

Measuring γ with

$$B^0 \rightarrow D^0 K^{*0}$$

decays

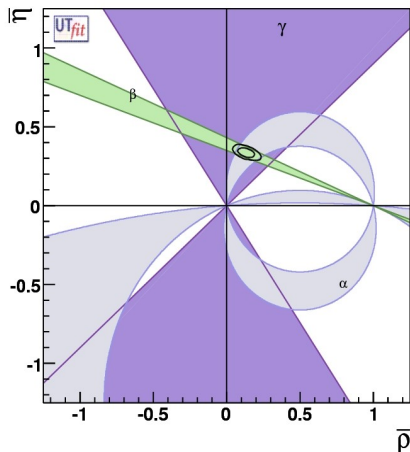
Marie-Hélène, Achille, Stéphane, Viola

Outline

- Summary of analysis technique and selection
- Likelihood fit structure
- CP fit and toy-MC tests
 - Cartesian coordinates
 - Polar coordinates
- Measurement strategy
- Unblind results on data

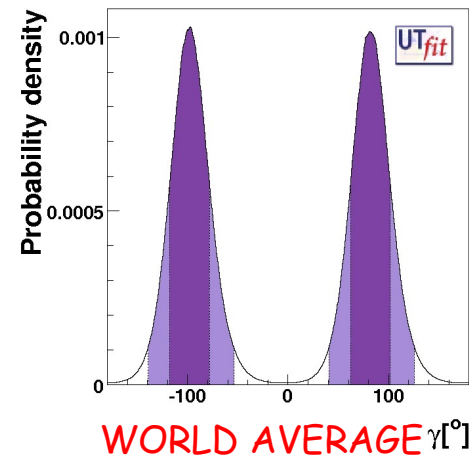
Measurements of γ

Relative phase between V_{cb} and V_{ub} , usually measured in charged channels $B^+ \rightarrow D^{(*)0} K^+$

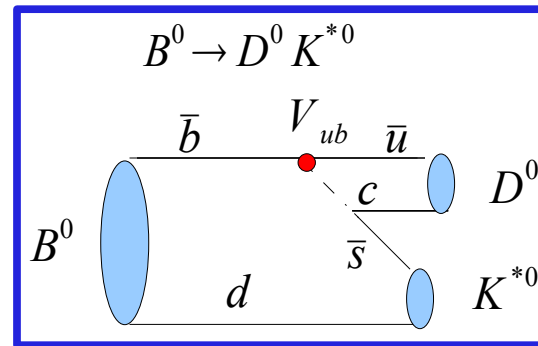
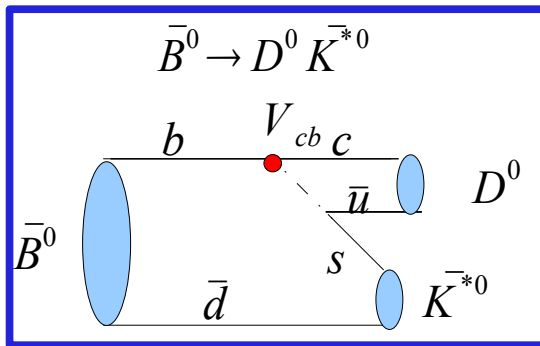


Combination of many methods (GLW, ADS, Dalitz)

$$\gamma = (83 \pm 19)^\circ$$



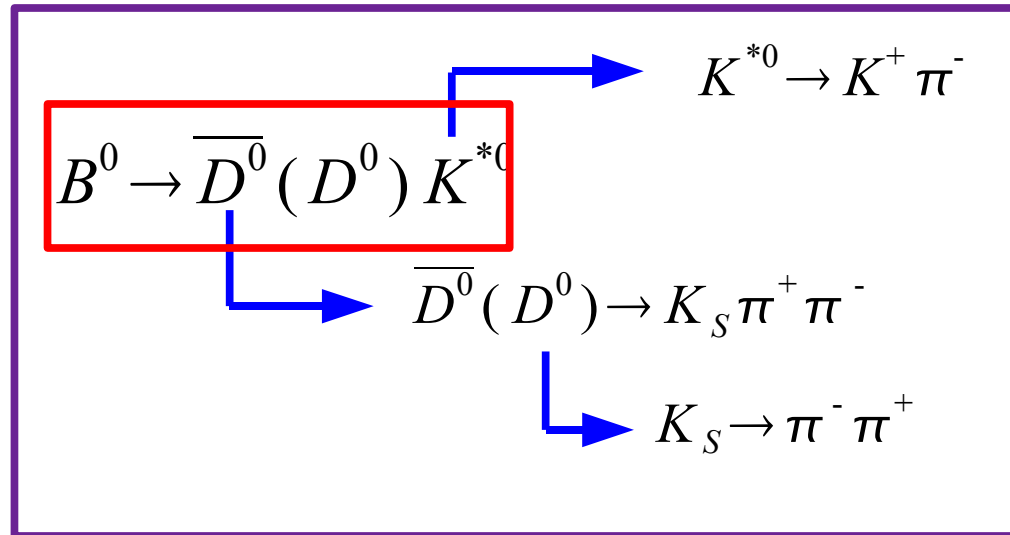
Also in the neutral B decays phases V_{cb} and V_{ub}



But $B^0 - B^0\text{bar}$ mixing... $\sin(2\beta + \gamma)$

The idea

Study
the
decay:



with a D^0 Dalitz analysis

$$r_B = \left| \frac{A(\bar{B}^0 \rightarrow D^0 K^{*0})}{A(B^0 \rightarrow D^0 K^{*0})} \right|$$

- Decay is self tagging (no time-dependent measurement)
- The ratio $r_B \sim 0.4$
- The D^0 Dalitz plot is well known. In the charged B sector, the Dalitz method gives the best error on γ ($\sim 40^\circ$)

Data and MC samples

Moose signal MC production

SP8 MC

	# events	Cross section [nb]/BR	Luminosity [fb ⁻¹]
Signal	30K	$5.8 \cdot 10^{-7}$	$\sim 50 \text{ab}^{-1}$
B0B0bar	385M	1.05/2	733
B+B-	394M	1.05/2	751
Ccbar	267M	1.3	206
Uds	324M	2.09	155

DATA (Vivace dataset)

	Luminosity [fb ⁻¹]
Onres	353
Offres	37

Selection cuts

K- from K*: PID KTight

$$P(\chi^2, B^0) > 0.001$$

$$P(\chi^2, D^0) > 0$$

$$P(\chi^2, K^{*0}) > 0$$

SELECTION

$\cos \alpha_{K_s} > 0.997$ Angle between the KS flight direction and its momentum

$$|M_{D^0} - M_{D^0}^{PDG}| < 0.011 \text{ GeV}/c^2$$

$$|M_{K_s} - M_{K_s}^{PDG}| < 0.007 \text{ GeV}/c^2$$

$$|\Delta E| < 0.025 \text{ GeV}$$

$$P(\chi^2, B^0) > 0.001 \quad |\cos \theta_B^{CM}| < 0.9$$

Best B candidate choice:

$$\chi_1^2 = \left\{ (M_{D^0} - M_{D^0}^{PDG}) / \sigma_{M_{D^0}} \right\}^2$$

$$|\cos \theta_{K^*}^{HEL}| > 0.3$$

Best (highest) $|\cos \theta_{HEL}^{K^*}|$

$$|M_{K^*} - M_{K^*}^{PDG}| < 0.048 \text{ GeV}/c^2$$

No dedicated cuts to fight continuum!

Efficiency on signal:

$$\epsilon_{SELECTION}^{SIG} \sim 11\%$$

Peaking background contribution evaluated to be negligible.

See

BAD #1467

Likelihood fit: the structure

Total pdf product of yields and CP pdfs

YIELD PDF:

$$f(\mathbf{x}/\theta, N) = \frac{1}{N} (N_{SIG} f_{SIG}(m_{ES}, Fisher, \Delta t) + N_{BB} f_{BB}(m_{ES}, Fisher, \Delta t) + N_{CONT} f_{CONT}(m_{ES}, Fisher, \Delta t))$$

variables

uncorrelated:

Gaussian (Argus)

$$f(m_{ES}, Fisher, \Delta t) = f(m_{ES}) * f(Fisher) * f(\Delta t)$$

Bifurcated Gaussian

Tail Gaussian

$$(1 - \phi_{tail} - \phi_{out}) G(\Delta t, \mu_{core}, s_{core} \sigma_{\Delta t}) + \phi_{tail} G(\Delta t, \mu_{tail}, \sigma_{tail}) +$$

Core Gaussian with sigma dependent from deltat error

$$+ \phi_{out} G(\Delta t, \mu_{out}, \sigma_{out})$$

Outlier Gaussian

Likelihood fit: the structure

CP PDF:

$$B^0 : \text{PDF}^+ = |f(s_{12}, s_{13}) + r_s e^{i(\gamma+\delta)} f(s_{13}, s_{12})|^2$$

$$B^0\text{bar} : \text{PDF}^- = |f(s_{13}, s_{12}) + r_s e^{i(-\gamma+\delta)} f(s_{12}, s_{13})|^2$$

V_{cb} amplitude

V_{ub} amplitude
($V_{ub} = |V_{ub}| e^{-i\gamma}$)

Same $B^0 \rightarrow D^0 K^{*0}$ final state :
interference

Sum of Breit-Wigner Dalitz model gives
 $f(s_{12}, s_{13})$

CP fit gives the 3 parameters :

(r_s, γ, δ_s)

$$PDF = |f_{\mp}|^2 + r_s^2 |f_{\pm}|^2 + 2k r_s (R \{ f_{\mp}, f_{\pm}^* \} \cos(\delta_{\mp} \mp \gamma) - I \{ f_{\mp}, f_{\pm}^* \} \sin(\delta_{\mp} \mp \gamma))$$

parameter k , that takes in account the non- $K^*(892)$ contributions, evaluated to be ~ 0.95 . It will be varied in a reasonable interval and the effect will be a systematic uncertainty.

See:

<http://www.slac.stanford.edu/BFROOT/www/Organization/CollabMtgs/2006/detJun06/Wed2a/pruvot.pdf>

New Dalitz parametrization

CP PDF:

“Classic” Dalitz parametrization: 17 resonances whose amplitudes are parametrized with Breit-Wigner

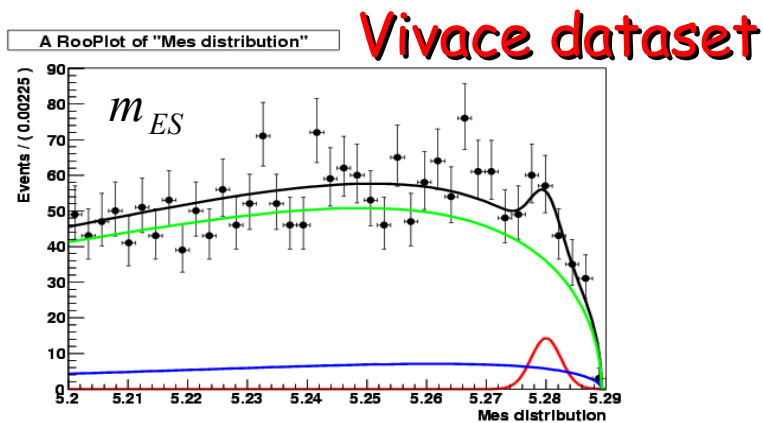
We now use a new Dalitz parametrization:

- $K^*(892)$ mass slightly shifted (in Babar is a bit different wrt to PDG)
- Scalar (0^+) treated with the K-Matrix formalism
- $K^*(1^-)(1680)$ parametrized with LASS parameters (no BW)
- no $K^*(1^-)(1410)$

No big effect is expected...

Yield results on data

Fit performed on 353 fb^{-1} on-resonance data (results for CP fit parameters blinded).
 Floated parameters: yields, BB background Argus shape, CP parameters (r_B fixed).



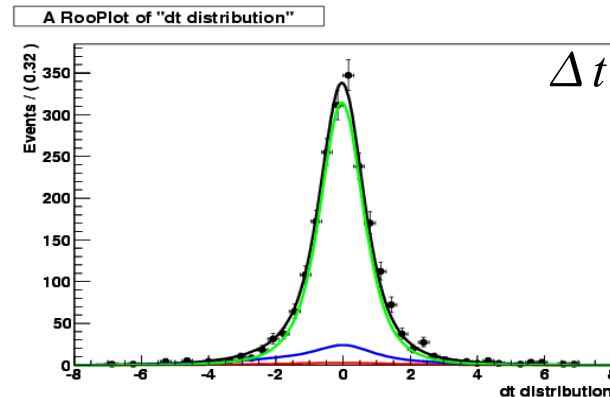
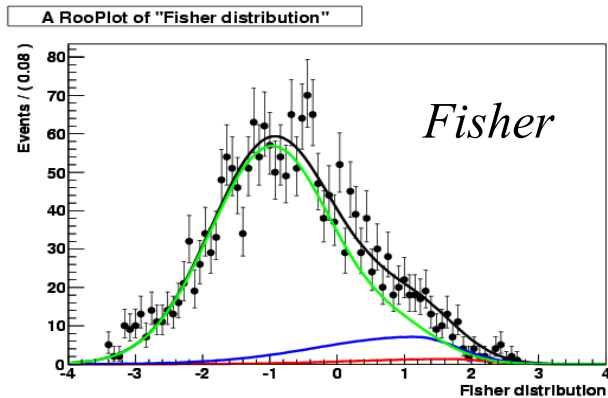
$$N_{SIG} = 39 \pm 9$$

$$N_{B\bar{B}} = 231 \pm 28$$

$$N_{CONT} = 1772 \pm 48$$

$$\frac{N_{SIG}}{\sigma_{N_{SIG}}^2} \sim 0.48$$

**Yield results
 stable also if r_B
 floated (and
 blinded!)**



CP fit: polar coordinates

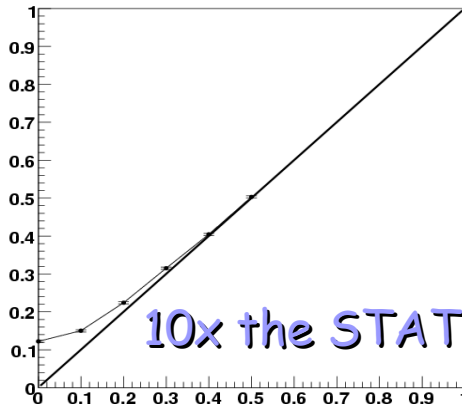
Linearity problem: due to the likelihood dependence on r_B , one tends to fit a bigger r_B than the “true” one and then to underestimate the error on γ

r_B fit vs r_B gen

r_B : fitted value VS generated one

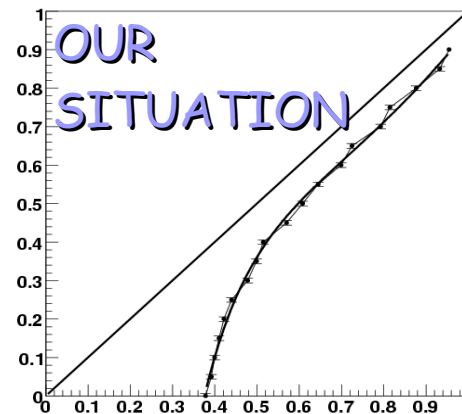


r_B : fitted value VS generated one



r_B gen vs r_B fit

r_B : generated value VS fitted one



0.38 !!!

Very difficult to convert!!

CP fit: cartesian coordinates

$$x_{\pm} = r_B \cos(\delta \pm \gamma)$$

$$y_{\pm} = r_B \sin(\delta \pm \gamma)$$

Cartesian coordintaes, used in the D^0K^- Dalitz analysis, they solve the linearity problem

Problems when performing the fit in cartesian coordinates due to the poor statistics: the variables do not have Gaussian behaviour. Biases.

FROM TOY MC STUDIES..

OUR CONFIGURATION		10x the STAT	
μ_{x+}^{PULL}	-0.52 ± 0.005	-0.04 ± 0.05	
σ_{x+}^{PULL}	0.82 ± 0.03	0.97 ± 0.04	
μ_{x-}^{PULL}	-0.07 ± 0.05	-0.02 ± 0.05	
σ_{x-}^{PULL}	0.78 ± 0.04	0.99 ± 0.04	
μ_{y+}^{PULL}	-0.18 ± 0.05	-0.05 ± 0.06	
σ_{y+}^{PULL}	0.79 ± 0.04	1.1 ± 0.04	
μ_{y-}^{PULL}	0.40 ± 0.05	-0.03 ± 0.05	
σ_{y-}^{PULL}	0.79 ± 0.04	1.03 ± 0.04	



And still problems in the case of 45 signal only events...due to the statistics! Bias confirmed by Fernando et al. We have ~39 events, and background..

See <http://www.slac.stanford.edu/cgi-bin/lwgate/DOK-DALITZ/archives/dok-dalitz.200610/date/> for more detail

Measurement strategy

- The problems we see are due to the low statistics
- The situation will eventually improve when performing a simultaneous fit with a measurement of r_B

$$N_{SIG} = 39 \pm 9$$

$$N_{B\bar{B}} = 231 \pm 28$$

$$N_{CONT} = 1772 \pm 48$$

Strategy:

for the moment perform the measurement of gamma as a scan in r_B (likelihood scan of gamma for each value of r_B).

TOY-MC with r_B fixed

Coverage test for γ :
(65 \pm 2)% for $r_B=0.40$
(65 \pm 2)% for $r_B=0.35$

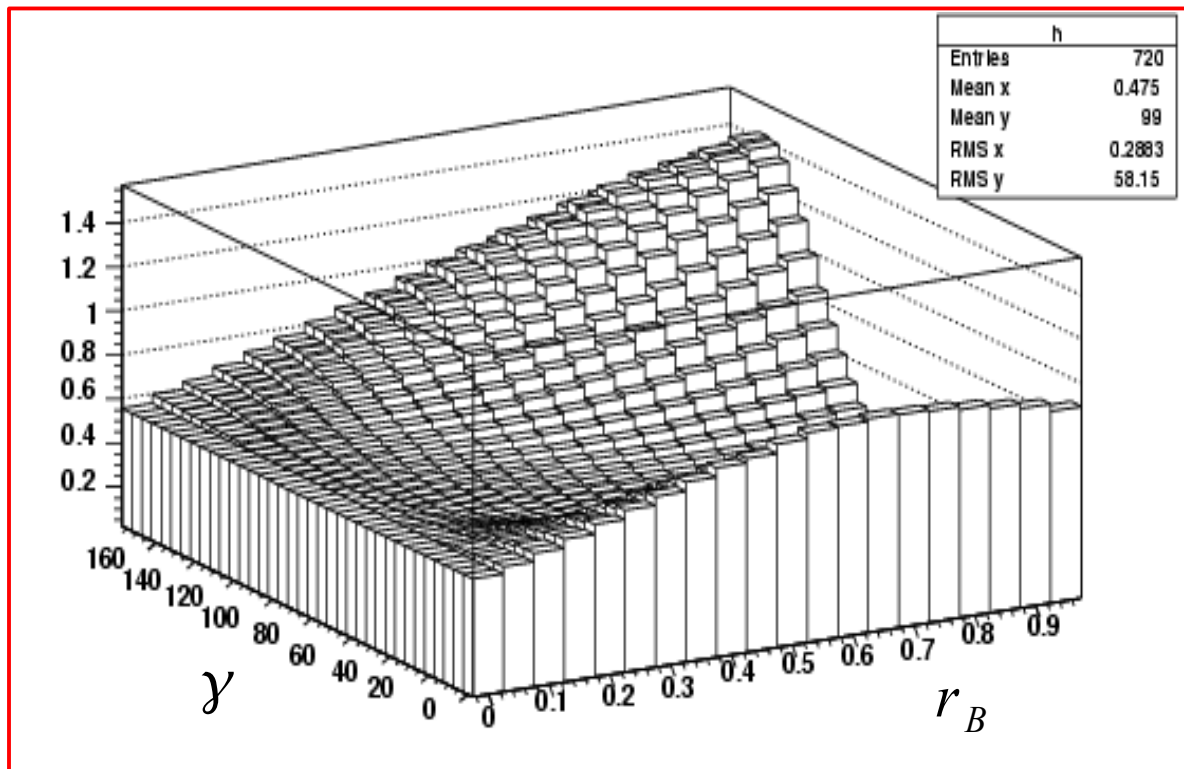
% of cases in which:
 $|\text{Log}L() - \text{Log}L(\gamma = \gamma_{GEN})| < 1.$

Similar to what is done
in $D(*)\pi$ for $\sin(2\beta + \gamma)$!!!

CP results on data

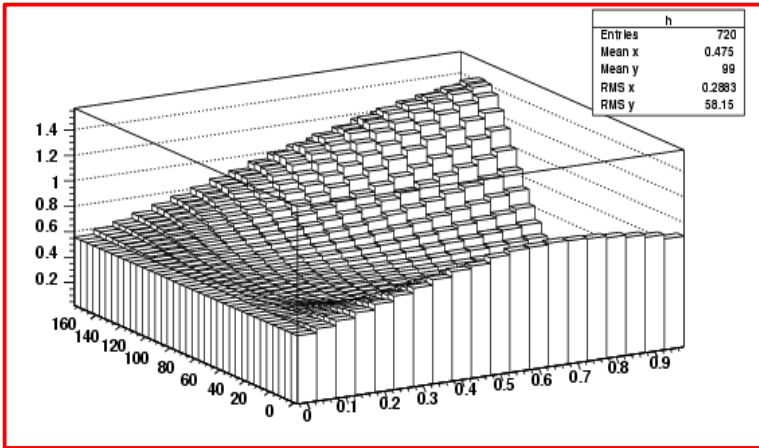
Output of the measurement: scan of gamma wrt r_B :

Pdf



On data

If we combine the likelihood so obtained with a fake r_B measurement

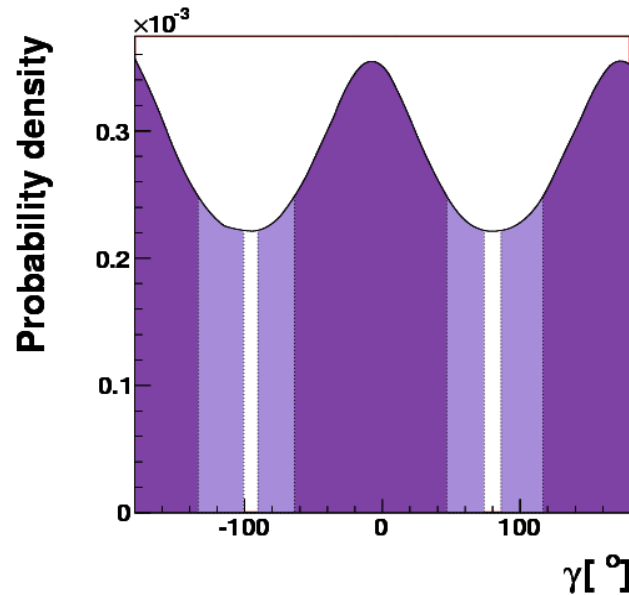


+

$$r_B = r_{D^0 K^{*0}} = 0. \pm 0.27$$

($r_B < 0.4$ @ 90% C.L.)

=



$$\gamma = -9 \pm 55^\circ$$

WITH THE OLD
DALITZ:

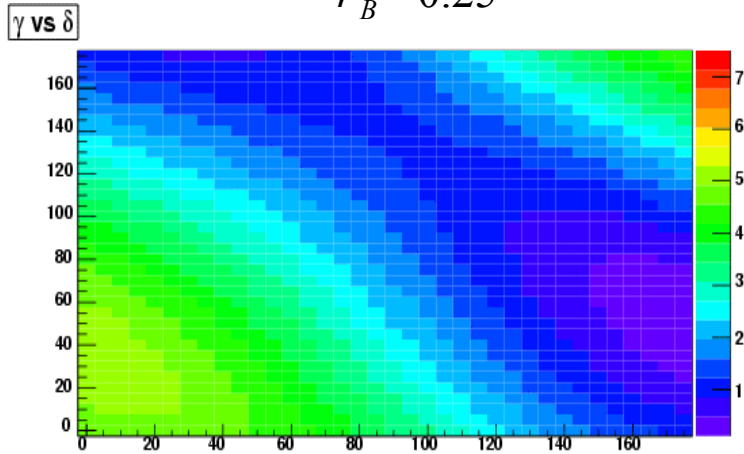
$$\gamma = 2 \pm 53^\circ$$

CP results on data

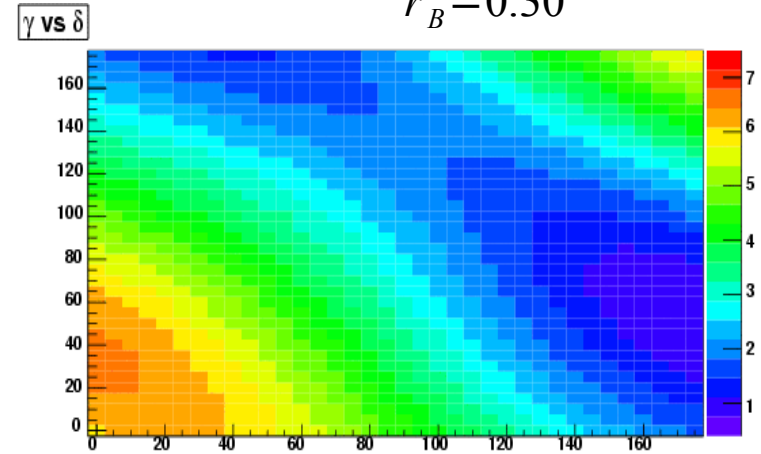
$-\Delta \log L$

Scan δ VS γ with r_B fixed.

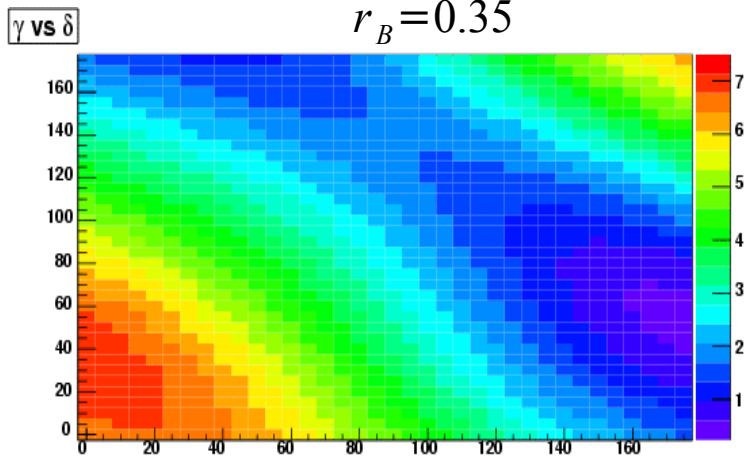
$r_B = 0.25$



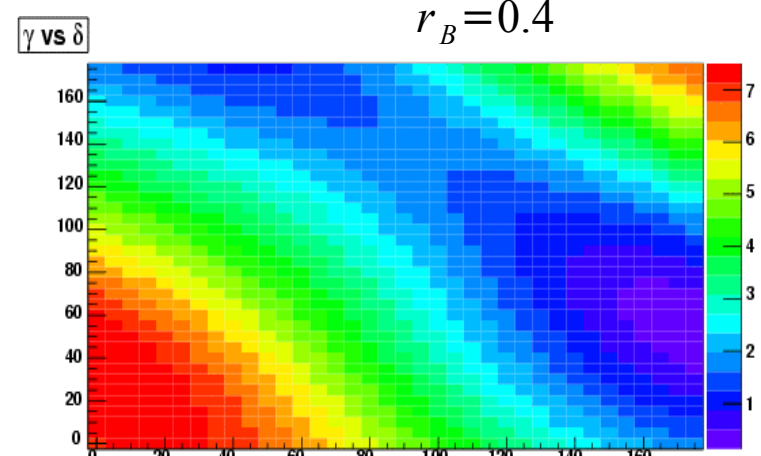
$r_B = 0.30$



$r_B = 0.35$



$r_B = 0.4$

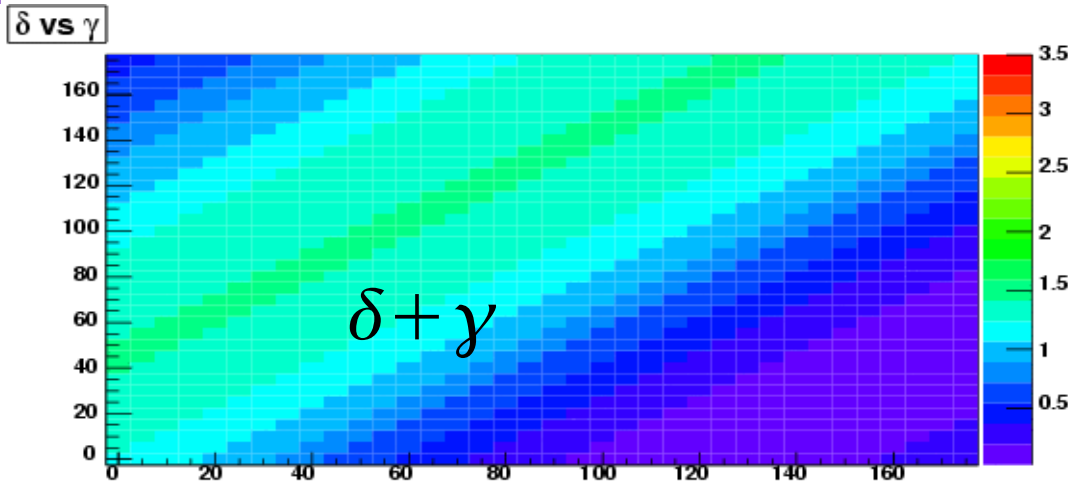
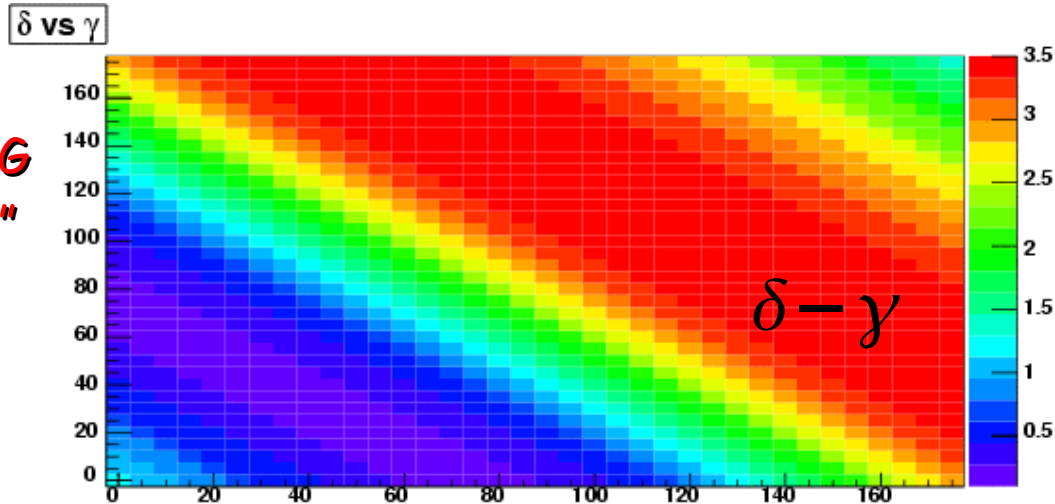


MADE ASSUMING THE "OLD" DALITZ MODEL!!

CP results on data

$$-\Delta \log L$$

MADE
ASSUMING
THE "OLD"
DALITZ
MODEL!!



We are more sensitive to gamma in the B^0 sample, due to the position of the events in the Dalitz plane

Conclusions

- 39 ± 9 signal events found on 353 fb^{-1} onres data (purity ~ 0.48)
- Measure of gamma scanning for r_B
- New dalitz model used
- Combining with $r_B 0. \pm 0.27 \rightarrow \text{gamma} = -9 \pm 55$ (~ 10 deg change with new dalitz)
- BAD #1467 v06 is in RC, plans to go in CWR directly with a PRL-shaped BAD (ready)
- Systematics errors under evaluation

BACKUP SLIDES

Reconstruction

Skim: BODKNeut (TagBit BOTO DOKstarDefault)

Reco:

B0 (TreeFitter “Beam” constraint)

D0: (prefit $1774 < MD0 < 1.954$
TreeFit “Mass” constraint)

Ks: KsDefault
(TreeFitter “Geo” constraint,
post fit: $0.47267 < MKs < 0.52267$)

Pions:
GoodTracksVeryLoose

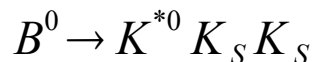
K*0: (prefit $|MK^*0 - M_{pdg}| < 0.75$ GeV
Cascade “Geo” constraint)

Kaons and Pions:
GoodTracksVeryLoose

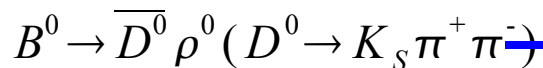
Peaking background evaluation

From MC: **three kinds** of peaking background:

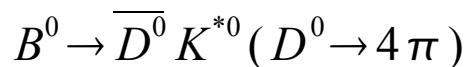
- Charmless events of the kind:



- “Charmed” events of the kind:



- “Charmed” events of the kind



SP MC	EVALUATION
~1 event on 730 fb ⁻¹	-2+-8 events. evaluated on data in D0 mass sidebands
~1 event on 730 fb ⁻¹	~0.9 exp events evaluated on dedicated MC
~1 event on 730 fb ⁻¹	~0.1exp events, evaluated on dedicated MC