
FCNCs and CP Violation in the Minimal 331 Model

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331 Models I: Why bother?

331 models have several nice features:

- Connection between **anomaly cancellation** and **number of families**: For anomalies to be canceled, the number of families has to be a multiple of 3. Using asymptotic freedom, **only the possibility of 3 generations** remains.
- Flavor physics is interesting because **EWP test** are only affected at **loop level**, while **FCNCs** arise at **tree level**.
- In flavor physics, we are dealing with an effective Z' model (sort of) \Rightarrow What can we learn **more generally**?
- **Mixing parameters** are most **stringent constraints** \Rightarrow Recent measurement of ΔM_s suggests a complete analysis.

331 Models II: Basic Features

We now discuss only the *minimal* 331 model (Frampton; Pisano, Pleitez, 1992, further developed since then)

- Based on a gauge group $SU(3)_C \times SU(3)_L \times U(1) \Rightarrow$ Broken down to $U(1)_{SM}$ in two steps, uses 3 Higgs doublets.
- Important ingredient: **Third generation** is treated as $\bar{3}$; Leads to FCNCs at tree level.
- Particle content: Fermion doublets are extended to triplets. Third member is a **heavy quark/charged conjugate lepton**.
- Gauge Bosons: In addition to the SM, there is a **neutral Z'** and **charged V^\pm and $Y^{\pm\pm}$** . Masses of order of 331 breaking scale
- The model develops a **Landau Pole** when $\sin^2 \theta_W = 0.25$. \Rightarrow **Upper bound** on M'_Z of several TeV.

FCNCs in 331 models

Look at gauge fermion vertices: Charged gauge bosons always couple to heavy quark \Rightarrow Not observable at tree level for low energy processes

Z' quark vertices can be flavor changing due to different treatment of third generation.

$$\mathcal{L}_{FCNC} = \frac{g_{CW}}{\sqrt{3}\sqrt{1-4s_W^2}} [\bar{d}\gamma_\mu\gamma_L\tilde{V}_L^\dagger \begin{pmatrix} 0 & & \\ & 0 & \\ & & 1 \end{pmatrix} \tilde{V}_L d] Z'^\mu.$$

\tilde{V} is mixing matrix in down quark sector. Introduces 6 new parameters, which can be further reduced to 4: 2 angles and 2 phases.

Feature of the model: Z' lepton coupling are suppressed, so we expect only moderate modifications. \Rightarrow Look for correlations.

B and K mixing in the 331 model

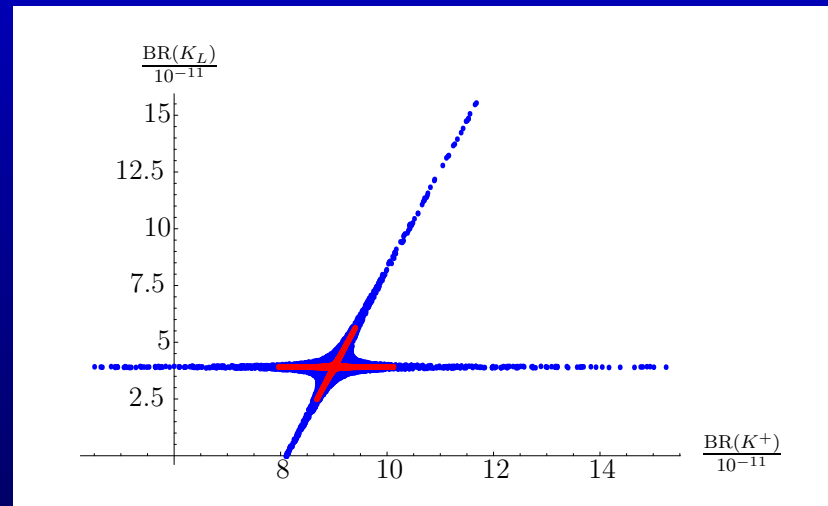
Relevant observables: ε_K , ΔM_K , $\Delta M_{d/s}$, $\sin 2\beta_{d/s}$. We neglect ε'/ε because of large SM uncertainties.

$$H_{\Delta S=2}^{eff} = \frac{G_F}{\sqrt{2}} \frac{1}{3} \frac{c_W^4}{1 - 4s_W^2} \left(\frac{M_Z}{M_{Z'}} \right)^2 (\tilde{V}_{31} \tilde{V}_{32}^*)^2 (\bar{s}d)_{V-A} (\bar{s}d)_{V-A},$$

- In K sector, ε_K constrains **imaginary part**, ΔM_K constrains **real part**.
- In B sector angles constrain component **orthogonal** to SM, mass differences roughly constrain **absolute values**.
- Note: β_s is still essentially unconstrained, and can therefore be arbitrarily large.

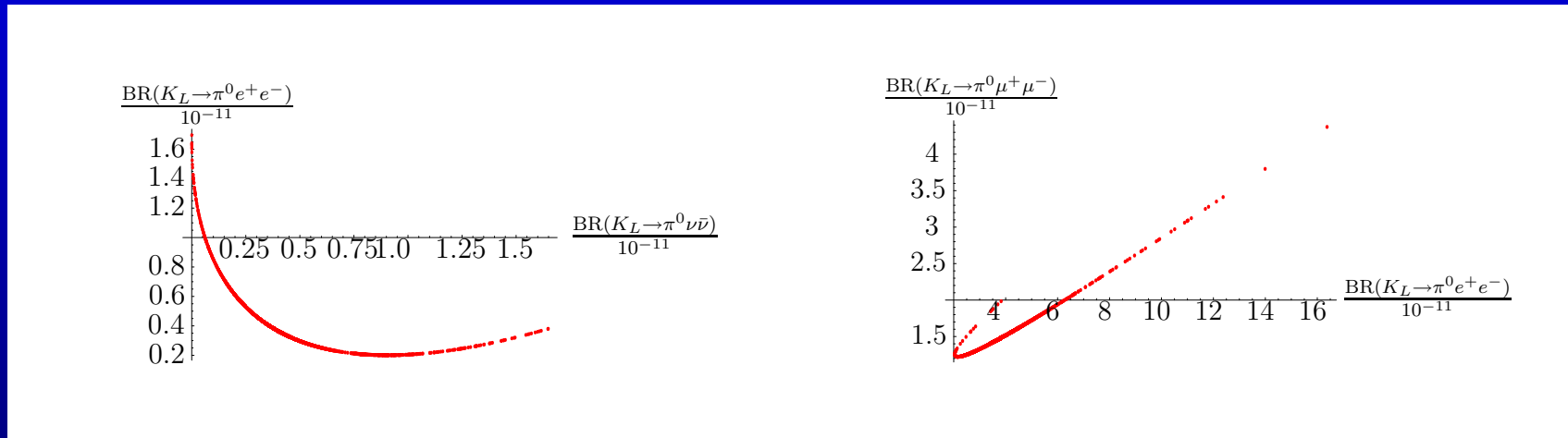
Rare decays

We study implications for the following decays: $K^+ \rightarrow \pi^+ \nu \bar{\nu}$, $K_L \rightarrow \pi^0 \nu \bar{\nu}$, $B_{d/s} \rightarrow \mu^+ \mu^-$, $K_L \rightarrow \pi^0 l^+ l^-$.



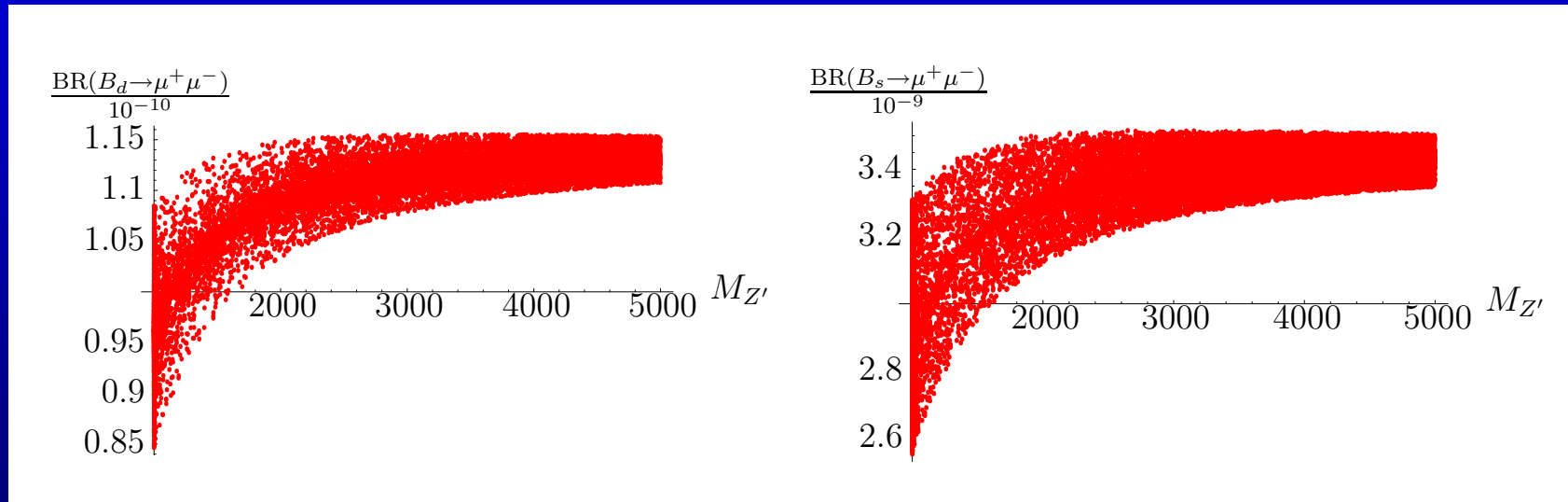
- $K^+ \rightarrow \pi^+ \nu \bar{\nu}$ and $K_L \rightarrow \pi^0 \nu \bar{\nu}$ show very distinctive pattern. \Rightarrow Significant enhancements possible
- measurement of both decays uniquely fixes phase and absolute value of new contribution.

Numeric II: Correlation between K decays



- **Contours in the observable plane** allow rather unambiguous tests of the model - as with any model.
- In particular $K_L \rightarrow \pi^0 e^+ e^-$ is interestingly sensitive due to **separate vector and axial vector** contributions.

Numeric III: B decays



Large effects in $B \rightarrow \mu^+ \mu^-$ are excluded - in particular a large enhancement.

Probably similar in $B \rightarrow X_s l^+ l^-$, so existing measurement should be no problem.

Preliminary Results on $B \rightarrow X_s \gamma$

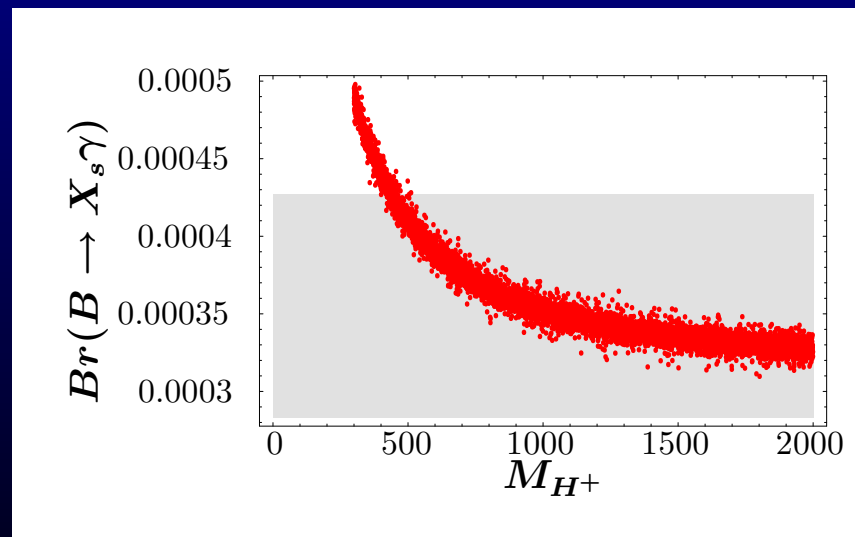
(PSS + S.Uhlig, in prep.)

$B \rightarrow X_s \gamma$ is interesting because:

- No contributions at **tree level**; Therefore, also the charged gauge bosons contribute;
- Additional contributions from the **Higgs sector**; Equivalent to a **2HDM**;

⇒ **Complimentary** information can be obtained;

Our (preliminary) main result: Gauge contributions are so strongly constrained that one is **left with the 2HDM term**.



Conclusions and Outlook

- Flavor Physics is very **well suited** to place constraints on 331 models.
- In the K system, CP violation is stronger constrained than CP conserving contributions.
- Still sizeable effects in $K \rightarrow \pi \nu \bar{\nu}$. Characteristic feature in observable plane.
- Effects in $B_{d/s} \rightarrow \mu^+ \mu^-$ rather small. Preliminary result on $B \rightarrow X_s \gamma$: Main statement is that the minimal 331 model looks very similar to the 2HDM model.
- Most interesting quantity at the moment is the B_s **mixing phase**.

A lot of these findings are **very general** for Z' models!!!