

Ten quectonewton local force sensor with atom interferometry for probing atom-surface interactions

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SYRTE, Observatoire de Paris

Congrès général de la SFP, 6 juillet 2023

SYRTE



PSL



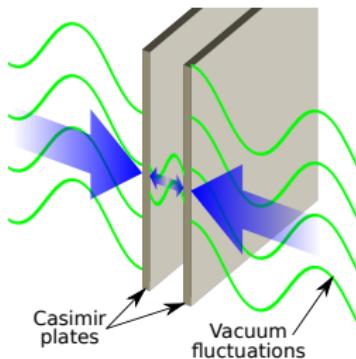
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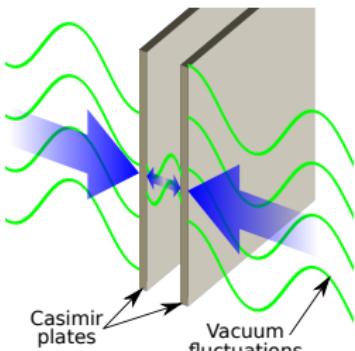
Probing atom-surface interactions : Casimir-Polder force

Casimir force



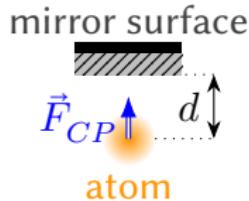
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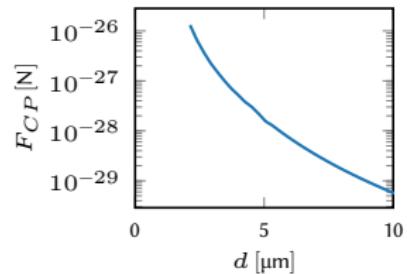


Casimir-Polder force

QED effect :

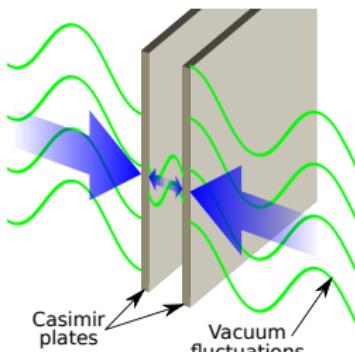


$$F_{CP} = \frac{3\hbar c \alpha_0}{32\pi^2 \epsilon_0 d^5}$$



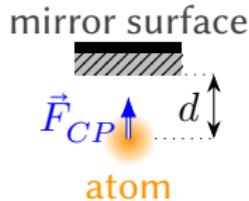
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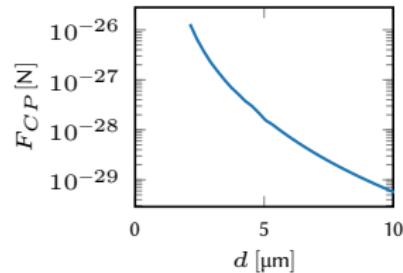


Casimir-Polder force

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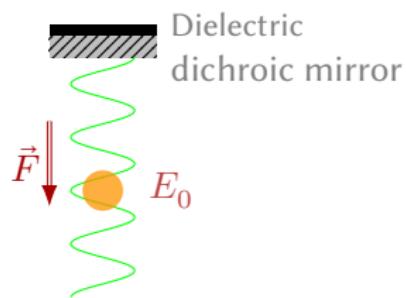


Objective : Metrological measurement of F_{CP} with controlled d

- Check QED predictions
- Observation of the thermal regime (for $d > 8 \mu\text{m}$, $F_{CP} \propto d^{-4}$)
- Additional interaction in μm range ?

Atom interferometry with trapped atoms

Rb atoms trapped in
optical vertical lattice

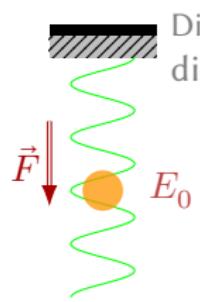


$$U \approx 4E_r$$

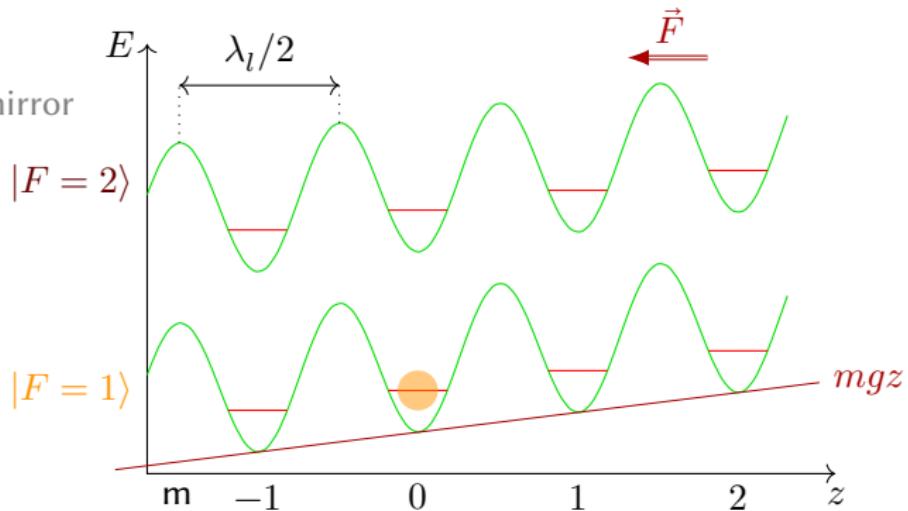
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Wannier-Stark ladder

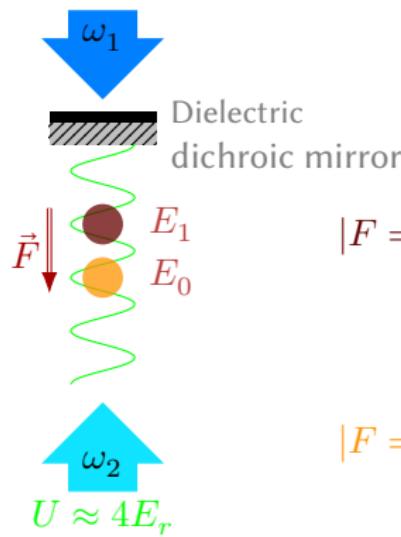


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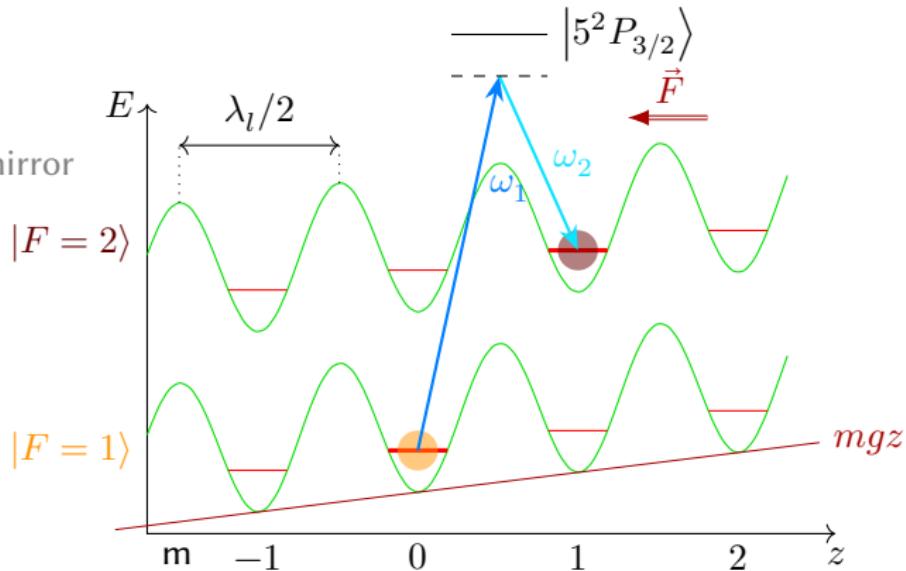


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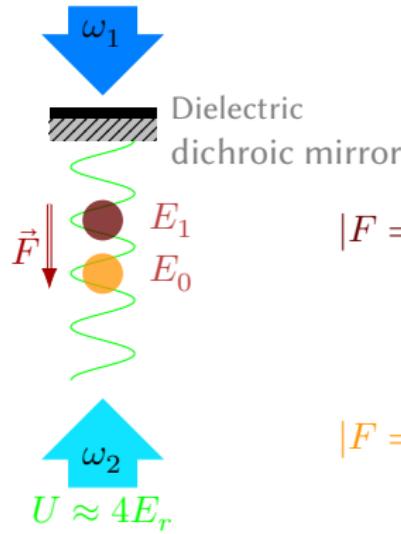


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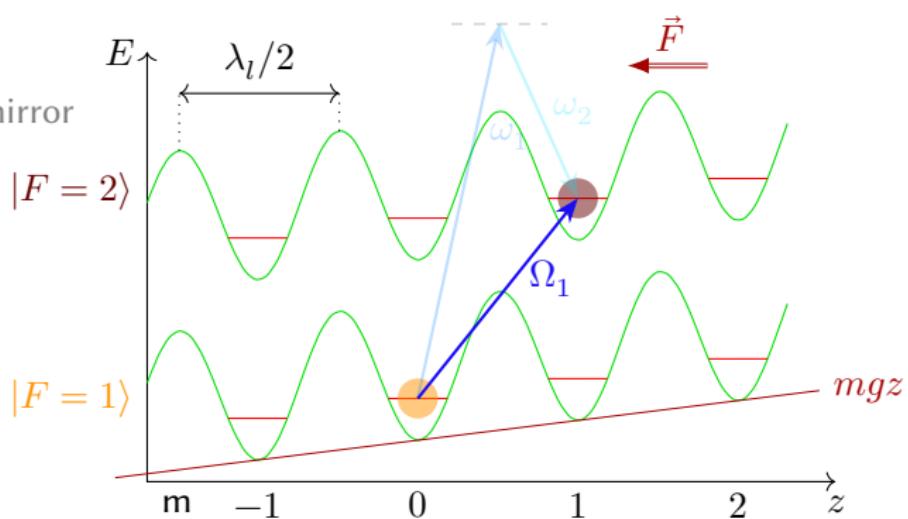


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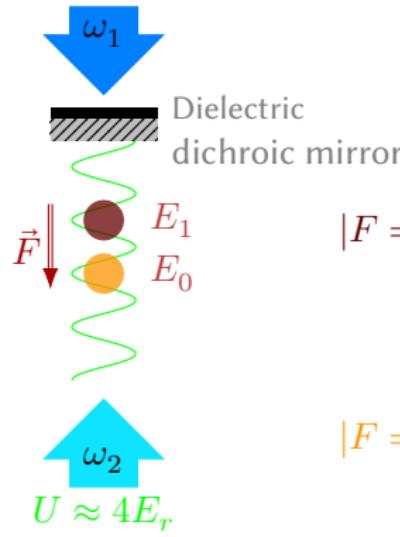


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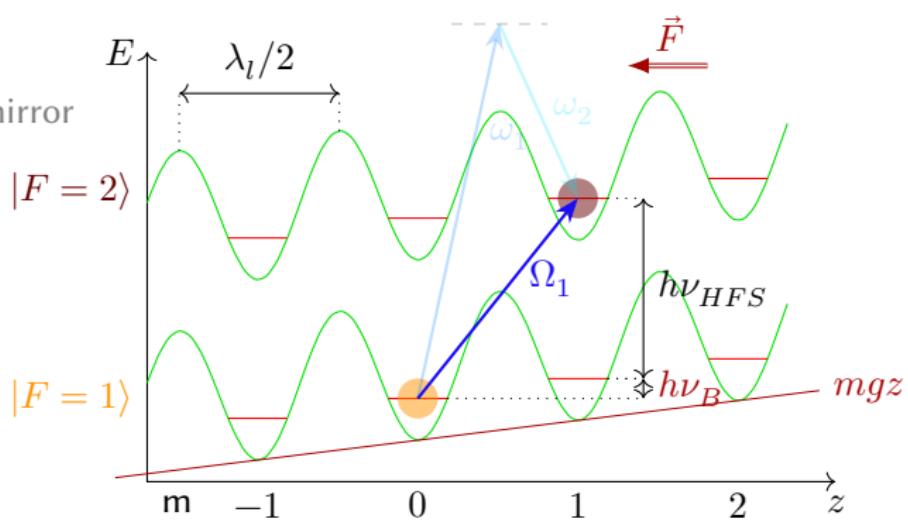


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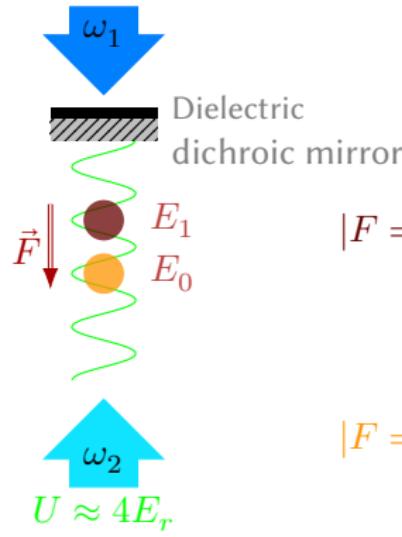


$$\text{Bloch frequency } \nu_B = \frac{E_1 - E_0}{\hbar} = \frac{F\lambda_l}{2\hbar} \approx 568 \text{ Hz}$$

$$F = mg + \delta F \implies \text{shift on } \nu_B$$

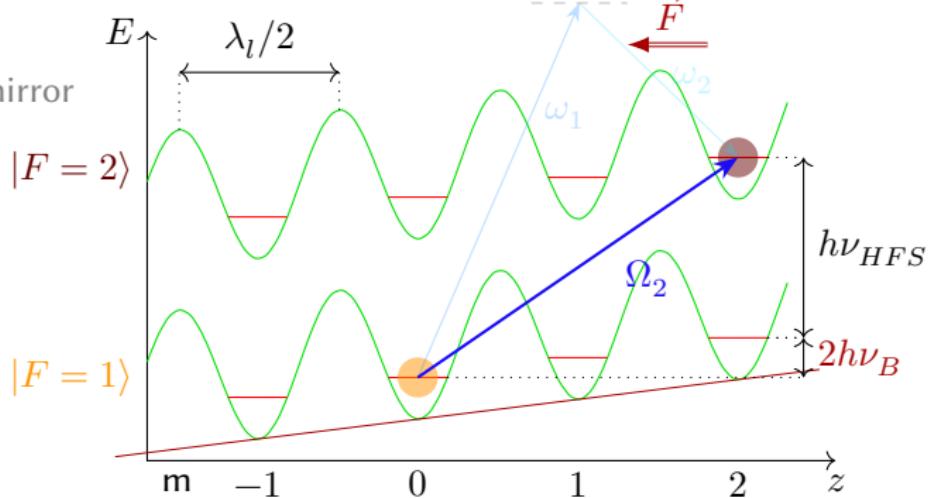
Atom interferometry with trapped atoms

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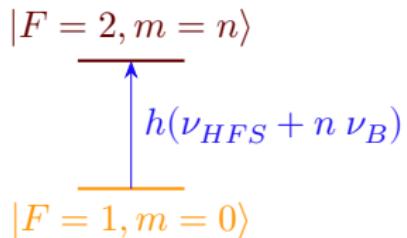
Wannier-Stark ladder



Coupling possible between $|m = 0\rangle$ and $|m > 1\rangle$

$$\Omega_m = \Omega \langle m = 0 | e^{ik_{eff}\hat{z}} | m = n \rangle$$

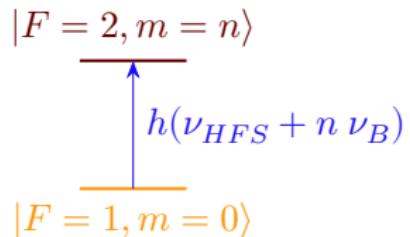
Bloch frequency measurement



Bloch frequency measurement

Ramsey interferometer :

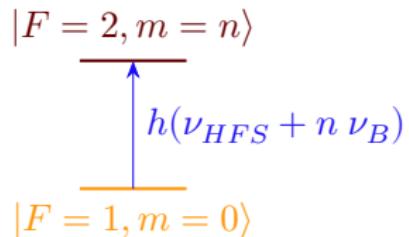
$$\frac{\pi}{2} \quad T \sim 150 \text{ ms} \quad \frac{\pi}{2}$$



Bloch frequency measurement

Ramsey interferometer :

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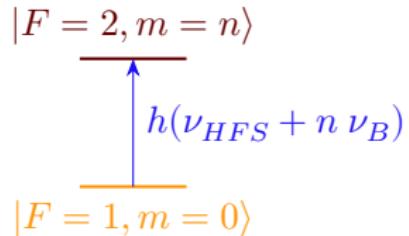


Fluorescence imaging : transition

$$\text{probability } P_e = \frac{N_{|F=2\rangle}}{N_{|F=2\rangle} + N_{|F=1\rangle}}$$

Bloch frequency measurement

Ramsey interferometer :



Fluorescence imaging : transition

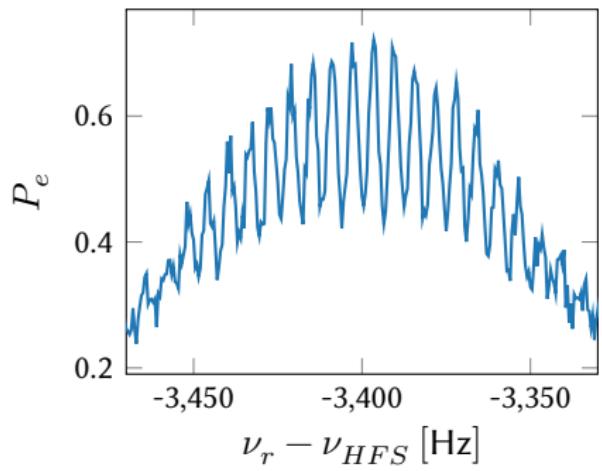
$$\begin{aligned}\text{probability } P_e &= \frac{N_{|F=2\rangle}}{N_{|F=2\rangle} + N_{|F=1\rangle}} \\ &= \frac{C}{2} \cos(\varphi)\end{aligned}$$

Interferometric phase :

$$\varphi = 2\pi(\nu_R - \nu_{HFS} - n \nu_B)T$$

$$F = \nu_B \frac{2h}{\lambda_l} = \nu_B \times 2.49 \times 10^{-27} \text{ N/Hz}$$

Transition $n = -6$



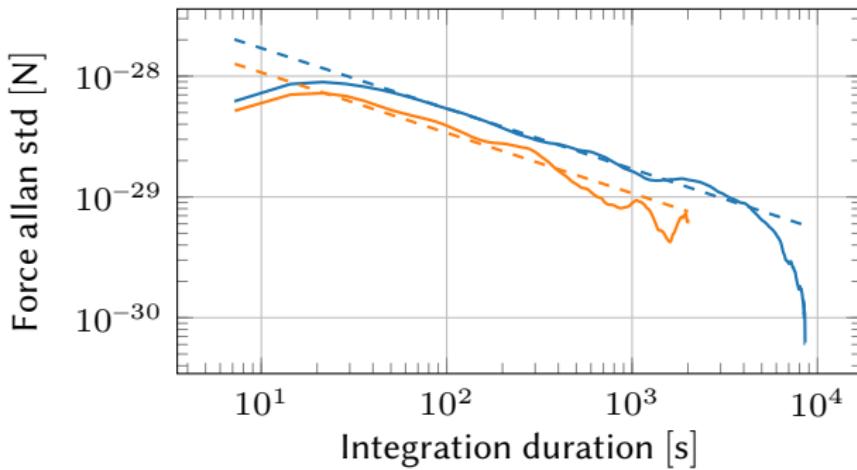
Force sensitivity

1 s sensitivity

$$130 \text{ mHz} \implies 3.4 \times 10^{-28} \text{ N}$$

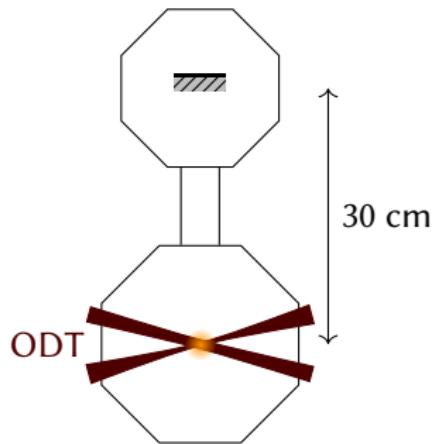
Long term sensitivity

$$1.5 \text{ mHz} \implies 4 \text{ qN} (4 \times 10^{-30} \text{ N})$$



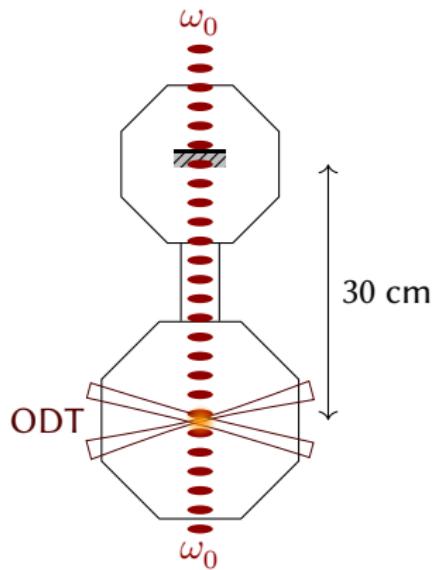
Sensitive to Casimir-Polder to distance up to $8 \mu\text{m}$

Control of the distance to mirror : Bloch elevator



Evaporative cooling in dipolar trap : 150 000 atoms
at 500 nK, $\sigma_z \sim 10 \mu\text{m}$
Adiabatic compression $\Rightarrow \sigma_z \sim 4 \mu\text{m}$

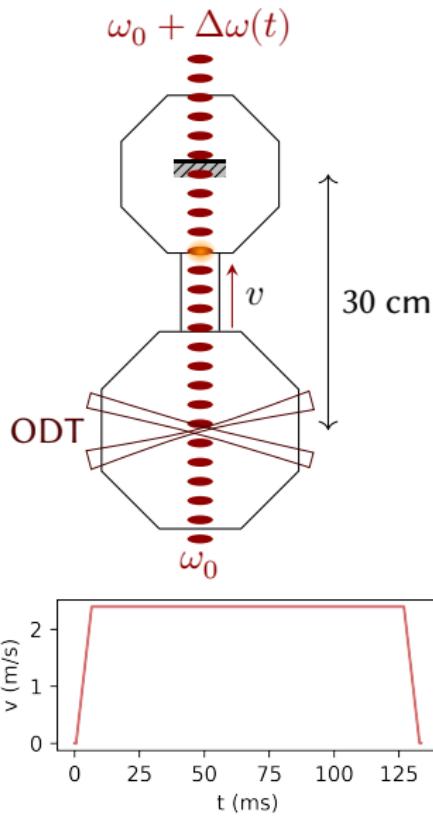
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Transport the atoms close to the mirror

Control of the distance to mirror : Bloch elevator



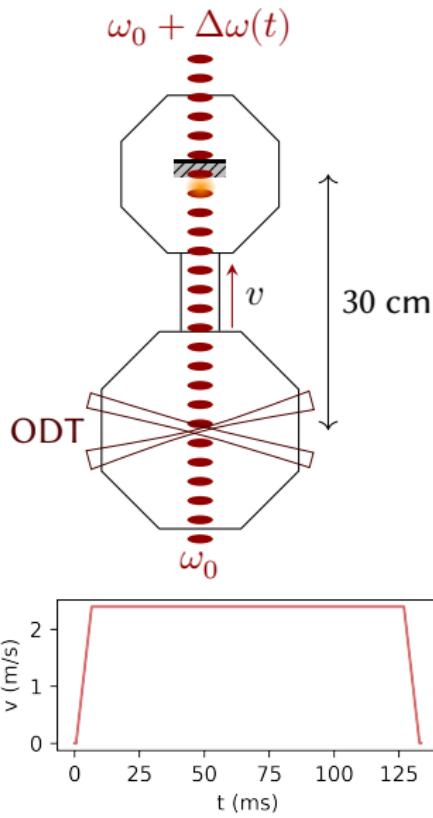
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Transport the atoms close to the mirror

Using a moving lattice $v(t) = \frac{\Delta\omega(t)}{2k}$

$z = \int v(t) dt \Rightarrow$ **Precise control on the transport distance**

Control of the distance to mirror : Bloch elevator



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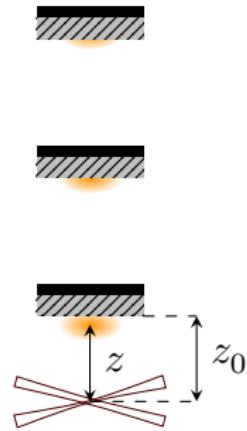
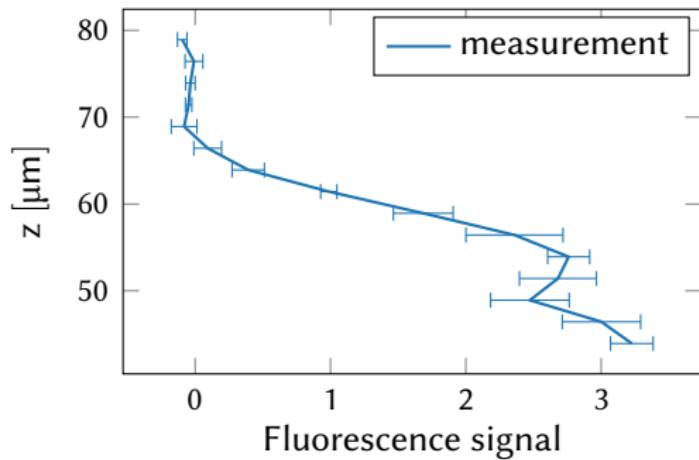
Using a moving lattice $v(t) = \frac{\Delta\omega(t)}{2k}$

$z = \int v(t) dt \Rightarrow$ **Precise control on the transport distance**

10 000 atoms at the end of the transport, with heavy spontaneous emission (heating, unpolarization)

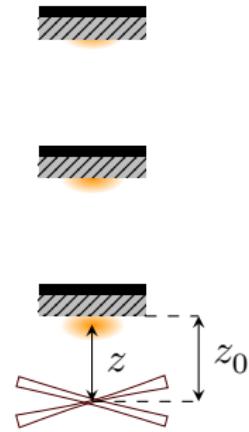
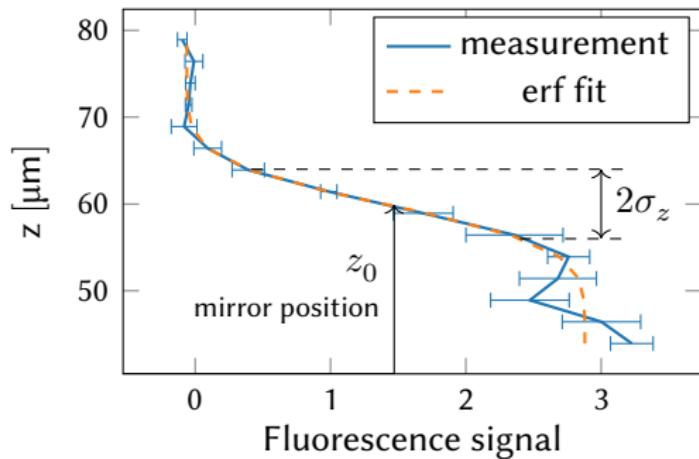
Measure of the distance to mirror

Use mirror surface as position reference



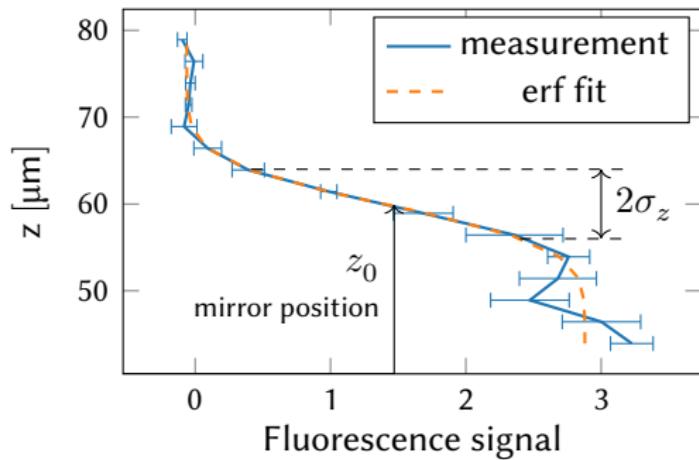
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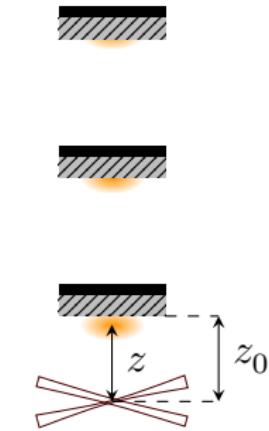


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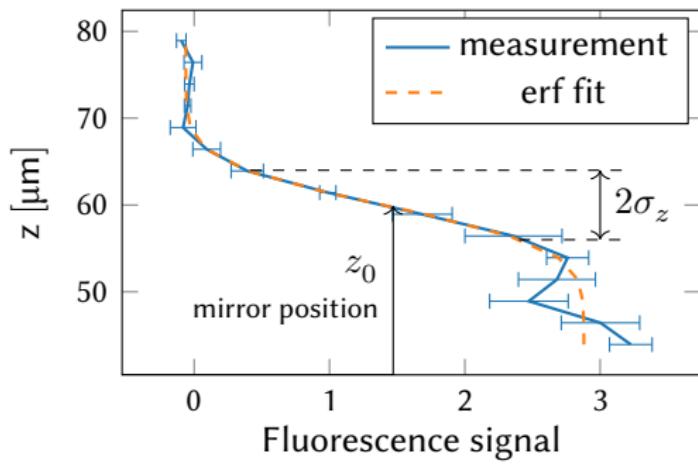
Position fluctuations $< 1 \mu\text{m}$



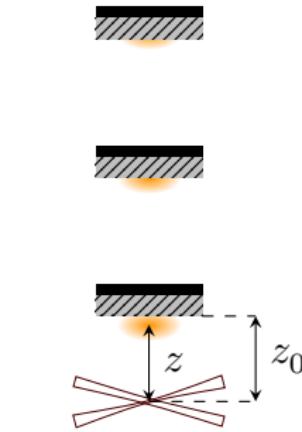
$$\begin{aligned}\sigma_z &= 3.9 \mu\text{m} \\ &\simeq 50 \text{ wells}\end{aligned}$$

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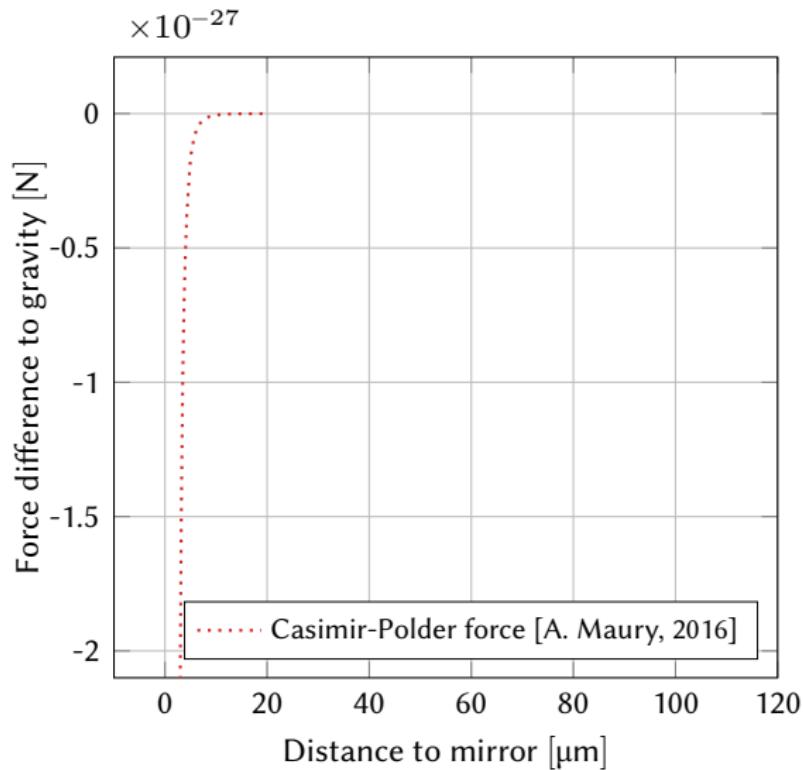
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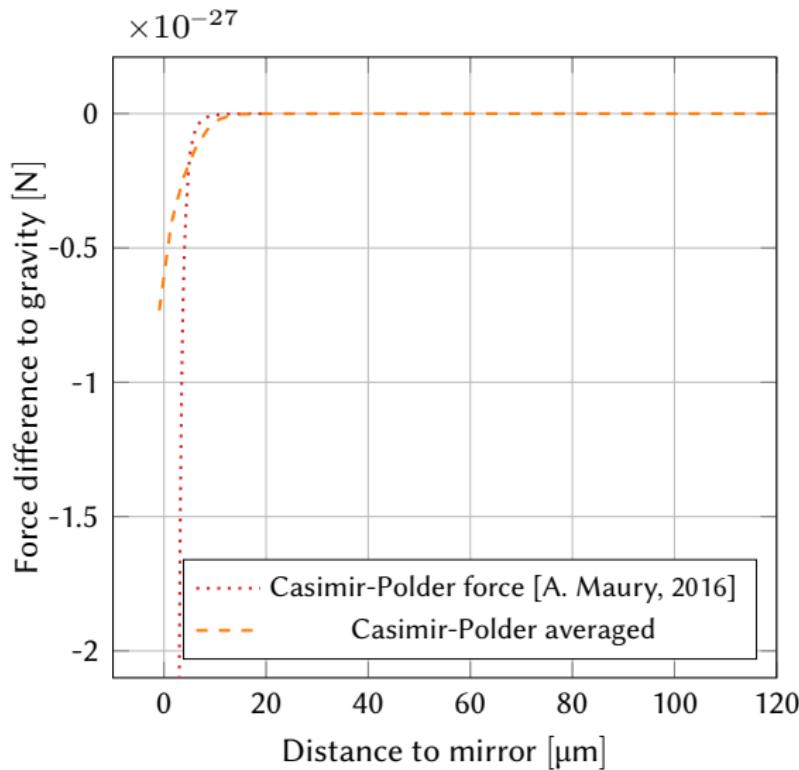
$\sigma_z = 3.9 \mu\text{m}$
 $\simeq 50$ wells

Quettonewton force sensor with micrometer spatial sensitivity

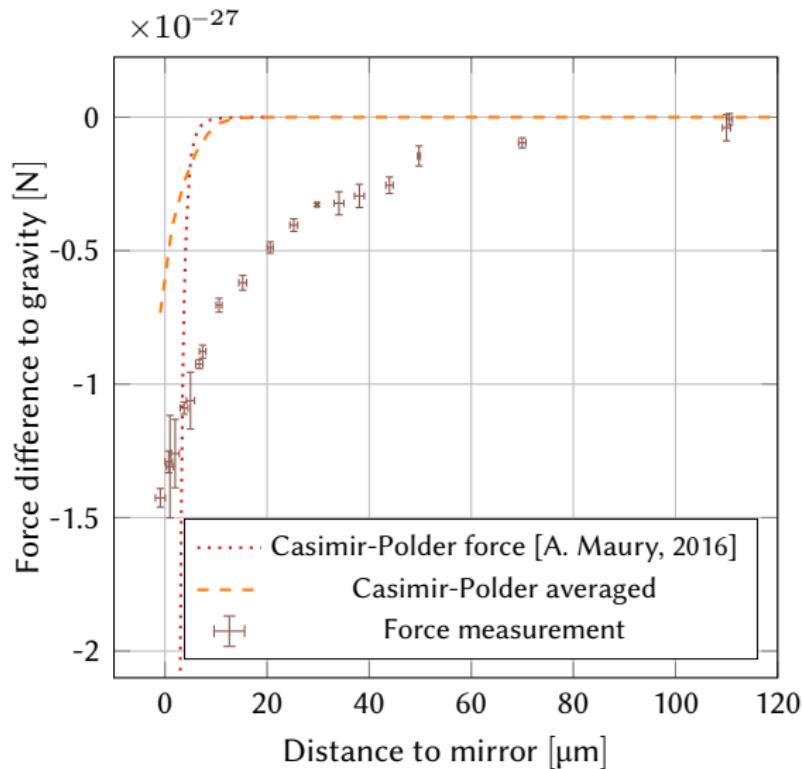
Force measurements



Force measurements



Force measurements



Differential force measurement, relative to 400 μm away from the mirror surface

Measured force : same order of magnitude than expected Casimir-Polder force

Additional force, on longer range

Parasitic force from adsorbed atoms

[Cornell, 2004] : « Alkali-metal adsorbate polarization on conducting and insulating surfaces probed with Bose-Einstein condensates »

- ① Atoms adsorbed on the mirror :
electric dipole $\vec{\mu}$

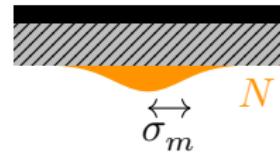
- ② Energy shift on the neutral atoms

$$U_E = -\frac{\alpha_{DC}}{2} |\vec{E}|^2$$

- ③ Force $\vec{F} = \frac{\alpha_{DC}}{2} \overrightarrow{\text{grad}} |\vec{E}|^2$

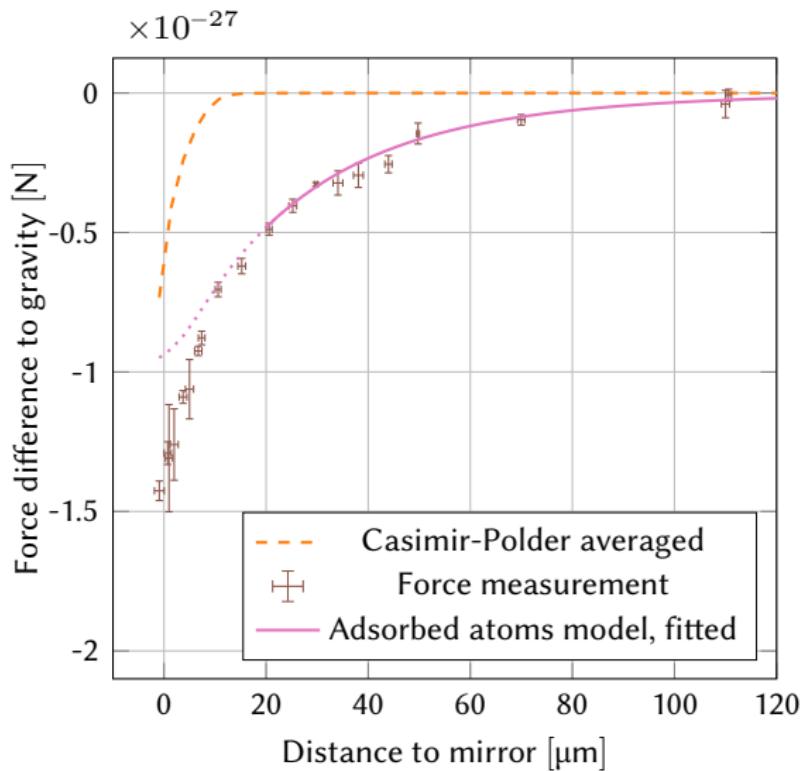
$$F_s(z) = \alpha_{DC} E_s(z) \frac{\partial E_s}{\partial z}$$

N atoms adsorbed on the surface, over a radius σ_m :



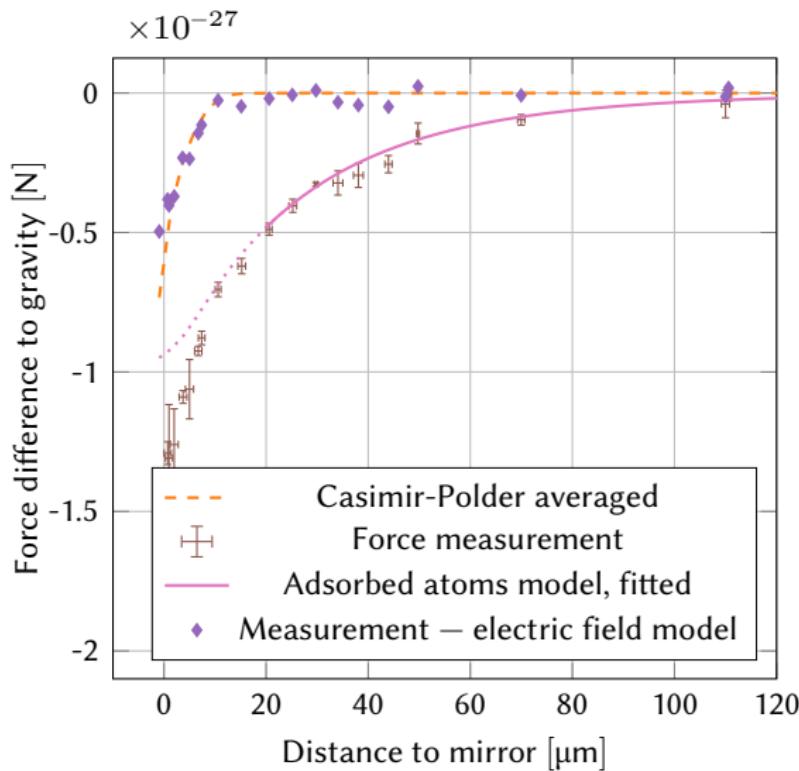
$$\sigma_m$$

Force measurements



Dipolar electric field fit parameters :
 $N_\mu = 2 \times 10^{10}$ atoms,
 $\sigma_m = 88 \mu\text{m} \sim 2\sigma_x$

Force measurements



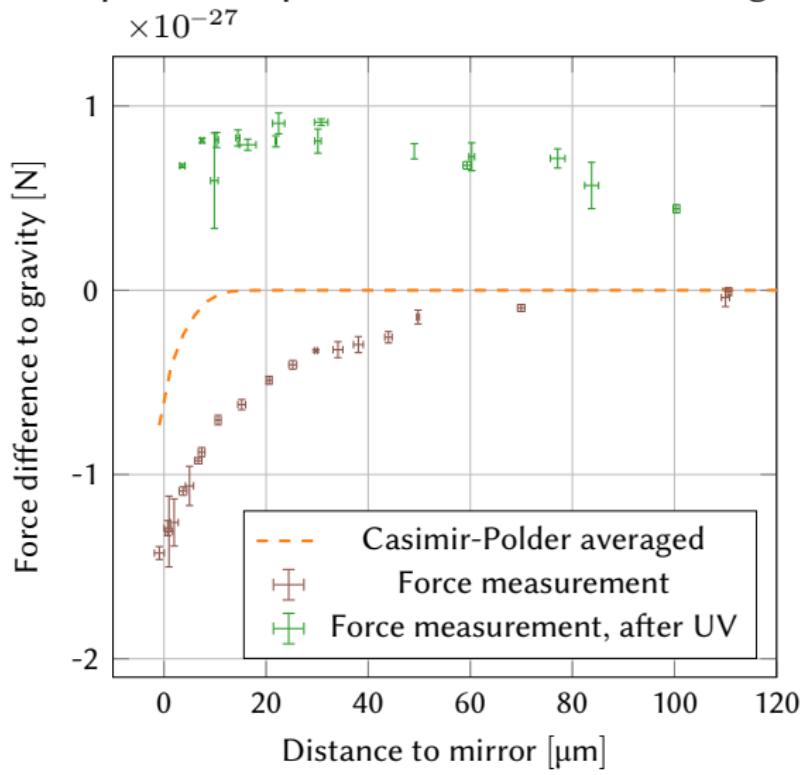
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Suppression of parasitic electrostatic force : UV shinning

Attempt of desorption of atoms: UV shinning on the mirror

Suppression of parasitic electrostatic force : UV shinning

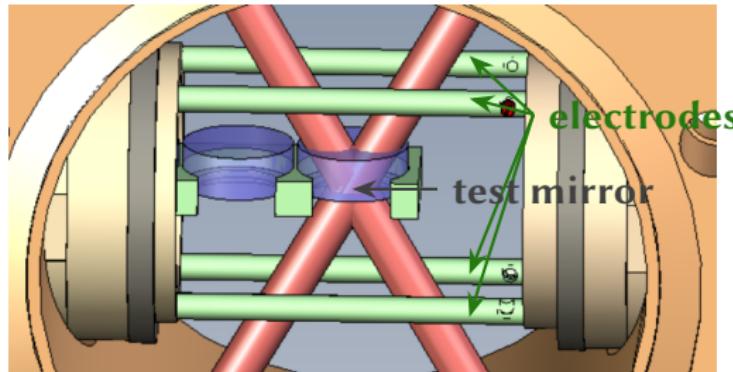
Attempt of desorption of atoms: UV shinning on the mirror



Force became **repulsive**
and on longer range
⇒ additional charges

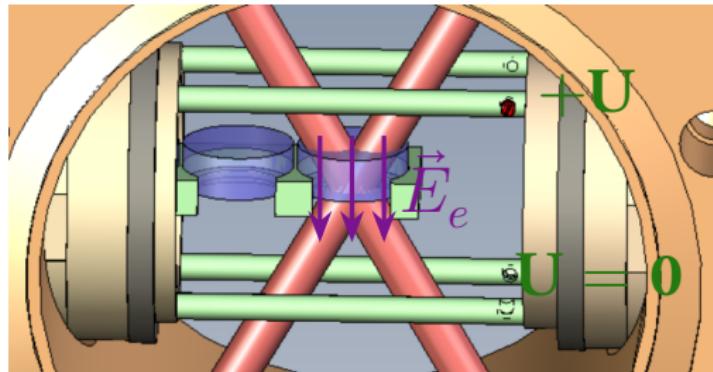
Measurement of parasitic electrostatic fields

Apply controlled external electric field



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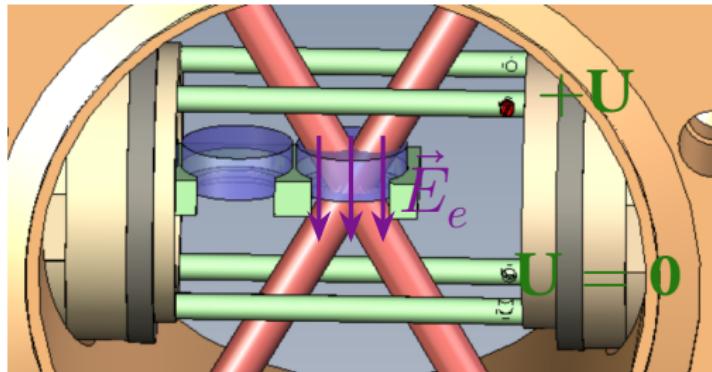
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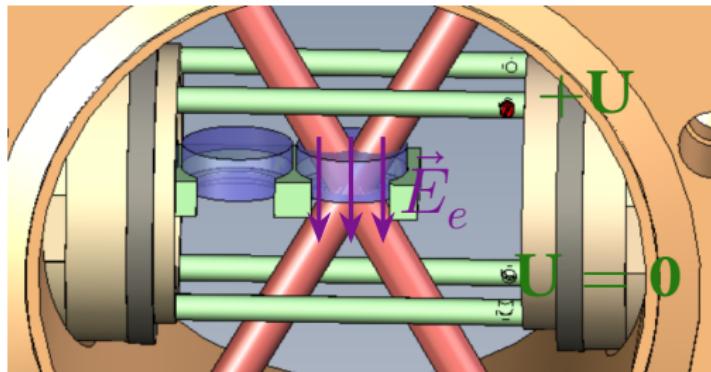
$$F_s(z) = \alpha_{DC} \frac{\partial E_s}{\partial z} E_s(z)$$



Measurement of parasitic electrostatic fields

Apply controlled external electric field

$$F_s(z) = \alpha_{DC} \frac{\partial E_s}{\partial z} E_s(z)$$



Electric gradient $\frac{\partial E_s}{\partial z}$

Uniform external electric field
 $E_e \Rightarrow$ force shift

$$F(E_e) = \alpha_{DC}(E_e + E_s) \frac{\partial E_s}{\partial z}$$

Measurement of parasitic electrostatic fields

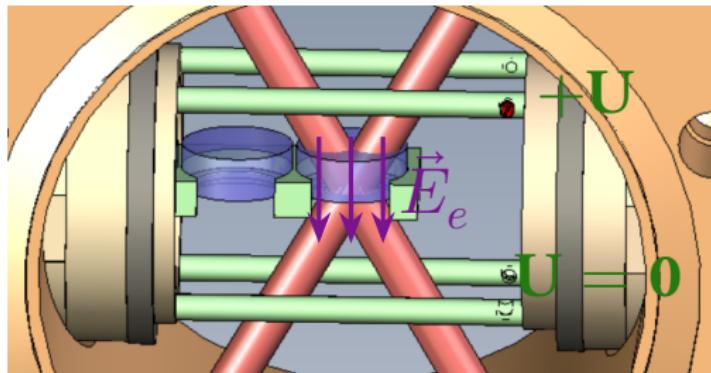
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Electric field $E_s(z)$ [Lodewyck, 2012]

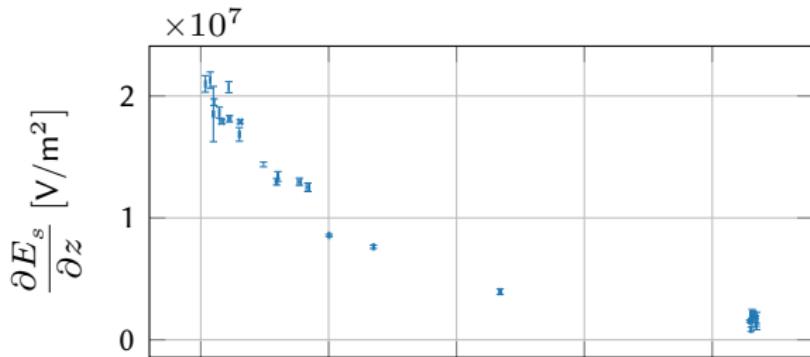
$$\Delta\omega_{HFS} = k_s |\vec{E}|^2$$

$$\Delta\omega_{HFS}(E_e) = k_s (E_e + E_s)^2$$

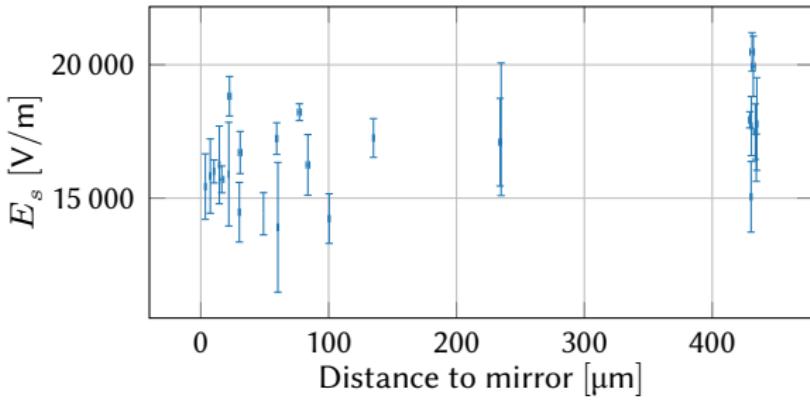
Clock measurement : MW Ramsey interferometer

$$\Delta\omega_{HFS} = 10 \text{ mHz} \Leftrightarrow E_e = 600 \text{ V}$$

Measurements of electric fields

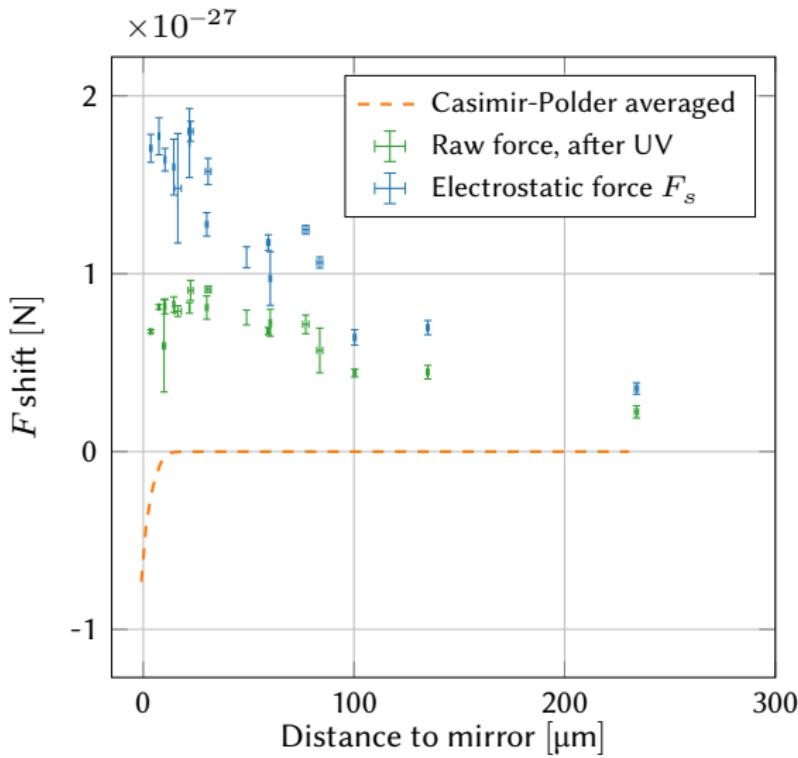


Relative sensitivity on
 $\frac{\partial E_s}{\partial z}$: 3 %



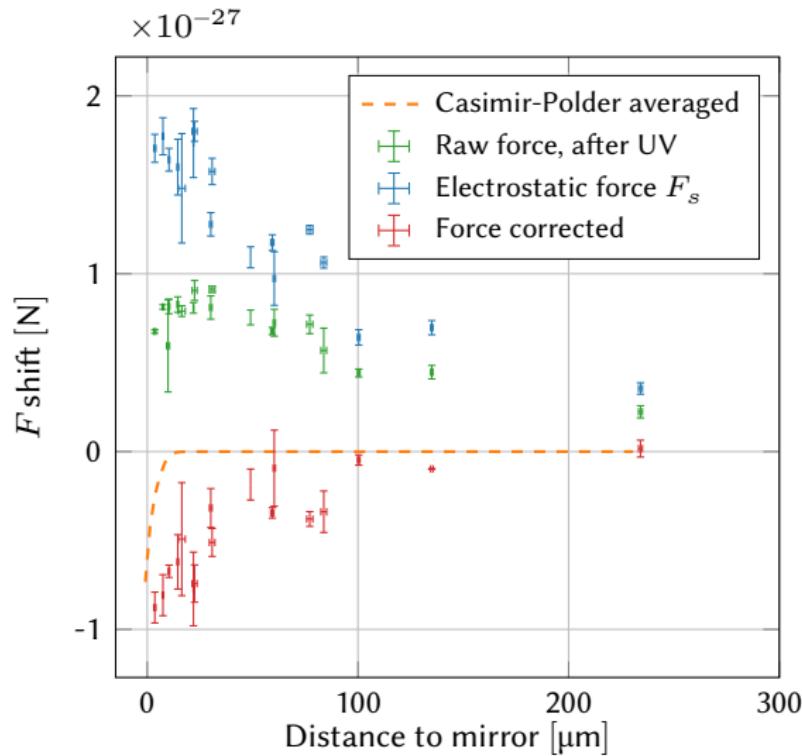
Relative sensitivity on
 E_s : 7 %

Force and parasitic force



$$F_s(z) = \alpha_{DC} E_s(z) \frac{\partial E_s}{\partial z}$$

Force and parasitic force



$$F_s(z) = \alpha_{DC} E_s(z) \frac{\partial E_s}{\partial z}$$

No recovering of only Casimir-Polder force

- electric fields in other directions ?
- non linearities in applied electric field ?

Conclusion

- Local force sensor, with a μm spatial resolution, up to a few qN
- We measure Casimir-Polder force, masked by others surface-atom interactions of same magnitude
- Able to characterise electric field near the surface

Conclusion

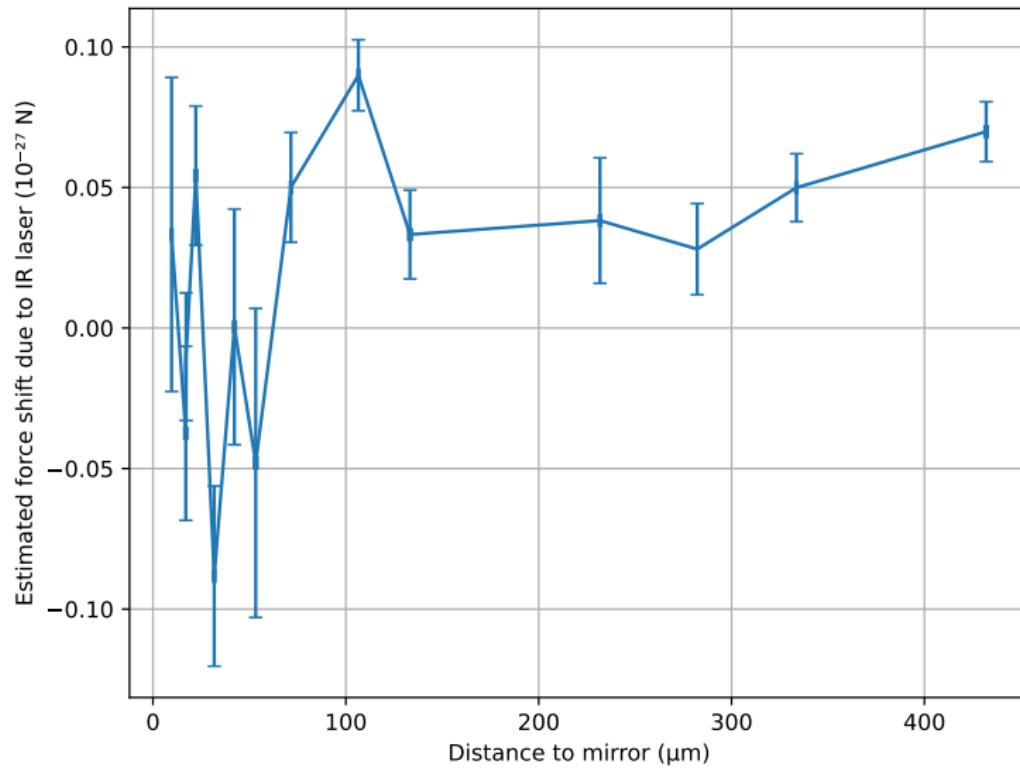
- Local force sensor, with a μm spatial resolution, up to a few qN
- We measure Casimir-Polder force, masked by others surface-atom interactions of same magnitude
- Able to characterise electric field near the surface

Perspectives:

- Better sensitivity : more atoms, smaller cloud, better coherence time
- Pursue better electric field characterization
- Measurement selective in position
- Measure temperature effect
- New surface test (metamaterials)

Thank you for your attention !

Force shift from IR beam



Force inhomogeneities

Estimation of force inhomogeneities
through decrease of contrast

