Fundamental Physics and Cosmology with Fast Radio Bursts



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with Steffen Hagstotz and Robert Lilow

Paris-Saclay Astroparticle Symposium 2022

Menu du jour

RUHR BOCHUM



- 1. Dispersion Measure Correlations
- 2. Equivalence Principle Tests with FRBs
- 3. Cosmological Prospects



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Consider angular clustering

Correlate positions

$$\left\langle \delta_{\ell m}^{\mathrm{FRB}} \delta_{\ell' m'}^{\mathrm{FRB}} \right\rangle = C^{\mathrm{FRB}}(\ell) \delta_{\ell \ell'}^{\mathrm{K}} \delta_{m m'}^{\mathrm{K}}$$

Sparse, noisy distances, shot-noise dominated



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Sparse, noisy distances, shot-noise dominated

Correlate Dispersion Measure

$$\left\langle \mathrm{DM}_{\ell m}^{\mathrm{LSS}} \mathrm{DM}_{\ell' m'}^{\mathrm{LSS}} \right\rangle = C^{\mathrm{DM}}(\ell) \delta_{\ell \ell'}^{\mathrm{K}} \delta_{m m'}^{\mathrm{K}}$$

Sparse, noisy distances, signal dominated



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Correlate dispersion measure

$$C^{\mathrm{DM}}(\ell) = \frac{2}{\pi} \int k^2 \mathrm{d}k \int \mathrm{d}\chi_1 \int \mathrm{d}\chi_1 W(\chi_1) W(\chi_2) \sqrt{P_{\mathrm{e}}(k,\chi_1) P_{\mathrm{e}}(k,\chi_2)} j_{\ell}(k\chi_1) j_{\ell}(k\chi_2)$$



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Redshift distribution, ionisation history



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Redshift distribution, ionisation history

Matter power spectrum, electron bias



Correlate dispersion measure

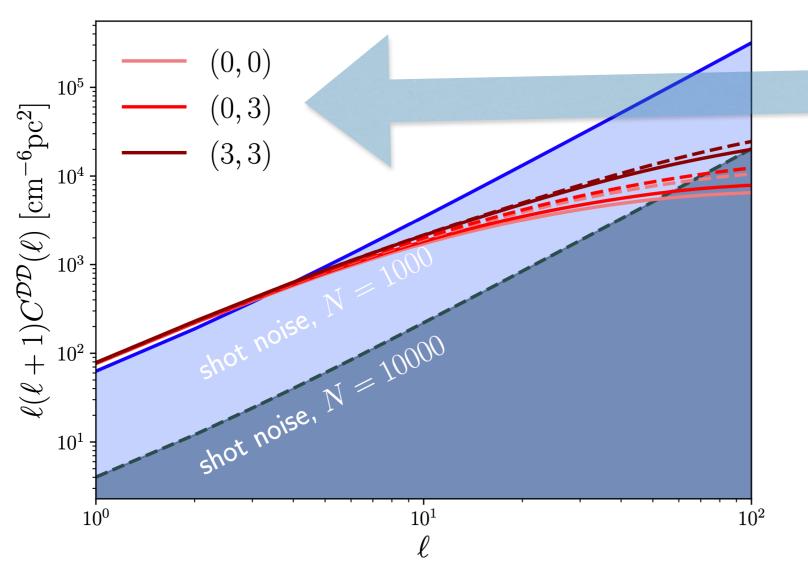
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Redshift distribution, ionisation history Matter power spectrum, electron bias

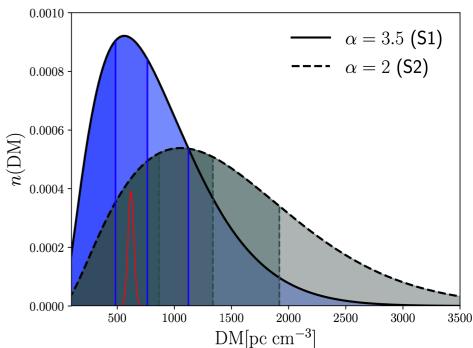
- DM correlations Masui & Sigurdson (1506.01704)
- Cross-correlations with galaxy surveys Rafiei-Ravandi, Smith & Masui (1912.09520)
- Primordial non-Gaussianity RR, Hagstotz, Lilow (2007.04054)
- Shapiro delay tests of GR RR, Hagstotz, Lilow (2102.11554)
- ...



Tomographic dispersion measure spectra



Use (homogeneous) dispersion measure as distance proxy





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Equivalence principle

• If EP is broken, photons of different frequencies would pick up an additional (to ν^{-2} scaling) delay

$$\Delta t = \Delta t_{\rm DM} + \Delta t_{\rm grav}$$

So far what has been assumed is the classical Shapiro delay expression

$$t_{\text{grav}} = -\frac{1+\gamma}{c^3} \int_{r_e}^{r_o} d\lambda \ U(r(\lambda))$$

- Idea: assume to know a subset of potentials along line-of-sight
- Put upper limits on $\Delta \gamma$



Problems

- Adding structure increases the limit monotonically
- In a cosmological setting the standard expression diverges due to boundary conditions
- Should rather use

$$\Delta t_{\text{grav}} = \frac{\Delta \gamma}{c^3} \int d\chi a(\chi) \phi(\hat{\boldsymbol{x}}\chi)$$

• New problem: no longer upper bound since ϕ fluctuates



Equivalence principle tests

• True observable: time delay between frequency arrival $\Delta t = \Delta t_{\rm DM} + \Delta t_{\rm grav}$

Shapiro delay

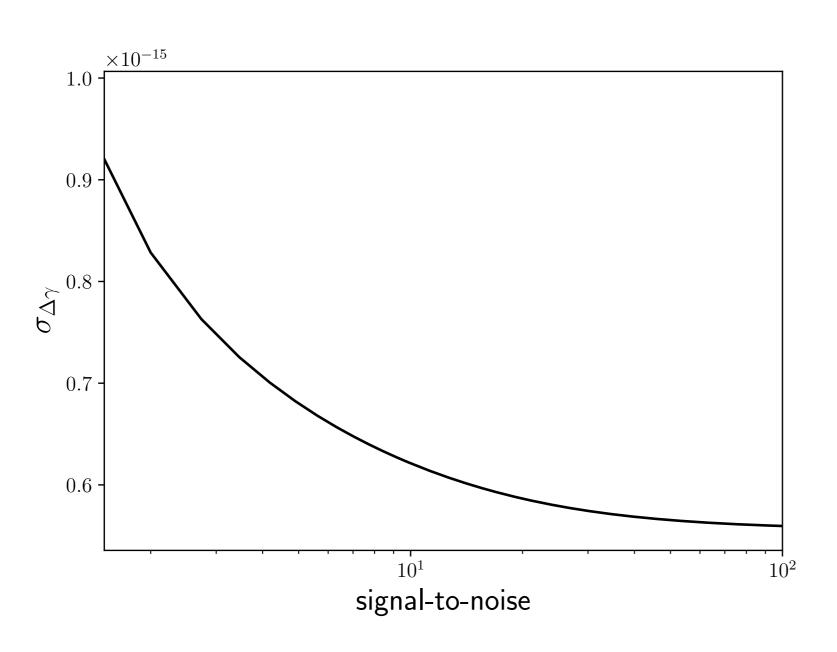
Possible frequency dependence
$$\Delta t_{\rm grav} = \int \frac{\Delta \gamma}{c^3} \int \mathrm{d}\chi a(\chi) \phi(\hat{\boldsymbol{x}}\chi)$$

Can imprint additional correlations when interpreted as DM signal



Equivalence principle tests

RR, Hagstotz, Lilow, 2102.11554



- Events ~ms, line of sight ~Gpc
- Any $\Delta\gamma$ would completely dominate the correlation signal
- Any detection puts tight constraints on the EP



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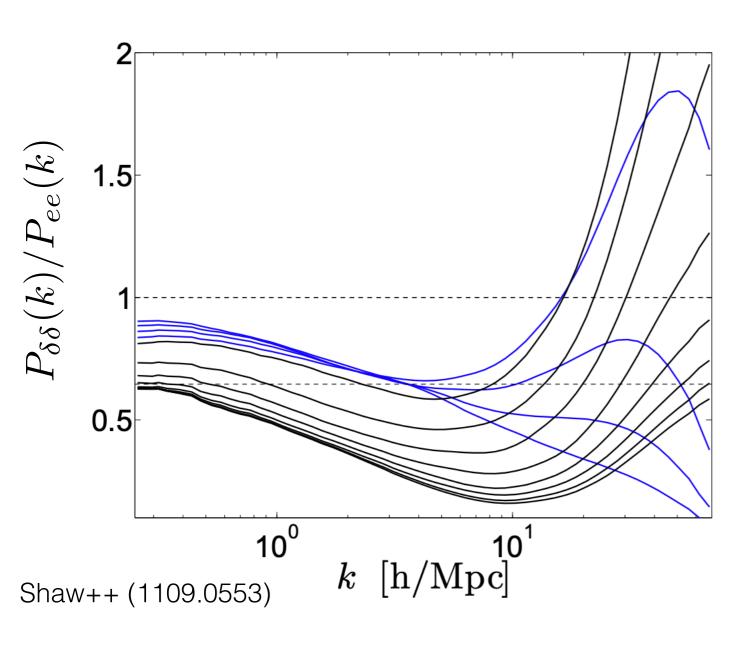
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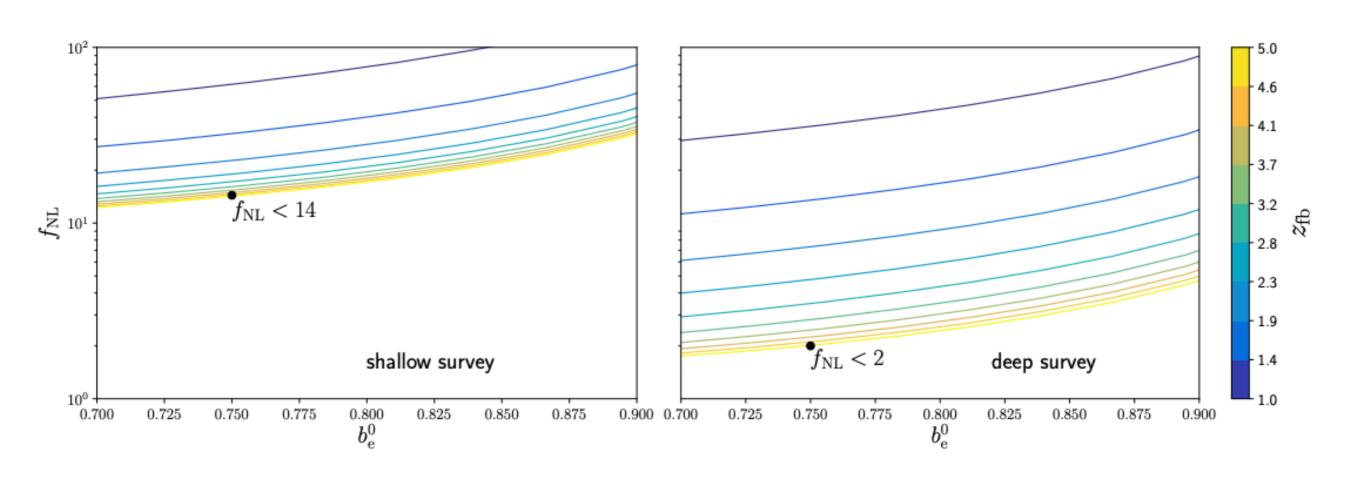
Electron bias



- Feedback pushes gas out of halos
- Free electrons anticorrelated with halos on large scales



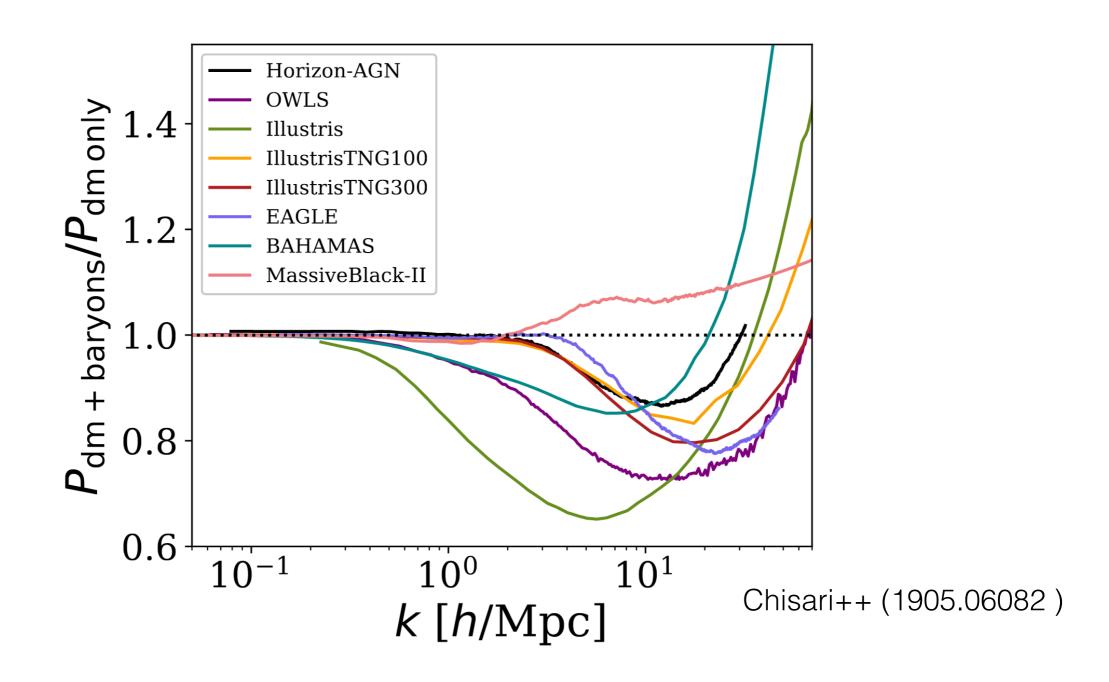
Effect of feedback



For now, electron feedback is the largest uncertainty. Can we turn this around to test feedback models with cross-correlations?



Baryonic Feedback





Summary

Fast Radio Bursts ...

- are a rising probe of the large-scale structure with thousands of new detections to be expected in the future
- can probe fundamental physics as soon as a correlation is detected
- serve as a test of cosmology both on the background as well as the perturbation level
- potentially provide insights on baryonic feedback

