## Constraining constant and tomographic coupled dark energy with low- and highredshift probes

- **CosmoStat, CEA Paris-Saclay**
- Supervisors: Valeria Pettorino, Martin Kilbinger
- **Collaborators: Adrià Gómez-Valent, Valeria Pettorino, Martin Kilbinger**

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### Lisa Goh

lisa.goh@cea.fr



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  - Dark energy takes on the form of a scalar field  $\phi$
  - Mediates interactions between dark matter particles these particles feel a 'fifth force'

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Here we propose a form of parametrisation for  $\beta$ , where it can vary with redshift:  $\beta(z) = rac{eta_1 + eta_n}{2} + rac{eta_1 + eta_n}{2}$ 

where  $\beta_i$  is the amplitude of coupling in each bin,  $s_i$  is the smoothing factor and  $z_i$  is the value of the bin edge

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data, as well as Weak Lensing and Galaxy Clustering to constrain our model

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• We use an array of **high redshift** (CMB) and **low redshift** (BAO, SNe1a, cosmic chronometers, RSD, SHoES)







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- In a tomographic CDE framework, tension in  $S_8$  (between 3x2pt and CMB) reduces from ~2.8 $\sigma$  to ~1.3 $\sigma$

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