Concurrent Operation of the LHeC and the High Luminosity -LHC

Investigation of the Transversal Beam Dynamics of the Proton Beams

Tiziana von Witzleben





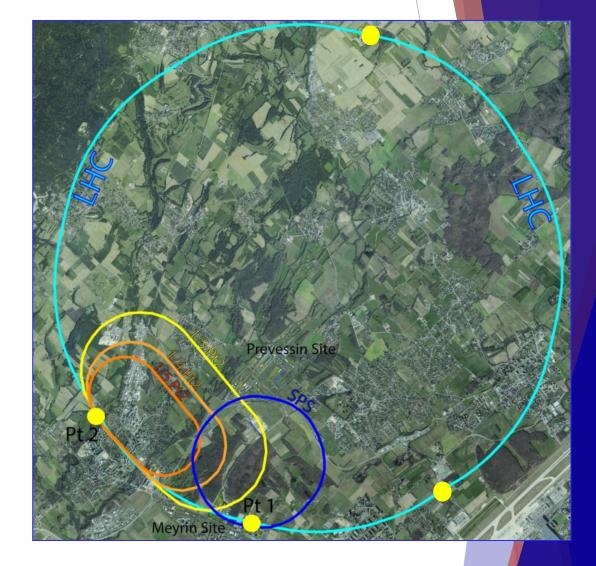


LHeC in Concurrent Operation

- ► Equip the HL-LHC with a tangential energy recovery linac
- ► Realization of collisions of a 7 TeV proton beam with a 50 GeV electron beam -> \sqrt{s} = 1.2 TeV
- ► This would enable deep inelastic scattering experiments at IP2 with concurrent operation with the other experiments



Create a beam optics, enabling e-p collisions and one spectator proton beam passing by

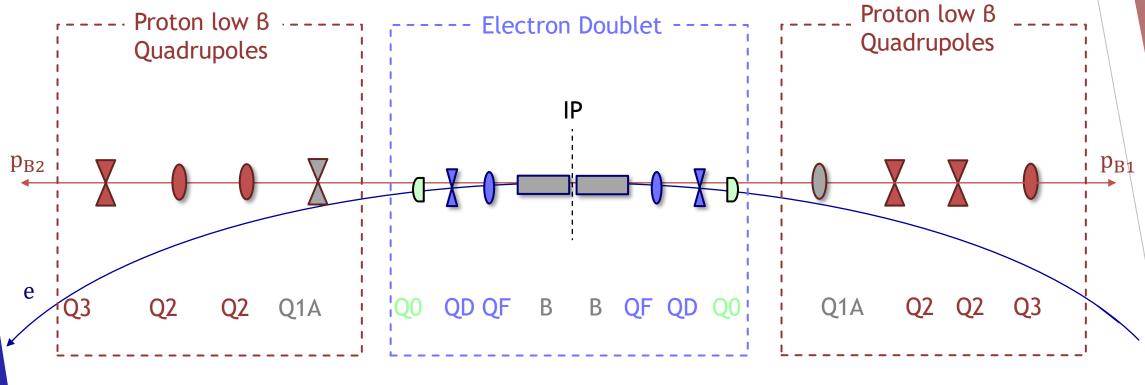








Insertion of the Electron Doublet in the IR2 of the LHC

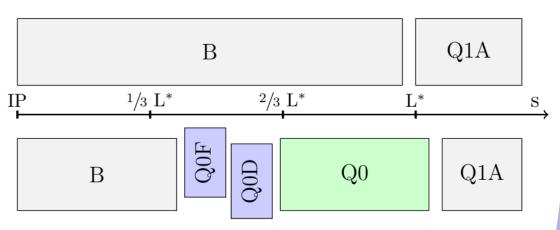


Doublet designed by K. André



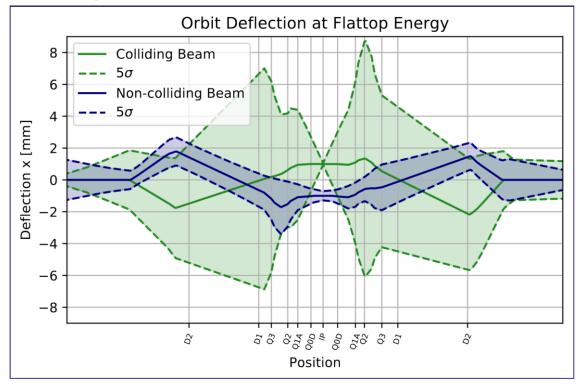




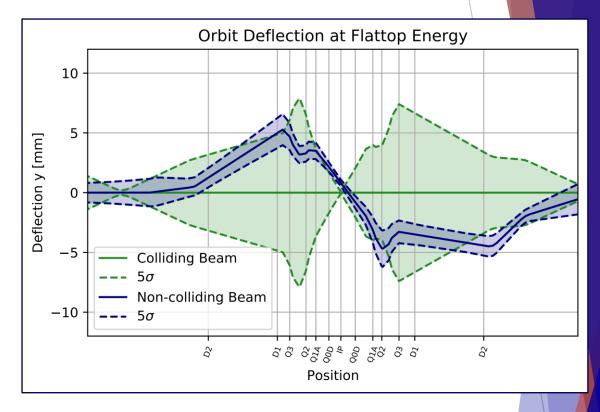


Proton Beam Orbits and Optics

x-plane



y-plane







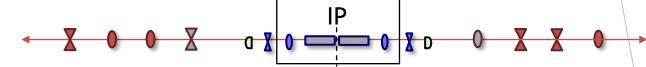


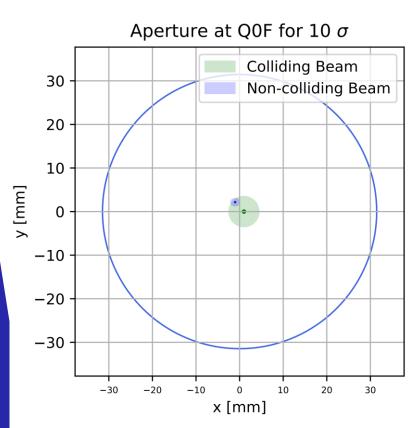
At the IP:

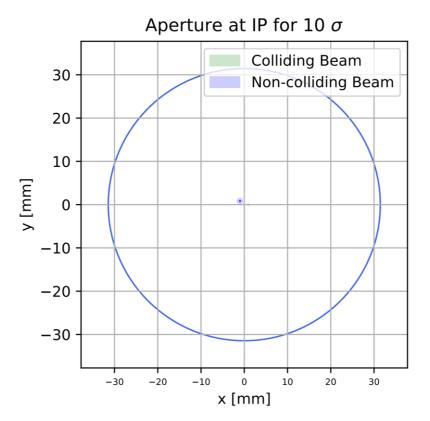
B*= 0.35m Colliding Beam

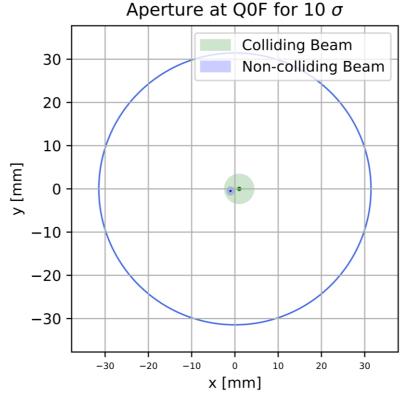
B*= 10m Non-colliding Beam

Apertures in the Beam Pipe









Cross section beam pipes





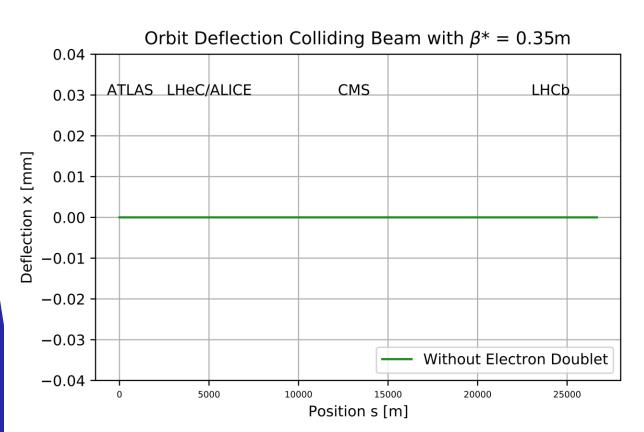


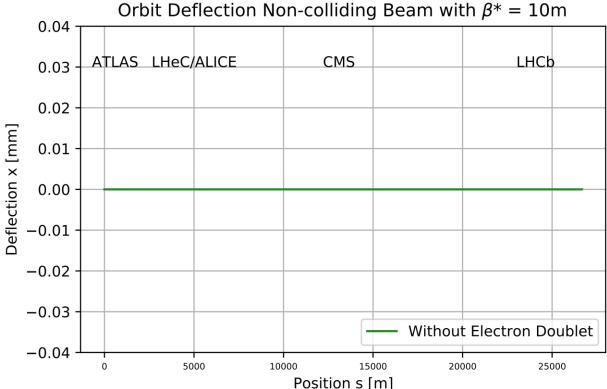
At the IP:

B*= 0.35m Colliding Beam

B*= 10m Non-colliding Beam

Colliding Beam



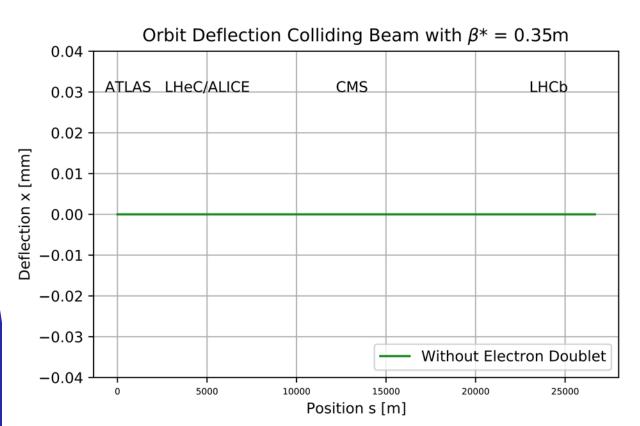


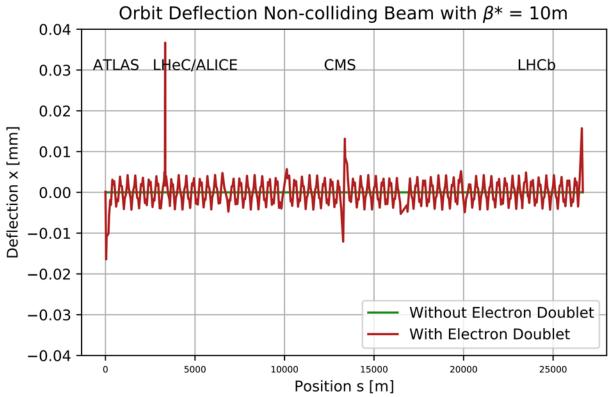






Colliding Beam





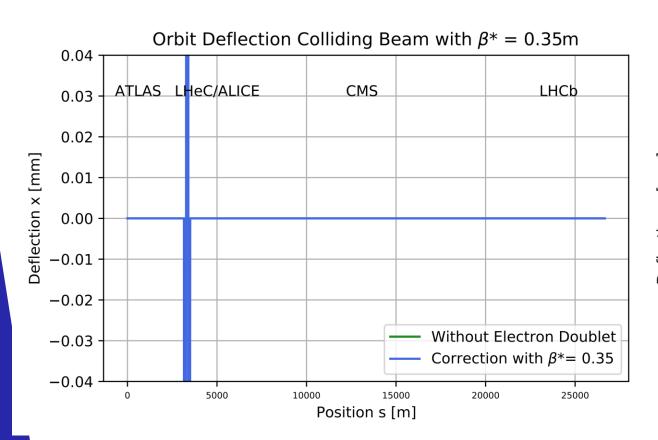


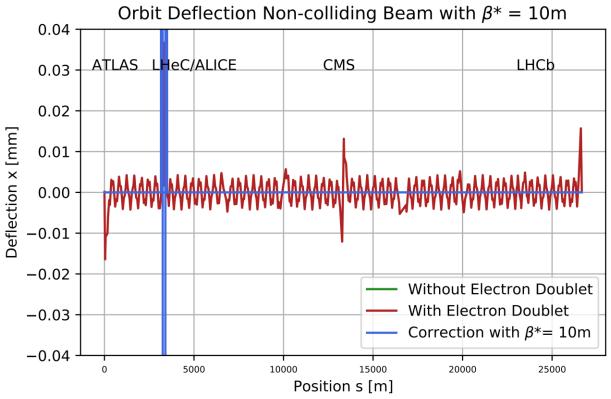




Colliding Beam





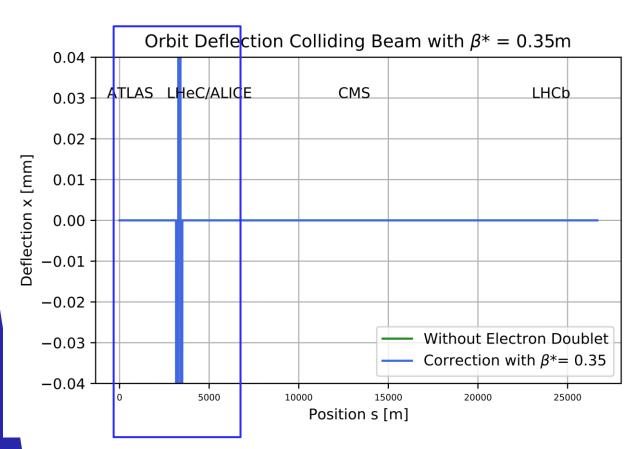


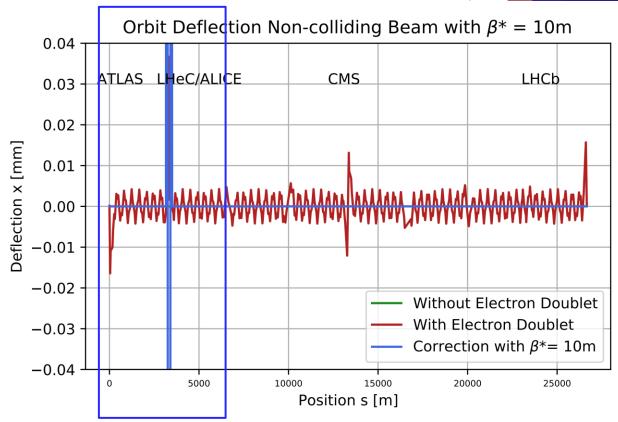






Colliding Beam



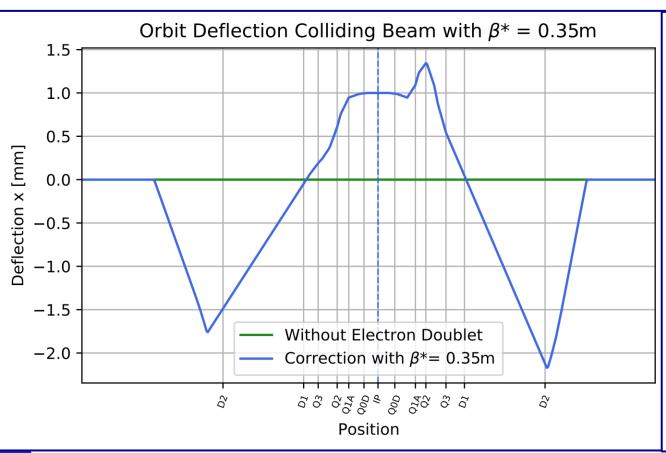


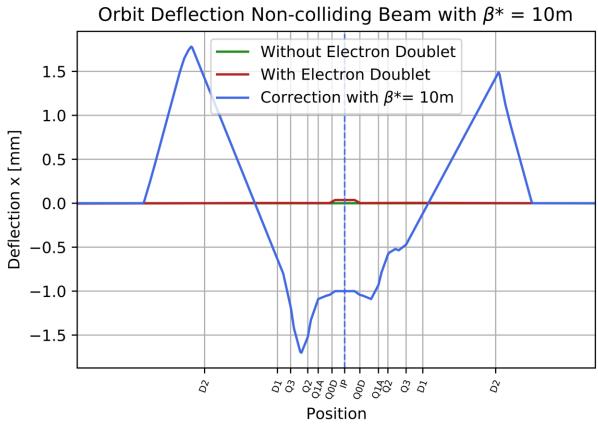






Colliding Beam



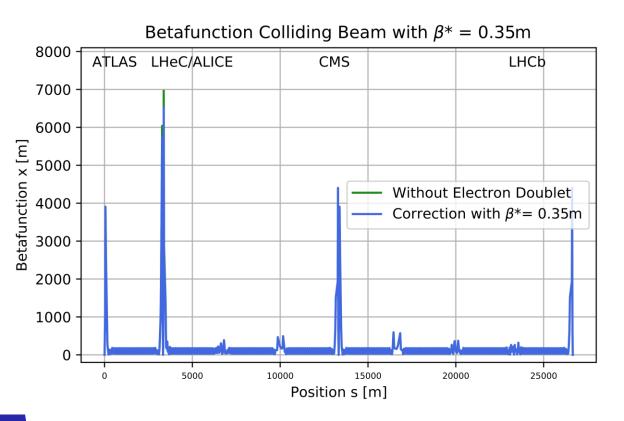


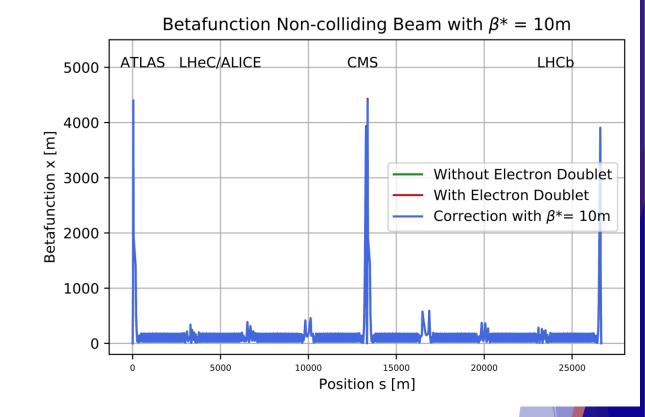






Colliding Beam



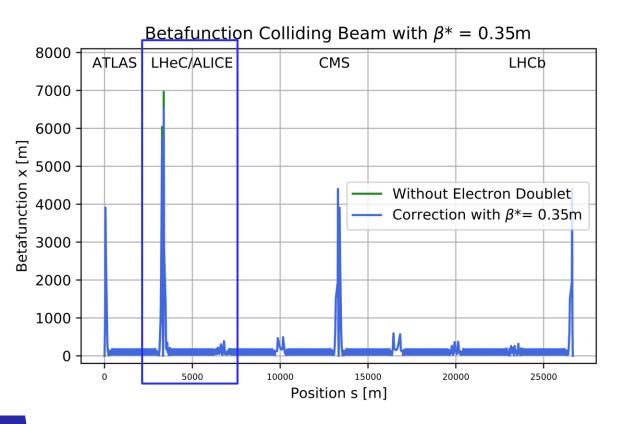


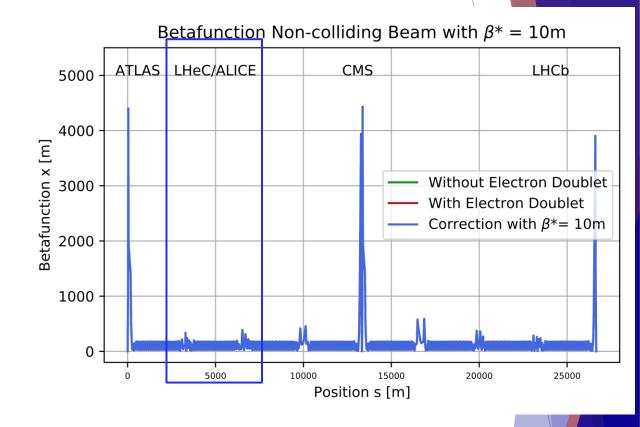






Colliding Beam



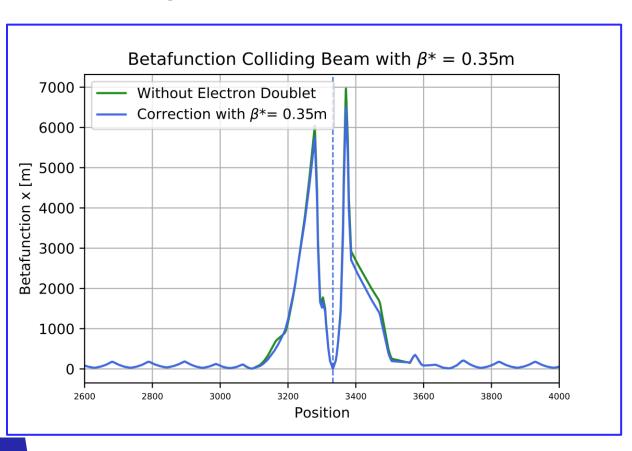


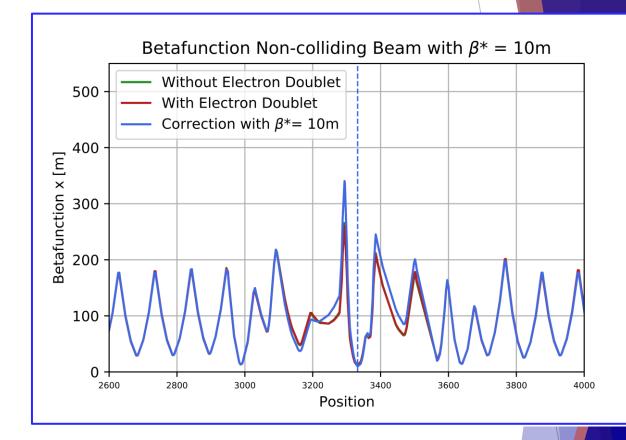






Colliding Beam



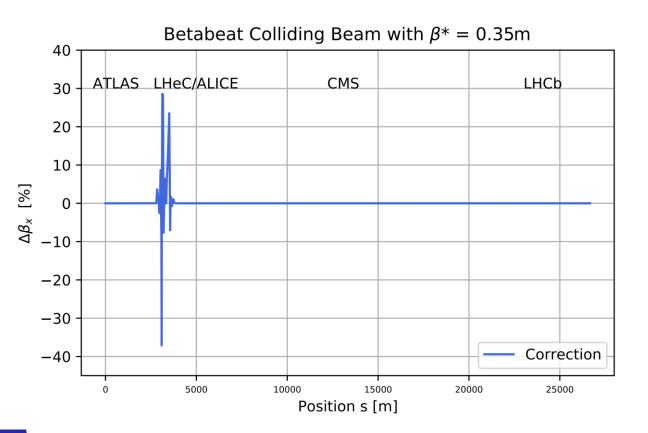




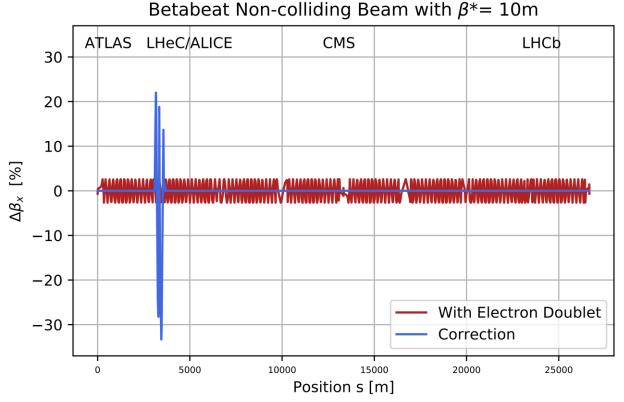




Colliding Beam



► Non-colliding Beam







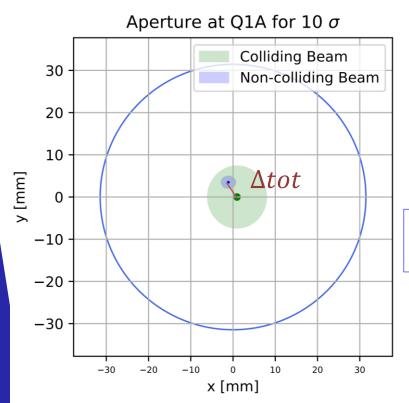


Betabeat:

$$\frac{\Delta\beta(s_0)}{\beta(s_0)} = \frac{\beta'(s_0) - \beta(s_0)}{\beta(s_0)}$$

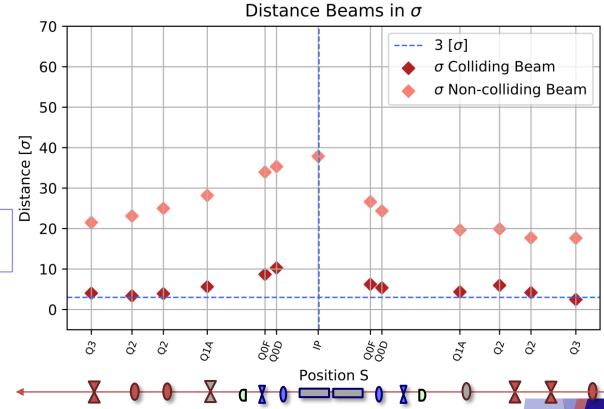
Inter-beam Distance LHC

Total Distance between the beams in the shared interaction region in units of $\boldsymbol{\sigma}$





$$\Delta tot \ [\sigma] = \frac{\Delta tot \ [m]}{\sigma_{B1,2}[m]}$$





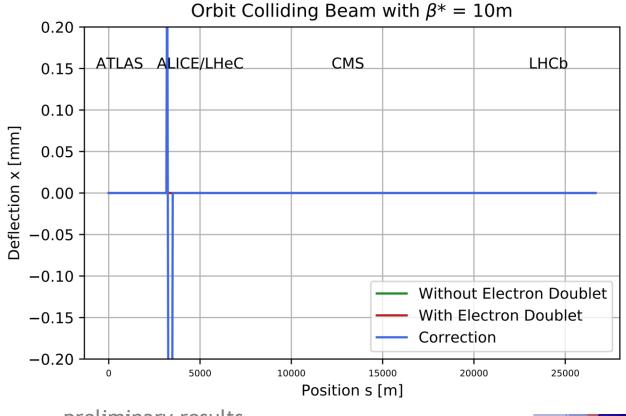




High Luminosity -LHC Orbit Corrections

HL-LHC

- Implementation of stronger magnets with bigger apertures in the IRs
- Material change: Nb3Sn instead of NbTi
- Implementation of the electron IR of the HL-LHC
- Use of <u>symmetric beams</u> with a β^* of 10m at the IP



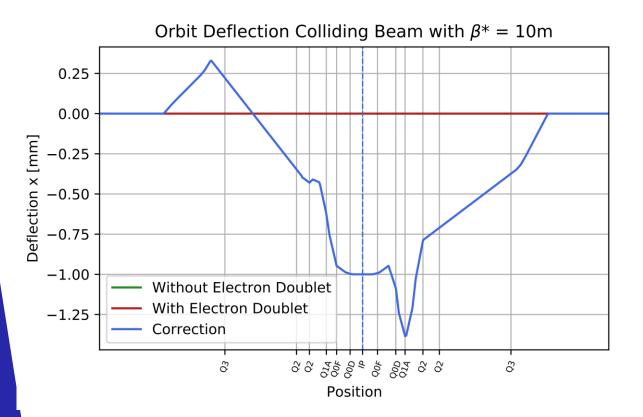
preliminary results

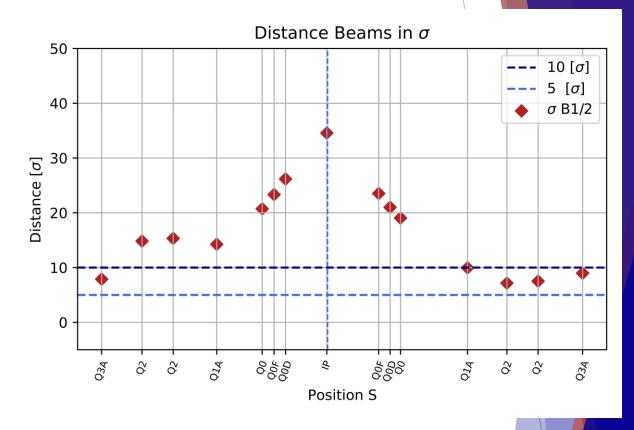






High Luminosity -LHC Orbit Corrections





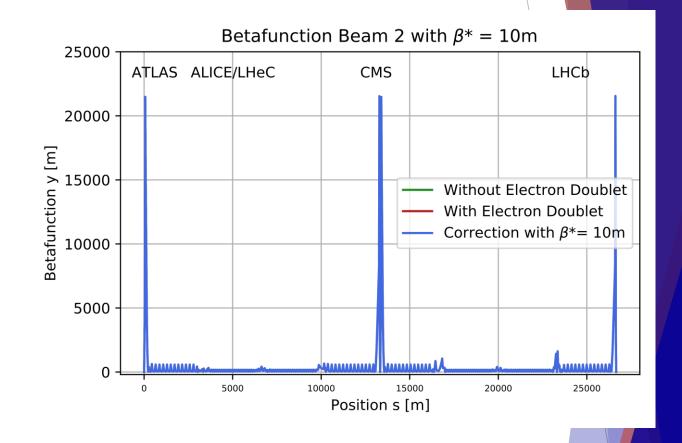






Achromatic Telescopic Squeeze Optics

- The quadrupoles in their IRs reach their limits -> chromaticity rises
- Push the Luminosity further using the telescopic squeeze:
 - 1. Squeeze to B*=30cm in IP1 and IP5
 - 2. Telescopic Squeeze from adjacent IRs to 6*=15cm



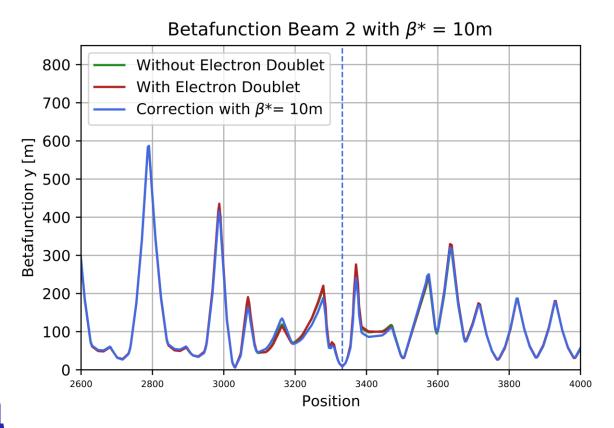


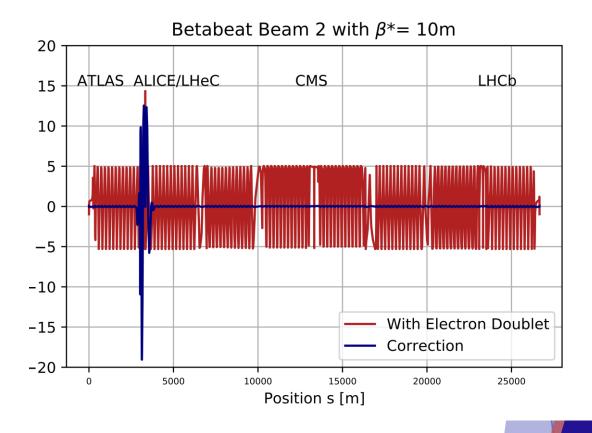




Achromatic Telescopic Squeeze Optics Corrections

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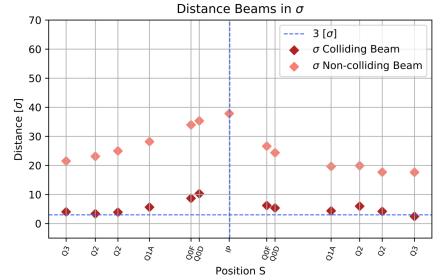




Summary

- Successful implementation of the electron interaction region in the LHC and the HL-LHC lattice
- Optics and Orbit can be corrected for LHC and HL LHC

Squeeze of the colliding beam down to 35cm for the LHC
Distance Beams in a



Outlook for the HL-LHC

- More aggressive B* for the colliding beam to increase the luminosity
- ► Increase the inter-beam distance:
- 1. By using the orbit correctors to distance the non-colliding beam further from the orbit
- 2. By sweeping different ß* values for the non-colliding beam





Appendix







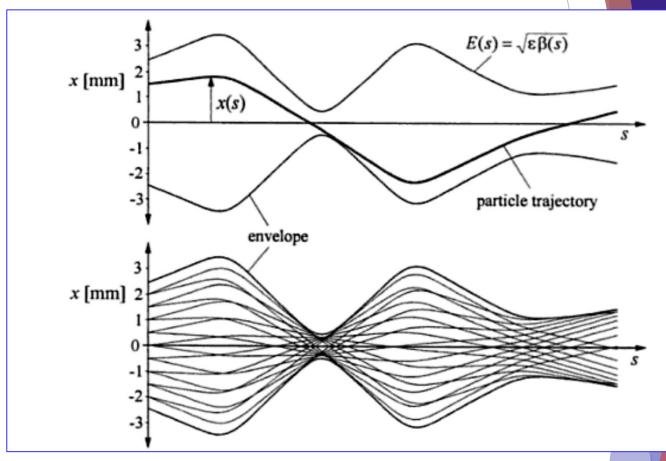
Recap: Beam Envelope

$$L = \frac{N_1 \cdot N_2 \cdot n \cdot f}{4\pi\sigma_x \sigma_y} \left[cm^{-2} s^{-1} \right]$$

- During their travel on the trajectory s, the particles perform betatron oscillations
- ► The beam envelope for many particles and many turns is defined as:

$$E(s) = \sqrt{\varepsilon \beta(s)} = 1\sigma_u \quad u = x, y$$

- \triangleright ϵ is the energy dependent emittance
- β (s) defines the betafunction, which depends on the beam optics defining the beam size at a certain position s



Beam envelope, K. Wille

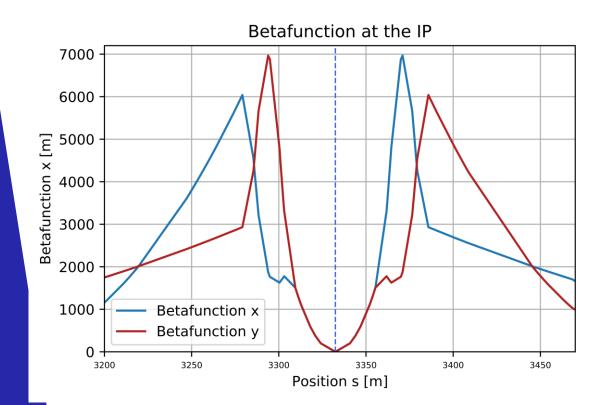


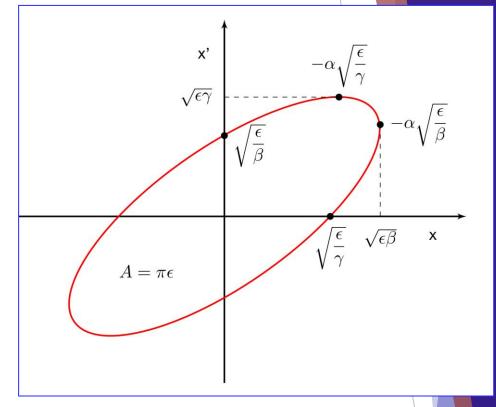




Phase Space Conservation and Liouville's Theorem

- ► The phase-space distribution function is constant along the trajectories of the system
- ► The area in the phase space is conserved
- the smaller the beamsize, the bigger the divergence





Phase Space Diagram



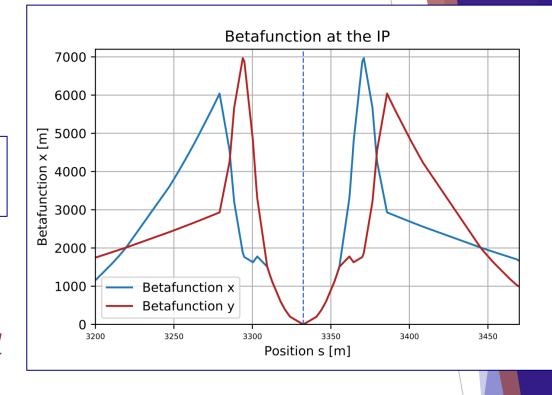
The Quadrupoles the closest to the IP need the biggest aperture

Minibeta Optimization

► Betafunction in a drift space:

$$\beta(l) = \beta^* + \frac{l^2}{\beta^*}$$

- Find optimal β^* : $\frac{d\beta(s)}{d\beta^*} = 1 \frac{l^2}{\beta^{*2}} = 0$
- ▶ Smallest beta at the end of the drift for: $\beta^* = l$
- ► At ALICE the drift space has a length of 23m
- An variation of the second beam between the design 10m and 23m could lead to optimized distances between the beams









How does this affect our collider?

$$L = \frac{N_1 \cdot N_2 \cdot n \cdot f}{4\pi\sigma_{\chi}\sigma_{y}} \left[cm^{-2} s^{-1} \right]$$

Using the formula for beta in a drift:

$$\beta(l) = \beta^* + \frac{l^2}{\beta^*}$$

For the standard LHC this yields at ATLAS and CMS:
$$\beta(23) = 0.55m + \frac{23m^2}{0.55m} = 963m$$

How far can we go in betastar with a drift of 15m?

$$\beta(15) = x \, m + \frac{15m^2}{x \, m} = 963 \text{m}$$

$$x = 0.234m$$







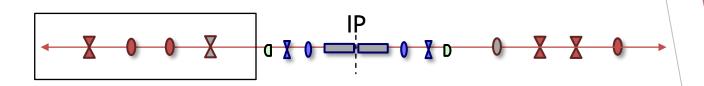
LHC Data

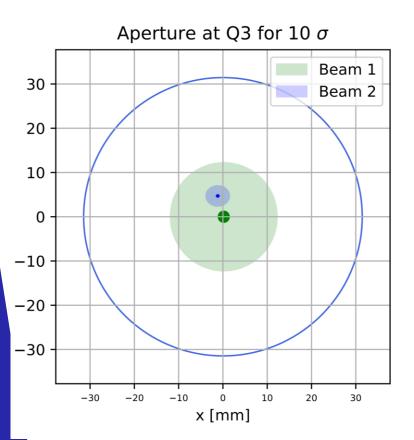


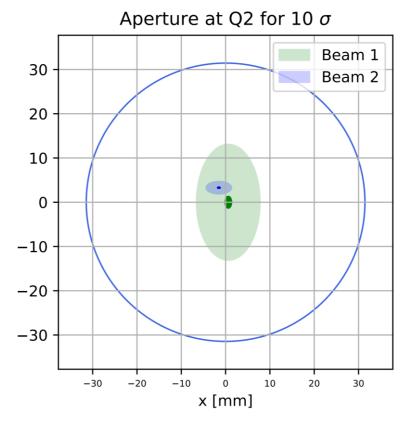


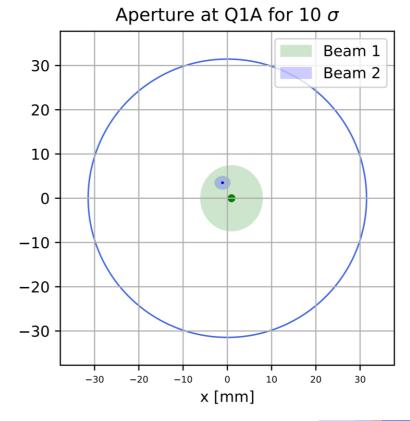


Apertures of the Proton Beams









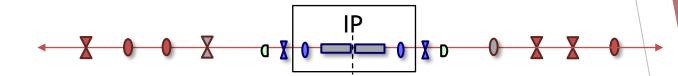
Cross section beam pipes

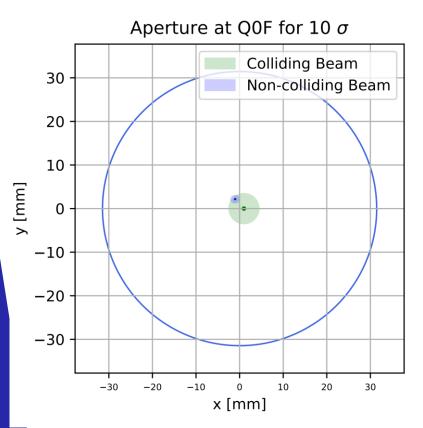


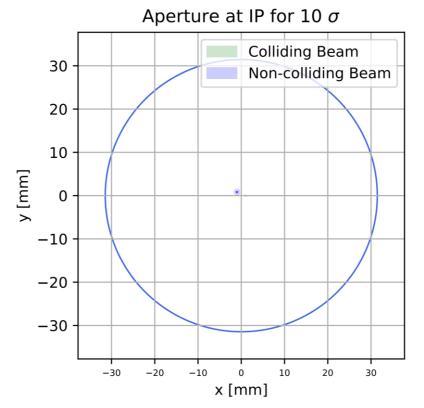


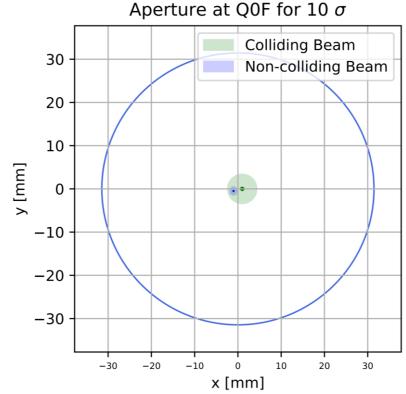


Apertures of the Proton Beams









Cross section beam pipes





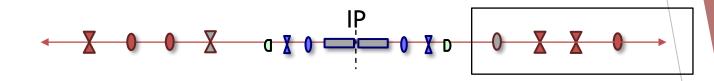


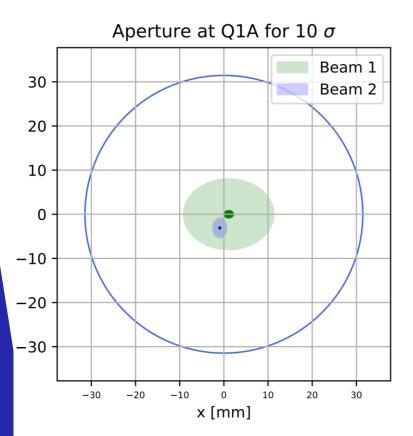
At the IP:

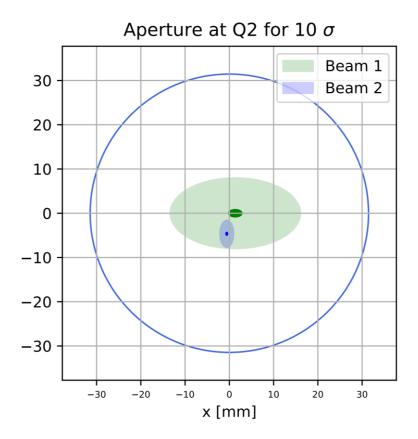
ß*= 0.35m Colliding Beam

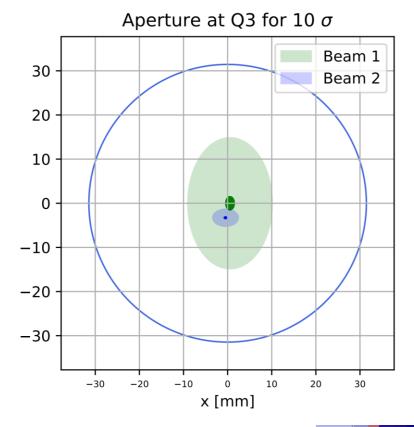
B*= 10m Non-colliding Beam

Apertures of the Proton Beams









Cross section beam pipes

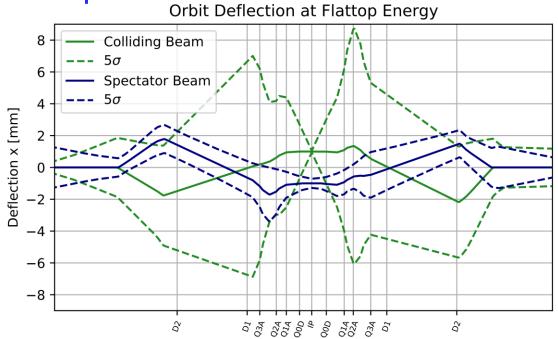




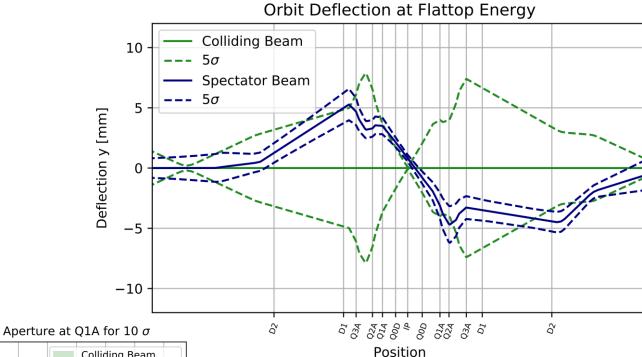


Proton Optics and Orbit

x-plane



y-plane



At the IP:

Position

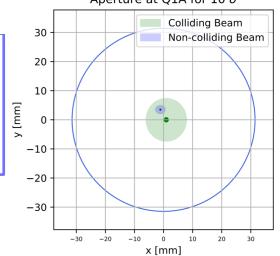
 β_1 *= 0.35m

 β_2 *= 10m ... 23m

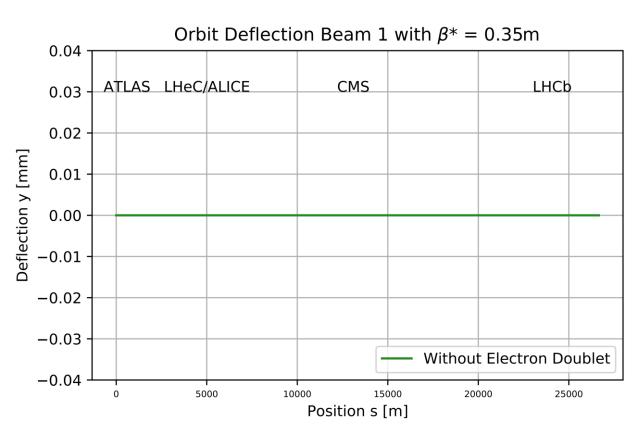




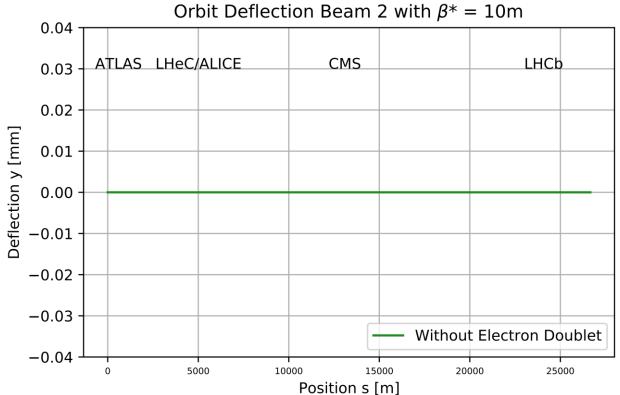




Colliding Beam



► Spectator Beam

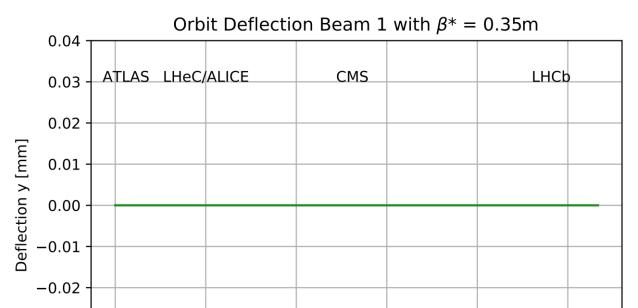




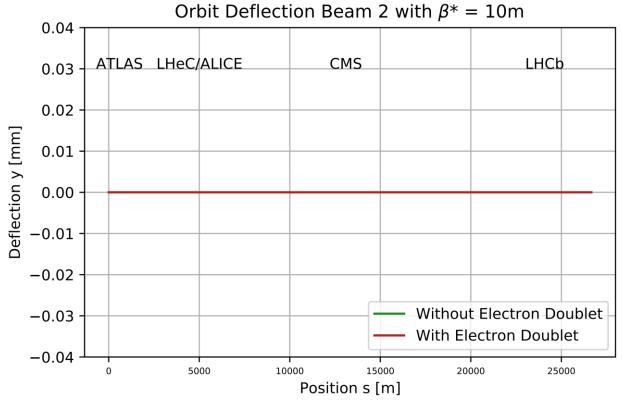




Colliding Beam



► Spectator Beam





-0.03

-0.04



10000

5000



15000

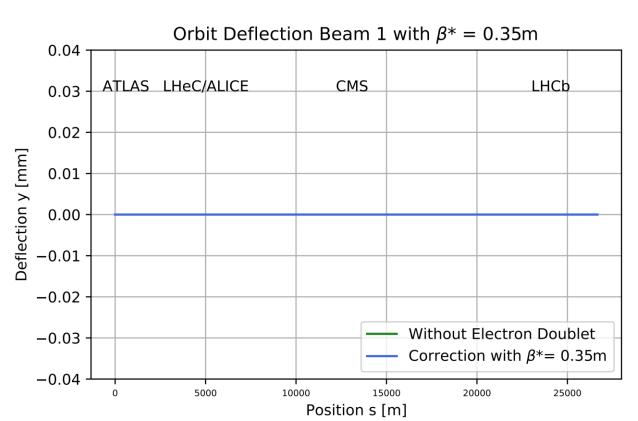
Position s [m]

Without Electron Doublet

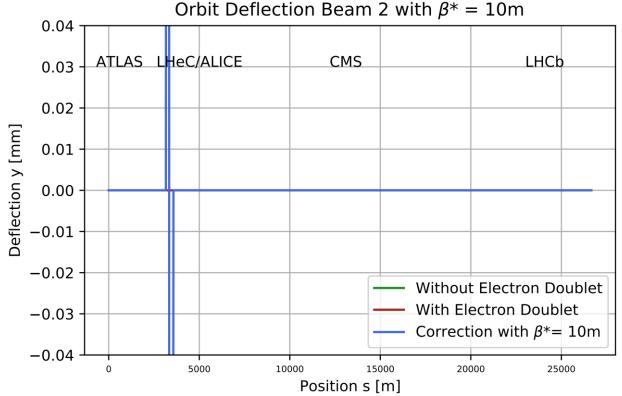
25000

20000

Colliding Beam



► Spectator Beam

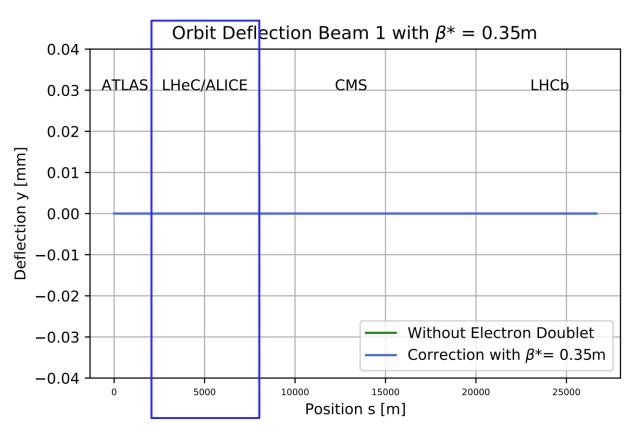




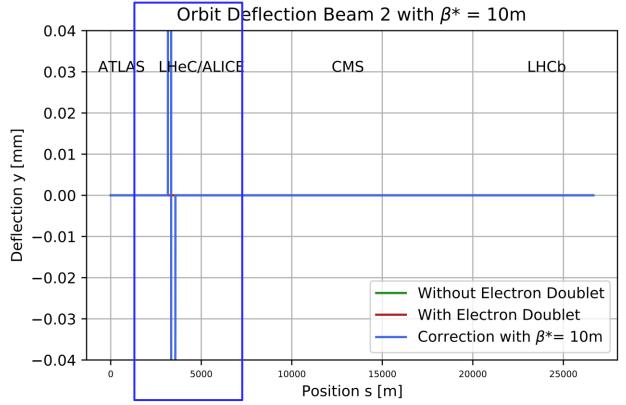




Colliding Beam



► Spectator Beam

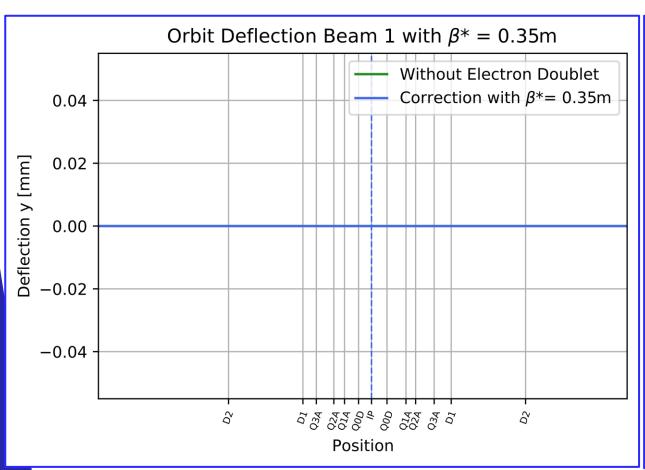




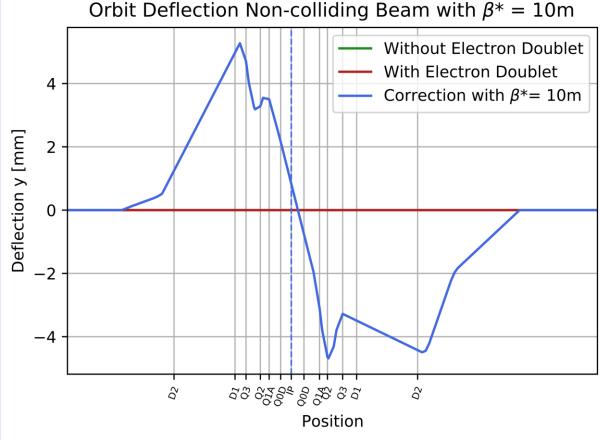




Colliding Beam



Spectator Beam

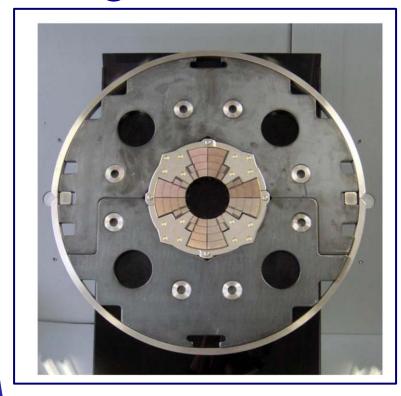








Magnets constraints in the LHC IR

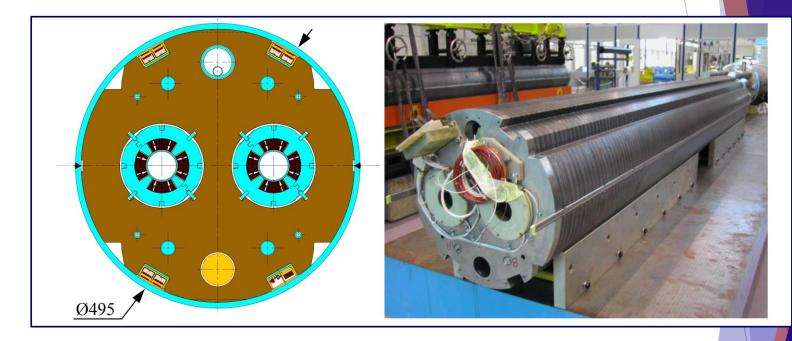


Inner Triplet Quadrupole



Both Beams see the same field in the Triplet

- On each side of the IP, there are 3 antisymmetric minibeta quadrupoles
- They are succeeded by 6 matching quadrupoles on each side



Matching Quadrupole



The Beams have their own Coils, they are however restricted in their difference through the yoke

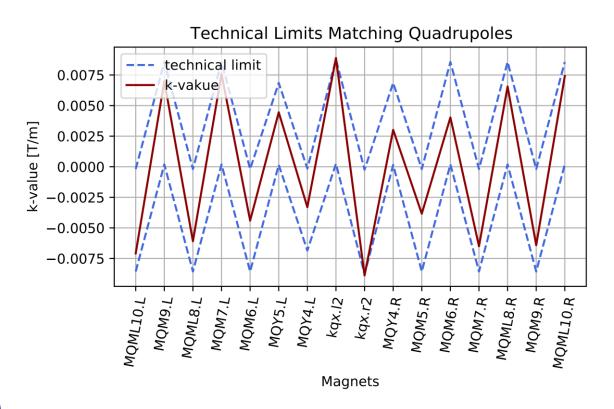




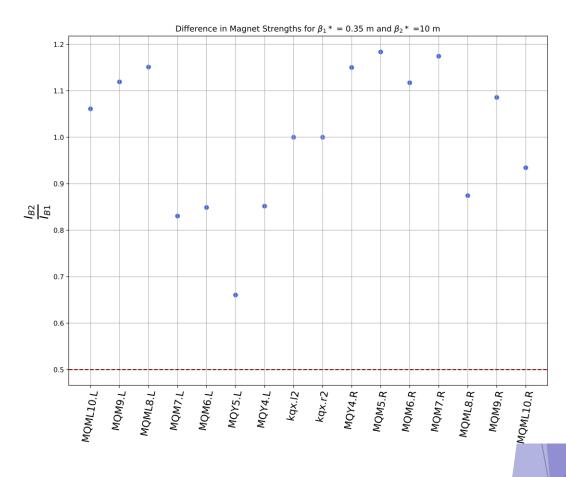


Magnet Limitations

Gradient Limitations Beam 1 Matching Quadrupoles



Gradient Dependencies Beam 1 and Beam 2 Matching Quadrupoles



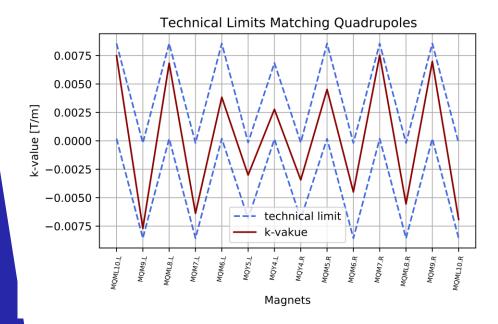


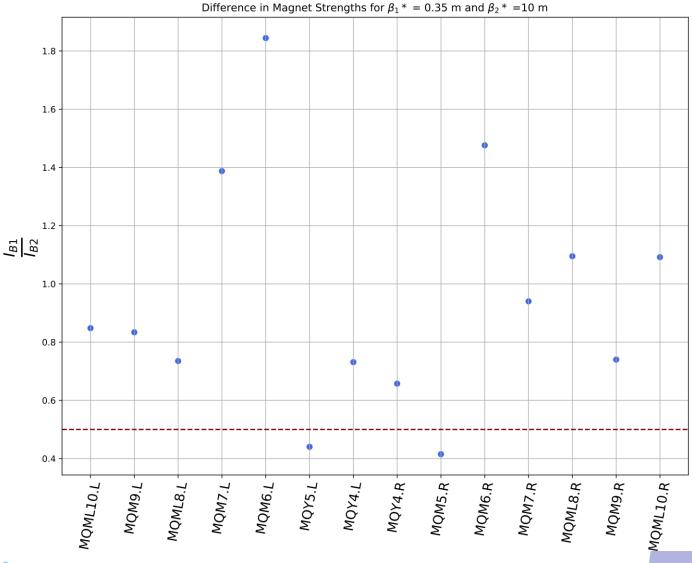




Magnet Limitations

➤ Still necessary to change some copper wiring for the dependencies of the magnets for B1 and B2











Matching Quadrupoles Constraints

► The coils of the matching quadrupoles allow a difference in their strength of up to 50%

