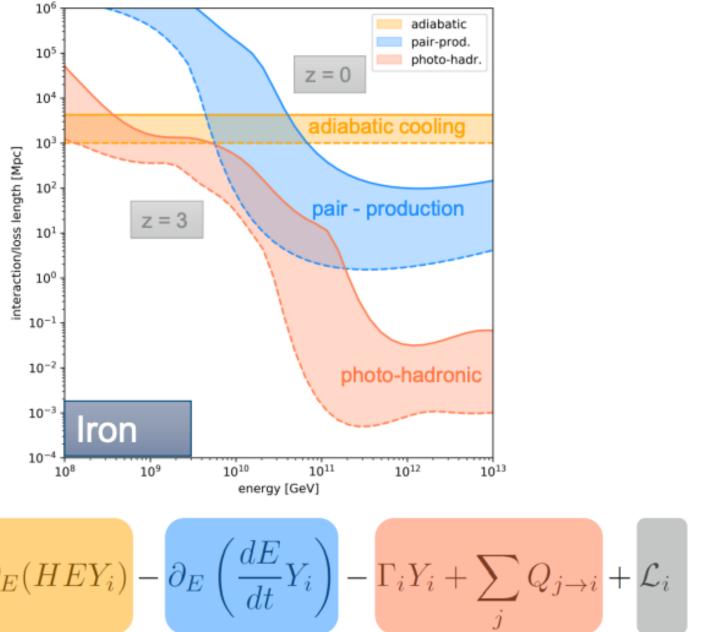


- 1. A novel framework: PriNCe
- 2. Combined source-propagation models
- 3. Two recent applications



 $\partial_t Y_i(E, z) = + \frac{\partial_E (HEY_i)}{\partial_E (HEY_i)} - \frac{\partial_E \left(\frac{dE}{dt} Y_i\right)}{\partial_E \left(\frac{dE}{dt} Y_i\right)} - \frac{1}{\Gamma_i Y_i} + \sum_i Q_{j \to i} + \mathcal{L}_i$ adiabatic cooling pair - production Injection photo-hadronic

Propagation Code - PriNCe

github.com/joheinze/PriNCe

Propagation including Nuclear Cascade equations

Primary (interacting) nucleus

- Written in pure Python using Numpy and Scipy
- Specifically makes use of sparse matrix structure
- 20s 40s
 for single spectrum
 (depending on number of system species)
- More efficient to study model uncertainties than Monte-Carlo (cross-section, photon fields etc.)

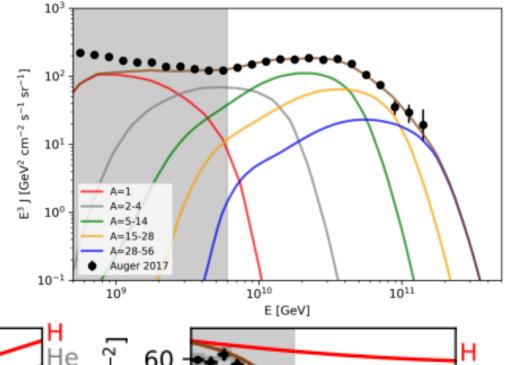
The problem is sparse!!
Only ~2% non zero

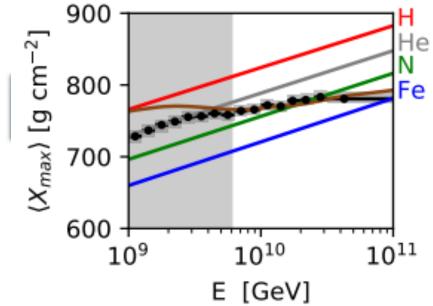
photon fields etc.) Only ~2% non zero
$${}_tY_i(E,z) = +\ \partial_E(HEY_i) - \partial_E\left(\frac{dE}{dt}Y_i\right) - \Gamma_iY_i + \sum_j Q_{j\to i} + \mathcal{L}_i$$

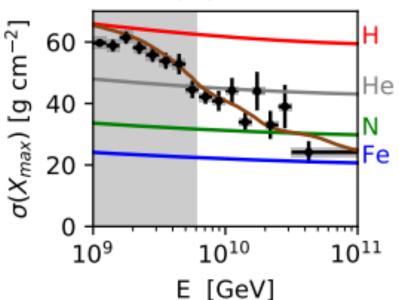
First results (Heinze et al 2019, ApJ 873)

For combination Talys - Sibyll 2.3

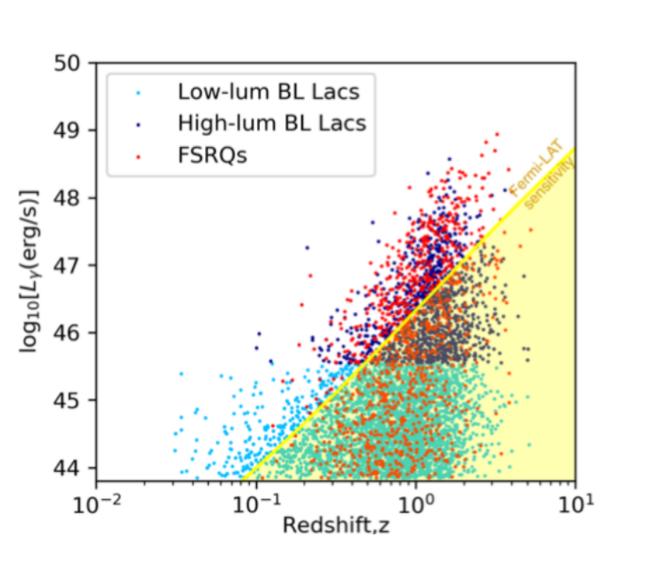
- Fit mainly sensitive to envelope of cutoffs
- Fit-range insensitive above z = 1!
- Composition below ankle proton dominated (by construction) ...

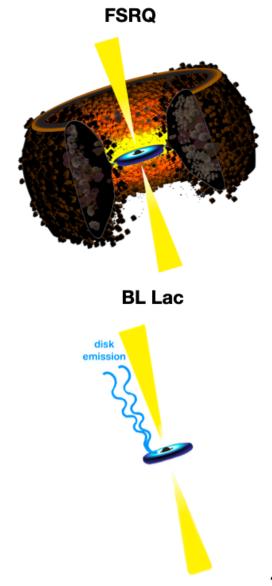






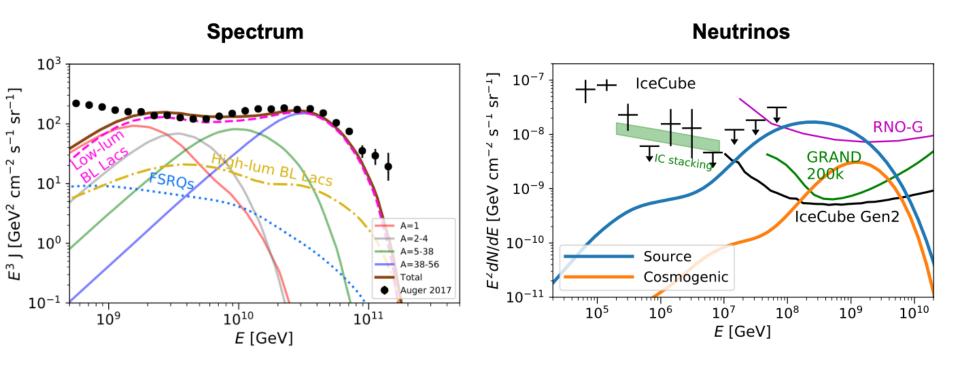
Application 1: testing AGN as UHECR accelerators





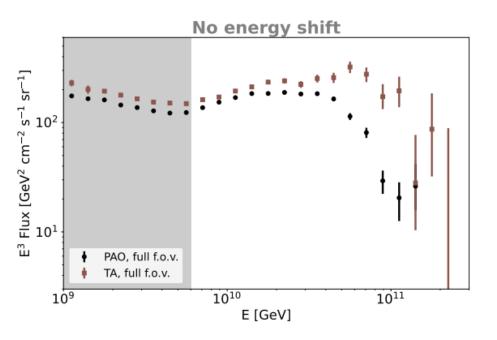
Rodrigues, Heinze, Palladino, van Vliet and Winter, PRL 126 (2021)

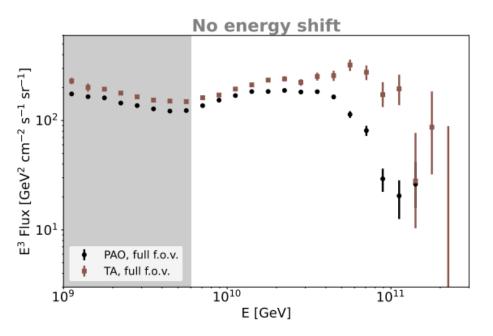
Application 1: testing AGN as UHECR accelerators



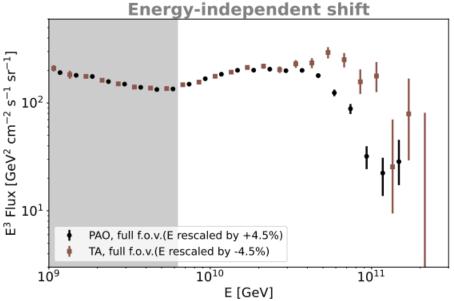
Rodrigues, Heinze, Palladino, van Vliet and Winter, PRL 126 (2021)

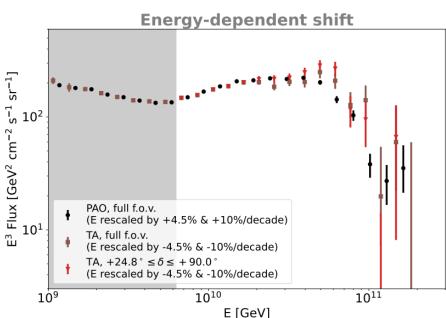
,





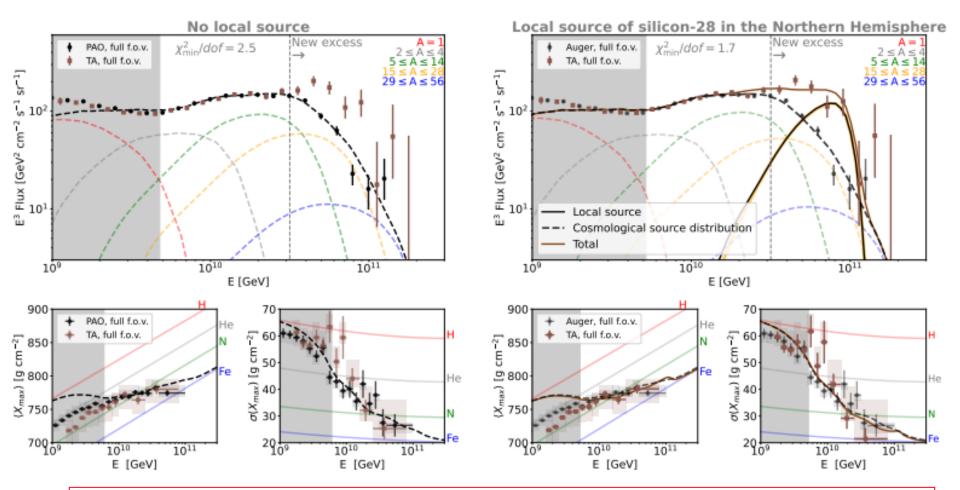






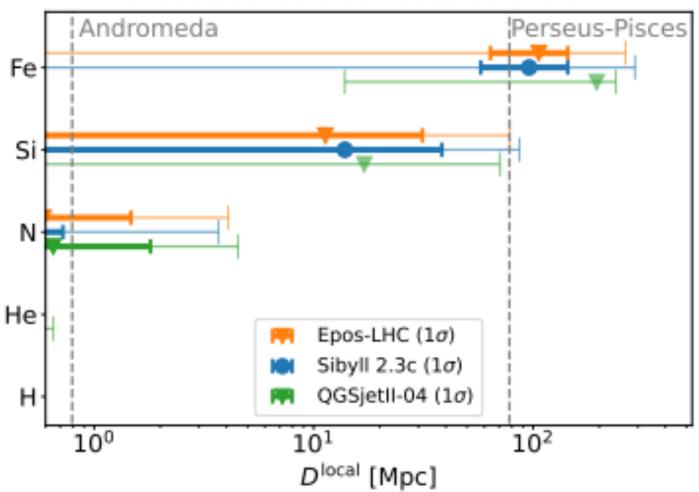
$$oldsymbol{\lambda}_{ ext{cosmo}} = (\gamma_{ ext{cosmo}}, R_{ ext{cosmo}}^{ ext{max}}, m_{ ext{cosmo}}, \mathcal{L}_{ ext{cosmo}}^{ ext{CR}}, oldsymbol{f}_{ ext{A}}^{ ext{cosmo}}),$$
 $oldsymbol{\lambda}_{ ext{local}} = (\gamma_{ ext{local}}, R_{ ext{local}}^{ ext{max}}, D_{ ext{local}}, L_{ ext{local}}^{ ext{CR}}, A_{ ext{local}}).$

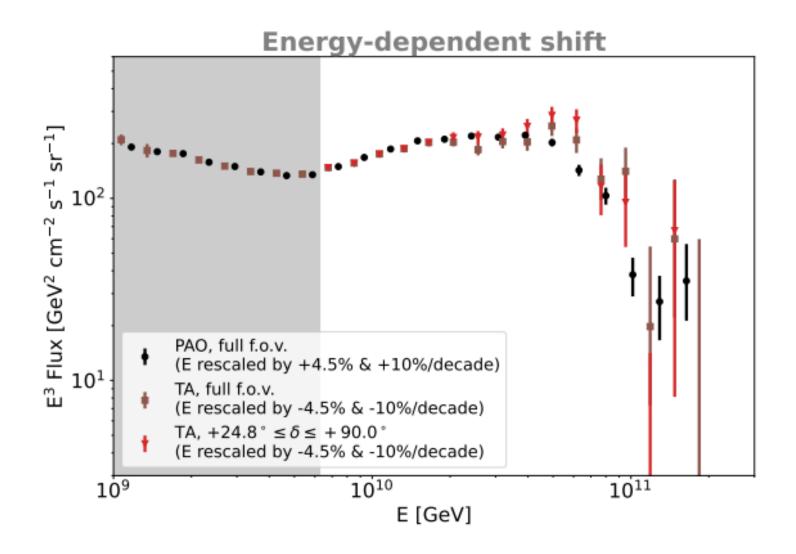
$$\chi^2_{
m PAO} = \chi^2_{
m PAO}(oldsymbol{\lambda}_{
m cosmo}, \delta^{
m PAO}_{E}, \delta^{
m PAO}_{\langle X_{
m max}
angle}, \delta^{
m PAO}_{\sigma(X_{
m max})}).$$
 $\chi^2_{
m TA} = \chi^2_{
m TA}(oldsymbol{\lambda}_{
m cosmo}, oldsymbol{\lambda}_{
m local}, \delta^{
m TA}_{E}, \delta^{
m TA}_{\langle X_{
m max}
angle}, \delta^{
m TA}_{\sigma(X_{
m max})}),$
astrophysics systematics



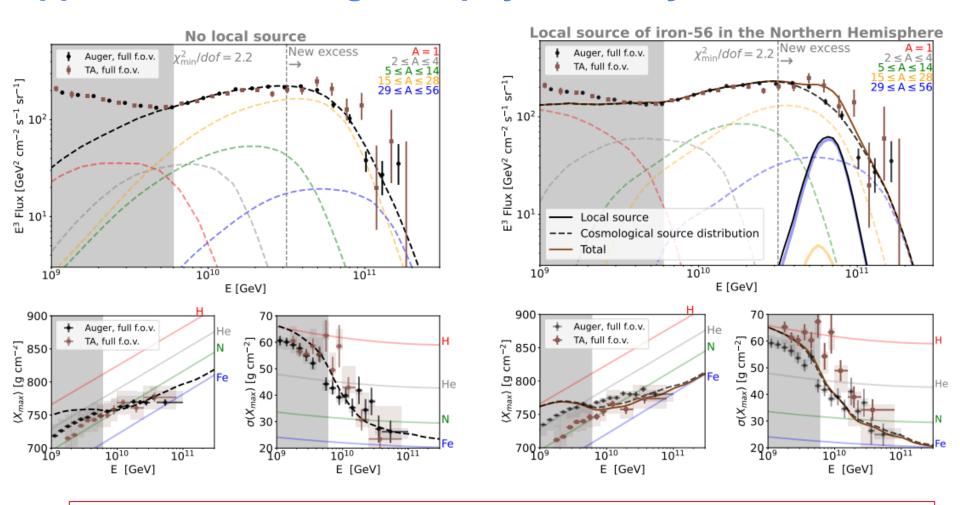
Assuming a simple scenario of energy-independent systematic shift between PAO and TA, a local UHECR source in the northern sky significantly improves a joint combined fit

Distance to the local source





Deligny+ ICRC2019
Tsunesada+ ICRC2021



Even in the case where all the differences in the common declination band are explained by systematics, there is still room for a local source in the Northern Hemisphere.

(neither scenario is currently favoured compared to the other for the full-sky data set)