



Université

DES SCIENCES

Clément Delafosse (IJCLab) on behalf of David Verney (IJCLab)

- distant past
- The laser spectroscopy tradition in Orsay
  - ISOCELE the COMPLIS adventure at ISOLDE laser-spectroscopy perspectives for ALTO as viewed from 2004 (!) and... now
- laser spectroscopy based observables : physics case for neutron-rich medium mass nuclei (ALTO is an ISOL photo-<u>fission</u> machine)

the N=50 and N=82 kinks pseudo-spin symmetry

• (possible) future opportunities for e-scattering off RIBs at Orsay

the DESTIN project at the Orsay-hosted PERLE demonstrator

far?)

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### A first parenthesis : the ISOL technique



- Very good ionic optic properties
- Precision mesurement technics at low energy



- Level schemes
- Lifetime (ground and excited states)
- Transition probabilities





29/10/2021





Figure 2 : Yue & Celatée d'Isocèle. A, B, D : aimants; C : collecteur; DI : distributeur de pastilles; E : aiguillage; P : piège pour le faisceau de préhens ; S : source d'ions; TI,T2 : transporteursà bande.

#### **ISOCELE II (1978)**

- On may 75, the Orsay SC is stopped for major upgrades:
- p:  $155 \rightarrow 200 \text{ MeV}$

<sup>3</sup>He :

 $206 \rightarrow 280 \text{ MeV}$ 

 $\rightarrow$  I  $\times$  20





#### **Post-ISOCELE Laser Isobar Separation : PILIS**

after SC shutdown from September 85 till July 86 (serious SC coil shortcut) the physics program started again with a new device:

The PILIS laser system J. Lee (McGill University) and J. Pinard (Laboratoire Aimé Cotton Orsay)







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# A second parenthesis : laser spectroscopy





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Shutdown in 1989 due to budget cut



#### Important results from laser spectroscopy at ISOCELE II









120

Neutron Number N

110

100



**Another magic number inverstigated : N=82** 



#### Almost two decades later : COLLAPS has taken over for n-rich Sn's



#### ISOL technic and laser spectroscopy comeback in Orsay at ALTO







#### **First measurements at ALTO**

•Ag (Z=47) : from A=111 to A=123 (or further from the stability line depending on the effective productions)  $\Rightarrow$  complete the measurements on this isotopic chain on the right side of the valley of stability





## A bit of « kinkology »



Kinks in charged mean square radius observed at N=82 and N=126.



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What about N=50?



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Kink observed very recently (2017) in Ga isotopes G.J. Farooq-Smith PRC 96, 044324 (2017)



G. Farooq-Smith, PhD Thesis (KU Leuven)



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Kink observed very recently (2017) in Ga isotopes G.J. Farooq-Smith PRC 96, 044324 (2017)

Surprising very large <sup>79m</sup>Zn (larger than <sup>80</sup>Ga)





G. Farooq-Smith, PhD Thesis (KU Leuven)



A bit of « kinkology »

Skyrme and Gogny forces do not reproduced kinks unless the density dependence of the two-body spinorbit (SO) potential is modified to get a relativistic spinorbit structure

Reinhard & Flocard NPA 584 467 (1995) Ebran et al. PRC 94 024304 (2016) (and Refs therein)

$$V_{\rm so}^{(q)} = \begin{bmatrix} W_1 \frac{d\rho_B^{(q)}}{dr} + W_2 \frac{d\rho_B^{(q'\neq q)}}{dr} \end{bmatrix} \vec{l} \cdot \vec{s} \qquad q=p,n$$

$$\frac{W_1}{W_2}^{(q)} \qquad \qquad \text{determines the isospin} \\ \begin{array}{c} dependence \\ of the SQ potential \\ \end{array}$$

of the SO potential

=2 in Skyrme parameterization



# A bit of « kinkology »



## Pseudo-spin symmetry : the hidden architect of shape coexistence in the N=50 region ?



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 $Z=51 \ 1\tilde{f}(g_{7/2}d_{5/2})$ 

Z=51 2 $\tilde{p}$  ( $d_{3/2}s_{1/2}$ )  $Z=29 \ 1 \tilde{d} (f_{5D} p_{3D})$ 

N=51 1 $\tilde{f}(g_{7/2}d_{5/2})$ 

N=51 2 $\tilde{p}$  ( $d_{3/2}s_{1/2}$ )

14

16

25

10

8

Т

6

 $1f_{5/2,7/2}$ 

**g**<sub>9/2</sub>

0

12



## Future plans on this topic

Laser spectroscopy of neutron-rich As isotopes (IGISOL, Jyväskylä)

Laser spectroscopy of neutron-rich Ge isotopes (ALTO, Orsay) -> Ge beams now accessible via sulfurination (GeS<sup>+</sup>)



G. Farooq-Smith, PhD Thesis (KU Leuven)



- ion manipulation with EM fields: mass measurements
- interaction with the hyperfine field : laser spectroscopy, nuclear orientation  $\rightarrow I^{(\pi)}, \mu, Q_s, \delta < r_c^2 >$
- $\gamma$ -spectroscopy : lifetimes, B(E $\lambda$ ), B(M $\lambda$ )



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# The e-probe revolution



12 orders of magnitude !

B. Frois and Papanicolas Ann. Rev. Nucl. Part. Sci 37 (1987)

Dechargé and Gogny PRC 81 (1980)

Cavedon, Frois, Goutte et al. PRL 49 (1982)

etc...





#### revealed **in medium effects** (how far a "single particle" is from a free nucleon)

- part of the single-particle quenching has well understood origins: core (collective) couplings, many-body correlations
- short-range correlations, non-local part of the potential
- →  $\delta < r_c^2 > kinks$ , neutron skin and giant haloes formation ? → shell evolution ?

# e-scattering as a precision spectroscopy tool

A(e,e') inelastic cross section

$$\frac{d\sigma}{d\Omega} = \sigma_{p7} \left[ \sum_{\lambda=0}^{\infty} \frac{q_{\mu}^{4}}{q^{4}} |F_{\Delta}^{C}(q)|^{2} + (\frac{q_{\mu}^{2}}{2q^{2}} + \tan^{2} \frac{\theta}{2}) \sum_{\lambda=1}^{\infty} \{|F_{\lambda}^{E}(q)|^{2} + |F_{\lambda}^{M}(q)|^{2}\}\right]$$
point charge nucleus longitudinal form factor recoil factor  $\rho_{\lambda}(r) = \int (\psi_{f} ||\rho_{op}(r)Y_{\lambda}(\hat{r})||\psi_{i}) d\hat{r}$  transverse form factor current transition density  $B(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $B(M\lambda) = \frac{\lambda}{\lambda+1} \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} J_{\lambda\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[\int_{0}^{\infty} \rho_{\lambda}(r)r^{\lambda+2}dr\right]^{2}$   $D(E\lambda) = \frac{2J_{f} + 1}{2J_{i} + 1} \left[$ 

### Next step : e-scattering on radioactive nuclei : a vast program

- radius, diffusivity
- perfect coulomb excitation : forward electron scattering (no multi-step process)
- "clean" excitation of 1p-1h configuration at high multipolarity

- Excitation of collective modes (PDR etc)
- fission studies (condition on electron energy would give precise information of the initial condition of the fissioning system)



The possible physics program spans exactly the physics interests of the vast majority of the low-energy nuclear physics community in Orsay-Saclay and in France (and elsewhere)

... with a much more powerful probe!

# the DESTIN project

#### injection of ALTO-like RIBS into the ERL



More detail about ERL : see W. Kaabi's presentation





# The DESTIN project

• all interesting phenomena occur at  $q \gtrsim 2 \text{fm}^{-1}$ ; the higher the q transferred the lower the cross section; consider previous achievements in this domain  $\Rightarrow$  compromise  $E_e \simeq 500 \text{ MeV}$ 

• Luminosity: 
$$L = F_e n_e \frac{N_e N_A}{4\pi\sigma_x \sigma_y} = \frac{I_e N_A}{4\pi\sigma_x \sigma_y q_e}$$

#### $\Rightarrow$ the aimed luminosity should be 10<sup>29</sup> cm<sup>-2</sup>s<sup>-1</sup>

but much can be already done at  $\mathcal{L} \simeq 10^{28}$  (with unstable nuclei EVERYTHING is new !)

Reaction	Deduced quantity	Туре	Luminosity [cm <sup>-2</sup> s <sup>-1</sup> ]
Elastic scattering at small q	r.m.s. charge radii	Light	$10^{24}$
First minimum in elastic form	Density distribution with 2	Light	$10^{28}$
factor	parameters	Medium	$10^{26}$
		Heavy	10 <sup>24</sup>
Second minimum in elastic	Density distribution with 3	Medium	10 <sup>29</sup>
form factor	parameters	Heavy	$10^{26}$
Pygmy/Giant resonances	Position, width, strength,	Medium	10 <sup>28</sup>
	decays	Heavy	10 <sup>28</sup>
Quasi-elastic scattering	SF, spectral strength	Light	10 <sup>29</sup>

• strategy: fixed target → trapped RI population 10<sup>6</sup>-10<sup>8</sup>

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Chancé et al (CEA Saclay) **ETIC** project within GANIL-2025 (2015) calculations within ERL hypothesis :

 $I_e\mbox{=}200\mbox{ mA N}_A\mbox{=}10^6$  trapped ions:  $\ensuremath{\mathcal{L}}\simeq 10^{29}\,$  should be achieved based on

[A.N. Antonov et al., Nucl. Instr. and Meth. A 637 60 (2011)] ELISE project GSI



PERLE@Orsay : 20 mA  $\rightarrow \mathcal{L} \simeq 10^{28}$  is *probably* achievable for a **10**<sup>6</sup> trapped RI population **on the principle** 

but the dynamical e-beam-RI coupling should be investigated : first time with a ERL time structure e-beam instabilities ? impact on ERL operation ? Production pps







#### neutron number

French-Ukrainian Workshop, 27-29 October 2021, Orsay











Rhodotron<sup>®</sup> TT300-HE High Energy Electron Generator



- EM probes associated to ISOL low energy beams are powerful tools to study nuclear structure;
- We (IJCLab nuclear physicist) have build and maintain an expertise on both ISOL production and laser spectroscopy for almost 50 years;
- The adventure continues with the study of the neutron-rich N=50 region via laser spectroscopy;
- The <sup>132</sup>Sn region can and must be studied using e- scattering for better understanding of correlation between radius and binding energy of nuclei.