



LINEAR COLLIDER COLLABORATION

Designing the world's next great particle accelerator

Status: Cooling of the ILC e^+ target by thermal radiation

POSIPOL 2016 Workshop

TOPICS

- Polarized positron sources
- Physics Applications of polarized positrons
- High Intensity positron sources
- Energy deposition densities in targets : thermal shocks
- Channeling radiation and applications
- Physics applications of X-rays and γ rays

September, 14-16

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Linéaire, Orsay, France

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16th September 2016

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Outline

- Status
 - Radiative thermal cooling of e^+ target
 - temperature distribution
 - Design considerations – update
- Summary

e+ target for $E_{cm} = 250 \dots 500\text{GeV}$

E_{cm} and luminosity determine energy deposition in target
 $\varnothing = 1\text{m}$; 2000rpm, 0.4X0 Ti6Al4V ($P_{e^+} \leq 30\%$)

E_{beam} [GeV]		E_{dep} [kW]	$\Delta T_{max}/pulse$ [K]	dpa	E_{dep} [kW]		$\Delta T_{max}/pulse$ [K]	
					Nominal luminosity		High luminosity	
120	A. Ushakov, 2015	5.0	66	0.035	-	-	-	-
175	(ILC EDMS)	3.9	125	0.06	-	-	-	-
250	(ILC EDMS)	2.0	130		4.1		195	
250	A. Ushakov, Update 2015	2.3	85	0.05	4.6		128	

$E_{dep} \leq 7\text{kW} \rightarrow$ cooling by thermal radiation is an option

Polarization upgrade:

- higher peak load \leftrightarrow higher peak temperatures
- higher average temp in target

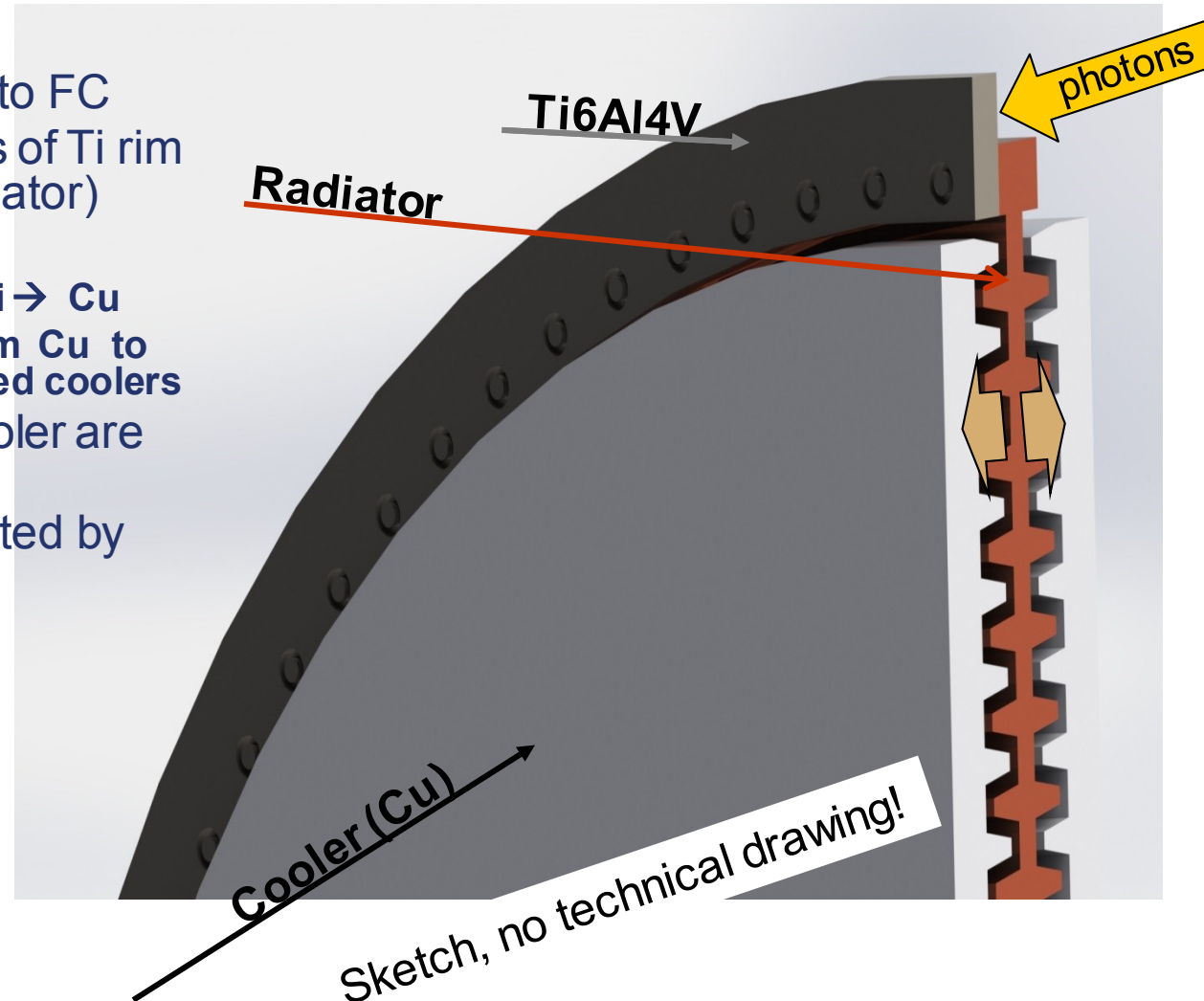
Radiative cooling model so far

- e⁺ target located close to FC
- Rotating wheel consists of Ti rim (e⁺ target) and Cu (radiator)
- Heat path:
 - thermal conduction Ti → Cu
 - Thermal radiation from Cu to stationary water cooled coolers
- Target, radiator and cooler are in vacuum
- Radiating area is adjusted by fins

Goal:

keep target temperature below limit for failure of Ti6Al4V

Reliable fatigue limit at elevated temperatures?



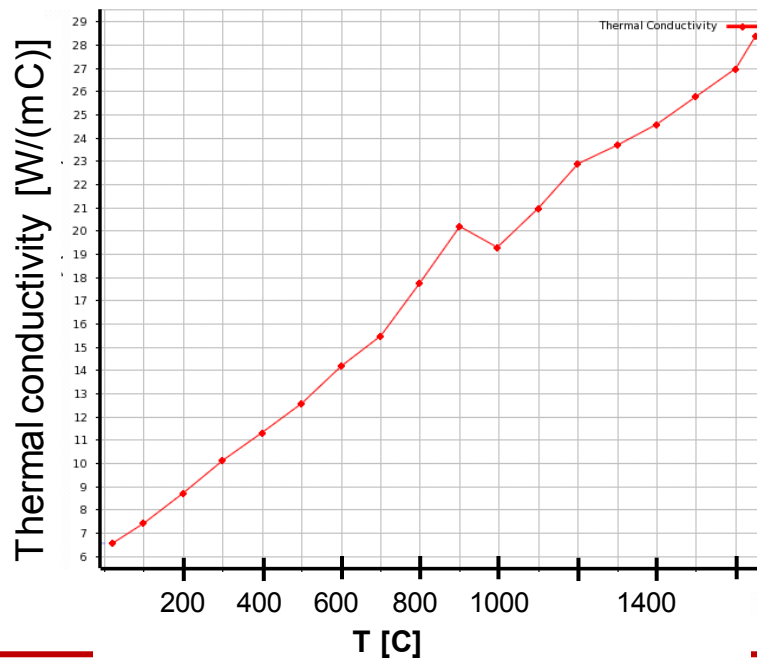
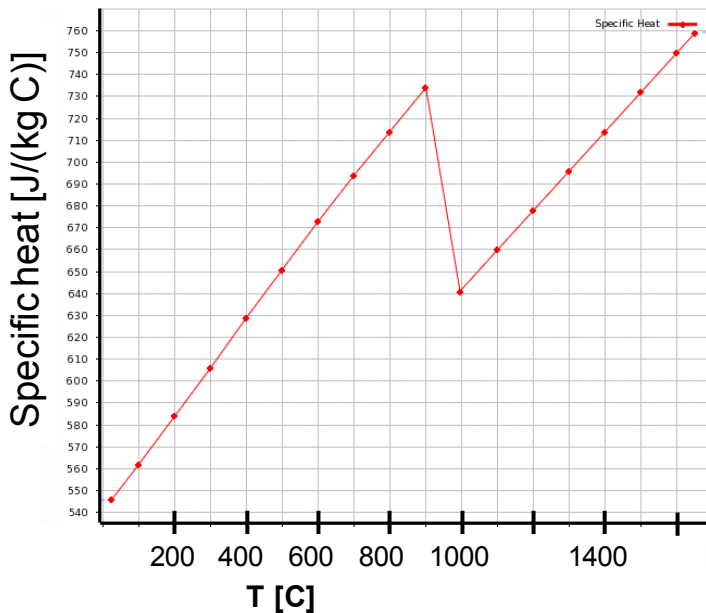
Temperature development in target (+radiator)

$$\frac{dQ}{dt} = mc \frac{dT}{dt} + \lambda A_{\text{Ti-Cu}} \frac{dT}{ds} + \sigma \epsilon A_{\text{rad}} (T_{\text{target}}^4 - T_{\text{cool}}^4)$$

↑
Heating due to energy deposition
↑
Thermal conduction through material
↑
Radiation from surfaces

- FEM to calculate temperature evolution in real model; here 'estimation by hand'
- Material parameters c , λ , ϵ depend on temperature and long-term load

Chart of Properties Row 21: Specific Heat



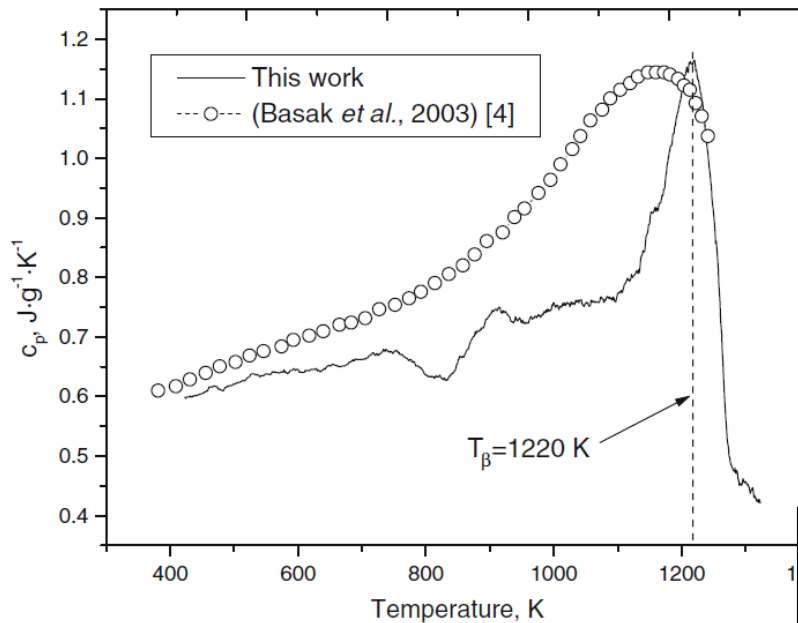
K.C. Mills, 2002, Recommended Values of Thermophysical Properties For Selected Commercial Alloys, p. 217, referenced by J. Yang

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Boivineau et al., Int. Journ. of Thermophysics, Vol. 27, No.2 March 2006

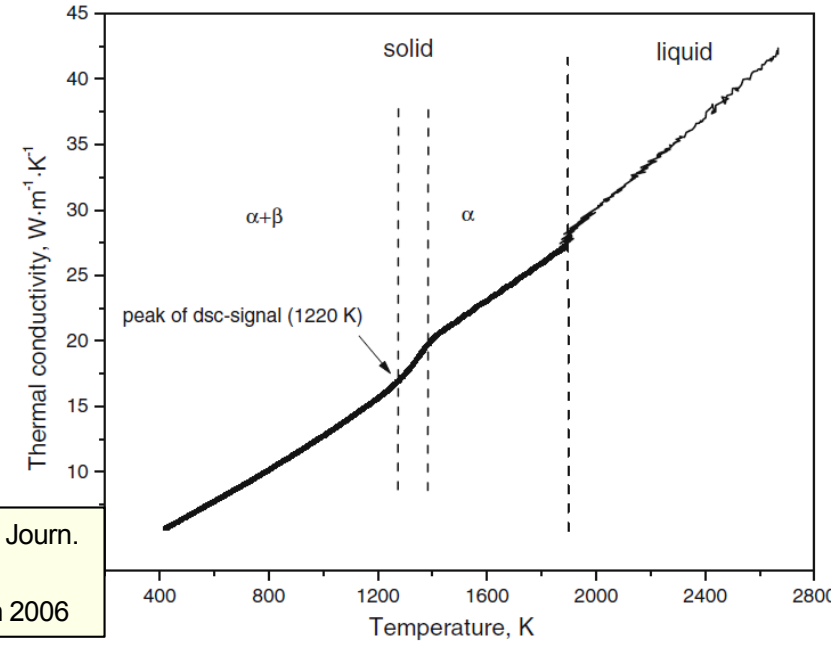


Fig. 13. Thermal conductivity of solid and liquid Ti-6Al-4V versus temperature.

Fig. 7. Specific heat capacity of solid Ti-6Al-4V compared to literature data (Basak et al., 2003) [4].

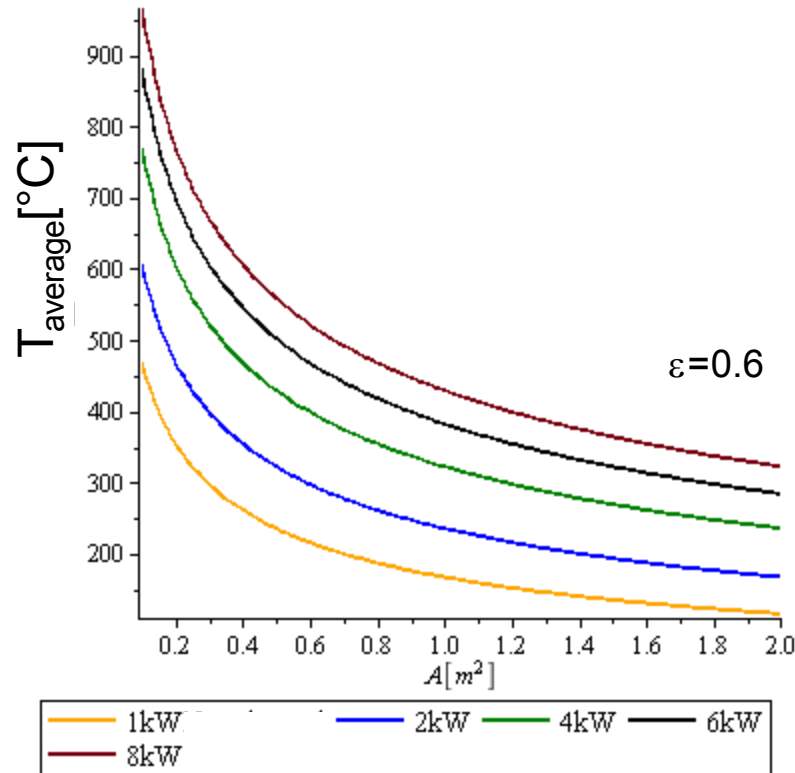
Heating to equilibrium

- Neglect heat conduction and thermal radiation → average T in material increases

$$\frac{dQ}{dt} = mc \frac{dT}{dt}$$

- Assume 2.3kW at target
 - target rim height $h = 2\text{cm}$ (4cm)
→ $V_{\text{rim}} \sim 924\text{cm}^3$ (1.8dm³)
 - Average rim temperature $T_{\text{ave}} = 300\text{C}$ ($\Delta T=270\text{K}$) reached after
254sec (~4.2min) for $h=2\text{cm}$;
497sec (~8.3min) for $h=4\text{cm}$
 - Heating of rim+radiator takes correspondingly longer
- Taking into account thermal radiation and time for heat transfer to radiator, few hours needed to achieve equilibrium (see our talks at POSIPOL14+15 and LCWS15 and Felix' talk)

Thermal radiation



$$P \sim \sigma \epsilon A (T_{\text{target}}^4 - T_{\text{cool}}^4)$$

Consider radiation off target rim only,

$r = 0.5\text{m}$, $h = 2\text{cm}$, $d = 1.5\text{cm}$

$A \sim 0.17\text{m}^2$, $\epsilon = 0.6$

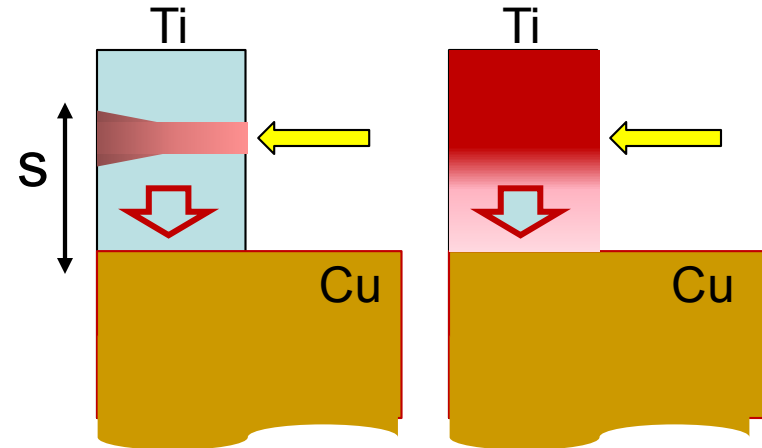
$2.3\text{kW} \Leftrightarrow T_{\text{target (ave)}} \sim 530\text{C}$

So far, we concentrated in our T^4 cooling models on radiation from radiator by optimizing the design towards a large area with fins, but there is also substantial thermal radiation off the rim

- low heat conductivity of Ti \Leftrightarrow high average temperature of rim
- despite small rim area substantial cooling by thermal radiation off the target rim

Heat transfer target to radiator

- Spinning target $\Leftrightarrow \sim 6.5\text{s}$ between load cycles
 - Heat moves $\sqrt{\lambda t / \rho c} \sim 0.5\text{cm}$ in 6.5sec
 - accumulation of heat in the target
- Temperature flow to radiator depends on s
 - Average heat transfer through rim



$$\frac{dQ}{dt} = \lambda \cdot A_{\text{contact}}^{\text{Ti-Cu}} \frac{dT}{ds} \sim \lambda/s \cdot A_{\text{contact}}^{\text{Ti-Cu}} (T_{\text{Ti}} - T_{\text{Cu}})$$

$$A_{\text{contact}} \sim 470\text{cm}^2, \lambda \sim 10\text{W}/(\text{m K})$$

$$dQ/dt = 2.3\text{kW}: T_{\text{max-ave}} (\text{Ti}) - T_{\text{contact}} \sim 100\text{K} (s=1.5\text{cm})$$

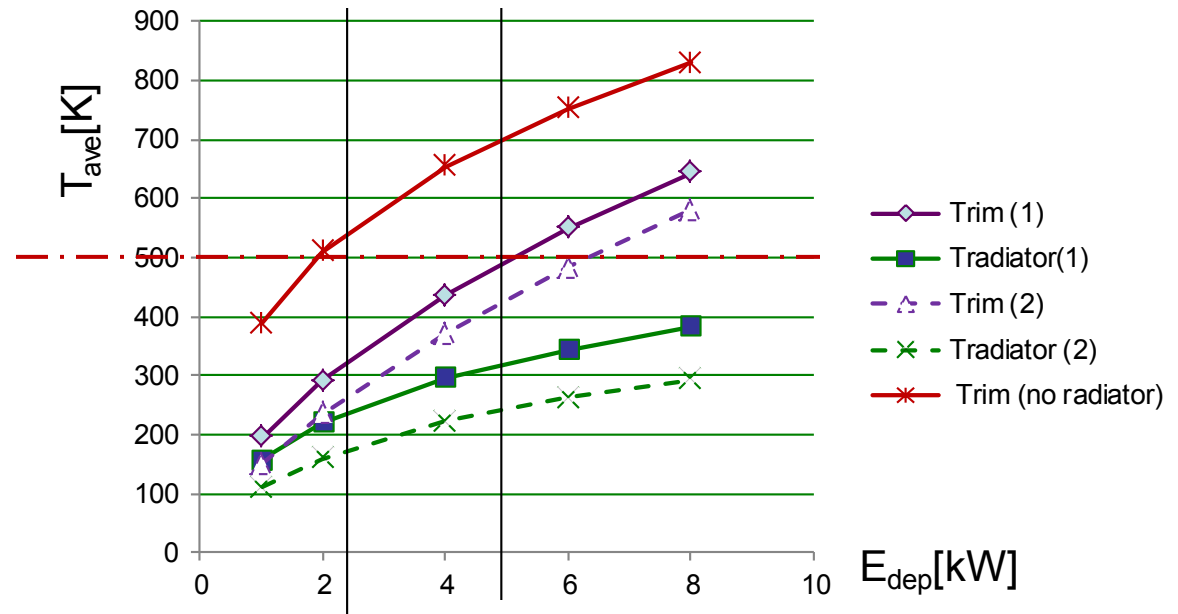
$$\sim 150\text{K} (s=2.5\text{cm})$$

- Additional cyclic temperature rise by pulse (80...200K)
- Cyclic peak temperatures in target can exceed 500°C , in particular for large s
 - need design with short heat transfer path through Ti rim to keep the average T_{target} as low as possible
 - for high power deposition (\Leftrightarrow high lumi) even average temperature could be $>500\text{C}$

Estimated average temperature in T rim and Cu radiator

Consider thermal radiation from rim and radiator

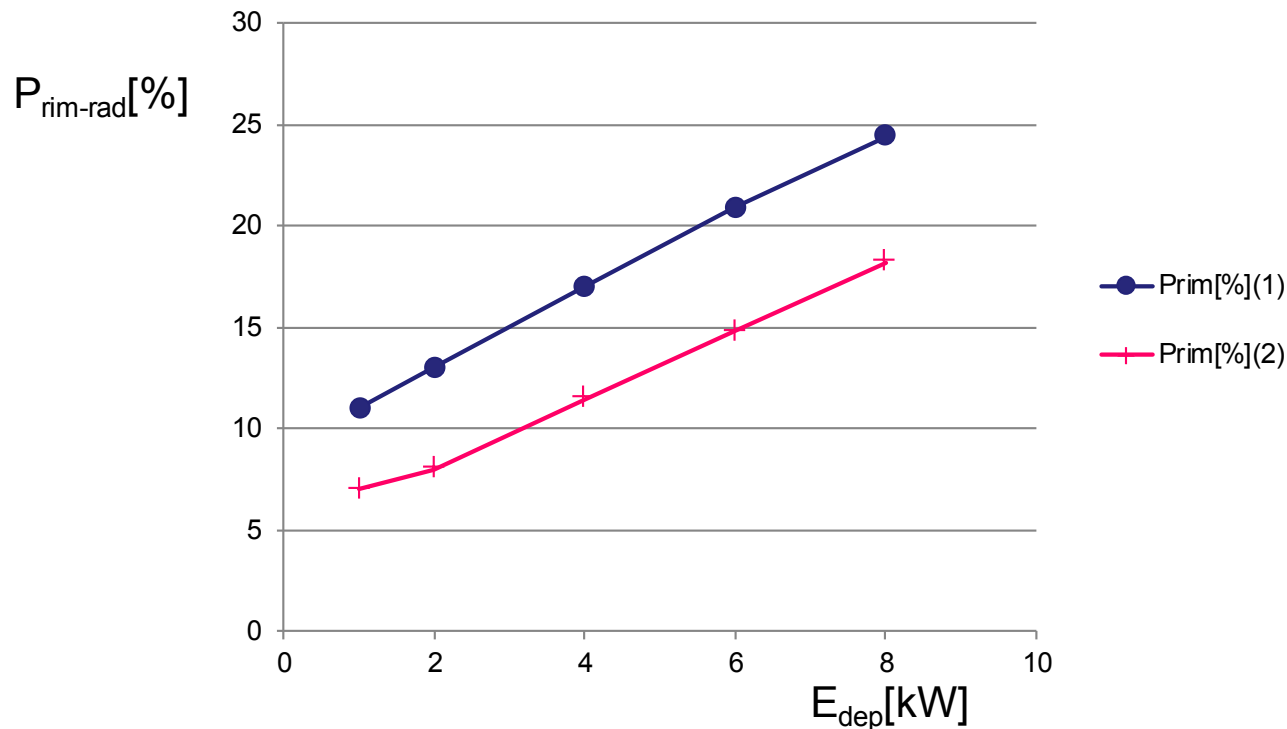
- Case (1): rim 0.082m^2 + radiator 1m^2
- Case (2): rim 0.082m^2 + radiator 2m^2
- Case (3): Only rim, 0.16m^2 ; no radiator
- Emissivity $\varepsilon=0.6$



- Estimates give the principal behavior and only approximate temp values. Real temperatures need simulations, they depend on radiator design and Ti-Cu contact

Percentage of power radiated by target rim

- Case (1): rim 0.082m^2 + radiator 1m^2
 - Case (2): rim 0.082m^2 + radiator 2m^2
- Depending on energy deposition, target rim size and radiator area, thermal radiation off the rim is efficient and can reach 35% of E_{dep}



- Due to low thermal conductivity of Ti6Al4V, peak and average temperatures in target are substantially determined by target dimension (height)
- Ti-Cu contact as well as radiator surface are important to remove the heat
- However
 - we need a heavy wheel ($>100\text{kg}$) to provide a radiator area of $\sim 2\text{m}^2$
 - A lower radiating surface of 1m^2 increases the average temperature in the target by only $\sim 70\text{K}$.
 - Reduction of # of fins by factor 2 reduces wheel weight by $\sim 20\text{kg}$
- Idea: Are higher target rim temperatures acceptable?
 - After our first target material tests we feel encouraged to accept higher target temperatures.
 - Similar approach is followed by M. Breidenbach



Target studies at SLAC (M. Breidenbach, M. Oriunno)

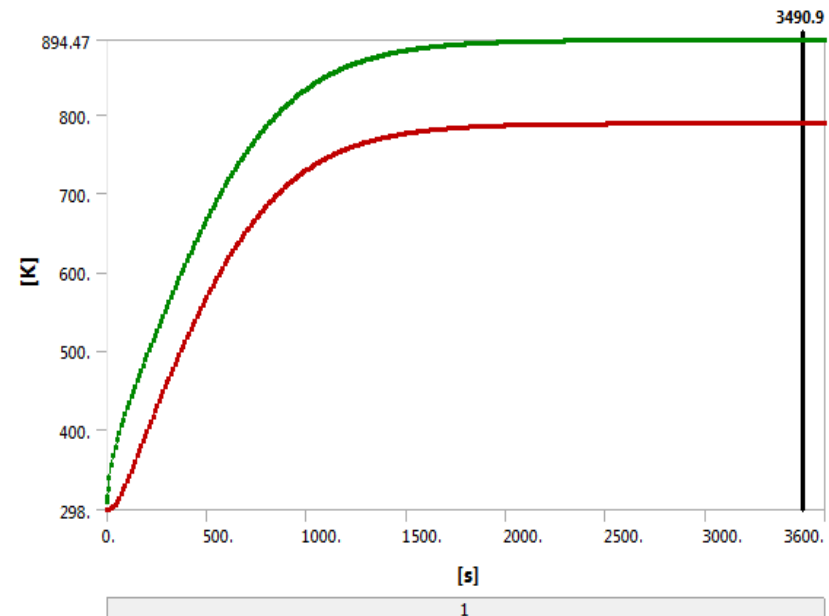
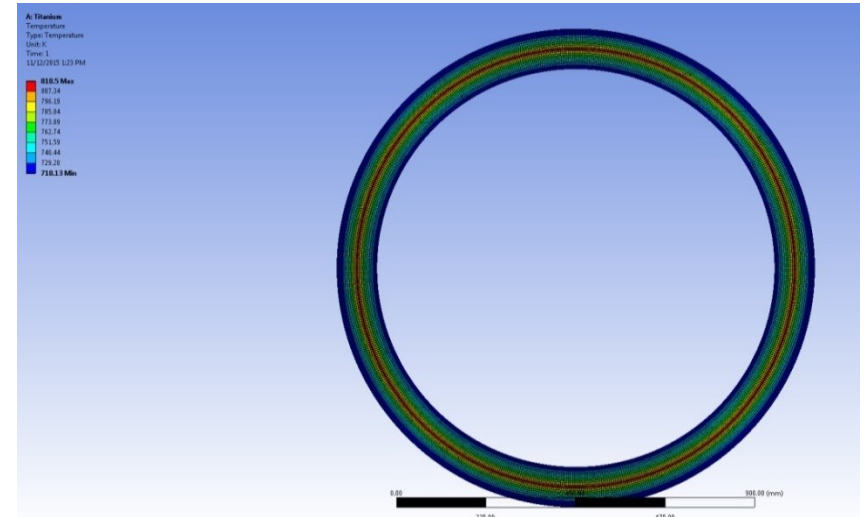
(See also Marty's talk at LCWS15)

Approach:
use high T material Ti-SF61

Study for $P = 7.74\text{kW}$
1312 pulses with 10Hz

λ (W.m-1.K-1)	$\epsilon = 0.4$	$\epsilon = 0.6$
21	894 (621)	814 (541)
8	984 (711)	904 (631)

Transient with emissivity 0.4



Stress in target and radiator

- Depends on:
 - design
 - Load by pulse \leftrightarrow Instantaneous and average heating
 - Rotation
 - Eddy current
 - Imbalances (ignored so far)
- **Stress resistivity at elevated temperatures??**
 - Thermal and mechanical stress limits for target and radiator material at high temperatures, under irradiation

Stress due to heating

- **Instantaneous heating**

$$\sigma = \frac{E\alpha\Delta T}{1-\nu}$$

- Pulse $\Leftrightarrow \Delta T = 80\text{K} \dots 200\text{K}$
- Ti rim $\sigma \sim 100 \dots 260\text{MPa}$
- ILC e+ target: $\sim 2 \times 10^6$ loads per year (4000h) \Leftrightarrow
- fatigue stress limit for Ti alloy $\sim 600\text{MPa}$ at room temperature but considerably lower at elevated temperature

- **Average heating**

- Depends on design
- Heated rim and radiator:
 - Hoop stress in ring: $\sigma_H = E \alpha \Delta T$ if expansion is prevented
Ti rim @ 500C $\rightarrow \sigma_H$ would be $\sim 420\text{MPa}$
 - Expansion of rim + radiator is not restricted \rightarrow increase of rim circumference u,
 $\Delta u = 1.3\text{cm}$ ($\Delta r = 2\text{mm}$)
- Spatial expansion $V_{\text{rim}}(\text{heated}) = \gamma \cdot V_{20^\circ\text{C}} \cdot \Delta T$
 - Ti: $\Delta V \sim 1.2\%$ for $\Delta T = 500\text{K}$ ($\sim 2\%$ for 850K)
 - Cu: $\Delta V \sim 6.6\%$ for $\Delta T = 200\text{K}$ ($\sim 11.5\%$ for 350K)

Further stress load

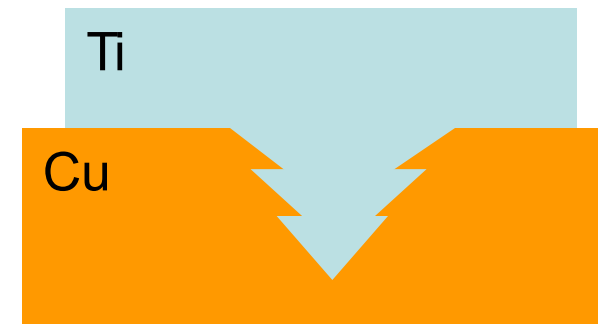
- **Rotation** \Leftrightarrow tangential and radial forces
 - thin ring approximation for target rim: $\sigma_t \sim \rho r^2 \omega^2 = 50\text{MPa}$
 - Assuming sliced target, (~ 40 pieces for nominal lumi), height $\sim 2\text{cm}$ (3cm) $\rightarrow F_c = m r \omega^2 \sim 2.2\text{kN}$ (3.3kN)
With connecting area $A \sim 12\text{cm}^2 \rightarrow \sigma \sim 2\text{MPa}$ (3MPa)
 \rightarrow no problem

\rightarrow Sliced target

- minimizes stress in (non-uniformly heated) target rim and radiator
- Main stress contribution from cyclic energy deposition by photon beam

• Ti-Cu contact

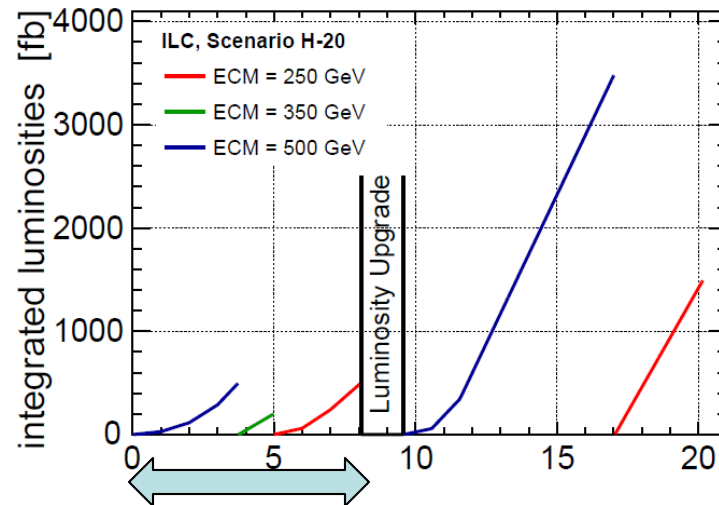
- must work well for all temperatures
- Calculation of stress at the contact Ti to radiator needs FEM methods
- Possibilities considered
 - Peter's proposal: use bolts + plate springs
 - Felix' (also Marty Breidenbach's) proposal: use multiple dovetail connection for tight connection between Ti and Cu
 - Status and more details in Felix' talk



- Eddy currents
 - See talks at ALCW15, POSIPOI15
 - no problem for 5Hz, $\tau_{\text{pulse}} \sim 1\text{ms}$, and 0.5T at target
 - Pulsed braking power \Leftrightarrow intermittent force on the target shaft and bearings (P. Sievers: $\sim 100\text{N}$ in 1ms)
 - tight control of the wheel velocity, motor torque
 - vibrations have to be studied

Expected target load in the first years

- Running scenario H-20 start with $E_{cm} = 500 \text{ GeV}$ (500 fb^{-1}), followed by $E_{cm} = 350 \text{ GeV}$ (200 fb^{-1}); and 250 GeV (500 fb^{-1}); 1326 bunches per pulse during the first years.



- Average E deposition: 2.3kW (500GeV), 3.9kW (350GeV), 5kW (250GeV)
 → Estimated peak temperatures for 2m^2 (1m^2) radiator area:
 - ~400C (500C) at 500GeV
 - ~450C (550C) at 350GeV
 - ~470C (570C) at 200GeV, 5Hz, 230m undulator length
- Cyclic load stress due to γ beam $\leq 200 \text{ MPa}$ (nominal L, no e+ pol upgrade)
- Beam test studies at microtron in Mainz show that Ti6Al4V should stand this

Ti alloy parameters at high temperatures

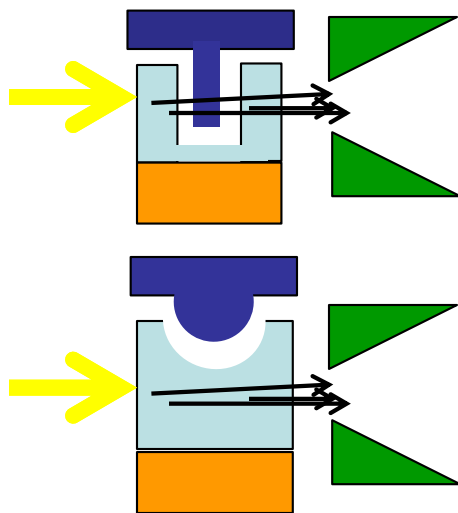
- **Ti6Al4V** (<http://asm.matweb.com/search/SpecificMaterial.asp?bassnum=MTP642>)
- **Ti-SF61** (Ti-5.9Al-2.7Sn-4Zr-0.45Mo-0.35Si-0.22Y), see also <http://amt-advanced-materials-technology.com/materials/titanium-high-temperature/>:

“This Titanium alloy could be used up to 620°C for long service times. ...highest creep resistance ... The fatigue strength is very high up to 820°C...”

	ρ [g/cm ³]	λ [W/mK]	α [10 ⁻⁶ /K]	T_{melt} [C]	E [GPa]	UTS [MPa]	YS [MPa]	Elong [%]	Fatigue [MPa, 10 ⁷]	β -trans. [C]
						RoomTemp				
Ti-SF61	4.56	6.7	8.3	1650	120	1068	1050	11	195@760C	
						600C				
						752	655	16		
						Room temp				
Ti6Al4V	4.43	8		1604	113.4	950	880	14	510 unn. 240n.	980

Thoughts for improvements

- Assuming radiator surface of 1 m^2 ,
 - at least 20-40% of the deposited power are radiated from the target rim
 - average target temperature increases less than 100K in comparison to 2 m^2 radiator area
- Ti6Al4V seems stable up to $T \sim 700\text{ C}$ average temperatures (see our material tests at MAMI, Alexandr's talk)
- Use Ti alloy developed for high temperature applications ? (M. Breidenbach: Ti-SF61)
- High temperature Ti alloy + lower radiator area \rightarrow Optimization of target shape? Increase radiating target area by factor 2 or ~ 1.5



1. Split target in 2 parts and add a stationary cooler fin between them outside the beam area
 \rightarrow Lower e^+ yield due to larger effective distance to FC (but this could help to increase e^+ polarization)
A. Ushakov estimate: Yield reduction by $\sim 10\%$ for 10mm gap between target parts

2. Do not touch beam path region but increase outer target surface

(Rough sketches, no technical drawings!)

Summary

- Radiative cooling will work
 - Under study:
 - Efficient contact between target rim and radiator
 - Optimize target+radiator surface + material
 - Mechanical issues
- Polarized positrons
 - Realistic undulator spectrum (see Khaled's and Ian's talks)
 - Polarization upgrade
 - PEDD and target design
 - photon collimation?
 - Polarization measurement at the e+source
- Cyclic load tests at MAMI (see also Alexandr's talk)
 - Check target material properties at high temperatures and high load
 - Target and exit window material
- Photon dump
 - ... was not subject of this talk
 - 'Extrapolation' of photon collimator studies (see <http://arxiv.org/abs/1412.2498>) show that a graphite dump is possible, but should be either moved (as the dump window) or consist of cooled rods



Thank you!

Temperature distribution at the target rim

- adjust revolution frequency to distribute energy deposition almost uniformly over rim
- for example:
 - bunch train occupies angular range θ_{pulse}
 - $f_{\text{rev}} = 1922\text{rpm}$ instead of 2000rpm
 - pattern: **1st second:** 0, 144, 288, 72, 216,
2nd second: $0 + \theta_{\text{pulse}}$,
3rd second: $0 + 2\theta_{\text{pulse}}$
 - after $\sim 7\text{s}$ the rim is almost uniformly heated
 - unbalances due to non-uniform heating are avoided

