

Collinear laser spectroscopy of Pd isotopes at Jyväskylä

Alejandro Ortiz Cortés

Supervisors: Lucia Caceres

Iain Moore

Outline

1. Motivation

- Neutron rich (first experiment)
- Neutron deficient (second experiment)

2. Experimental setup

3. Results

- Mean square charge radii
- Dipole magnetic moments
- Quadrupole electric moments
- Theoretical calculations

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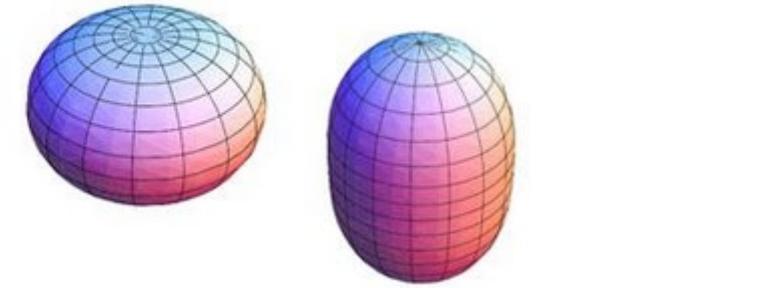
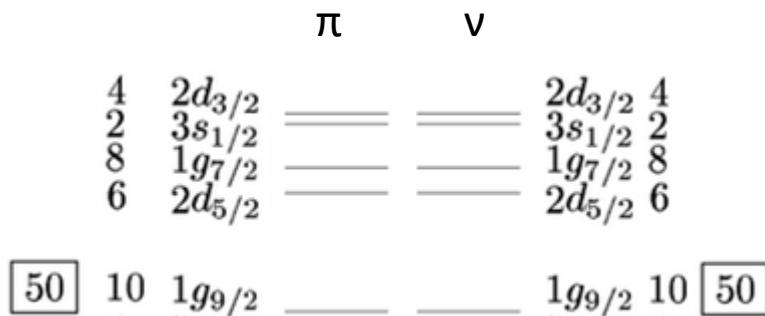
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1. Motivation

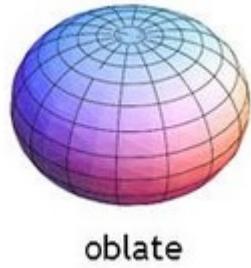
Single particle VS Collectivity



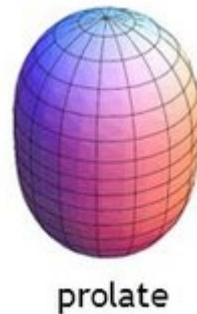
Possible Transitional character

1. Motivation

Neutron rich



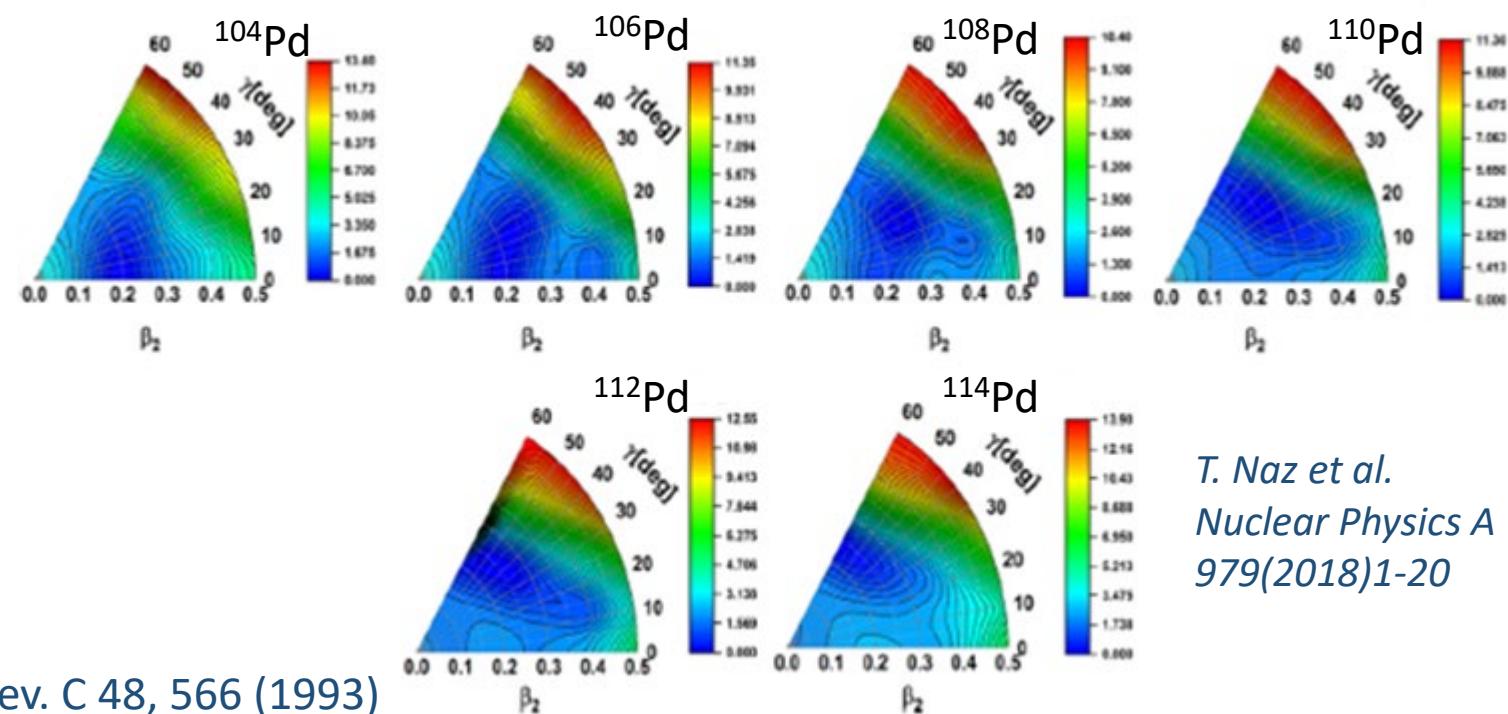
oblate



prolate

112,114,116Pd

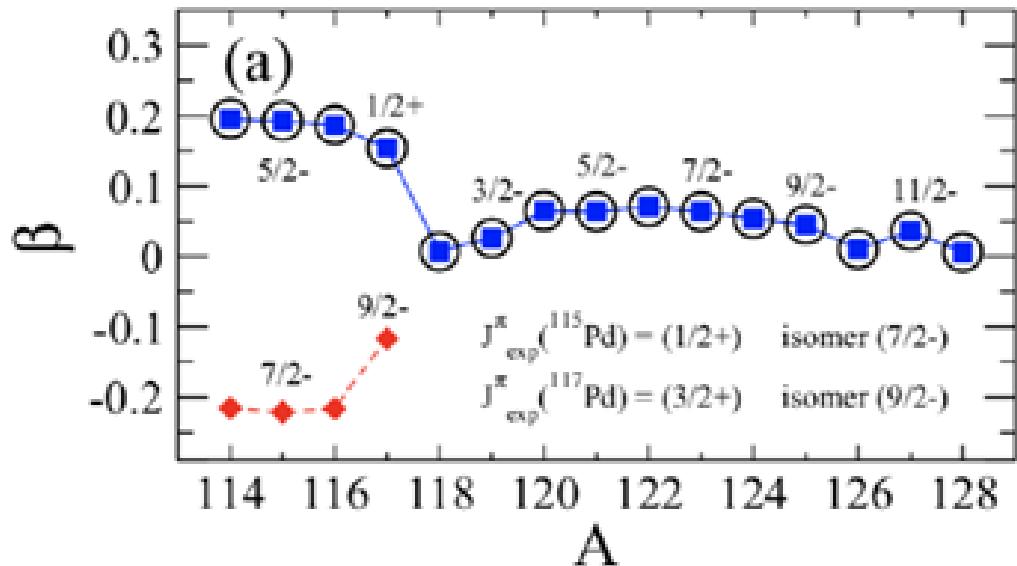
R. Aryaienejad et al., Phys. Rev. C 48, 566 (1993)



T. Naz et al.
Nuclear Physics A
979(2018)1-20

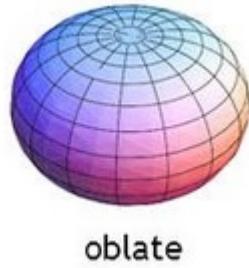
109-123Pd

M. Houry et al., Eur. Phys. J. A 6, 43 (1999).

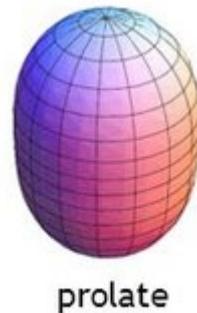


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oblate

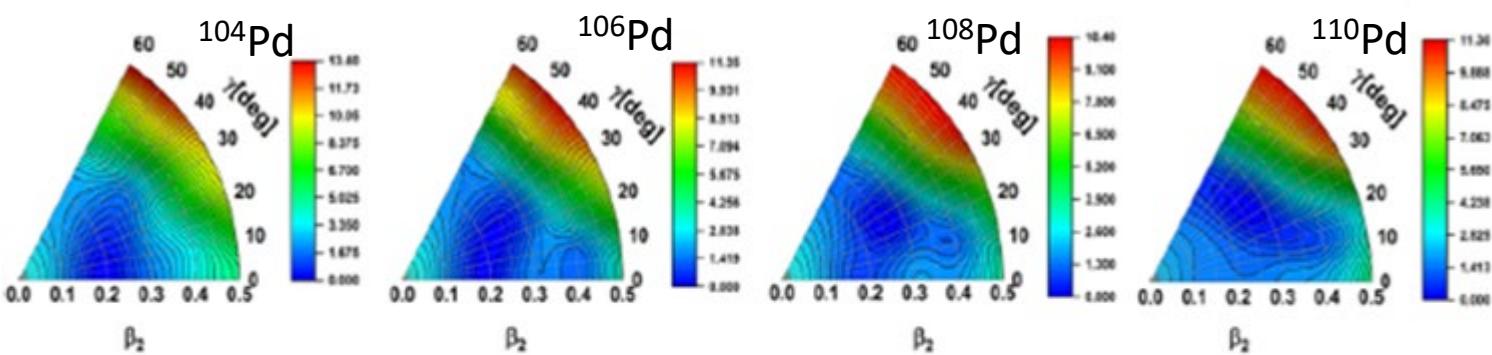


prolate

R. Aryaienejad

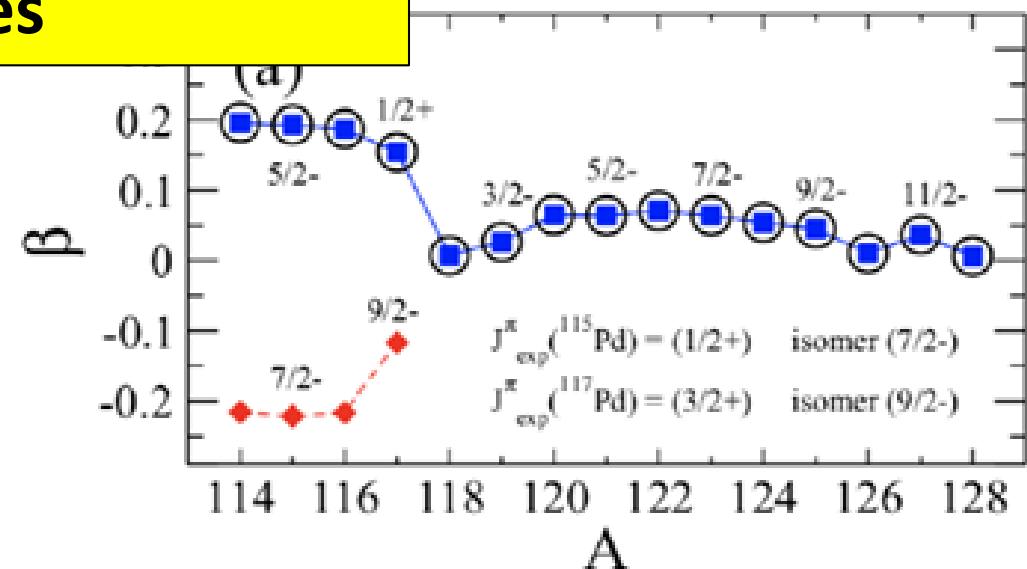
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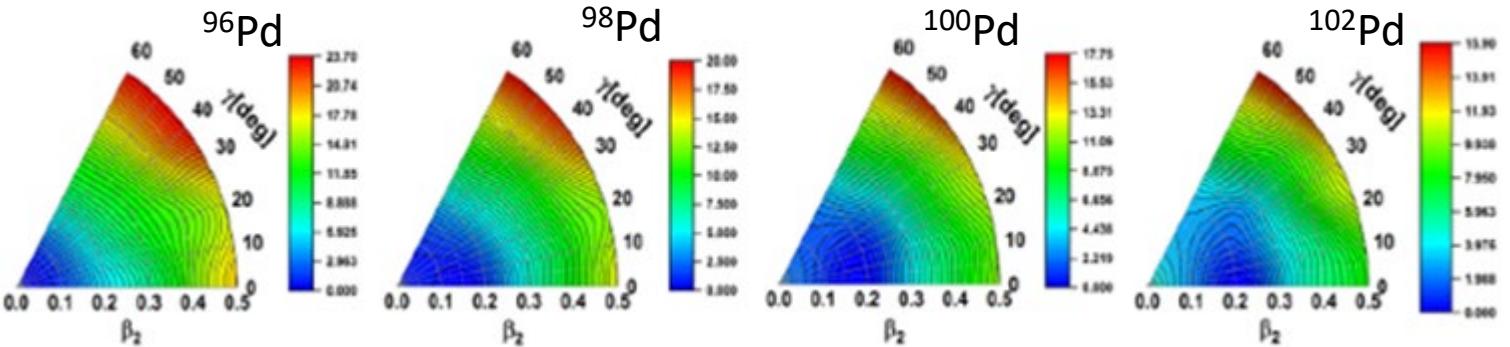
T. Naz et al.
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Disagreement on the type of deformation on neutron rich isotopes



1. Motivation

Neutron deficient



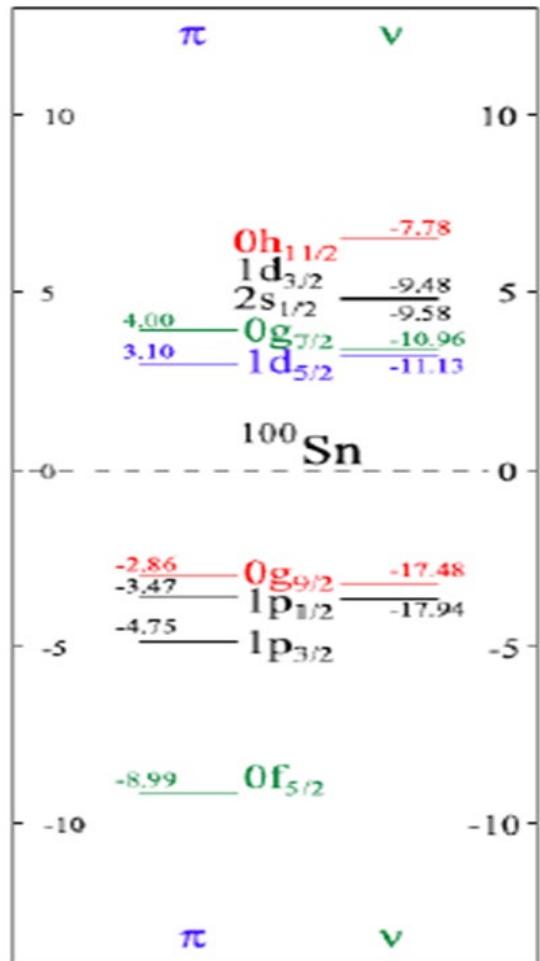
T. Naz et al. Nuclear Physics A 979(2018)1-20

Large Scale Shell Model (LSSM) calculations have computational limitations due to the large model space. The phenomenological correction gives very good results.

Energy Density Functionals (EDF) has been tested by **nuclear charge radii**

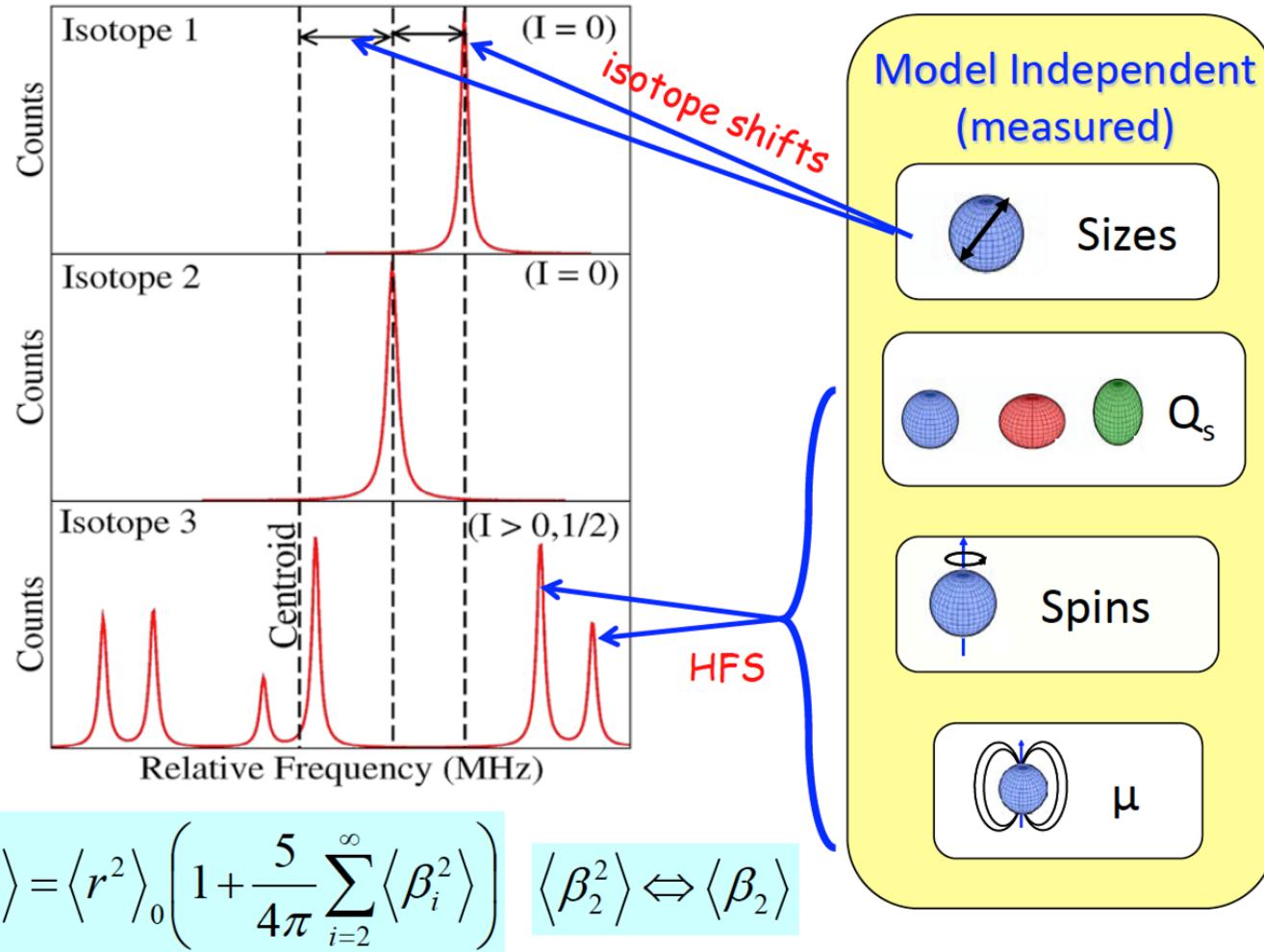
Ab-initio requires a consistent description of electro-weak currents. **Magnetic moments** are sensitive observables.

Beyond-mean field calculations define the intrinsic wave functions (HFB) along the quadrupole deformations. **Quadrupole moments** are sensitive observables.



H. Grawe and M. Lewitowicz,
Nucl. Phys., vol. A 693,
pp. 116-132, 2001

1. Measure of nuclear observables



$$A = \frac{\mu B_0}{\hbar^2 I J}$$

$$B = e Q_s \left\langle \frac{\partial^2 V_e}{\partial z^2} \right\rangle$$

$$Q_s = \frac{3\Omega^2 I(I+1)}{(I+1)(2I+3)} Q_0$$

$$Q_0 = \frac{3}{\sqrt{5\pi}} Z \langle r_{sph}^2 \rangle \langle \beta_2 \rangle (1 + 0.36 \langle \beta_2 \rangle)$$

Courtesy I. Moore

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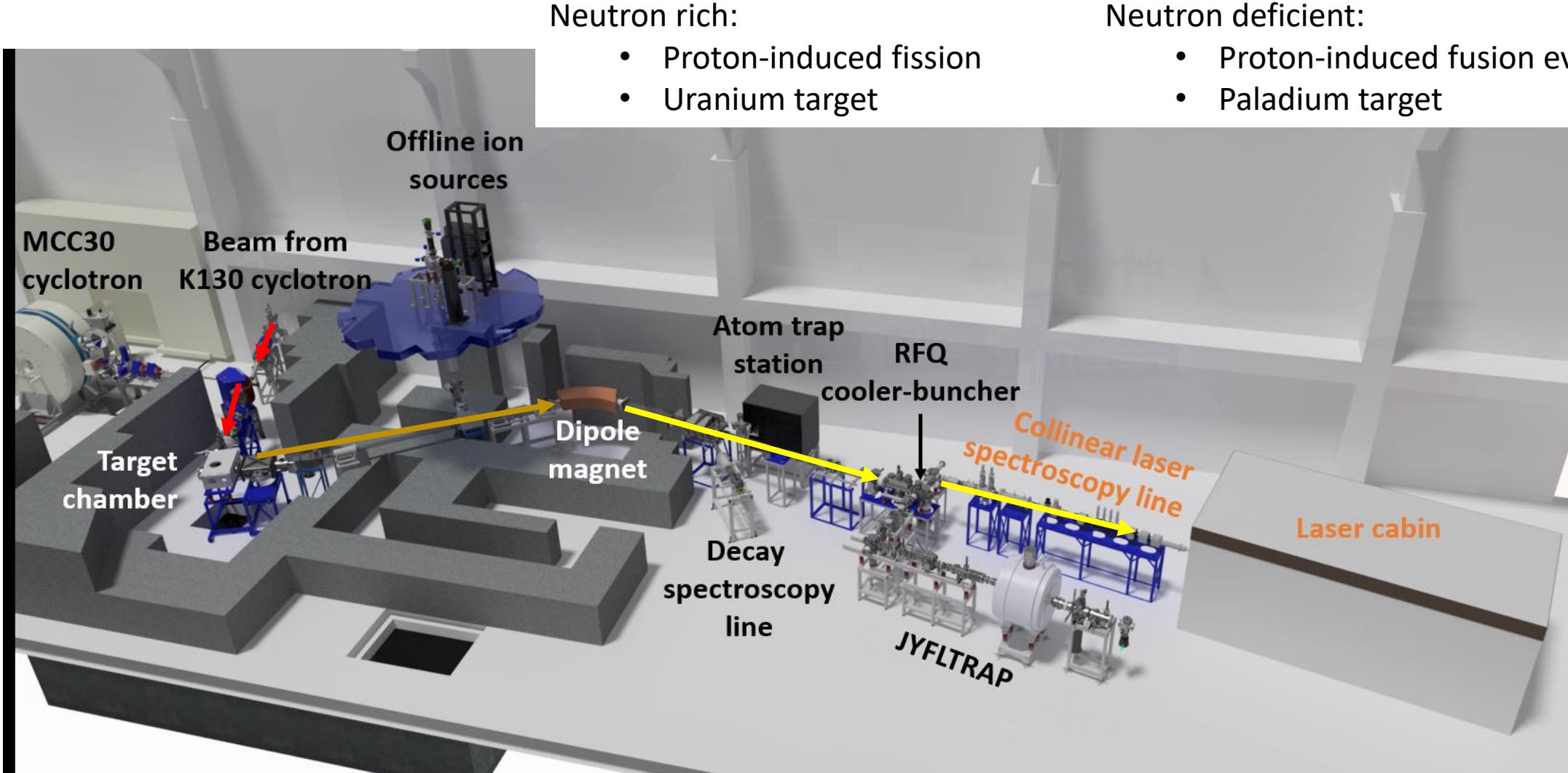
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2. *IGISOL collinear laser spectroscopy line*



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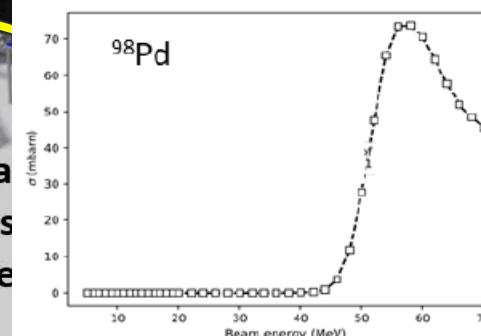
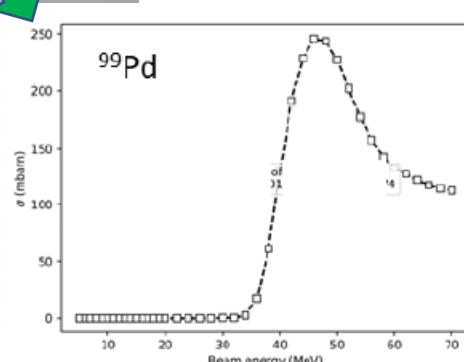
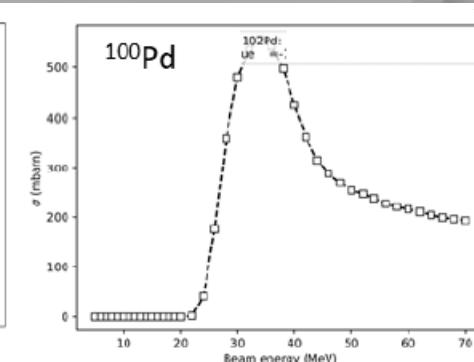
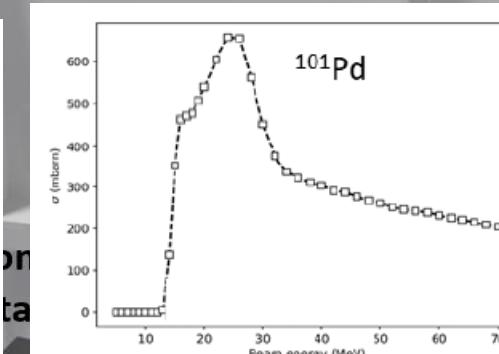
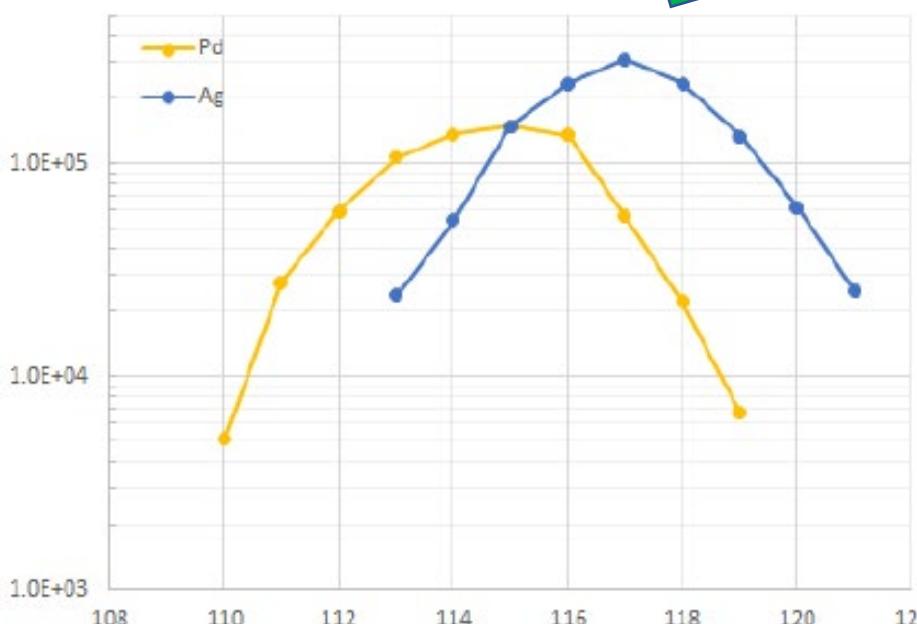
Neutron rich:

- Proton-induced fission
- Uranium target

Neutron deficient:

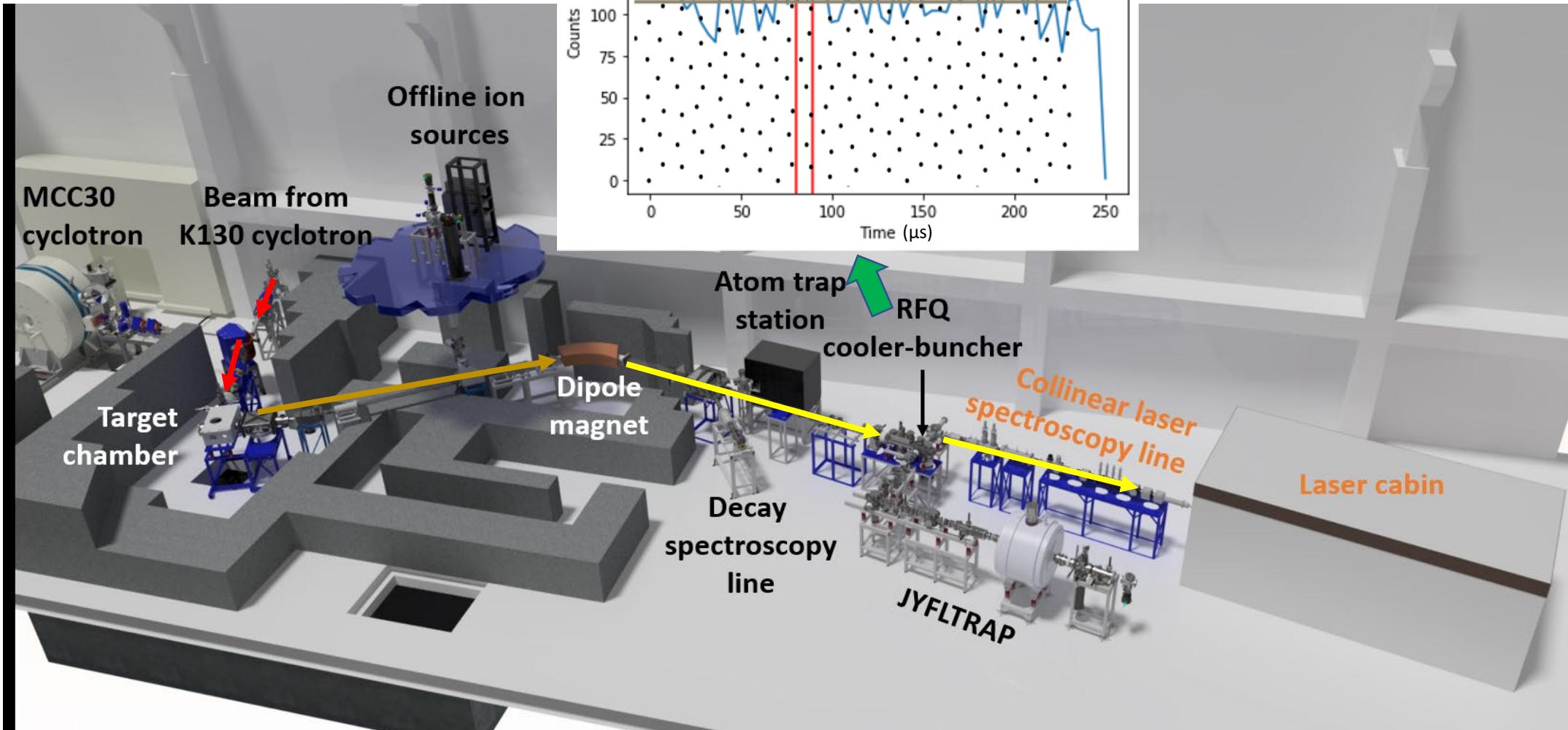
- Proton-induced fusion evaporation
- Palladium target

Offline ion

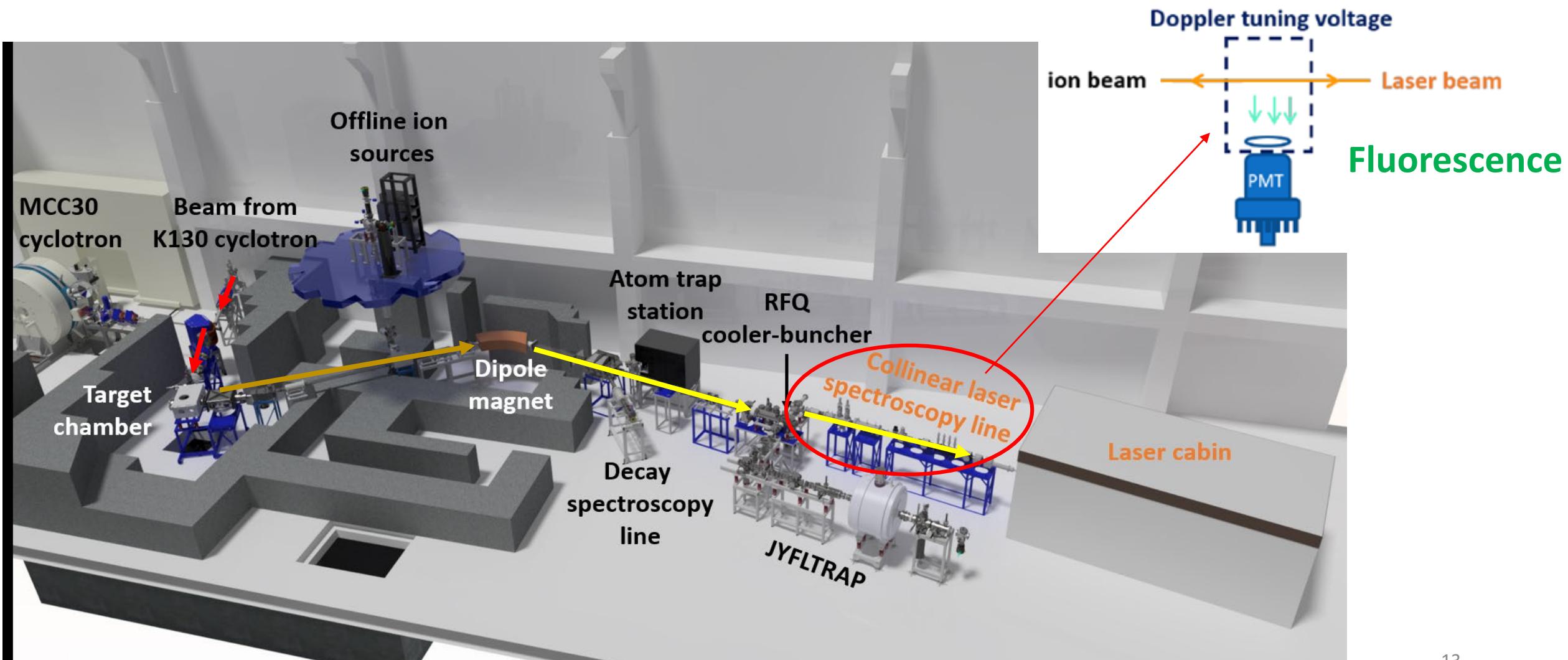


A	E[MeV]	Yield [1/s]
101	25	60000
100	35	55000
99	45	25000
98	60	7000

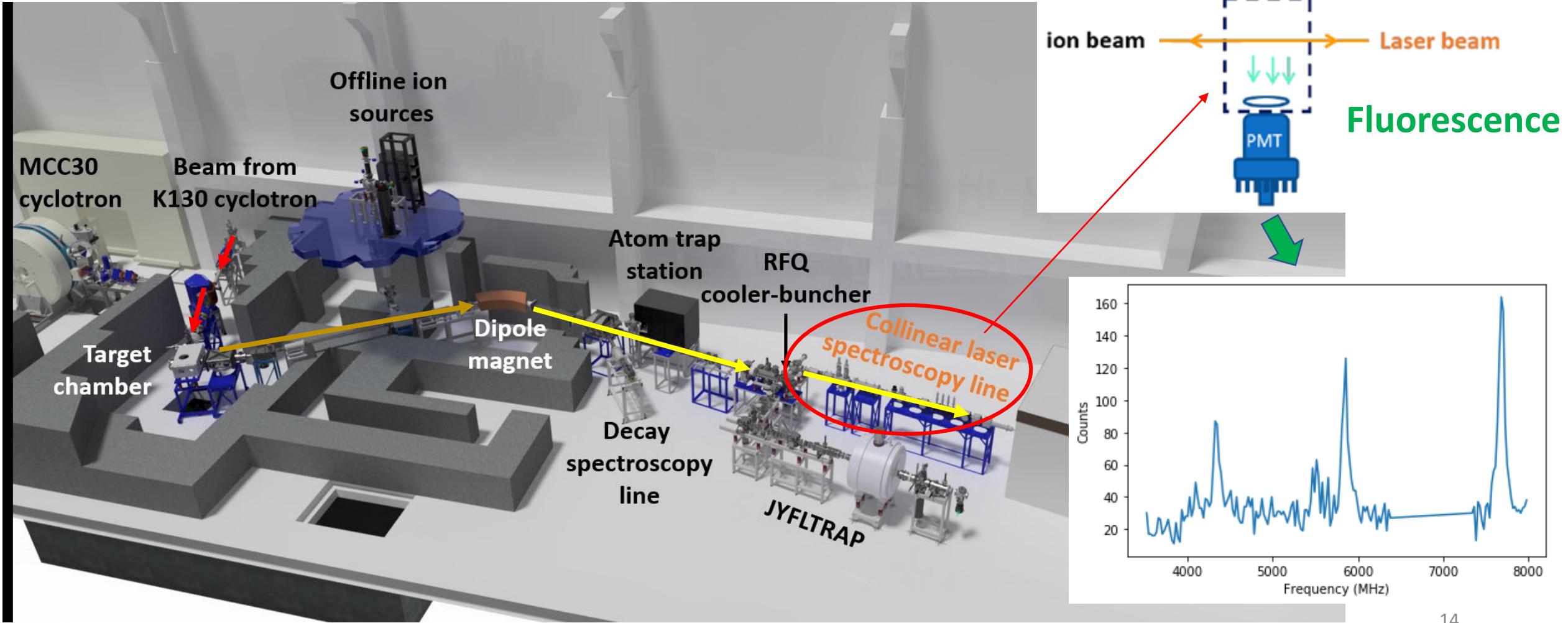
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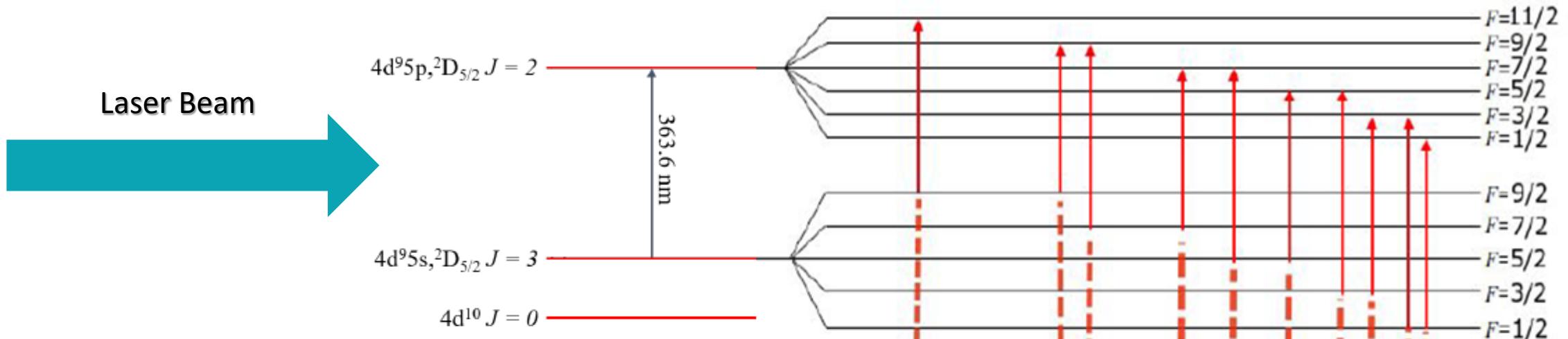


2. *IGISOL collinear laser spectroscopy line*



2. Laser spectroscopy

$$\frac{\Delta E}{\hbar} = \frac{K}{2}A + \frac{3K(K+1) - 4I(I+1)J(J+1)}{8I(2I-1)J(2J-1)}B$$

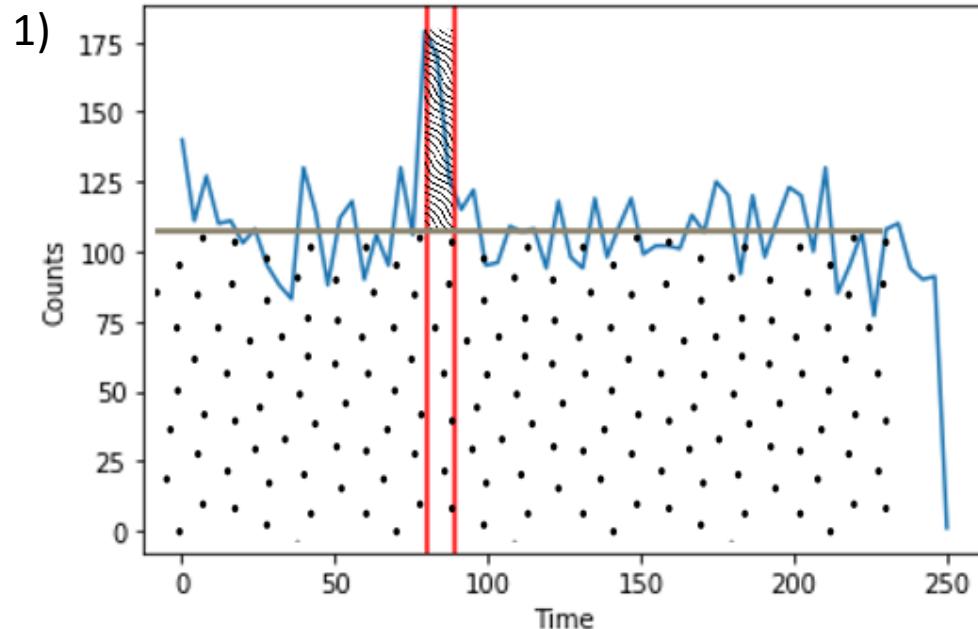


- Set the laser wavelength to the energy of transition in the electronic fine structure.
- Scan with the accelerating voltage to vary the kinetic energy → Change in the relative laser wavelength due to the Doppler shift.

$$K = F(F+1) - I(I+1) - J(J+1)$$

Simulation

2. Analysis



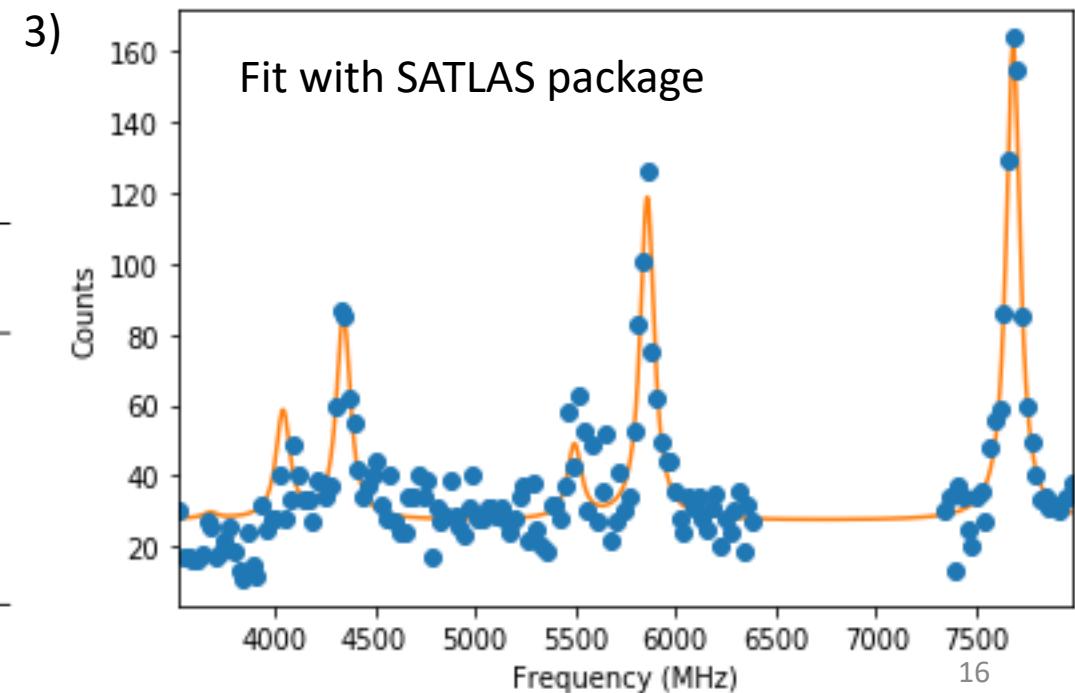
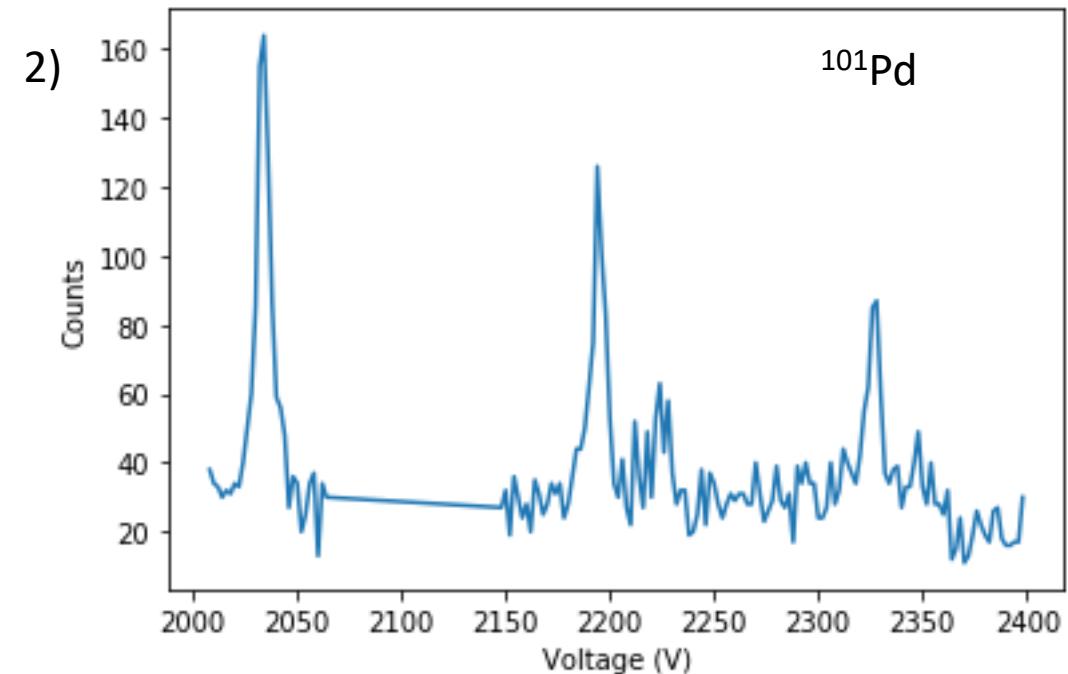
Neutron rich experiment

- Even isotopes $^{112-118}\text{Pd}$
- Odd isotopes ^{113}Pd and ^{115}Pd
- Reference isotope ^{108}Pd

Isotope	Measure time (hours)
98	13
99	27.5
100	3.5
101	9
102	reference
	11.5

Neutron deficient experiment

- All isotopes $^{98-101}\text{Pd}$
- No able to measure ^{103}Pd
- Reference isotope ^{102}Pd



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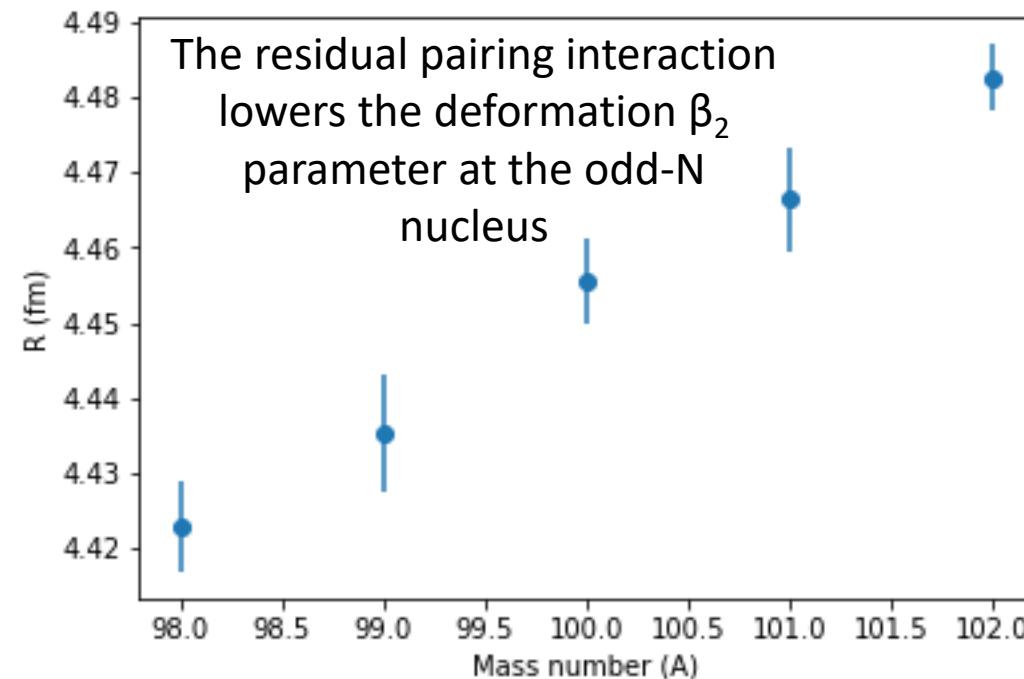
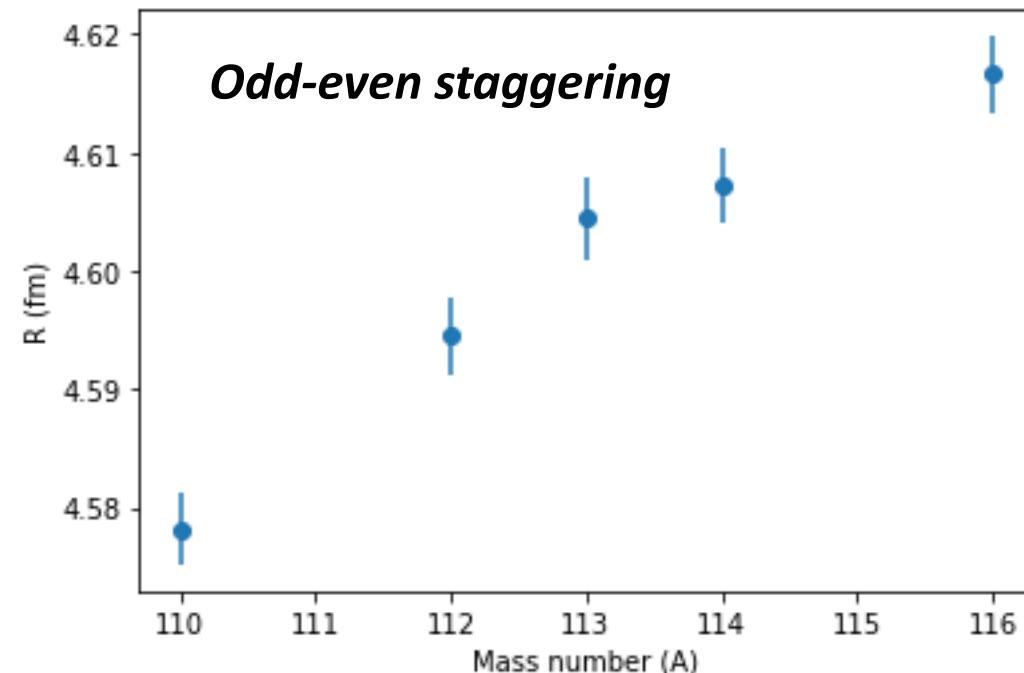
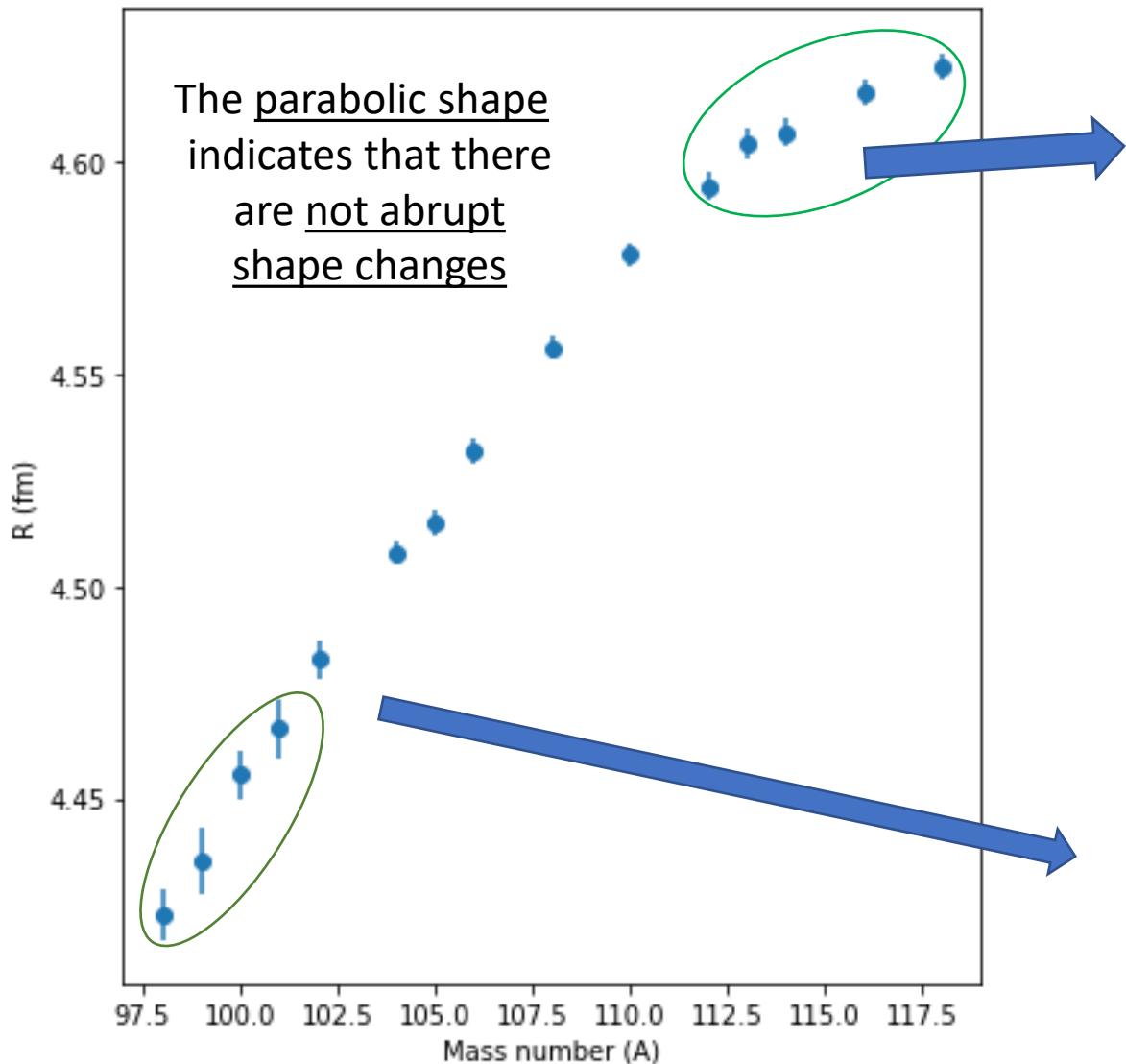
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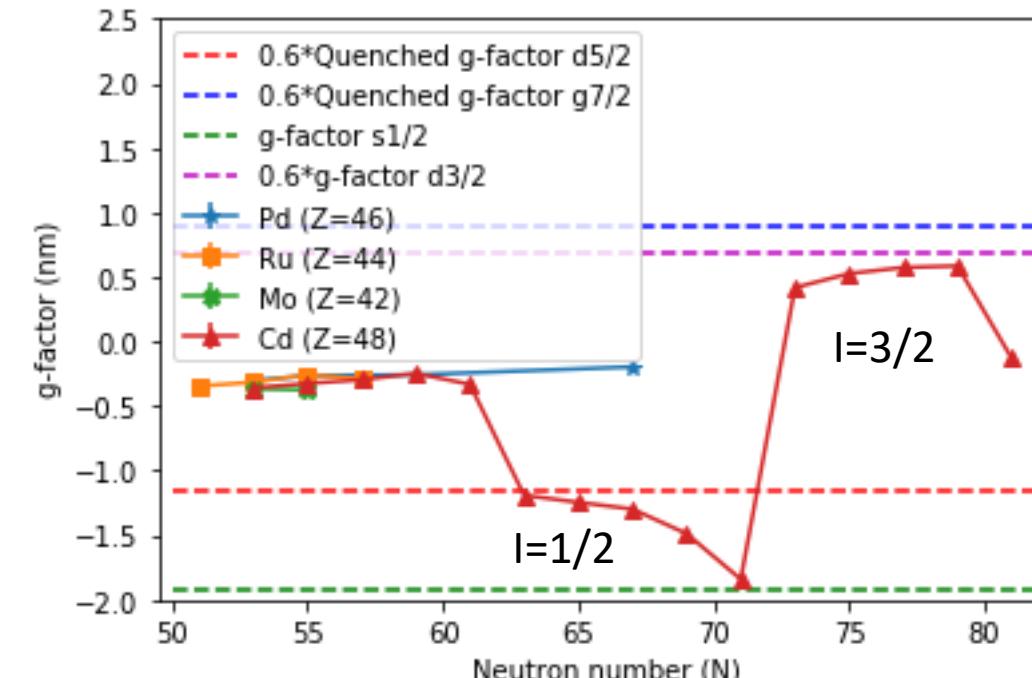
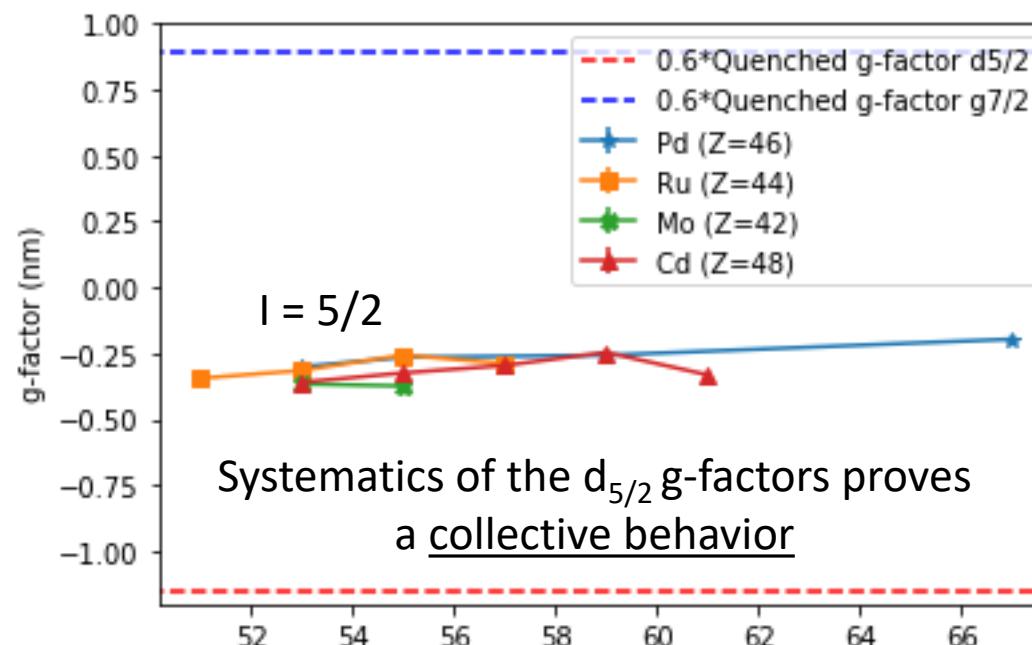
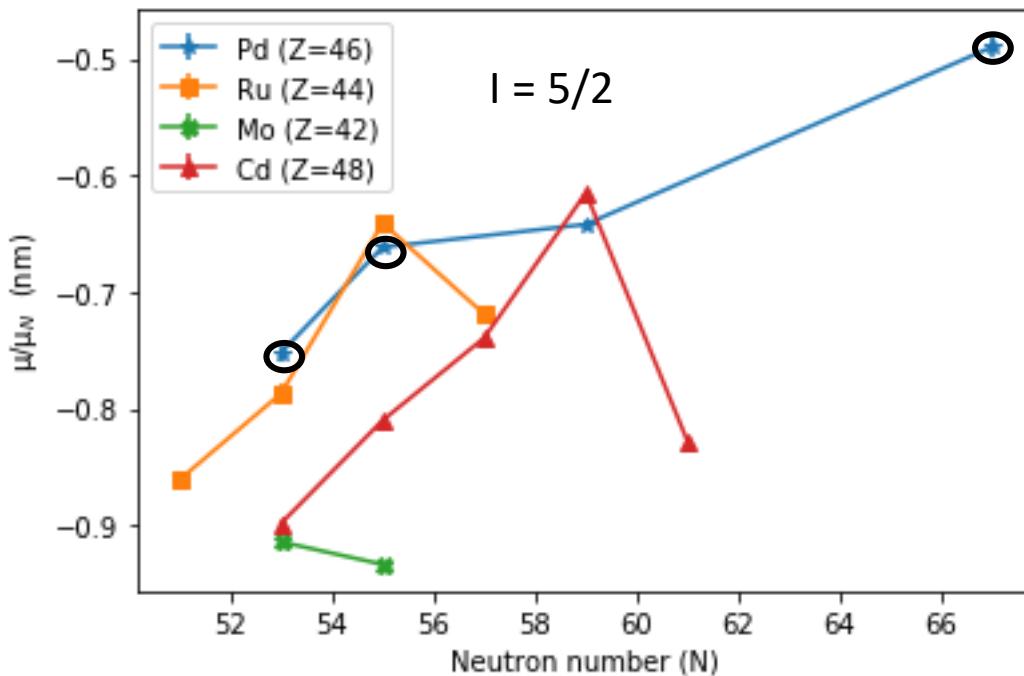
3. Results

Mean square charge radii



3. Results

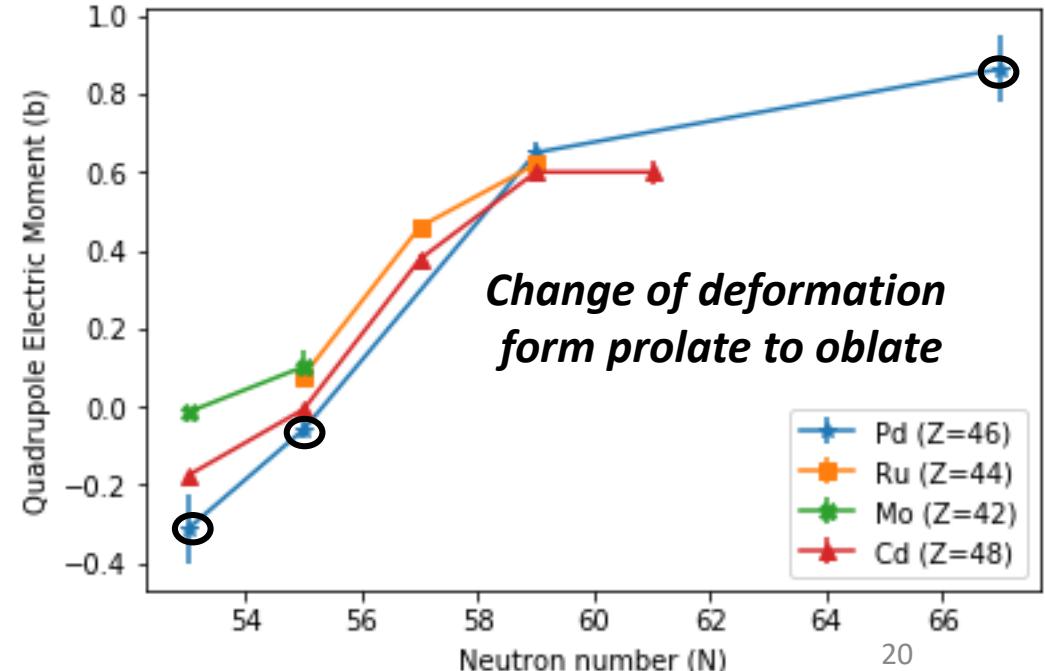
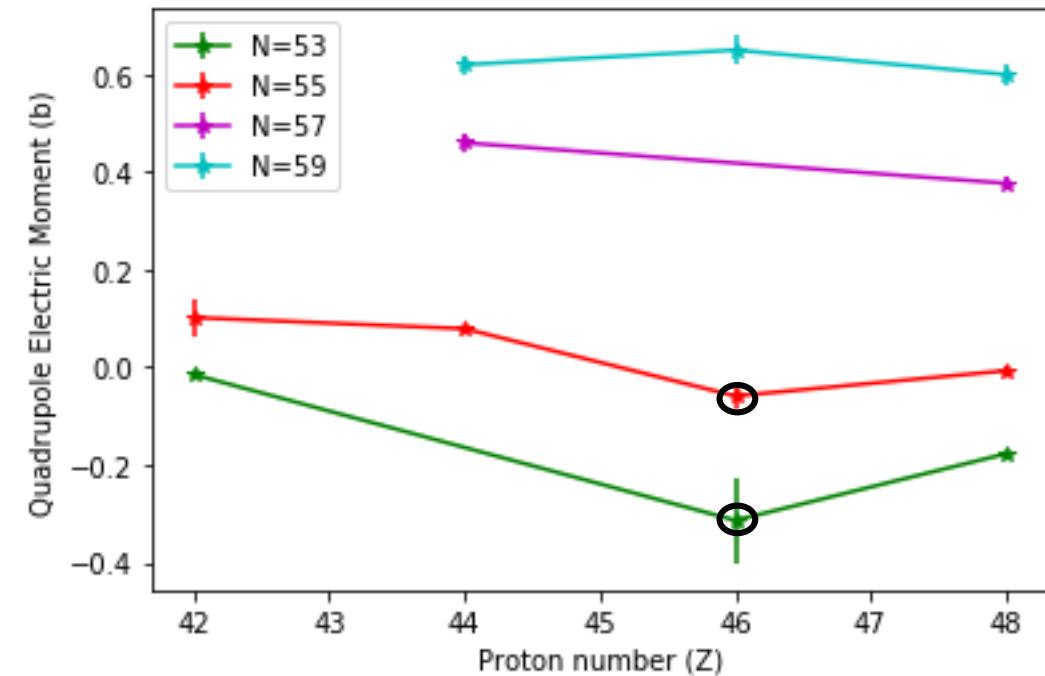
Magnetic moments



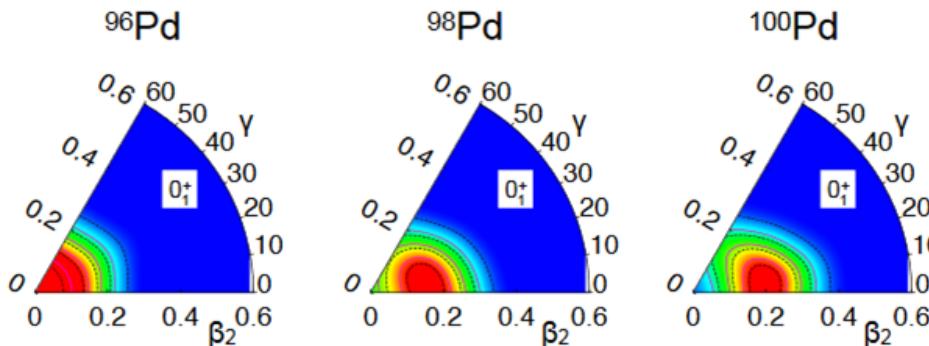
3. Results

Quadrupole electric moment

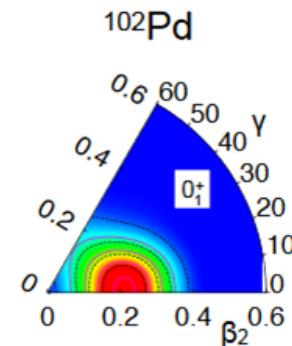
- The flat shape of the isotonic lines suggest that there is no significant effect on the deformation with increasing Z
- Palladium ($Z=46$) is the element who seems to have the most deformation in the region
- Systematics of the region show a linear trend, probably due to the addition of neutron pairs to the $d_{5/2}$ shell plus an odd neutron
- The small increase between the ^{105}Pd and the ^{113}Pd could be due to that the neutron occupation of the $d_{5/2}$ Shell is already at maximum as could happen for $^{109}\text{Cd}^{\dagger}$



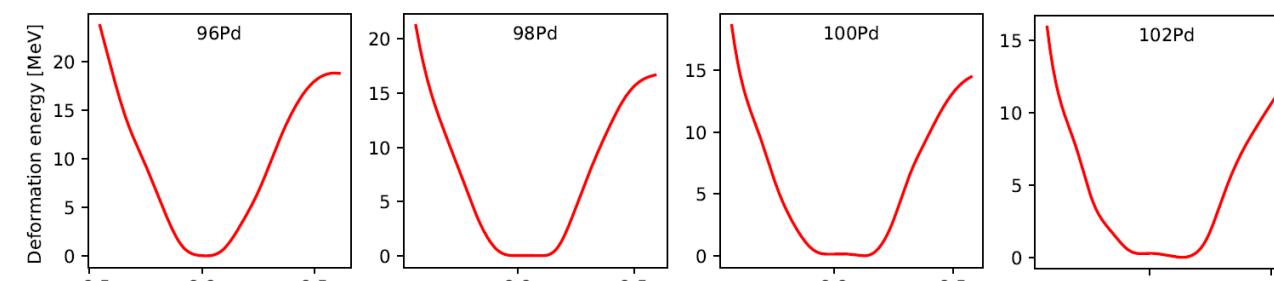
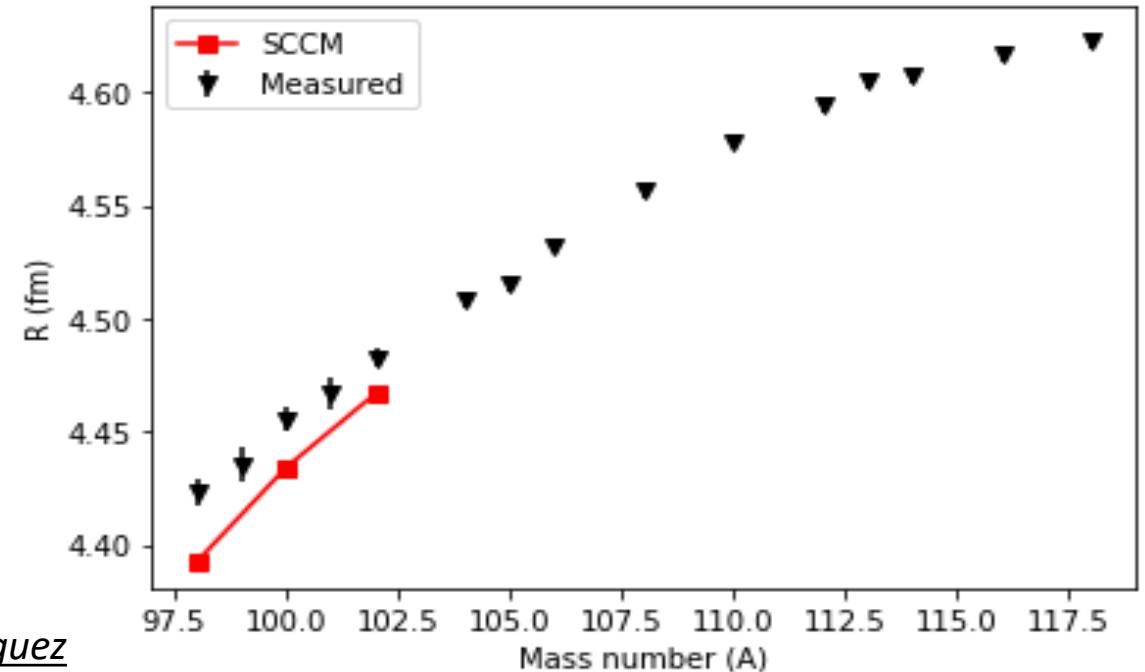
3. Preliminary theoretical calculations



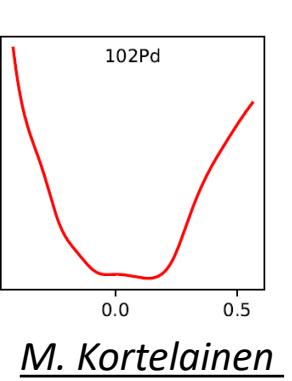
Symmetry conserving configuration mixing (SCCM)



Tomas R. Rodriguez

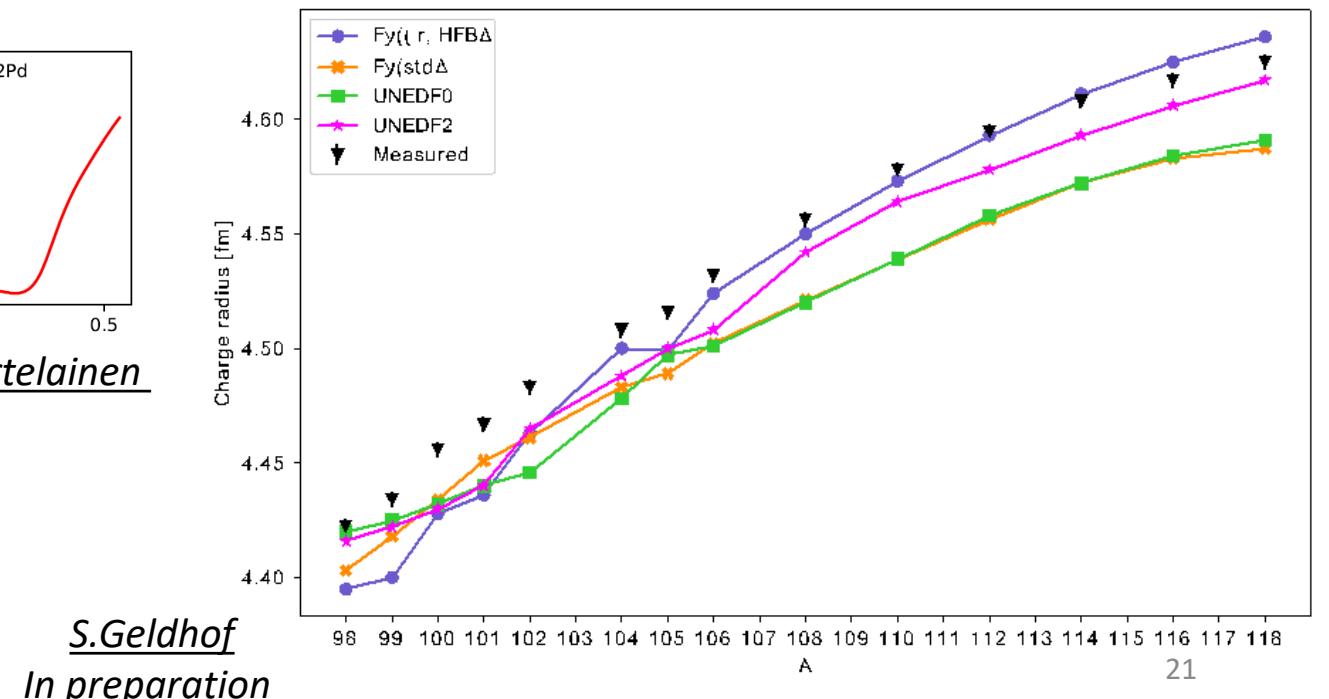


Fayans Energy Density Functionals



M. Kortelainen

Waiting for F. Nowacki calculations
Large Scale Shell Model



S.Geldhof
In preparation

3. *Outlook and conclusions*

Conclusions

- Prolate deformation on neutron rich nuclei
- Theoretical calculations do not reproduce oblate deformation in neutron deficient isotopes

Perspectives

- Colinear laser spectroscopy on ^{103}Pd
- Hot cavity laser spectroscopy on more neutron deficient isotopes, crossing N=50

THANKS FOR YOUR ATTENTION