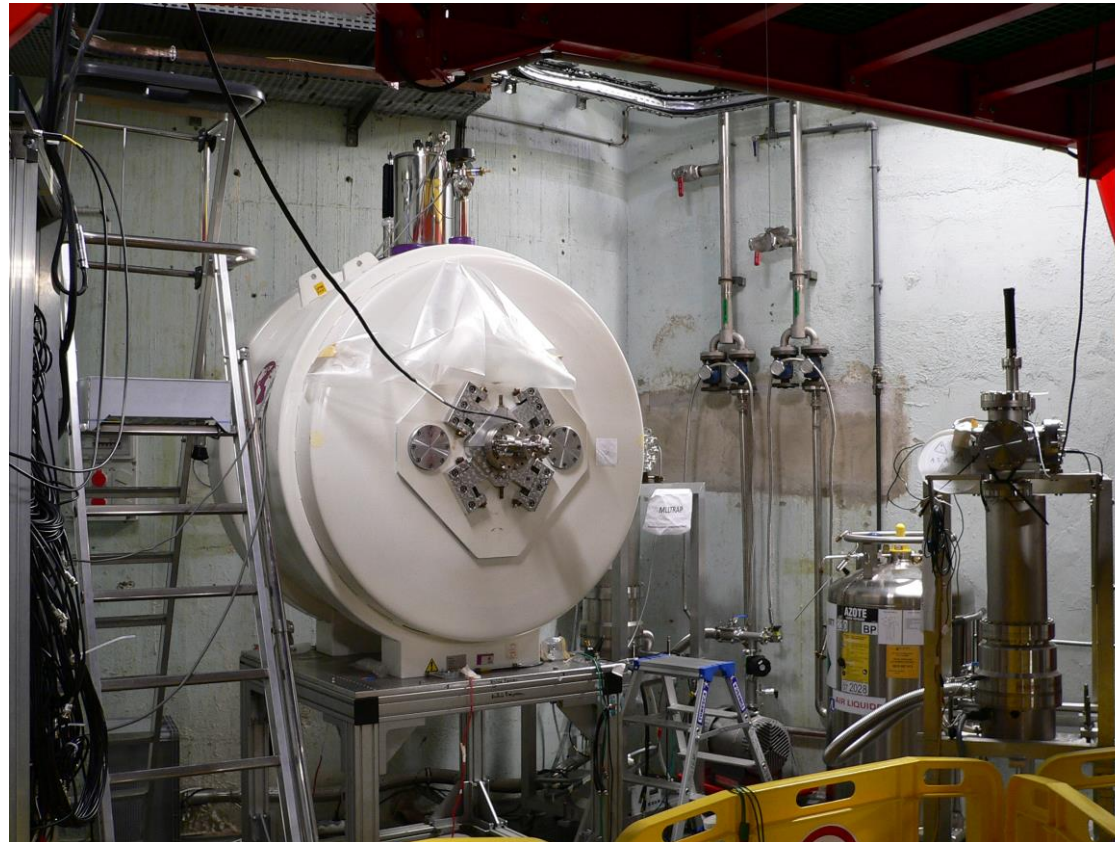




Elodie Morin  
Supervised by Enrique  
Minaya Ramirez



17/05/2021

## Study of N = 82 shell closure with silver isotopes high precision mass measurements (A = 124-129)

### Nuclear structure :

- Binding Energies :

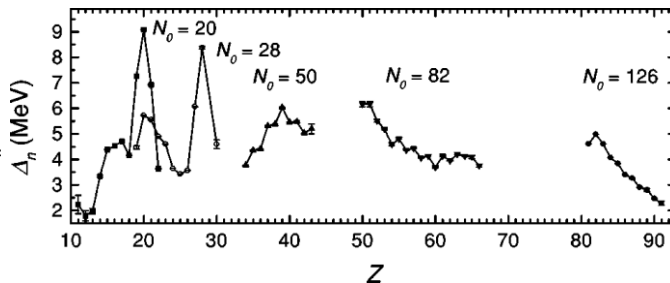
$$B(N, Z) = [N M_n + Z M_p - M(N, Z)] c^2$$

- Two neutron separation energies :

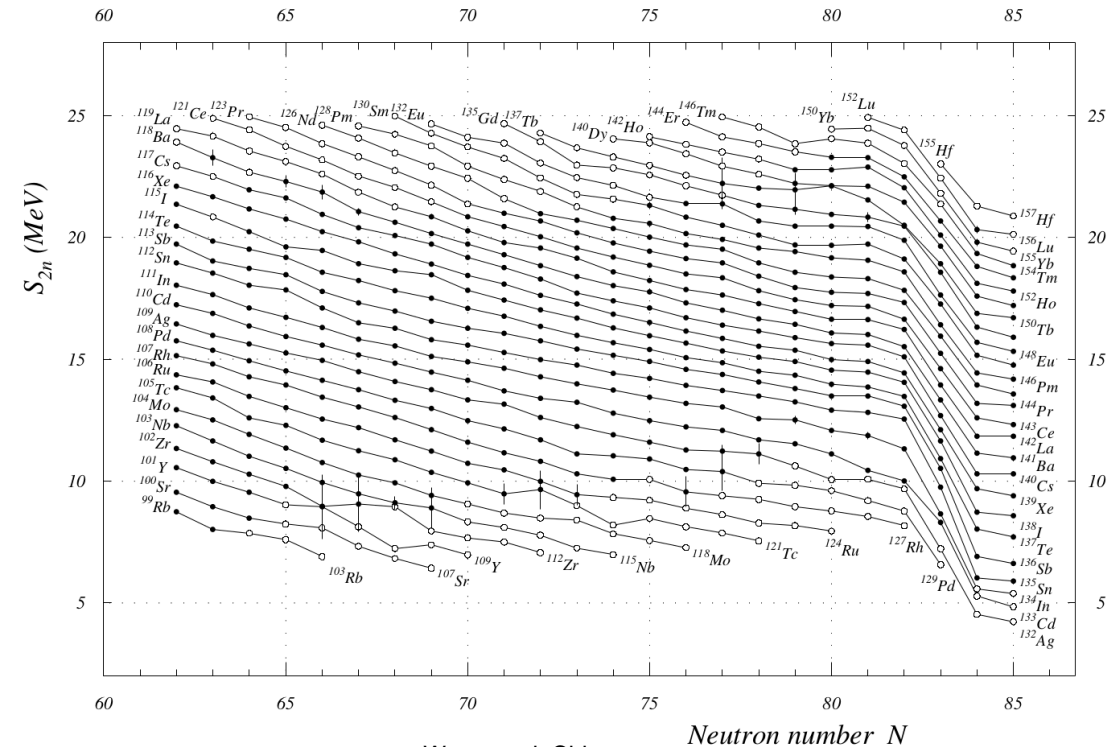
$$S_{2n}(N, Z) = B(N, Z) - B(N-2, Z)$$

- Shell gaps :

$$\Delta_n(N, Z) = S_{2n}(N, Z) - S_{2n}(N+2, Z)$$



Lunney, Pearson, Thibault / Review of modern physics 75 (2003)



Wang et al. Chinese Physics C (2017)

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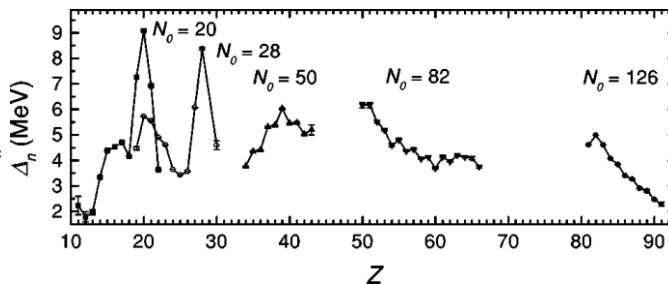
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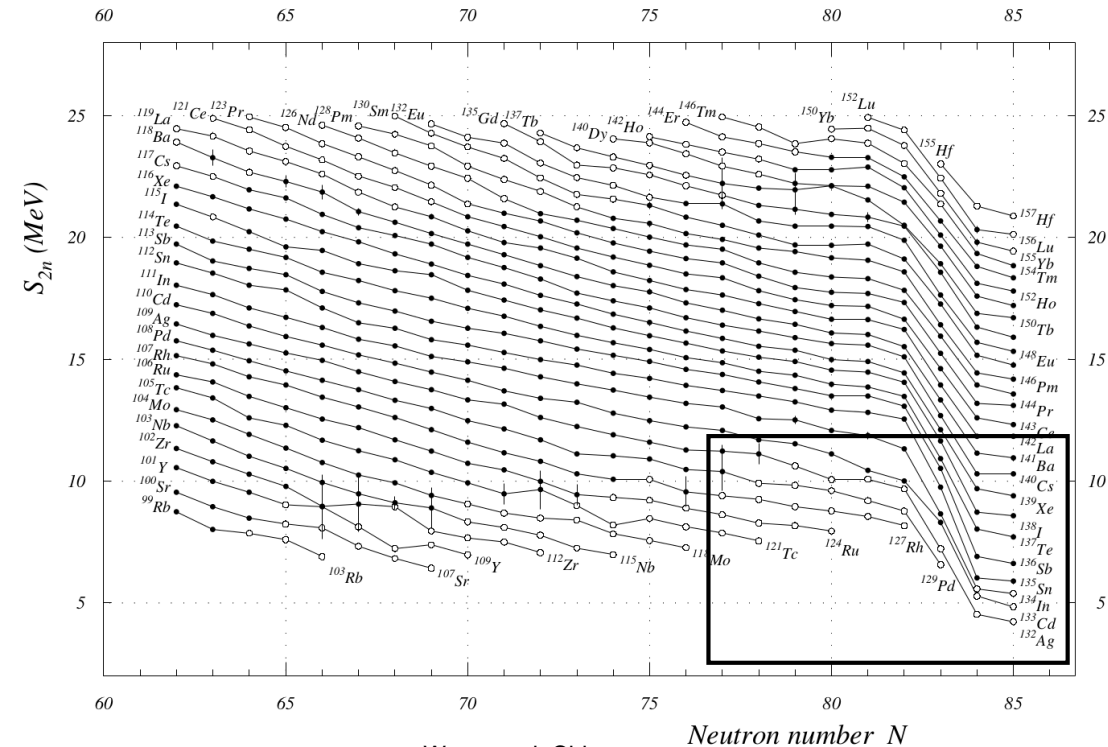
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- Shell closures :

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Lunney, Pearson, Thibault / Review of modern physics 75 (2003)



Wang et al. Chinese Physics C (2017)

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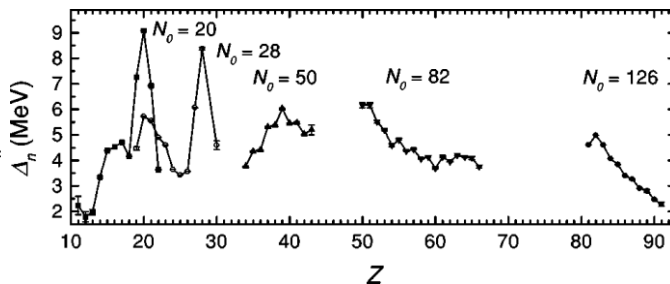
$$B(N, Z) = [N M_n + Z M_p - M(N, Z)] c^2$$

- Two neutron separation energies :

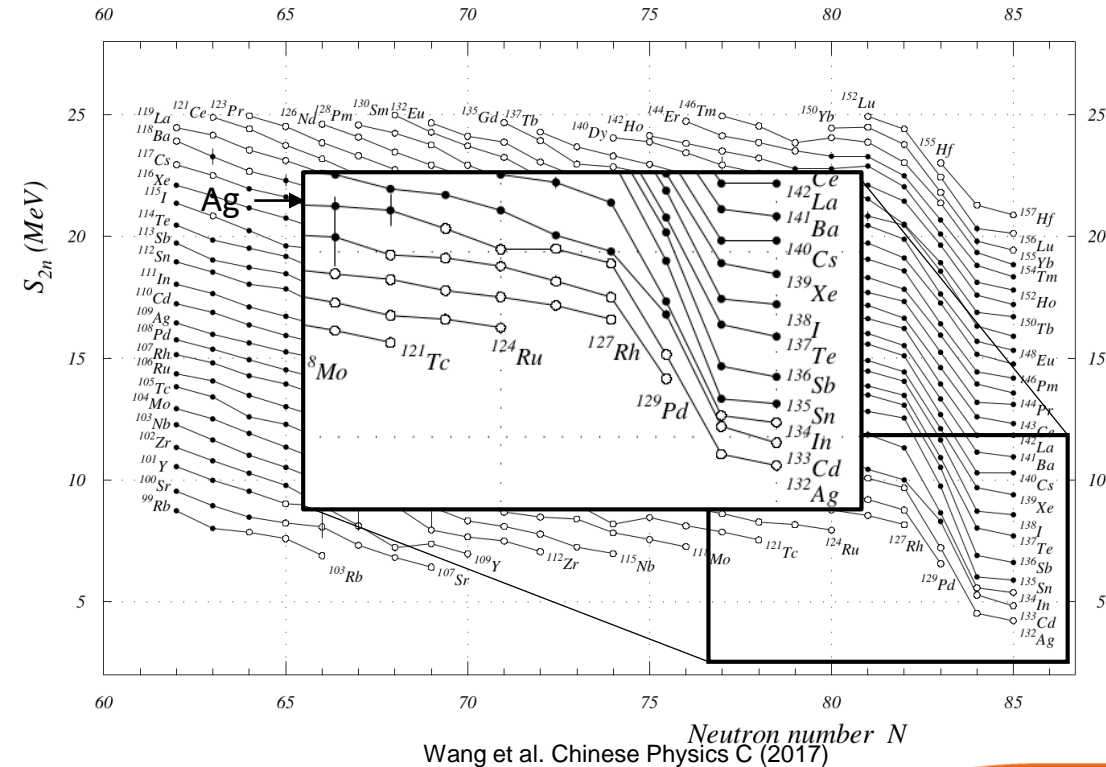
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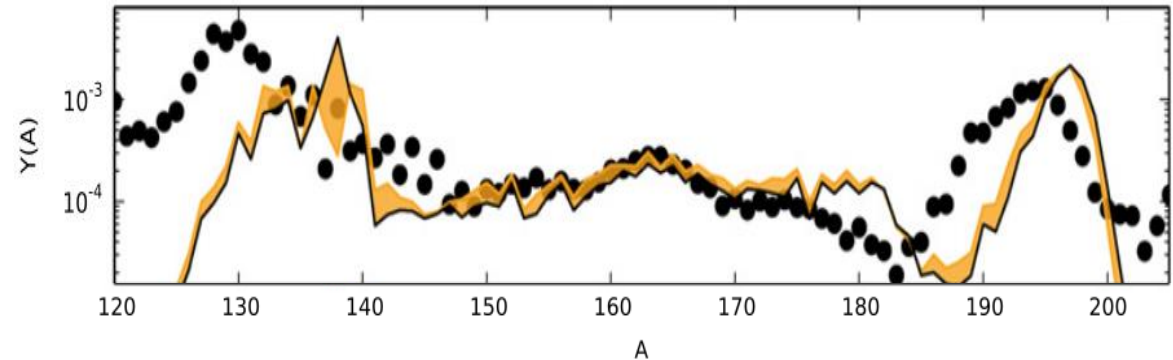
Lunney, Pearson, Thibault / Review of modern physics 75 (2003)



## Study of $N = 82$ shell closure with silver isotopes high precision mass measurements ( $A = 124-129$ )

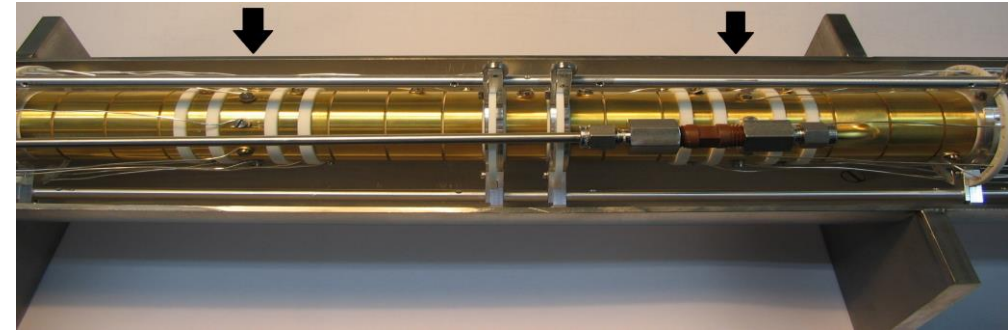
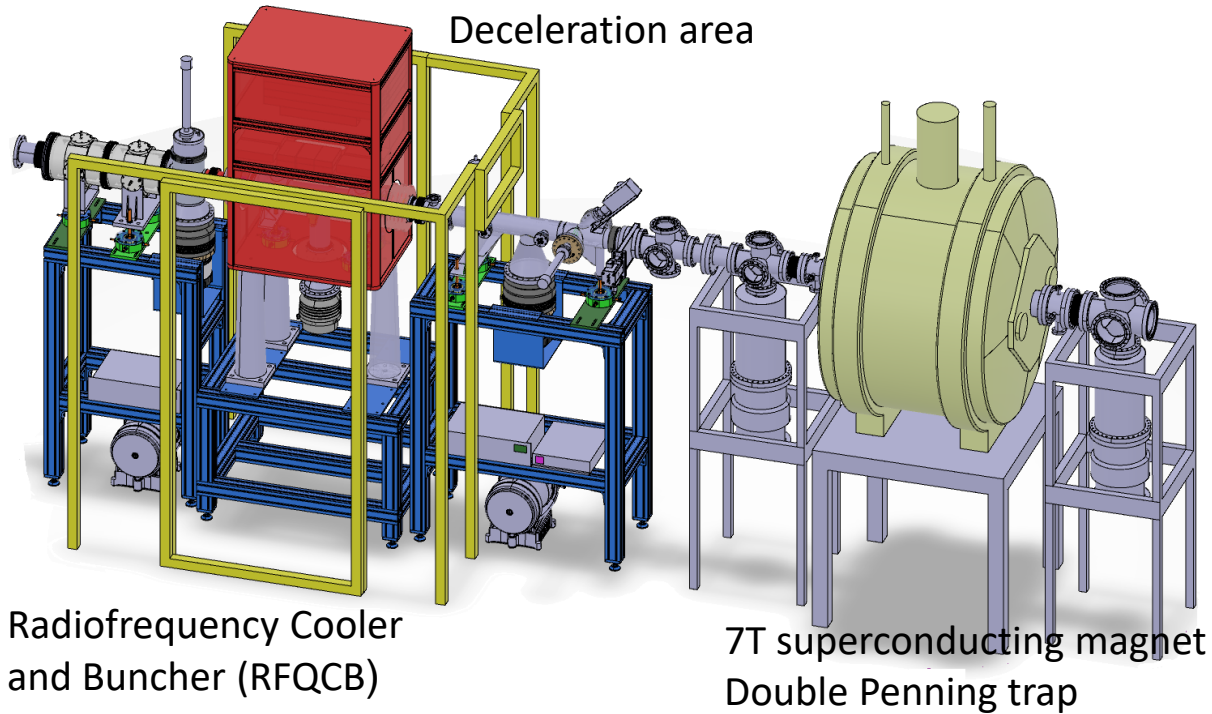
- **Nuclear astrophysics**

- $N = 82$  could be linked to  $A = 130$  solar abundance peak :
  - Balance between neutron capture and beta decay
  - Fission recycling
- Nuclear informations including nuclear masses are important inputs for r-process path evolution models



M.R. Mumpower et al. / Progress in particle and nuclear physics 86 (2016)

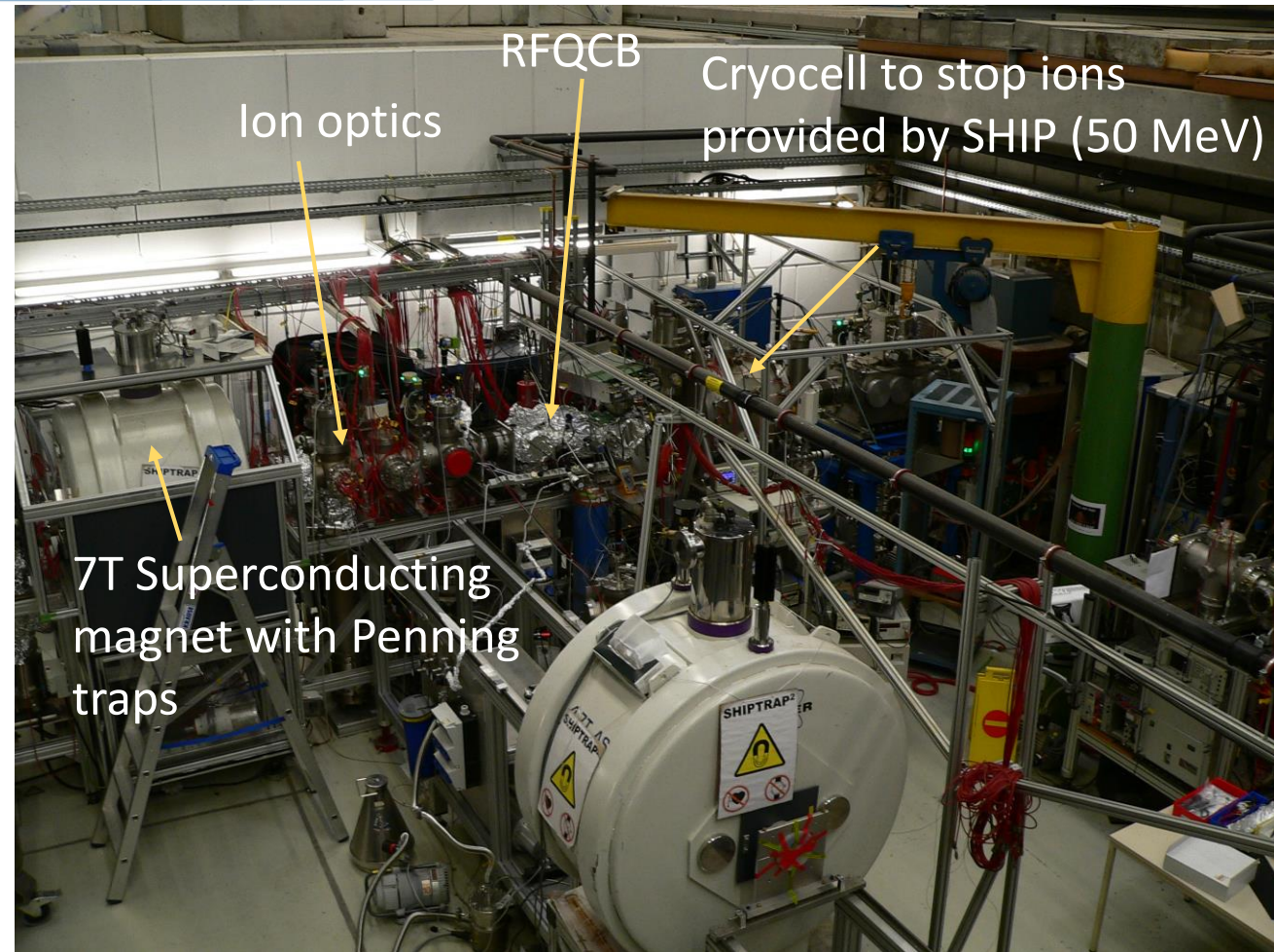
## With ion traps



- RFQCB : cools the beam as a good quality of the beam is necessary to inject it in the Penning traps
- Cyclotron frequencies measurements with Penning traps (rf excitations) :

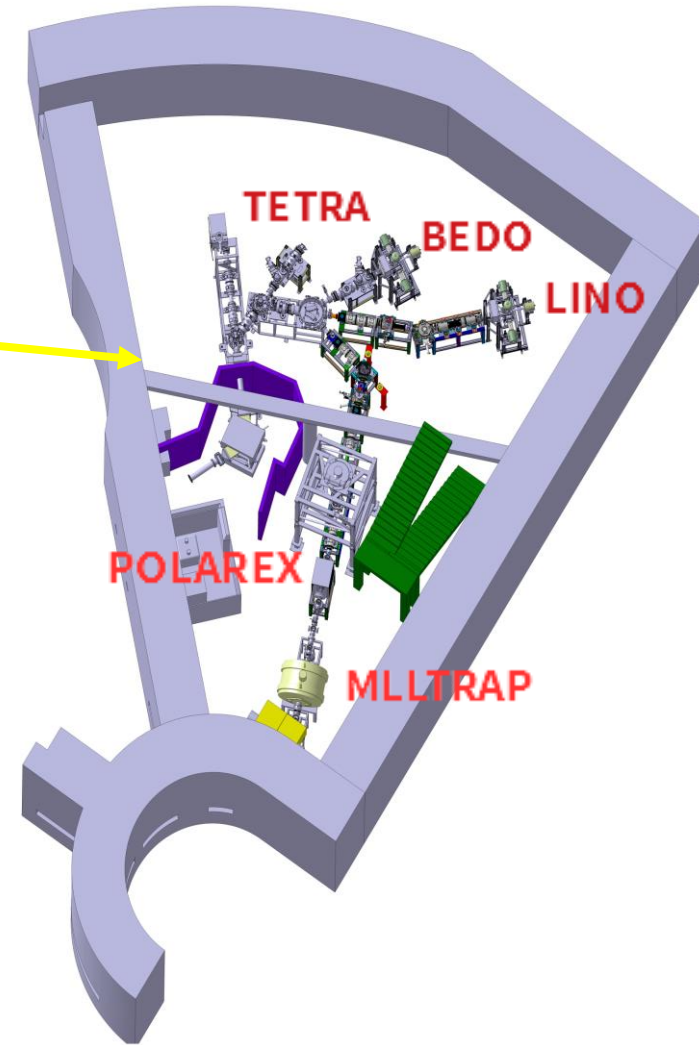
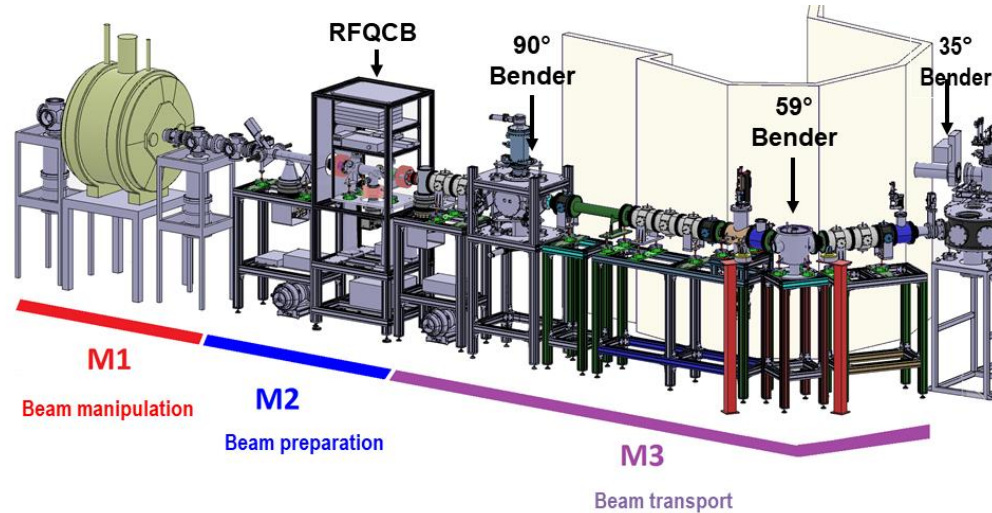
$$\nu_c = \frac{qB}{2\pi m}$$

- Studies on heavy and superheavy isotopes, ground and isomeric states ( $N = 152-162$ )
- Parasitic beamtime
  - At GSI, the accelerator is able to provide a small fraction of the beam to a second experiment
  - -> Some measurements of already known masses ( $^{254}\text{No}$  ;  $^{271, 273}\text{Cf}$  ;  $^{201, 202}\text{At}$  ;  $^{196, 198}\text{Bi}$  ;  $^{204, 206}\text{Fr}$  ;  $^{215}\text{Th}...$ )
  - They also permitted to make some adjustments on the system
- Main beam (for  $^{257}\text{Rf}$  and  $^{258}\text{Db}$ ) is now !





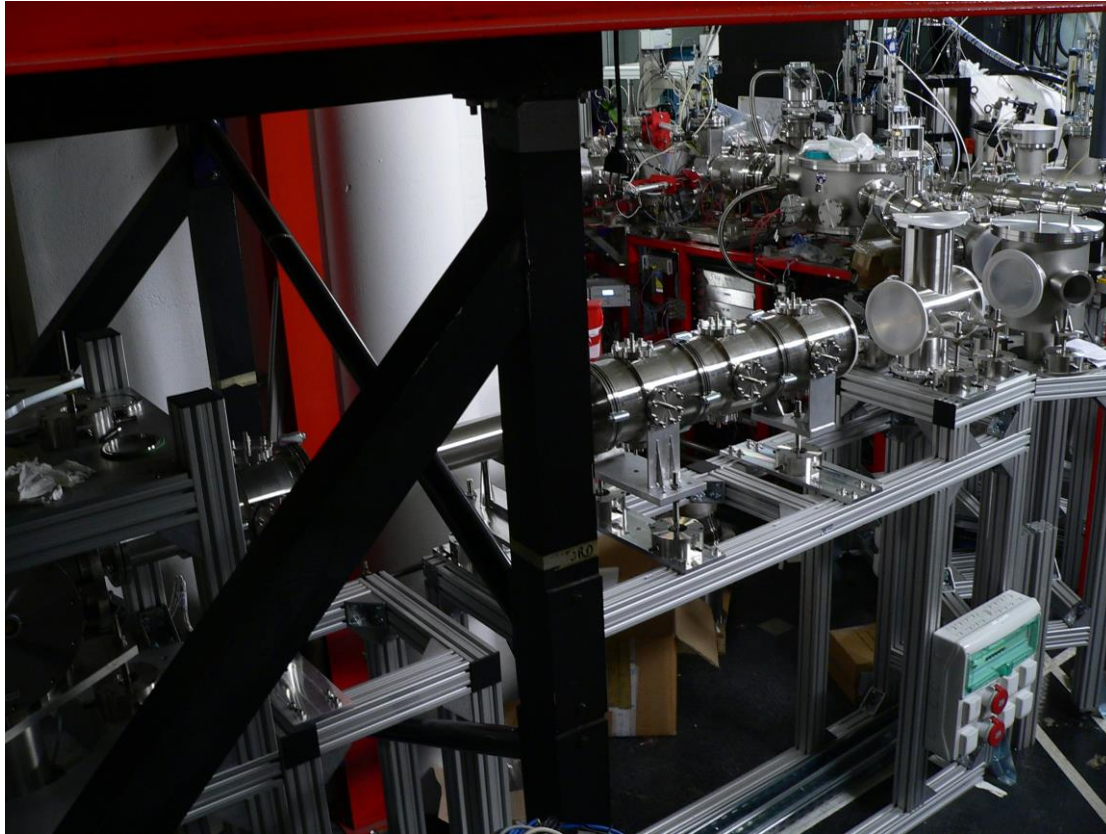
# MLLTRAP at ALTO



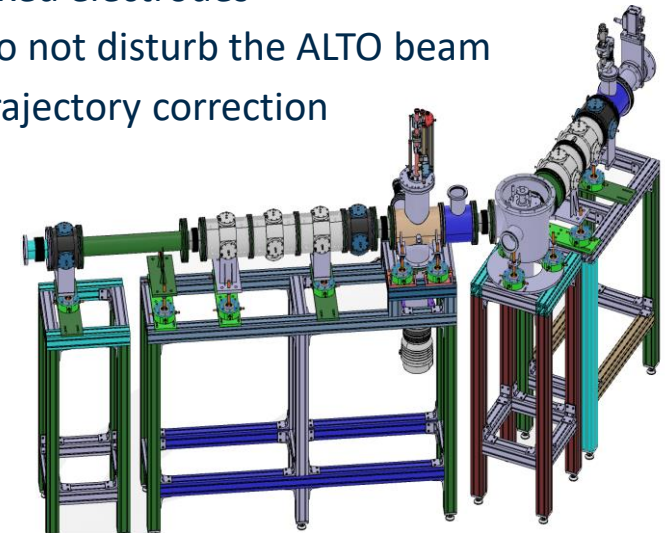




## M3 Section - High voltage Ion source (50 kV)

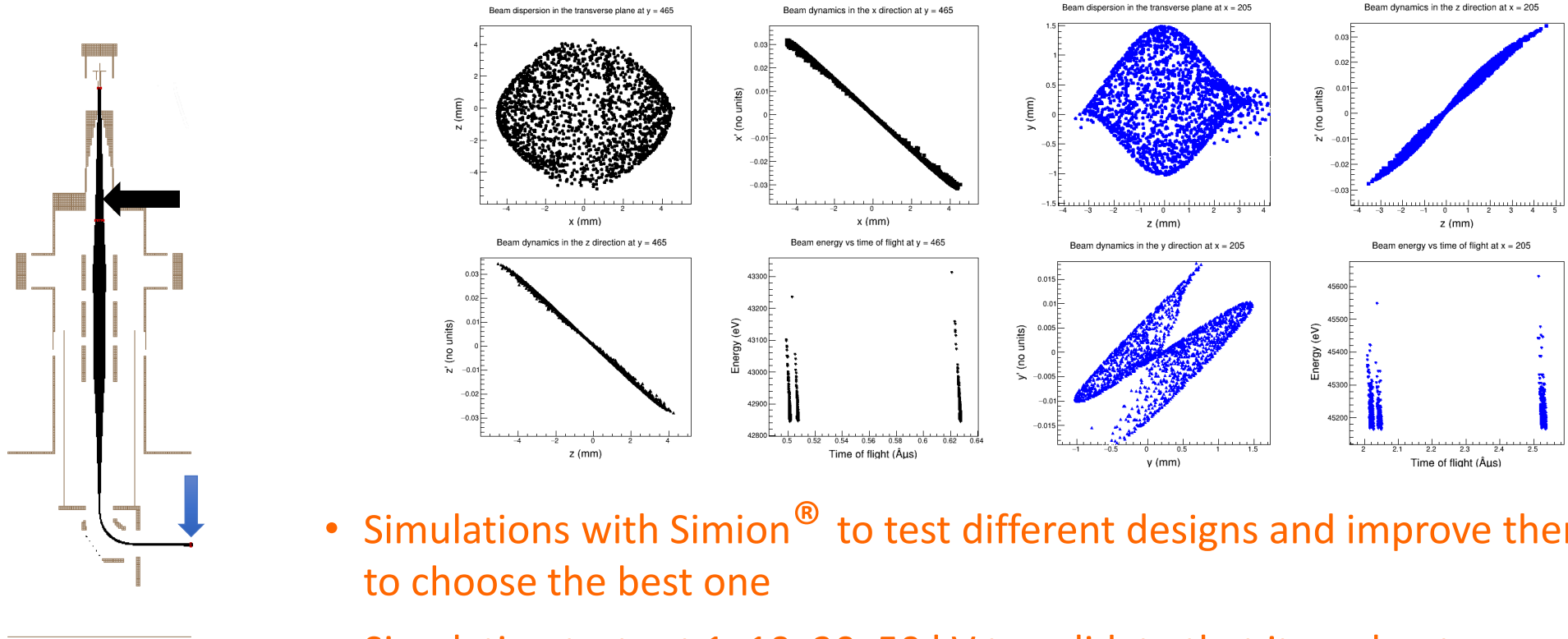


- Ion source (Rb and Cs) designed to characterize the traps (RFQCB+Penning traps) at different energy ranges for the ions
- Technical requirements :
  - Injection from top
  - Fixed electrodes
  - Do not disturb the ALTO beam
  - Trajectory correction





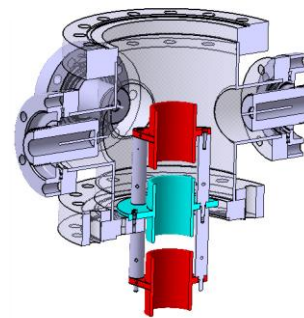
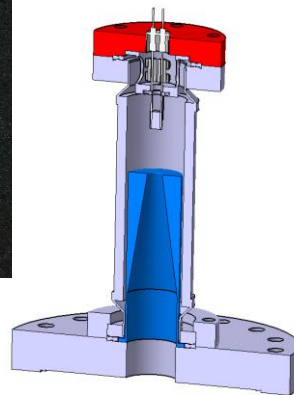
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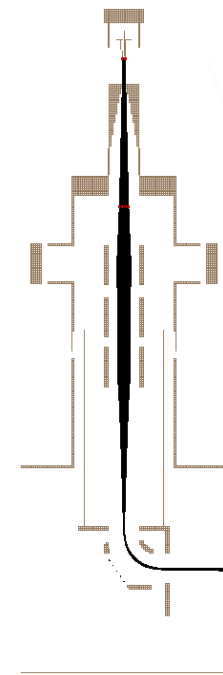
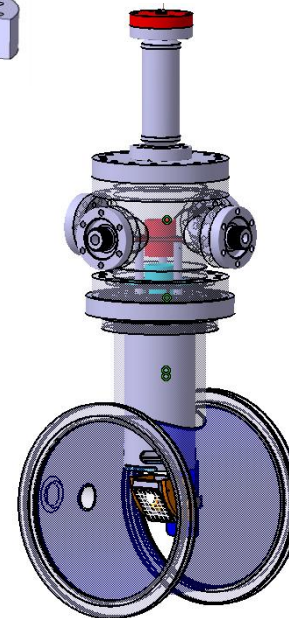
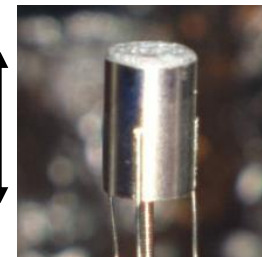
- Simulations with Simion<sup>®</sup> to test different designs and improve them to choose the best one
- Simulation tests at 1, 10, 30, 50 kV to validate that it works at different energy ranges
- Work with the design office to fix the final design



# M3 Section - High voltage ion source



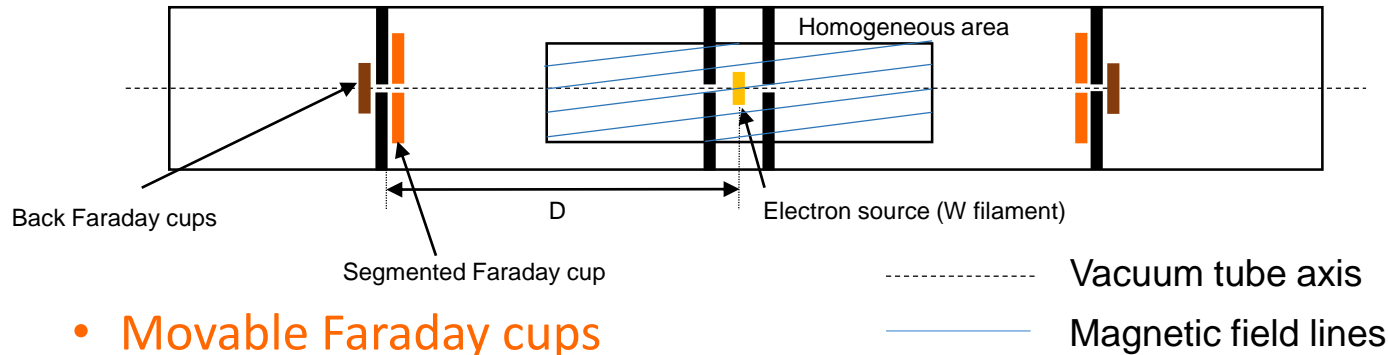
10 mm



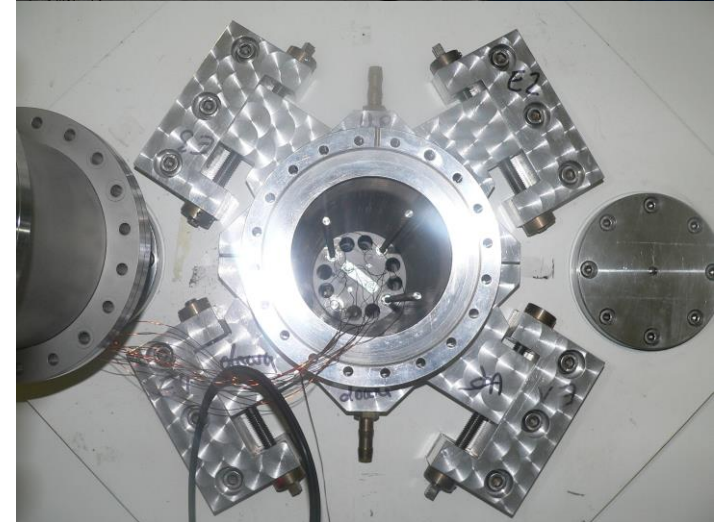


# M1 Section - Vacuum tube

- Alignment of the vacuum tube axis with magnetic field lines in the homogeneous area (magnet center) using an electron gun
- Reduce the misalignment



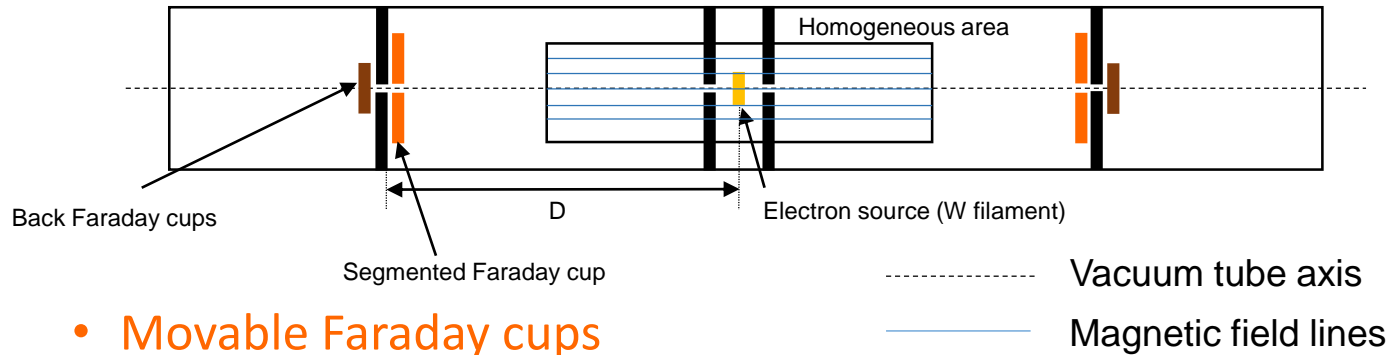
- Movable Faraday cups
- Two positions checked :
  - $D = 160$  mm
  - $D = 100$  mm
- Final tests will be done to validate the alignment



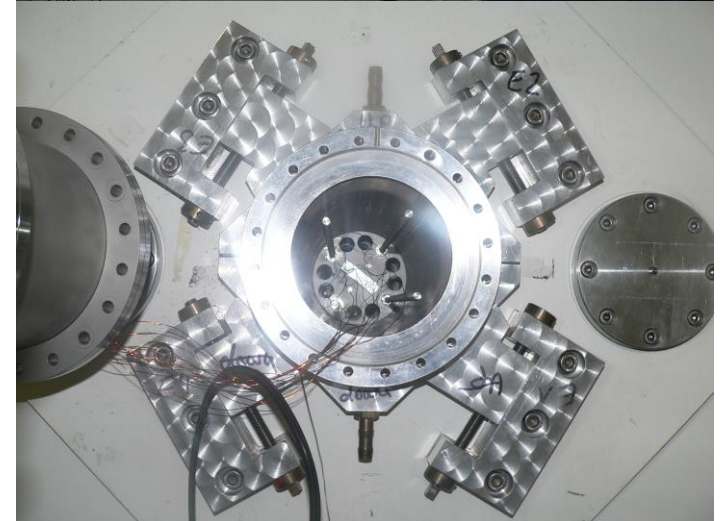
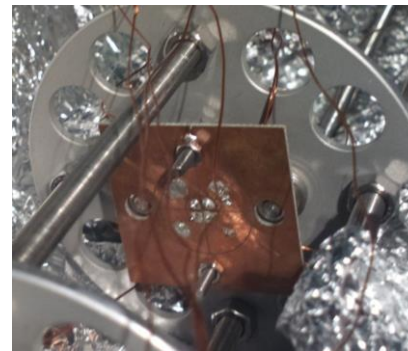
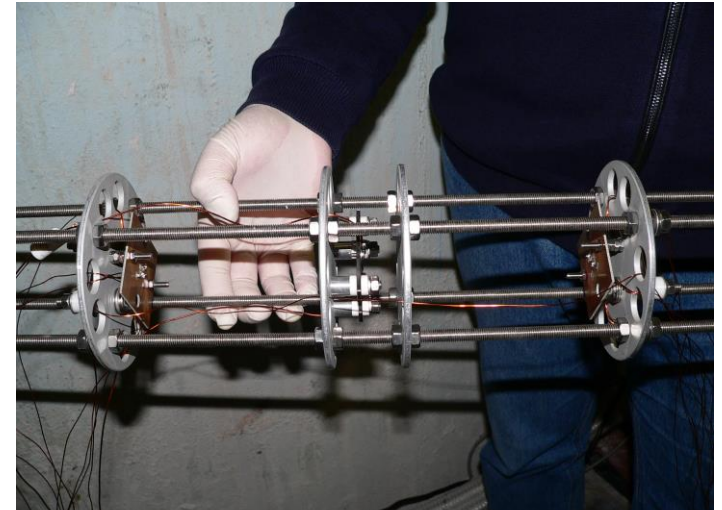


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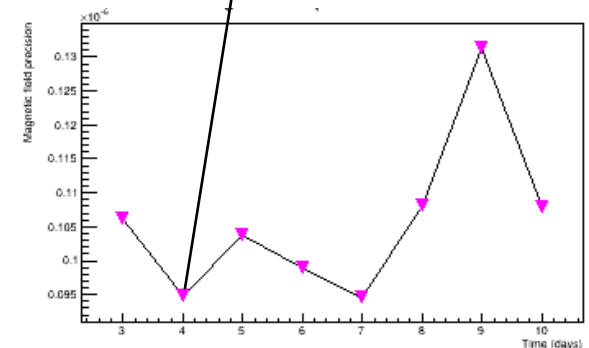
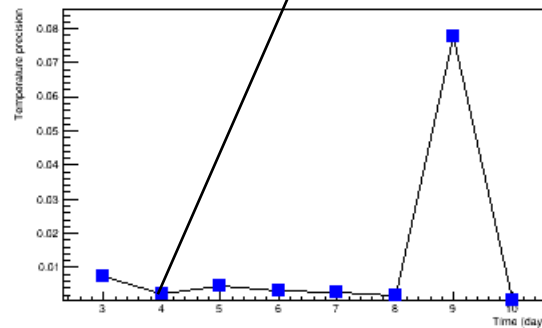
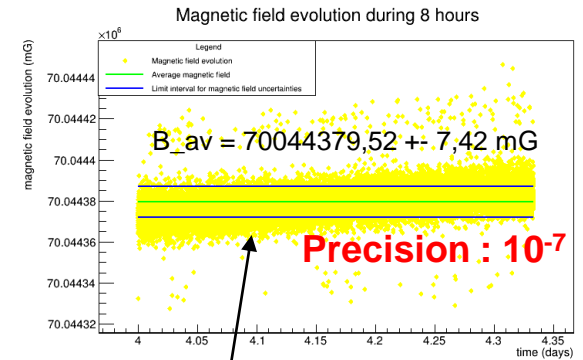
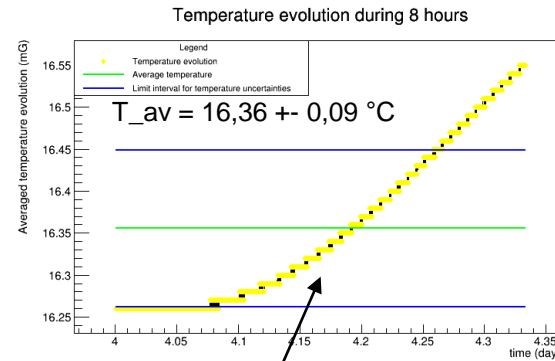
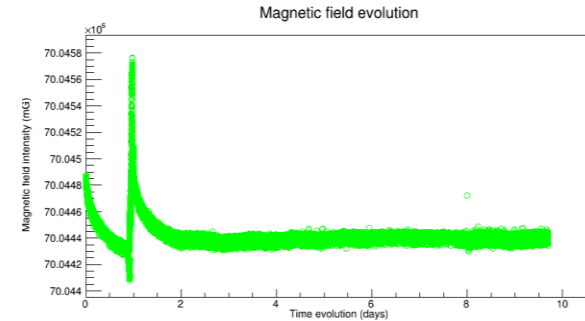
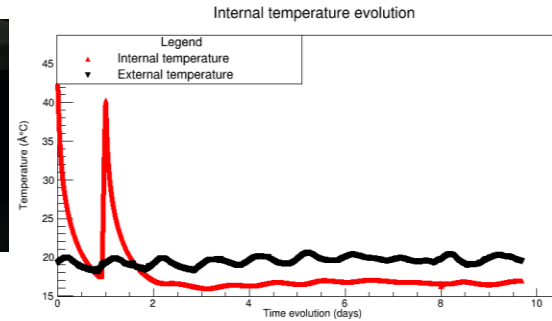
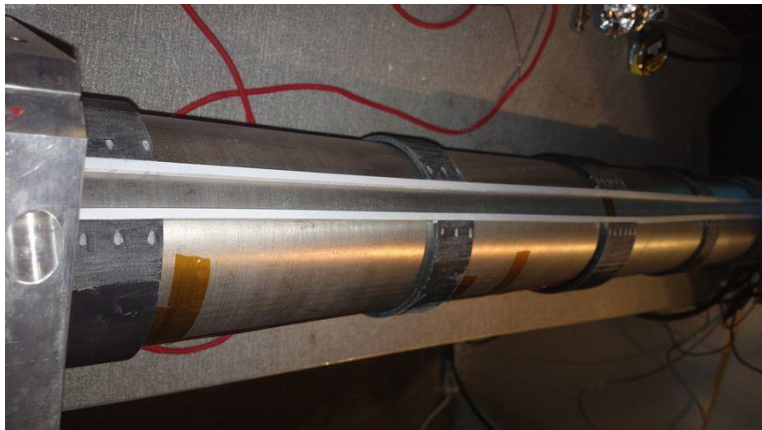




# M1 Section - Magnetic field monitoring



- Magnetic probe developed by Caylar to track magnetic field evolution in real time
- Coupled to the bore temperature





## What's already done

- MLLTRAP experiment « in construction »
- Stable ion source designed to characterise the traps
- Magnetic probe to have a monitoring of the magnetic field validated
- Vacuum tube alignment almost finished

## Perspectives

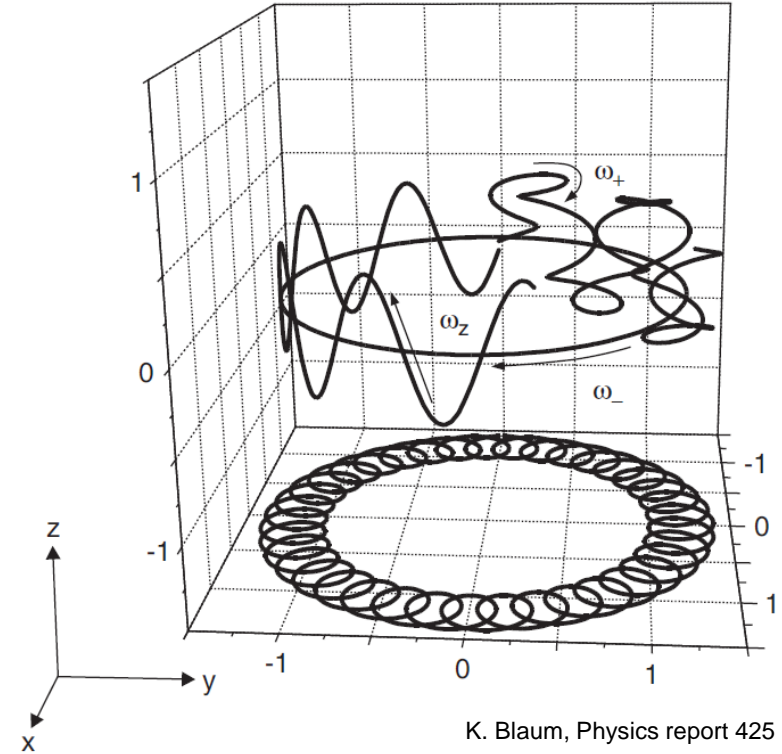
- Put the traps inside the magnet when alignment finished and validated
- Building up and tests of the ion source
- Construction of the RFQCB (when pieces delivered)
- Offline tests of RFQCB and Penning traps with the ions source
- M3 Section almost closed -> vacuum tests



**Thank you for your attention !**



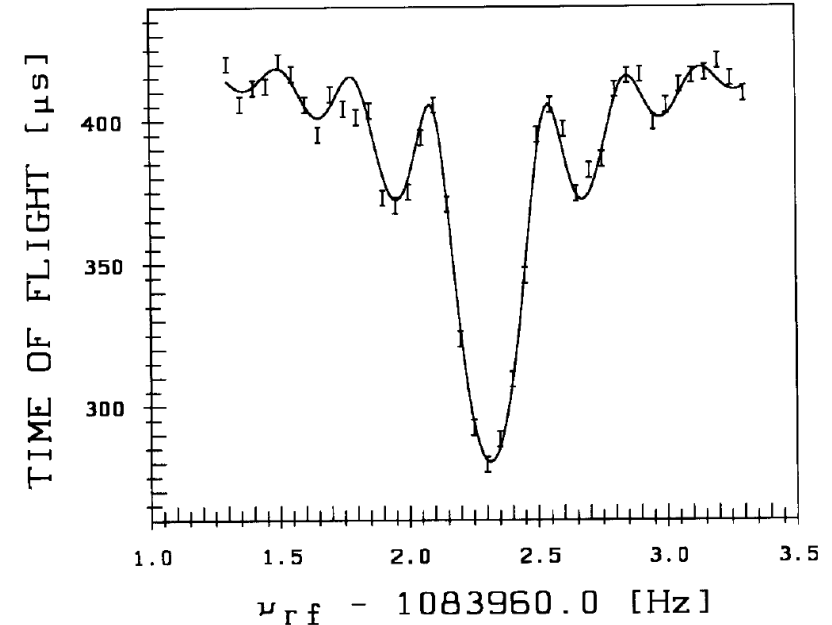
- Global motion contains 3 eigenmotions :
  - An axial motion of frequency  $\omega_z$
  - A slow radial motion called magnetron motion of frequency  $\omega_-$
  - An fast radial motion called reduced cyclotron motion of frequency  $\omega_+$
- Cyclotron frequency :
  - $\omega_c = \omega_+ + \omega_-$
  - $\omega_c^2 = \omega_+^2 + \omega_-^2 + \omega_z^2$



K. Blaum, Physics report 425 (2006)

## TOF ICR

- Ion excited with RF at frequencies around its own cyclotron frequency :
  - The excitation makes the ion axial energy increase (motion radius increases)
  - Scan on several frequency values around its eigenfrequency
  - Time of flight measurement made for each frequency value scanned
  - Conversion from radial energy to kinetic energy
  - Radial energy accumulated is maximum at the eigenfrequency (minimum TOF)



M. K nig et al., International Journal of Mass Spectroscopy and Ion Processes 142 (1995)

$$T(\omega) = \int_{z_0}^{z_1} \left( \frac{m}{2(E_0 - qV(z) - \mu(\omega)B(z))} \right) dz$$

$z_0$  : measurement trap  
 center position

$z_1$  : detector position

$E_0$  : initial energy of the ion

$V(z)$  : electric field at  $z$

$B(z)$  : magnetic field at  $z$

$\mu(\omega)$  : magnetic moment of

the ion excited at  $\omega$

## PI ICR

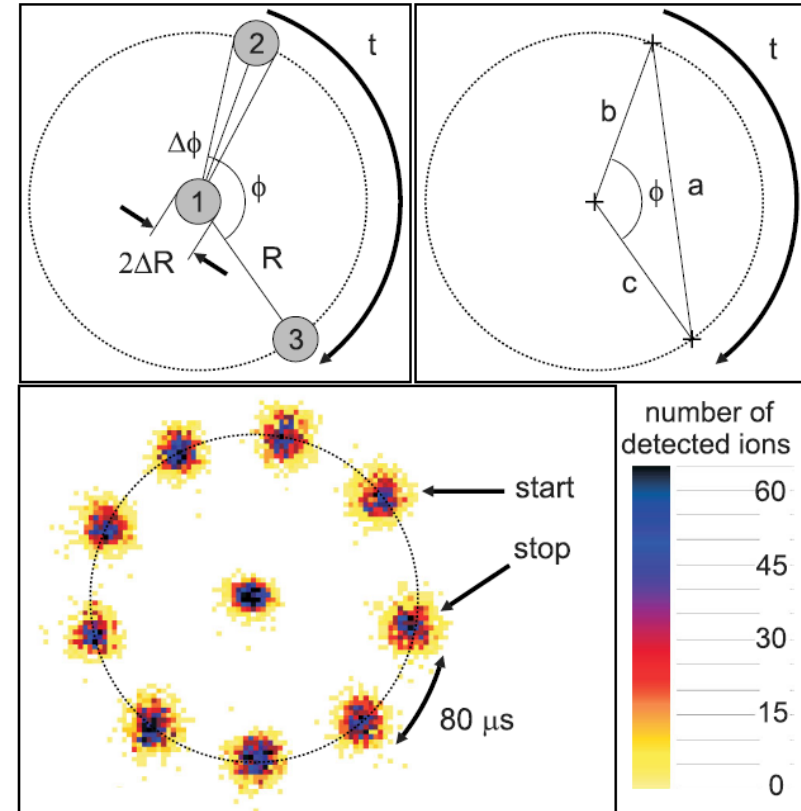
- Ion excited at its eigenfrequency (almost)

- A first excitation (with one of the eigenfrequencies  $\omega_+$  or  $\omega_-$ ) is applied to prepare the ions on an average radius  $R$  with an initial phase

- The ions radial motion accumulates a phase during a free evolution time on this « orbit » :

$$\phi + 2\pi n = \omega t$$

with  $n$  the number of full revolutions performed by the ion during the time  $t$  and  $\omega$  the pulsation the radial motion studied



S. Eliseev et al., Physics Review Letter 110 (2013)