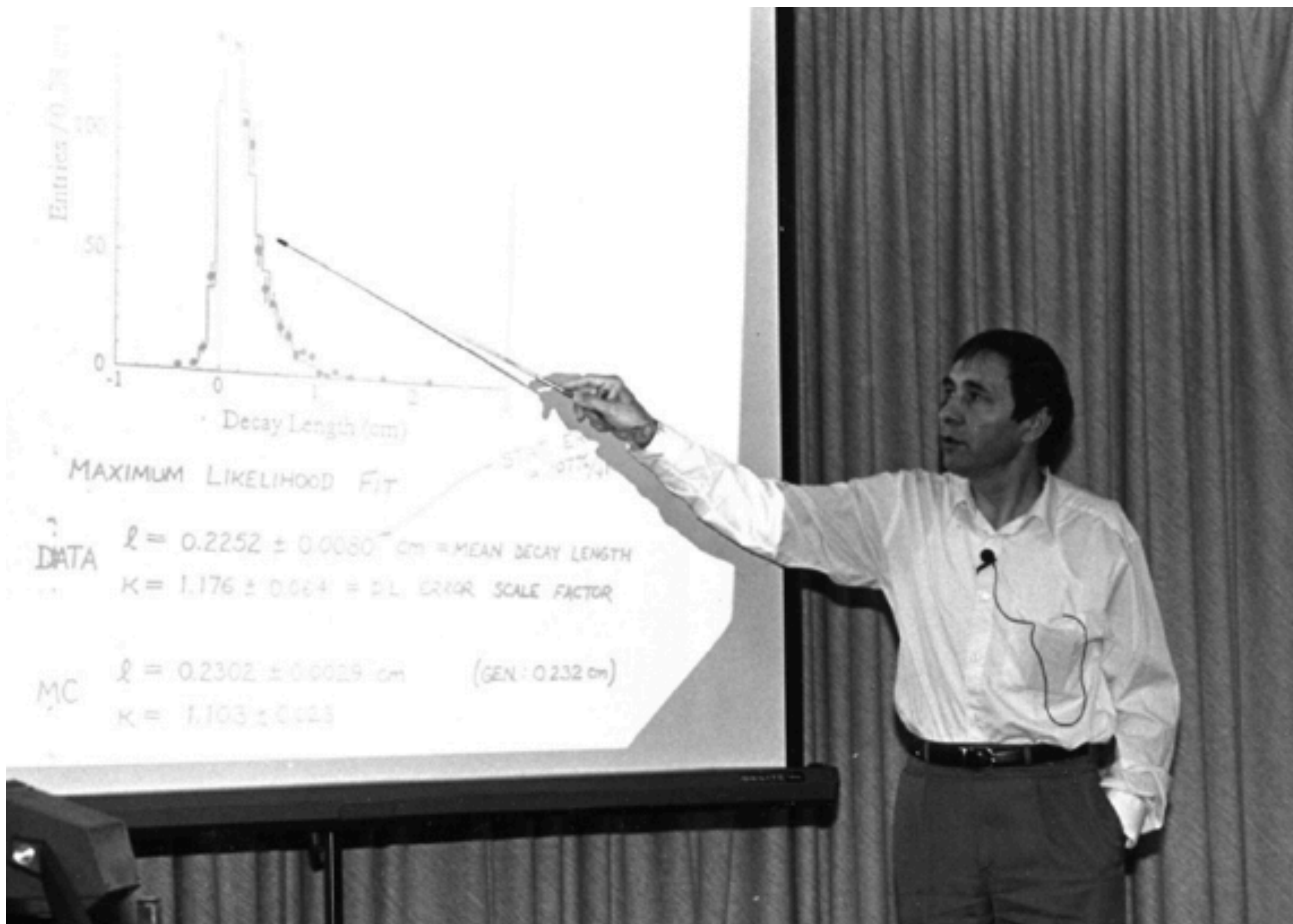


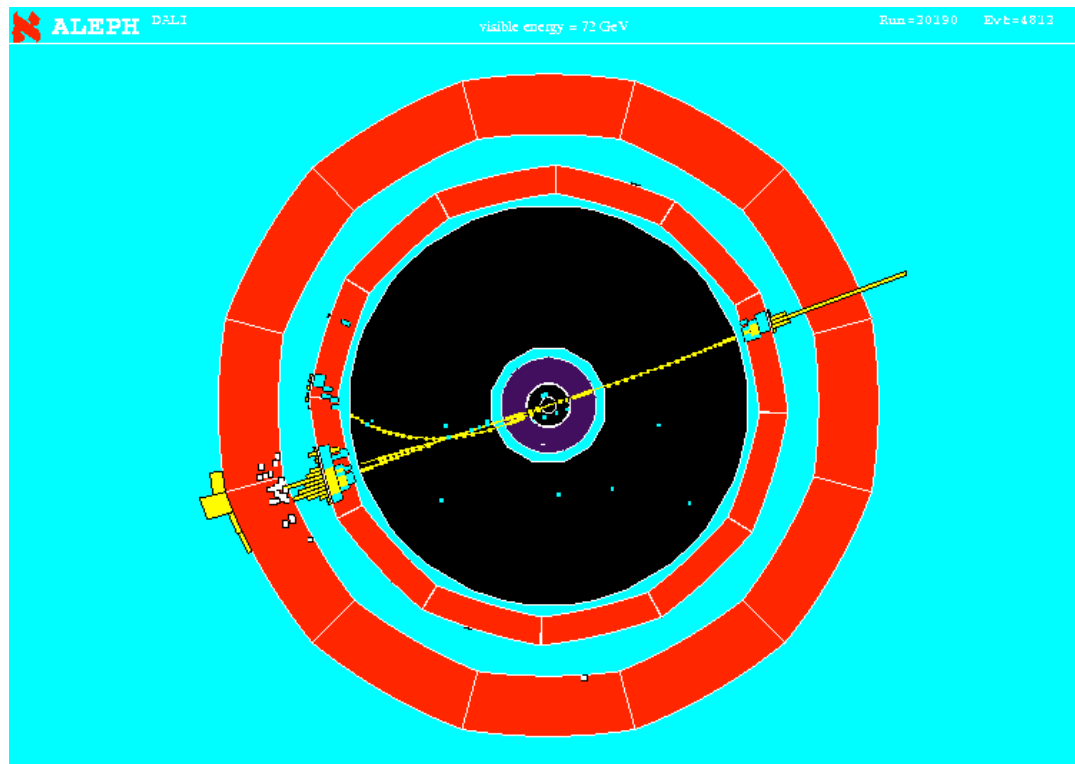


# The art of precision physics at ALEPH and BABAR



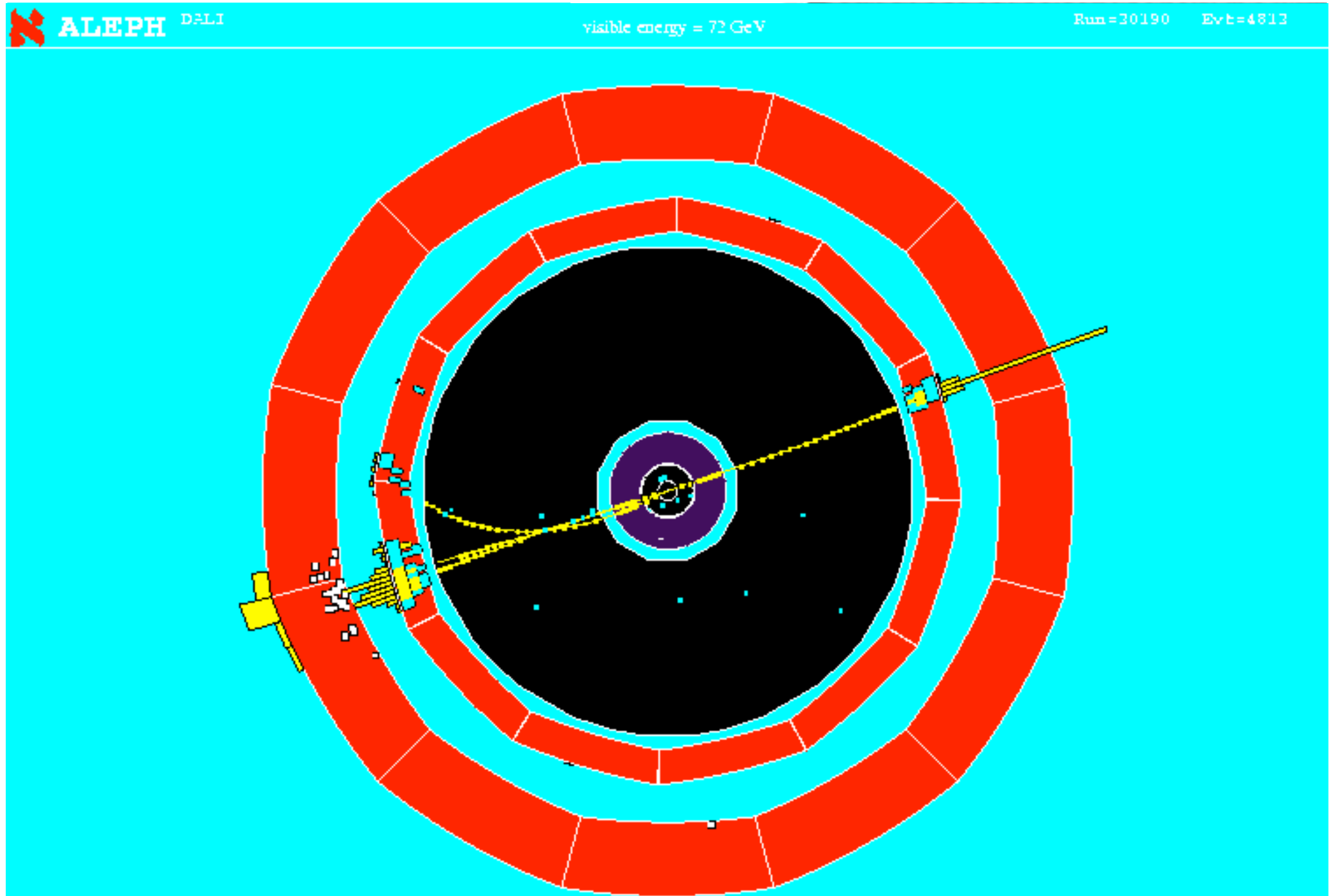


# The art of precision physics at ALEPH and BABAR





# The art of precision physics at ALEPH and BABAR



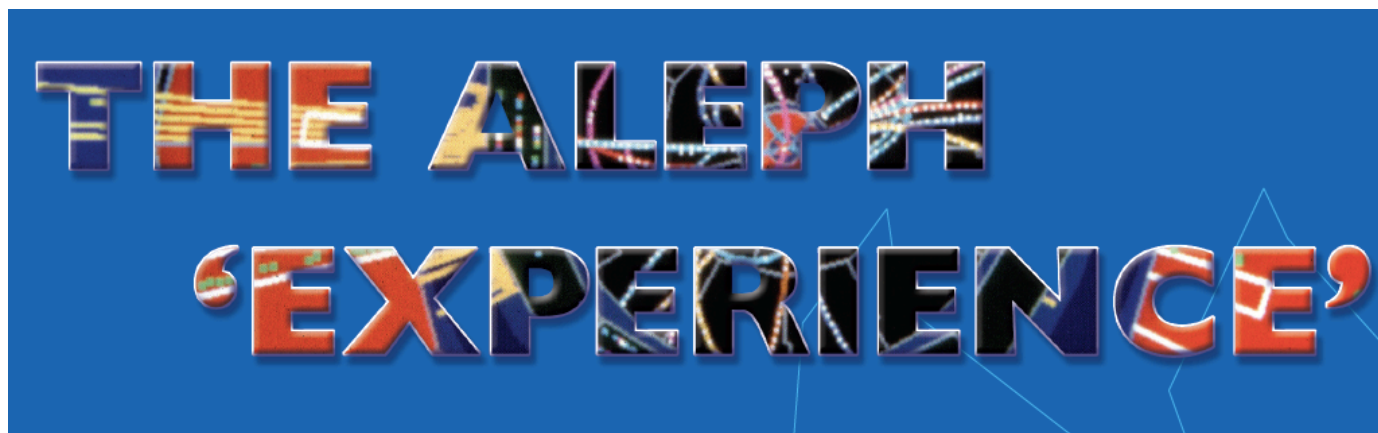


Why was tau physics at ALEPH  
(LEP) so precise ?



Why was tau physics at ALEPH  
(LEP) so precise ?

Michel: the amazing tale of the tau







Why was tau physics at ALEPH (LEP) so precise ?

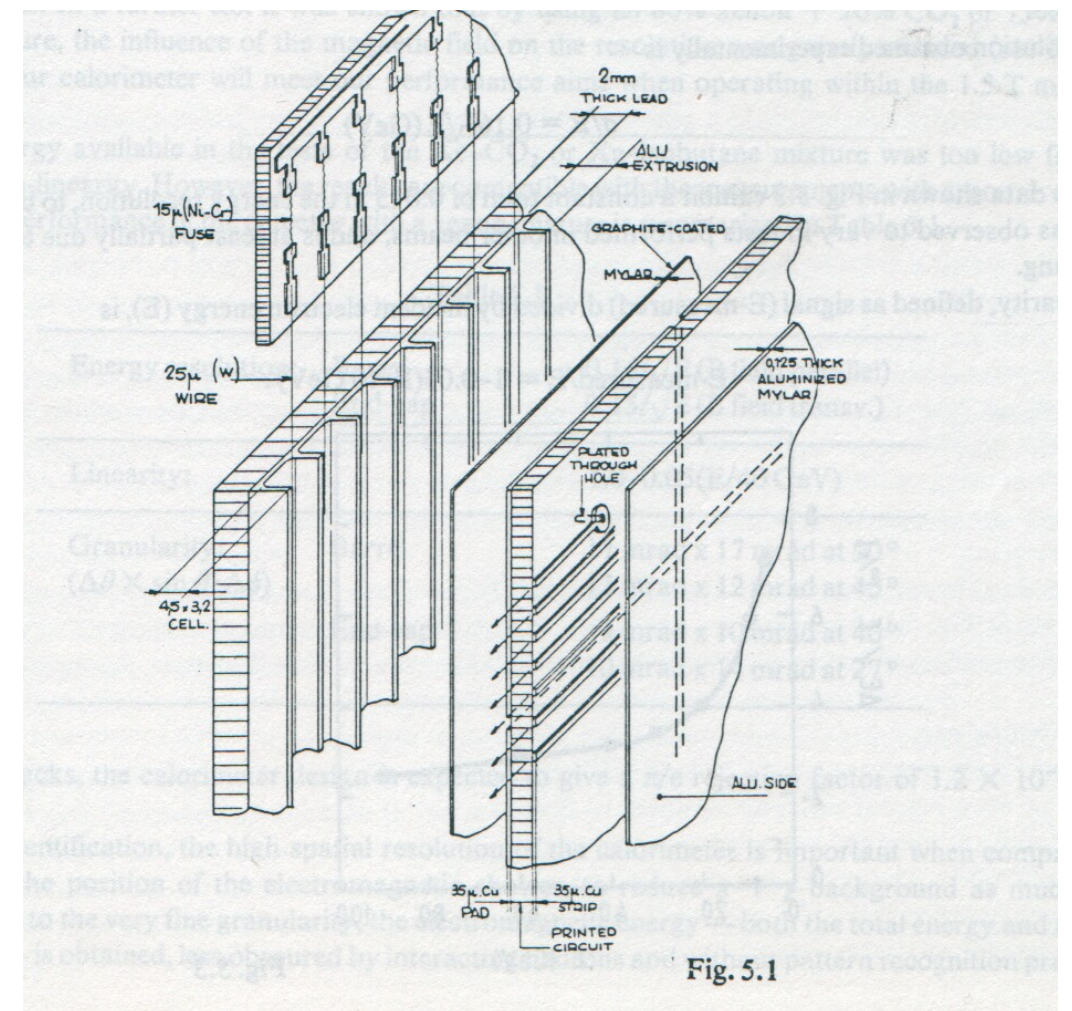
Michel: the amazing tale of the tau



Three ingredients :

## First Ingredient

First, and most importantly, the Aleph detector was beautifully designed to study  $\tau$  production and decay



.....Various criteria can be used to choose between different designs for an electromagnetic calorimeter. We have decided to emphasize granularity....it simplifies the identification of electrons in hadronic jets and facilitates the separation of photon energy from the background produced by interacting hadrons.....



## Second Ingredient

At LEP energies,  $\tau$  pairs led to two collimated back-to-back particle jets due to the large Lorentz boost in each  $\tau$  decay. This provided for a very clear signature resulting in a large selection efficiency and a small background.

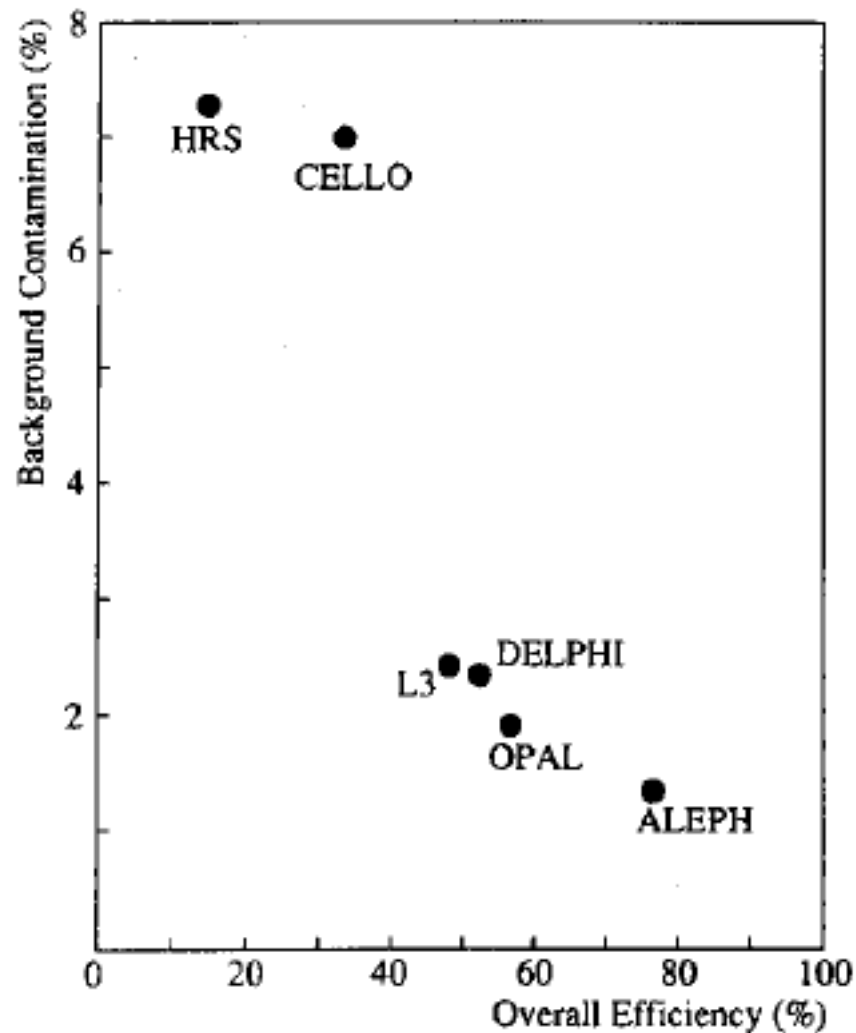
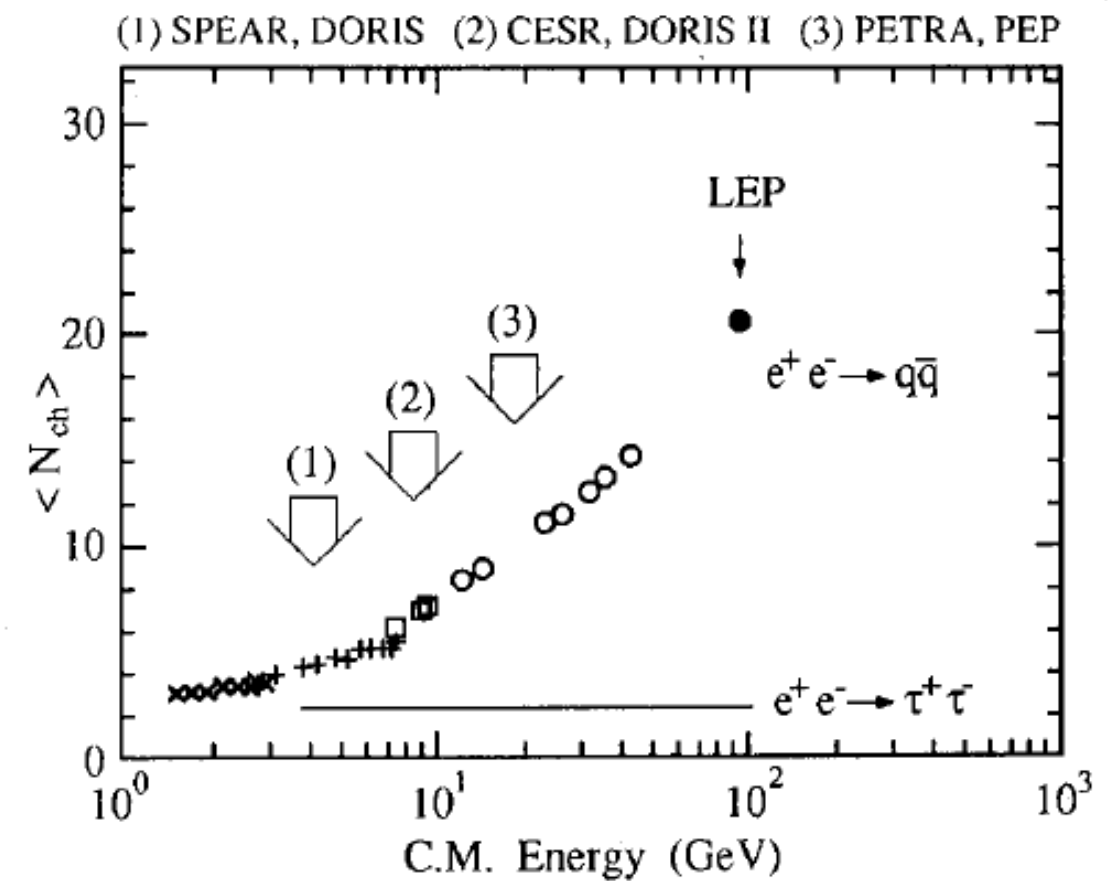


Fig. 8 : Overall selection efficiency for  $e^+e^- \rightarrow \tau^+\tau^-$  and the corresponding non- $\tau$  background achieved by experiments performing analyses on a global  $\tau\tau$  sample.



Michel, Columbus

Fig. 7 : Charged particle multiplicity for the process  $e^+e^- \rightarrow \text{hadrons}$  and  $e^+e^- \rightarrow \tau^+\tau^-$  as a function of centre-of-mass energy.[8]



# ALEPH papers with $\tau$ s

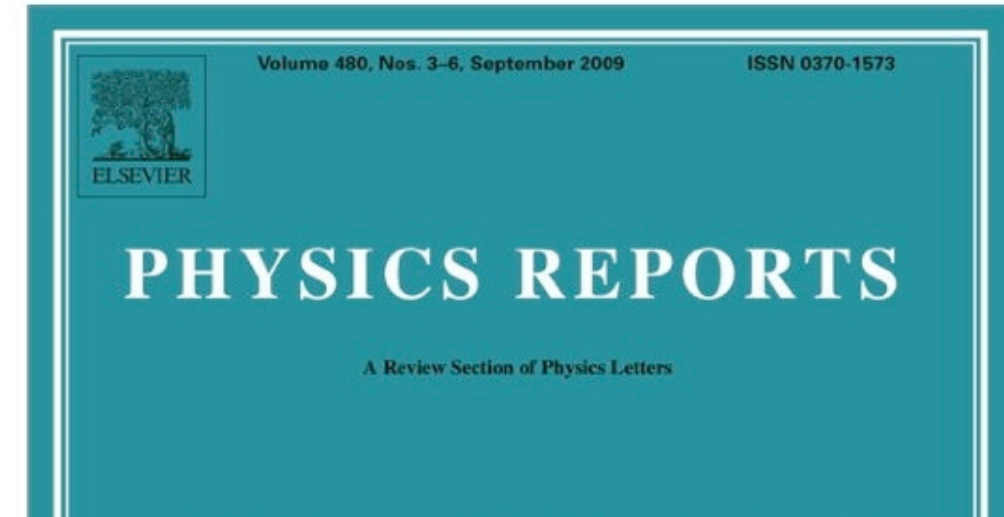
- 19 Papers on EWK precision measurement
- 13  $\tau$  branching fractions and spectral functions
- 6  $\tau$  charged-current couplings and  $\tau$  neutrino,
- 5  $\tau$  spin and polarization
- 5  $\tau$  lifetime.





# ALEPH papers with Taus

- 19 Papers on EWK precision measurement
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- 6  $\tau$  charged-current couplings and  $\tau$  neutrino,
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Physics Reports 421 (2005) 191–284

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PHYSICS REPORTS

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[www.elsevier.com/locate/physrep](http://www.elsevier.com/locate/physrep)

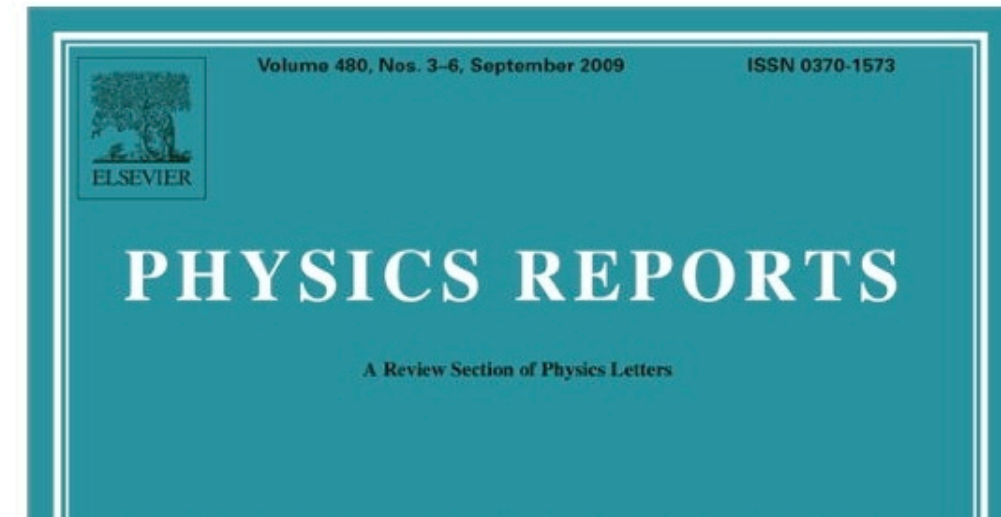
Branching ratios and spectral functions of  $\tau$  decays:  
Final ALEPH measurements and physics implications

The ALEPH Collaboration



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Physics Reports 421 (2005) 191–284

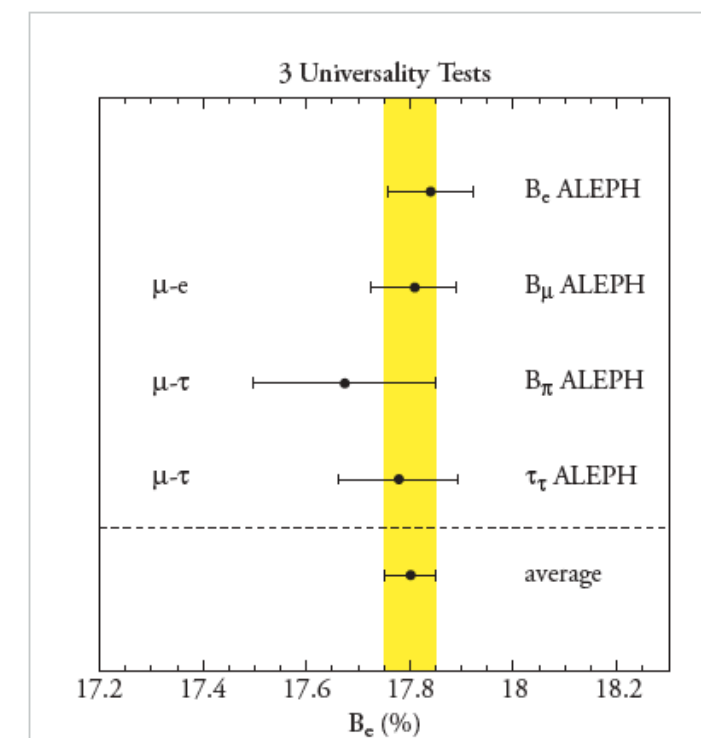
PHYSICS REPORTS

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Branching ratios and spectral functions of  $\tau$  decays:  
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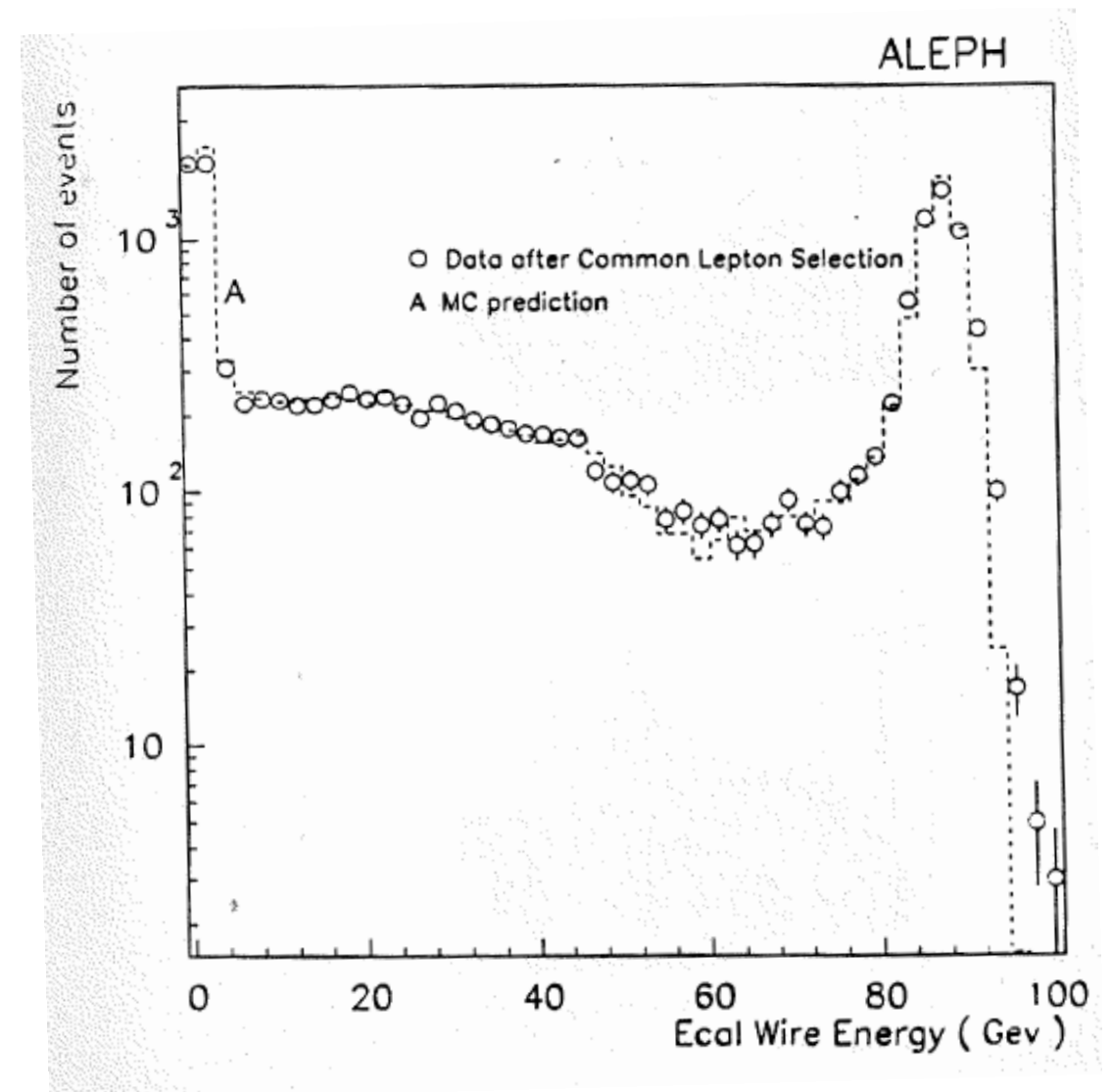
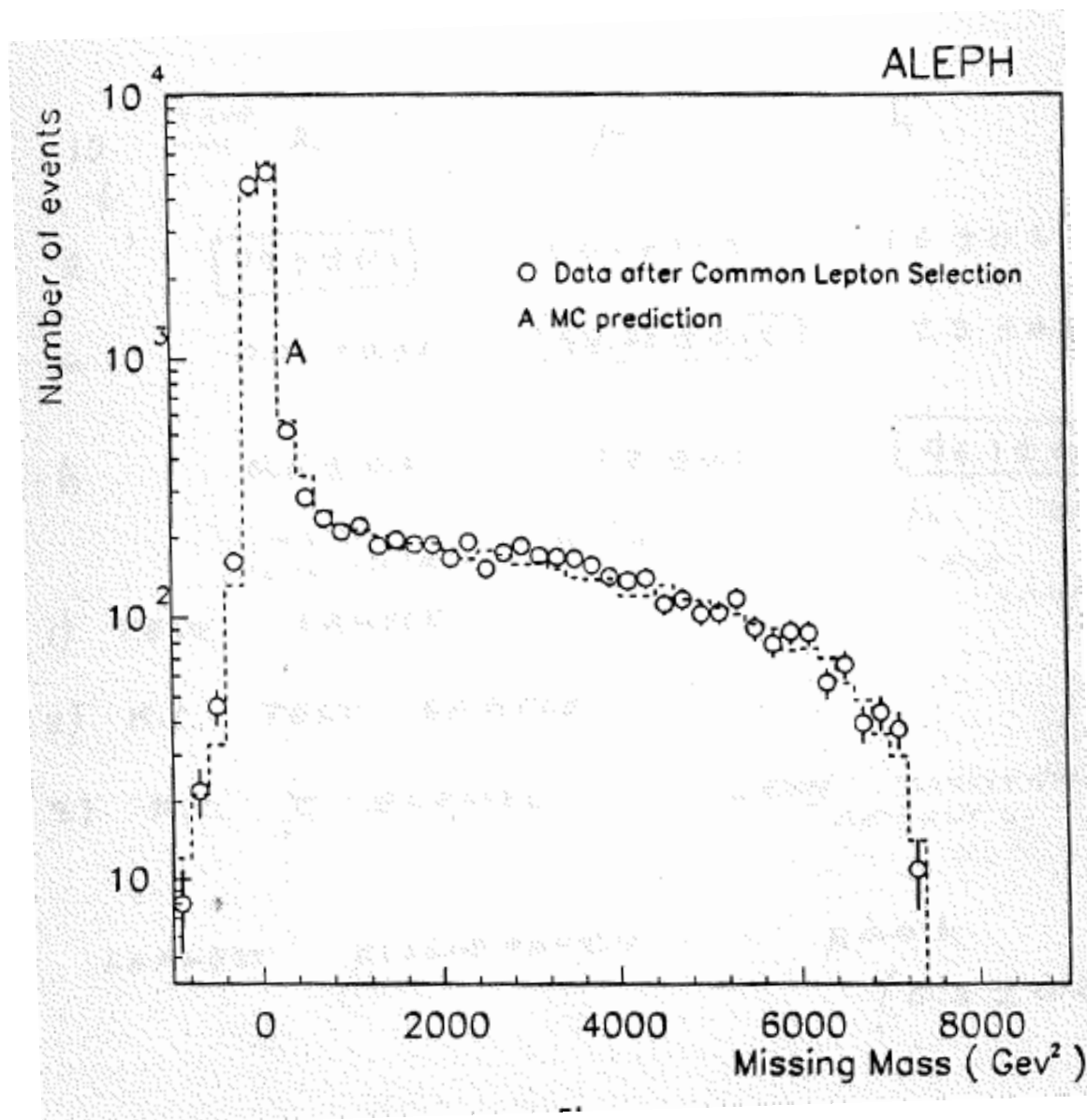
..... Certainly the overall description of  $\tau$  decays obtained by Aleph had a profound impact. All previously reported problems (one-prong, also three-prong) have vanished and the  $\tau$  lepton appears standard with leptonic couplings displaying universality with a precision of  $3 \times 10^{-3}$ .....





# Tau selection

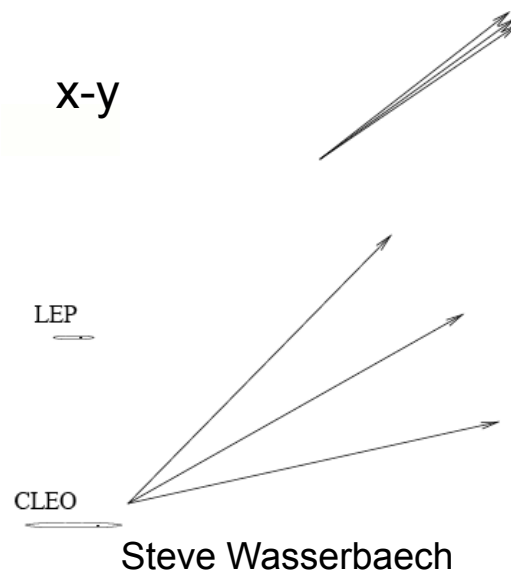
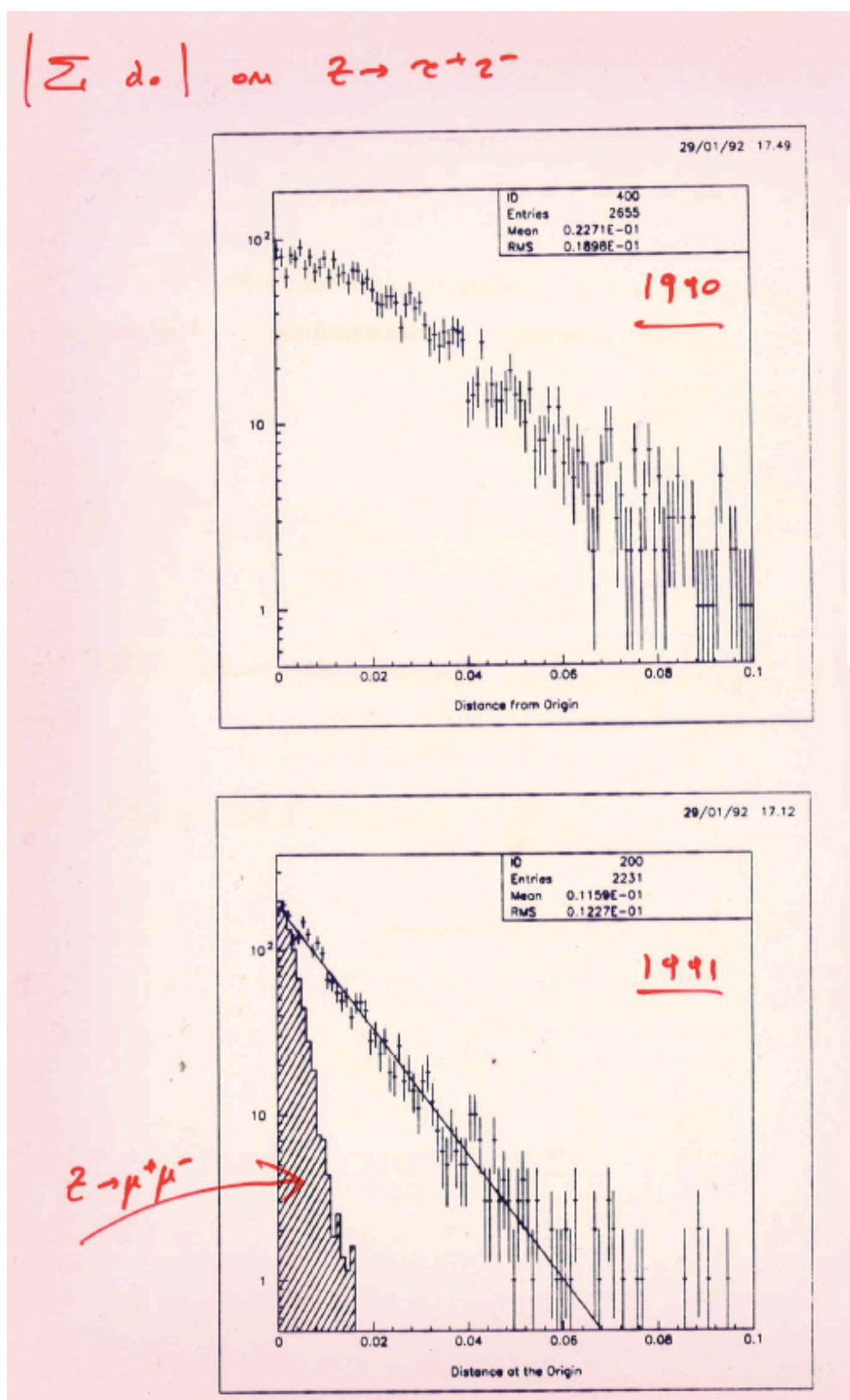
..... using the energy flow tool from Patrick Janot, a very efficient selector TAUSEL was designed by Laurent Duflot and Gerry Ganis.....







..... the  $\tau$  lifetime. At Z energies, the produced  $\tau$ 's travel on average 3 mm in the LEP beam pipe before decaying, so measuring accurately their decay path is a real challenge. It was beautifully met thanks to the precise vertex detector.....



### Z LIFETIME : A NEW TECHNIQUE (37)

- THE ANALYSIS IS DONE IN THE PLANE  $\perp$  TO BEAM DIRECTION - 1 vs 1 TOPOLOGY

$d \equiv$  IMPACT PARAMETER TO THE BEAM  
\* SIGN OF ANGULAR MOMENTUM

$d = L \cdot \sin \psi$

$d^+ - d^- = L^+ \sin \psi^+ - L^- \sin \psi^-$

FOR FIXED  $\psi^+, \psi^-$   
AVERAGE ON  $\tau$  DECAY TIMES

(a)  $d > 0$

(b)  $d < 0$

(c)

(d)

$\langle d^+ - d^- \rangle = \langle L \rangle (\sin \psi^+ - \sin \psi^-)$

$\approx \langle L \rangle (\psi^+ - \psi^-)$

$\psi^+ - \psi^- = \phi_+ - \phi_- + \pi = \Delta \phi$

$\langle d^+ - d^- \rangle = \langle L \rangle \Delta \phi = \beta \gamma c \tau_\tau \sin \Theta \Delta \phi$

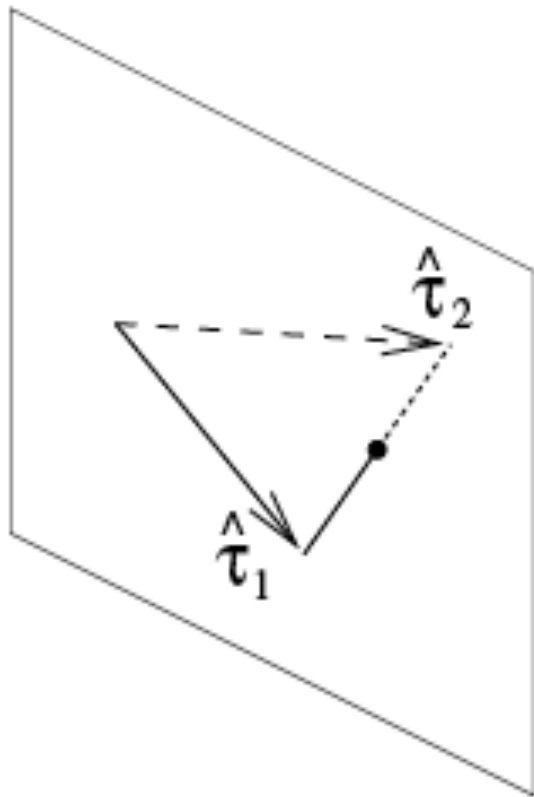
$Y = d^+ - d^-$

$X = \frac{\bar{P}_\tau(\sqrt{s})}{\bar{P}_\tau(M_Z)} \Delta \phi \sin \Theta$

$\langle Y \rangle = \left[ \frac{\bar{P}_\tau(M_Z)}{m_\tau} \tau_\tau \right] X$



.....breakthrough came from Inkyu Park and Anne-Marie Lutz who developed the completely new and most powerful 3D impact-parameter method.



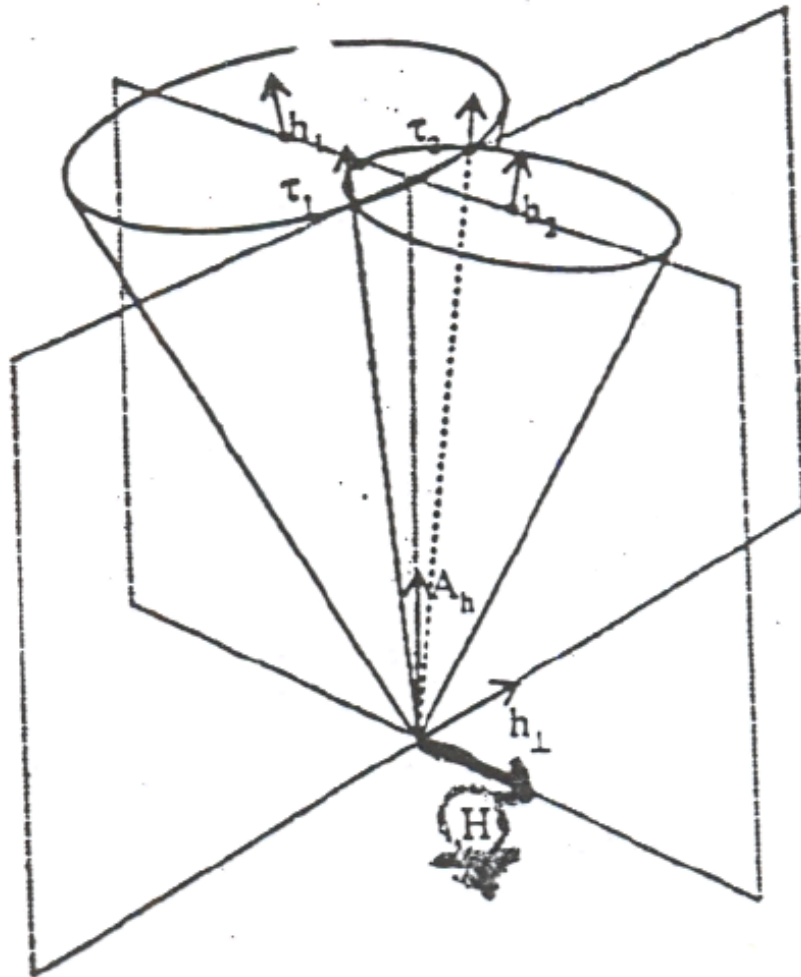
In events where both tau decay to hadrons , the common direction of the  $\tau^+$  and  $\tau^-$  can be measured up to a two fold ambiguity.

The event is projected along the direction given by difference between these two directions





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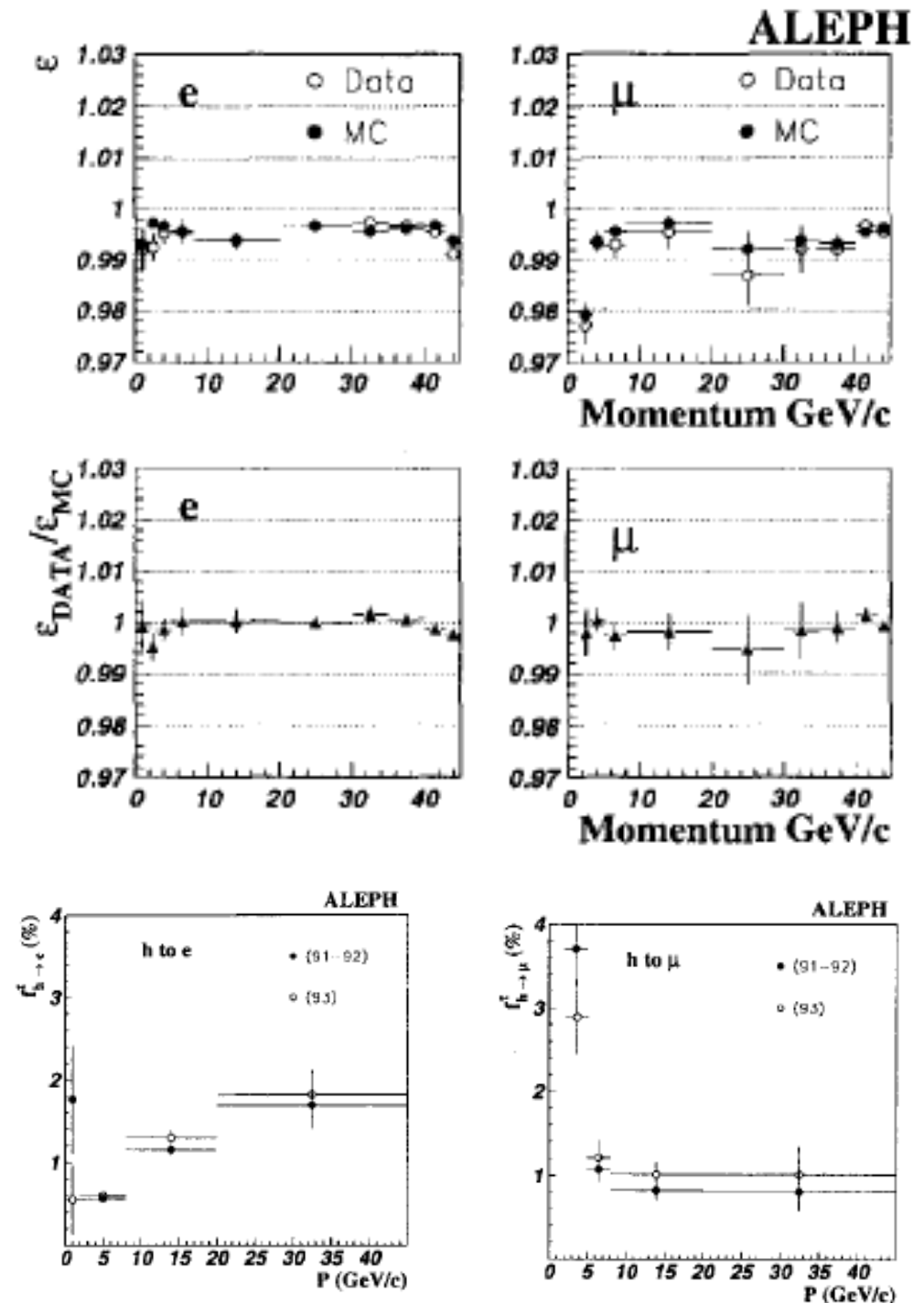
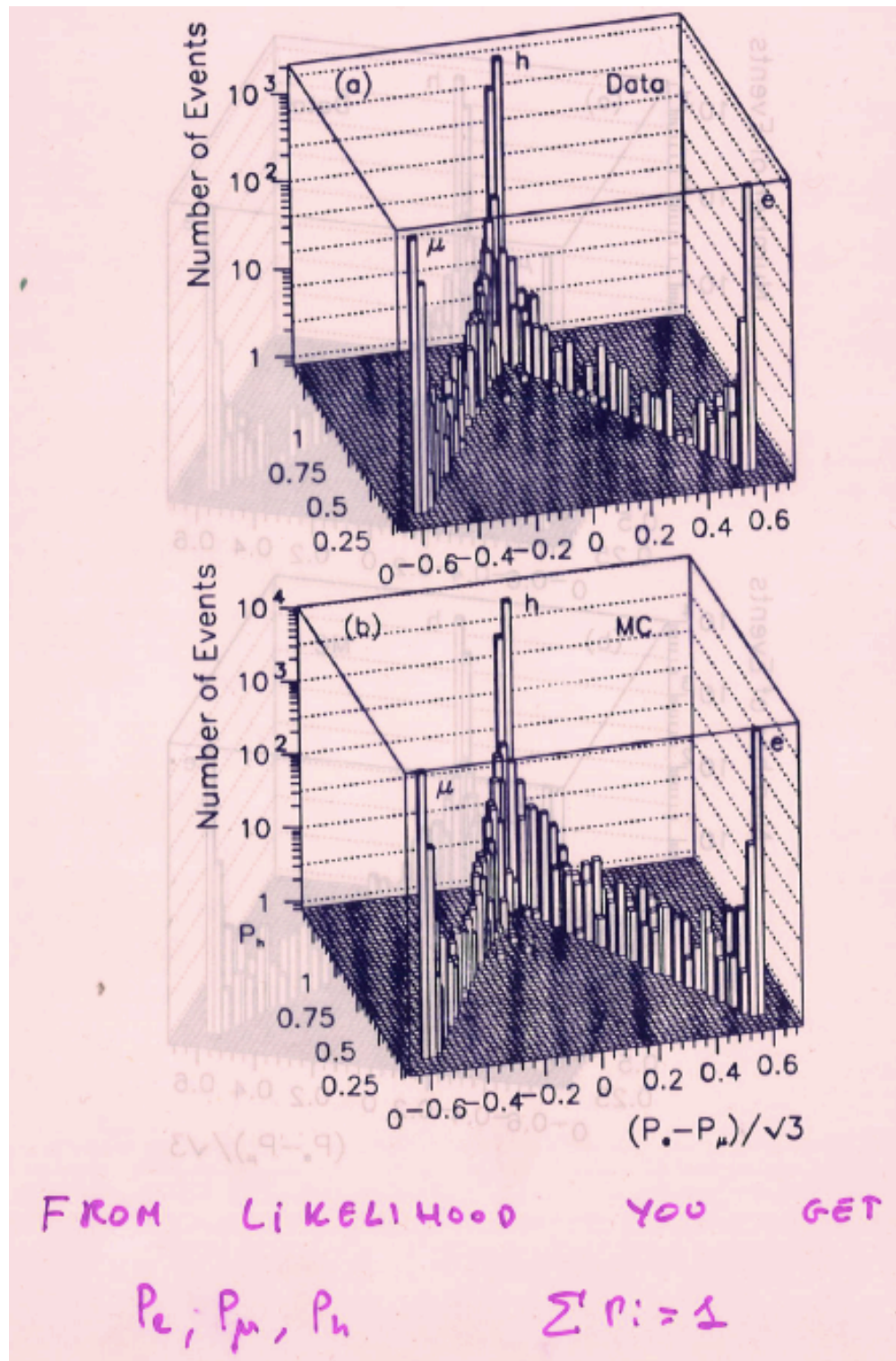


In events where both tau decay to hadrons , the common direction of the  $\tau^+$  and  $\tau^-$  can be measured up to a two fold ambiguity.

The event is projected along the direction given by difference between these two directions



..... Particle identification was crucial for the understanding of  $\tau$  decays in order to separate electrons, muons and hadrons. At the beginning, most people were using cuts, but a likelihood method TAUPID was soon developed by Zhiqing Zhang and Michel which proved so superior that everyone adopted the method.....





# Lepton Universality of the charged current

Michel, Montreux

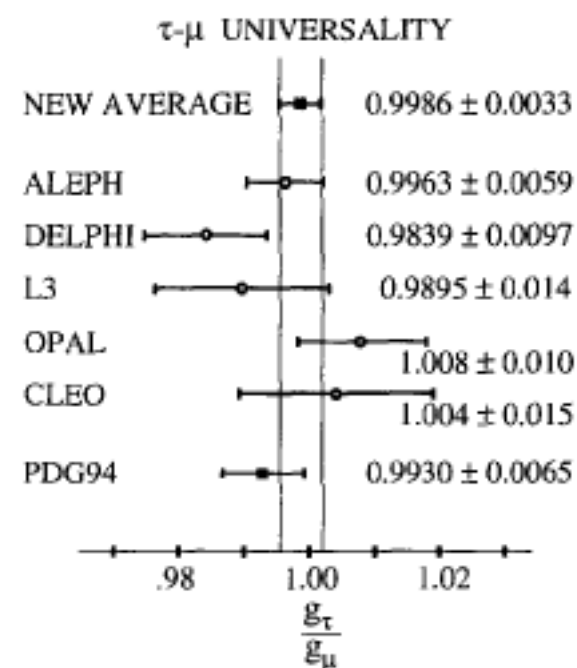
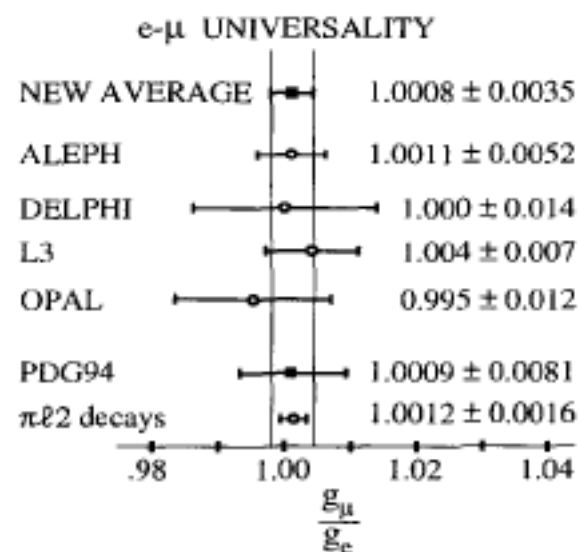
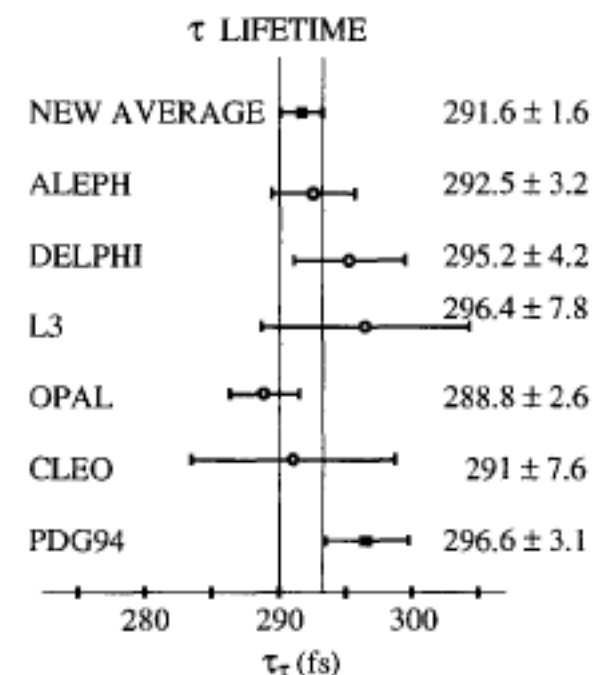
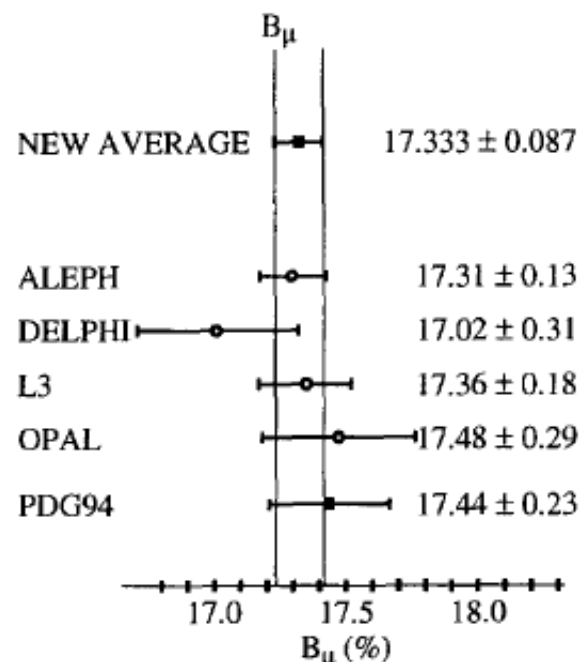
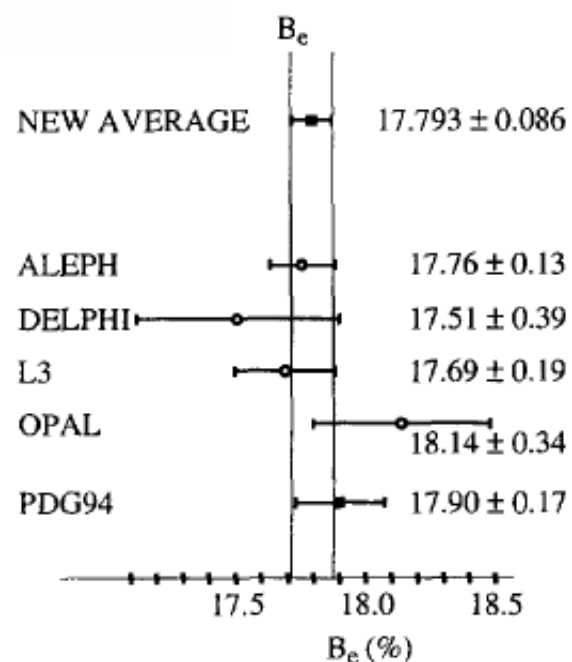


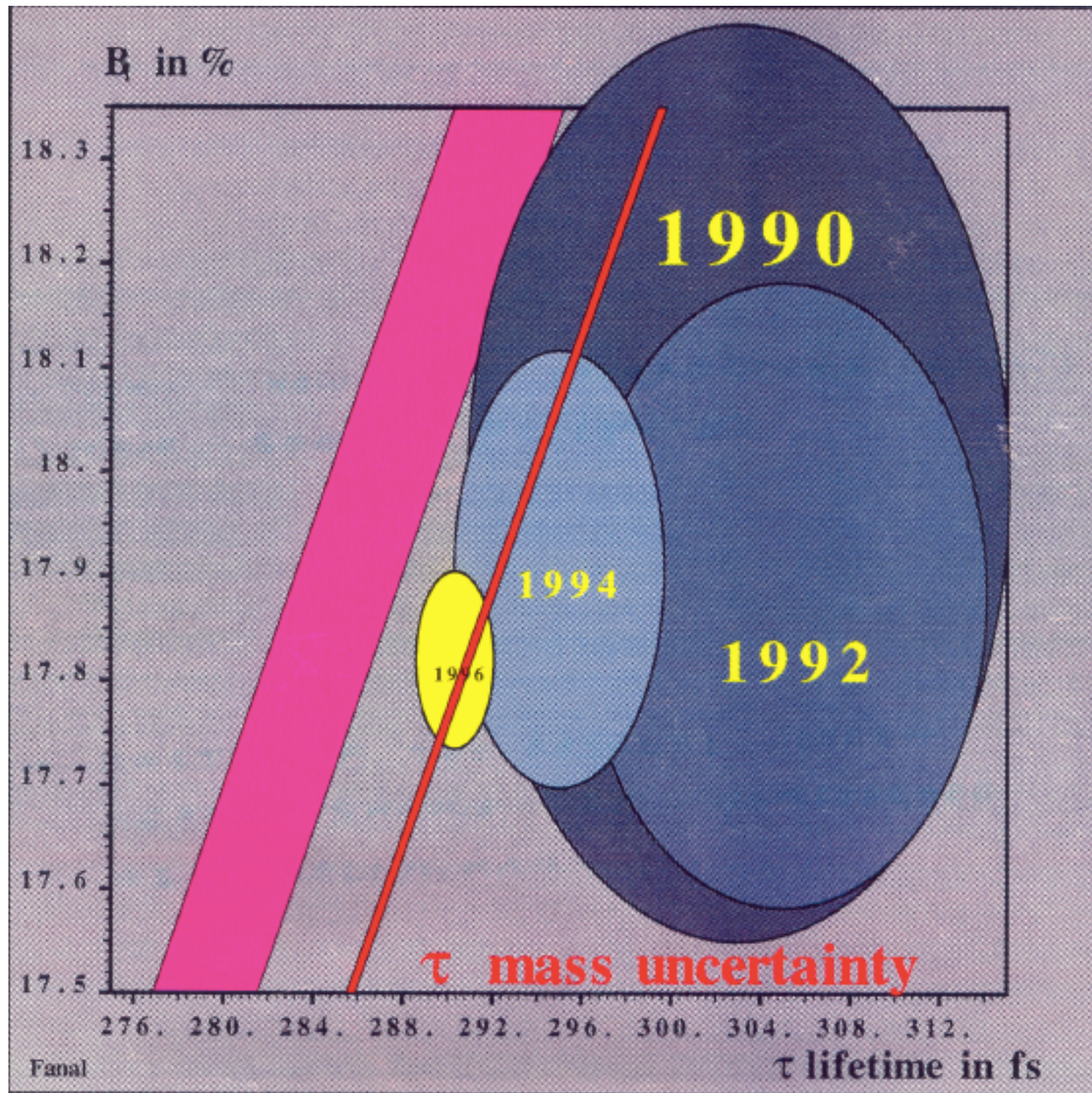
Figure 11. Test of  $e - \mu$  universality in leptonic  $\tau$  decays.

Figure 12. Test of  $\mu - \tau$  universality with  $\tau$  lifetime and leptonic branching ratios.





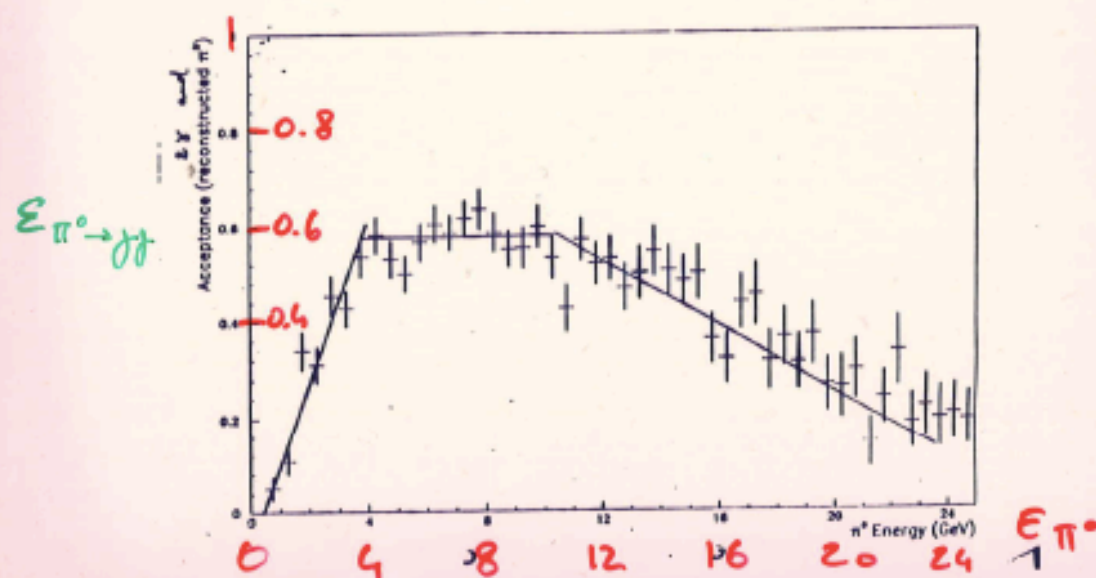
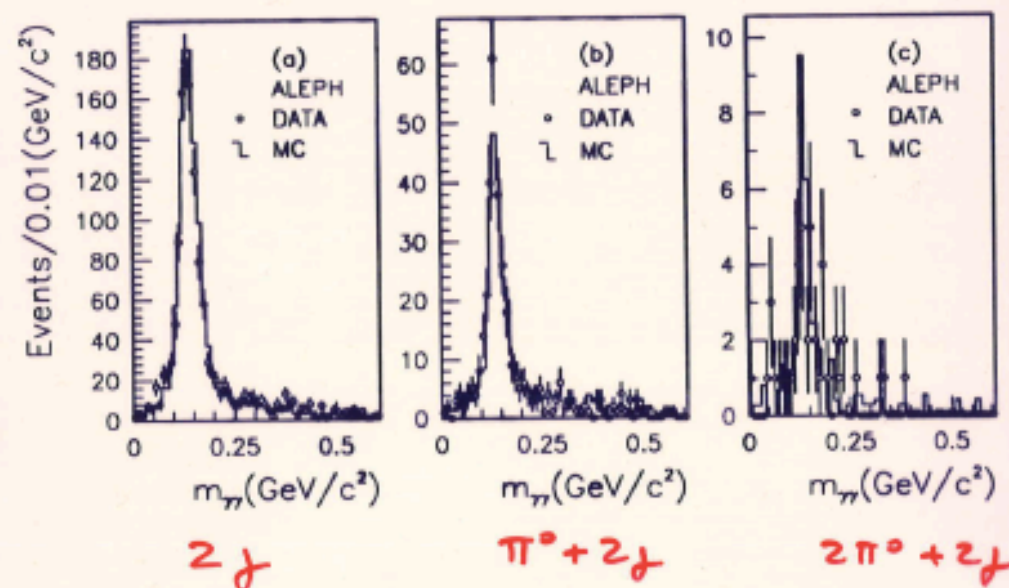
# Universality







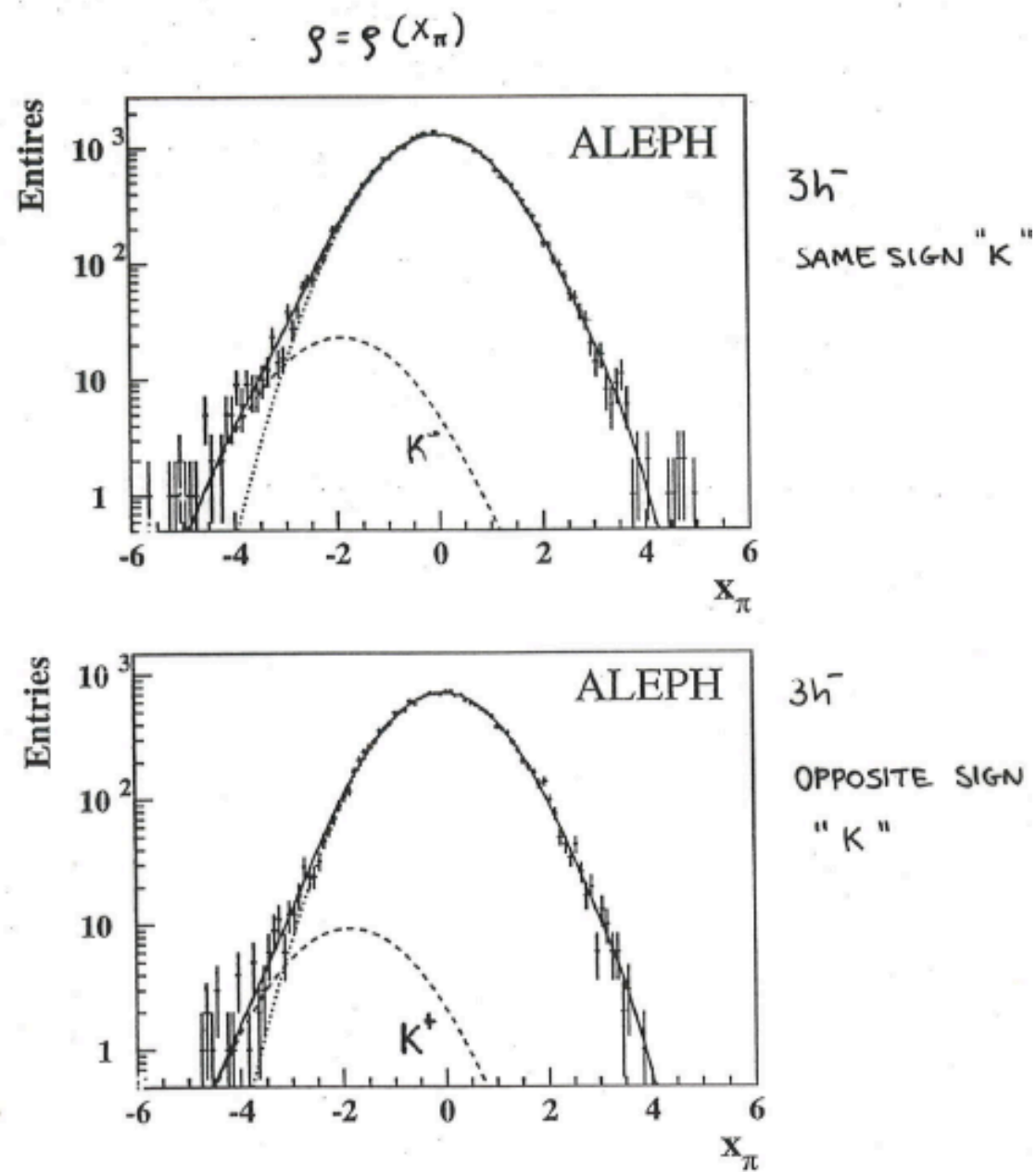
The exploitation of the excellent properties of the detector was made possible by a first-class software environment..... the next most important piece was photon and  $\pi^0$  reconstruction in the situation where clusters overlap in ECAL, which was beautifully handled with the GAMPEC package, written by André Rougé, Jean-Claude Brient and Marc Verderi.....







..... Other useful developments occurred for pion/kaon separation using  $dE/dx$  in the TPC and K0L reconstruction in the ECAL-HCAL (Hyongjong Park and Michel).....





..... We developed a global method to measure all the decay channels simultaneously, profiting from our pure and unbiased  $\tau$  sample.....



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## MEASUREMENT OF QUASI-EXCLUSIVE B.R. (2)

$$B_i = \frac{N(\tau \rightarrow i)}{N_\tau} = \frac{(N_i^S - N_{BKi}^{NZ} - N_{BKi}^Z)}{\epsilon_{ii} N_\tau} =$$

$$= \frac{1}{N_\tau} \frac{1}{\epsilon_{ii}} (N_i^S - N_{BKi}^{NZ} - \sum \epsilon_{ik} \overbrace{N_\tau B_k}^{N(\tau \rightarrow k)})$$

$$\epsilon_{ii} B_i + \sum \epsilon_{ik} B_k = \frac{1}{N_\tau} (N_i^S - N_{BKi}^{NZ})$$

$$\begin{bmatrix} \epsilon \end{bmatrix} \begin{pmatrix} B_1 \\ \vdots \\ B_m \end{pmatrix} = \frac{1}{N_\tau} \begin{pmatrix} N_1^S - N_{BK1}^{NZ} \\ \vdots \\ N_m^S - N_{BKm}^{NZ} \end{pmatrix}$$

FROM MONTECARLO

ASSUME LEPTON UNIVERSALITY

MEASURE

$$N_\tau = 2 \cdot N_{\tau\tau} = 2 \left( \frac{N_{H\mu} + N_{H\pi}^S}{2} \right)$$

$B_1$	$(e\bar{\nu})$	$18.09 \pm 0.45 \pm 0.41$	+ NORMALIZATION
$B_2$	$(\mu\bar{\nu})$	$17.35 \pm 0.41 \pm 0.33$	
$B_3$	$(h)$	$13.32 \pm 0.44 \pm 0.30$	
$B_7$	$(3h)$	$9.49 \pm 0.36 \pm 0.62$	
$B_4 + B_5 + B_6 + B_8$		$(\pi h + f)$	
		$42.13 \pm 0.63$	
$\sum B_i = 100.4 \pm (1.3)_S \pm (0.9)_{\text{sys}} + (1.0)_{\text{non}}$			



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$$\epsilon_{ii} B_i + \sum \epsilon_{ik} B_k = \frac{1}{N_\tau} (N_i^S - N_{BKi}^{NZ})$$

$$\begin{bmatrix} \epsilon_{11} \\ \vdots \\ \epsilon_{m1} \end{bmatrix} \begin{pmatrix} B_1 \\ \vdots \\ B_m \end{pmatrix} = \frac{1}{N_\tau} \begin{pmatrix} N_1^S - N_{B11}^{NZ} \\ \vdots \\ N_m^S - N_{Bm1}^{NZ} \end{pmatrix}$$

FROM MONTECARLO

↑

ASSUME LEPTON UNIVERSALITY

MEASURE

$$N_\tau = 2 \cdot N_{\tau\tau} = 2 \left( \frac{N_{H\mu} + N_{H\pi}^S}{2} \right)$$

SCHAEF 2005C (PRPLC,421,191)				
Physics Reports (Physics Letters C) 421 (2005) 191				
SCHAEF 2005C Branching Ratios and Spectral Functions of $\tau$ Decays: Final ALEPH Measurements and Physics Implications				
S. Schaefer ... ALEPH Collab.				
	Measurement	(Unit)	Particle (Section)	Observable
used	$17.319 \pm 0.070 \pm 0.032$	f8a (%)	$\tau$	$\Gamma(\mu^- \bar{\nu}_\mu \nu_\tau) / \Gamma_{\text{total}}$
used	$17.837 \pm 0.072 \pm 0.036$	(%)	$\tau$	$\Gamma(e^- \bar{\nu}_e \nu_\tau) / \Gamma_{\text{total}}$
used	$10.828 \pm 0.070 \pm 0.078$	f8a (%)	$\tau$	$\Gamma(n^- \nu_\tau) / \Gamma_{\text{total}}$
used	$25.471 \pm 0.097 \pm 0.085$	f8a (%)	$\tau$	$\Gamma(n^- n^0 \nu_\tau) / \Gamma_{\text{total}}$
used	$9.239 \pm 0.086 \pm 0.090$	f8a (%)	$\tau$	$\Gamma(n^- 2n^0 \nu_\tau (\text{ex. } K^0)) / \Gamma_{\text{total}}$
used	$0.977 \pm 0.069 \pm 0.058$	(%)	$\tau$	$\Gamma(n^- 3n^0 \nu_\tau (\text{ex. } K^0)) / \Gamma_{\text{total}}$
used	$0.112 \pm 0.037 \pm 0.035$	(%)	$\tau$	$\Gamma(h^- 4n^0 \nu_\tau (\text{ex. } K^0, \eta)) / \Gamma_{\text{total}}$
used		(%)	$\tau$	$\Gamma(h^- h^- h^+ \geq 0 \text{ neutrals } \nu_\tau (\text{ex. } K_S^0 \rightarrow n^+ n^-))$
	$14.652 \pm 0.067 \pm 0.086$	avg		$(\text{"3-prong"}) / \Gamma_{\text{total}}$
used	$9.041 \pm 0.060 \pm 0.076$	(%)	$\tau$	$\Gamma(n^- n^+ n^- \nu_\tau (\text{ex. } K^0, \omega)) / \Gamma_{\text{total}}$
used	$4.598 \pm 0.057 \pm 0.064$	(%)	$\tau$	$\Gamma(n^- n^+ n^0 \nu_\tau (\text{ex. } K^0)) / \Gamma_{\text{total}}$
used	$0.435 \pm 0.030 \pm 0.035$	(%)	$\tau$	$\Gamma(h^- h^- h^+ 2n^0 \nu_\tau (\text{ex. } K^0)) / \Gamma_{\text{total}}$
not used	$< 4.9$	$(10^{-4})$	$\tau$	$\Gamma(h^- h^- h^+ 3n^0 \nu_\tau) / \Gamma_{\text{total}}$
used		(%)	$\tau$	$\Gamma(3h^- 2h^+ \geq 0 \text{ neutrals } \nu_\tau (\text{ex. } K_S^0 \rightarrow n^+ n^-))$
	$0.093 \pm 0.009 \pm 0.012$	avg		$(\text{"5-prong"}) / \Gamma_{\text{total}}$
used	$7.2 \pm 0.9 \pm 1.2$	$(10^{-4})$	$\tau$	$\Gamma(3h^- 2h^+ \nu_\tau (\text{ex. } K^0)) / \Gamma_{\text{total}}$
used	$2.1 \pm 0.7 \pm 0.9$	$(10^{-4})$	$\tau$	$\Gamma(3h^- 2h^+ n^0 \nu_\tau (\text{ex. } K^0)) / \Gamma_{\text{total}}$
used	$775.5 \pm 0.7$	(MeV)	$\rho(770)$	CHARGED ONLY, $\tau$ DECAYS and $e^+ e^-$
used	$-2.4 \pm 0.8$	(MeV)	$\rho(770)$	$m_{\rho(770)^0} - m_{\rho(770)^+}$
used	$149.0 \pm 1.2$	(MeV)	$\rho(770)$	CHARGED ONLY, $\tau$ DECAYS and $e^+ e^-$
used	$-0.2 \pm 1.0$	$\rho(770)$		$\Gamma_{\rho(770)^0} - \Gamma_{\rho(770)^+}$
not used	$1328 \pm 15$	(MeV)	$\rho(1450)$	$n\bar{n}$ MODE
not used	$468 \pm 41$	(MeV)	$\rho(1450)$	$n\bar{n}$ MODE

Aleph measurements dominate the world averages for all channels with branching ratios above  $10^{-3}$ .

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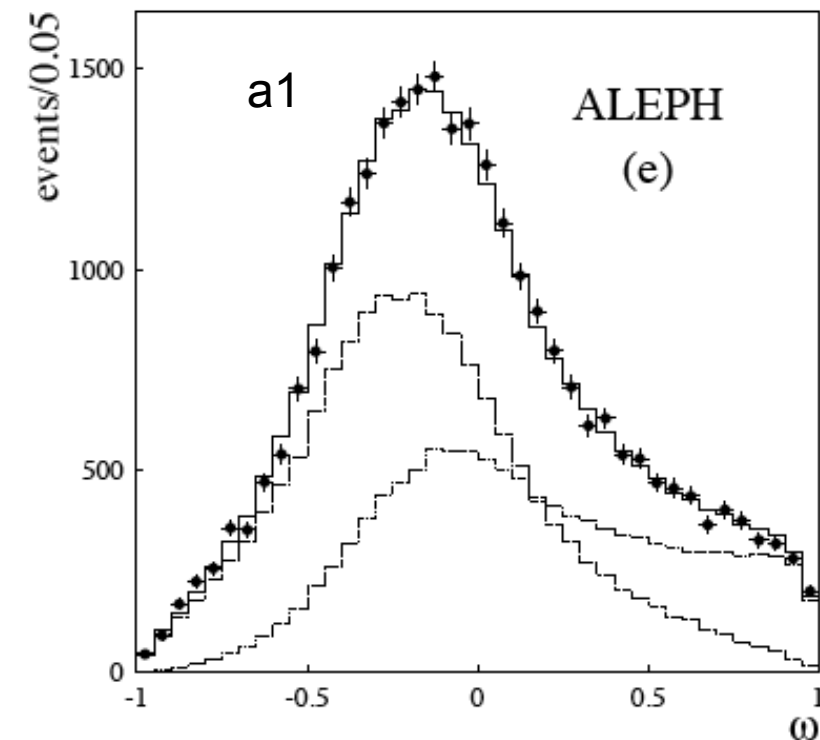
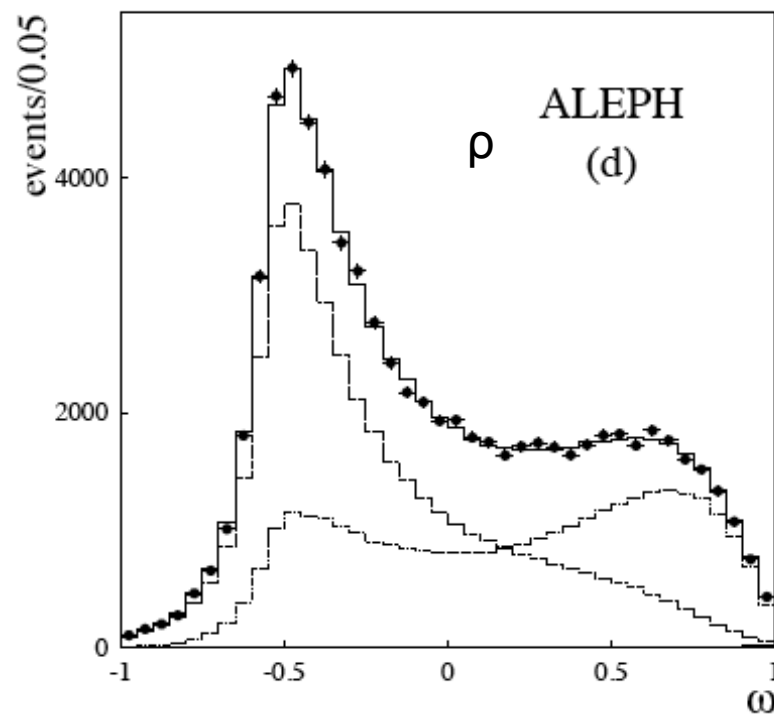
..... The fact that each produced  $\tau$  rapidly decays through the parity-violating charged current allows one to measure its polarization. This is a unique measurement at LEP, analogous to the famous left– right asymmetry using polarized electrons at SLC.....





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.....A real breakthrough occurred in summer 1992 in a quite unexpected way. At Orsay, we were looking for a more optimized way to handle the hadronic channels and François Le Diberder came up with a brilliant idea..... André Rougé had got exactly the same idea and also came to the meeting with a physics note.....

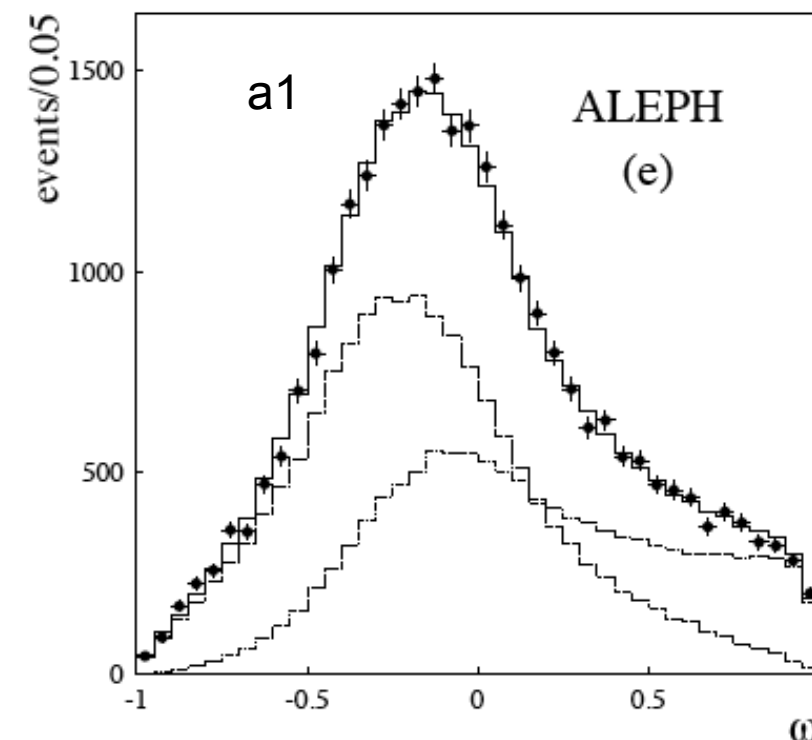
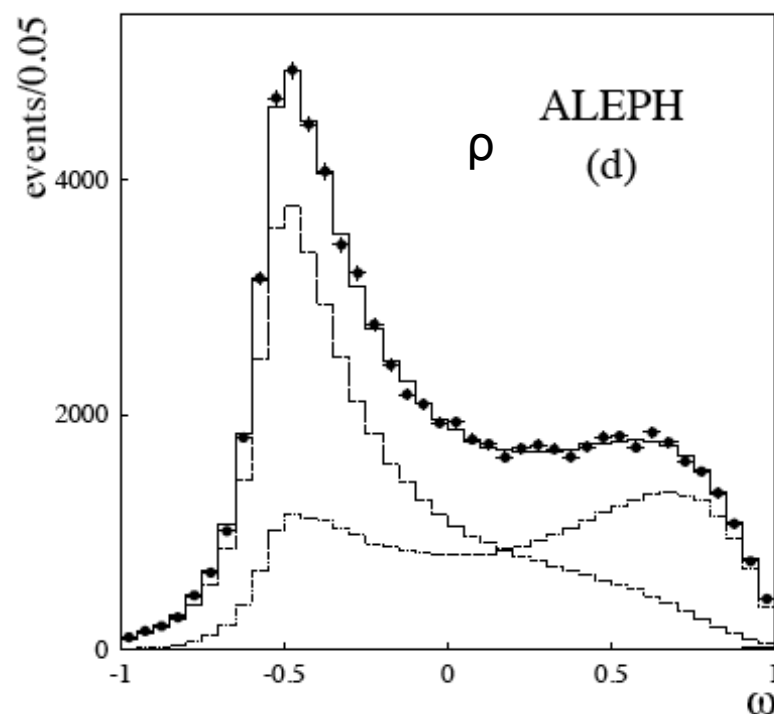




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..... The final analysis with the full LEP1 data was done independently at Ecole Polytechnique by Jean- Claude Brient, André Rougé and Henri Videau, and at Orsay by Ricard Alemany, Irena Nikolic and Michel.....It was not easy to converge.....

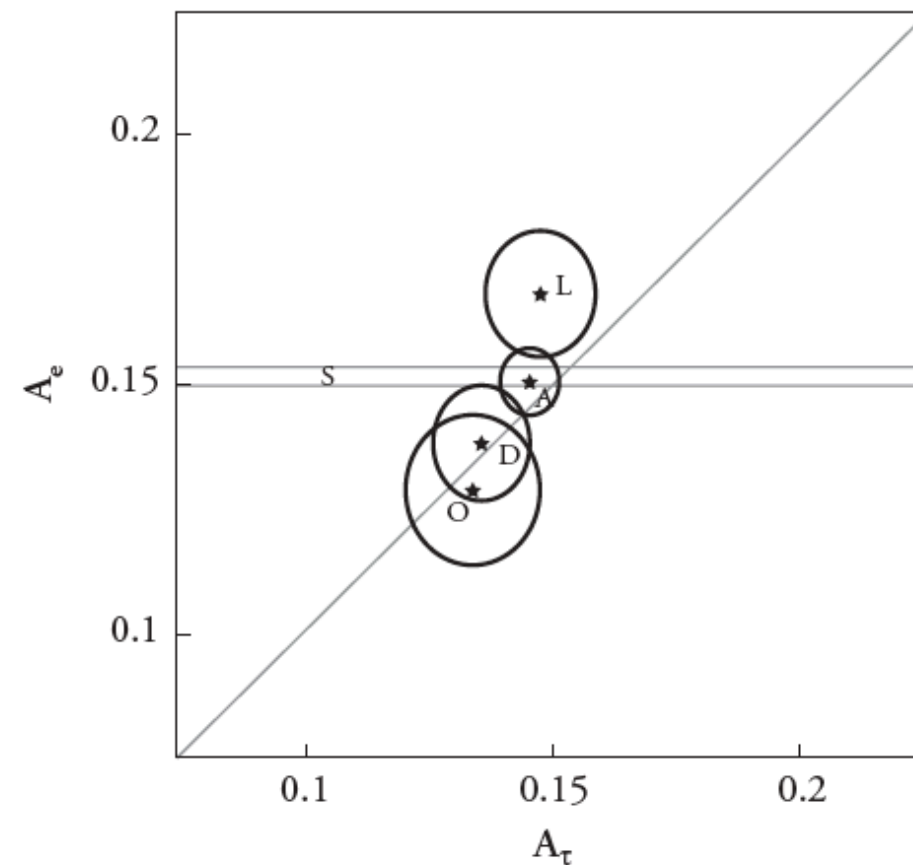
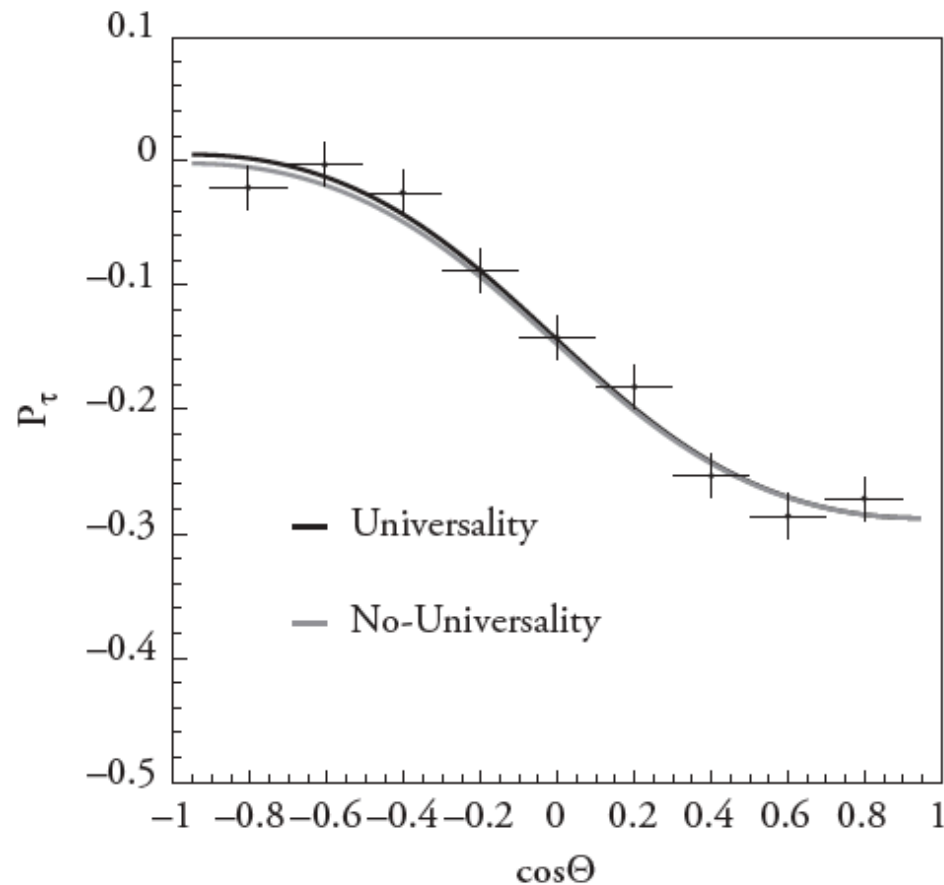




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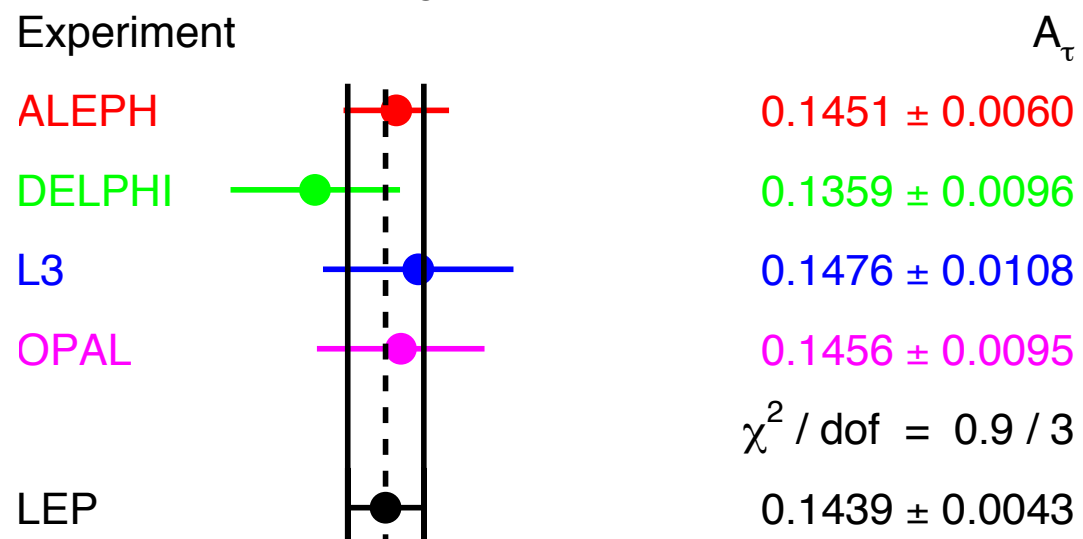
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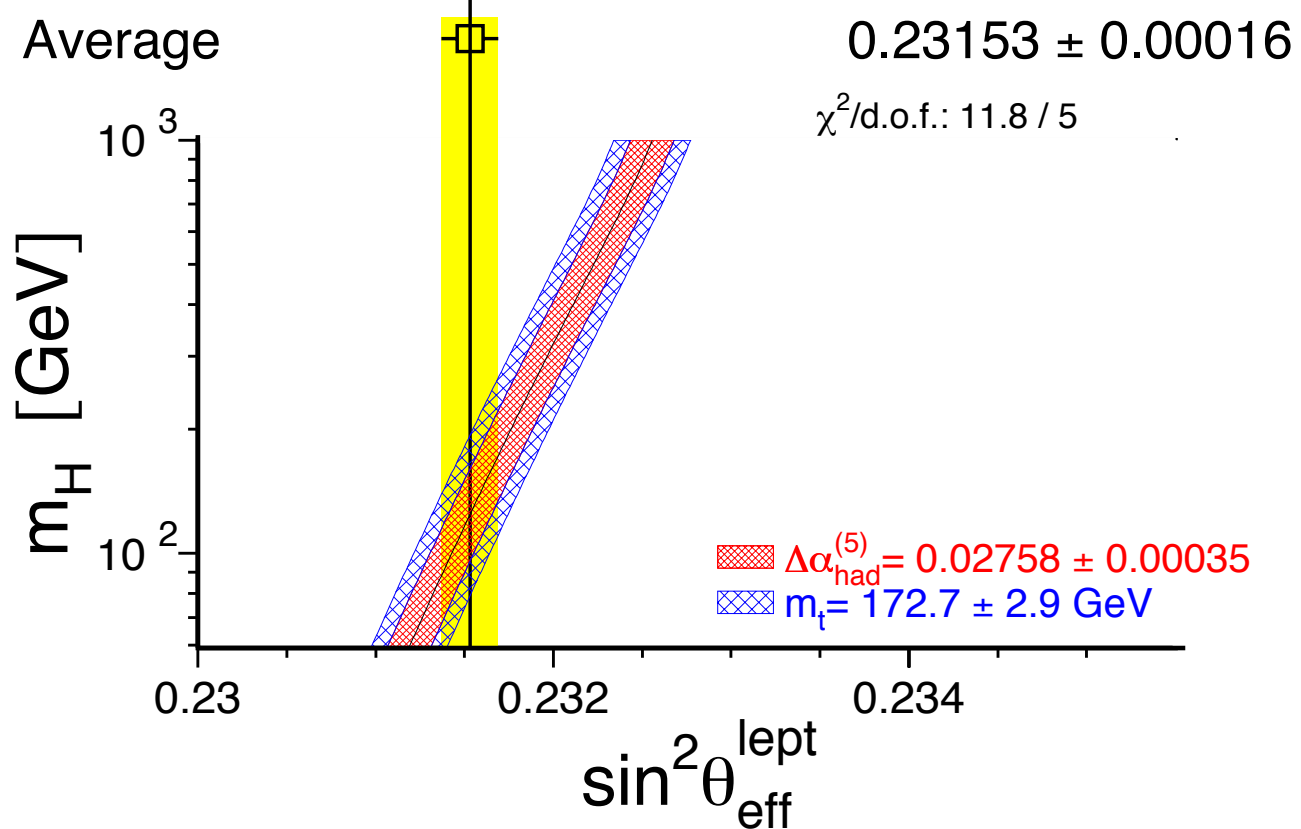
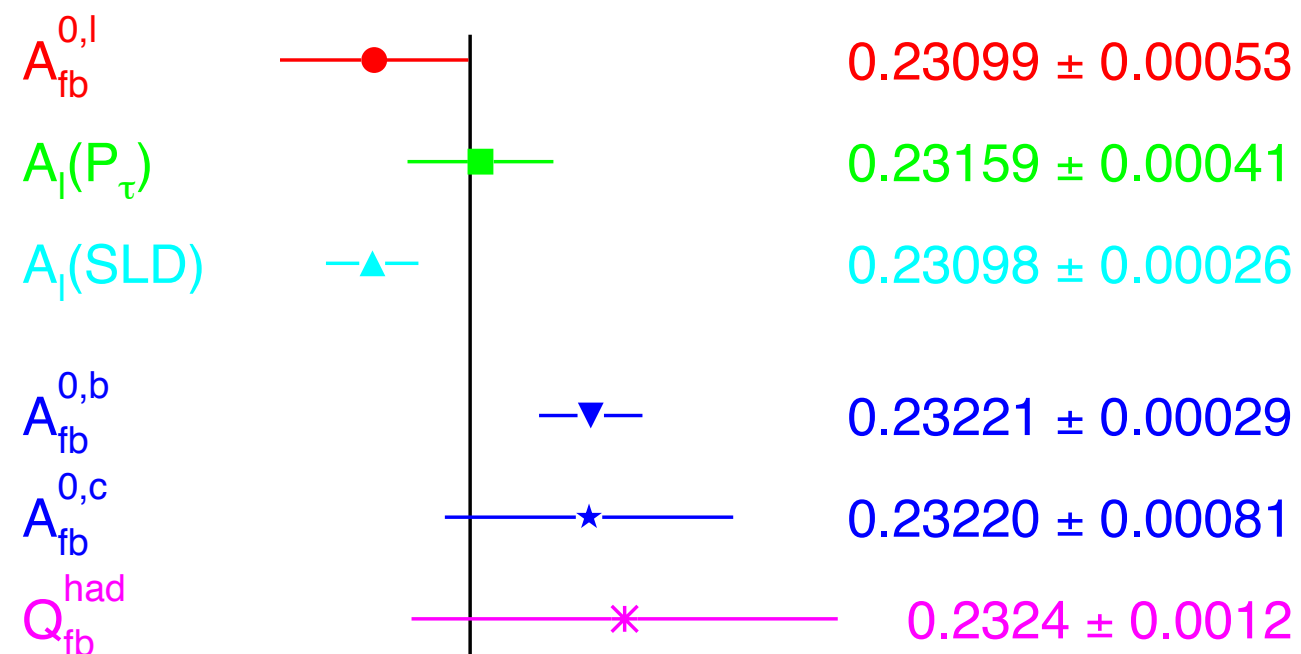
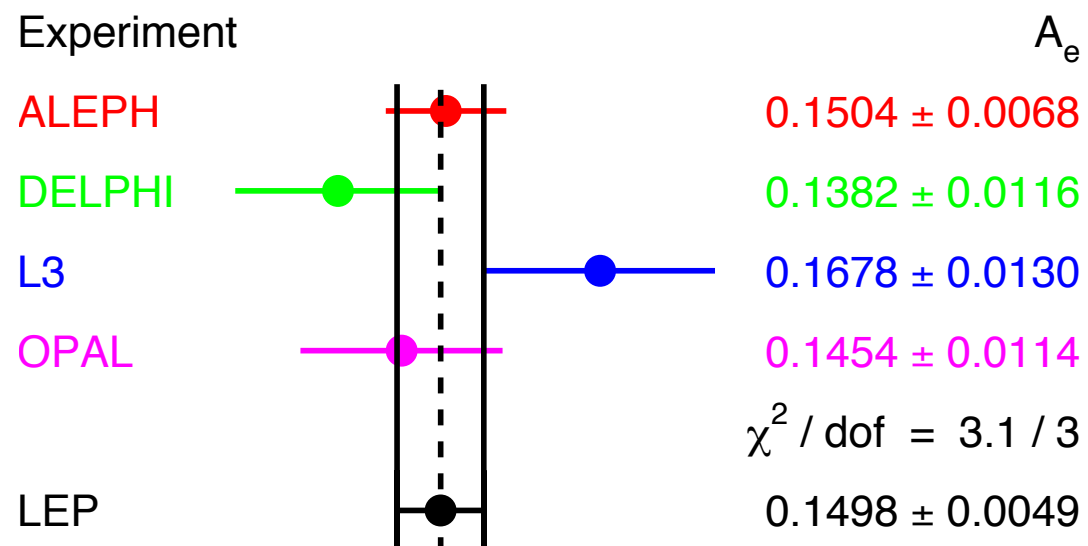


# LEP Legacy

Average Tau Polarisation



Forward-backward Tau Polarisation





# Precise Measurement of the $e^+e^- \rightarrow \pi^+\pi^- (\gamma)$ Cross Section with the Initial State Radiation Method at BABAR

Two measurements :  $e^+e^- \rightarrow \pi^+\pi^- (\gamma)$   
 $e^+e^- \rightarrow \mu^+\mu^- (\gamma)$

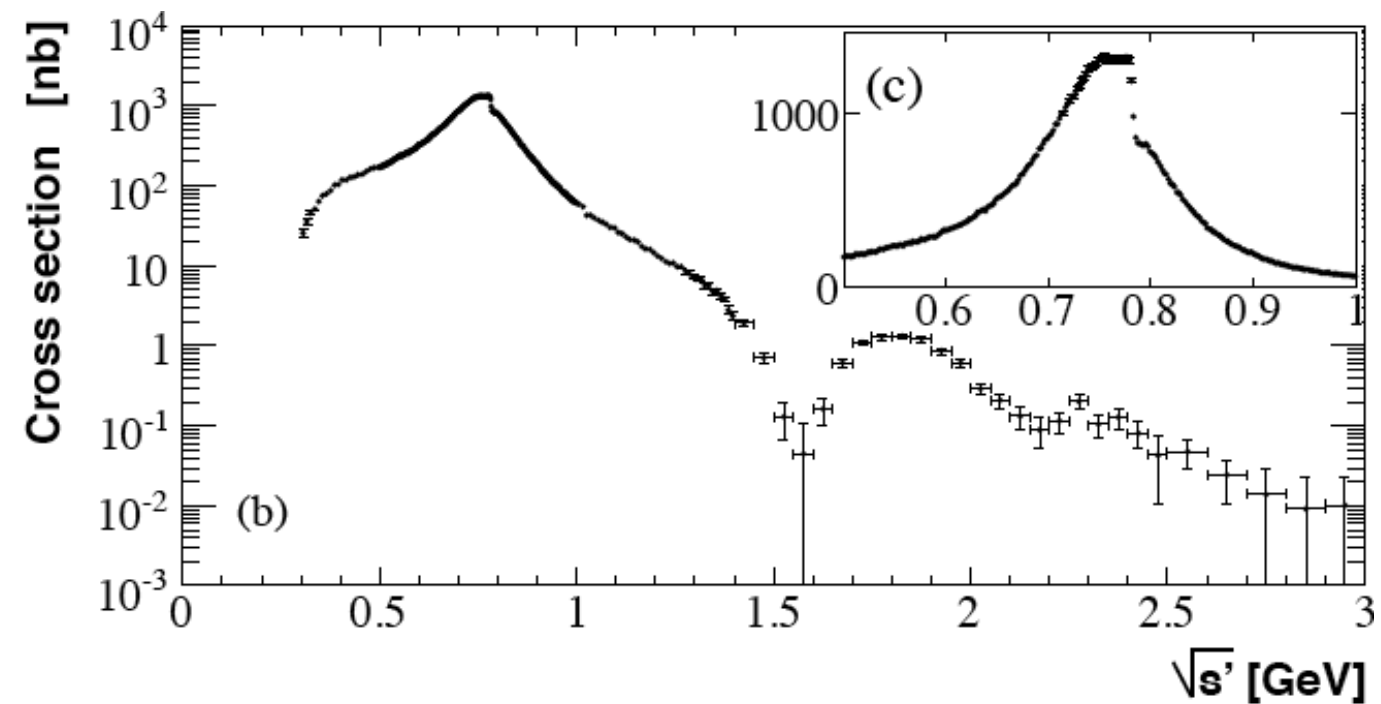
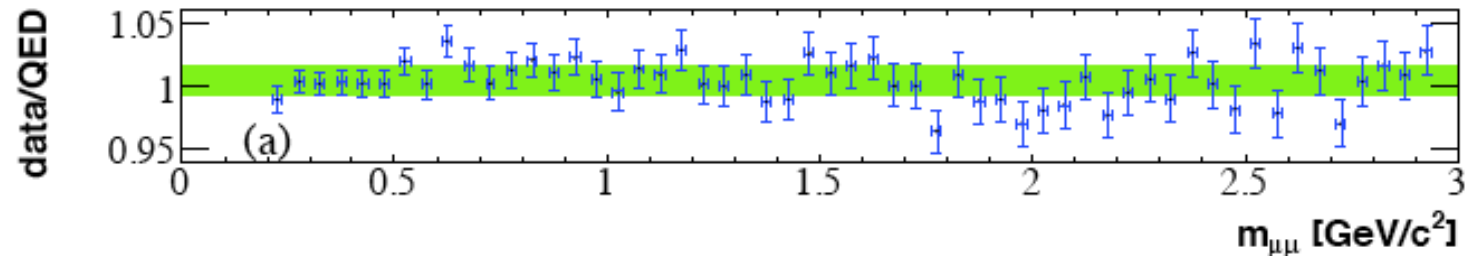
as a function of the c.o.m. energy after ISR  $\sqrt{s'}$

$$\frac{\sigma_{\mu\mu\gamma(\gamma)}^{data}}{\sigma_{\mu\mu\gamma(\gamma)}^{NLO QED}} - 1 = (40 \pm 20 \pm 55 \pm 94) \times 10^{-4}$$

using the ratio of the two processes

$\times 10^{-3}$

Source of Uncertainty	CM Energy Interval (GeV)				
	0.3-0.4	0.4-0.5	0.5-0.6	0.6-0.9	0.9-1.2
trigger/ filter	5.3	2.7	1.9	1.0	0.5
tracking	3.8	2.1	2.1	1.1	1.7
$\pi$ -ID	10.1	2.5	6.2	2.4	4.2
background	3.5	4.3	5.2	1.0	3.0
acceptance	1.6	1.6	1.0	1.0	1.6
kinematic fit ( $\chi^2$ )	0.9	0.9	0.3	0.3	0.9
correlated $\mu\mu$ ID loss	3.0	2.0	3.0	1.3	2.0
$\pi\pi/\mu\mu$ non-cancel.	2.7	1.4	1.6	1.1	1.3
unfolding	1.0	2.7	2.7	1.0	1.3
ISR luminosity ( $\mu\mu$ )	3.4	3.4	3.4	3.4	3.4
total uncertainty	13.8	8.1	10.2	5.0	6.5



$$a_{\mu}^{\pi\pi(\gamma),LO}$$

$$= 514.1 \pm 2.2 \pm 3.1$$

$$503.5 \pm 3.5$$

$$515.2 \pm 3.4$$

Previous  $e^+e^-$  data  
value from tau decays





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(LEP) so precise ?

### Third Ingredient

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### **Fourth Ingredient**

The motivation, the physics knowledge, the talent, the example and the quest for precision of Michel Davier

**Thank You Michel !**