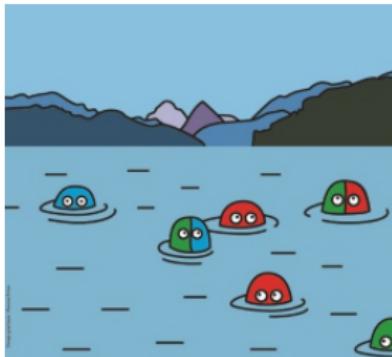
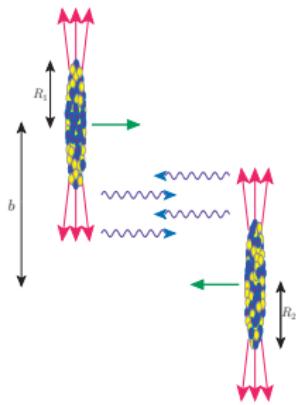


COHERENT J/ψ PHOTOPRODUCTION FROM PERIPHERAL TO CENTRAL HEAVY-ION COLLISIONS

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Centrality (for ^{208}Pb):

- central collisions:
 $b \approx (0 \text{ fm} + \Delta b)$;
- semi-central collisions:
 $b \approx (5 - 10) \text{ fm}$;
- semi-peripheral collisions:
 $b \approx (10 - 12) \text{ fm}$;
- peripheral collisions:
 $b \approx (12 \text{ fm} - (R_1 + R_2))$;
- **ultraperipheral** collisions:
 $b > (R_1 + R_2)$;

where $R = R_0 A^{1/3}$.

The strong electromagnetic field is a source of photons that can induce electromagnetic reactions in ion-ion collisions.

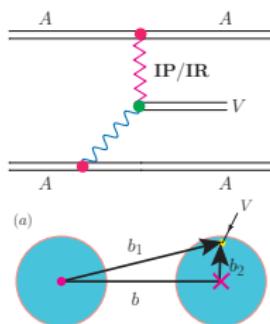
Electromagnetism is a long-range force, so electromagnetic interactions occur even at relatively large ion-ion separations.

$$\text{Photon energy: } \omega = \frac{\gamma}{b} \approx \gamma \times 15 \text{ MeV}$$

$$\text{Virtuality: } Q^2 = \frac{1}{R^2} \approx 0.0008 \text{ GeV}^2$$

- M. Klusek-Gawenda, A. Szcurek,
Photoproduction of J/ψ mesons in peripheral and semicentral heavy ion collisions,
Phys. Rev. **C93** (2016) 044912.

EQUIVALENT PHOTON APPROXIMATION - UPC



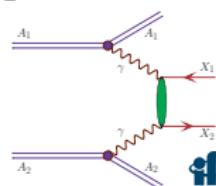
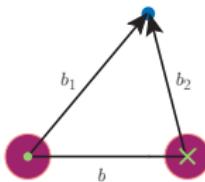
Photoproduction

$$\frac{d\sigma_{A_1 A_2 \rightarrow A_1 A_2 V}}{d^2 b dy} = \frac{dP_{\gamma P/R}(y, b)}{dy} + \frac{dP_{P/R\gamma}(y, b)}{dy}$$

$$\frac{dP_{\gamma P/P\gamma}(y, b)}{dy} = \omega_{1/2} N(\omega_{1/2}, b) \sigma_{\gamma A_{2/1} \rightarrow V A_{2/1}}(W_{\gamma A_{2/1}}) S_{abs}(b)$$

$\gamma\gamma$ fusion

$$\begin{aligned} \sigma_{A_1 A_2 \rightarrow A_1 A_2 X_1 X_2} &= \int \sigma_{\gamma\gamma \rightarrow X_1 X_2}(W_{\gamma\gamma}) N(\omega_1, b_1) N(\omega_2, b_2) S_{abs}^2(b) \frac{W_{\gamma\gamma}}{2} dW_{\gamma\gamma} dY_{X_1 X_2} d\bar{b}_x d\bar{b}_y d^2 b \\ &= \int \frac{d\sigma_{\gamma\gamma \rightarrow X_1 X_2}(W_{\gamma\gamma})}{d \cos \theta} N(\omega_1, b_1) N(\omega_2, b_2) S_{abs}^2(b) \frac{W_{\gamma\gamma}}{2} dW_{\gamma\gamma} dY_{X_1 X_2} d\bar{b}_x d\bar{b}_y d^2 b \\ &\times \frac{d \cos \theta}{dy_{X_1} dy_{X_2} dp_t} \times dy_{X_1} dy_{X_2} dp_t. \end{aligned}$$



EQUIVALENT PHOTON FLUX VS. FORM FACTOR

$$N(\omega, b) = \frac{Z^2 \alpha_{em}}{\pi^2 \beta^2} \frac{1}{\omega} \frac{1}{b^2} \times \left| \int d\chi \chi^2 \frac{F\left(\frac{\chi^2 + u^2}{b^2}\right)}{\chi^2 + u^2} J_1(\chi) \right|^2$$

$$\beta = \frac{p}{E}, \gamma = \frac{1}{\sqrt{1-\beta^2}}, u = \frac{\omega b}{\gamma \beta}, \chi = k_\perp b$$

- point-like $F(q^2) = 1$

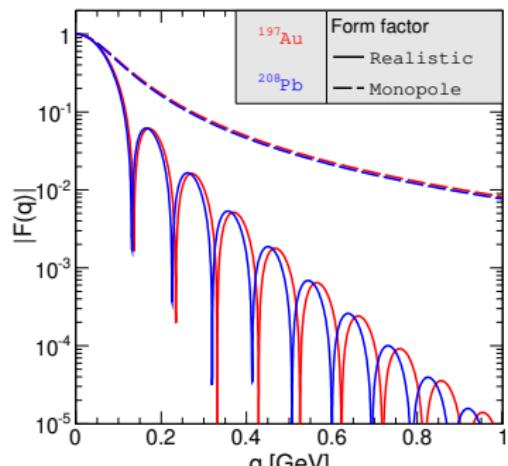
$$N(\omega, b) = \frac{Z^2 \alpha_{em}}{\pi^2 \beta^2} \frac{1}{\omega} \frac{1}{b^2} \times u^2 \left[K_1^2(u) + \frac{1}{\gamma^2} K_0^2(u) \right]$$

- monopole $F(q^2) = \frac{\Lambda^2}{\Lambda^2 + |\mathbf{q}|^2}$

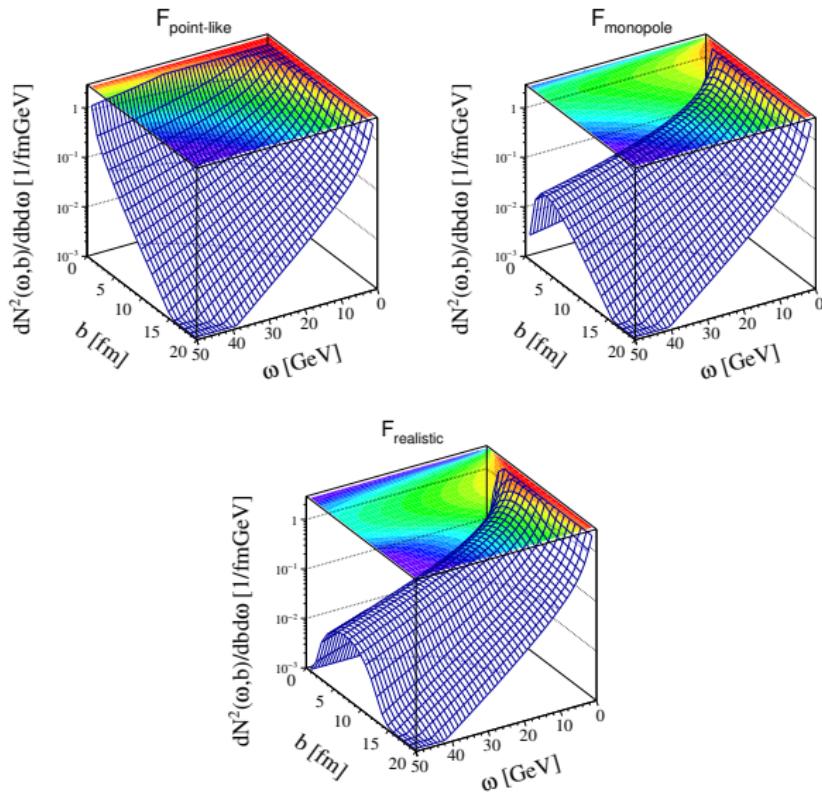
$$\sqrt{\langle r^2 \rangle} = \sqrt{\frac{6}{\Lambda^2}} = 1 \text{ fm } A^{1/3}$$

- realistic

$$F(q^2) = \frac{4\pi}{|\mathbf{q}|} \int \rho(r) \sin(|\mathbf{q}|r) r dr$$



PHOTON FLUX



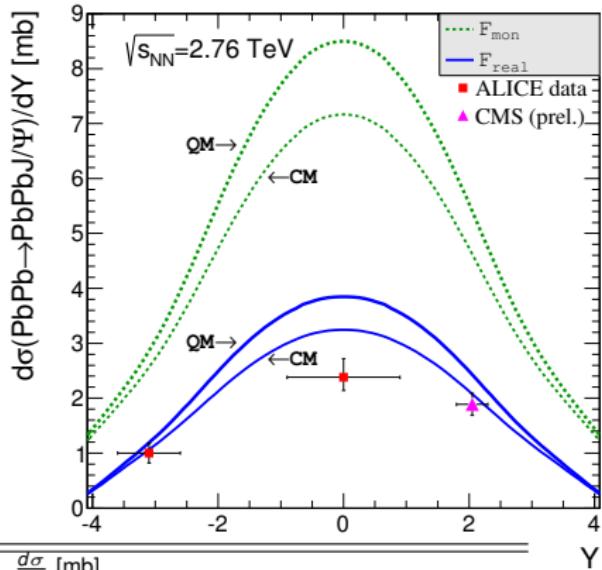
J/ψ PHOTOPRODUCTION - UPC

$$\begin{aligned}\sigma_{\gamma A \rightarrow J/\psi A} &= \frac{d\sigma_{\gamma A \rightarrow J/\psi A}(t=0)}{dt} \int_{-\infty}^{t_{max}} dt |F_A(t)|^2 \\ &= \frac{\alpha_{em}}{4f_{J/\psi}^2} \sigma_{tot, J/\psi A}^2 \int_{-\infty}^{t_{max}} dt |F_A(t)|^2\end{aligned}$$

$$t = -q^2 = -(m_{J/\psi}^2 / (2\omega_{lab}))^2$$

$$\sigma_{tot}^{QM}(J/\psi A) = 2 \int d^2 r \left(1 - \exp \left(-\frac{1}{2} \sigma_{tot}(J/\psi p) T_A(r) \right) \right)$$

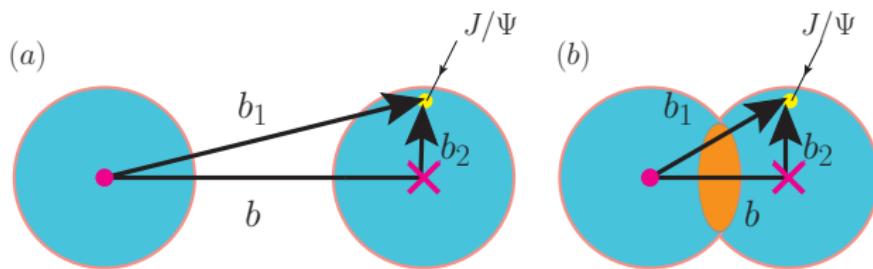
$$\sigma_{tot}^{CM}(J/\psi A) = \int d^2 r (1 - \exp(-\sigma_{tot}(J/\psi p) T_A(r)))$$



UPC	$-3.6 < y < -2.3$	$\frac{d\sigma}{dy} [mb]$	$ y < 0.9$	$1.8 < y < 2.3$
theory _{QM} ^{MON}	3.24		8.29	5.41
theory _{CM} ^{MON}	2.61		6.99	4.62
theory _{REAL} ^{QM}	1.37		3.75	2.43
theory _{REAL} ^{CM}	1.21		3.17	2.07
ALICE exp.	-	$[ALICE:2013wjo] 2.38^{+0.34}_{-0.24}$	$[ALICE:2012yye] 1.0 \pm 0.3$	
CMS exp.	$[CMS:2016itn] 1.82 \pm 0.3$	-	-	

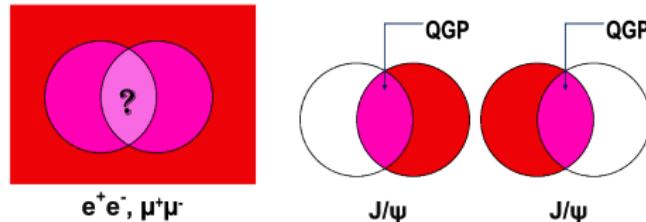
UPC → SEMI-CENTRAL COLLISION

Impact parameter space



J/ψ photoproduction for (a) ultraperipheral and (b) central heavy ion collisions.

EFFECTIVE PHOTON FLUX

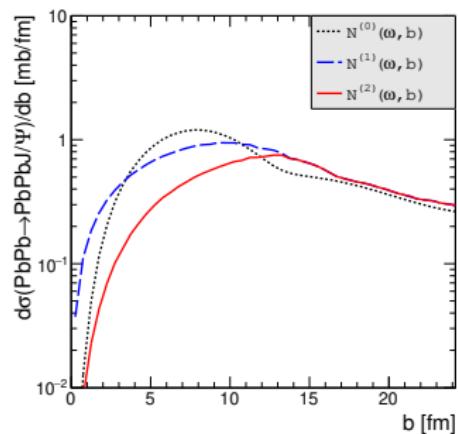


The inclusion of the absorption effect by modifying effective photon fluxes in the impact parameter space.

$$N^{(1)}(\omega_1, b) = \int N(\omega_1, b_1) \frac{\theta(R_A - (|\mathbf{b}_1 - \mathbf{b}|))}{\pi R_A^2} d^2 b_1$$

$$N^{(2)}(\omega_1, b) = \int N(\omega_1, b_1) \frac{\theta(R_A - (|\mathbf{b}_1 - \mathbf{b}|))(b_1 - R_A)}{\pi R_A^2} d^2 b_1$$

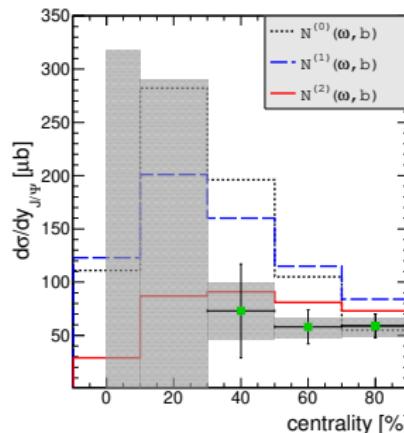
$$\sigma(N^{(0)}, UPC) = \sigma(N^{(1)}, UPC) = \sigma(N^{(2)}, UPC)$$



J/ψ PHOTOPRODUCTION - SEMI-CENTRAL REGION

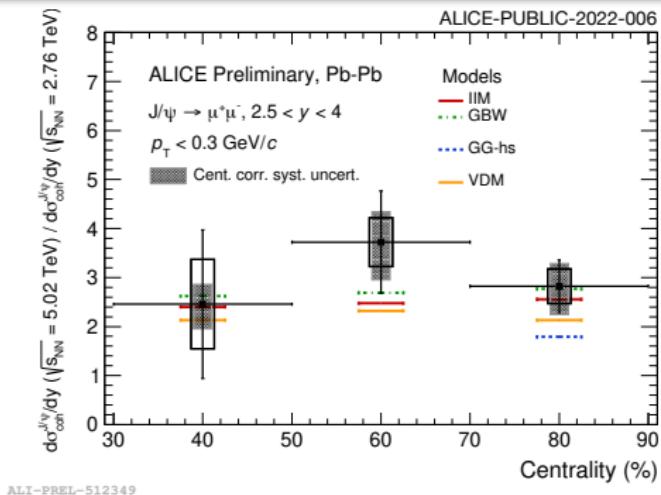
Cross section in [μb] per rapidity unit for nuclear photoproduction of J/ψ meson in $Pb - Pb$ collision at $\sqrt{s_{NN}} = 2.76 \text{ TeV}$

Flux	$\frac{d\sigma_{tot}}{dy} [\mu\text{b}]$	Centrality range [%]					
		0-10	10-30	30-50	50-70	70-90	UPC
$N^{(0)}(\omega, b)$	theory ^{PL}	9 984	579	185	92	58	10 350
	theory ^{MON}	398	358	158	86	56	2 393
	theory ^{REAL}	111	282	196	105	55	947
$N^{(1)}(\omega, b)$	theory ^{REAL}	123	201	160	116	84	947
$N^{(2)}(\omega, b)$	theory ^{REAL}	30	88	91	82	72	947
	ALICE (2015)	< 318	< 290	73 ± 52	58 ± 20	59 ± 16	-



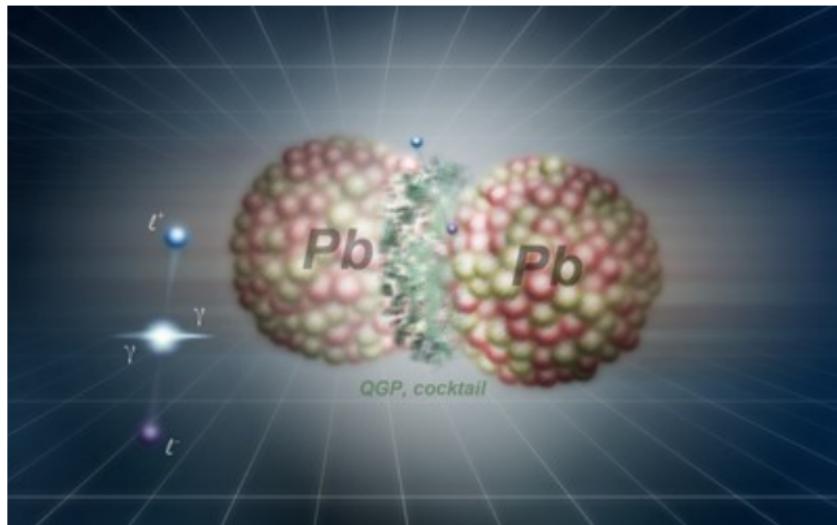
Coherent J/ ψ cross section at forward rapidity

NEW



- Ratio of the measurements at $\sqrt{s_{NN}} = 5.02$ TeV and $\sqrt{s_{NN}} = 2.76$ TeV shows no centrality dependence within uncertainties
- Fair agreement of the measured ratio to models (except GG-hs) within uncertainties

DILEPTON PRODUCTION



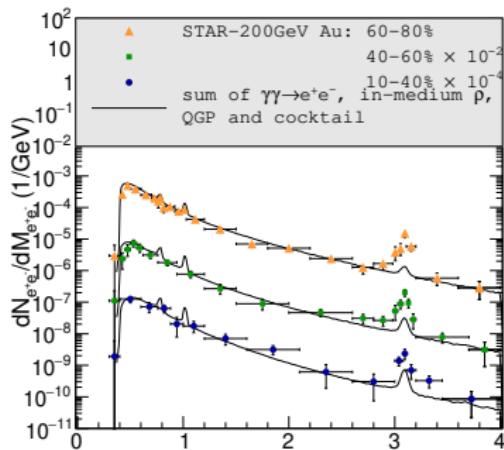
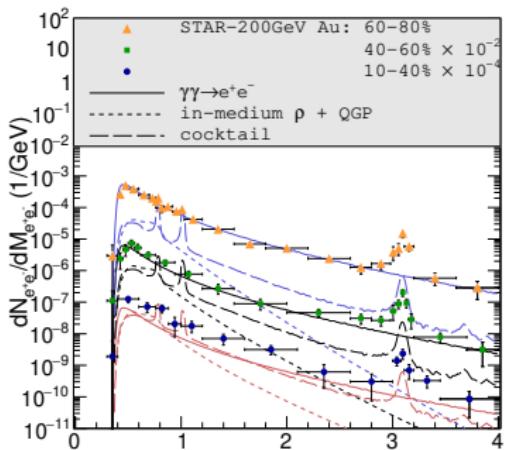
- From ultraperipheral to semicentral collisions → dilepton sources
 - $\gamma\gamma$ fusion mechanism

DIELECTRON INVARIANT-MASS SPECTRA - RHIC

 $p_t > 0.2 \text{ GeV}$ $|\eta_e| < 1$ $|y_{e^+ e^-}| < 1$

- ✓ $\gamma\gamma$ -fusion
- ✓ thermal radiation
- ✓ hadronic cocktail

3 centrality classes



The coherent emission dominates for the two peripheral samples

and is comparable to the cocktail and thermal radiation yields in semi-central collisions.

CONCLUSION

- EPA in the impact parameter space
- Ultraperipheral & semicentral heavy-ion collisions
- Fourier transform of the charge distribution
- Multidimensional integrals → differential cross section
- Description of experimental data for UPC and semicentral events
 - ALICE data for J/ψ production; centrality $< 100\%$
 - STAR and ALICE data for dilepton production - J/ψ contribution is missing

Thank you

EPA in the impact parameter space - the pair transverse momentum $P_T^{\ell^+\ell^-}$ is neglected

$$\sigma_{A_1 A_2 \rightarrow A_1 A_2 \ell^+ \ell^-} = \int N(\omega_1, \mathbf{b}_1) N(\omega_2, \mathbf{b}_2) \delta^{(2)}(\mathbf{b} - \mathbf{b}_1 - \mathbf{b}_2) \int d^2 \mathbf{b}_1 d^2 \mathbf{b}_2 d^2 \mathbf{b} dy_{\ell^+} dy_{\ell^-} - dp_{t,\ell}^2 \frac{d\sigma(\gamma\gamma \rightarrow \ell^+ \ell^-; \hat{s})}{d(-\hat{t})}$$

⇒ k_t -factorization

$$\frac{dN_{II}}{d^2 \mathbf{P}_T^{\ell^+ \ell^-}} = \int \frac{d\omega_1}{\omega_1} \frac{d\omega_2}{\omega_2} d^2 \mathbf{q}_{1t} d^2 \mathbf{q}_{2t} \frac{dN(\omega_1, q_{1t}^2)}{d^2 \mathbf{q}_{1t}} \frac{dN(\omega_2, q_{2t}^2)}{d^2 \mathbf{q}_{2t}} \delta^{(2)}(\mathbf{q}_{1t} + \mathbf{q}_{2t} - \mathbf{P}_T^{\ell^+ \ell^-}) \hat{\sigma}(\gamma\gamma \rightarrow \ell^+ \ell^-) \Big|_{\text{cuts}},$$

⇒ Exact calculation

$$\begin{aligned} \frac{d\sigma[C]}{d^2 \mathbf{P}_T^{\ell^+ \ell^-}} &= \int \frac{d^2 \mathbf{Q}}{2\pi} w(Q; b_{\max}, b_{\min}) \int \frac{d^2 \mathbf{q}_1}{\pi} \frac{d^2 \mathbf{q}_2}{\pi} \delta^{(2)}(\mathbf{P}_T^{\ell^+ \ell^-} - \mathbf{q}_1 - \mathbf{q}_2) \int \frac{d\omega_1}{\omega_1} \frac{d\omega_2}{\omega_2} \\ &\times E_i\left(\omega_1, \mathbf{q}_1 + \frac{\mathbf{Q}}{2}\right) E_j^*\left(\omega_1, \mathbf{q}_1 - \frac{\mathbf{Q}}{2}\right) E_k\left(\omega_2, \mathbf{q}_2 - \frac{\mathbf{Q}}{2}\right) E_l^*\left(\omega_2, \mathbf{q}_2 + \frac{\mathbf{Q}}{2}\right) \frac{1}{2\hat{s}} \sum_{\lambda \bar{\lambda}} M_{ik}^{\lambda \bar{\lambda}} M_{jl}^{\lambda \bar{\lambda} \dagger} d\Phi(\ell^+ \ell^-). \end{aligned}$$

The factorization formula is written in terms of the Wigner function:

$$N_{ij}(\omega, \mathbf{b}, \mathbf{q}) = \int \frac{d^2 \mathbf{Q}}{(2\pi)^2} \exp[-i\mathbf{b}\mathbf{Q}] E_i\left(\omega, \mathbf{q} + \frac{\mathbf{Q}}{2}\right) E_j^*\left(\omega, \mathbf{q} - \frac{\mathbf{Q}}{2}\right) = \int d^2 \mathbf{s} \exp[i\mathbf{qs}] E_i\left(\omega, \mathbf{b} + \frac{\mathbf{s}}{2}\right) E_j^*\left(\omega, \mathbf{b} - \frac{\mathbf{bs}}{2}\right),$$

$$N(\omega, \mathbf{q}) = \delta_{ij} \int d^2 \mathbf{b} N_{ij}(\omega, \mathbf{b}, \mathbf{q}) = \delta_{ij} E_i(\omega, \mathbf{q}) E_j^*(\omega, \mathbf{q}) = |\mathbf{E}(\omega, \mathbf{q})|^2,$$

$$N(\omega, \mathbf{b}) = \delta_{ij} \int \frac{d^2 \mathbf{q}}{(2\pi)^2} N_{ij}(\omega, \mathbf{b}, \mathbf{q}) = \delta_{ij} E_i(\omega, \mathbf{b}) E_j^*(\omega, \mathbf{b}) = |\mathbf{E}(\omega, \mathbf{b})|^2.$$