

12th Higgs Hunting
Orsay-Paris, France



Search for CP violation in the tau Yukawa coupling with CMS



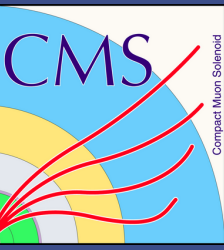
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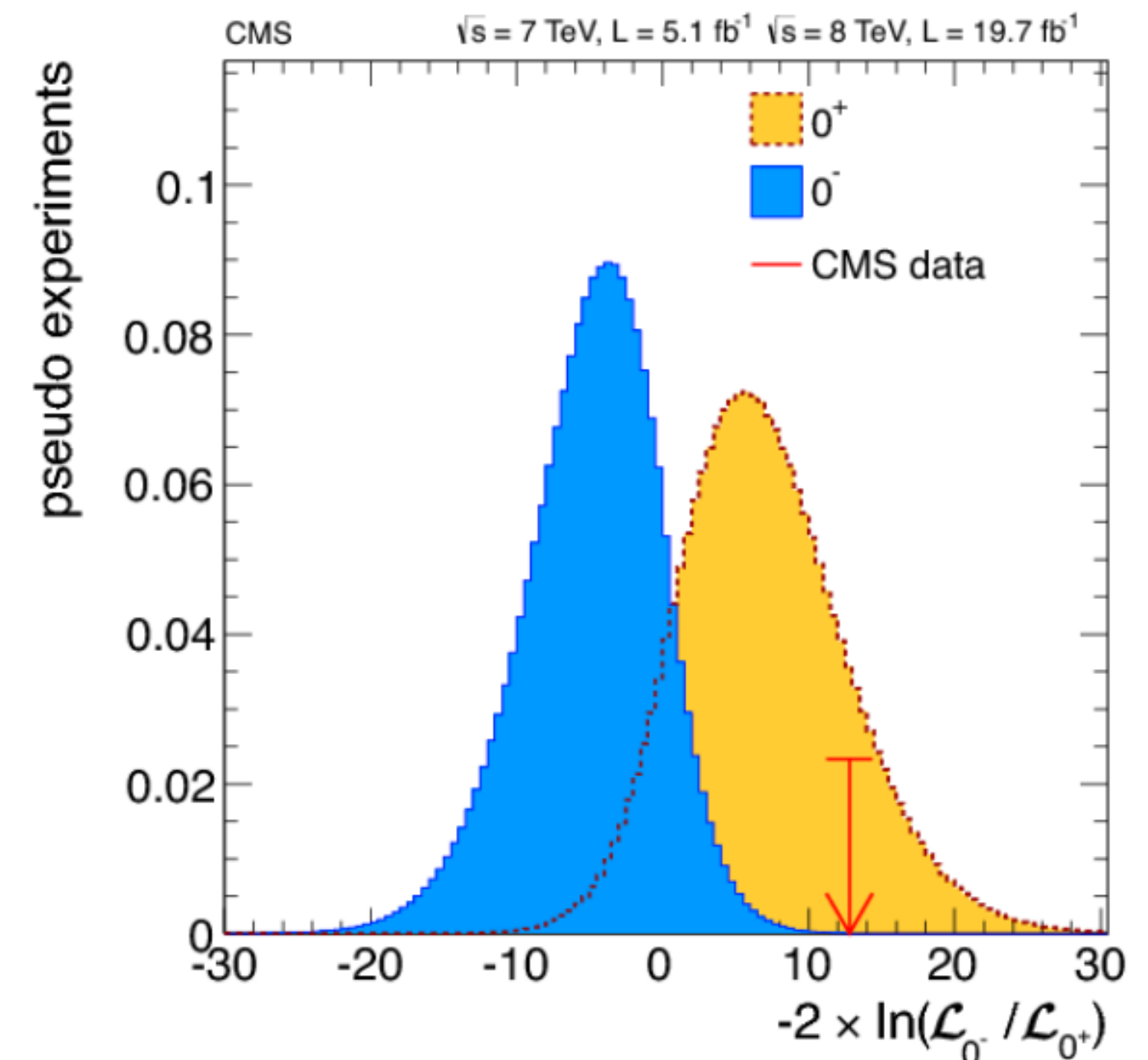
Mario Sessini
13th September 2022



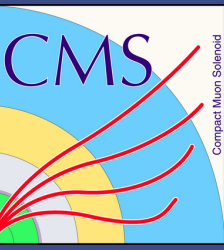
Overview



- One of the SM predictions about the Higgs boson is a 0^+ spin-parity
- Measurement of CP properties in diboson couplings (Z,W) in 4 leptons final states and VBF production mode excluded the purely pseudo-scalar hypothesis ([doi:10.1103/PhysRevD.89.092007](https://doi.org/10.1103/PhysRevD.89.092007))
- A mixed coupling is still possible in Yukawa couplings to fermions :
 - gg \rightarrow ttH production mode, e.g. ([doi:10.1103/PhysRevLett.125.061801](https://doi.org/10.1103/PhysRevLett.125.061801))
 - **H \rightarrow tautau decays**, e.g. ([doi:10.1007/JHEP06\(2022\)012](https://doi.org/10.1007/JHEP06(2022)012))
- This talk aims to introduce various techniques used in search of CP violation in the tau Yukawa coupling



CP properties of the tau Yukawa coupling



- Each fermionic interaction can be decomposed into a **CP-even** and a **CP-odd** coupling to the Higgs boson :

$$L_Y = -\frac{m_f \phi}{v} (\kappa_f \overline{\psi}_f \psi_f + \tilde{\kappa}_f \overline{\psi}_f i \gamma_5 \psi_f)$$

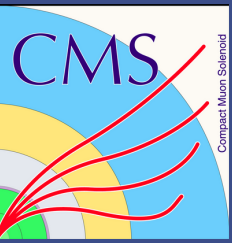
- The CP mixing is encoded in a mixing angle α^{Hll} through the expression of the CP-odd fraction of the coupling

$$f_{CP}^{Hff} = \frac{|\tilde{\kappa}_f|^2}{|\kappa_f|^2 + |\tilde{\kappa}_f|^2} = \sin^2(\alpha^{Hff})$$

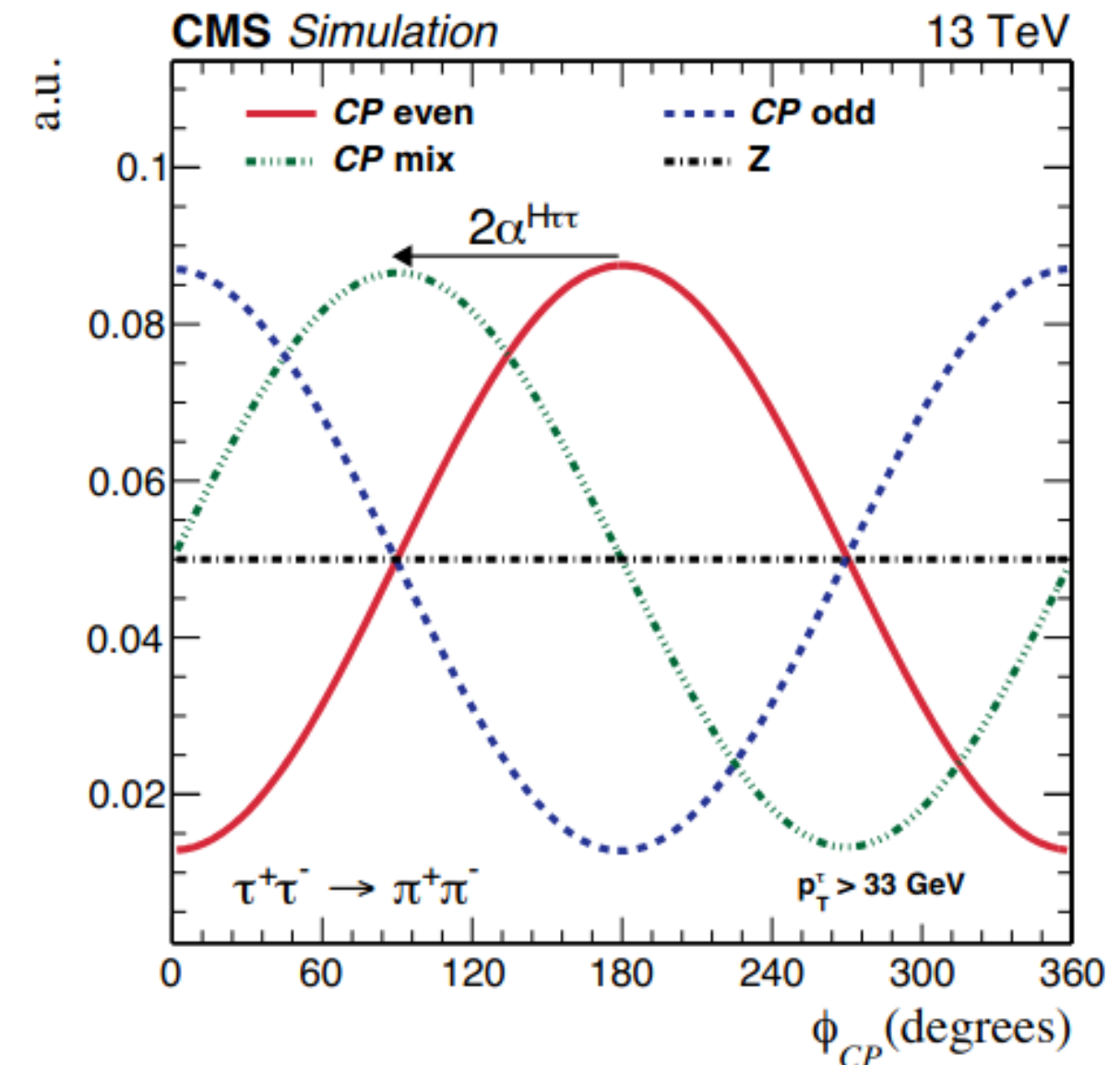
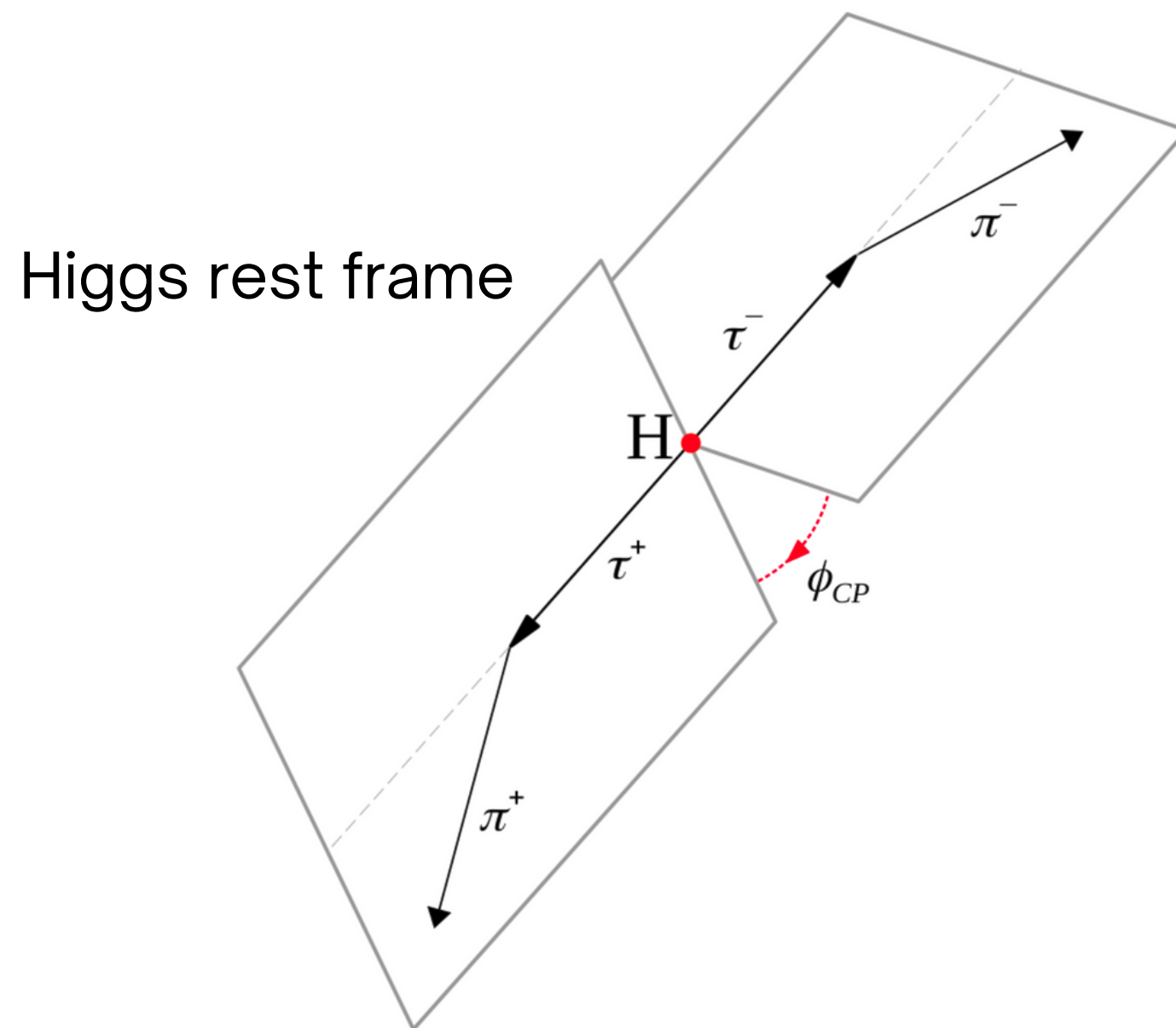
- In tau decays the CP mixing state is carried over to tau leptons through **transverse-spin** correlation

$$\Gamma(H \rightarrow \tau\tau) = \Gamma^{unpol} (1 - s_{\parallel}^{-} s_{\parallel}^{+} + s_{\perp}^{-} R(\alpha^{H\tau\tau}) s_{\perp}^{+})$$

CP sensitive observable in tau decays



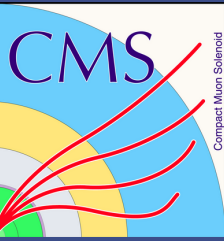
- The acoplanar angle ϕ_{cp} is defined as the angle between tau decay planes
 - Assessible through visible decay products



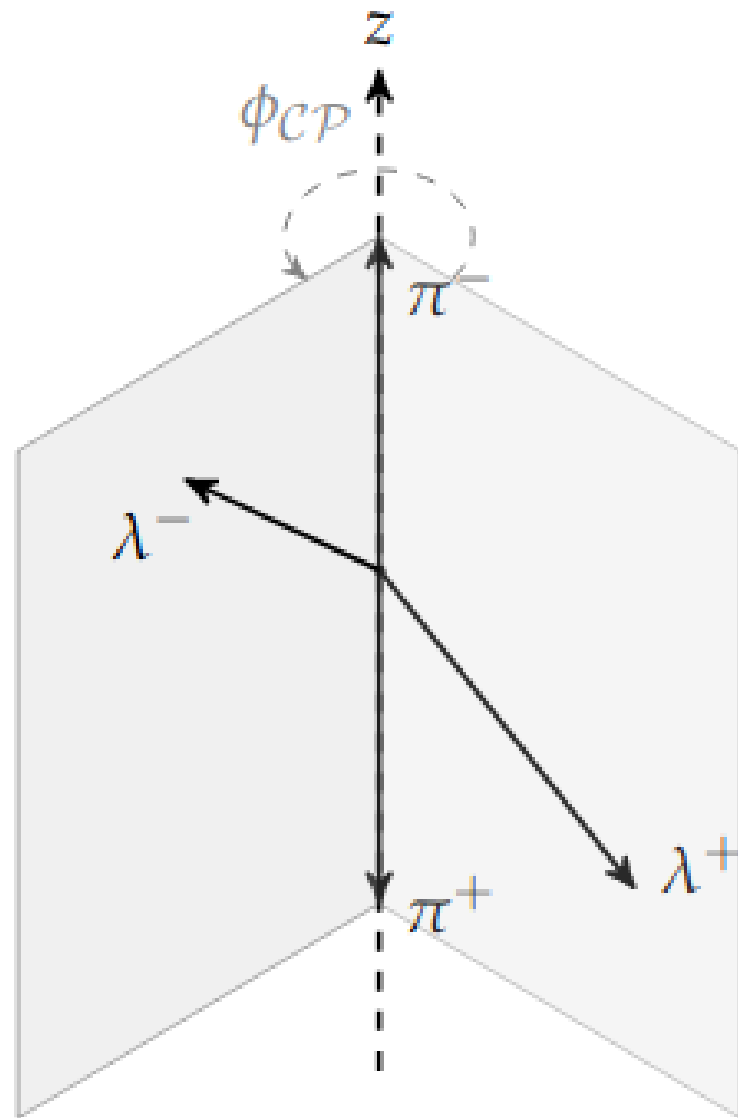
$$\frac{d\Gamma}{d\phi_{CP}}(H \rightarrow \tau\tau) \propto \text{const} - \cos(\phi_{CP} - 2\alpha^{H\tau\tau})$$

- Spin correlation creates a sinusoidal dependence in Higgs decay rate

Observable measurement



- Using visible decay products, planes are defined by a particle momentum and another vector



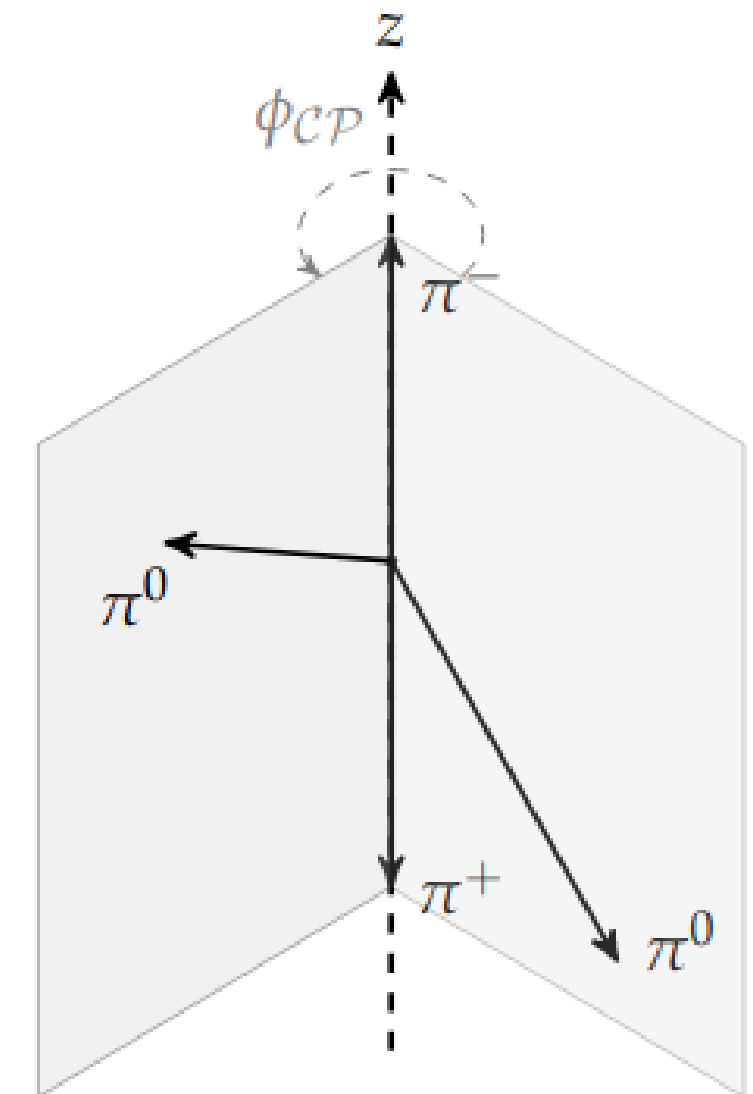
Impact parameter

$$\tau \rightarrow \pi, \mu, e$$

- Impact parameter for single momentum final states

- Another momentum for multi momenta final states

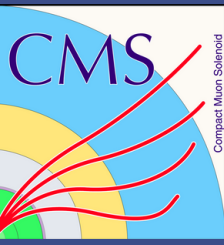
Methods can be used together when taus are decaying differently



Neutral pion

$$\tau \rightarrow \rho, a_1$$

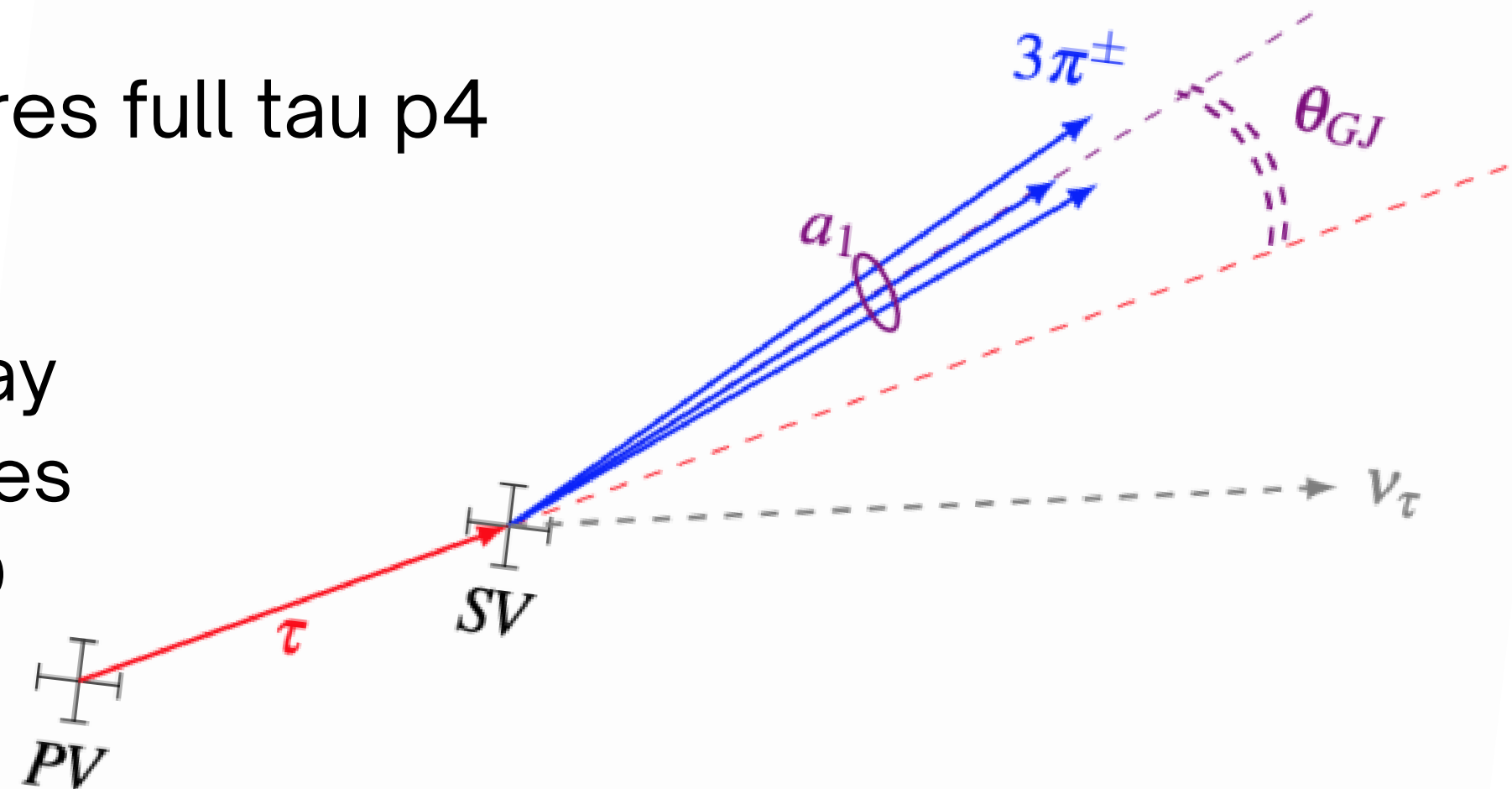
Polarimetric vector method



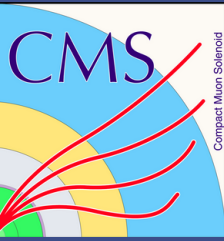
- Uses the polarimetric vector (most probable tau spin direction) and the undecayed tau momentum to define planes

$$d\Gamma = \frac{1}{2m_\tau} |\overline{M}|^2 (1 + h_\mu s^\mu) dLips$$

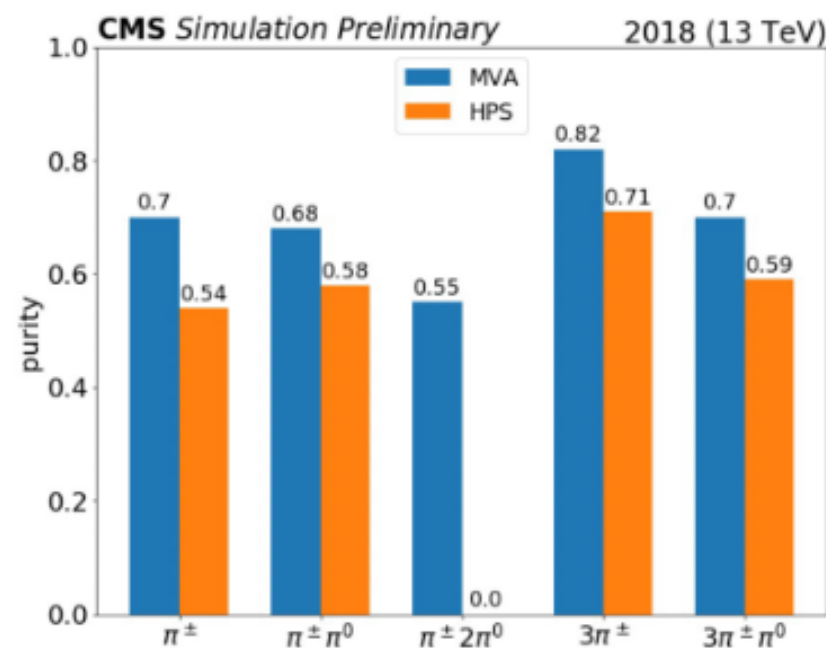
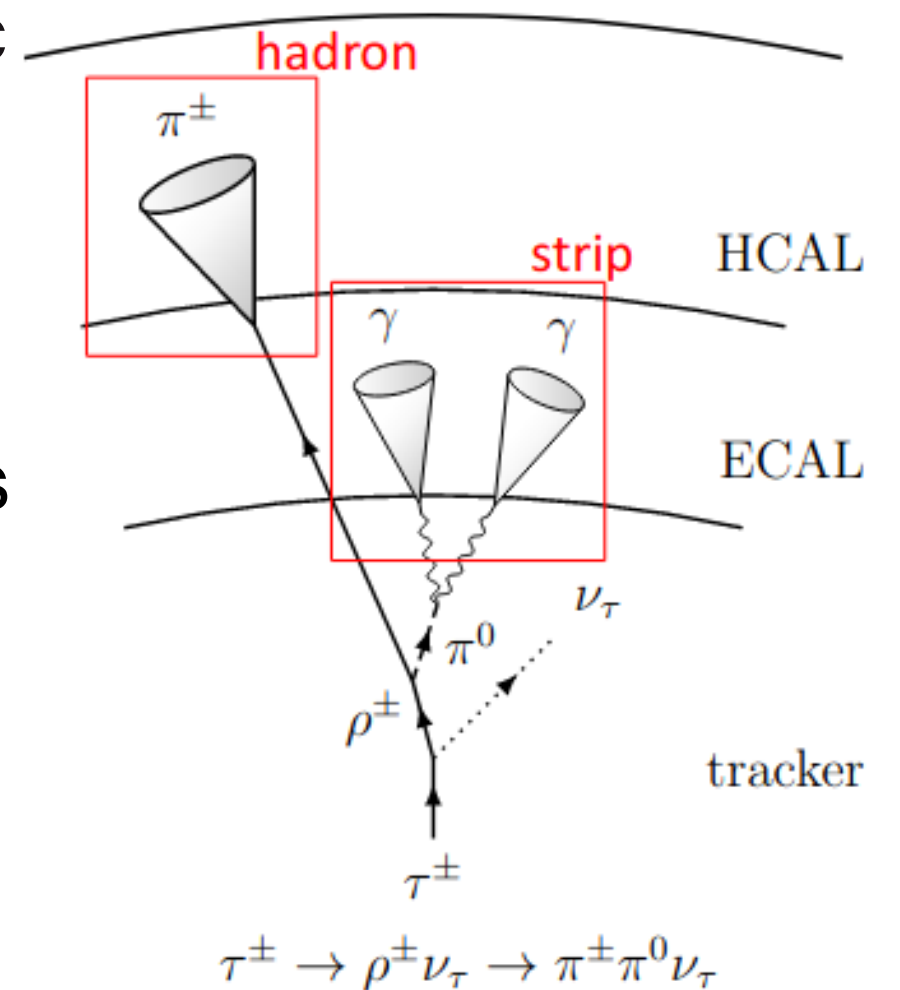
- s is the tau spin and h the polarimetric vector, function of the tau momentum and its decay products
 - Most CP sensitive technique but requires full tau p4 reconstruction
- Successfully implemented in the $a_1^{3pr} a_1^{3pr}$ decay mode using constraints on secondary vertices
 - a_1 hadronic resonance model from CLEO (Phys. Rev. D61 (1999) 012002).



Tau identification in CMS

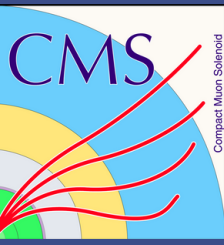


- The Hadron-Plus-Strip (HPS) algorithm is used to reconstruct hadronic taus from collimated ak4 jets ([doi:10.1088/1748-0221/13/10/P10005](https://doi.org/10.1088/1748-0221/13/10/P10005))
 - PF charged hadrons and PF e/gammas from neutral hadrons are associated and a decay mode is assigned
- DeepTau algorithm used for tau identification with four output classes
 - Electron, muon, jet, tau ([doi:10.1088/1748-0221/17/07/P07023](https://doi.org/10.1088/1748-0221/17/07/P07023))
 - Three final discriminants : genuine tau vs ele, mu, jet
- Dedicated BDT for decay mode identification of hadronic taus
 - Optimized for best purity ([CMS-DP-2020-041](https://arxiv.org/abs/2002.041)), HPS DM as input



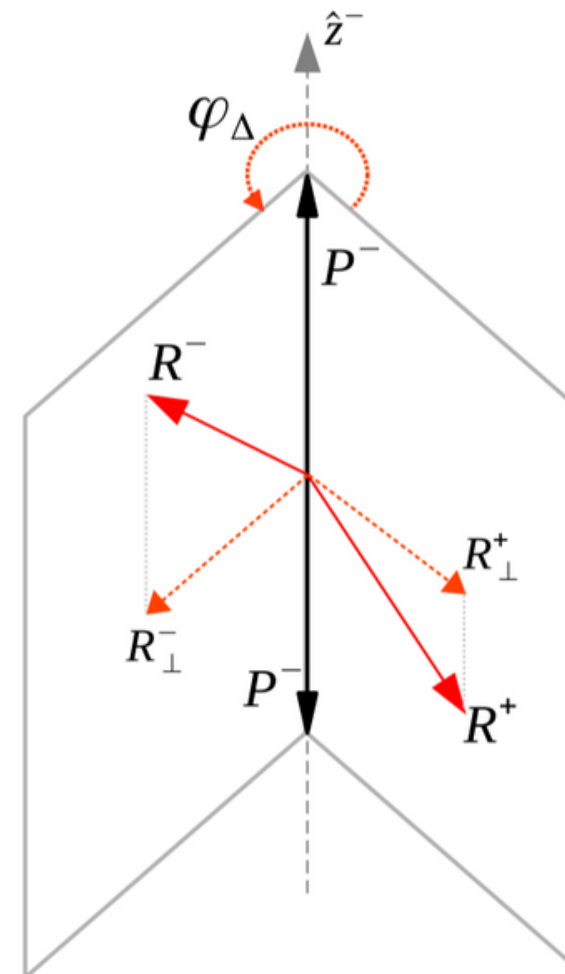
- DM 0 : $\tau_h \rightarrow \pi^\pm$
- DM 1 : $\tau_h \rightarrow \pi^\pm + \pi^0$
- DM 2 : $\tau_h \rightarrow \pi^\pm + 2\pi^0$
- DM 10 : $\tau_h \rightarrow 2\pi^\pm + \pi^\mp$
- DM 11 : $\tau_h \rightarrow 2\pi^\pm + \pi^\mp + \pi^0$

Event categorization



- 17 final states considered in Run II analysis, three categories : $\tau_h\tau_h, \tau_\mu\tau_h, \tau_e\tau_h$
- Events are further on categorized in three classes :
 - Signal, fakes, taus
 - DNN for $\tau_l\tau_h$ channels, BDT for $\tau_h\tau_h$
- Summary of methods used according to decay mode :

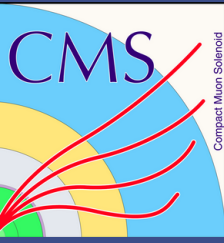
	Vectors			
Channel	P1	R1	P2	R2
$\tau_{l,\pi} \times \tau_{l,\pi}$	$\vec{p}_{l,\pi}$	$\vec{I\vec{P}}_{l,\pi}$	$\vec{p}_{l,\pi}$	$\vec{I\vec{P}}_{l,\pi}$
$\tau_{l,\pi} \times \tau_{\rho,a_1^{1Pr}}$	$\vec{p}_{l,\pi}$	$\vec{I\vec{P}}_{l,\pi}$	\vec{p}_{π^\pm}	\vec{p}_{π^0}
$\tau_{l,\pi} \times \tau_{a_1^{3Pr}}^\pm$	$\vec{p}_{l,\pi}$	$\vec{I\vec{P}}_{l,\pi}$	\vec{p}_{π^\pm}	\vec{p}_{π^\mp}
$\tau_{\rho,a_1^{1Pr}} \times \tau_{a_1^{3Pr}}^\pm$	\vec{p}_{π^\pm}	\vec{p}_{π^0}	\vec{p}_{π^\pm}	\vec{p}_{π^\mp}
$\tau_{a_1^{3Pr}} \times \tau_{a_1^{3Pr}}^\pm$	\vec{p}_τ	\vec{h}	\vec{p}_τ	\vec{h}



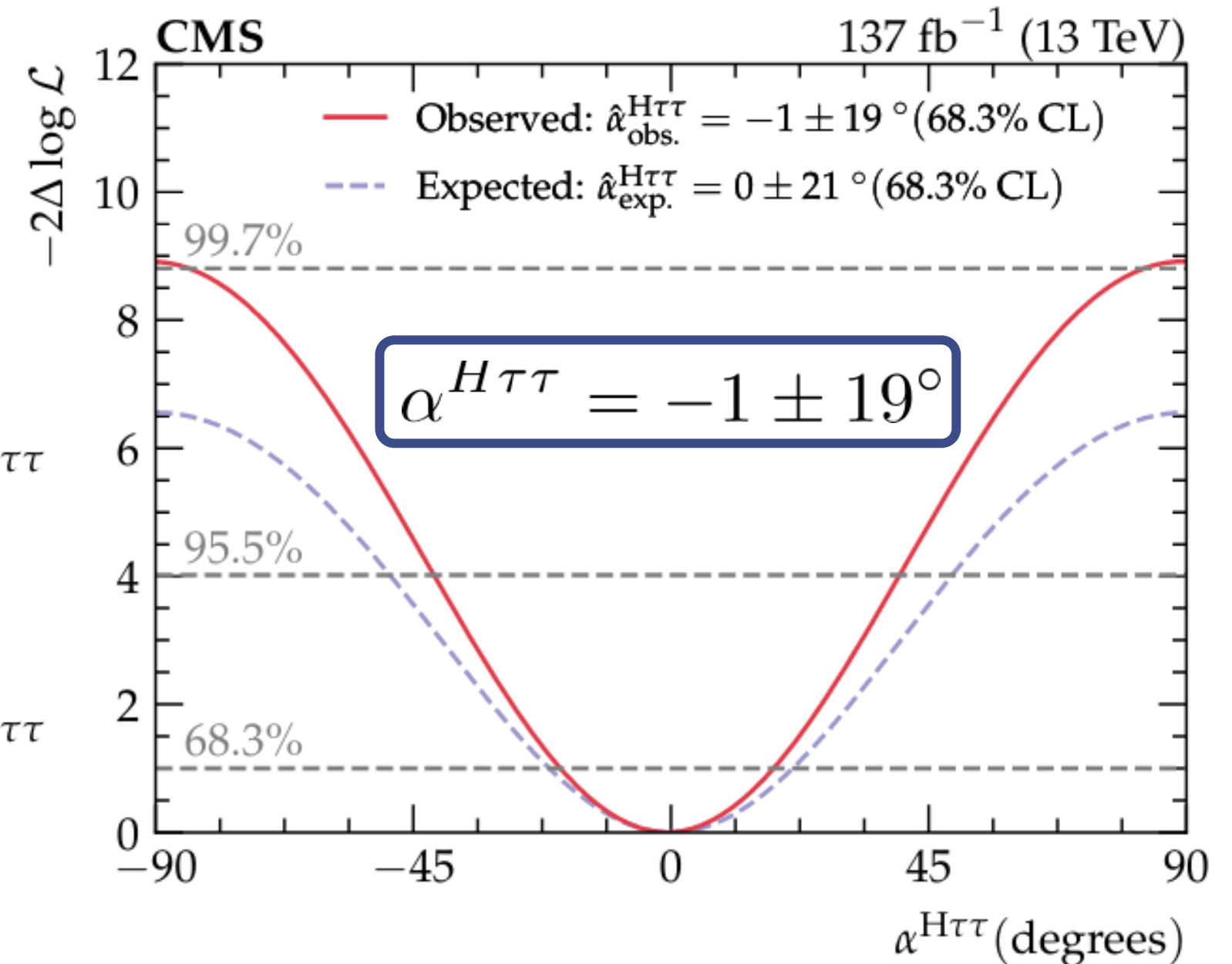
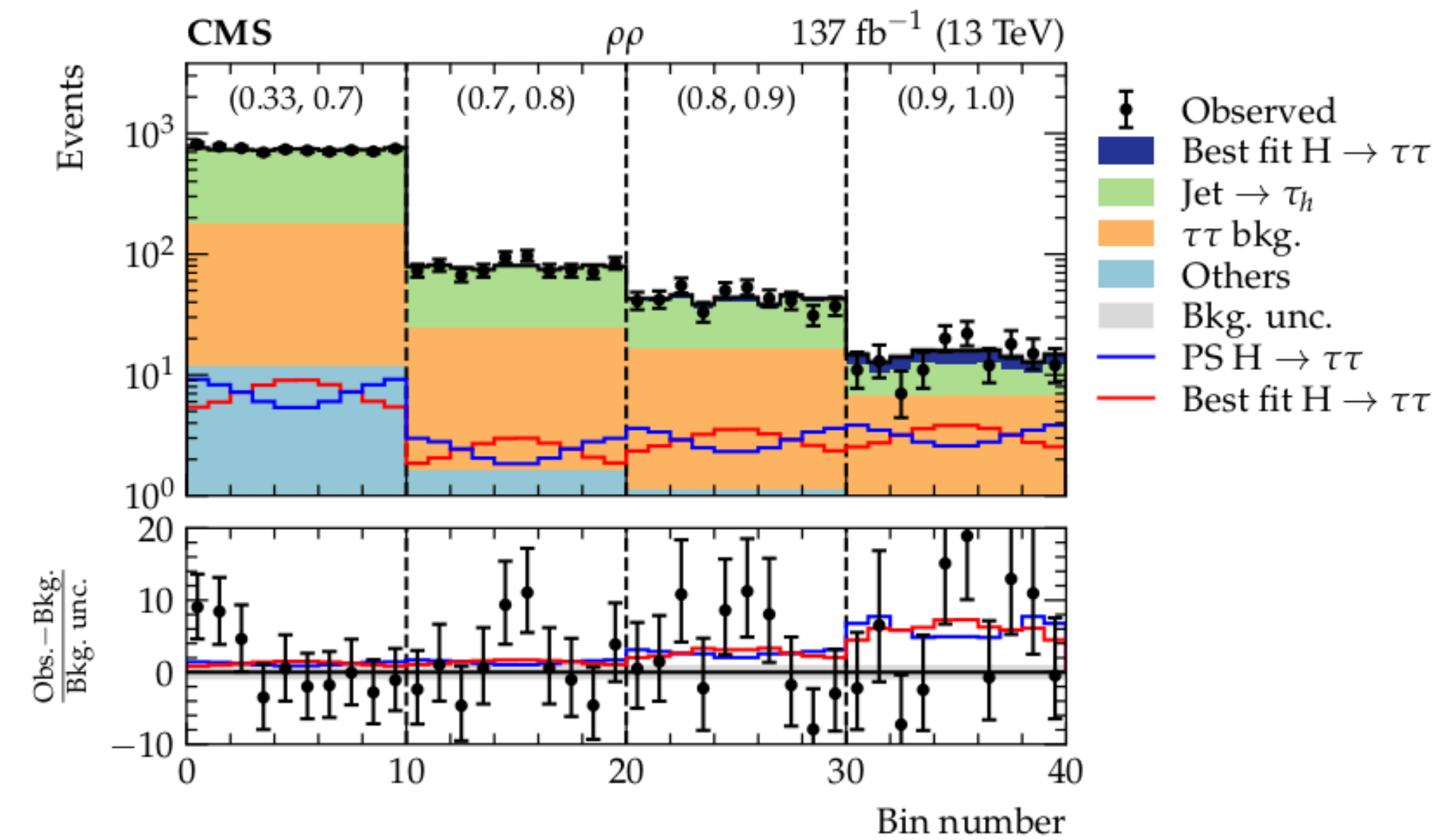
Observable	$\tau_\ell\tau_h$	$\tau_h\tau_h$
p_T of leading τ_h	✓	✓
p_T of trailing τ_h	—	✓
p_T of τ_ℓ	✓	—
p_T of visible di- τ	✓	✓
p_T of di- $\tau_h + p_T^{\text{miss}}$	—	✓
p_T of $\tau_\ell\tau_h + p_T^{\text{miss}}$	✓	—
Visible di- τ mass	✓	✓
Di- τ mass (using SVFIT)	✓	✓
Leading jet p_T	✓	✓
Trailing jet p_T	✓	—
Jet multiplicity	✓	✓
Dijet invariant mass	✓	✓
Dijet p_T	✓	—
Dijet $ \Delta\eta $	✓	—
p_T^{miss}	✓	✓

[doi:10.3390/universe8050256](https://doi.org/10.3390/universe8050256)

CP mixing angle measurement



- Simultaneous fit of the data
 - Example in signal category for rho-rho channel

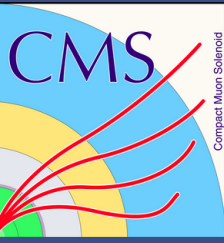


$$\alpha^{H\tau\tau} = -1 \pm 19(\text{stat}) \pm 1(\text{syst}) \pm 2(\text{bin}) \pm 1(\text{theo})^\circ$$

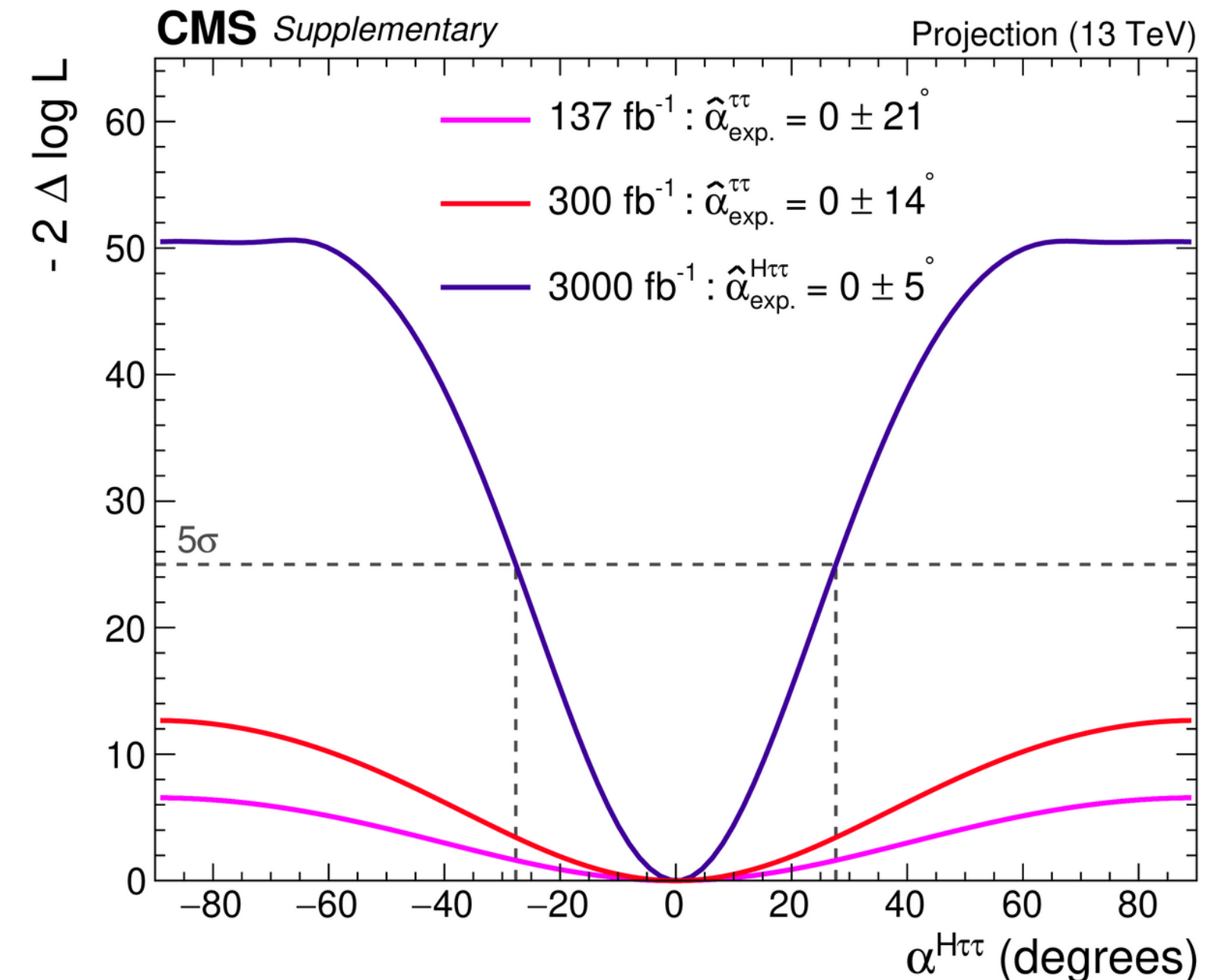
Exclusion of CP-odd hypothesis :

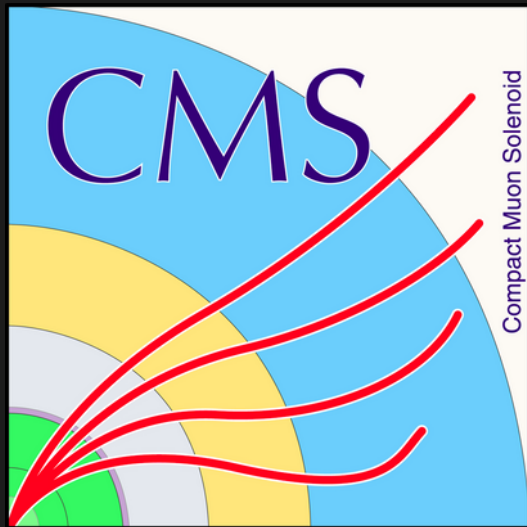
- Observed (exp.) significance = 3.0(2.6) σ

Conclusion and prospects



- Run II analysis results are still compatible with SM predictions within the experimental uncertainties
- Run 3 is expected to bring more data and therefore reduce the dominant uncertainty on this measurement
- Wider use of the polarimetric vector method for greater sensitivity
 - Possible in channels employing an a_1 resonance with the GEF algorithm ([doi:10.48550/arXiv.1805.06988](https://arxiv.org/abs/1805.06988))
 - New tau reconstruction techniques will be developed for this purpose





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Thank you for your
attention



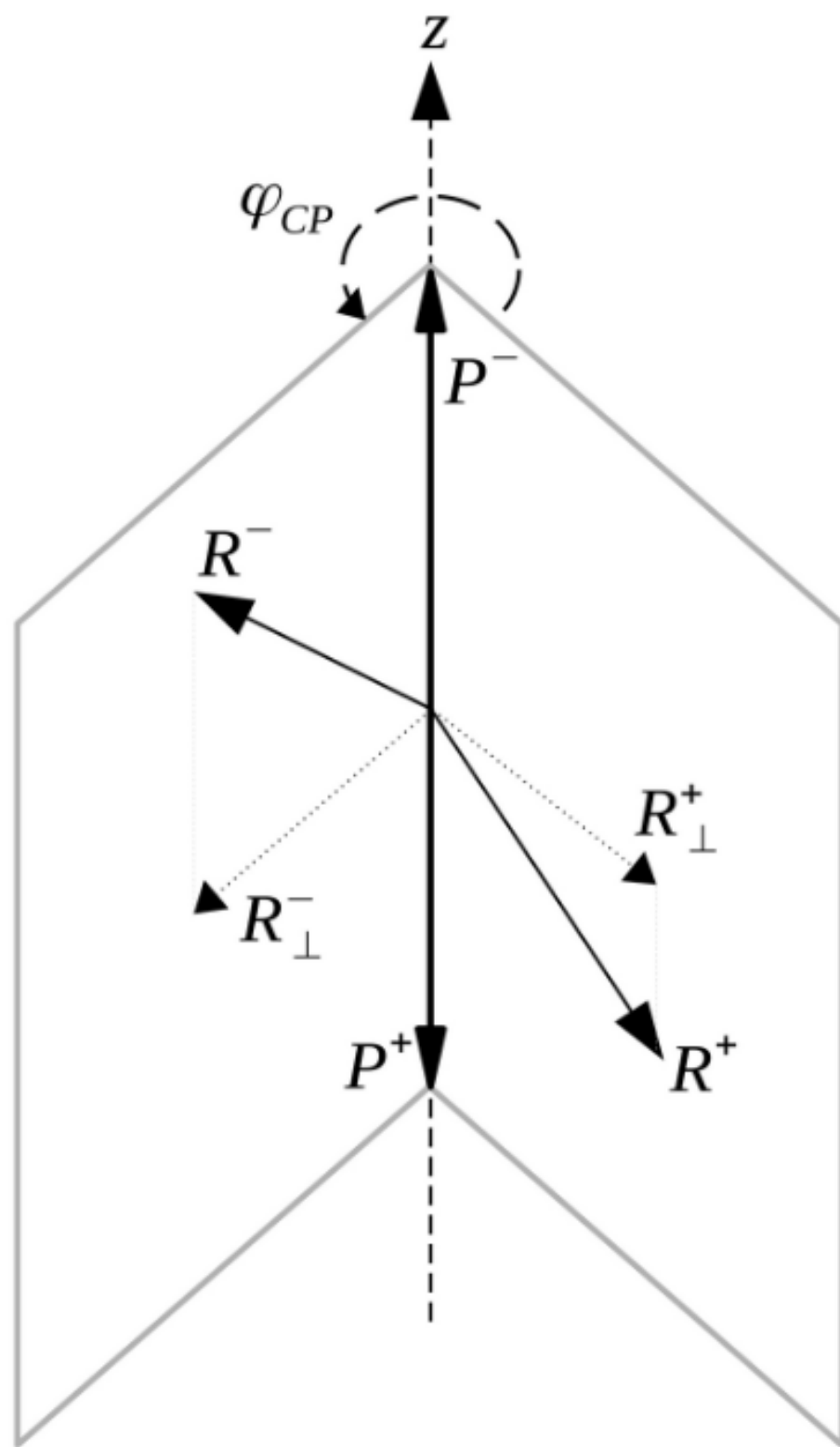
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Acoplanar angle measurement



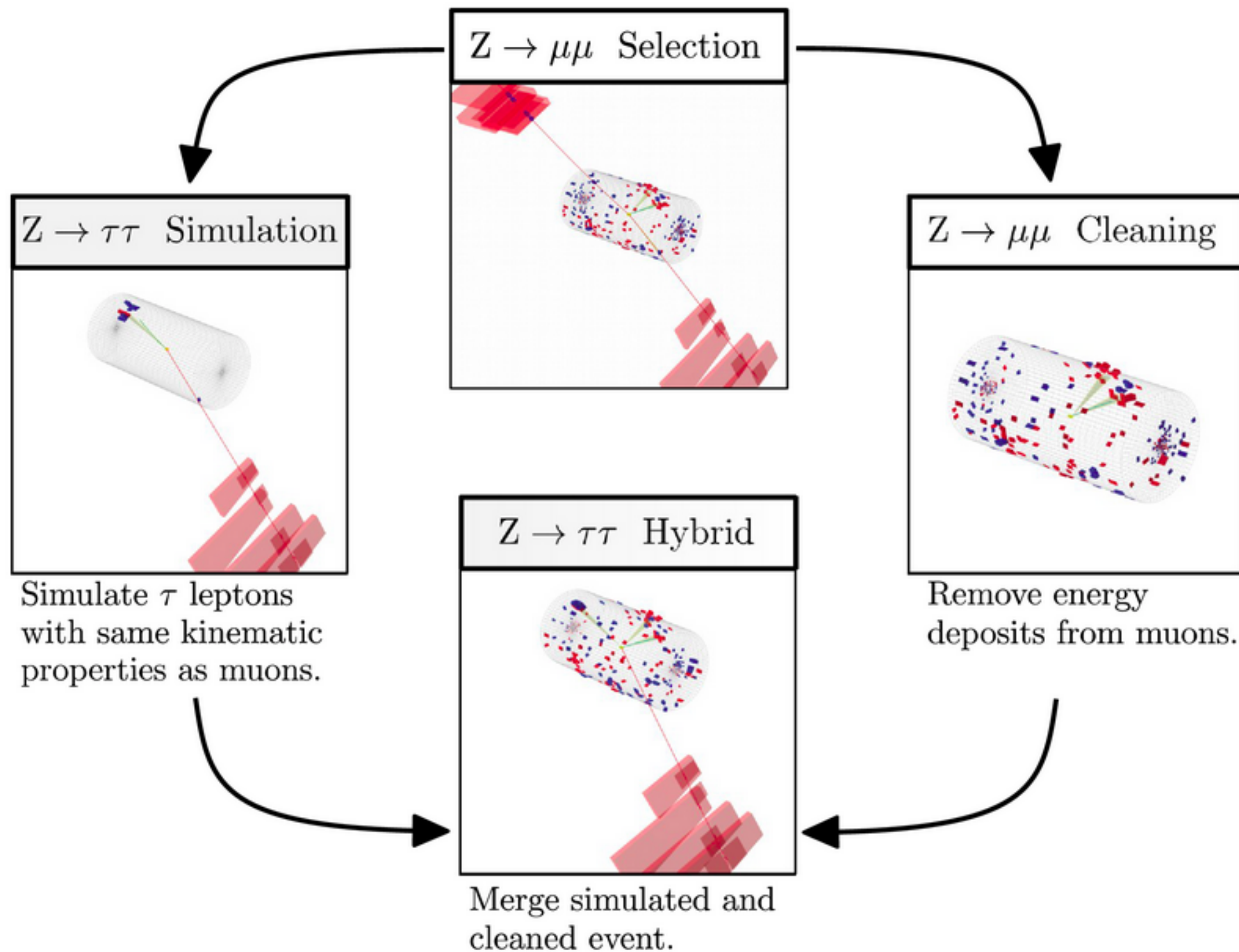
- Define planes using for each tau a momentum P and a vector R defined according to method
- Boost all vectors in zero momentum frame defined by the two momenta sum
- Use transverse component of each vector R w.r.t to its associated momentum P

$$\phi^* = (\hat{R}^+_{\perp} \cdot \hat{R}^-_{\perp})$$

$$O^*_{CP} = \hat{P}^- \cdot (\hat{R}^+_{\perp} \times \hat{R}^-_{\perp})$$

$$\phi_{CP} = \begin{cases} \phi^* & \text{if } O^*_{CP} \geq 0 \\ 2\pi - \phi^* & \text{if } O^*_{CP} < 0 \end{cases}$$

Embedding technique



- Used to estimate processes involving a pair of genuine taus
- Relies on lepton universality
- No need to simulate jets and pile up

Tau reconstruction in CMS

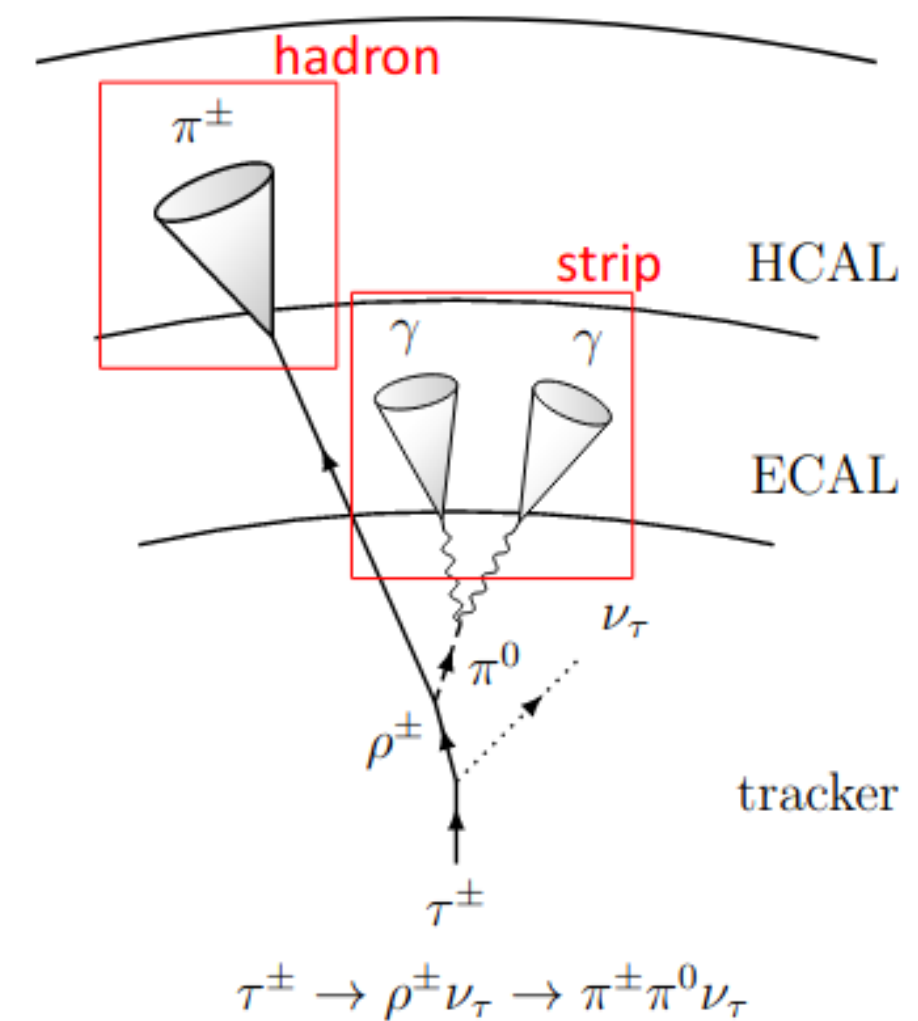
- Electrons, muons, photons, and hadrons are reconstructed by the Particle Flow algorithm
- HPS combines PF charged hadrons to neutral hadrons identified as strips in the ECAL from PF e/gammas
- 4 decay modes identified by HPS :

$$\tau_h \rightarrow \pi^\pm$$

$$\tau_h \rightarrow \pi^\pm + \pi^0$$

$$\tau_h \rightarrow 2\pi^\pm + \pi^\mp$$

$$\tau_h \rightarrow 2\pi^\pm + \pi^\mp + \pi^0$$



Decay mode identification

- Good CP sensitivity relies on good DM purity
- HPS not optimized for this task : dedicated BDT for DM identification
- Increases sensitivity of about 20% and identify 1 additional DM

$$\tau_h \rightarrow \pi^{\pm} + 2\pi^0$$

	π	ρ	$a_1^{1\text{pr}}$	$a_1^{3\text{pr}}$	$\pi^{\pm}\pi^{\mp}\pi^{\pm}\pi^0$
Purity	70%	68%	55%	82%	71%
Efficiency	83%	79%	39%	87%	65%

