

Evidence for $H \rightarrow \tau\tau$ in proton-proton collisions recorded by ATLAS

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Event: 35369265
2012-05-30 20:31:28 CEST

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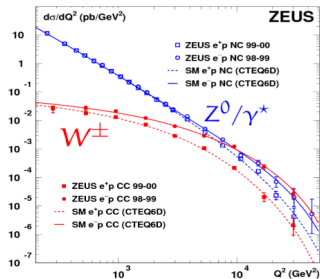
Overview

- 1 Context : Higgs boson and fermions
- 2 $H \rightarrow \tau\tau$: why?
- 3 Final state with τ leptons : how?
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- 5 $H \rightarrow \tau\tau$: results
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Unified theory of interactions

$$SU(2)_L \times U(1)_Y \times SU(3)_c \\ + \text{Higgs mechanism}$$

→ Additional scalar excitation,
relic of EW symmetry breaking

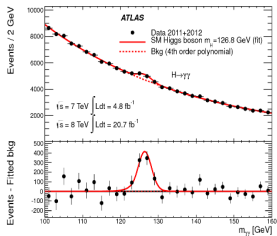
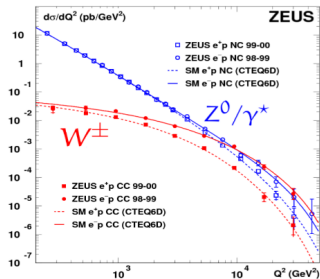


Unified theory of interactions

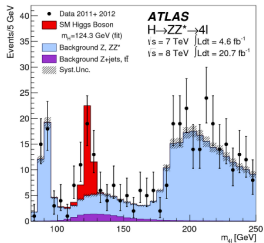
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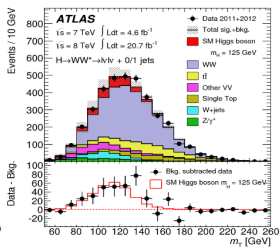
→ Additional scalar excitation,
relic of EW symmetry breaking



$H \rightarrow \gamma\gamma$

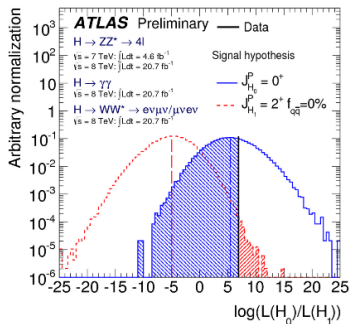


$H \rightarrow ZZ$



$H \rightarrow WW$

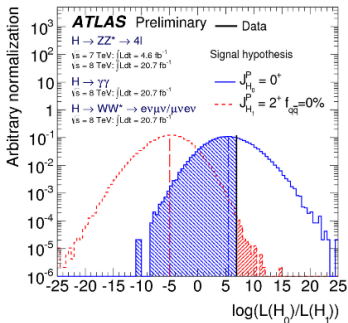
The discovered particle has the right couplings to gauge bosons ...



... and is indeed a scalar !



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... and is indeed a scalar !



What's about couplings to fermions ? Before 12/2013:

TeV $VH(\rightarrow b\bar{b})$: 2.8σ

CMS $VH(\rightarrow b\bar{b})$: 2.1σ

CMS $H \rightarrow \tau\tau$: 2.85σ ← lepton

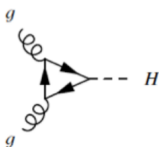
Not imposed by the gauge interaction!

- in opposition to EW bosons -

Overview

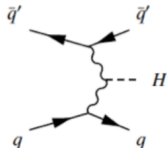
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1. Production of $H(125)$



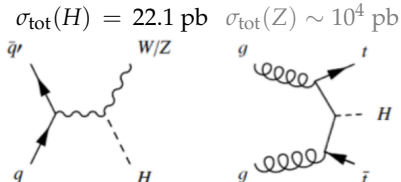
GGF (88%)

high rate but loops,
no specific topology



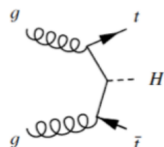
VBF (6.6%)

low rate but tree level,
specific jet topology



VH (5%)

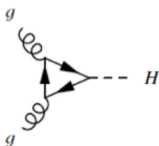
low rate but clean
final state (leptons)



ttH (0.4%)

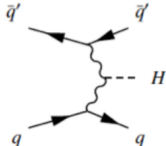
extremely low rate and
busy final state

1. Production of $H(125)$



GGF (88%)

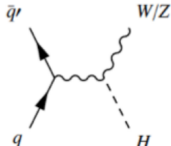
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no specific topology



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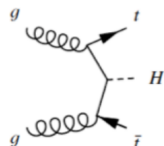
low rate but tree level,
specific jet topology

$$\sigma_{\text{tot}}(H) = 22.1 \text{ pb} \quad \sigma_{\text{tot}}(Z) \sim 10^4 \text{ pb}$$



VH (5%)

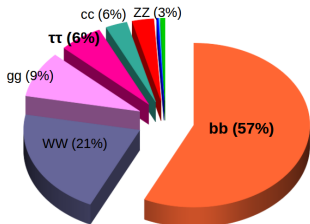
low rate but clean
final state (leptons)



ttH (0.4%)

extremely low rate and
busy final state

2. Decays of $H(125)$ (emphasis on fermionic decay)



- bb decay : largest BR, benefits from additional lepton to reduce $pp \rightarrow b\bar{b} + X$.
- $\tau\tau$ decay : lower BR, cleaner signature
- cc decay : impossible in hadron collider
- $\mu\mu$ decay : extremely low BR (0.02%), good mass resolution

	$H \rightarrow bb$	$H \rightarrow \tau\tau$	$H \rightarrow cc$	$H \rightarrow \mu\mu$
GGF				
VBF				
VH				
ttH				

$$\sigma_{\text{tot}}(b\bar{b}) \sim 10^7 \text{ pb}$$

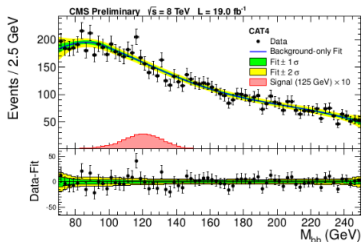
$$\sigma_{\text{tot}}(H) = 22.1 \text{ pb}$$

	H → bb	H → ττ	H → cc	H → μμ
GGF	NO			
VBF				
VH				
ttH				

	$H \rightarrow bb$	$H \rightarrow \tau\tau$	$H \rightarrow cc$	$H \rightarrow \mu\mu$
GGF	NO			
VBF	YES			
VH				
ttH				

qqbb final state,
important background
from QCD processes

- VBF topology
- q/g jets separation



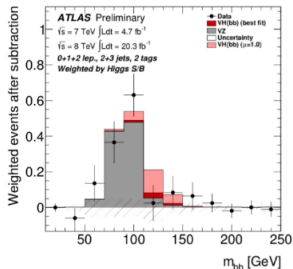
@125GeV 3.6 (3.0) x SM for
observed (expected) exclusion limit

CMS-PAS-HIG-13-011

	$H \rightarrow bb$	$H \rightarrow \tau\tau$	$H \rightarrow cc$	$H \rightarrow \mu\mu$
GGF	NO			
VBF	YES			
VH	YES			
ttH				

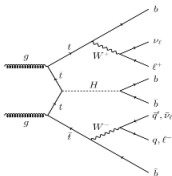
Wbb/Zbb final state,
make use of W/Z decay to
extract the signal

- (semi-)leptonic decay
- missing transverse energy



@125GeV 1.3 (1.4) x SM for
observed (expected) exclusion limit

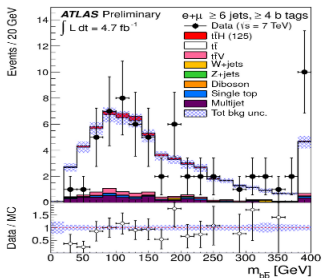
ATLAS-CONF-2013-079
CMS PAS HIG-13-012



Quite busy final state,
and low rate: challenging!

- b-jet ID
- b-jet pairing

	$H \rightarrow bb$	$H \rightarrow \tau\tau$	$H \rightarrow cc$	$H \rightarrow \mu\mu$
GGF	NO			
VBF	YES			
VH	YES			
ttH	YES			



Important also for top-Higgs coupling:

$$\sigma(gg \rightarrow H) \propto \left| \begin{array}{c} \text{Diagram 1: } gg \rightarrow H \text{ via } t\bar{t} \text{ loop} \\ \text{Diagram 2: } gg \rightarrow H \text{ via } t\bar{t} \text{ loop with } H \text{ insertion} \end{array} \right|^2$$

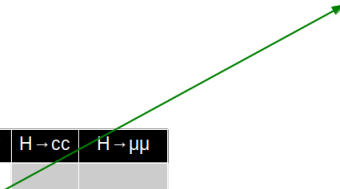
↑ can be measured
↑ known if Higgs-Top coupling are measured
↑ we don't know!

@125GeV 13 (10) x SM for
observed (expected) exclusion limit

ATLAS-CONF-2012-135
CMS PAS HIG-13-019

	$H \rightarrow bb$	$H \rightarrow \tau\tau$	$H \rightarrow cc$	$H \rightarrow \mu\mu$
GGF	NO	YES		
VBF	YES	YES		
VH	YES			
ttH	YES			

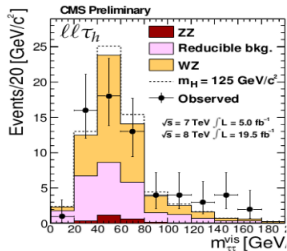
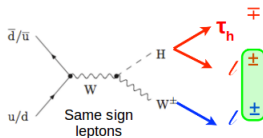
Will be fully detailed in this seminar



$H \rightarrow \tau\tau$ is the first leptonic final state allowing to exploit the two larger Higgs production modes

	$H \rightarrow bb$	$H \rightarrow \tau\tau$	$H \rightarrow cc$	$H \rightarrow \mu\mu$
GGF	NO	YES		
VBF	YES	YES		
VH	YES	YES		
ttH	YES			

Very low rate
but can exploit the combinatorics
and the charge correlation



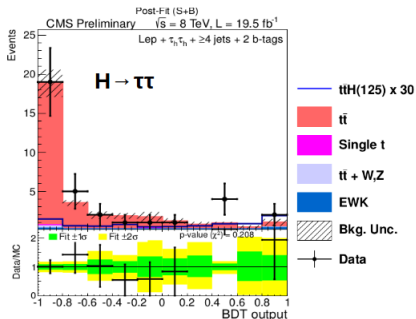
@125GeV 3.9 (3.1) x SM for
observed (expected) exclusion limit

CMS PAS HIG-12-053

	$H \rightarrow bb$	$H \rightarrow \tau\tau$	$H \rightarrow cc$	$H \rightarrow \mu\mu$
GGF	NO	YES		
VBF	YES	YES		
VH	YES	YES		
ttH	YES	YES		

Quite busy final state,
and low rate: challenging!

- b-jet ID
- tau ID



@125GeV 13 (14) x SM for
observed (expected) exclusion limit

CMS PAS HIG-13-019

QCD background higher by several orders of magnitude

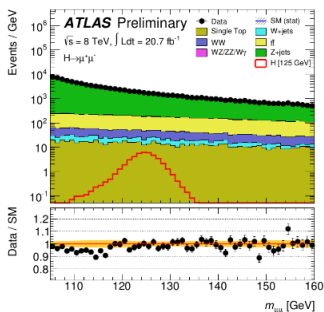
c-jet ID (more difficult than b-jet)

	$H \rightarrow bb$	$H \rightarrow \tau\tau$	$H \rightarrow cc$	$H \rightarrow \mu\mu$
GGF	NO	YES	NO	
VBF	YES	YES	NO	
VH	YES	YES	NO	
ttH	YES	YES	NO	

Clean final state
but extremely low rate: challenging !

Direct access to Higgs-muon coupling
(second generation)

	$H \rightarrow bb$	$H \rightarrow \tau\tau$	$H \rightarrow cc$	$H \rightarrow \mu\mu$
GGF	NO	YES	NO	YES
VBF	YES	YES	NO	-
VH	YES	YES	NO	-
ttH	YES	YES	NO	-



@125GeV 9.8 (8.2) x SM for
observed (expected) exclusion limit

ATLAS-CONF-2013-010

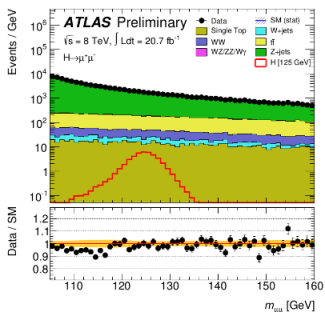
	$H \rightarrow bb$	$H \rightarrow \tau\tau$	$H \rightarrow cc$	$H \rightarrow \mu\mu$
GGF	NO	YES	NO	YES
VBF	YES	YES	NO	-
VH	YES	YES	NO	-
ttH	YES	YES	NO	-

$H \rightarrow \tau\tau$ has a very particular role in the Higgs to fermion coupling measurement:

- exploit larger production modes
- sensitivity to coupling to leptons

Clean final state
but extremely low rate: challenging !

Direct access to Higgs-muon coupling
(second generation)



@125GeV 9.8 (8.2) x SM for
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ATLAS-CONF-2013-010

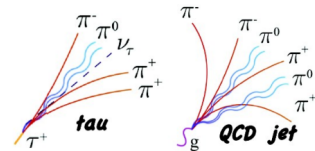
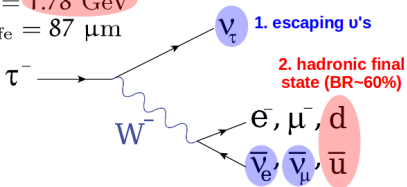
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Experimentally challenging ! Jets contamination very frequent in hadrons collider !

$$m_\tau = 1.78 \text{ GeV}$$

$$c\tau_{\text{life}} = 87 \text{ } \mu\text{m}$$

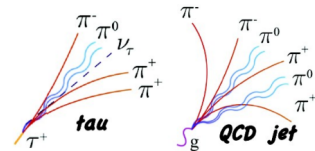
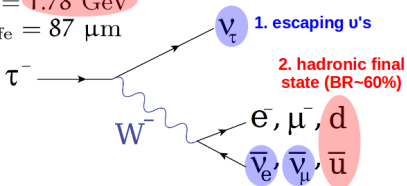


$\tau_{\text{had}} \approx$ narrower jet with lower track multiplicities

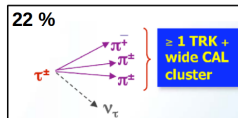
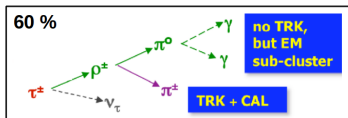
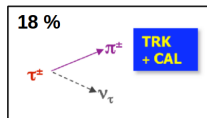
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Typical signature of hadronic τ decay :

- 1 or 3 isolated tracks, with possible secondary vertex reconstruction.
- Collimated calorimeter energy deposit.

Reconstruction of τ lepton in ATLAS

τ_{had} candidate is built from the calorimeter (π^\pm and π^0) and the tracking system (π^\pm)

1. Calorimeter object :

- 1 calorimeter cells \rightarrow 3D clusters (topological cluster)
- 2 τ_{calo} is defined as a jet of topo-clusters (anti- k_T algorithm with $\Delta R = 0.4$)

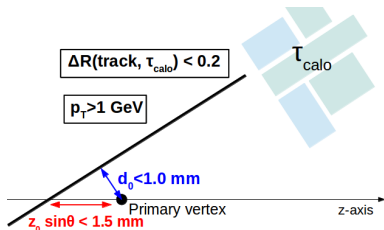
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2. Tracks : a track is matched if



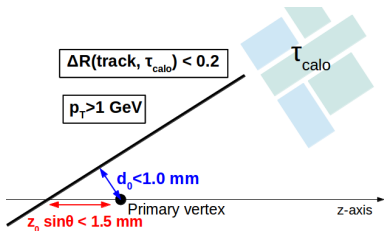
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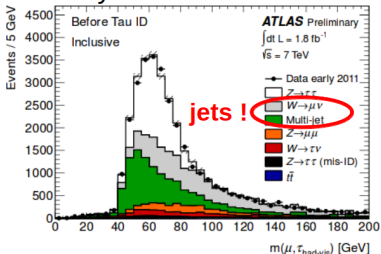
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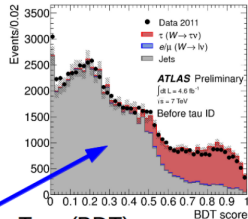
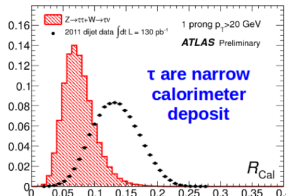
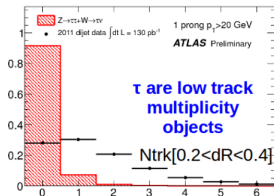
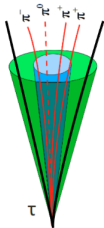
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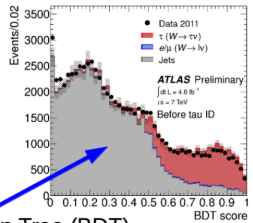
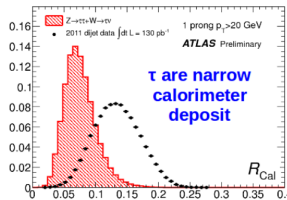
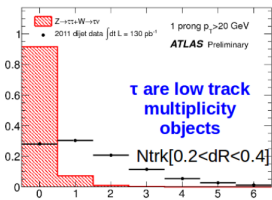
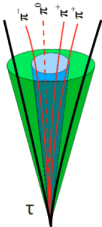
Purity after τ reconstruction





+ 6 others observables combined in a Boosted Decision Tree (BDT)

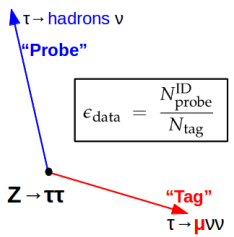
$$\epsilon_{\text{sig}} \sim 65\% - \epsilon_{\text{bkg}} \sim 2\%$$



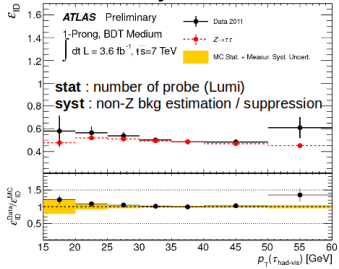
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$\epsilon_{\text{sig}} \sim 65\% - \epsilon_{\text{bkg}} \sim 2\%$

“Tag and probe” method



Efficiency measurement



Energy calibration of τ lepton

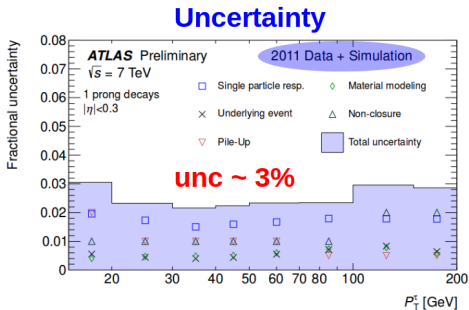
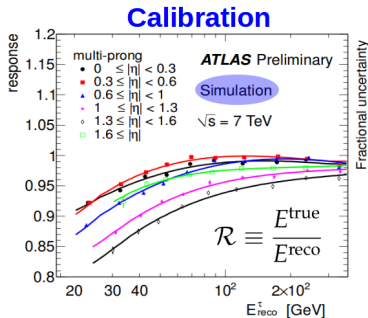
Why and how ?

- $m_{\tau\tau} \propto \sqrt{E_{\tau_1} E_{\tau_2}}$: a wrong scale will lead to shifted mass peak.
- Use the **simulation** to measure **the energy response**
- Use **data** (and MC) to estimate **the uncertainty** - and a potential bias

Energy calibration of τ lepton

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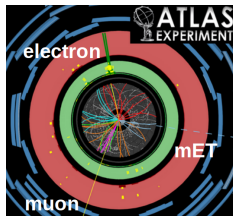


Neutrinos momentum : E_T reconstruction

Neutrinos don't interact with the detector : they are measured using the unbalance of the total transverse momentum.

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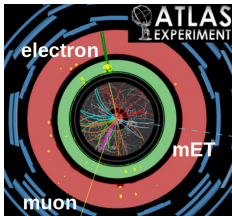
Calorimeter based :

- Raw : $\vec{E}_T \equiv - \sum_{\text{cell } i} \vec{E}_T^i$,
- Corrected for **muons** (only MIP),
- Corrected for **energy scale** of each type of object

Keep in mind : $\vec{E}_T^{\text{reco}} \equiv (\sum_i \vec{p}_{\nu_i})_T$

Neutrinos momentum : \cancel{E}_T reconstruction

Neutrinos don't interact with the detector : they are measured using the unbalance of the total transverse momentum.



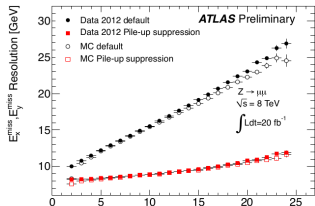
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Keep in mind : $\vec{\cancel{E}}_T \stackrel{\text{reco}}{=} (\sum_i \vec{p}_{\nu_i})_T$

Comments : sensitive to all the activity in the event (pile up, detector noise, soft radiations, ...).

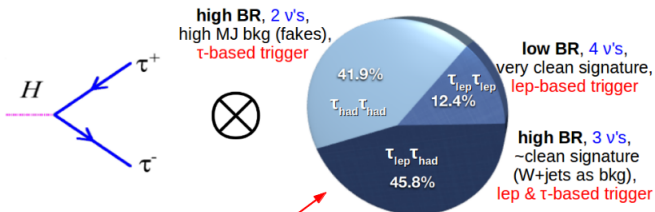
Some technics are elaborated to reduce pile-up effect on the \cancel{E}_T resolution.



Overview

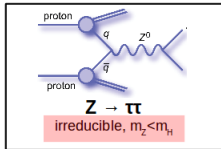
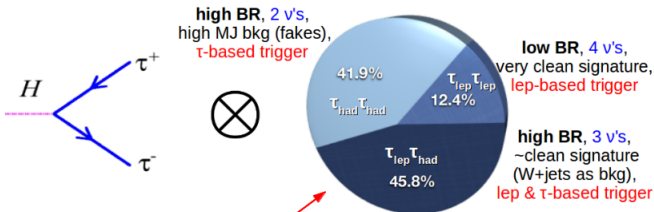
- 1 Context : Higgs boson and fermions
- 2 $H \rightarrow \tau\tau$: why ?
- 3 Final state with τ leptons : how ?
- 4 $H \rightarrow \tau\tau$: how ?**
- 5 $H \rightarrow \tau\tau$: results
- 6 Summary

	$H \rightarrow \tau\tau$
GGF	YES
VBF	YES
VH	
ttH	

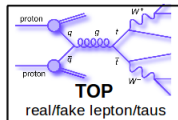
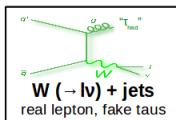
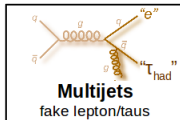


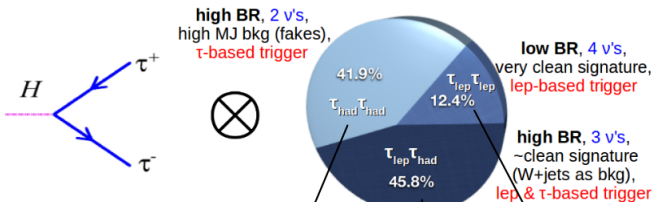
	$H \rightarrow \tau\tau$
GGF	YES
VBF	YES
VH	
ttH	

All $H \rightarrow \tau\tau$ final states can be reconstructed and analyzed
(in opposition with $H \rightarrow WW$, with twice BR)

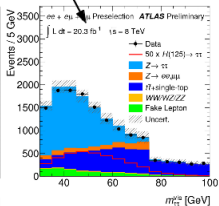
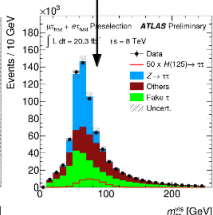
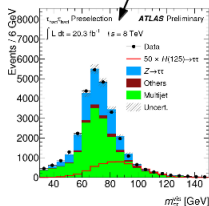


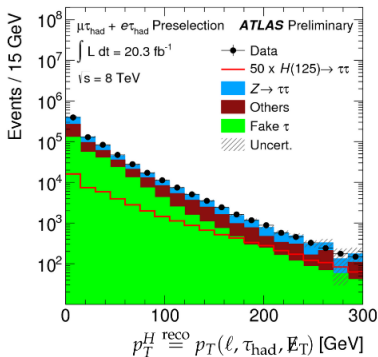
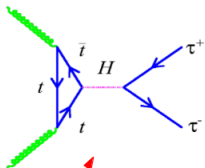
	H \rightarrow $\pi\pi$
GGF	YES
VBF	YES
VH	
ttH	





	$H \rightarrow \tau\tau$
GGF	YES
VBF	YES
VH	
ttH	

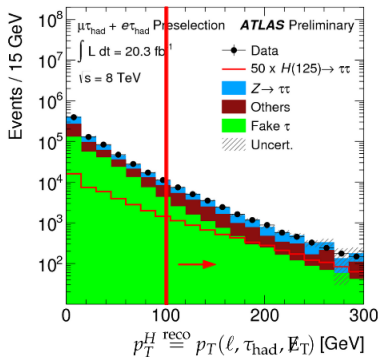
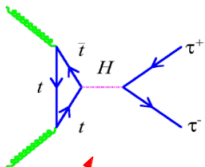




	$H \rightarrow \tau\tau$
GGF	YES
VBF	YES
VH	
ttH	

$gg \rightarrow H$ is particularly subject to **QCD radiations**
(colored initial state, colored loop)

$p_T(\tau, \tau)$ spectrum is **harder** for signal



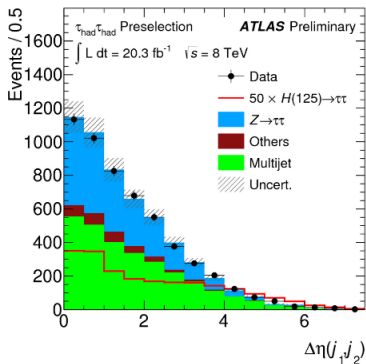
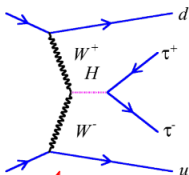
	$H \rightarrow \tau\tau$
GGF	YES
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VH	
ttH	

$gg \rightarrow H$ is particularly subject to QCD radiations
(colored initial state, colored loop)

$p_T(\tau, \tau)$ spectrum is **harder** for signal

We define a “**boosted category**” enriched in $gg \rightarrow H$

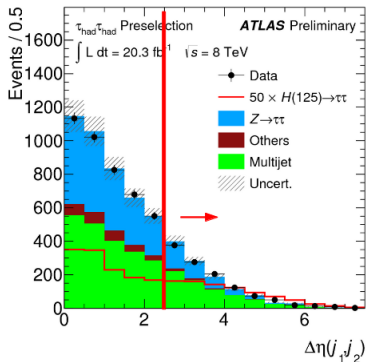
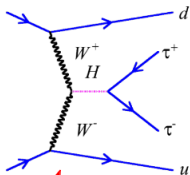
70% GGF - 16% VBF - 14% VH



VBF has a particular jet topology:
2 forward high p_T jets

(process similar to a t-channel $\rightarrow |\mathcal{M}_t|^2 \propto \frac{1}{(1 - \cos\theta)^2} \rightarrow$ forward objects)

	H \rightarrow $\tau\tau$
GGF	YES
VBF	YES
VH	
ttH	



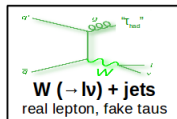
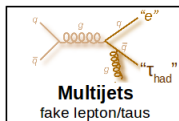
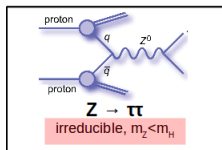
	$H \rightarrow \tau\tau$
GGF	YES
VBF	YES
VH	
ttH	

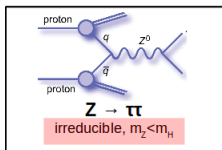
VBF has a particular jet topology:
2 forward high p_T jets

(process similar to a t-channel $\rightarrow |\mathcal{M}_t|^2 \propto \frac{1}{(1 - \cos\theta)^2} \rightarrow$ forward objects)

We define a “VBF category” enriched in VBF

75% VBF - 25% GGF

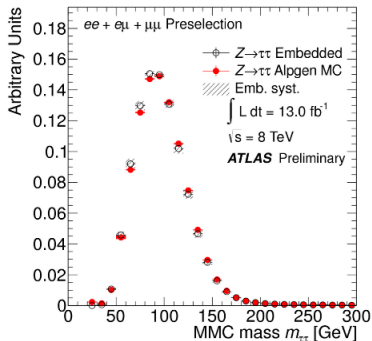
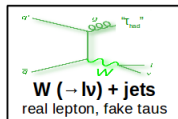
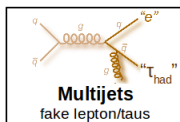




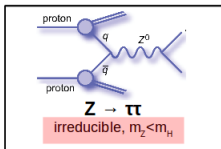
For all 3 channels

Data driven : τ "embedding" in $Z \rightarrow \mu\mu$ data events

- remove μ deposits and replace by a **simulated** τ .
- It's **data** (jets, pile-up, calo noise, soft radiations)
- **limited by data statistics**



data-driven estimation!

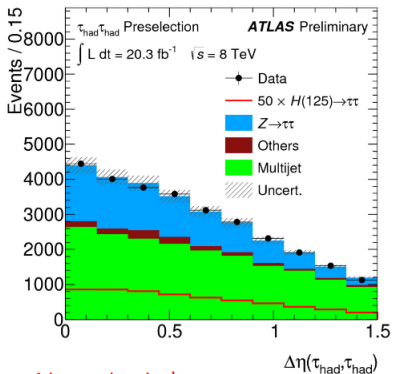
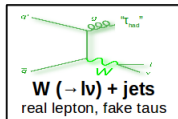
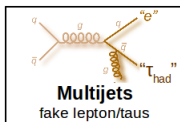


For hadhad channel

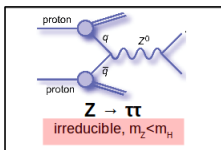
data-driven estimation

Normalization: template fit using $\Delta\eta(\tau_{\text{had}}, \tau_{\text{had}})$

Template: events without opposite charge candidates



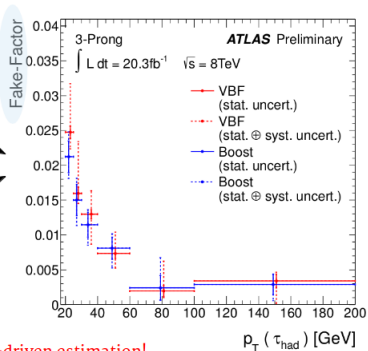
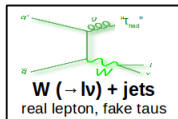
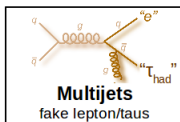
data-driven estimation!



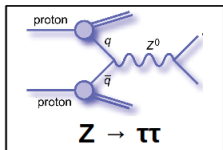
For lephad channel

Shape & normalization: from events with candidate failing TauD (anti-tau). Using a “transfer factor” to transport the prediction in the signal region:

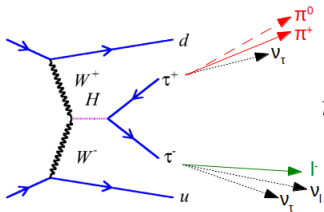
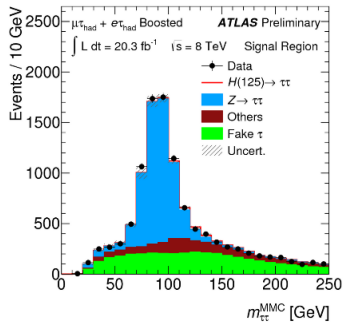
$$N(\text{fake})_{\text{SR}} = \frac{N(\tau)}{N(\text{anti}\tau)} \Big|_{\text{CR}} \times N(\text{anti}\tau)_{\text{SR}}$$



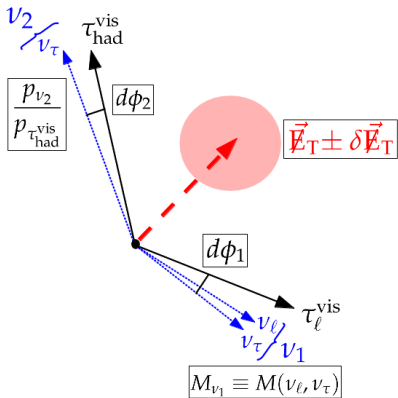
data-driven estimation!

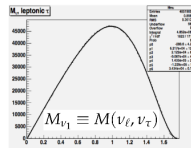
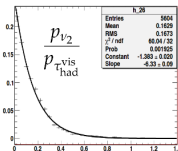
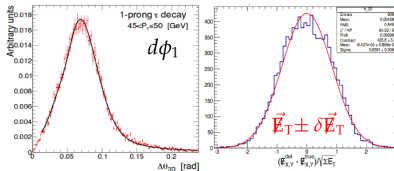
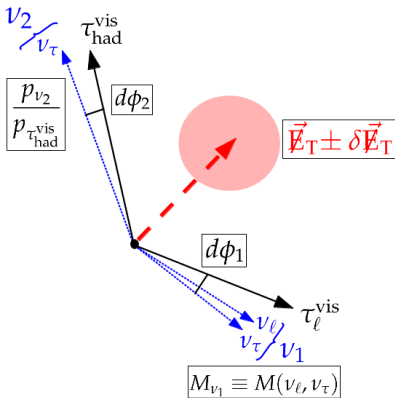


Most **important background**.
Handle to separate from the signal:
mass of di-tau system

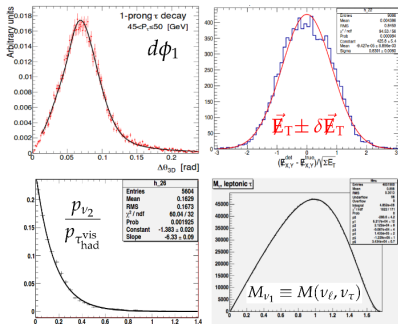
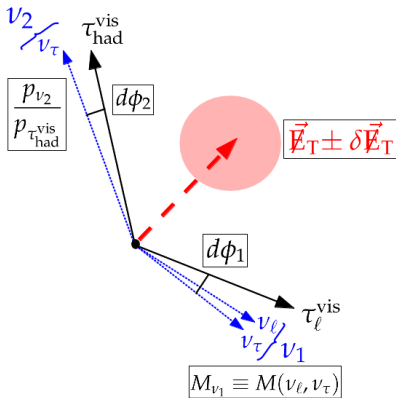


$$m_H = m(\tau, \tau) \neq m(\tau_{\text{vis}}, \ell, \cancel{E}_T)$$

$m_{\tau\tau}$ reconstruction : Missing Mass Calculator

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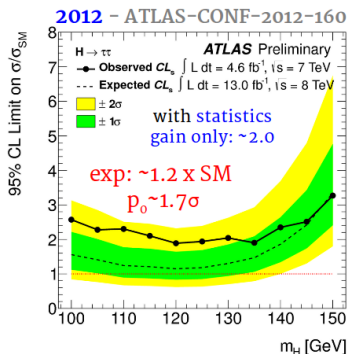
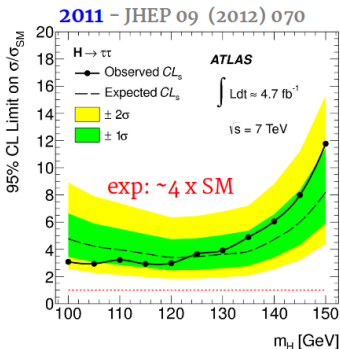


= unknown value

- (1) **Perform a scan** over the unknowns, ie choose a config : $q = (d\Phi_1, d\Phi_2, M_{V_1}, m_{\text{ET}}, p_{\nu}/p_{\tau})$
- (2) For each configuration q_i : compute the **full invariant mass** m_i
- (3) Fill an histogram of m_i **weighted by** $w_i = \text{PDF}(q_i)$, as a product each above PDF
- (4) Final reconstructed mass, **MMC**, is given by the **max of this histogram**

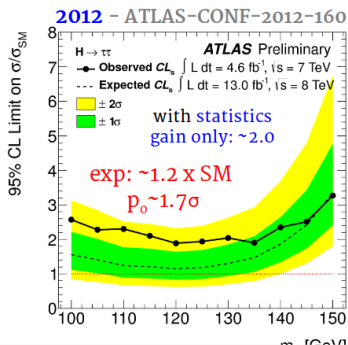
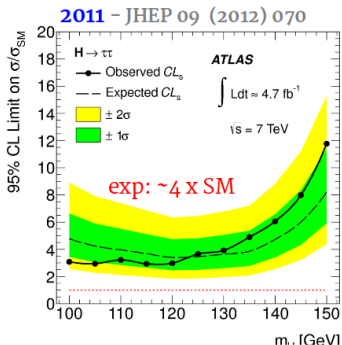
Signal extraction using the di-tau mass

Natural strategy: Use the reconstructed mass to test the presence of signal. It was done in the last two ATLAS public results.



Signal extraction using the di-tau mass

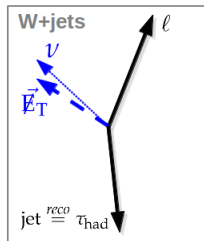
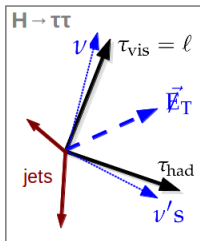
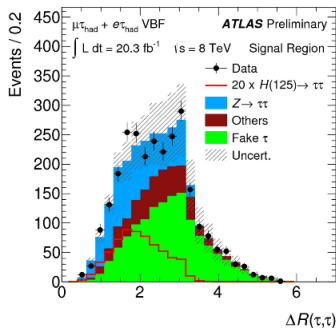
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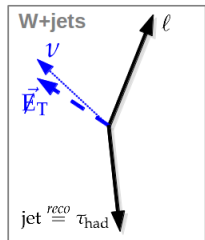
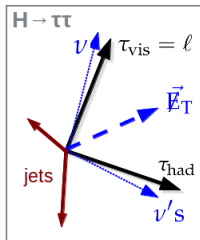
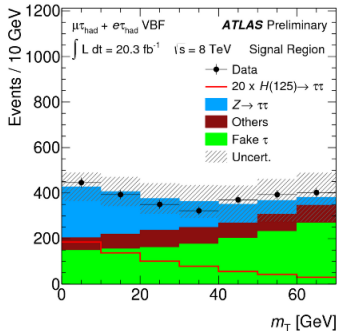
Naive projection with 25 fb^{-1} : limit ~ 1.0 and $p_0 \sim 2.0\sigma$.
Not sensitive enough to unambiguously conclude on $H \rightarrow \tau\tau$
 Switch to a more efficient approach: **Multivariate analysis (BDT)**

- Resonance properties
 - $m(\tau\tau)$, $\Delta R(\tau\tau)$, etc
- VBF topology
 - m_{jj} , $\Delta\eta_{jj}$, $\eta_j \times \eta_j$
- Event activity
 - Scalar & vector P_T -sum
- Event topology
 - m_T , object centralities,
 $P_T(\tau_1)/P_T(\tau_2)$, etc
- Number of variables
 - VBF: 7-9
 - Boosted: 6-9

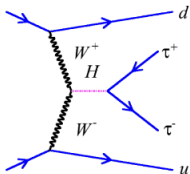
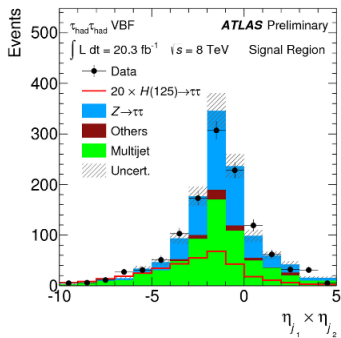
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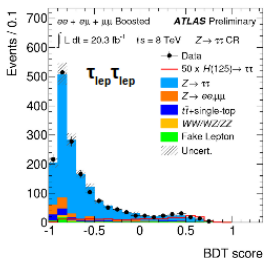
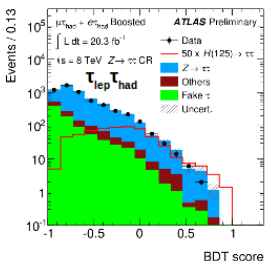
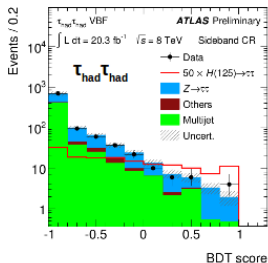
Jets back-to-back and with at large rapidities

Validation of the MVA approach

Multivariate Analysis exploit **correlations between variables**.
Are they well modelled by the simulation?

- **Difficult to assess** by only looking at 1D distributions
- Can be probed by looking at $\langle X_i \rangle$ versus X_j in data and simulation
- Checking the final **BDT output in control regions**

Validation of $Z \rightarrow \tau\tau$ modelling in control regions

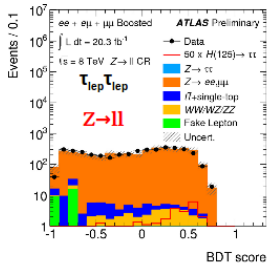
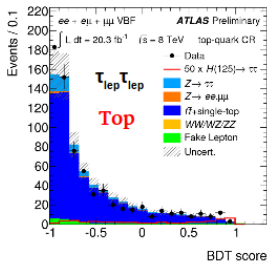
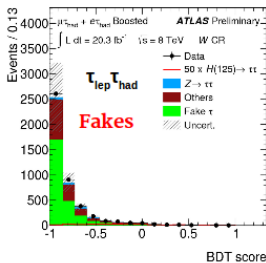


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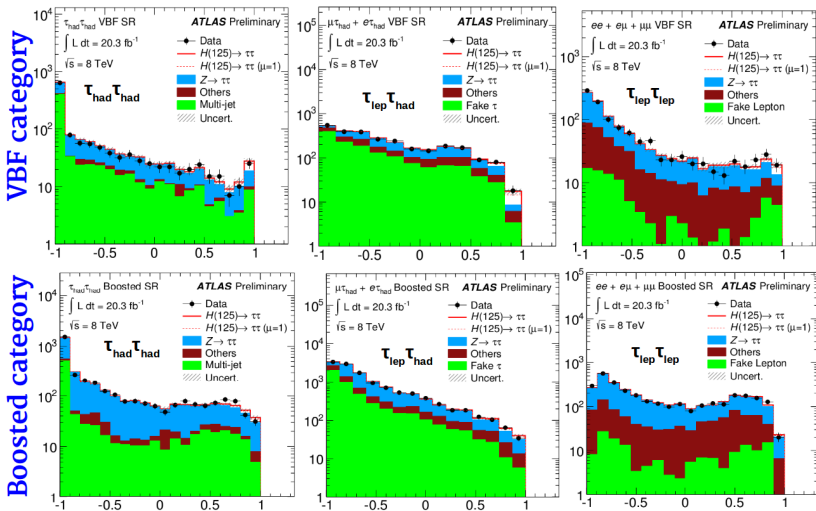
But also done for other backgrounds ...

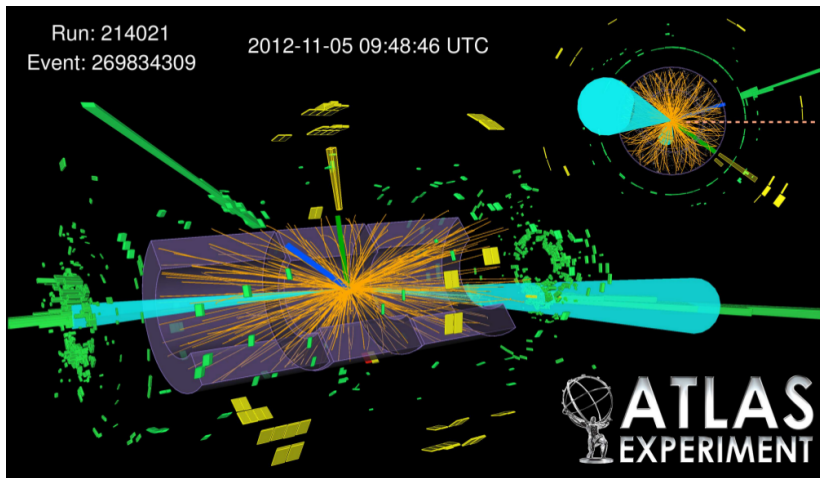


Overview

- 1 Context : Higgs boson and fermions
- 2 $H \rightarrow \tau\tau$: why?
- 3 Final state with τ leptons : how?
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- 5 $H \rightarrow \tau\tau$: results**
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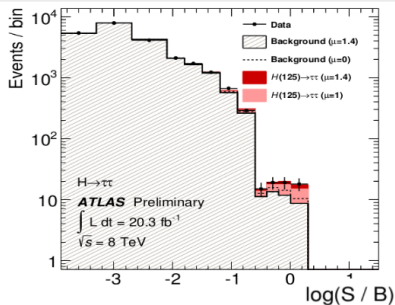
Final distribution in the 6 signal regions





$H \rightarrow \tau_\ell \tau_{\text{had}}$ candidate (data)

$$m(\tau, \tau) = 129 \text{ GeV}, \text{BDT} = 0.99 (S/B = 1.0), m(j_1, j_2) = 1.53 \text{ TeV}$$

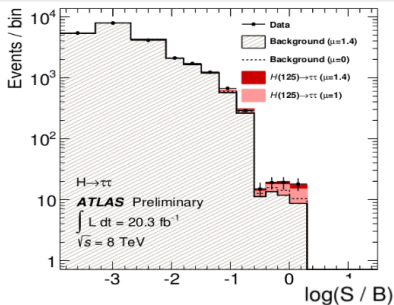


Event yield (VBF category)

	Lep-lep	Lep-had	Had-had
Signal	5.7 ± 1.7	8.7 ± 2.5	8.8 ± 2.2
Bckg	13.5 ± 2.4	8.7 ± 2.4	11.8 ± 2.6
Data	19	18	19

Observed (expected)
 excess of 4.1σ (3.2σ)

$$\mu = 1.43^{+0.31}_{-0.29}(\text{stat.})^{+0.41}_{-0.30}(\text{syst.})$$

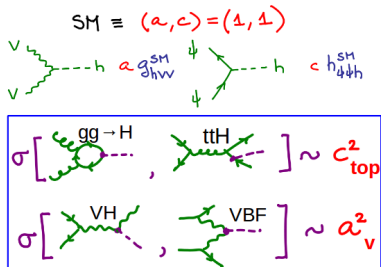


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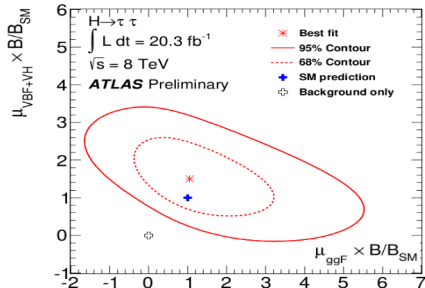
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arXiv :1209.0040, ATLAS-CONF-2012-127



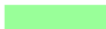
Systematic uncertainties

Source of Uncertainty	Uncertainty on μ
Signal region statistics (data)	0.30
$Z \rightarrow \ell\ell$ normalization ($\tau_{\text{lep}}\tau_{\text{had}}$ boosted)	0.13
ggF $d\sigma/dp_T^H$	0.12
JES η calibration	0.12
Top normalization ($\tau_{\text{lep}}\tau_{\text{had}}$ VBF)	0.12
Top normalization ($\tau_{\text{lep}}\tau_{\text{had}}$ boosted)	0.12
$Z \rightarrow \ell\ell$ normalization ($\tau_{\text{lep}}\tau_{\text{had}}$ VBF)	0.12
QCD scale	0.07
di- τ_{had} trigger efficiency	0.07
Fake backgrounds ($\tau_{\text{lep}}\tau_{\text{lep}}$)	0.07
τ_{had} identification efficiency	0.06
$Z \rightarrow \tau^+\tau^-$ normalization ($\tau_{\text{lep}}\tau_{\text{had}}$)	0.06
τ_{had} energy scale	0.06

Total uncertainty ~ 0.5



Uncertainties related to **background estimation**

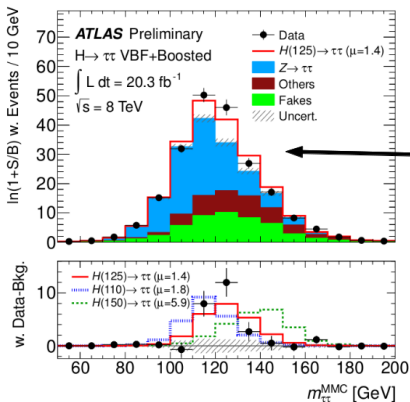


Uncertainties related to **trigger/reco/identification**



Uncertainties related to **theory predictions**

Mass spectrum of the excess



At which di-tau invariant mass the excess peaks ?

Mass distribution: events are weighted by the expected significance computed in each BDT bin

Observed excess compatible with a Higgs boson of 125 GeV (red line)

Overview

- 1 Context : Higgs boson and fermions
- 2 $H \rightarrow \tau\tau$: why?
- 3 Final state with τ leptons : how?
- 4 $H \rightarrow \tau\tau$: how?
- 5 $H \rightarrow \tau\tau$: results
- 6 **Summary**

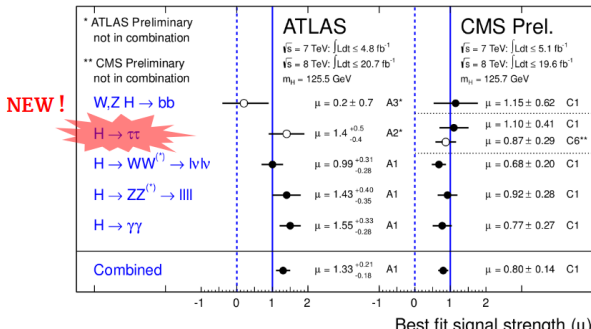
$H \rightarrow \tau\tau$ probes the Yukawa couplings between the Higgs boson and fermions, directly. Probe lepton-Higgs couplings. Constraint VBF production.

τ lepton needs sophisticated algorithms and a deep understanding of the experiment. Background modelling challenging.

New ATLAS analysis (MVA)

Observed (expected) evidence for $H \rightarrow \tau\tau$ at 4.1σ (3.2σ).

Summary of the PDG



BACK UP

Gauge symmetry and fermion masses

Why the couplings to fermions are **crucial** to measure ?

(CMS $\tau\tau + bb$ combination submitted to *Nature Physics* - arXiv :1401.6527)

QED

$$m_\gamma A^\mu A_\mu$$

Boson mass:
NOT gauge invariant

$$m_f(\bar{\psi}_R\psi_L + \bar{\psi}_L\psi_R)$$

Fermion mass:
gauge invariant

SM

$$\partial_\mu \Phi \rightarrow D_\mu \Phi$$

Interaction with W^\pm, Z^0

Higgs = charged under $SU(2)_L \times U(1)$
masses of bosons

$$\begin{array}{c} \bar{\psi}_L \psi_R \\ \swarrow \quad \searrow \\ SU(2)_L \times U(1)_Y \quad U(1)_Y \end{array}$$

Fermion masses are **not** $SU(2)_L \times U(1)$
invariant

Introducing a new field charged under $SU(2)_L \times U(1)$, doesn't automatically generate fermion masses.

Need to **add a new term** – Yukawa
couplings – to **generate fermion masses**

$$\lambda_f \bar{\psi}_L \Phi \psi_R$$

Not coming from
gauge symmetry

3 types of property

- 1 **Couplings** to other SM particles : **observed event rates**
- 2 **Mass** : full **reconstruction**, energy resolution
- 3 **Spin/CP** : **polarization**, **angular correlation/distributions**

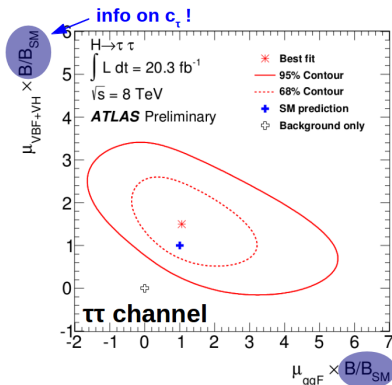
1. SM $\equiv (a, c) = (1, 1)$

a_{ghv}^{SM} $c_{h\gamma\gamma}^{SM}$

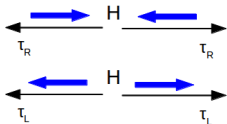
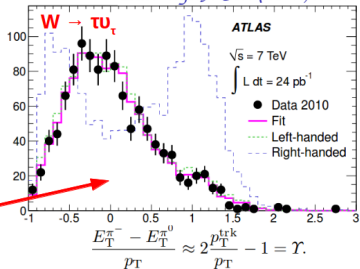
$\sigma [gg \rightarrow H, ttH] \sim c_{top}^2$

$\sigma [VH, VBF] \sim a_v^2$

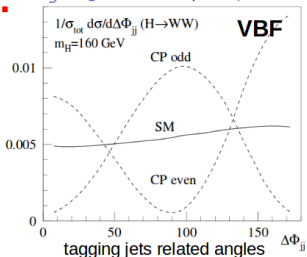
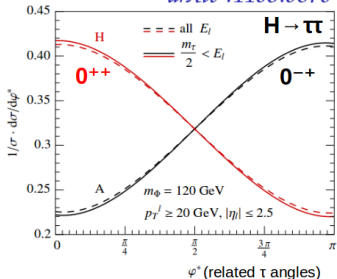
arXiv :1209.0040, ATLAS-CONF-2012-127



2.

Probe τ spin correlations :Be able to measure τ polarization ? **YES***Eur.Phys.J. C72 (2012) 2062*

3.

Phys. Rev. Lett. 88 (2002) 051801*arXiv :1108.0670*

Statistical procedure

$$q_{\mu=0} = -2 \ln(\mathcal{L}(0, \hat{\vec{\theta}}) / \mathcal{L}(\hat{\mu}, \hat{\vec{\theta}}))$$

$$\mu \equiv \frac{\sigma_H^{\text{obs}}}{\sigma_H^{\text{SM}}}$$

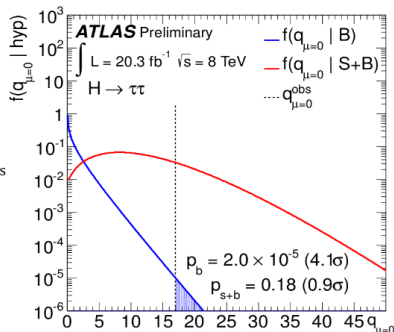
Fit assuming
no signal

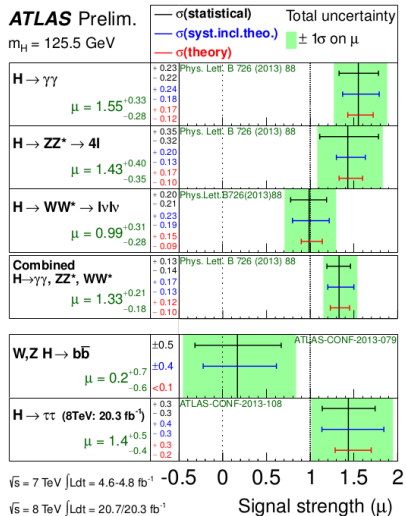
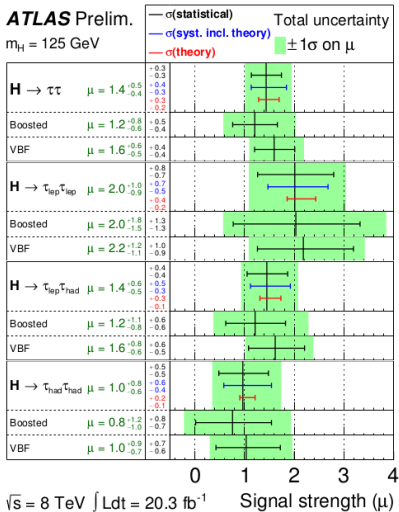
Best fitted
signal

$\vec{\theta}$ = vector of nuisance parameters accounting for systematics

Excess of 4.1σ (3.2σ expected)

$$\mu = 1.43^{+0.31}_{-0.29}(\text{stat.})^{+0.41}_{-0.30}(\text{syst.})$$

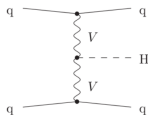




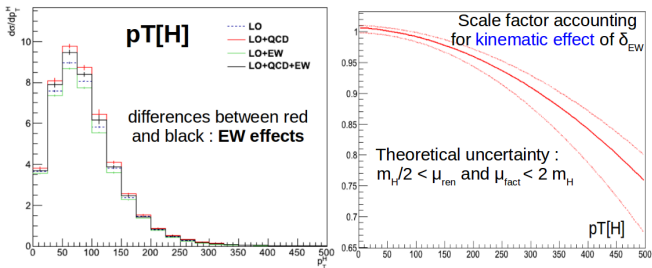
Signal modeling : EW corrections of $qq' \rightarrow qq'H$

Motivations and goal :

- VBF@LO is EW : $\delta_{EW} \sim \delta_{QCD}$ (unlike $gg \rightarrow H$)
- σ_{tot} is already QCD+EW NLO : but **shape effects** of δ_{EW} ?

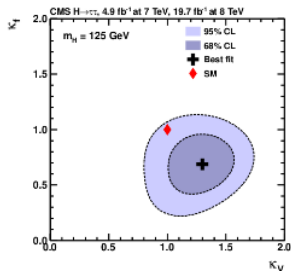
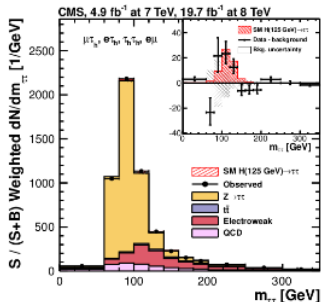
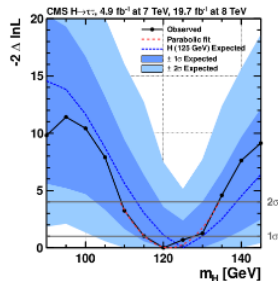
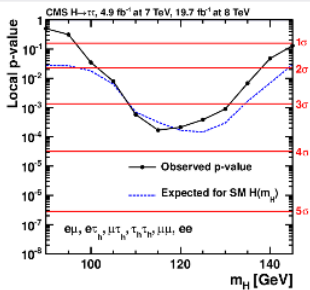


At generated level : most affected distribution is p_T^H - HAWK



At reconstructed level :

- **negligible impact**, wrt to other existing systematics,
- This **spectrum distortions** should be kept in mind for **the future**.



Uncertainty	Affected processes	Change in acceptance
Tau energy scale	signal & sim. backgrounds	1–29%
Tau ID (& trigger)	signal & sim. backgrounds	6–19%
e misidentified as τ_h	$Z \rightarrow ee$	20–74%
μ misidentified as τ_h	$Z \rightarrow \mu\mu$	30%
Jet misidentified as τ_h	$Z + \text{jets}$	20–80%
Electron ID & trigger	signal & sim. backgrounds	2–6%
Muon ID & trigger	signal & sim. backgrounds	2–4%
Electron energy scale	signal & sim. backgrounds	up to 13%
Jet energy scale	signal & sim. backgrounds	up to 20%
E_T^{miss} scale	signal & sim. backgrounds	1–12%
$\varepsilon_{b\text{-tag}}$ b jets	signal & sim. backgrounds	up to 8%
$\varepsilon_{b\text{-tag}}$ light-flavoured jets	signal & sim. backgrounds	1–3%
Norm. Z production	Z	3%
$Z \rightarrow \tau\tau$ category	$Z \rightarrow \tau\tau$	2–14%
Norm. W + jets	W + jets	10–100%
Norm. $t\bar{t}$	$t\bar{t}$	8–35%
Norm. diboson	diboson	6–45%
Norm. QCD multijet	QCD multijet	6–70%
Shape QCD multijet	QCD multijet	shape only
Norm. reducible background	Reducible bkg.	15–30%
Shape reducible background	Reducible bkg.	shape only
Luminosity 7 TeV (8 TeV)	signal & sim. backgrounds	2.2% (2.6%)
PDF (qq)	signal & sim. backgrounds	4–5%
PDF (gg)	signal & sim. backgrounds	10%
Norm. ZZ/WZ	ZZ/WZ	4–8%
Norm. $t\bar{t} + Z$	$t\bar{t} + Z$	50%
Scale variation	signal	3–41%

