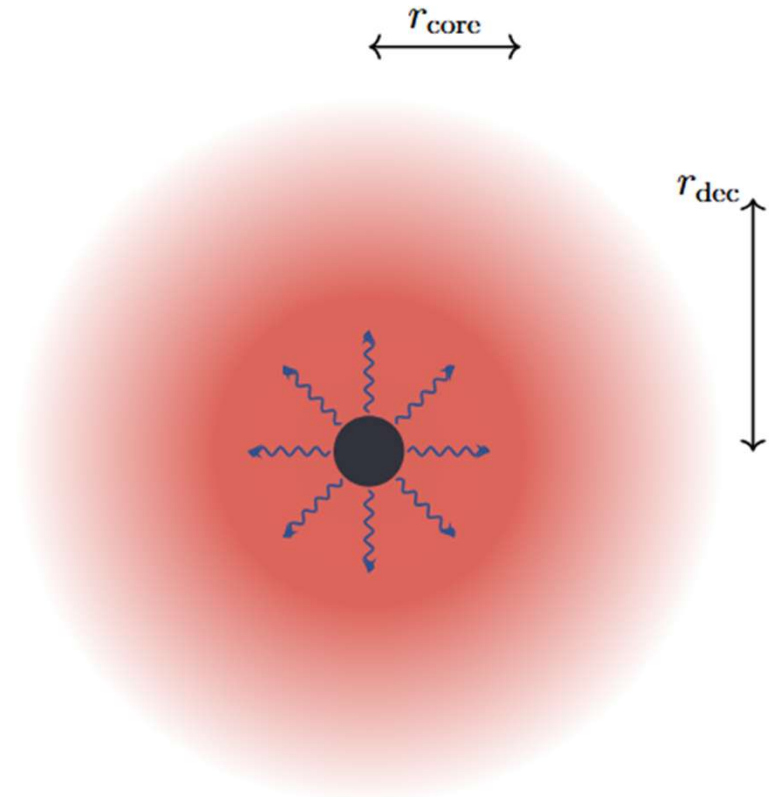


Γ_{LPM}^{-1}

Initial heating



Diffusion

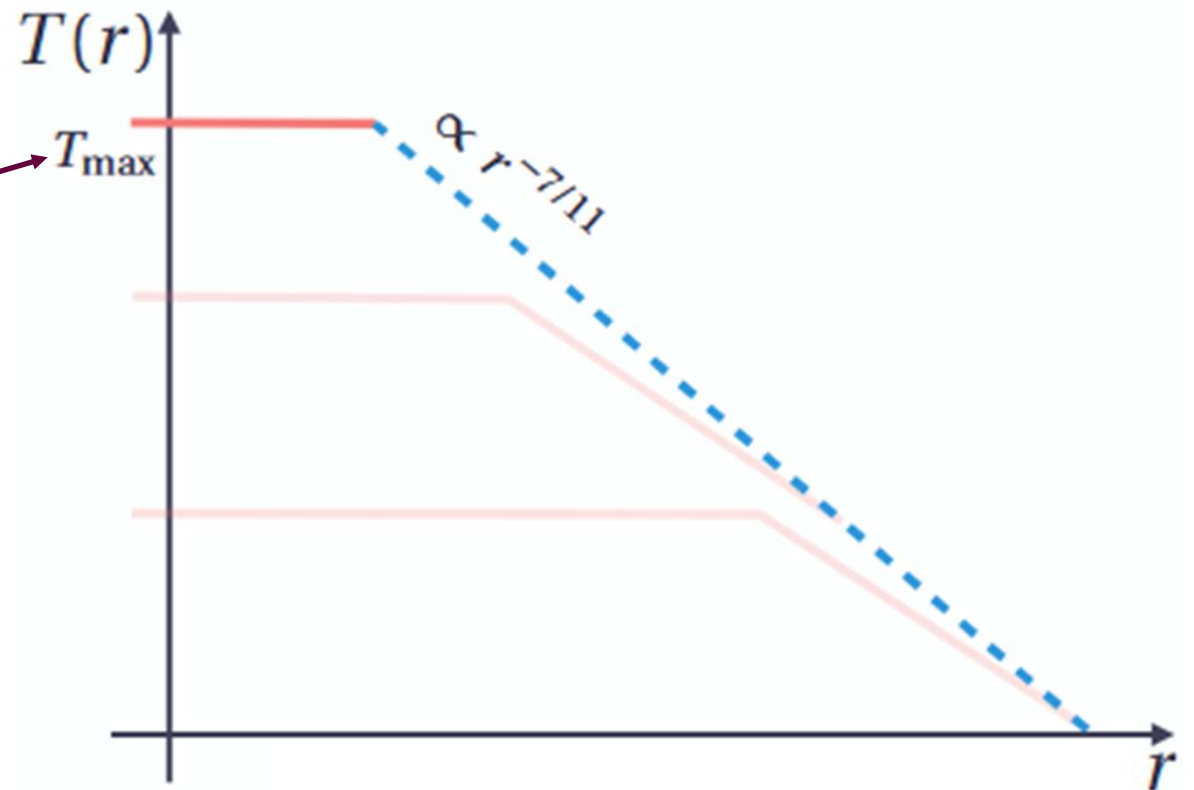


Stable hotspot

The hotspot will be sustained until evaporation

Temperature profile at evaporation

$$T_{max} \sim 10^9 \text{ GeV}$$



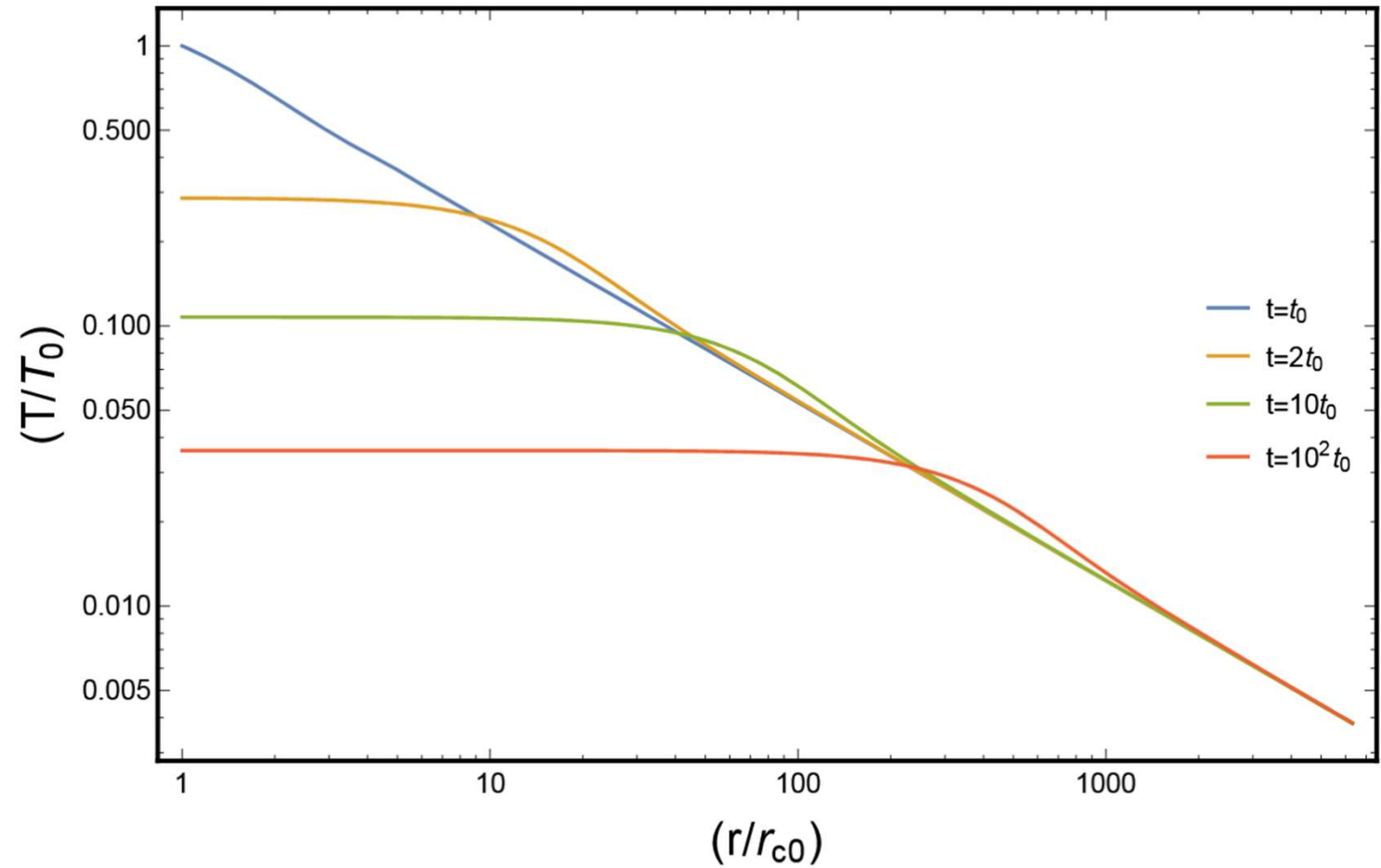
At evaporation the maximal temperature is independant on the PBH mass!

Hotspot cooling

Das, S., Hook, A. J. *High Energ. Phys.* **2021**, 145 (2021)

$$T_{\text{in}} \sim t^{-\frac{7}{15}}$$

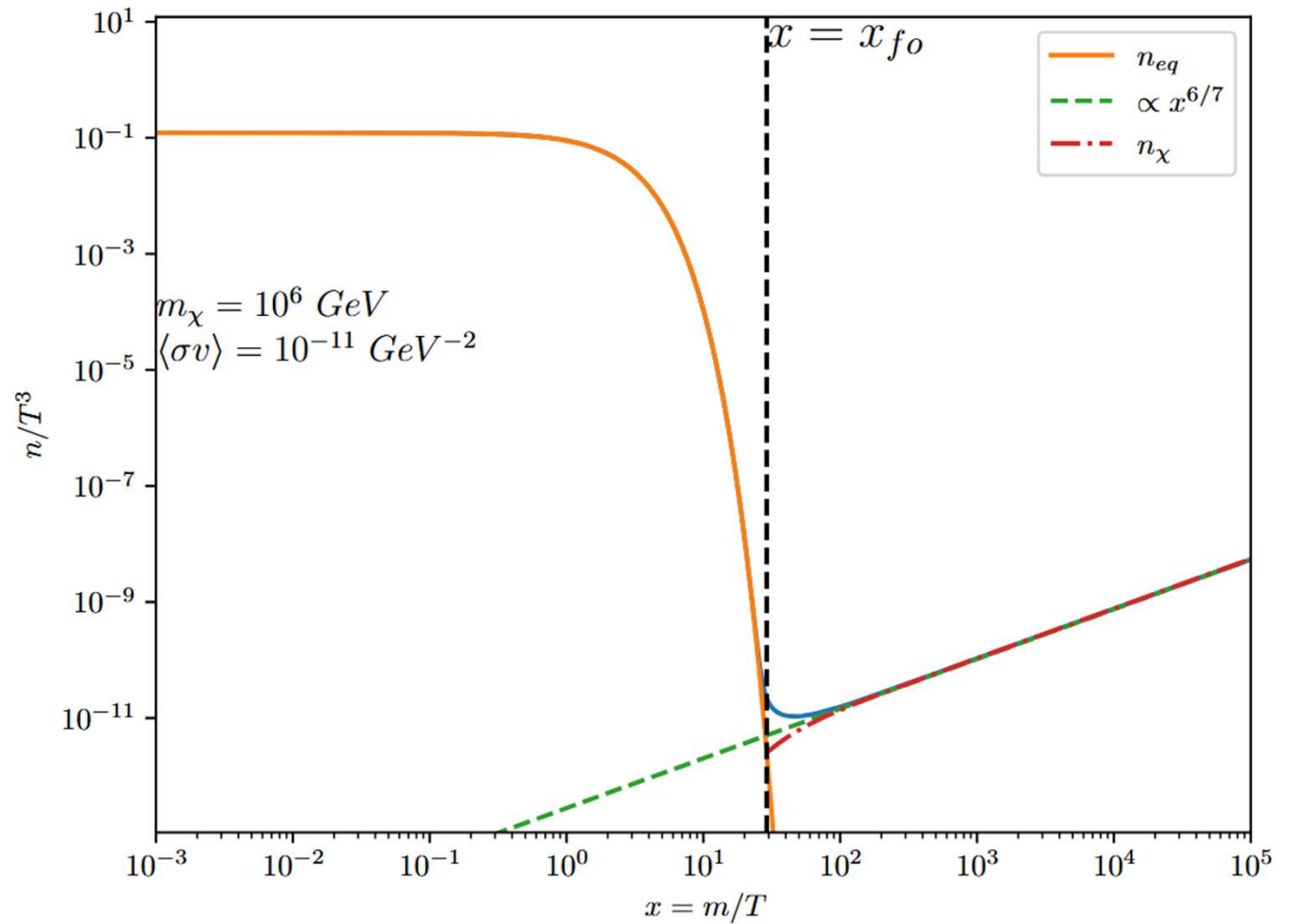
$$\tau_{\text{cool}} \sim \tau_{\text{min}} \left(\frac{T_{\text{max}}}{T} \right)^{15/7}$$



Freeze-out in the hotspot

$$\langle \sigma v \rangle \sim \frac{T^l}{\Lambda^{l+2}}$$

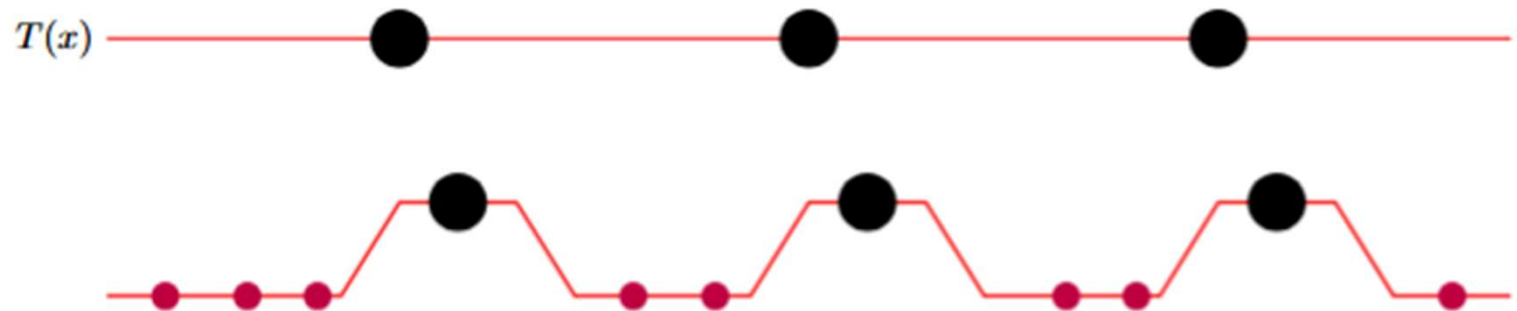
$$\frac{dn_\chi}{dx} = -\frac{\langle \sigma v \rangle}{x\tau_{\text{cool}}^{-1}}(n_\chi^2 - (n_\chi^{\text{eq}})^2)$$



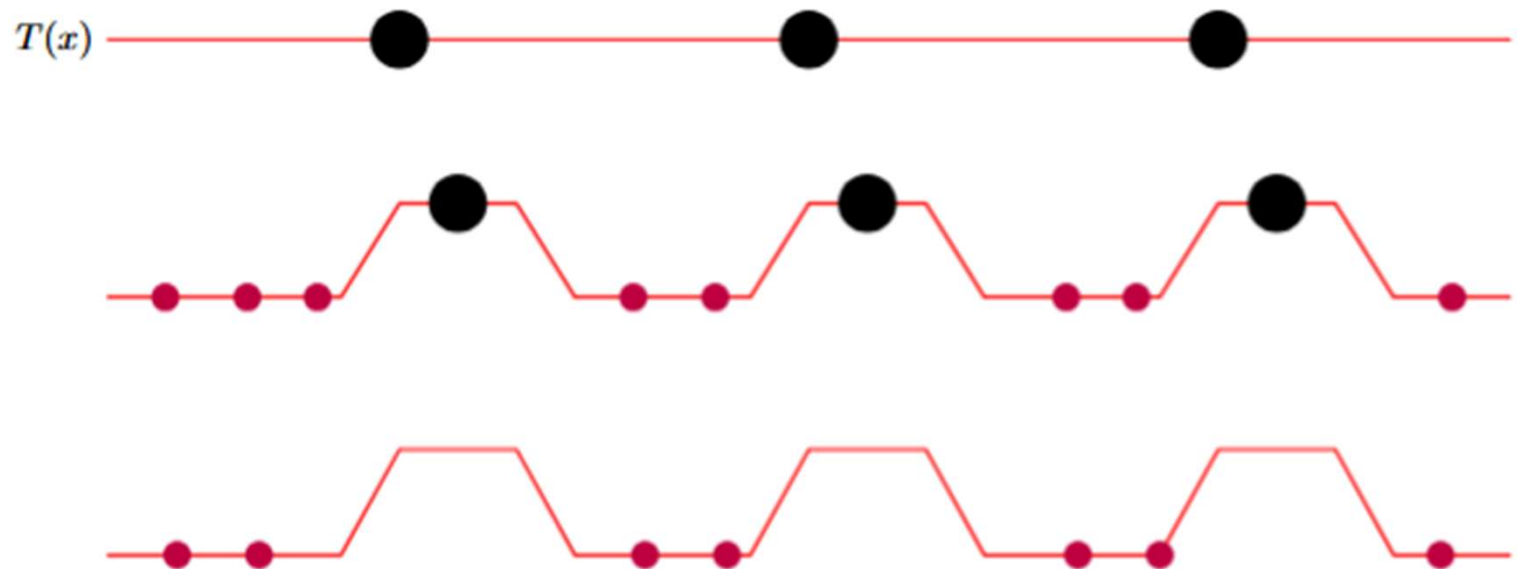
Dark matter timeline



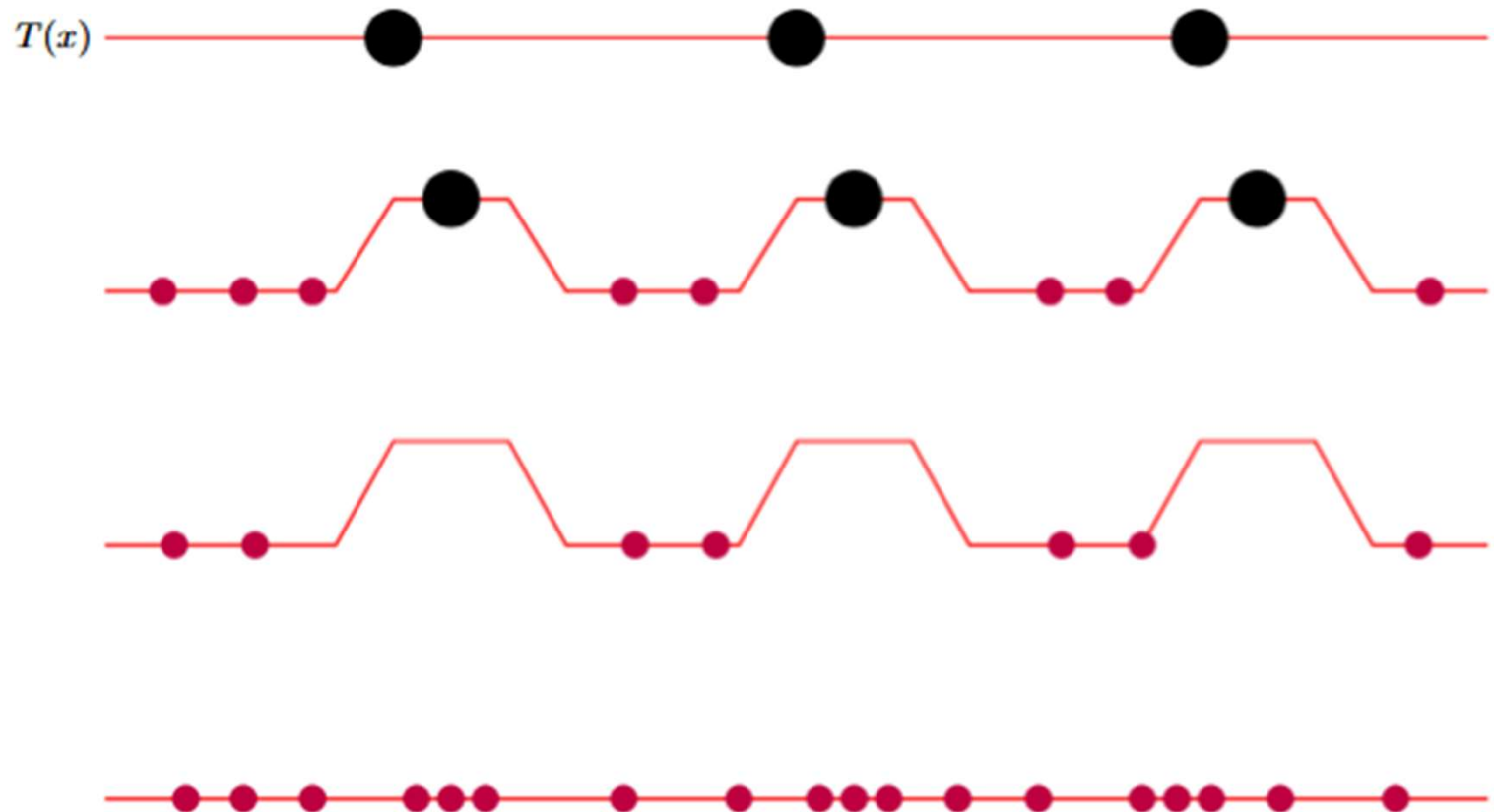
Dark matter timeline



Dark matter timeline



Dark matter timeline



Impact on a preproduced abundance

Initial dark matter production:

$$Y_0 \simeq (l + 1) \frac{\pi}{3} \sqrt{\frac{g_*}{10}} \frac{\Lambda^{l+2}}{M_P T_{f_{o,p}}^{l+1}}$$

Dark matter freeze out in
the background

Impact on a preproduced abundance

Initial dark matter production:

$$Y_0 \simeq (l + 1) \frac{\pi}{3} \sqrt{\frac{g_*}{10}} \frac{\Lambda^{l+2}}{M_P T_{fo,p}^{l+1}}$$

A fraction of the universe is still hot:

$$f = n_{pbh,ev} \frac{4\pi}{3} r_{in}^3 (T_{fo,PBH}) \propto \beta_{in}$$

Dark matter freeze out in the background

Hotspot generates hot region with DM in equilibrium

Impact on a preproduced abundance

Initial dark matter production:

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A fraction of the universe is still hot:

$$f = n_{pbh,ev} \frac{4\pi}{3} r_{in}^3 (T_{fo,PBH}) \propto \beta_{in}$$

In those patch, the dark matter is brought back to thermal equilibrium implying:

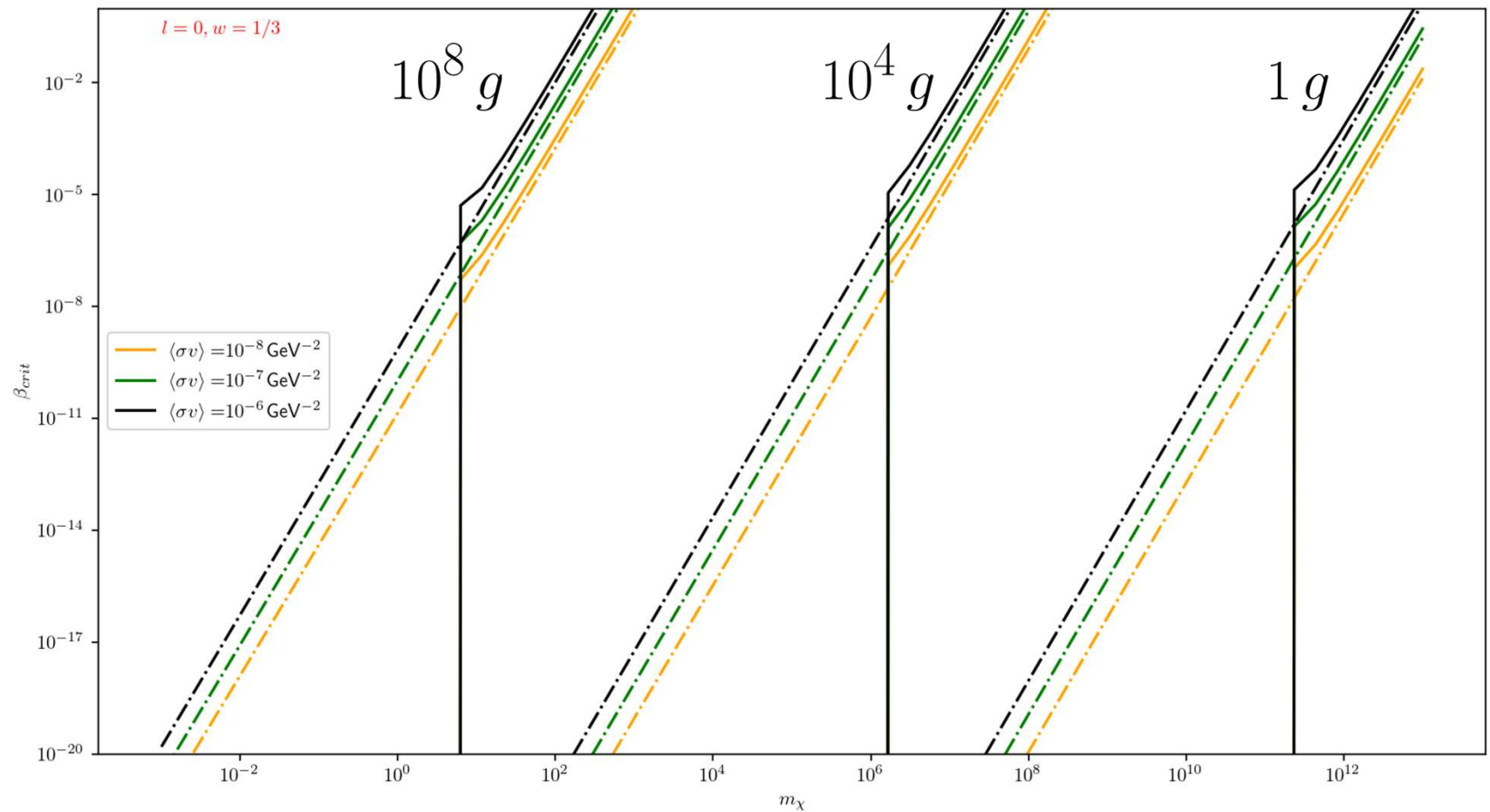
$$\Omega_\chi h^2 = \Omega_{fo} h^2 + f (\Omega_{fo,PBH} h^2 - \Omega_{fo} h^2).$$

Dark matter freeze out in the background

Hotspot generates hot region with DM in equilibrium

A second freeze-out is induced by hotspot cooling

Producing the right relic abundance



Conclusion

- 1) PBH can be formed in many different scenarios
- 2) Depending on their mass, they can be (part) of the dark matter or contribute to its sourcing
- 3) PBH can induce a local hotspot, which enhances DM production (incompatibility with WIMP).

Thank you!

Backup

PBH hotspot

Define a diffusion time:

$$r_d(t_d, T) = r_{th}$$

For a stable hotspot to form we require :

$$\frac{\pi^2 g_*}{30} T^4 \frac{4\pi}{3} r_{th}^3(T_{BH}, T) \approx -t_d(M_{BH}, T) \frac{dM_{BH}}{dt}$$

$$\Rightarrow T_{core} \sim \left(\frac{90\alpha^4}{4\pi^3 g_*} \epsilon \right)^{\frac{2}{3}} T_{BH}$$

Size of the central homogeneous patch:

$$r_{core} = r_{th}(T_{BH}, T_{core}) \sim \left(\frac{4\pi^3 g_*}{90\alpha^6 \epsilon} \right) \frac{1}{T_{BH}}$$

Diffusion generates a homogeneous central region until:

$$M > M_* \equiv \left(\frac{4\pi^3 g_*}{90} \right)^{\frac{2}{3}} \frac{3^{\frac{3}{6}}}{2^{\frac{1}{6}} \alpha^{\frac{11}{3}}} \frac{M_P}{\epsilon^{\frac{1}{6}}}$$

$$t_d \lesssim t_{th}$$

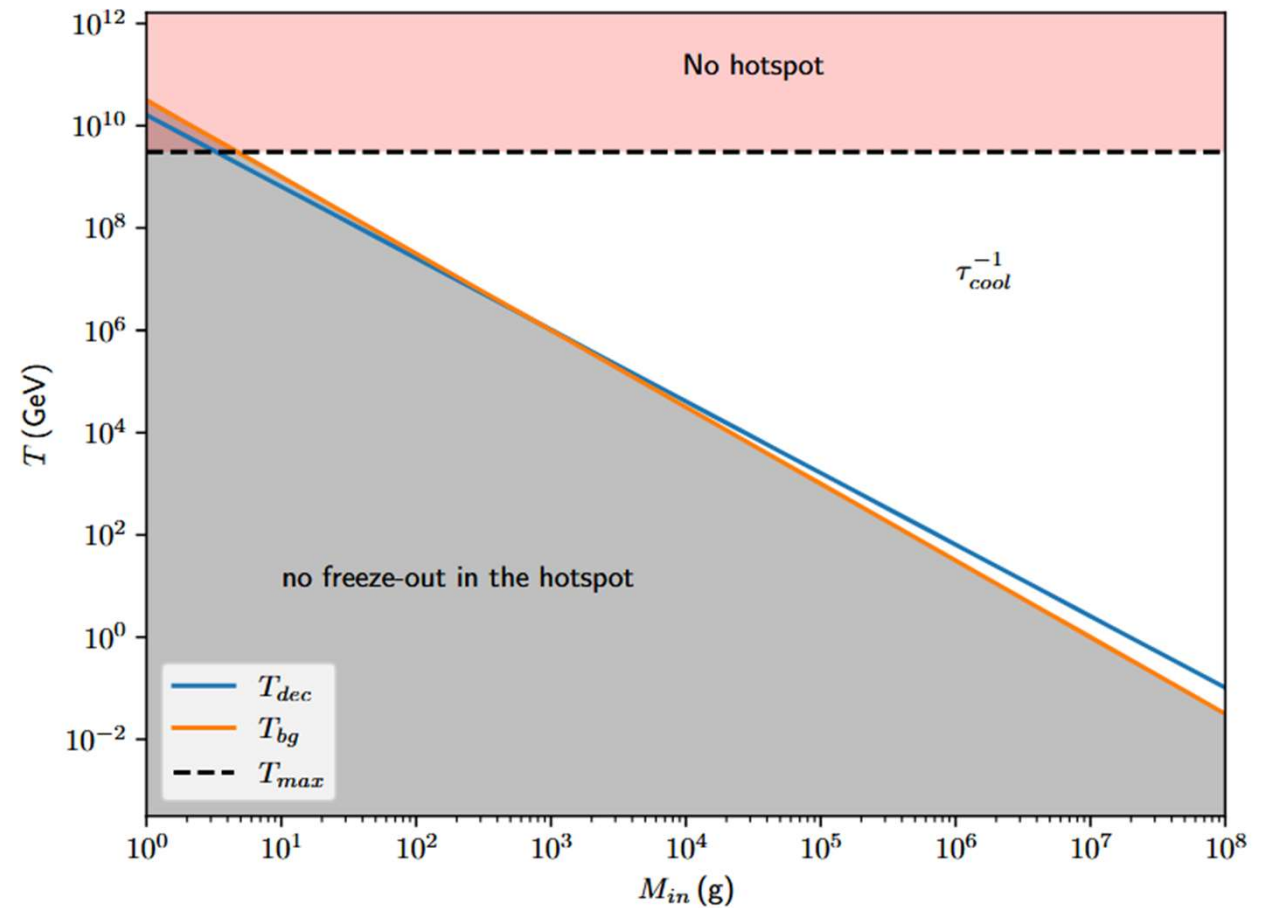
Freeze-out in the hotspot

Hotspot freeze-out imply:

$$\tau_{cool}^{-1}(T) > H(T_{bg})$$

$$T > T_{max} \left(\sqrt{\frac{g_* \pi T_{bg}^2 \tau_{min}}{103 M_P}} \right)^{\frac{7}{15}}$$

T_{dec}



Freeze-out in the hotspot

Can PBH evaporate after background freeze-out?

Relativistic Freeze-out

Non relativistic Freeze-out

