

# Solar models, solar neutrinos and helioseismology

F. L. Villante – Università dell’Aquila and LNGS-INFN

## Outline

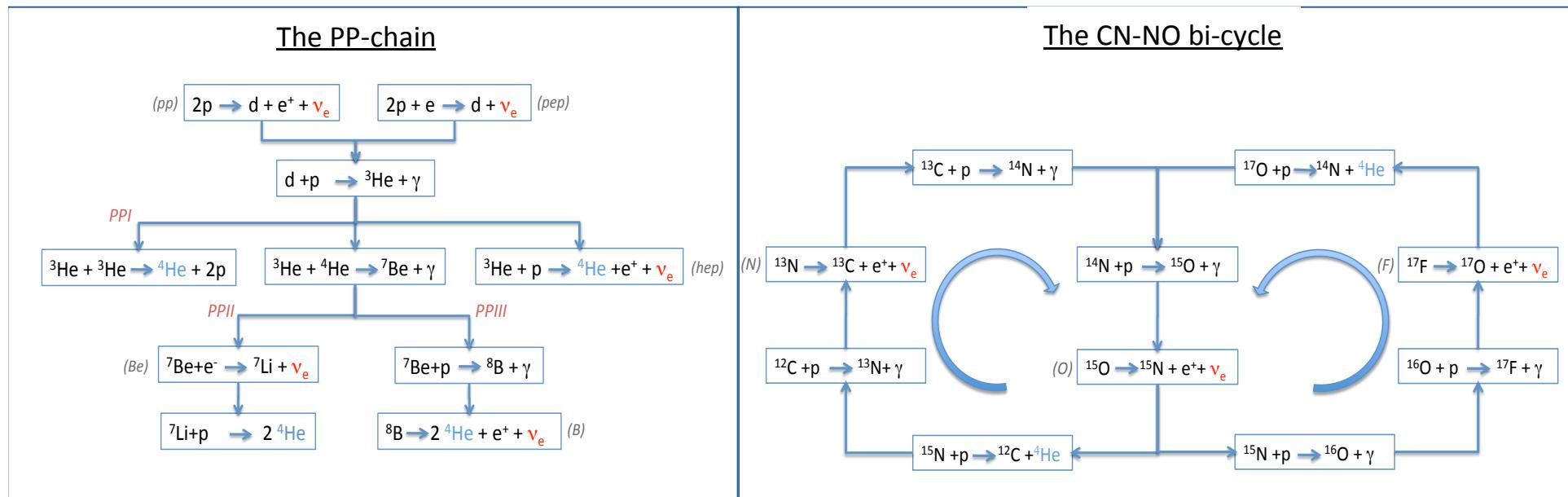
- The present situation
- The solar composition problem
- The role of CNO neutrinos
- Summary and conclusions

# Hydrogen Burning: PP chain and CNO cycle

The Sun is powered by nuclear reactions that transform H into  ${}^4\text{He}$ :



Free stream – 8 minutes to reach the earth  
Direct information on the energy producing region.

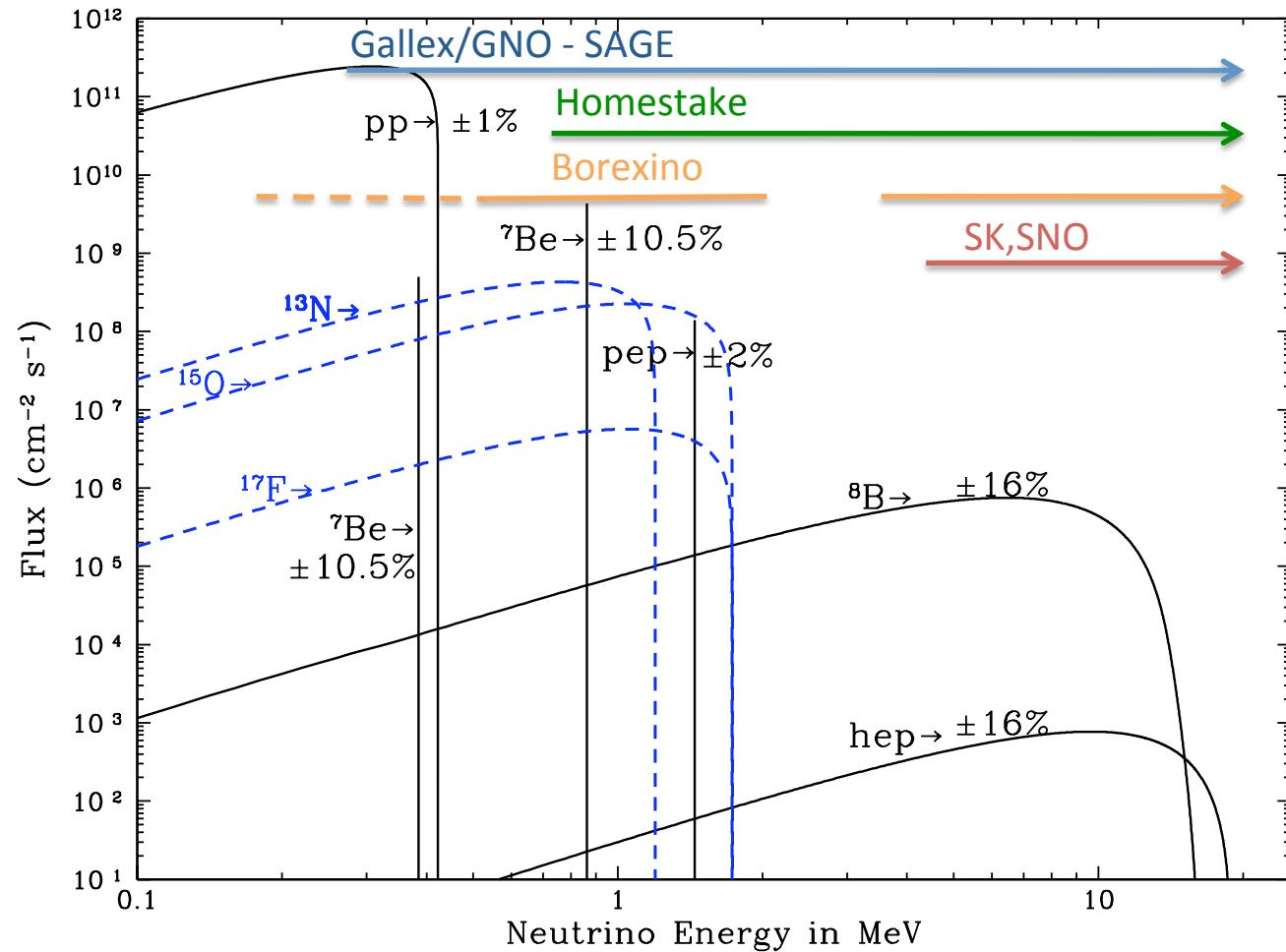


The **pp chain** is responsible for about 99% of the total energy (and neutrino) production.

C, N and O nuclei are used as catalysts for hydrogen fusion.

**CNO cycle** is responsible for about 1% of the total neutrino (and energy) budget. Important for more advanced evolutionary stages

# The solar neutrino spectrum



# The present situation

*Experimental results agree with Standard Solar Models (SSM) +  $\nu$  flavor oscillations:*

*Serenelli, Haxton, Pena-Garay, ApJ 2011*

$\nu$ flux	AGSS09	GS98	Solar
$\Phi_{pp}$	$6.03 (1 \pm 0.006)$	$5.98 (1 \pm 0.006)$	$6.05(1^{+0.003}_{-0.011})$
$\Phi_{pep}$	$1.47 (1 \pm 0.012)$	$1.44 (1 \pm 0.012)$	$1.46(1^{+0.010}_{-0.014})$
$\Phi_{Be}$	$4.56 (1 \pm 0.07)$	$5.00 (1 \pm 0.07)$	$4.82(1^{+0.05}_{-0.04})$
$\Phi_B$	$4.59 (1 \pm 0.14)$	$5.58 (1 \pm 0.14)$	$5.00(1 \pm 0.03)$
$\Phi_{hep}$	$8.31 (1 \pm 0.30)$	$8.04 (1 \pm 0.30)$	$18(1^{+0.4}_{-0.5})$
$\Phi_N$	$2.17 (1 \pm 0.14)$	$2.96 (1 \pm 0.14)$	$\leq 6.7$
$\Phi_O$	$1.56 (1 \pm 0.15)$	$2.23 (1 \pm 0.15)$	$\leq 3.2$
$\Phi_F$	$3.40 (1 \pm 0.16)$	$5.52 (1 \pm 0.16)$	$\leq 59$

*Units:*

*pp:*  $10^{10} \text{ cm}^2 \text{ s}^{-1}$ ;

*Be:*  $10^9 \text{ cm}^2 \text{ s}^{-1}$ ;

*pep, N, O:*  $10^8 \text{ cm}^2 \text{ s}^{-1}$ ;

*B, F:*  $10^6 \text{ cm}^2 \text{ s}^{-1}$ ;

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Real time detection  
(SK,SNO,Borexino)

Note that:

$$\delta\Phi_B \simeq 20 \delta T_c$$

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## CNO neutrinos

- No direct detection
- Loose upper bounds obtained by combining the different expt results

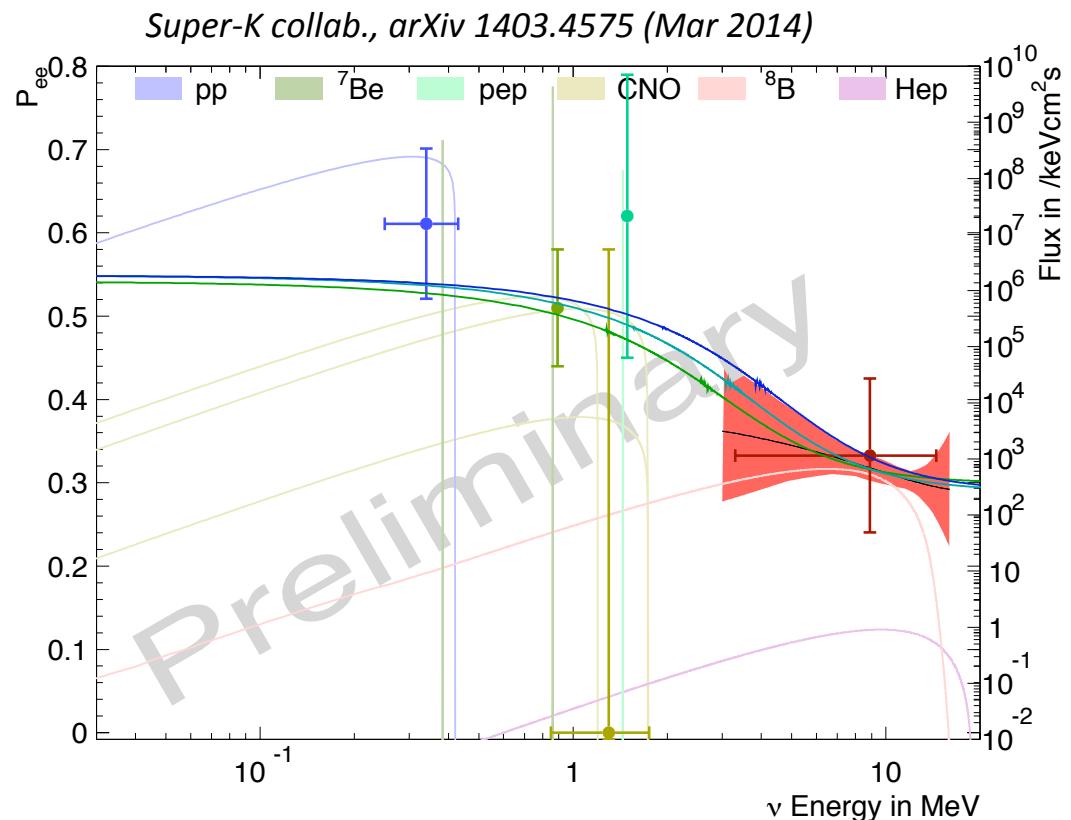
# Future goals

- Final confirmation of MSW transition  
(or looking for new physics):

*The  $\nu_e$  survival probability at  $E_\nu \sim 1\text{-}3\text{MeV}$  probes transition between vacuum and matter dominated regimes*

*Sensitive to new physics effects (mass varying neutrinos, sterile neutrinos, NSI, etc.)*

*Combined analysis of SK I-IV  
PRL 112 (2014) 091805  
Provide a  $2.7\sigma$  observation of day-night effect;*



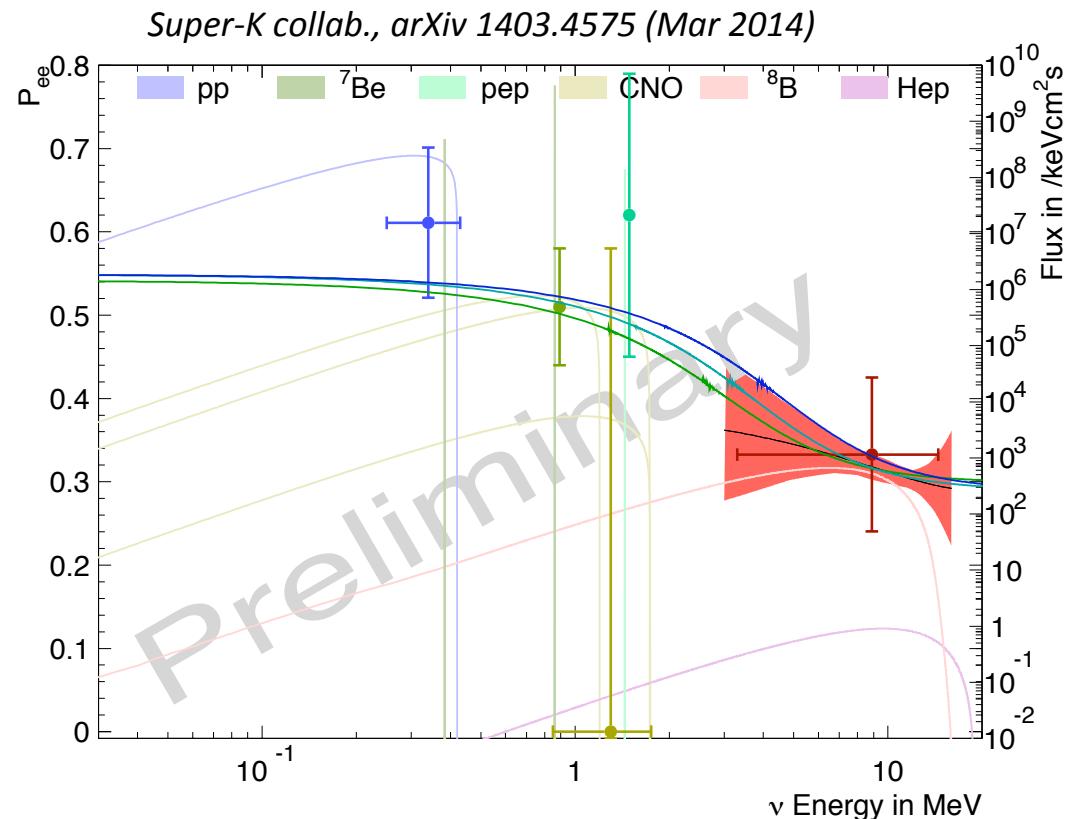
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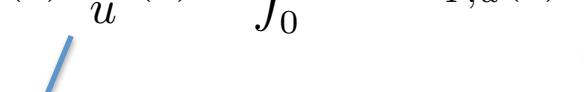


- Seeing all the solar  $\nu$  branches  
→ solving the solar composition problem

# Helioseismology

The Sun is a non radial oscillator. The observed oscillation frequencies can be used to determine the properties of the Sun. Linearizing around a known solar model:

$$\frac{\delta \nu_{nl}}{\nu_{nl}} = \int_0^R dr K_{u,Y}^{nl}(r) \frac{\delta u}{u}(r) + \int_0^R dr K_{Y,u}^{nl}(r) \delta Y + \frac{F(\nu_{nl})}{\nu_{nl}}$$


surface helium abundance  
squared isothermal sound speed

See Basu &

See Basu & Antia 07  
for a review

*Impressive agreement with SSM predictions ...*

## Surface helium abundance

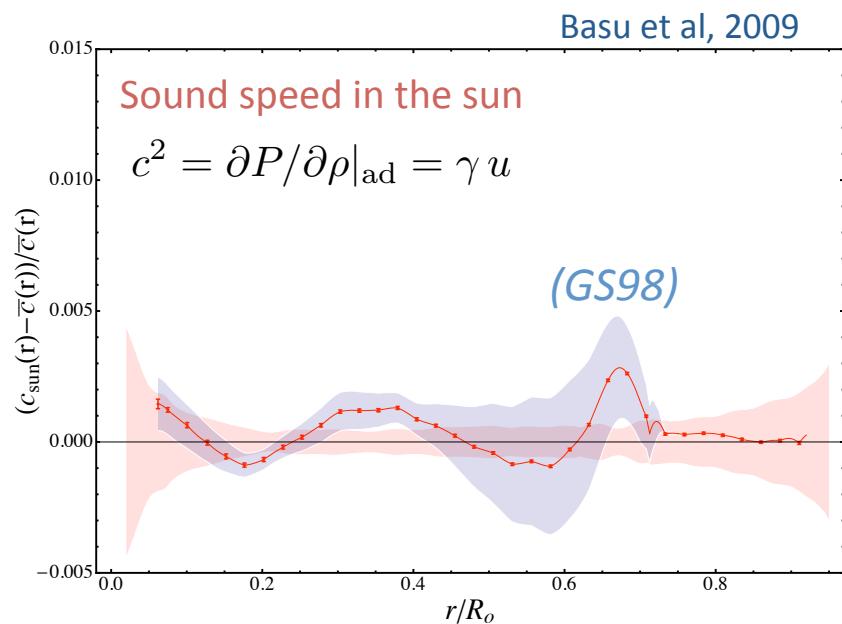
$$Y_b = 0.2485 \pm 0.0035$$

$$Y_b = 0.243 \quad (GS98)$$

## *Inner radius of the solar convective envelope*

$$R_b/R_\odot = 0.713 \pm 0.001$$

$$R_b/R_\odot = 0.712 \quad (GS98)$$



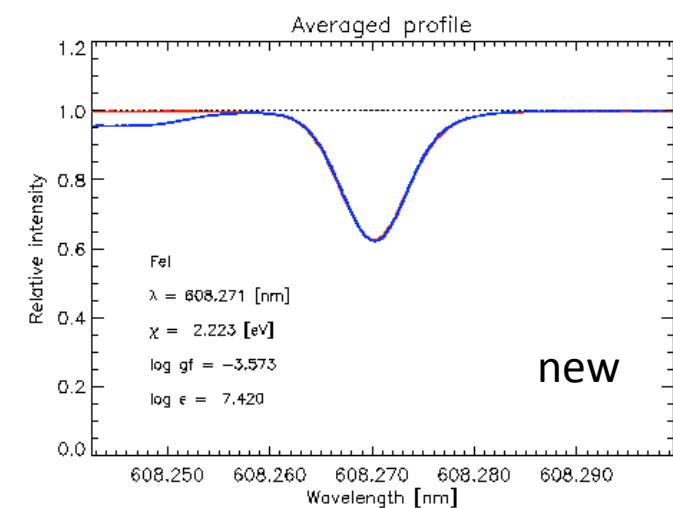
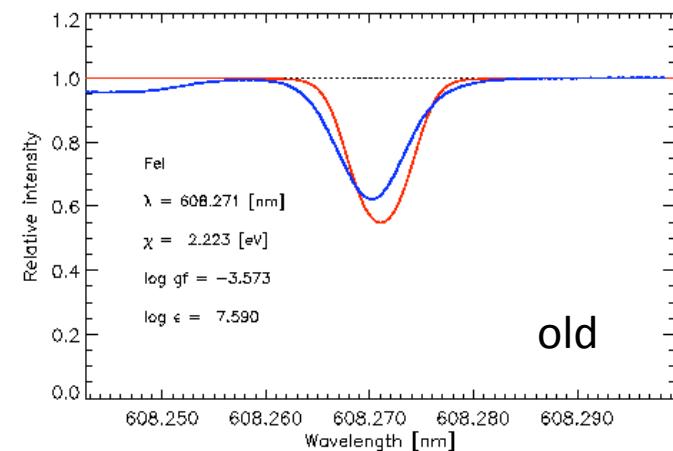
... till few years ago

Asplund et al. 05 (AGS05); Asplund et al. 09 (AGSS09)

Re-determination of the photospheric abundances of nearly all available elements (**inputs for SSM calculations**)

Improvements with respect to previous analysis<sup>(\*)</sup>:

- 3D model instead of the classical 1D model of the lower solar atmosphere
- Careful and very demanding selection of the spectral lines... AVOID blends!!! NOT TRIVIAL!!!
- Careful choice of the atomic and molecular data NOT TRIVIAL!!!!
- NLTE instead of the classical LTE hypothesis... WHEN POSSIBLE !!!
- Use of ALL indicators (atoms as well as molecules,CNO)



(\*)N. Grevesse talk at PHYSUN10

# The solar composition problem

AGS05 and AGSS09

Downward revision of heavy elements  
photospheric abundances ...

Element	GS98	AGSS09	$\delta z_i$
C	$8.52 \pm 0.06$	$8.43 \pm 0.05$	0.23
N	$7.92 \pm 0.06$	$7.83 \pm 0.05$	0.23
O	$8.83 \pm 0.06$	$8.69 \pm 0.05$	0.38
Ne	$8.08 \pm 0.06$	$7.93 \pm 0.10$	0.41
Mg	$7.58 \pm 0.01$	$7.53 \pm 0.01$	0.12
Si	$7.56 \pm 0.01$	$7.51 \pm 0.01$	0.12
S	$7.20 \pm 0.06$	$7.15 \pm 0.02$	0.12
Fe	$7.50 \pm 0.01$	$7.45 \pm 0.01$	0.12
$Z/X$	0.0229	0.0178	0.29

$$[I/H] \equiv \log(N_I/N_H) + 12$$

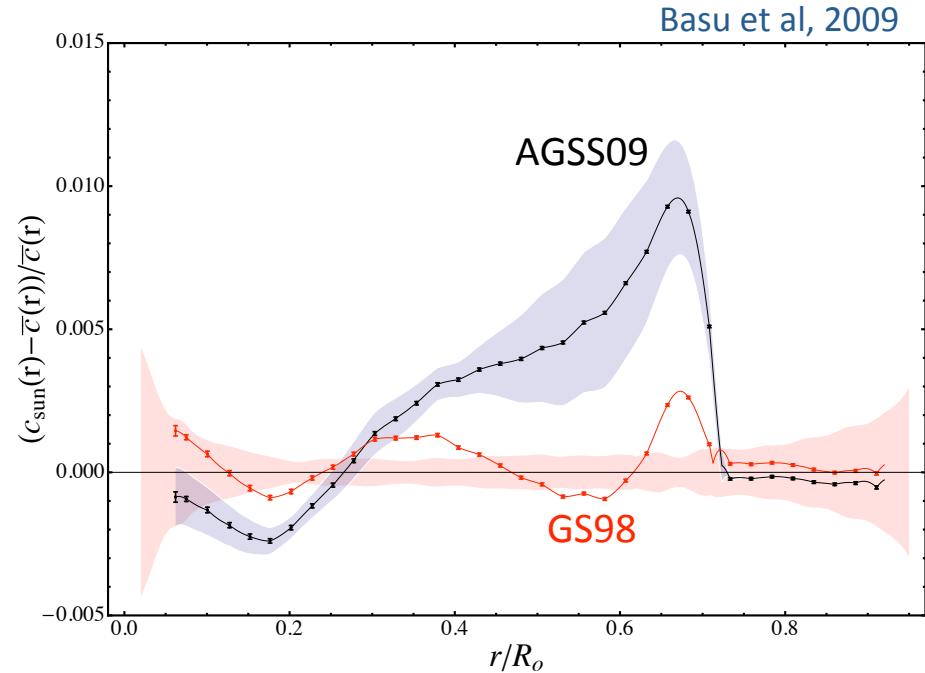
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... leads to SSMs which do not correctly reproduce helioseismic observables

	AGSS09	GS98	Obs.
$Y_b$	$0.2319(1 \pm 0.013)$	$0.2429(1 \pm 0.013)$	$0.2485 \pm 0.0035$
$R_b/R_\odot$	$0.7231(1 \pm 0.0033)$	$0.7124(1 \pm 0.0033)$	$0.713 \pm 0.001$
$\Phi_{pp}$	$6.03(1 \pm 0.005)$	$5.98(1 \pm 0.005)$	$6.05(1^{+0.003}_{-0.011})$
$\Phi_{Be}$	$4.56(1 \pm 0.06)$	$5.00(1 \pm 0.06)$	$4.82(1^{+0.05}_{-0.04})$
$\Phi_B$	$4.59(1 \pm 0.11)$	$5.58(1 \pm 0.11)$	$5.00(1 \pm 0.03)$
$\Phi_N$	$2.17(1 \pm 0.08)$	$2.96(1 \pm 0.08)$	$\leq 6.7$
$\Phi_O$	$1.56(1 \pm 0.10)$	$2.23(1 \pm 0.10)$	$\leq 3.2$

( $\approx 4\sigma$  discrepancies)

## So what ...

Is there something **wrong** or **unaccounted** in solar models?

Is the **chemical evolution** not understood (extra mixing?) or peculiar (accretion?) with respect to other stars?

Are properties of the solar matter (e.g. **opacity**) correctly described?

Is this discrepancy pointing at **new physics** (e.g. WIMPs in the solar core?)

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Note that:

It is not just the problem of deciding between AGSS09 (new) and GS98 (old and presumably wrong) abundances

→ Theory of stellar interiors confronts with stellar atmosphere models

*The Sun provide the **benchmark** for stellar evolution. If there is something wrong in solar models, then this is wrong for all the stars ...*

# A quantitative analysis of the solar composition problem

To combine observational infos, we need an estimator that is **non-biased** and that can be used as a **figure-of-merit** for solar models with different composition:

$$\chi^2 = \min_{\{\xi_I\}} \left[ \sum_Q \left( \frac{\delta Q - \sum_I \xi_I C_{Q,I}}{U_Q} \right)^2 + \sum_I \xi_I^2 \right]. \quad \text{Fogli et al. 2002}$$

$$\delta Q = \frac{Q_{\text{obs}} - Q}{Q}$$

where:

$$\{\delta Q\} = \{\delta\Phi_B, \delta\Phi_{Be}, \delta Y_b, \delta R_b; \delta c_1, \delta c_2, \dots, \delta c_{30}\}$$

${}^7\text{Be}$  and  ${}^8\text{B}$  neutrino fluxes

Surface helium and convective radius

Sound speed data points (from Basu et al, 2009)

and:  $\begin{cases} U_Q & \text{Uncorrelated (observational) errors} \\ C_{Q,I} & \text{Correlated (systematical) uncertainties} \end{cases}$

We consider 18 input parameters:

$$\{I\} = \{\text{opa, age, diffu, lum, } S_{11}, S_{33}, S_{34}, S_{17}, S_{e7}, S_{1,14}, S_{\text{hep}}, \text{C, N, O, Ne, Mg, Si, S, Fe}\} \quad \begin{array}{l} \text{Enviromental} \\ \text{Nuclear} \\ \text{Composition} \end{array}$$

## The status of the AGSS09 standard solar model

The SSM implementing the AGSS09 composition provides a poor fit of the observational data ( $\chi^2/\text{d.o.f.} = 72.5/34$ ;  $\chi^2_{\text{obs}} = 42.9$  ;  $\chi^2_{\text{syst}} = 29.6$ )

$$\chi^2 \equiv \chi^2_{\text{obs}} + \chi^2_{\text{syst}} = \sum_Q \tilde{X}_Q^2 + \sum_I \tilde{\xi}_I^2$$

$$\begin{aligned}\bar{\xi}_I &\equiv \textcolor{red}{\text{Pulls of systematic}} \\ \tilde{X}_Q &\equiv \frac{\delta Q_{\text{obs}} - \sum_I \tilde{\xi}_I C_{Q,I}}{U_Q}\end{aligned}$$

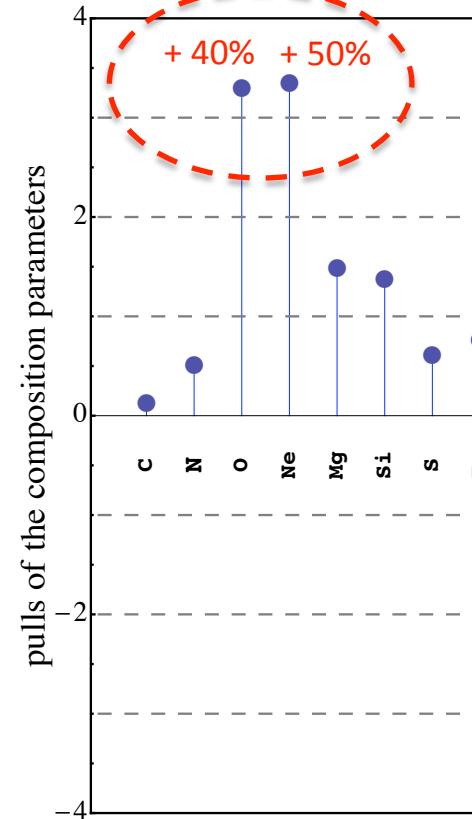
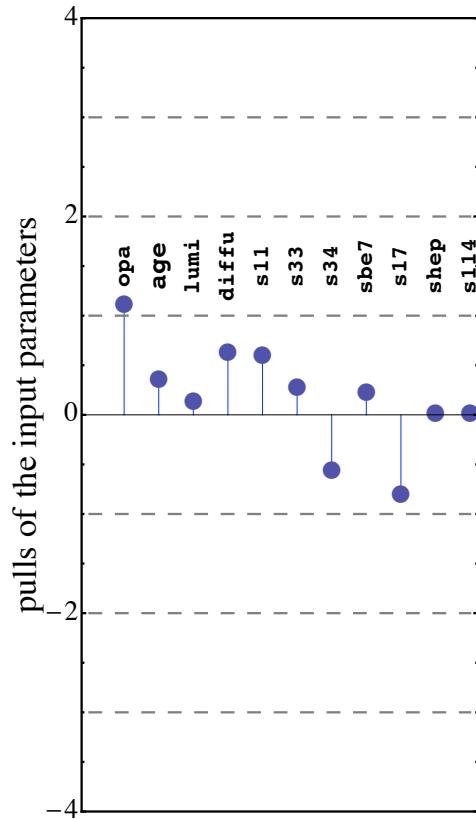
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The distribution of the pulls of systematics highlight tensions in the model:



*Obs. data requires an increase of the metal abundance of the sun, in particular for light elements (O, Ne).*

## Inferring the solar composition ...

We take the **surface abundances** (with respect to hydrogen) as free parameters:

$$z_j \equiv Z_{j,b} / X_b$$

We group metals according to the method by which they are determined

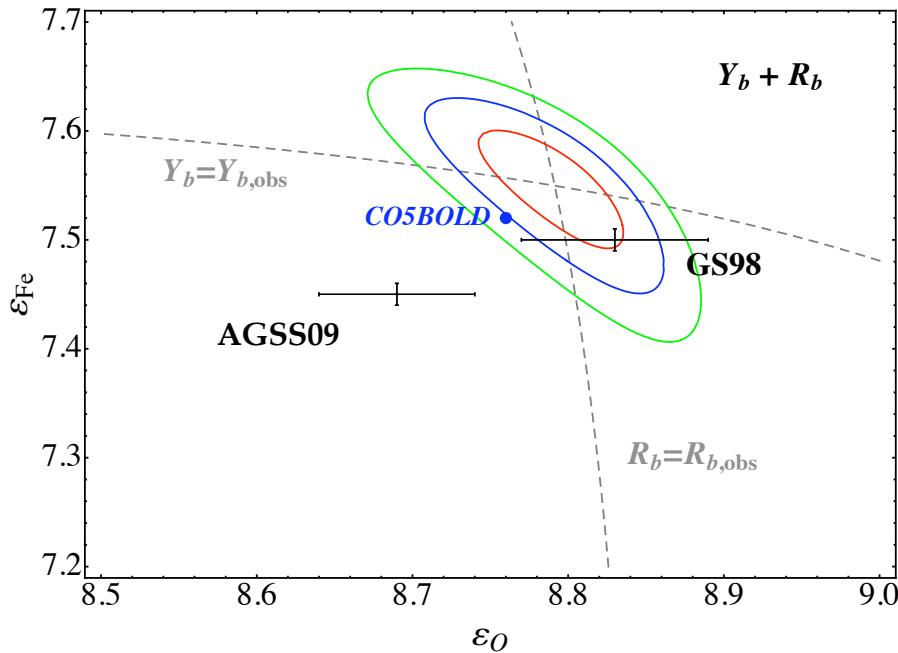
$$1 + \delta z_{\text{CNO}} \equiv \frac{z_{\text{C}}}{\bar{z}_{\text{C}}} \equiv \frac{z_{\text{N}}}{\bar{z}_{\text{N}}} \equiv \frac{z_{\text{O}}}{\bar{z}_{\text{O}}} \quad (\textit{photosphere})$$

$$1 + \delta z_{\text{Ne}} \equiv \frac{z_{\text{Ne}}}{\bar{z}_{\text{Ne}}} \quad (\textit{chromosphere and corona})$$

$$1 + \delta z_{\text{Heavy}} \equiv \frac{z_{\text{Mg}}}{\bar{z}_{\text{Mg}}} \equiv \frac{z_{\text{Si}}}{\bar{z}_{\text{Si}}} \equiv \frac{z_{\text{S}}}{\bar{z}_{\text{S}}} \equiv \frac{z_{\text{Fe}}}{\bar{z}_{\text{Fe}}} \quad (\textit{meteorites})$$

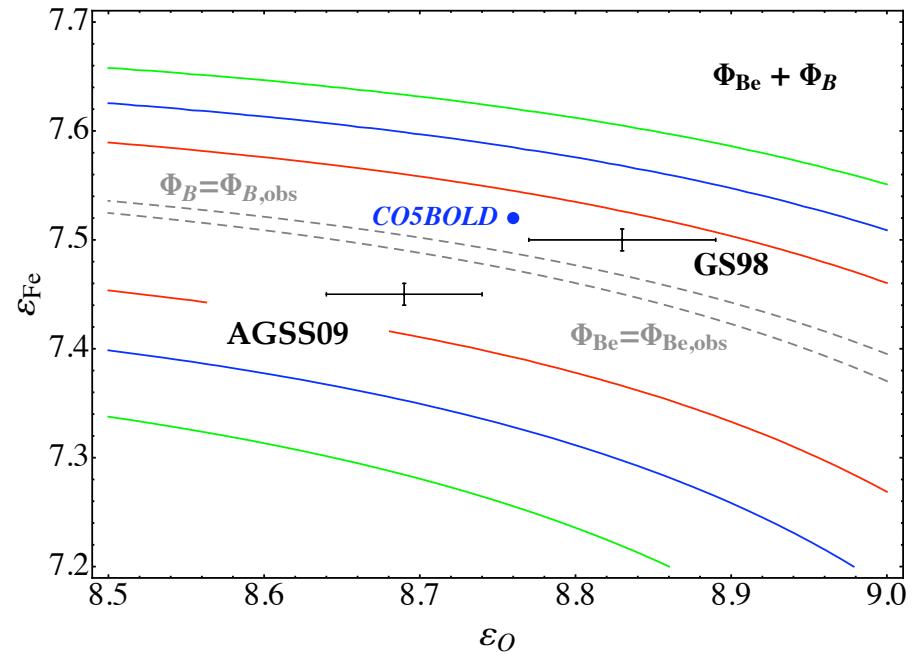
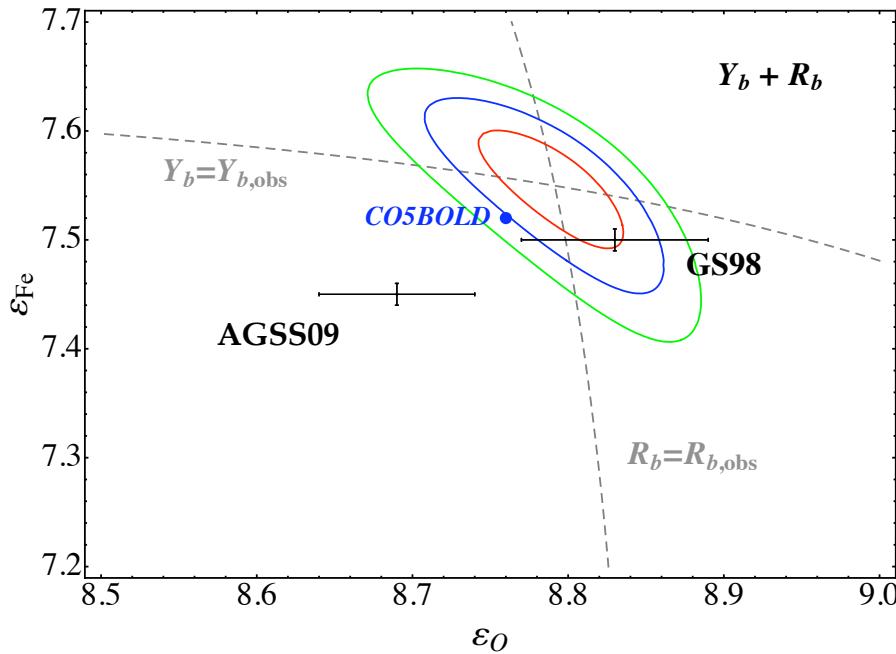
We infer the **best-fit composition** by minimizing the  $\chi^2$

## Two parameter analysis ( $\delta Z_{\text{CNO}} = \delta Z_{\text{Ne}}$ ; $\delta Z_{\text{Heavy}}$ )



- Results are presented by using the astronomical scale for logarithmic abundances  $\varepsilon_j$  in order to facilitate comparison with obs. data.
- The coloured lines are obtained by cutting at 1, 2, 3  $\sigma$  confidence levels.
- The data points show the obs. values (and 1 $\sigma$  errors) for oxygen and iron abundances in the AGSS09, GS98 and CO5BOLD compilations.

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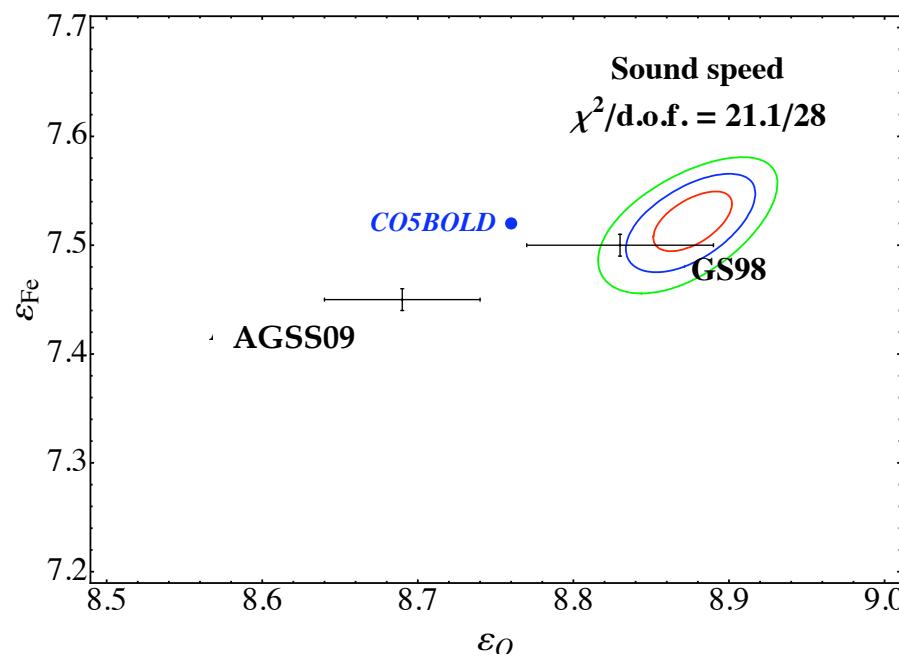
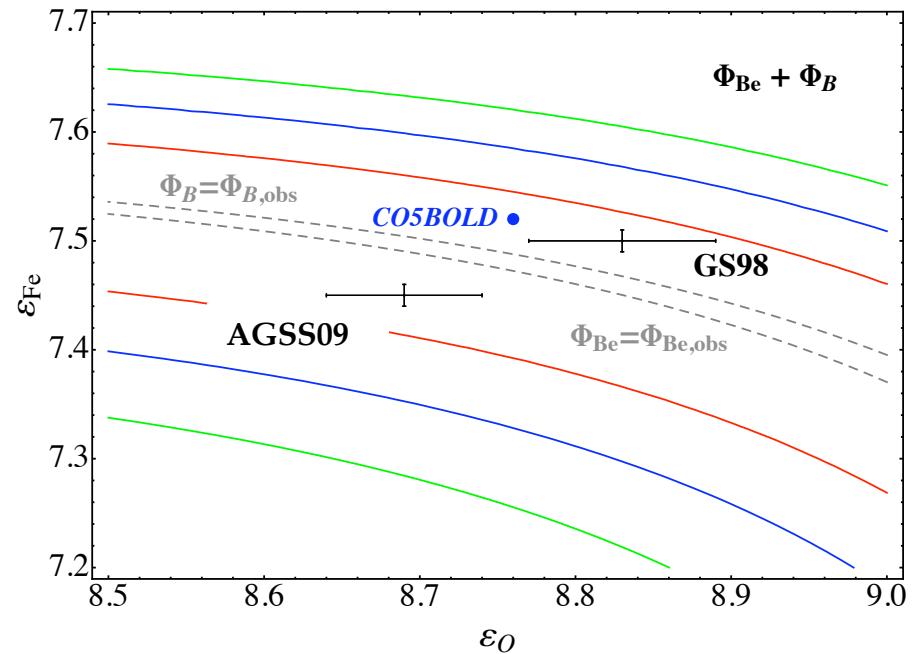
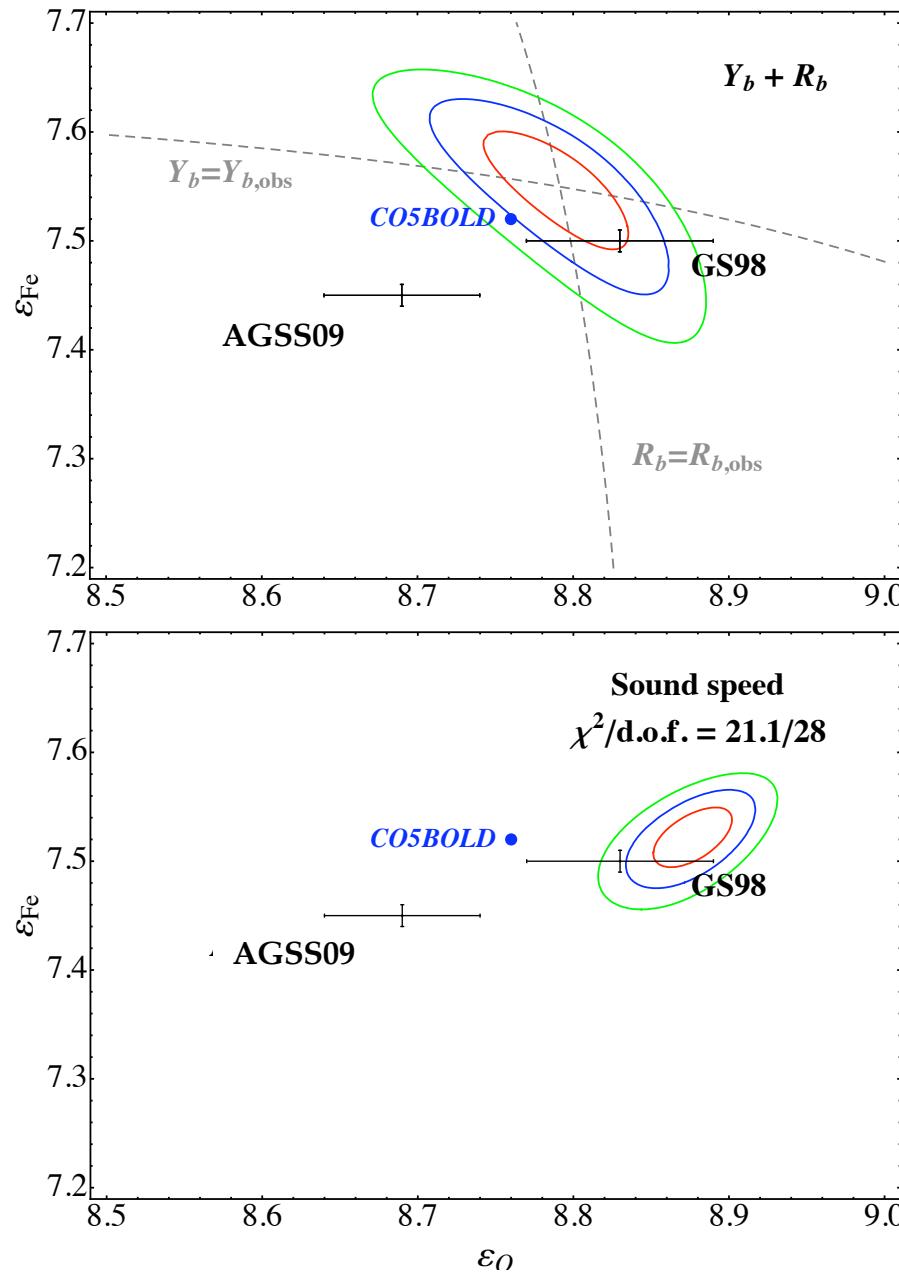


Note that: the error budget for  $^8\text{B}$  and  $^7\text{Be}$  neutrinos is dominated by systematical uncertainties

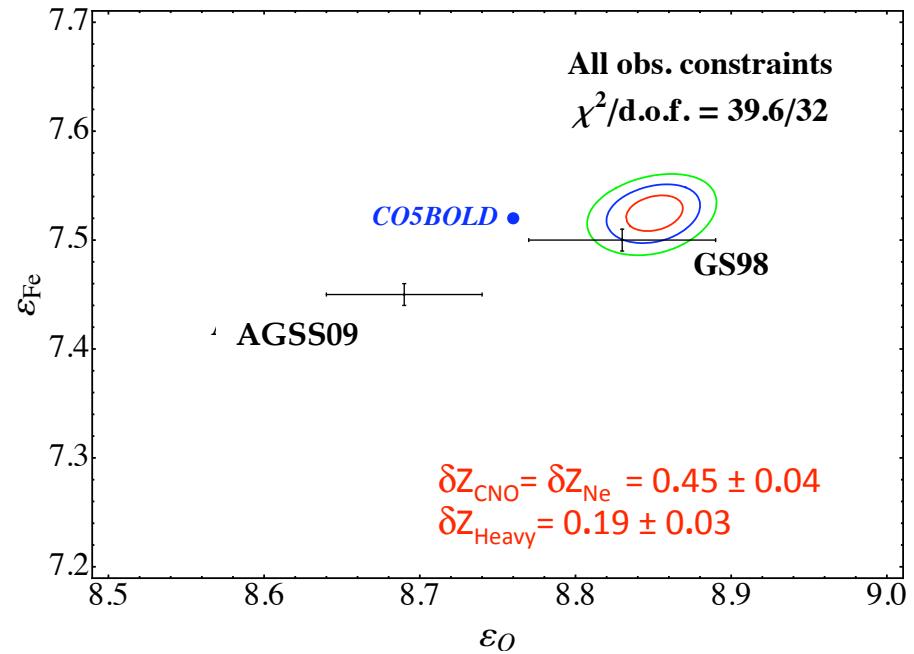
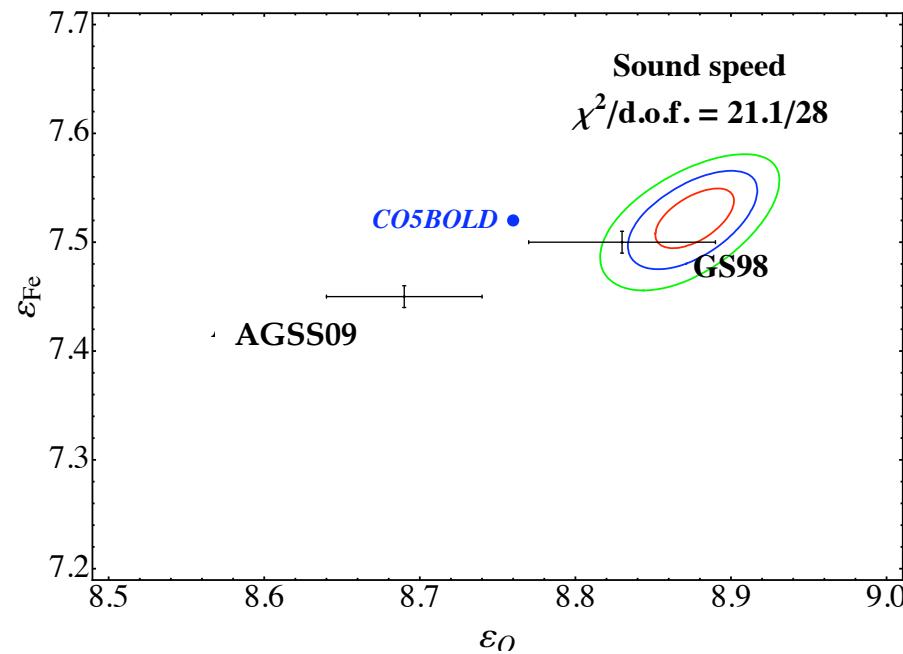
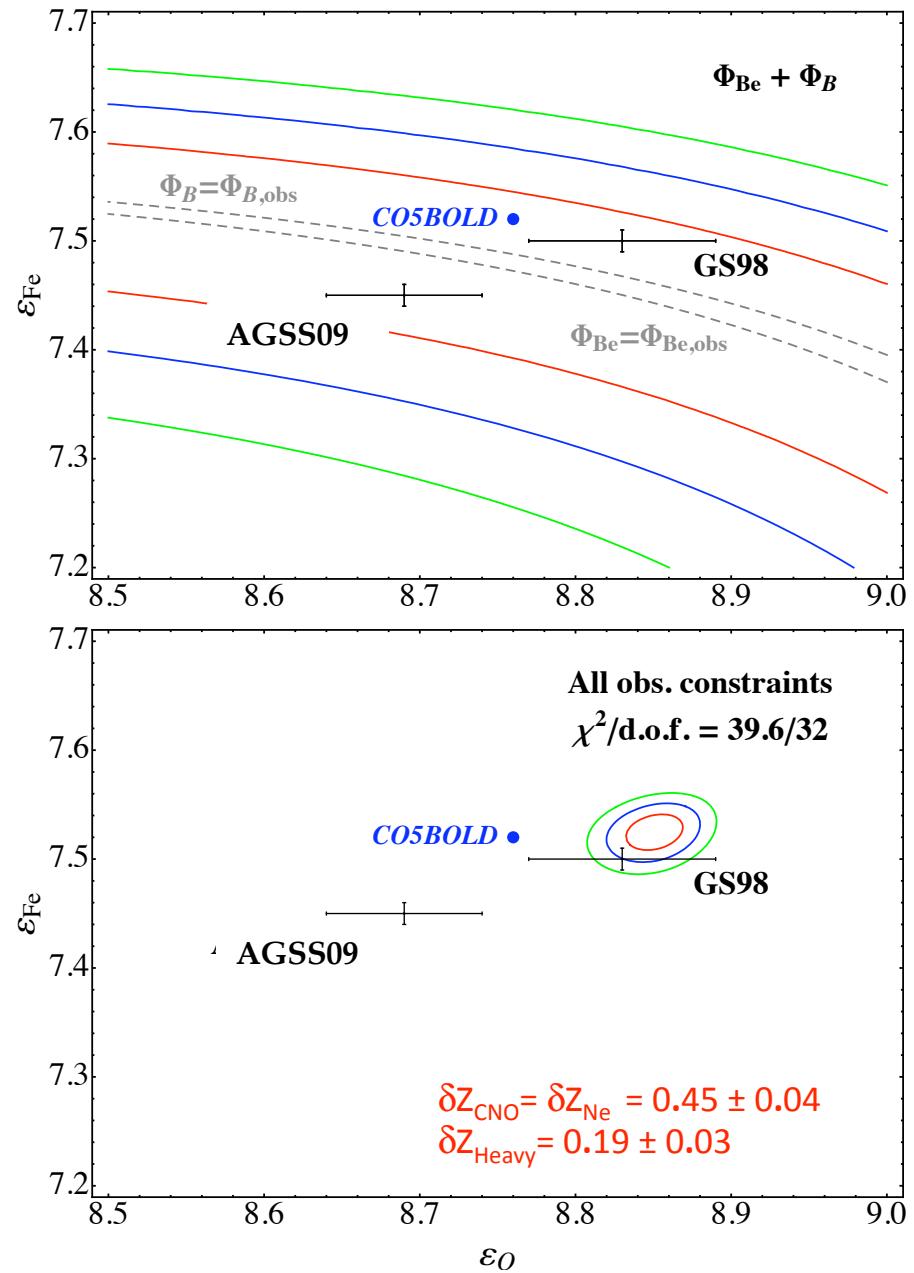
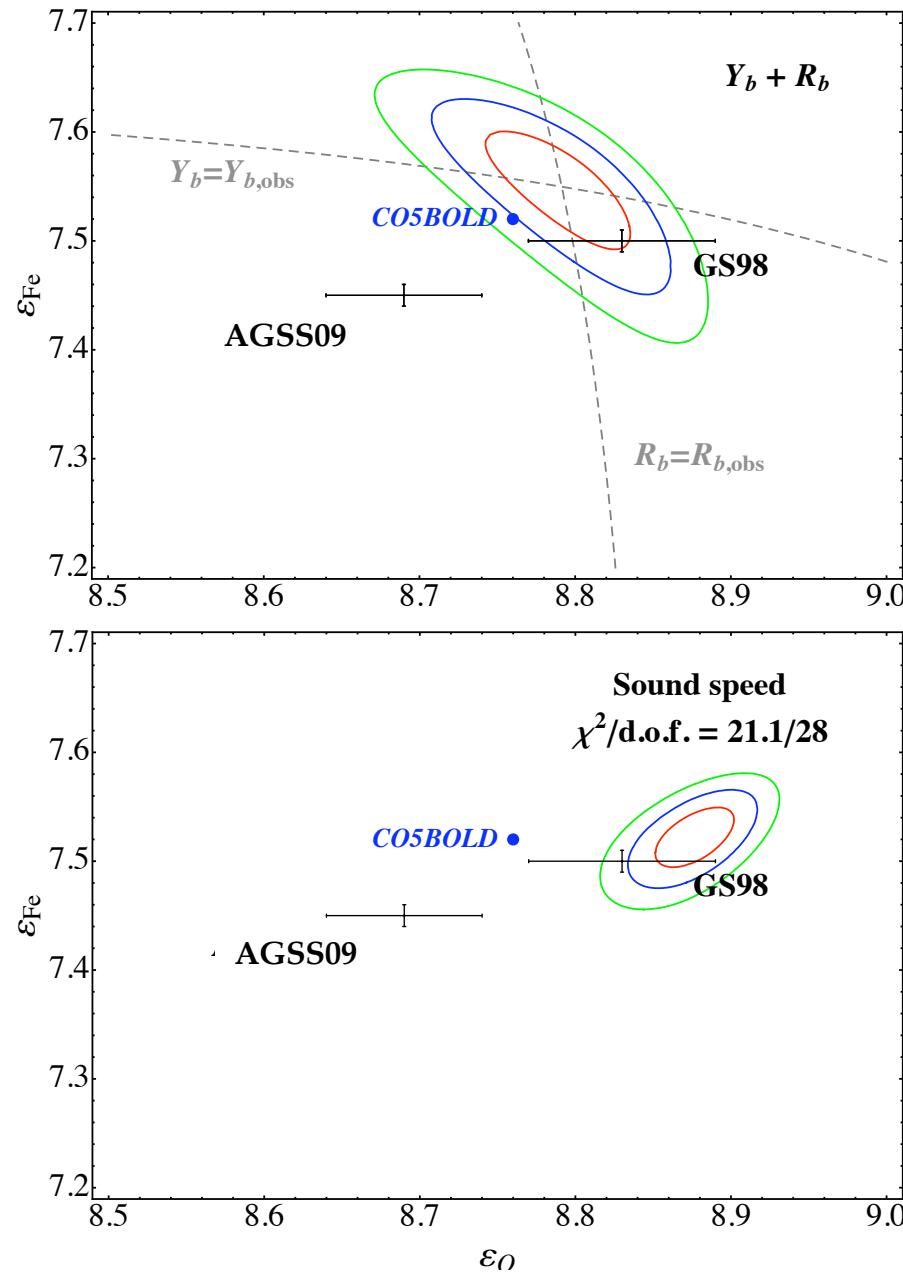
	Age	Diffu	Lum	$S_{11}$	$S_{33}$	$S_{34}$	$S_{17}$	$S_{e7}$	$S_{1,14}$	0pa
$Y_b$	-0.001	-0.012	0.002	0.001	0	0.001	0	0	0.	0.0036
$R_b$	-0.0004	-0.0029	-0.0001	-0.0006	0.0001	-0.0002	0	0	0	0.0014
$\Phi_{\text{pp}}$	0	-0.002	0.003	0.001	0.002	-0.003	0	0	0	-0.0008
$\Phi_{\text{Be}}$	0.003	0.022	0.014	-0.010	-0.023	0.047	0	0	0	0.009
$\Phi_B$	0.006	0.044	0.029	-0.025	-0.022	0.046	0.075	-0.02	0	0.020
$\Phi_N$	0.004	0.054	0.018	-0.019	0.001	-0.003	0	0	0.051	0.013
$\Phi_O$	0.006	0.062	0.024	-0.027	0.001	-0.002	0	0	0.072	0.018

Table 1: The contributions  $C_{Q,I}$  to uncertainties in theoretical predictions for helioseismic observables and solar neutrino fluxes.

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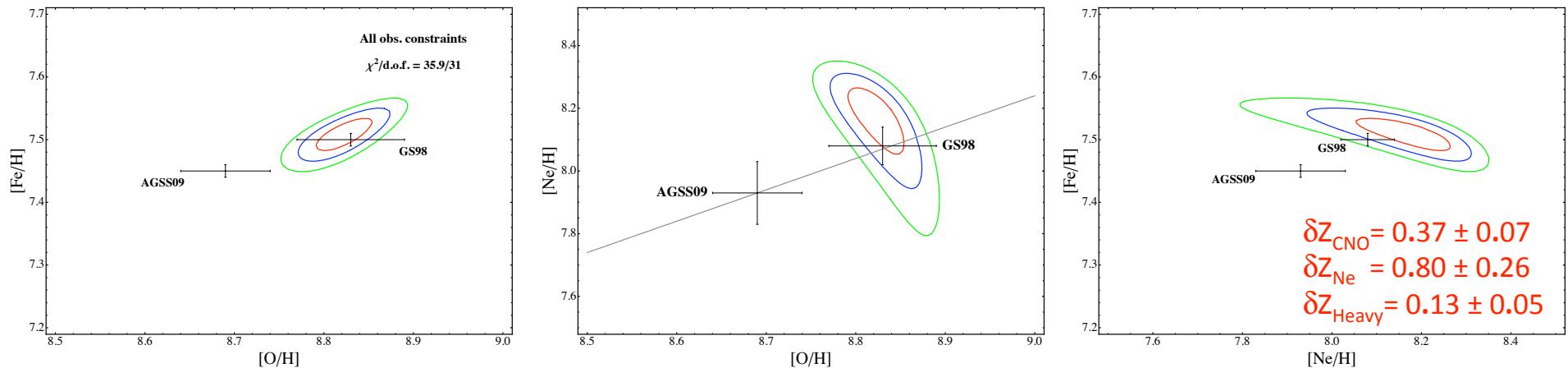


## Two parameter analysis ( $\delta Z_{\text{CNO}} = \delta Z_{\text{Ne}}$ ; $\delta Z_{\text{Heavy}}$ )

- ❖ The AGSS09 composition is **excluded** at an high confidence level being  $\chi^2/\text{d.o.f.} = 176.7/32$ .
- ❖ Substantial agreement between the infos provided by the various observational constraints. The quality of the fit is quite good being  $\chi^2/\text{d.o.f.} = 39.6/32$ .
- ❖ The best-fit abundances are **consistent** at 1 sigma with **GS98**.
- ❖ The **errors** on the inferred abundances **are smaller** than what is obtained by observational determinations.
- ❖ The **CNO neutrino fluxes** are expected to be ~50% larger than predicted by AGSS09 (this result, however, depends on the assumed heavy element grouping).

## Three parameter analysis ( $\delta Z_{\text{CNO}}$ ; $\delta Z_{\text{Ne}}$ ; $\delta Z_{\text{Heavy}}$ )

Prior: Neon-to-oxygen ratio forced at the AGSS09 value with 30% accuracy

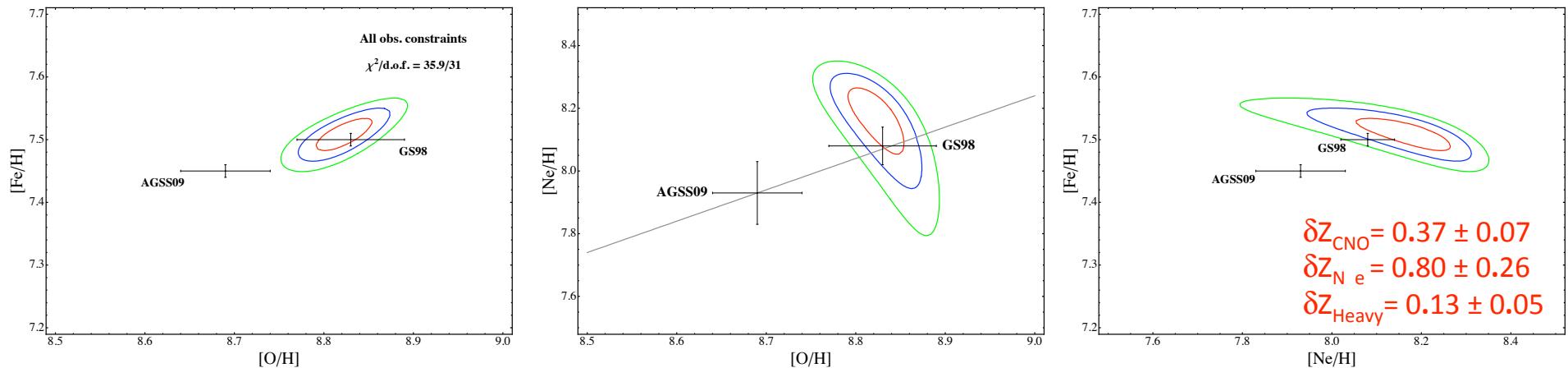


GS98 still favored by observational data but:

- errors in the inferred abundances larger than before;
- degeneracies appear among the various  $\delta Z_i$ ;
- obs.data do not effectively constrain the Ne/O ratio (we recover the prior).

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Prior: Neon-to-oxygen ratio forced at the AGSS09 value with 30% accuracy



GS98 still favored by observational data but:

- errors in the inferred abundances larger than before;
- degeneracies appear among the various  $\delta Z_i$ ;
- obs.data do not effectively constrain the Ne/O ratio (we recover the prior).

*What data are really saying us? ...*

# Metals in the Sun

- Metals give a **substantial** contribution to **opacity**:

Energy producing region ( $R < 0.3 R_o$ )

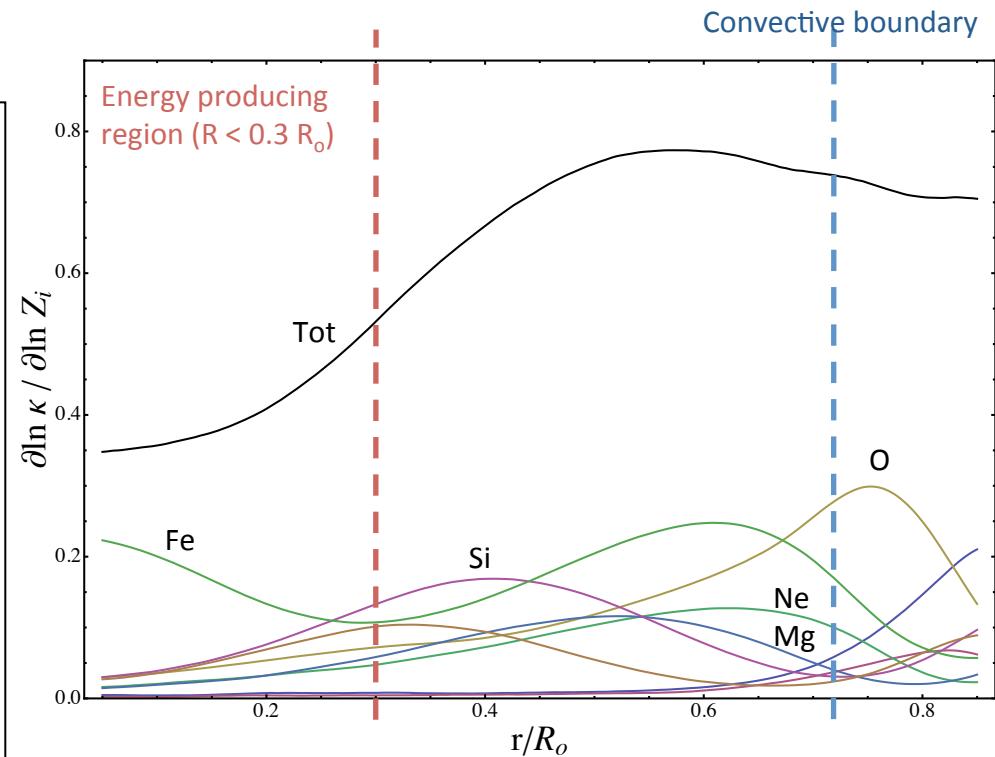
$$\kappa_Z \approx \frac{1}{2} \kappa_{tot}$$

Fe gives the largest contribution.

Outer radiative region  
( $0.3 < R < 0.73 R_o$ )

$$\kappa_Z \sim 0.8 \kappa_{tot}$$

Relevant contributions from several diff. elements (O,Fe,Si,Ne,...)



*Composition opacity change:*

$$\delta \kappa_Z(r) \simeq \sum_j \frac{\partial \ln \kappa(r)}{\partial \ln Z_j} \delta z_j$$



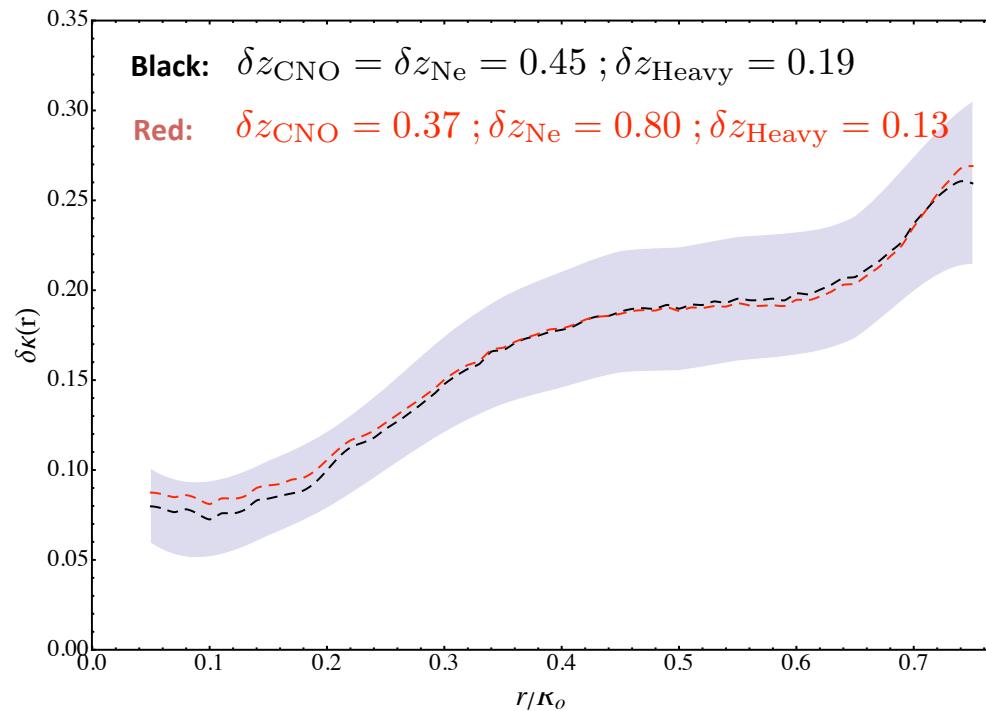
F.L. Villante and B. Ricci - *Astrophys.J.* 714:944-959, 2010

F.L. Villante – *Astrophys.J.* 724:98-110, 2010

What we know about the opacity profile of the present sun?

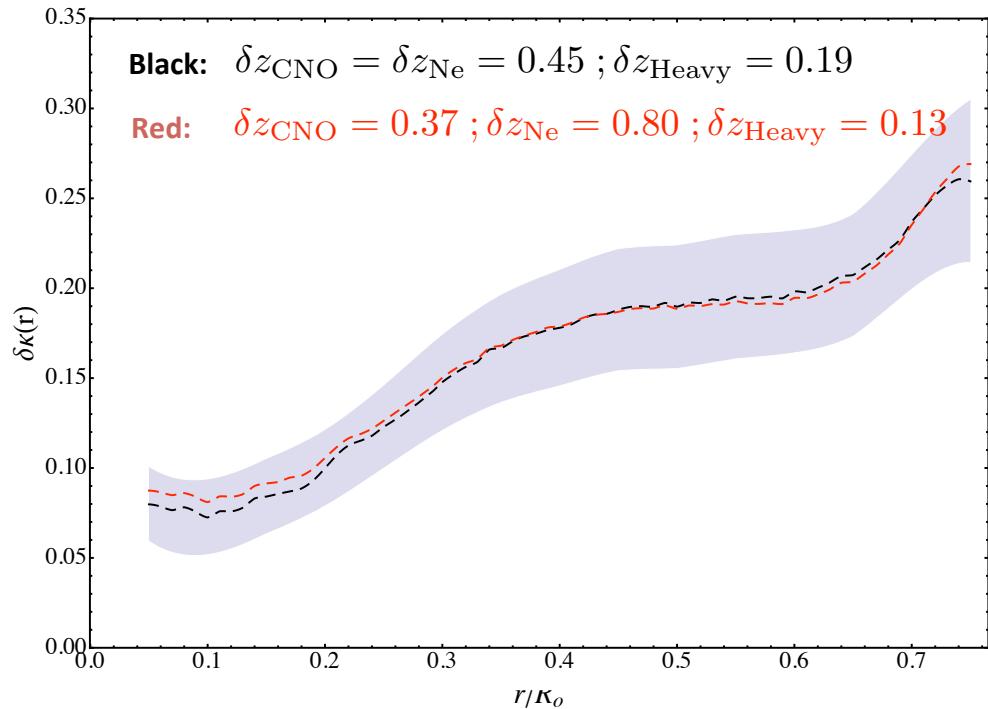
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Are there other effects that can provide the required opacity change?

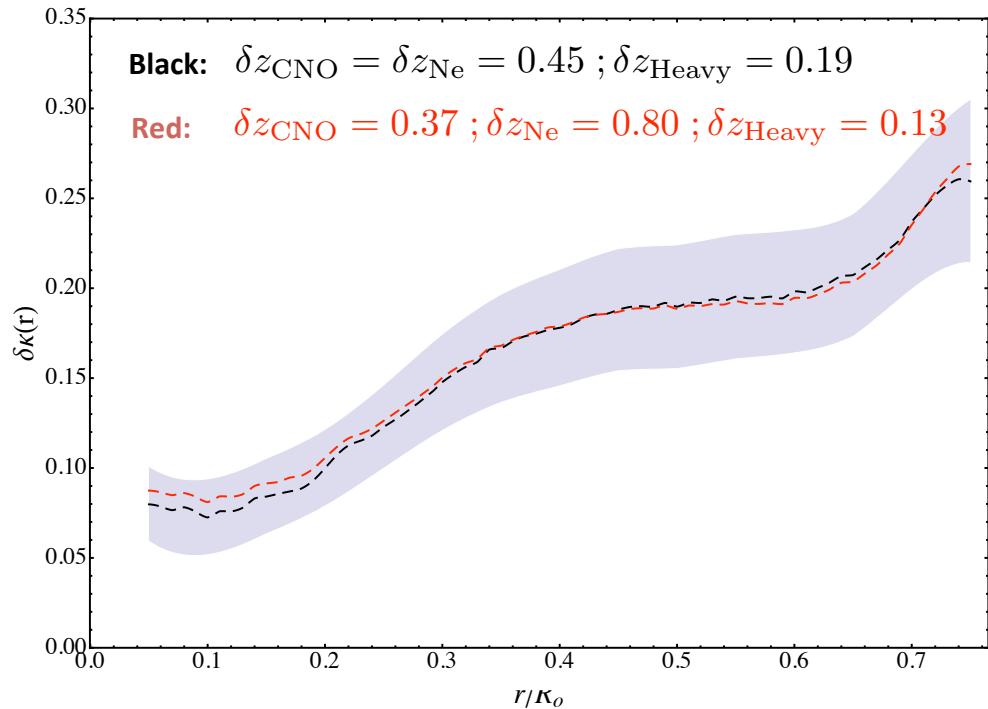
Wrong **opacity** calculations? → the required variations seems large wrt uncertainties

Different **distribution of metals** in the Sun? → According to the standard assumption, metals are nearly homogeneous in the sun (elemental diffusion is responsible for a slight increase at the solar center). Is this an oversimplified picture of chemical evolution?

Is this discrepancy pointing at **new physics** (e.g. WIMPs in the solar core?)

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*... Not just a problem of AGSS09.vs.GS98*

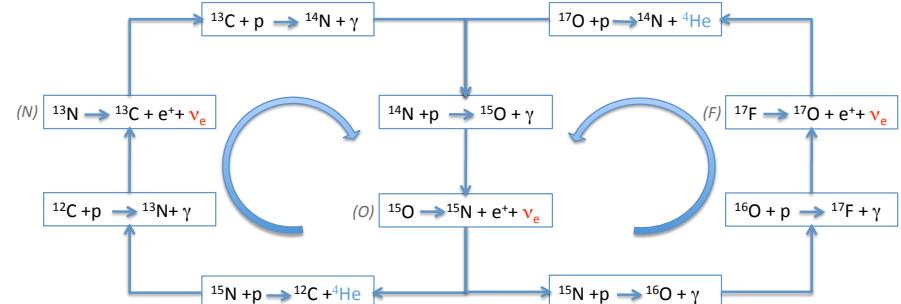
# CNO neutrinos

CNO neutrinos break the degeneracy between opacity and metals:

$$1 + \delta\Phi_\nu = (1 + \delta X_{\text{CN}}) \left[ 1 + \int dr K_\nu(r) \delta\kappa(r) \right]$$

$\downarrow$

$$X_{\text{CN}} \equiv X_{\text{C}}/12 + X_{\text{N}}/14$$



Determines the central temperature

Total number of catalysts for CN-cycle

At present, we only have a loose upper limit on CNO neutrino fluxes:

$\nu$ flux	GS98	AGSS09	Solar
$^{13}\text{N}$ ( $10^8 \text{ cm}^{-2} \text{ s}^{-1}$ )	$2.96(1 \pm 0.14)$	$2.17(1 \pm 0.14)$	$\leq 6.7$
$^{15}\text{O}$ ( $10^8 \text{ cm}^{-2} \text{ s}^{-1}$ )	$2.23(1 \pm 0.15)$	$1.56(1 \pm 0.15)$	$\leq 3.3$
$^{17}\text{F}$ ( $10^6 \text{ cm}^{-2} \text{ s}^{-1}$ )	$5.52(1 \pm 0.17)$	$3.04(1 \pm 0.16)$	$\leq 59$

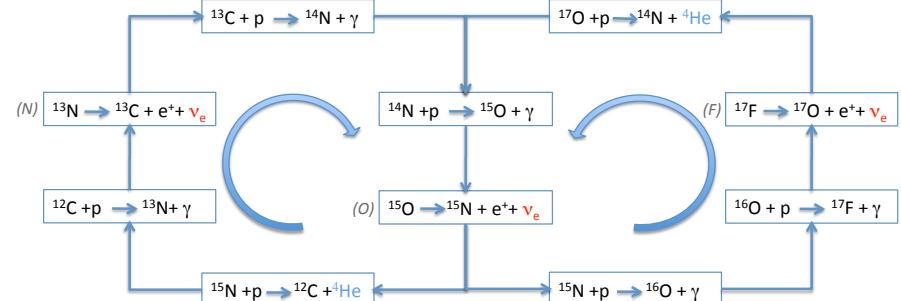
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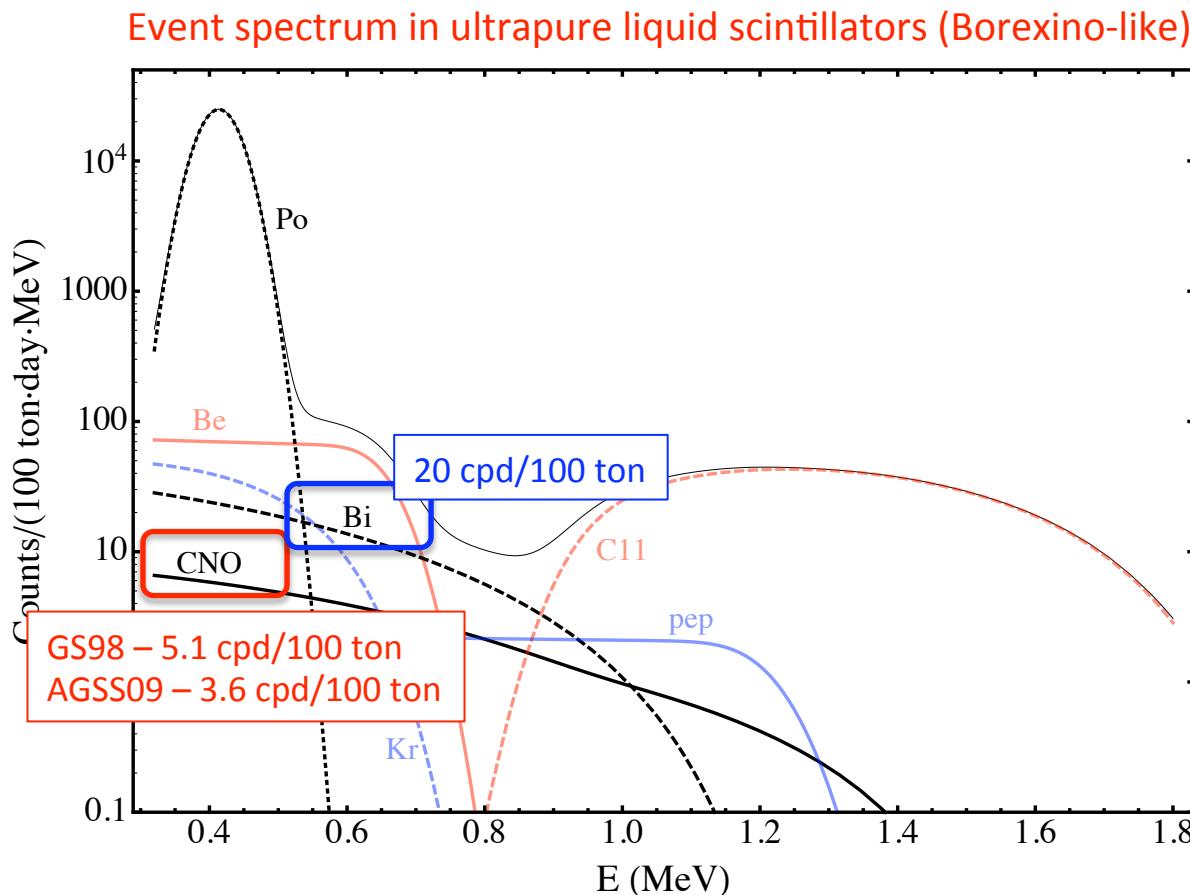
Will it be possible to detect CNO neutrino?

*Very difficult, in practice. Not impossible, in principle .....*

# Is it possible to observe CNO neutrinos in LS?

The detection of CNO neutrinos is very difficult:

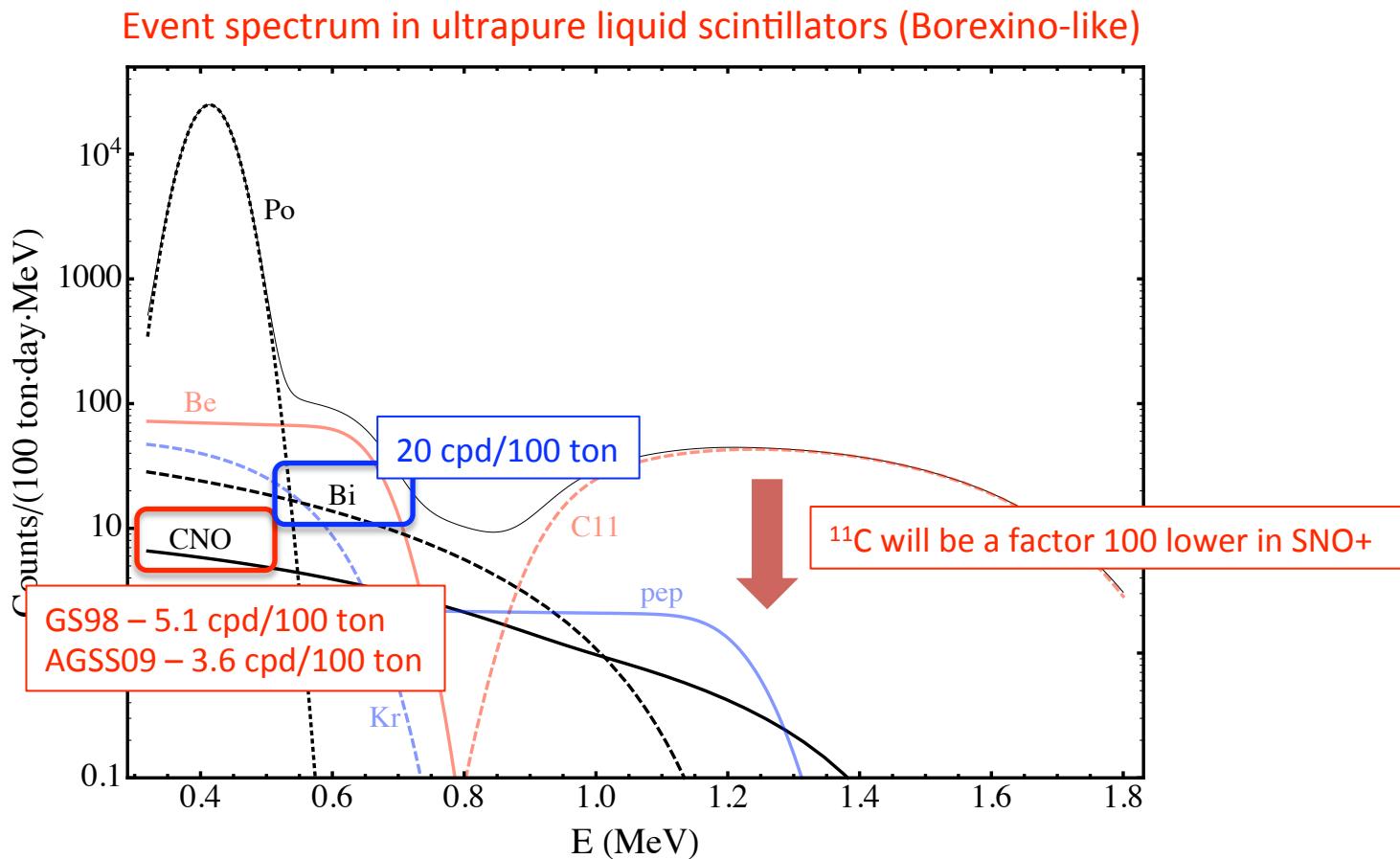
- Low energy neutrinos → endpoint at about 1.5 MeV
- Continuous spectra → do not produce recognizable features in the data.
- Limited by the background produced by beta decay of  $^{210}\text{Bi}$ .



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# Summary and conclusions

- ♦ Solar neutrino physics is still interesting
- ♦ The **solar composition** problem is open and is potentially pointing at inadequacy in standard solar model paradigm.
- ♦ Hopefully, **all the components** of the solar neutrino flux measurements (**pp, CNO**) will be directly determined in the future.
- ♦ CNO neutrino detection requires careful bkgd evaluation in existing or next future LS detectors and/or new experimental approaches.  
(see Orebi-Gann@Neutrino2014 for a discussion of future expt. techniques)

# Bibliography

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*F.L. Villante et al. – In preparation*

- Linear Solar Models: a tool to investigate the solar interior

*F.L. Villante and B. Ricci - Astrophys.J.714:944-959,2010*

*F.L. Villante - J.Phys.Conf.Ser.203:012084,2010*

- Application: what we know about opacity and metals in the sun

*F.L. Villante – Astrophys.J.724:98-110,2010*

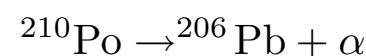
- A step toward CNO neutrino detection

*F.L. Villante et al. - Phys.Lett. B701 (2011) 336-341*

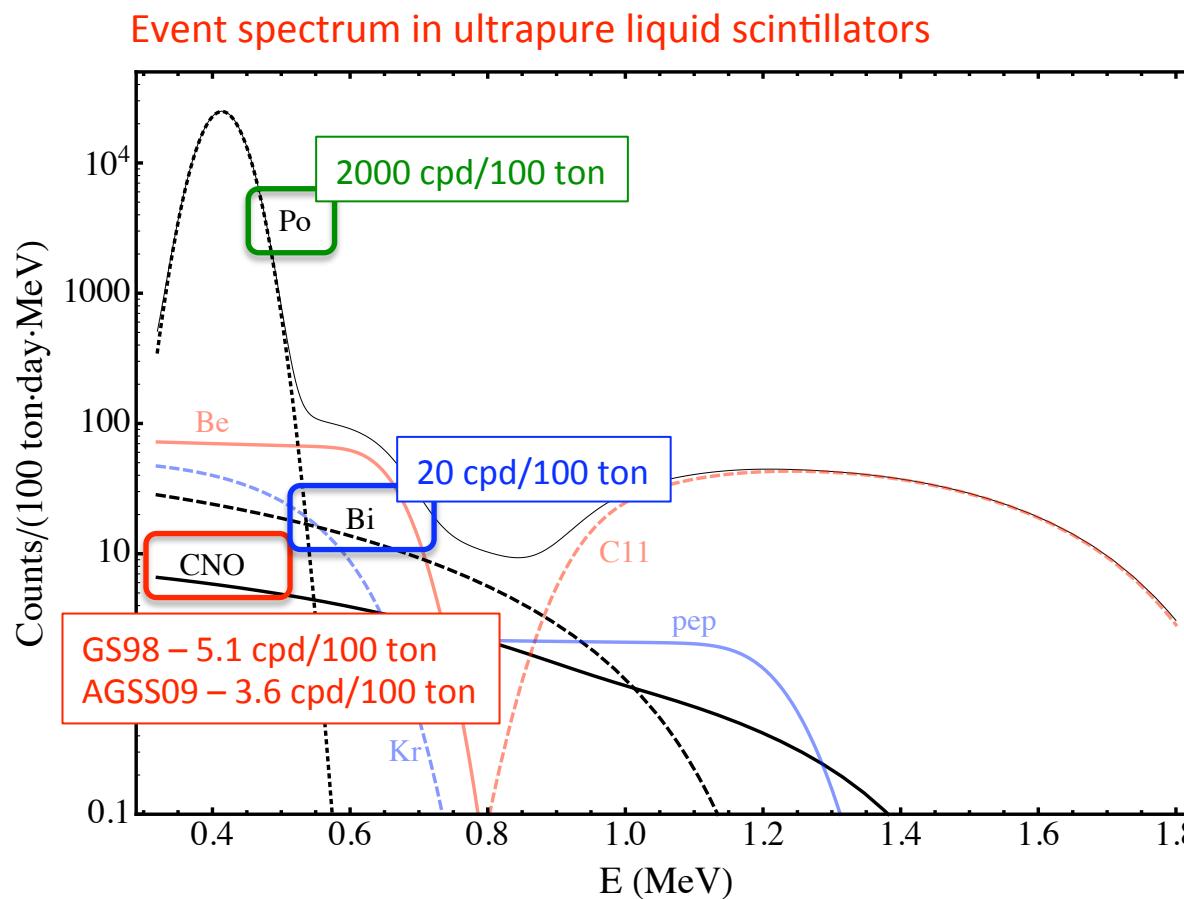
# Determining $^{210}\text{Bi}$ with the help of $^{210}\text{Po}$ ?



$$t_{\text{Bi}} = 7.232 \text{ d}$$



$$t_{\text{Po}} = 199.634 \text{ d}$$



Deviations from the exponential decay law of Po210 can be used to determine Bi210:

$$n_{\text{Po}}(t) = [n_{\text{Po},0} - n_{\text{Bi}}] \exp(-t/\tau_{\text{Po}}) + n_{\text{Bi}}$$

Expected accuracy:

$$\Delta n_{\text{Bi}} \simeq \sqrt{\frac{n_{\text{Po},0}}{\tau_{\text{Po}} M}} f(\Delta t)$$

$$f(\Delta t) = \left( \frac{2 \tau_{\text{Po}}}{\Delta t} \right) e^{-\frac{\Delta t}{4\tau_{\text{Po}}}} \sqrt{\frac{1 + e^{-\frac{\Delta t}{2\tau_{\text{Po}}}}}{1 - e^{-\frac{\Delta t}{2\tau_{\text{Po}}}}}}$$

