

The status of deuterium in Big-bang nucleosynthesis

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The Origin of Chemical Elements

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Outline

- 1. BBN in a nutshell
- 2. The hunt for precision
- 3. Deuterium

□ Why primordial synthesis ?



1. Stellar nucleosynthesis : there are no neutrons...

2. Primordial nucleosynthesis : there was plenty of neutrons !



When does it happen ? How many neutrons were available ?

□ Neutron/proton conversions

$$\begin{array}{c} n+\nu_{e}\longleftrightarrow p+e^{-}\\ n\longleftrightarrow p+e^{-}+\bar{\nu}_{e}\\ n+e^{+}\longleftrightarrow p+\bar{\nu}_{e} \end{array}$$



• If enough interactions, then statistical equilibrium

$$n = e^{-\frac{E}{k_B T}}$$
Baryons are non-relativistic: $E \simeq m$
 $m_p = 938.2 \text{ MeV}$
 $m_n = m_p + 1.3 \text{ MeV}$
Protons $n_p = e^{-m_p/T}$
Neutrons $n_n = e^{-m_n/T} = n_p e^{-(m_n - m_p)/T}$



Nuclear network



Evolution of abundances

$$\frac{\mathrm{d}n_i}{\mathrm{d}t} + 3Hn_i = \mathcal{J}_i \longrightarrow \text{Source from nuclear reactions}$$

$$\frac{\mathrm{d}n_{\mathrm{b}}}{\mathrm{d}t} + 3Hn_{\mathrm{b}} = 0, \quad \text{Baryons are only diluted}$$

$$Y_i \equiv n_i/n_b \longrightarrow$$
 Removes dilution

- Two-body reactions of the type $i+j \leftrightarrow k+l$

$$\mathcal{J}_i \supset n_k n_l \gamma_{kl \to ij} - n_i n_j \gamma_{ij \to kl}$$

$$\gamma_{ij\to kl} \equiv \langle \sigma v \rangle_{ij\to kl} \,.$$

Average of cross-section over Maxwell-Boltzmann distribution

General form

$$\dot{Y}_{i_1} = \sum_{i_2 \dots i_p, j_1 \dots j_q} N_{i_1} \left(\Gamma_{j_1 \dots j_q \to i_1 \dots i_p} \frac{Y_{j_1}^{N_{j_1}} \dots Y_{j_q}^{N_{j_q}}}{N_{j_1}! \dots N_{j_q}!} - \Gamma_{i_1 \dots i_p \to j_1 \dots j_q} \frac{Y_{i_1}^{N_{i_1}} \dots Y_{i_p}^{N_{i_p}}}{N_{i_1}! \dots N_{i_p}!} \right)$$





Public BBN codes:

PRIMAT

n ¹H

 ^{2}H

ЗН

³He

⁴He

⁶Li

⁷Li

⁸Li

⁹Li

⁷Be

⁹Be

¹⁰Be

⁸B

¹⁰B

¹¹B

¹²B

¹³B

¹¹C

AlterBBN

PArthENoPE



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Beyond the instantaneous decoupling approximation

• Overlap between decoupling and e^{\pm} annihilations

 \implies smaller T_{γ} and increased T_{ν}



□ Interaction Hamiltonian

$$J^{\mu}_{e\nu} = \bar{\boldsymbol{\nu}}\gamma^{\mu}(1-\gamma^5)\mathbf{e}$$

$$J_{pn}^{\mu} = V_{ud} \bar{\mathbf{p}} \left(\gamma^{\mu} (1 - g_A \gamma^5) + \mathrm{i} \frac{f_{\mathrm{wm}}}{m_N} 2\Sigma^{\mu\nu} q_{\nu} \right) \mathbf{n}$$
CKM angle
Axial current coupling
Weak-Magnetism

□ BORN approximation

Simple integral on electron momentum :

$$\overline{\Gamma}_{n \to p} = \overline{\Gamma}_{n \to p+e} + \overline{\Gamma}_{n+e \to p}$$
$$= K \int_0^\infty p^2 dp [\chi_+(E) + \chi_+(-E)],$$

$$K = \frac{4G_F^2 V_{ud}^2 (1 + 3g_A^2)}{(2\pi)^3}$$

CKM angle Axial coupling
$$V_{ud} = 0.97420(20)$$
 $g_A = 1.2723(23)$

Neutron lifetime as a proxy



BORN approximation rates vs Hubble rate



□ Radiative corrections











□ Total corrections



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A <u>new tension</u> in the cosmological model from primordial deuterium?

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Primordial Deuterium after LUNA: <u>concordances</u> and error budget

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after the LUNA results, the value of Deuterium is quite precisely fixed, and points to a value of the baryon density in excellent agreement with the Planck result,



Main reactions for deuterium







Final deuterium sensitivity

$$\frac{\Delta(D/H)}{D/H} = -0.32 \times \frac{\Delta\langle\sigma v\rangle_{d(p,\gamma)^{3}He}}{\langle\sigma v\rangle_{d(p,\gamma)^{3}He}} - 0.54 \times \frac{\Delta\langle\sigma v\rangle_{d(d,n)^{3}He}}{\langle\sigma v\rangle_{d(d,n)^{3}He}} - 0.46 \times \frac{\Delta\langle\sigma v\rangle_{d(d,p)^{3}H}}{\langle\sigma v\rangle_{d(d,p)^{3}H}}$$

D(p,γ)³He, D(d,n)³He and D(d,p)³H reaction rates need to be known at a few % level to match the 1.6% precision on observations!





The Impact of New $d(p, \gamma)^3$ He Rates on Big Bang Nucleosynthesis

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Finally, we note that the observed deuterium abundance continues to be more precise than the BBN+CMB prediction, whose error budget is now dominated by $d(d, n)^3$ He and $d(d, p)^3$ H.





 2 H(d,n) 3 He

²H(d,p)³H

T (GK)



E_{CM} (keV)

Conclusion

- Weak interactions (hence neutrons, hence helium) under control
- Need to measure d+d rates in the BBN range of energies
- Independent measurment of D abundance needed



SUPPL MATERIAL

Combined constraints



Dependance on number of neutrino species



