

# Fast Luminosity Monitoring Using Diamond Sensors For The Super Luminous Flavor Factory SuperKEKB



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# Outline

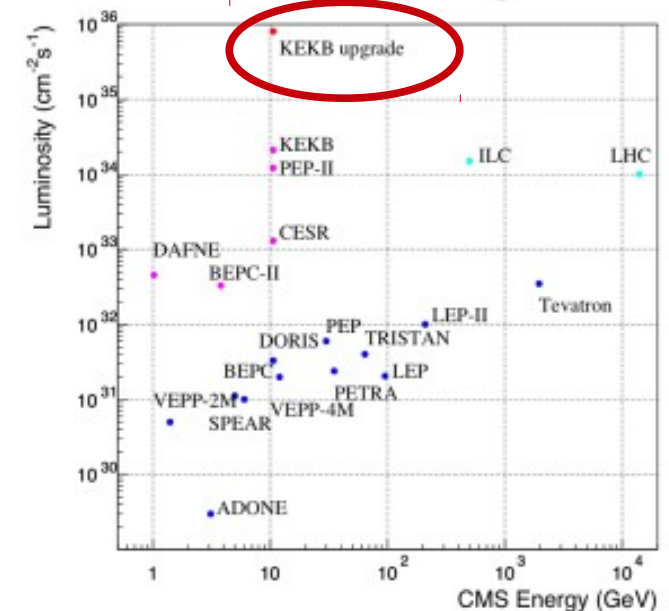
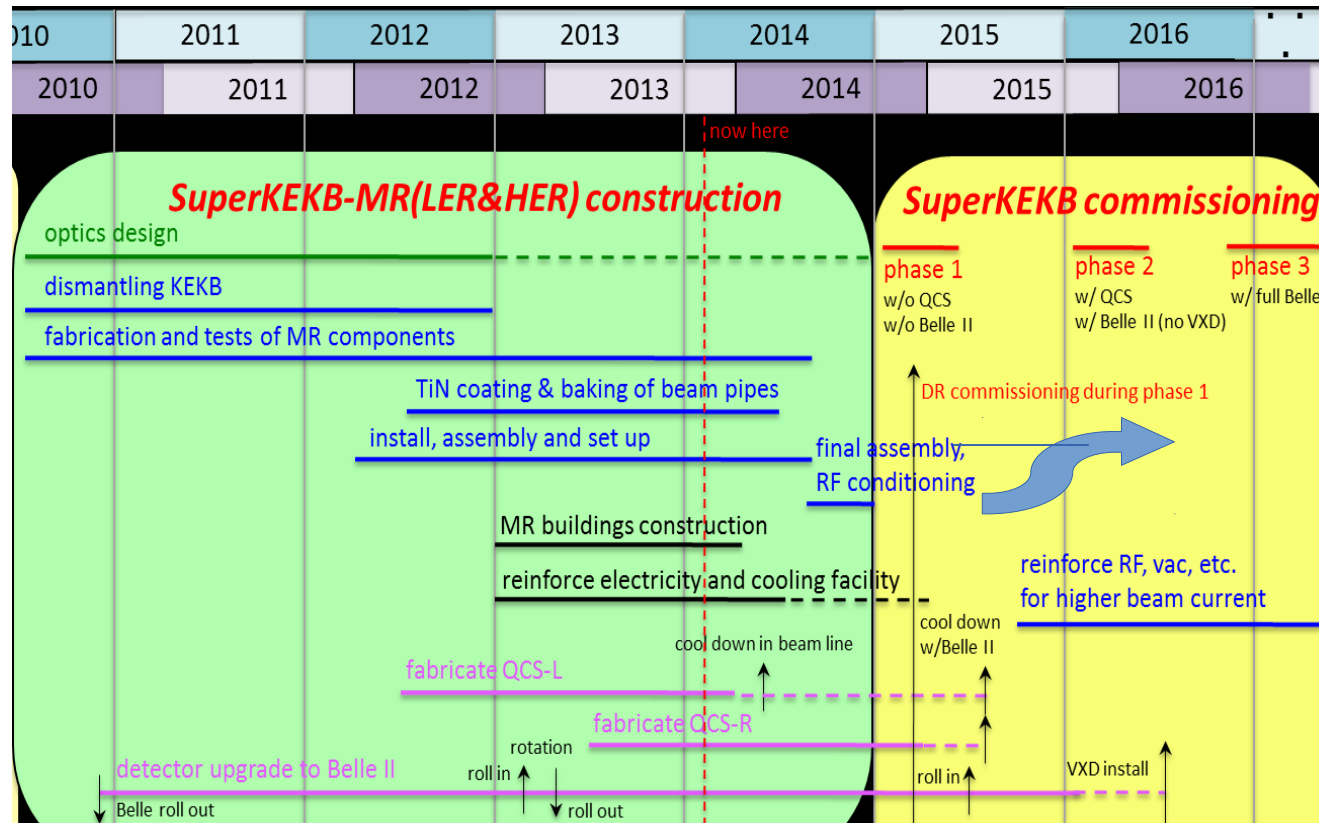
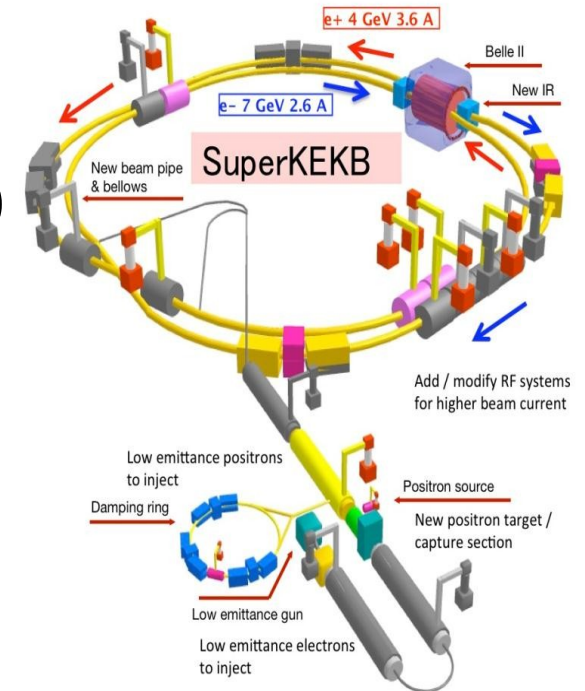
- Thesis activities and goals
- SuperKEKB: Definition and Status
- Fast luminosity monitoring:
  - ✓ Sensor location in LER
  - ✓ Geometry of the vacuum chamber
  - ✓ HER
- Preliminary results on Cherenkov and Scintillator detectors
- Readout and electronics
- Conclusion & Next Plans

# Thesis Activities And Goals

- Development of methodology for fast monitoring of the SuperKEKB high luminosity B meson factory
- Characterisation of diamond sensor technology
- Beam dynamics simulation to establish optimal measurement locations
- GEANT4 simulation to optimise mechanical set-up and define readout of the ZDLM of Belle II experiment at SuperKEKB
- Simulation of Background processes (ex: Beam-gas Bremsstrahlung)
- Installation and first tests at KEK during beam commissioning
- Development and implementation of fast analog electronic shaping and fast digitisation for on-line bunch-to-bunch and overall luminosity averaging

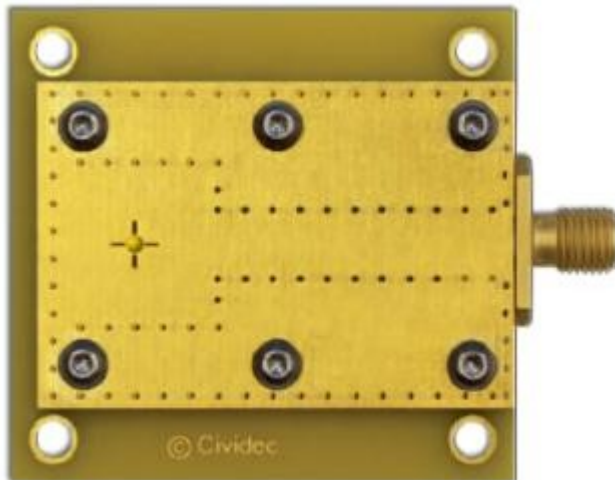
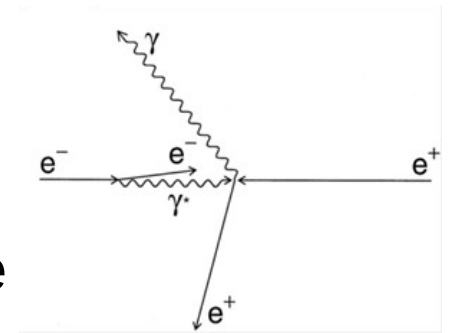
# SuperKEKB

- Belle II @ SuperKEKB:  $e^+e^-$  collider (  $e^+$  @ 4 GeV (LER) &  $e^-$  @ 7 GeV (HER) )
- High Luminosity (  $8 \times 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$  )
- Nano-beam scheme, very small beam sizes (60 nm)
- High currents ( beams collide @ 0.25 GHz)



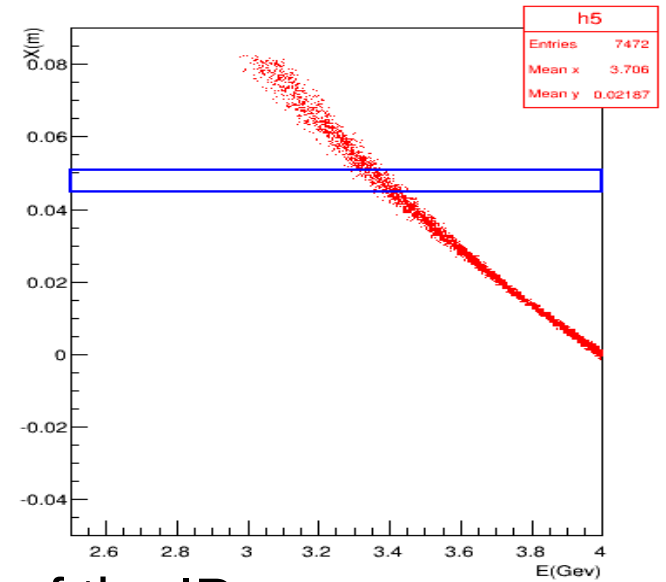
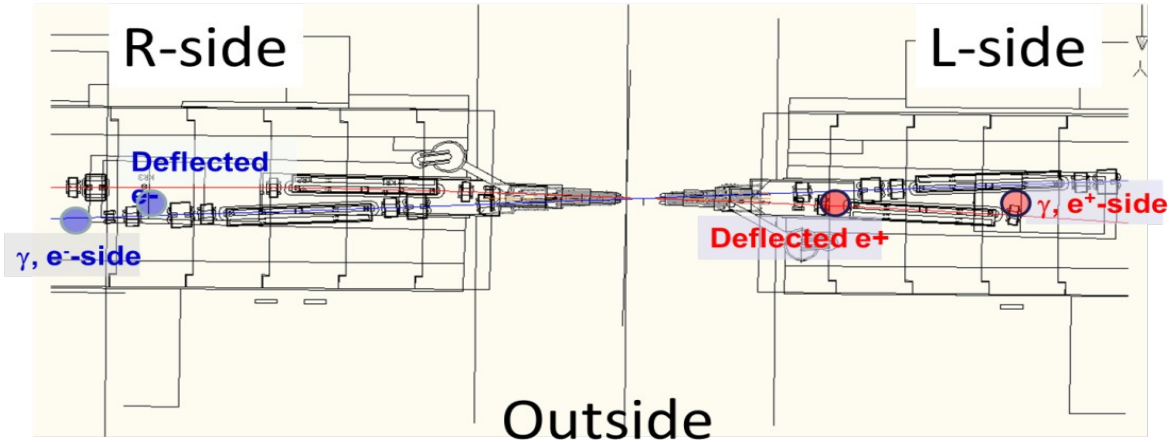
# Fast Luminosity Monitoring

- Fast luminosity monitoring is required in the presence of dynamical imperfections, for feedback and optimization.
- Precision  $\delta\mathcal{L}/\mathcal{L} = 10^{-3}$  in 1 ms
- Lumi monitoring for each bunch crossing: 2500 bunches, collide each 4 ns
- Measurement: Radiative Bhabha process at zero photon scattering angle , Large cross-section  $\sim 0.2$  barn
- Technologies: Sensors set immediately outside beam pipe
  - 5x5 mm<sup>2</sup> diamond sensors  
(Radiation hardness, Fast charge collection )
  - Scintillator + Cherenkov detector

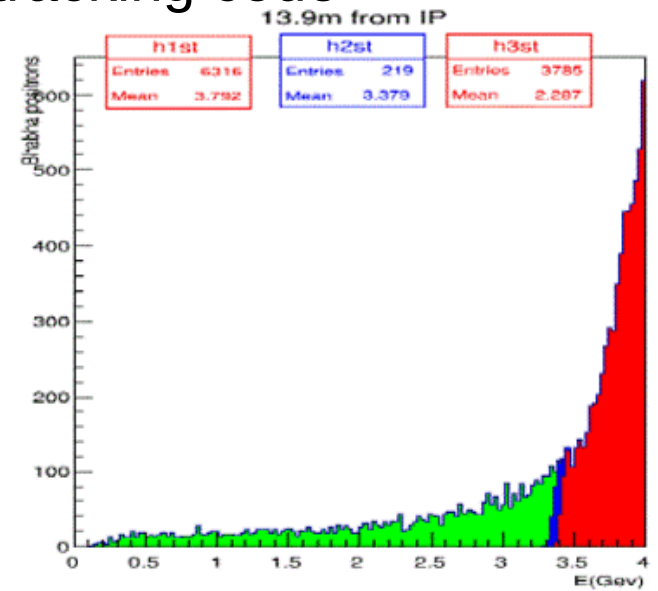
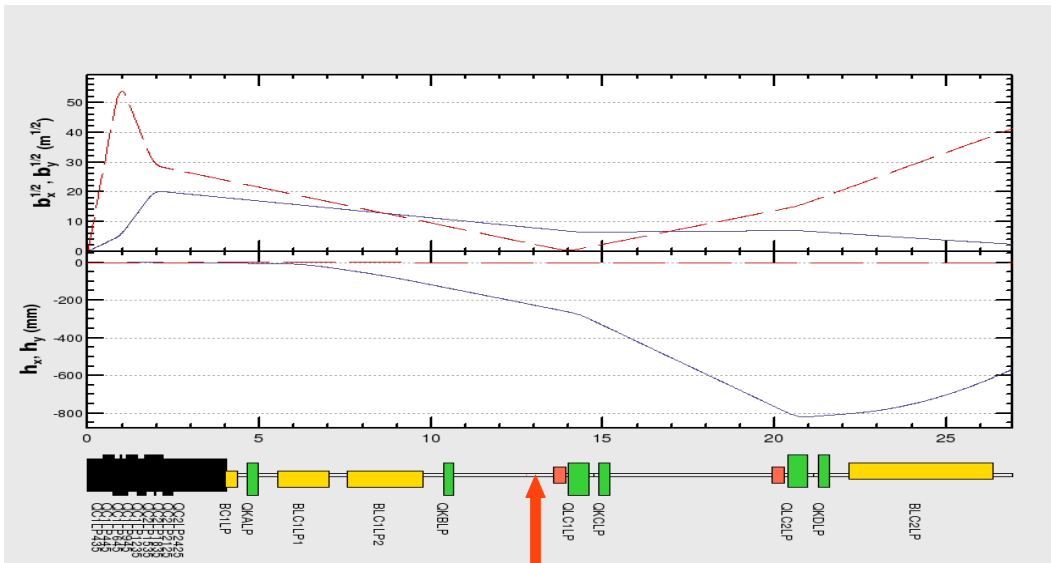


# Sensor Location in LER

- Bhabha dynamics have been generated by GUINEA-PIG++



- Low energy  $e^+/e^-$  will be deflected downstream of the IP
- Exiting Bhabha rates are studied using SAD tracking code



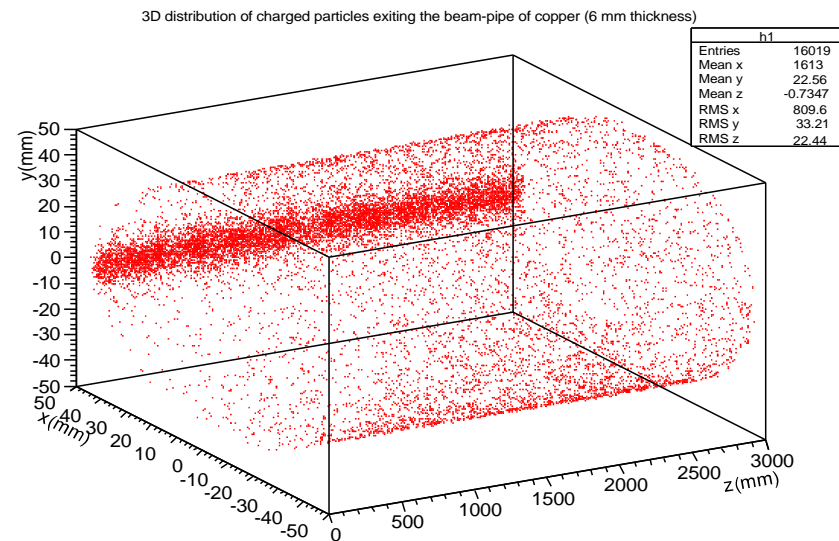
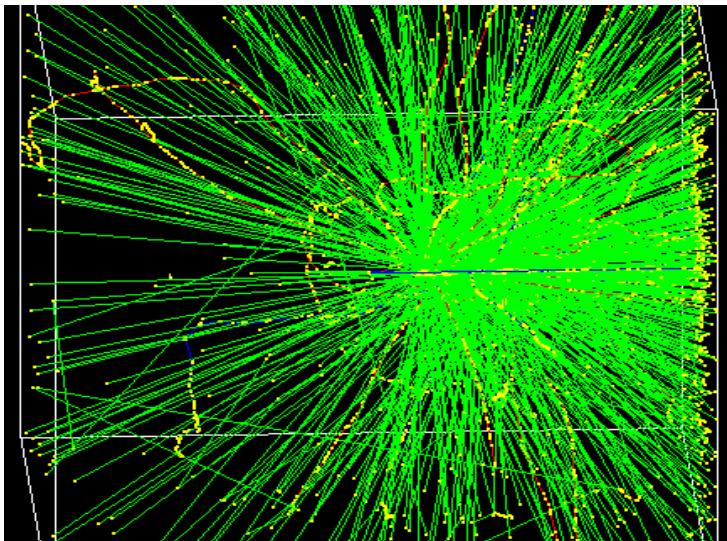
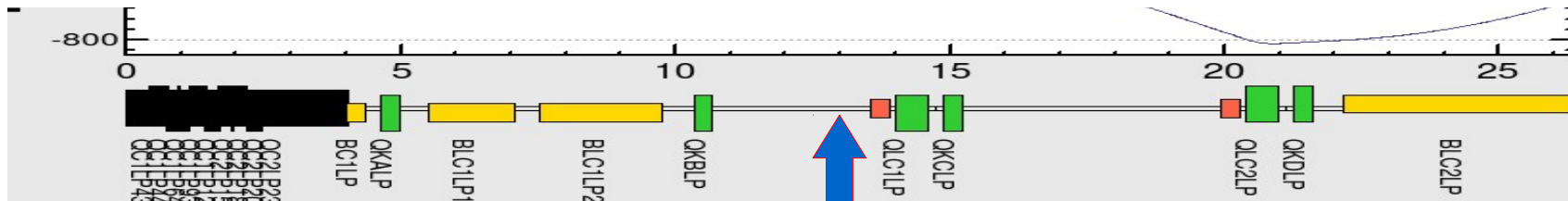


# Sensor Location in LER

- To reach the aimed precisions, the following counting rates are required:

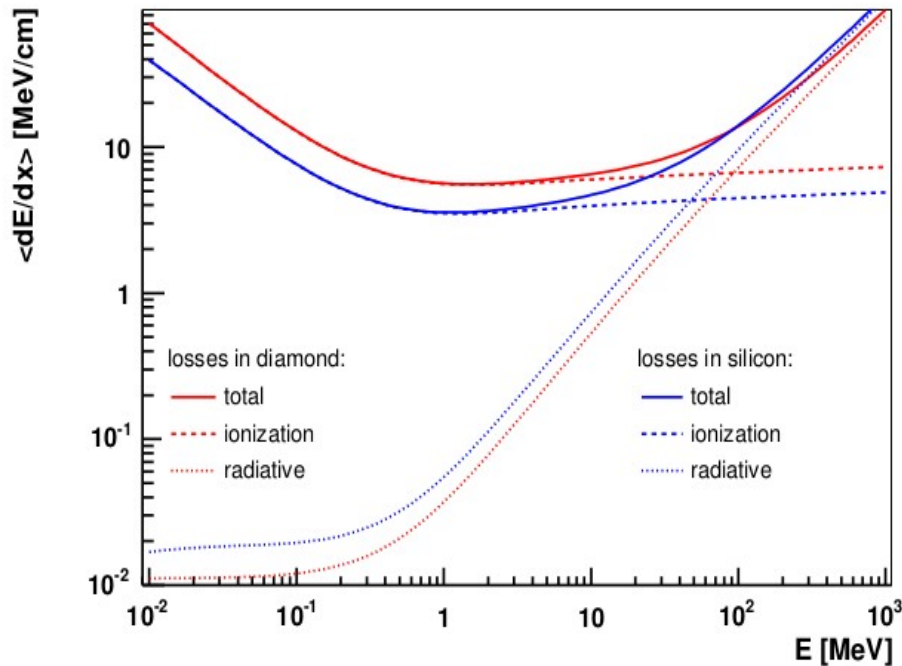
Luminosity ( $\text{cm}^{-2} \text{s}^{-1}$ )	Aimed precision ( in 1 ms)	Required fraction of $\sigma_{ee \rightarrow e\bar{e}\gamma}$
$10^{34}$	$10^{-2}$	$2.1 \times 10^{-3}$
$8 \cdot 10^{35}$	$10^{-3}$	$2.6 \times 10^{-3}$

- The best candidate position is chosen to be at 13.9 meters from the IP:
  - ✓ 3 meters drift , adequate to place our sensors
  - ✓ 4.7% of Bhabha positrons will exit the 6 mm thick copper beam-pipe



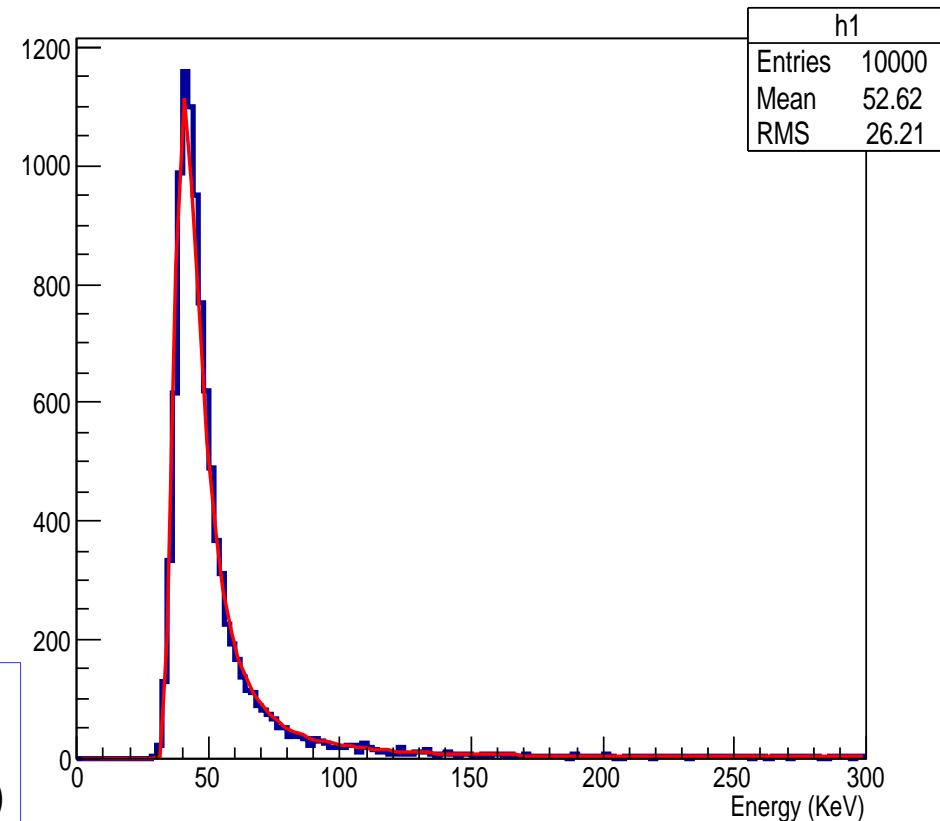
# Energy Deposition of e<sup>+</sup>/e<sup>-</sup> in a 100μm Diamond

- Charged particles like e<sup>+</sup> and e<sup>-</sup> will deposit energy in the diamond sensor according to a “Landau” distribution



The mean energy losses of an electron in  
diamond ( red curves ) and silicon ( blue curves )

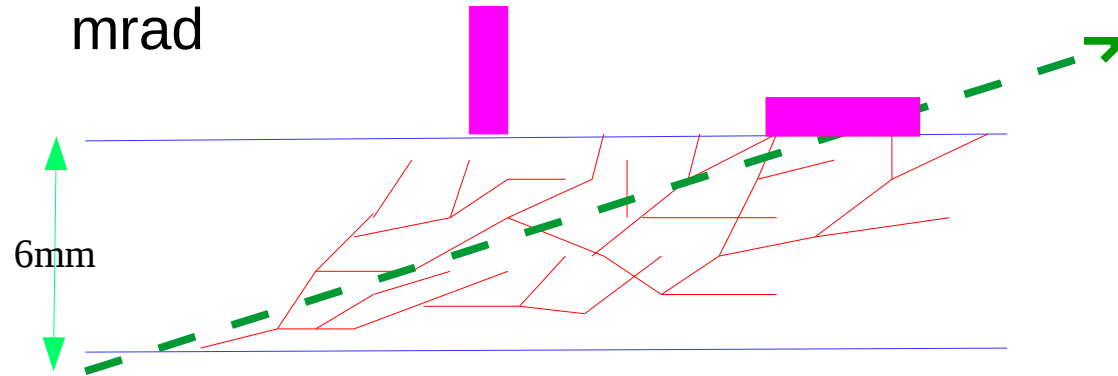
Energy deposited in 100 μm diamond





# Geometry of Vacuum Chamber

- Bhabha positrons escape the beam pipe at an average angle of 5 mrad



- The particle will cross 1.2 meters in the copper ~ 80 radiation lengths

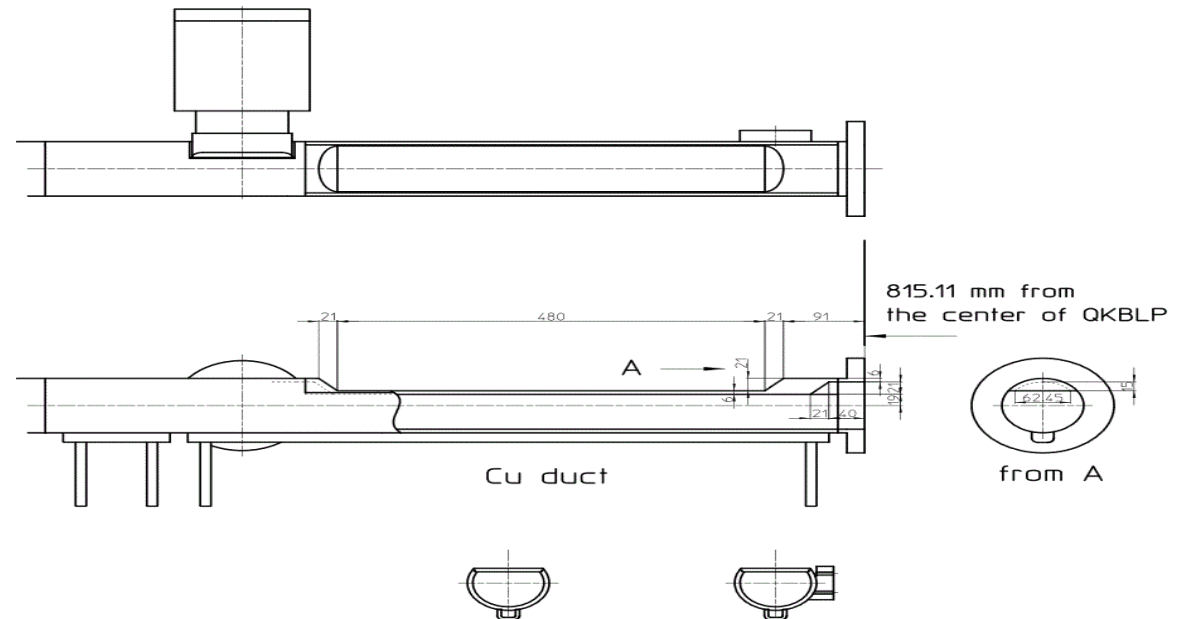
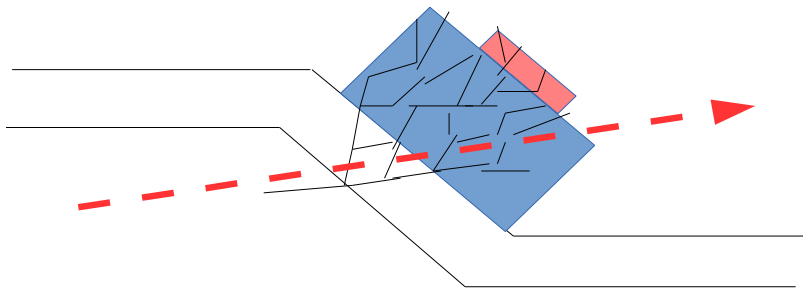


Absorption of shower particles in the beam-pipe

- Modification of the beam pipe is suggested to increase the probability of having exiting showers



A window at 45 degrees is suggested

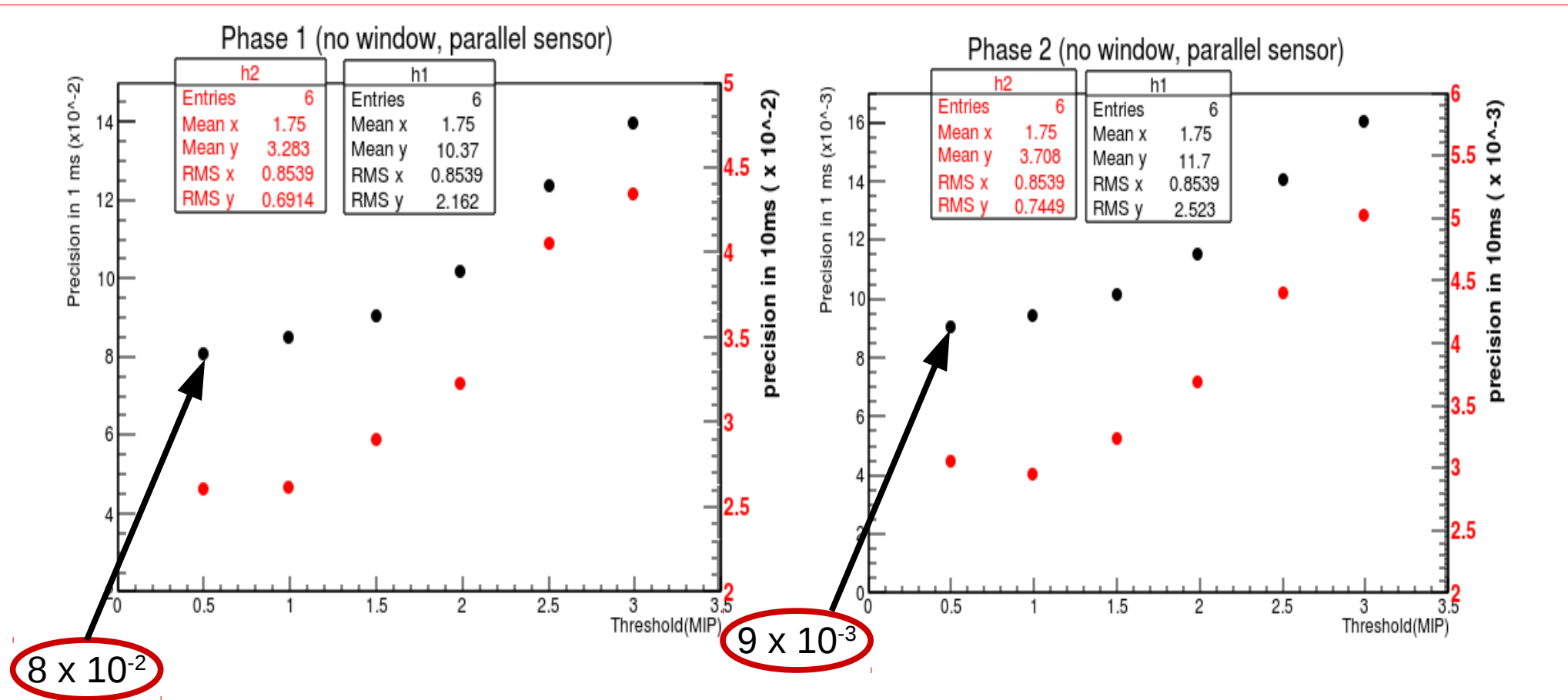


# A Summary Table of collected secondaries

	Luminosity ( $\text{cm}^{-1} \text{s}^{-1}$ )	Required Precision in 1 ms (Nb of particles)	Number of particles collected in 1 ms	Number of particles per bunch crossing
No window	$10^{34}$	$10^{-2}$ ( $> 10^4$ part)	$1.4 \cdot 10^2$	0.00056
No window	$8 \cdot 10^{35}$	$10^{-3}$ ( $> 10^6$ part)	$1.3 \cdot 10^4$	0.052
Window	$10^{34}$	$10^{-2}$ ( $> 10^4$ part)	$4.4 \cdot 10^3$	0.0176
Window	$8 \cdot 10^{35}$	$10^{-3}$ ( $> 10^6$ part)	$3.5 \cdot 10^5$	1.4
Window+Radiator	$10^{34}$	$10^{-2}$ ( $> 10^4$ part)	$1.5 \cdot 10^4$	0.06
Window+Radiator	$8 \cdot 10^{35}$	$10^{-3}$ ( $> 10^6$ part)	$1.2 \cdot 10^6$	4.8

# GEANT4 Simulation Results

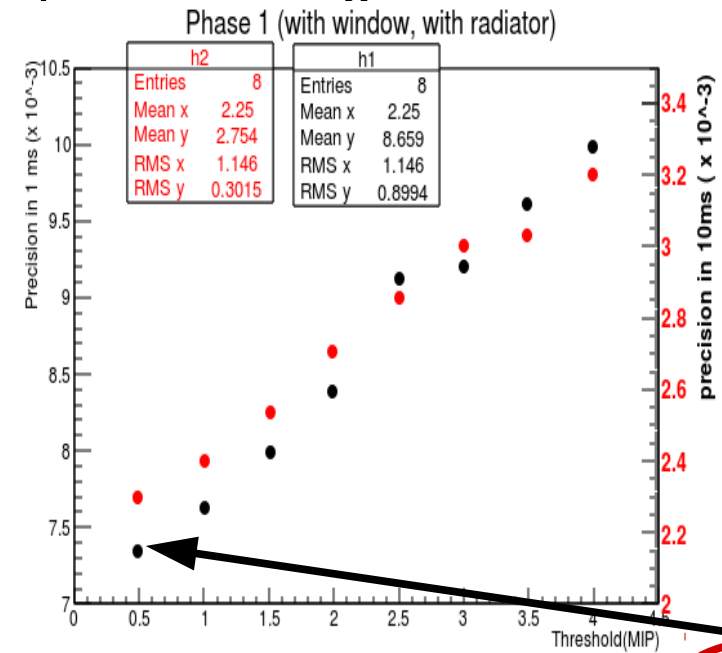
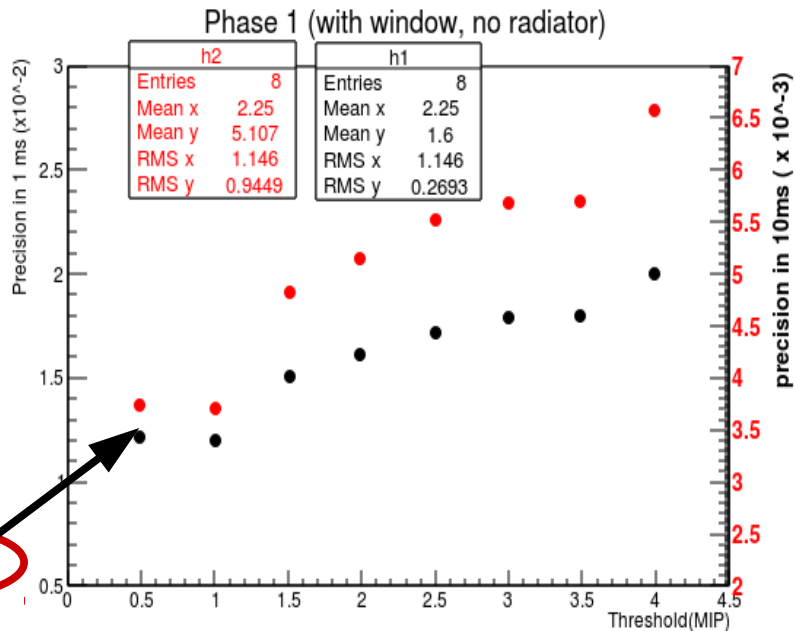
- Geant4 simulations were performed, considering the material and the beam pipe geometry, to estimate the actual signals in the sensors



In the case of a normal cylindrical beam pipe, precisions are too far from the required one, even for the optimal luminosity ( $8 \cdot 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$ )

# GEANT4 Simulation Results

- Advantage of having a window at 45 degrees is the possibility of placing a radiator at shower max to improve the signal in the sensor.



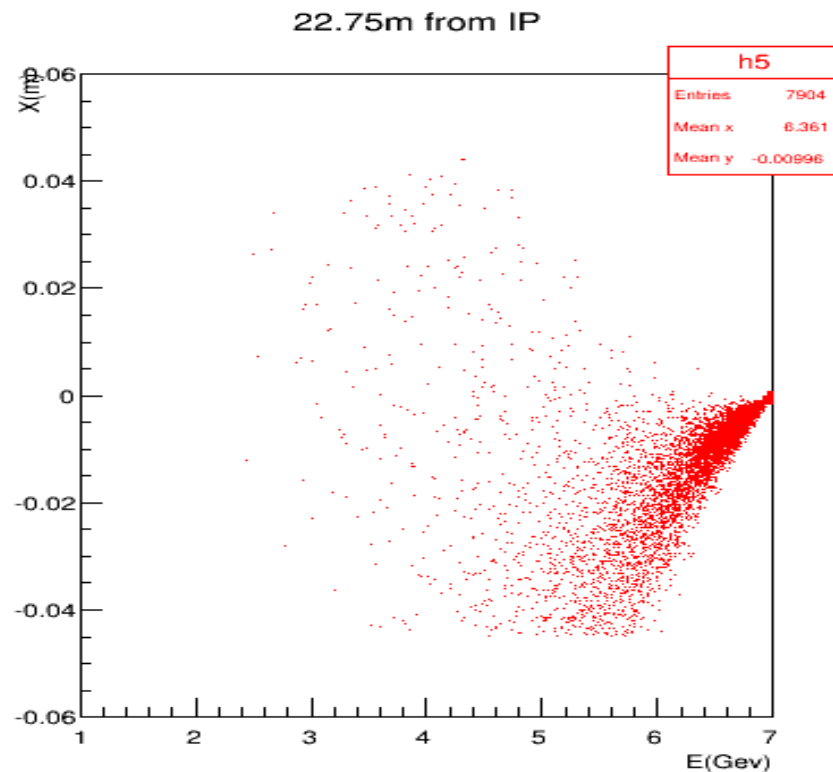
- Presence of a window improves the precision by a factor of 10  $7.3 \times 10^{-3}$

**BUT** such window may be costly and may introduce wakefields thus affecting the beam stability .. **A new design** is under discussion, it consists of a thinner beam pipe in the drift chosen to put our diamond sensors



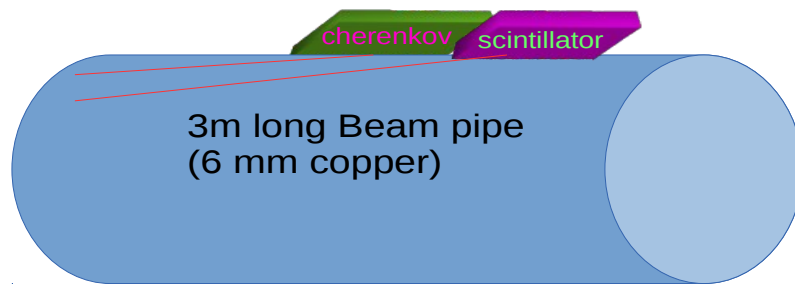
# Study Of HER

- Unlike LER, the HER showed non-linear distributions in the x-E plane, mainly due to chromaticity corrections, in addition to very low Bhabha rates
- No candidate place for our sensor is yet considered
- Search for a candidate place will be on going as an internship work subject by Oleg Shkola, National University of “Kiev-Mohyla academy”



# Preliminary Results on Cherenkov And Scintillator Detectors

- 15 mm x 15 mm x 50 mm
- Charged particles of path length  $\lambda > 15$  mm are considered
- Cherenkov : Pure Quartz  $\text{SiO}_2$  , density= 2.7 g/cm<sup>3</sup>
- Scintillator: LGSO :  $\text{Lu}_{1.8}\text{Gd}_{0.2}\text{SiO}_5$  , density= 7.3 g/cm<sup>3</sup>



- Detectors are simulated in two manners
  - 1) Independently ( events in each detector separately)
  - 2) In coincidence ( Poisson distribution)

# Preliminary Results

## Independently

Luminosity ( $\text{cm}^{-2} \text{s}^{-1}$ )	Precision in 1 ms	Precision in 10 ms
$10^{34}$	$2 \times 10^{-2}$	$6.5 \times 10^{-3}$
$10^{35}$	$6.5 \times 10^{-3}$	$2.04 \times 10^{-3}$

## In coincidence

Luminosity ( $\text{cm}^{-2} \text{s}^{-1}$ )	Precision in 1 ms	Precision in 10 ms
$10^{34}$	0.2	$6.3 \times 10^{-2}$
$10^{35}$	$2.2 \times 10^{-2}$	$6.9 \times 10^{-3}$

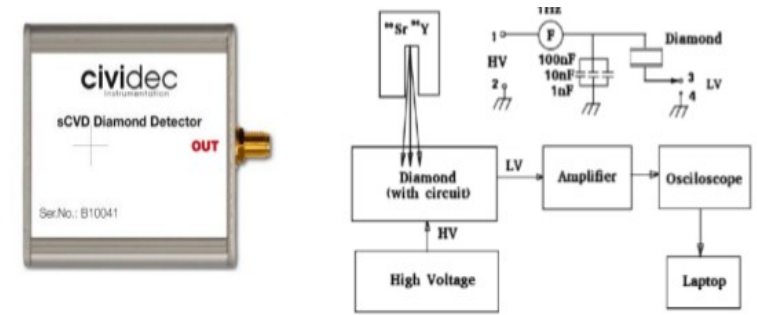
- Precisions are 4 times better than the case of  $5 \times 5 \text{ mm}^2$  diamond for independent detectors
- Precisions are 2.5 times worse than the case of  $5 \times 5 \text{ mm}^2$  diamond for coincidence case



# Diamond Sensors

- Diamond sensor technology already exists at LAL since 2012 for Beam-halo study at ATF2 ( prototype of ILC final focus)
- For SuperKEKB: signal width <1-2 ns, since bunch spacing is 4 ns
- Charge amplifier :  $\sigma = 10$  ns ( shaping time )

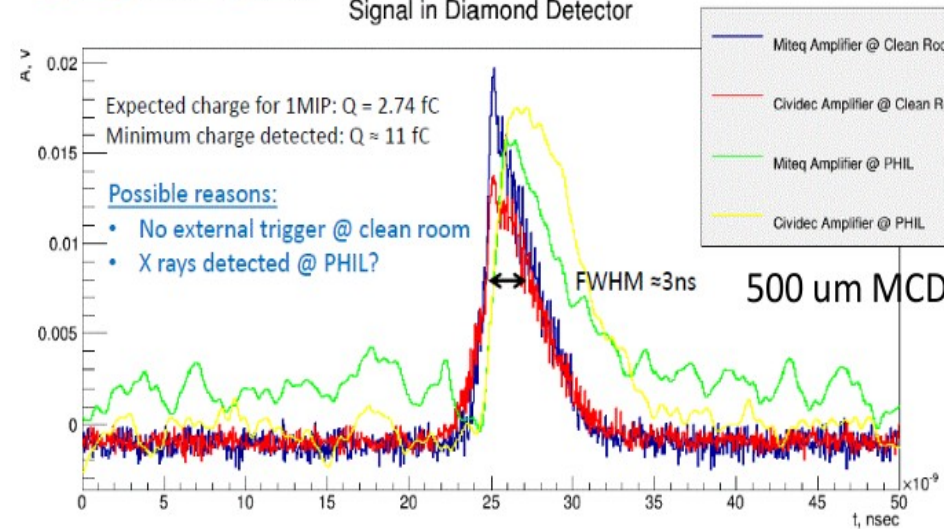
→ enough for phase 1 ( average  
signal rate < 1 Bhabha per b.c)



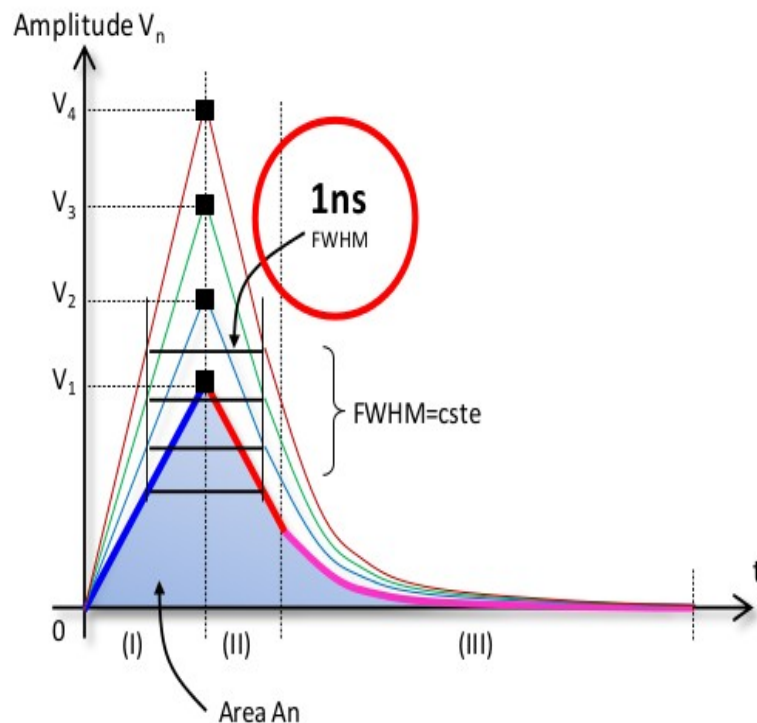
## Minimum Signal Detection

Signal @ Clean Room : averaged by 8 events  $^{90}\text{Sr}, 27.7\text{y} \xrightarrow{0.55\text{ MeV}} ^{90}\text{Y} \xrightarrow{\beta, 64\text{h}} ^{90}\text{Zr} \xrightarrow{2.27\text{ MeV}}$   
Signal @ PHIL : single event

Signal in Diamond Detector



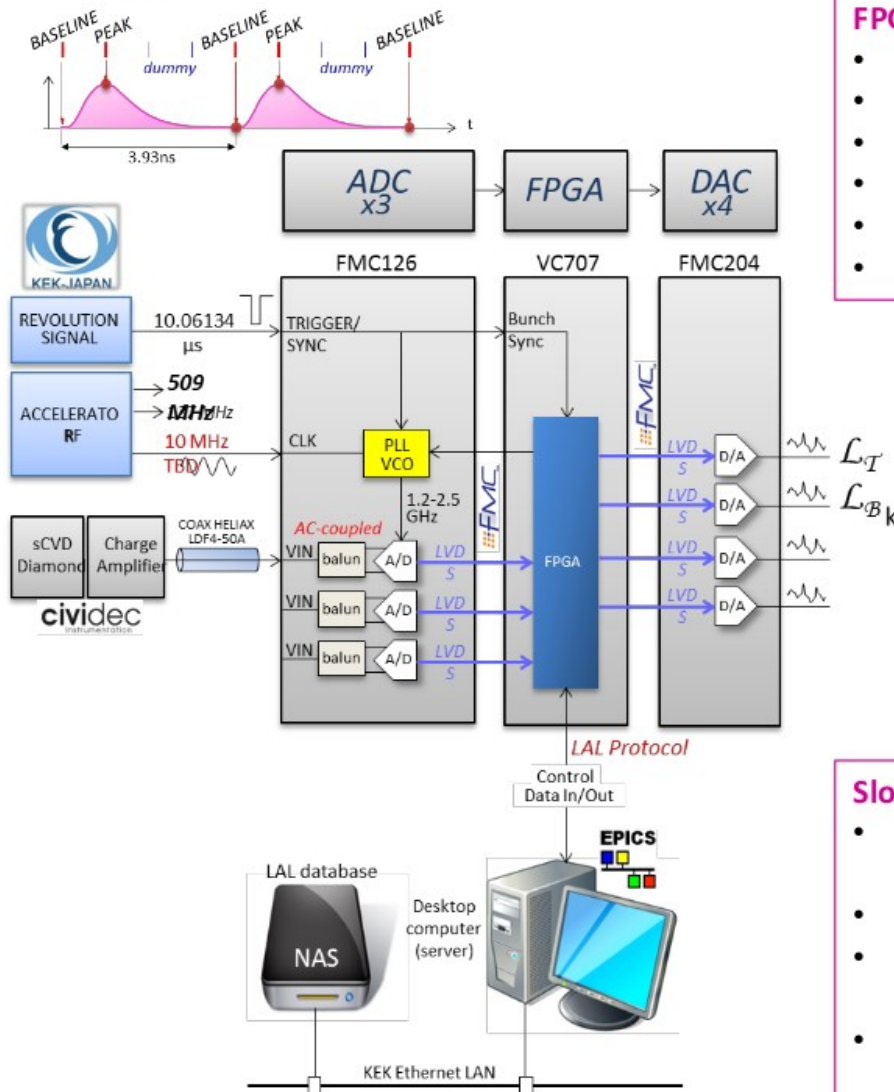
S. Liu (ATF2 group)



# Readout

Work carried on by Didier Jehanno

## Sampling @1017MSPS



## FPGA-based digital acquisition

- Synchronized to acc. RF Clock @ 10MHz
- Sampling every 1ns
- Phase adjustment by the ADC board
- Peak value acquisition : determines Bhabha events nb
- 2015 : signal FWHM 10ns (140μm diamond thickness)
- 2016 : signal FWHM ~2ns (100μm diamond thickness)


## Outputs

- Train Integrated Luminosity over 1ms
- Bunch Integrated Lumi over 1ms : 2500 values @254 MHz

## Slow Control / Interface

- Sampling controlled by local Linux machine (LM) connected to FPGA board
- TIL and BIL directly computed by FPGA and read by LM
- EPICS protocol installed on LM and provides TIL + BIL to EPICS users in real time (1ms)
- DAQ also comes with 4 Analog outputs  
Controlled by EPICS users  
Used for tests, debug and orbit feedback

# Conclusions & Next Plans

- Fast Luminosity monitoring is very important for a feedback system and for optimization
- Optimal position of the sensor is to be at 13.9 meters from the IP in the LER .... For the HER, to be studied in the coming two months
- Simulations in Geant4, results in the necessity of having a window to increase our signals in the diamond
- Study of the Cherenkov and Scintillation detectors to be improved (yet not a priority of our work)
- A deep study of the design of a new vacuum chamber is taking place , using GEANT4
- Fast readout and electronics are under development to be able to monitor bunch by bunch luminosity
- Characterization tests of the 140  $\mu\text{m}$ , 4x4 mm<sup>2</sup> diamond sensor with the fast 10 ns charge amplifier using  $\alpha$  and  $\beta$  sources will take place in the clean room at LAL
- Due to delayed schedule of SuperKEKB project, no beam-beam collision will take place during my thesis  A simulation study and measurements of the Bremsstrahlung process will take place in the context of background studies
- Installation of the whole set-up will take place at KEK with the start of single beam commissioning at the end of 2015

THANK YOU !!!

# Explanations & precisions

- Total number of positrons that exit the beam-pipe over 3 m is 971 → 4.7% of the total cross-section
- Average number of positrons is 75.4 <sup>Averaging</sup> →  $75.4 / 971 = 0.078$
- Number of signals per b.c is  $v = 3 \times 0.078 \times 4.7\% = 0.01$  ( each 4 ns)
- Number of signals in the sensor in 1 ms is  $N = 2500$
- Precision is  $1/\sqrt{N}$
- Detectors in coincidence implies to have at least one signal in both at the same time from the same bunch crossing
- Poisson distribution is given as  $P(n,v) = \frac{v^n e^{-v}}{n!}$ , probability to get n signals in the sensors for the case of an average of v signals
- $P_1 = P_2 = P(0,0.01) = 0.99$  ;  $P'_1 = P'_2 = 1 - P_1 = 0.01$  ( is the probability to have at least one signal in one of the two counters)
- $P'_1 \times P'_2 = 1 - P(0,v)$  ,  $v = ??$  → Obtain precision from by calculating an effective number of signals corresponding to the coincidence