Searches for lepton-flavour-violating decays of the Higgs boson into $\mathrm{e}-\tau$ and $\mu-\tau$ in ATLAS

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## LFV $H \rightarrow I \tau$ decay search in ATLAS

- Analysis searching for two independent signals, $H \rightarrow e \tau$ and $H \rightarrow \mu \tau$, considering both hadronic and leptonic $\tau$ decays
- Full leptonic final state (leplep), $e \tau_{\mu}$ and $\mu \tau_{e}$, considering two different estimation methods for major backgrounds:
- MC-template method: backgrounds estimated using Monte Carlo (MC) templates + normalisation through Control Regions (CRs)


Symmetry method: backgrounds estimated via data-driven symmetry method

- One lepton and one hadronically decaying $\tau$ final state (lephad), $e \tau_{\text {had }}$ and $\mu \tau_{\text {had }}$, considering only MC-template method
- First time these results are shown in a conference

$e \tau_{\text {had }}$ and $\mu \tau_{\text {had }}$ search


## Event selection and categorisation



associated production with a gauge boson (VH)


- Cut-based signal region categorisation, VBF/non-VBF, to enhance contribution from main Higgs boson production modes
- MVA analysis in each signal region to enhance sensitivity


## Background estimation for MC-Template method in leplep final state

$$
\text { Non-VBF, } Z \rightarrow \tau \tau \text { CR }
$$

- $Z \rightarrow \tau \tau$ and $T o p(t \bar{t}+$ single-top $)$ contribution estimated through templates + normalisation through 1-bin CRs separately for $V B F$ and non-VBF categories
- Top CR: require at least 1 b -jet
- $Z \rightarrow \tau \tau$ CR: require lead lepton $\mathrm{p}_{T}<45 \mathrm{GeV}$
- $Z \rightarrow \mu \mu$ background estimated with templates + prefit normalisation and related uncertainty from dedicated CR
- Other minor backgrounds estimated from MC
- Misidentified background (Fake) estimated via $A B C D$ method using lepton charge and isolation


VBF, SR


- Based on the assumption that SM processes are symmetric with respect to $\mathrm{e} \leftrightarrow \mu$ exchange
- LFV H decays break this symmetry if $\mathcal{B r}(H \rightarrow \mu \tau)$ different from $\operatorname{Br}(H \rightarrow e \tau)$
- Use data from one channel to make background prediction for the other channel, after correcting for biases due to experimental effects
- Fakes estimated through FakeFactor (FF) based on lepton identification
- Method sensitive to Br differences between two LFV signals; if one $\mathcal{B r}$ assumed to be 0 , then analysis measures absolute $\mathcal{B r}$ value


Non-VBF, SR


## Background estimation for MC-Template method in lephad final state

Non-VBF, SR

- $Z \rightarrow \tau \tau$ contribution estimated with templates + independent Norm Factors (NFs) for VBF and non-VBF categories
- Top contribution estimated through templates and normalisation through shared NFs with leplep in MC-Template fit, or fixed to MC
- $Z \rightarrow \mu \mu$ background estimated with templates + prefit normalisation and related uncertainty from dedicated CR
- Other minor backgrounds estimated from MC
- Fake estimated through FF method based on hadronic $\tau$ identification


VBF, SR


## 

## MVA analysis strategy

- Different strategies developed for the different final states/methods
- Symmetry method: Neural Networks (NNs) trained separately for VBF and non-VBF categories, but summing over $e \tau_{\mu}$ and $\mu \tau_{e}$ final states
- for non-VBF category: one NN with 3 nodes $\rightarrow$ signal node used for fit
- for VBF category: three NNs combined linearly (Signal Vs Z/H $\rightarrow \tau \tau+\mathrm{MC}$ fakes, Signal Vs Top + Diboson $+\mathrm{H} \rightarrow W W$, Signal Vs Fake )


- Negative signal for $e \tau_{\mu}$ for Symmetry method expected due to anticorrelation of $\mathcal{B r}(H \rightarrow \mu \tau)$ and $\mathcal{B r}(H \rightarrow e \tau) \quad$ A. De Maria


## MVA analysis strategy

- Different strategies developed for the different final states/methods
- MC-template leplep: Boosted Decision Trees (BDTs) trained separately for VBF and non-VBF categories, but summing over $e \tau_{\mu}$ and $\mu \tau_{e}$ final states
- 3 BDTs combined linearly (Signal Vs Z/H $\rightarrow \tau \tau+\mathrm{Z} \rightarrow I I$, Signal Vs Top + Diboson $+\mathrm{H} \rightarrow W W$, Signal Vs Fake )




## MVA analysis strategy

- Different strategies developed for the different final states/methods
- MC-template lephad: BDTs trained separately for VBF, non-VBF categories and for $e \tau_{\text {had }}, \mu \tau_{\text {had }}$ final states
- non-VBF $e \tau_{\text {had }}$ : 3 BDTs combined linearly (Signal Vs $Z \rightarrow \tau \tau$, Signal Vs Fake, Signal Vs all other backgrounds)
- VBF category and non-VBF $\mu \tau_{\text {had }}: 2$ BDTs combined linearly for non-VBF $\mu \tau_{\text {had }}$ and quadratically for VBF category (Signal Vs $\mathrm{Z} \rightarrow \tau \tau$, Signal Vs all other backgrounds)



Fit analysis strategy

| Method | Channel | Category | Region | 1 POI fit | 2 POI fit |
| :---: | :---: | :---: | :---: | :---: | :---: |
| MC-template | $\ell \tau_{\ell^{\prime}}$ | non-VBF | SR | $\checkmark$ | $\checkmark$ |
|  |  |  | $Z \rightarrow \tau \tau \mathrm{CR}$ | $\checkmark$ | $\checkmark$ |
|  |  |  | Top-quark CR | $\checkmark$ | $\checkmark$ |
|  |  | VBF | SR |  | $\checkmark$ |
|  |  |  | $Z \rightarrow \tau \tau$ CR |  | $\checkmark$ |
|  |  |  | Top-quark CR |  | $\checkmark$ |
| MC-template | $\ell \tau_{\text {had }}$ | non-VBF | SR | $\checkmark$ | $\checkmark$ |
|  |  | VBF | SR | $\checkmark$ | $\checkmark$ |
| Symmetry | $\ell \tau_{\ell^{\prime}}$ | non-VBF | SR |  |  |
|  |  | $V B F$ | SR | $\checkmark$ |  |

- Use MVA outputs for each category as final discriminant in the fit to extract the signal strength and upper limits at $95 \%$ confidence limits (C.L.)
- Three different type of fit:
- 1 POI: independent fit of $\mathcal{B r}(H \rightarrow \mu \tau)$ and $\operatorname{Br}(H \rightarrow e \tau)$, assuming one $\mathcal{B r}=0$ when fitting the other $\mathcal{B r}$. Use a combination of Symmetry and MC-Template method
- $\mathcal{B r}$ difference in leplep channel: remove the assumption of one $\mathcal{B r}=0$
- 2 POI: simultaneous fit $\mathcal{B r}(H \rightarrow \mu \tau)$ and $\operatorname{Br}(H \rightarrow e \tau)$. Use only MC-Template method and remove the assumption of one $\mathcal{B r}=0$

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## 1 POI fit results



- Observed limits above the expected ones for both $H \rightarrow e \tau$ and $H \rightarrow \mu \tau$ signals
- $1.9 \sigma$ excess observed for $\mathcal{B r}(H \rightarrow \mu \tau)$ while $2.2 \sigma$ for $\mathcal{B r}(H \rightarrow e \tau)$
- excess in $H \rightarrow \mu \tau(H \rightarrow e \tau)$ driven by non-VBF category of lephad (leplep) channel


## 2 POI fit results

- $2.5 \sigma$ excess observed for $\mathcal{B r}(H \rightarrow \mu \tau)$ and $1.6 \sigma$ for $\mathcal{B r}(H \rightarrow e \tau)$
- Compatibility with SM within $2.2 \sigma$
- Observed (expected) upper limits at $95 \%$ C.L. on Br are $0.19 \%(0.11 \%)$ for $\mathrm{H} \rightarrow e \tau$ and $0.18 \% ~(0.09 \%)$ for $H \rightarrow \mu \tau$





## Interpretation as Yukawa-coupling

- $\mathcal{B r}$ values can be related to non-diagonal Yukawa coupling matrix elements:

$$
\left|Y_{I \tau}\right|^{2}+\left|Y_{\tau \prime}\right|^{2}=\frac{8 \pi}{m_{H}} \frac{\mathcal{B r}(H \rightarrow I \tau)}{1-\mathcal{B r}(H \rightarrow I \tau)} \Gamma_{H}(\mathrm{SM})
$$

- From 2POI fit, $\sqrt{\left|Y_{\tau e}\right|^{2}+\left|Y_{e \tau}\right|^{2}}<0.0012$ and $\sqrt{\left|Y_{\tau \mu}\right|^{2}+\left|Y_{\mu \tau}\right|^{2}}<0.0012$




## 2 POI fit uncertainty breakdown

| 2 POI | Impact $\left(\times 10^{2}\right)$ on observed |  |
| :--- | :---: | :---: |
| Source of uncertainty | $\hat{\mathcal{B}}(H \rightarrow e \tau)$ | $\hat{\mathcal{B}}(H \rightarrow \mu \tau)$ |
| Flavour tagging | 0.007 | 0.003 |
| Misidentified background $\left(e \tau_{\text {had }}\right)$ | 0.021 | 0.003 |
| Misidentified background $\left(e \tau_{\mu}\right)$ | 0.058 | 0.003 |
| Misidentified background $\left(\mu \tau_{\text {had }}\right)$ | 0.006 | 0.015 |
| Misidentified background $\left(\mu \tau_{e}\right)$ | 0.009 | 0.011 |
| Jet and $E_{\mathrm{T}}^{\text {miss }}$ | 0.012 | 0.009 |
| Electrons and muons | 0.013 | 0.005 |
| Luminosity | 0.007 | 0.005 |
| Hadronic $\tau$ decays | 0.009 | 0.009 |
| Theory (signal) | 0.007 | 0.007 |
| Theory $(Z$ + jets processes $)$ | 0.007 | 0.009 |
| $Z \rightarrow \ell \ell$ normalisation $(e \tau)$ | $<0.001$ | $<0.001$ |
| $Z \rightarrow \ell \ell$ normalisation $(\mu \tau)$ | 0.002 | 0.007 |
| Background sample size | 0.037 | 0.023 |
| Total systematic uncertainty | 0.051 | 0.036 |
| Data sample size | 0.030 | 0.027 |
| Total | 0.059 | 0.045 |

- Analysis dominated by systematic uncertainties, mainly from background sample statistics and Fake background estimation
- Similar conclusion also for 1POI fit


## $\mathcal{B r}$ difference measurement

- Symmetry method measures the $\mathcal{B r}(H \rightarrow \mu \tau)-\mathcal{B r}(H \rightarrow e \tau)$ difference, if no assumption on one $\mathcal{B r}=0$ is imposed
- Combining VBF and Non-VBF categories, $\mathcal{B r}(H \rightarrow \mu \tau)-\mathcal{B r}(H \rightarrow e \tau)$ $=0.25 \pm 0.10 \%$
- Symmetry results are compared with 2 POI fit of the MC-template leplep channel
- Compatibility between the two different methods is found to be within $2.3 \sigma$



## Conclusion

- A search for two LFV signals, $H \rightarrow e \tau$ and $H \rightarrow \mu \tau$, has been presented
- From simultaneous fit of the $H \rightarrow e \tau$ and $H \rightarrow \mu \tau$ signal, observed (expected) upper limits at 95\% C.L. on the branching ratios are $0.19 \%$ ( $0.11 \%$ ) for $H \rightarrow e \tau$ and $0.18 \%(0.09 \%)$ for $H \rightarrow \mu \tau$; compatibility with SM within $2.2 \sigma$
- Results can be also interpreted as limit on the non-diagonal Yukawa coupling matrix elements, $\sqrt{\left|Y_{\tau e}\right|^{2}+\left|Y_{e \tau}\right|^{2}}<0.0012$ and $\sqrt{\left|Y_{\tau \mu}\right|^{2}+\left|Y_{\mu \tau}\right|^{2}}<0.0012$
- $\mathcal{B r}$ difference in leplep channel has also been measured $\operatorname{Br}(H \rightarrow \mu \tau)$ $\mathcal{B r}(H \rightarrow e \tau)=0.25 \pm 0.10 \%$, indicating small but not significant fluctuations
- Observed limits improved by factors of up to 2.4 (1.5) than the corresponding limits for the $H \rightarrow e \tau(H \rightarrow \mu \tau)$ decay from previous ATLAS results. Expected sensitivity for $H \rightarrow e \tau(H \rightarrow \mu \tau)$ signal improved by a factor of about 3.1 (4.1)


## Thanks For Your Attention

## Backup

## Baseline and SRs event selection

| Selection | $\ell \tau_{\ell^{\prime}} \quad \ell \tau_{\text {had }}$ |
| :---: | :---: |
| Baseline |  |
| VBF | Baseline $\begin{gathered} \geq 2 \text { jets, } p_{\mathrm{T}}^{\mathrm{j}_{1}}>40 \mathrm{GeV}, p_{\mathrm{T}}^{\mathrm{j}_{2}}>30 \mathrm{GeV} \\ \left\|\Delta \eta_{\mathrm{j} j}\right\|>3, m_{\mathrm{ij}}>400 \mathrm{GeV} \end{gathered}$ |
| non-VBF | Baseline plus fail VBF categorisation <br> veto events if $90<m_{\text {vis }}\left(e, \tau_{\text {had-vis }}\right)<100 \mathrm{GeV}$ |

- Similar selection between MC-template and Symmetry; differences related to the symmetry assumption and definition of CRs.


## Previous limits for LFV $H \rightarrow / \tau$ search




- Analysis based on $2015+2016$ dataset, $36 \mathrm{fb}^{-1}$


## CMS limits for LFV $H \rightarrow I \tau$ search




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[^0]:    A. De Maria

